

21/07/2017

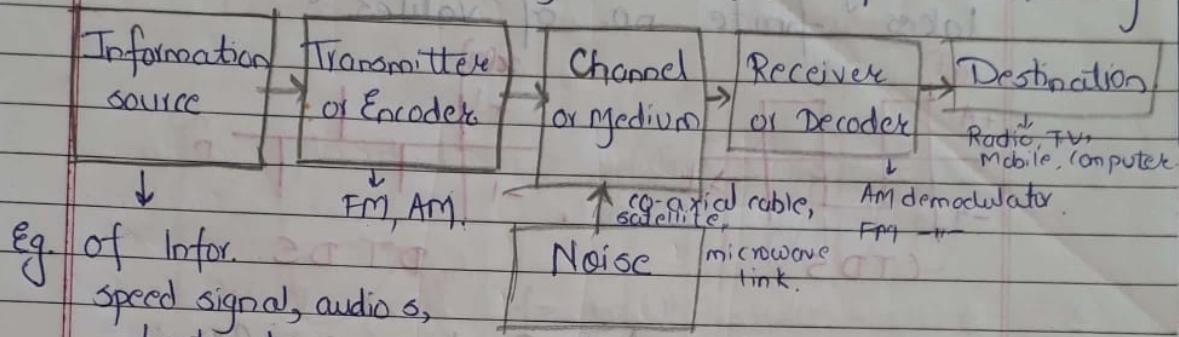
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PRINCIPLES OF

COMMUNICATION.

~~#~~ BASIC BLOCK DIAGRAM OF COMMUNICATION SYSTEM:



~~#~~ NEED FOR MODULATION:

1. It increases the range of communication.
2. Decrease in size of antenna.
3. Increase in the clarity of sound.
4. Avoid mixing of signals.
5. Multiplexity

~~#~~ SIGNAL: Signal is the func. of one or more than one independent variable.

If indepen. variable is 1 then it is called One dimensional signal.

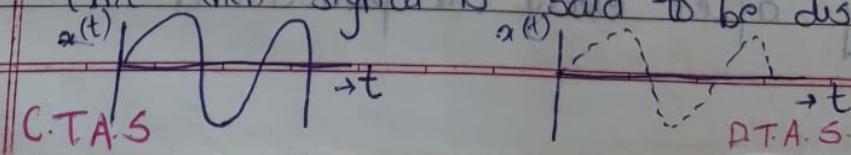
Eg. Speech Signal.

TYPES OF SIGNALS:

① Continuous Eg. Discontinuous (C.T & D.T):

A signal is said to be continuous if it is defined for all the instances for time.

If signal is defined only for certain instances of time then signal is said to be discontinuous.



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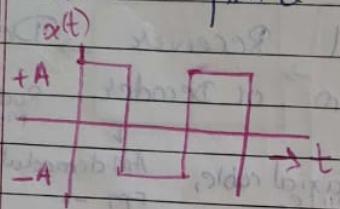
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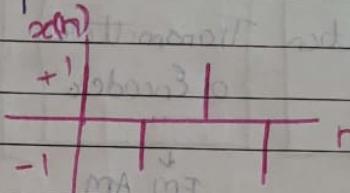
② Analog and Digital:

A signal is said to be analog if it takes infinite no. of values.

A signal is said to be digital if it takes finite no. of values.



(TDS)



DTDS. refel to pg

③ Deterministic And Random Signals:

A signal is said to be deterministic if it is defined by a well set of rules.

e.g. Signal generated on a CRO

e.g. Otherwise signal is said to be random noise.

4. Symmetric And Asymmetric (Even Odd):

$\alpha(t)$

put $t = -t$

$$\alpha(-t) = \alpha(t) \Rightarrow \text{Even}$$

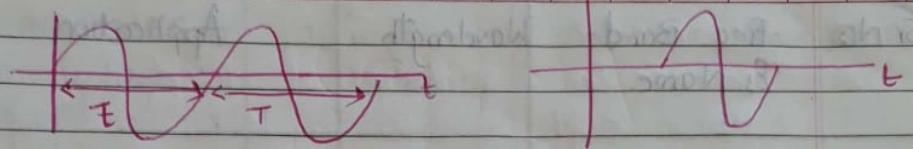
$$\alpha(-t) = -\alpha(t) \Rightarrow \text{Odd.}$$

5 Periodic And Aperiodic:

$$(\alpha(t) = \alpha(t+T)) \text{ Periodic.} \quad ①$$

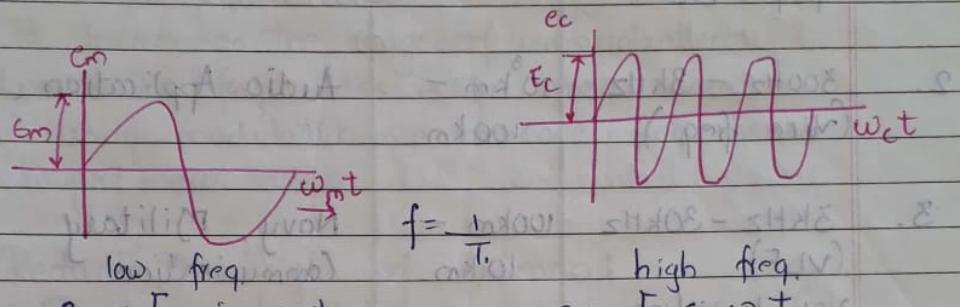
$$\alpha(t) \neq \alpha(t+T) \text{ Aperiodic.}$$

A signal is said to be periodic if it repeats itself after every time period T .



Periodic

Aperiodic



$$f = \frac{1}{T} \quad \text{carrier freq.}$$

$$e_c = E_c \sin \omega_c t \quad \text{high freq. (V)}$$

$e_m = E_m \sin \omega_m t$
Modulating / Audio

audio(M) frequency.

$$e_m = E_m \sin (\omega_m t + \phi) \quad \begin{array}{l} A \rightarrow \text{Amplitude} \\ F \rightarrow \text{frequency} \\ P \rightarrow \text{Phase} \end{array}$$

Radio Frequency Spectrum OR.

Electromagnetic Spectrum OR

(5m) IEEE (Institute of Electronics & Electrical Engg).
frequency band

Sr. No.	Freq Band Ex Name.	Wavelength	Application
1.	30Hz - 300Hz. Extremely Low freq (E.L.F.)	10^4 km - 10^9 km.	Power transmission
2.	300Hz - 3kHz (voice freq.)	10^3 km - 100 km.	Audio Application
3.	3kHz - 30kHz (VLF) Very low freq	100 km - 10 km	Navy, Military (communication)
4.	30kHz - 300kHz Low freq. (L.f.)	10 km - 1 km.	Aeronautical / Marine
5.	300kHz - 3MHz Medium freq (M.f.)	1 km - 100 m	Amp. Modulation (Am) Broadcast
6.	3MHz - 30MHz High freq. (H.F.)	100 m - 10 m	Shortwave Transmission
7.	30MHz - 300MHz Very high freq. (10^6) (10^9)	10 m - 1 m	T.V. Broadcasting, FM Radio.
8.	300MHz - 3 GHz Ultra high f. (UHF)	1 m - 10 cm	Cellular Phones
9.	3GHz - 30GHz Super high freq.	10^1 m to 10^2 m.	Satellite communication / RADAR.

10 $300\text{GHz} - 300\text{GHz}$ $10^{-2}\text{m} - 10^{-3}\text{m}$ Satellite Communication
Extremely High freq.

Need for Modulation

- 1) It increases the range of communication:
- lower the freq. less is the area covered.
∴ using modulation we increase freq. hence cover more area.

2. Reduces the height of Antenna:

To transmit or to receive any signal we require an antenna. The height of that antenna must be $\lambda/4$. where $\lambda = \frac{c}{f}$ where

$$c = \text{velocity of light} = 3 \times 10^8 \text{ m/sec}$$

$f \Rightarrow$ freq which we are transmitting

If we want to transmit 3kHz signal the ht. of antenna must be $\lambda = \frac{3 \times 10^8}{3 \times 10^3} = 10^5 \text{ mts}$.

$$\therefore \frac{\lambda}{4} = \frac{10^5}{4} = 25 \text{ km. which is very large}$$

Practically it is impossible to build such a large antenna. Instead we use modulation & increase in freq to $3 \times 10^6 \text{ Hz}$ & calculate the antenna height

$$\lambda = \frac{3 \times 10^8}{3 \times 10^6} = 100 \text{ mts}$$

$$\therefore \frac{\lambda}{4} = 25 \text{ mts.}$$

Hence height of antenna reduced.

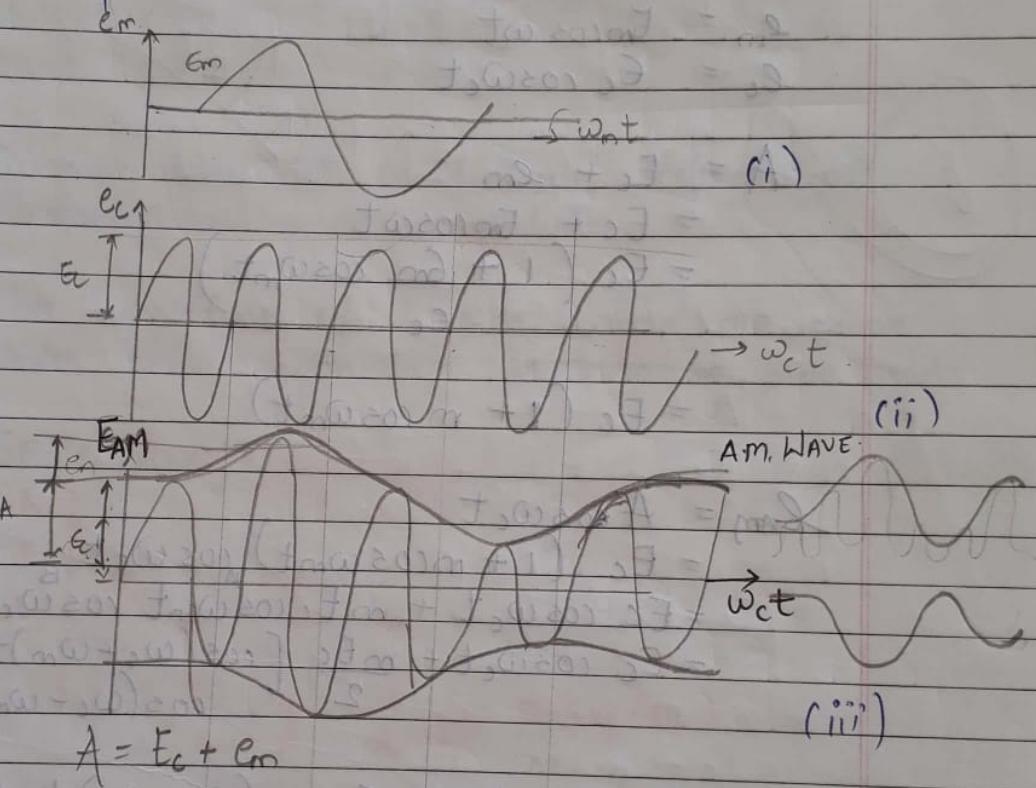
3. It avoids the mixing of signals.
4. Improve the quality of reception
Using diff modulation tech like AM, FM, PCM, TM you can get better quality.
5. Multiplexing is possible.
Using Modu. we can transmit more than one signal over a single commun. channel using techniques such as FDM (freq. div. multi) TDM (time division multiplexing)

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AMPLITUDE MODULATION.

* MODULATION: is the process of changing some of the parameters (A_m , f_s , and phase) of high frequency carrier wave w.r.t instantaneous value of modulating signal. Keeping other two parameters constant.



$$A = E_c + e_m$$

Derive Expression For A.M :

Mathematically Define A.M:

The process of changing amplitude of high freq carrier wave w.r.t the instantaneous value of modulating signal keeping freq. and phase constant is known as Modulation.

Fig (i) (ii) (iii)

Eq. of AM

M → Modulating signal

C → carrier signal

A → p.t. amplitude of modulating signal

$M = (E_m / E_c)$ Modulation Index

$E_{am} \Rightarrow A \cos \omega_c t$

$$e_m = E_m \cos \omega_m t$$

$$e_c = E_c \cos \omega_c t$$

$$\begin{aligned} A &= E_c + e_m \\ &= E_c + E_m \cos \omega_m t \\ &= E_c \left(1 + \frac{E_m}{E_c} \cos \omega_m t \right) \end{aligned}$$

(ii) $T_A = E_c (1 + m \cos \omega_m t)$

$$e_{am} = A \cos \omega_c t$$

$$= E_c (1 + m \cos \omega_m t) \cos \omega_c t$$

$$= E_c \cos \omega_c t + m E_c \cos \omega_m t \cos \omega_c t$$

$$= E_c \cos \omega_c t + \frac{m E_c}{2} [\cos(\omega_c + \omega_m)t + \cos(\omega_c - \omega_m)t]$$

$$e_m = E_m \cos \omega_m t + \frac{m E_c \cos(\omega_c + \omega_m)t}{2} +$$

$$+ \frac{m E_c \cos(\omega_c - \omega_m)t}{2}$$

CONCLUSION:

AM wave consist of 3 terms

i. Original carrier

ii. Sum of two frequencies called as upper side band

iii. Difference of two frequencies known as lower side band

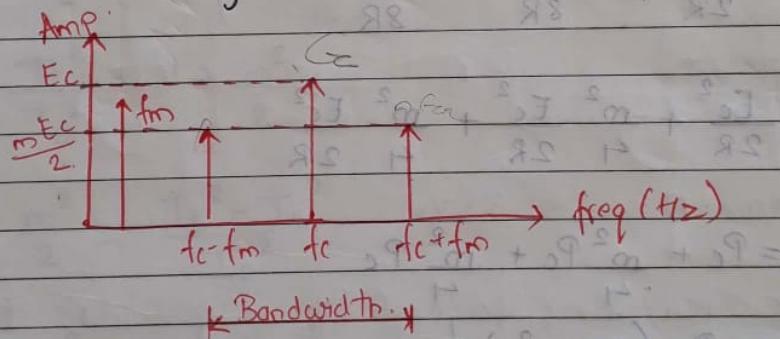
St. No Name Amplitude Frequency

1.	Original carrier	E_c	f_c
2.	Upper Side Band (USB)	$\frac{mE_c}{2}$	$f_c + fm$
3.	Lower Side Band (LSB)	$\frac{mE_c}{2}$	$f_c - fm$

NOTE: Carrier does not contain any information.
Information is in amplitude.

The amplitude of 2 side bands are same
Hence, same information is there in side bands.

SPECTRUM?



$$BW = fc + fm - fc - fm \\ = 2fm$$

Modulation Index: In Answer a Modulation Index (m)

is defined as the ratio of ampli. of the modulating waves and the carrier waves. $m = \frac{E_m}{E_c}$

if $m < Ec \Rightarrow m < 1 \Rightarrow$ no distortion

$E_m > E_c \Rightarrow m > 1 \Rightarrow$ Distort the shape of wave

M.I of FM wave - ratio of max. freq. deviation

$$\text{Eg. modulating freq. } f_m = \frac{\Delta f}{m}$$

POWER RELATIONSHIP IN A.M:

$$\cancel{P = \frac{V^2}{R} - I^2 R = VI}$$

$$P_t = P_c + P_{USB} + P_{LSB}$$

$$P_c = \frac{V^2}{R} = \frac{E_c^2}{R} = \frac{(E_c \sqrt{2})^2}{R} = \frac{E_c^2}{2R}$$

$$P_{USB} = \frac{V^2}{R} = \frac{(m E_c \sqrt{2})^2}{R} = \frac{(m E_c \sqrt{2})^2}{2R} = \frac{m^2 E_c^2}{8R}$$

$$P_{LSB} = \frac{V^2}{R} = \frac{(m E_c \sqrt{2})^2}{R} = \frac{(m E_c \sqrt{2})^2}{2R} = \frac{m^2 E_c^2}{8R}$$

$$P_t = \frac{E_c^2}{2R} + \frac{m^2 E_c^2}{8R} + \frac{m^2 E_c^2}{8R}$$

$$= \frac{E_c^2}{2R} + \frac{m^2 E_c^2}{4 \cdot 2R} + \frac{m^2 E_c^2}{4 \cdot 2R}$$

$$= P_c + \frac{m^2 P_c}{4} + \frac{m^2 P_c}{4}$$

$$P_t = P_c \left(1 + \frac{m^2}{2} \right)$$

(marks)

CURRENT RELATIONSHIP:

It is very difficult to measure R.F voltages rather than current therefore we go for current relationship.

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$$P_t = P_c \left(1 + \frac{m^2}{2} \right)$$

$$P_t = I_t^2 R$$

$$P_c = I_c^2 R$$

$$I_t^2 R = I_c^2 R \left(1 + \frac{m^2}{2} \right)$$

$$I_t = I_c \sqrt{1 + \frac{m^2}{2}}$$

where $I_c \rightarrow$ carrier current
 $I_t \rightarrow$ total current

MODULATION INDEX (m) IN TERMS OF TOTAL CURRENT AND CARRIER CURRENT

$$I_t = I_c \sqrt{1 + \frac{m^2}{2}}$$

$$I_t^2 = I_c^2 \left(1 + \frac{m^2}{2} \right)$$

$$\frac{I_t^2}{I_c^2} = 1 + \frac{m^2}{2}$$

$$\frac{m^2}{2} = \frac{I_t^2 - I_c^2}{I_c^2}$$

$$m^2 = 2 \left[\left(\frac{I_t}{I_c} \right)^2 - 1 \right]$$

$$\therefore m = \sqrt{2 \left[\left(\frac{I_t}{I_c} \right)^2 - 1 \right]}$$

EFFICIENCY OF AM WAVE:

$$\eta = \frac{\text{useful power}}{\text{total power}}$$

$$= P_{USB} + P_{LSB}$$

$\rightarrow [\because \text{Info is only in side band}$
 $\therefore \text{useful power} = \text{side band power}]$

$$= \frac{P_c m^2}{4} + \frac{P_c m^2}{4}$$

$$= P_c \left(\frac{m^2 + m^2}{2} \right)$$

$$= \frac{P_c m^2}{2}$$

$$P_c \left(\frac{2+m^2}{2} \right)$$

$$\eta = \frac{m^2}{m^2 + 2} \quad \therefore \eta \% = \frac{m^2}{m^2 + 2} \times 100$$

$$\max \eta = 33.33\%$$

The remaining part 67% is lost due to carrier wave power.

when $m=1$

$$\text{Efficiency is } \frac{1}{1+2} \times 100 = \frac{1}{3} \times 100 = 33.33\%$$

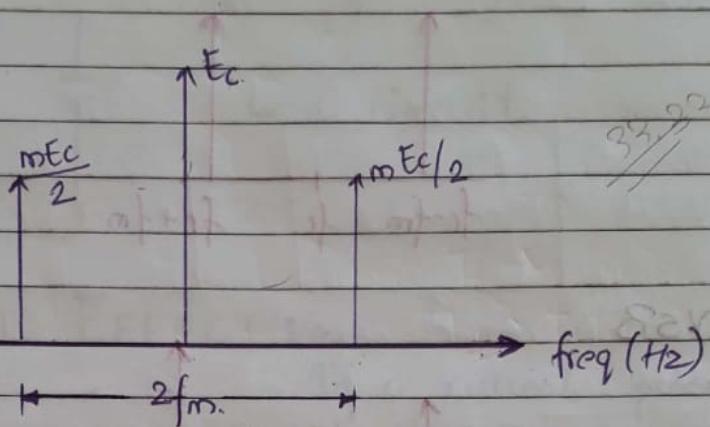
This is major drawback of Am wave since 67% of the power is wasted in the carrier.

Bandwidth required for video transmission \rightarrow 4.2 MHz.
— " — audio transmission \rightarrow 0.75

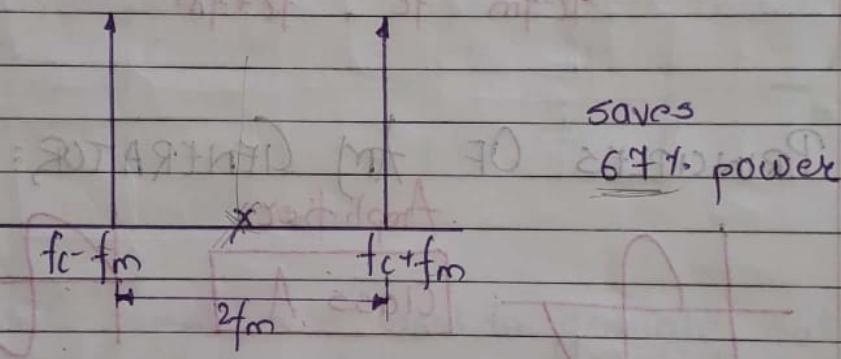
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TYPES OF AM WAVES:

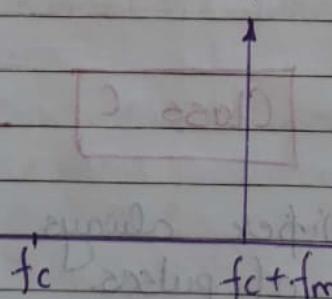
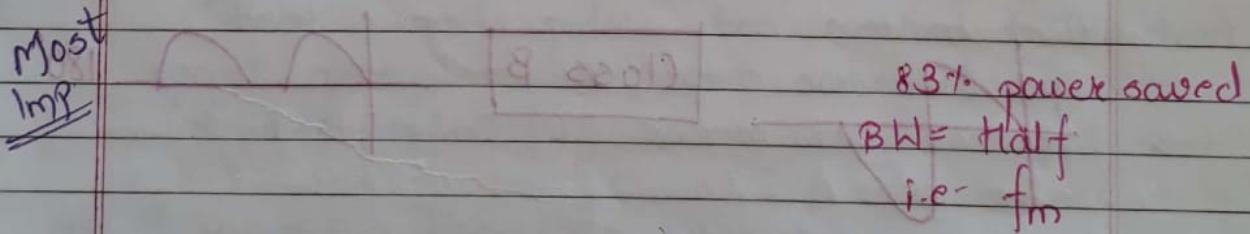
1. DSB-FC



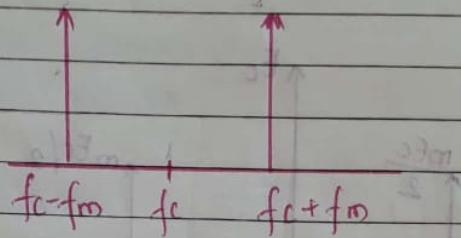
2. DSB-SC



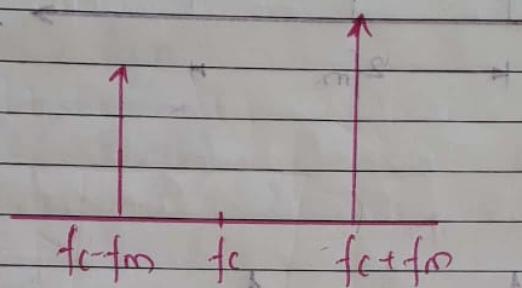
3. SSB-SC



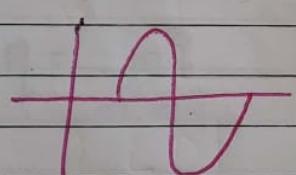
4. TSB



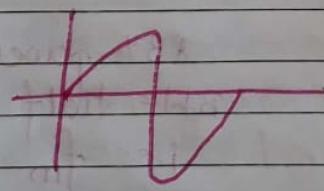
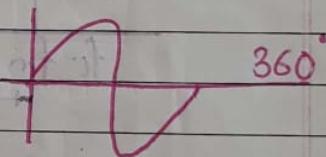
5. VSB



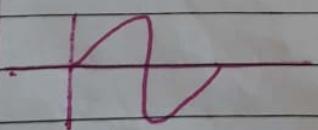
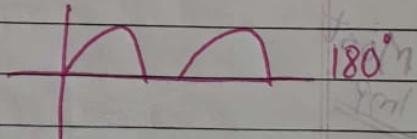
PRINCIPLES OF AM GENERATOR:



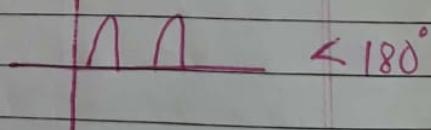
Amplifier
Class A



Class B

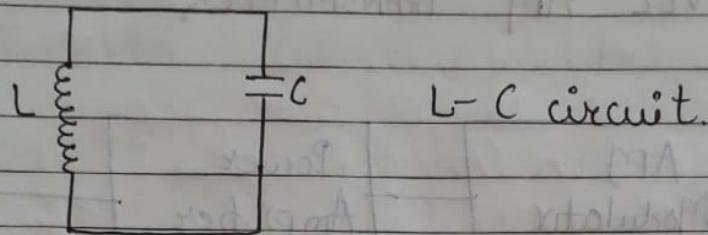


Class C



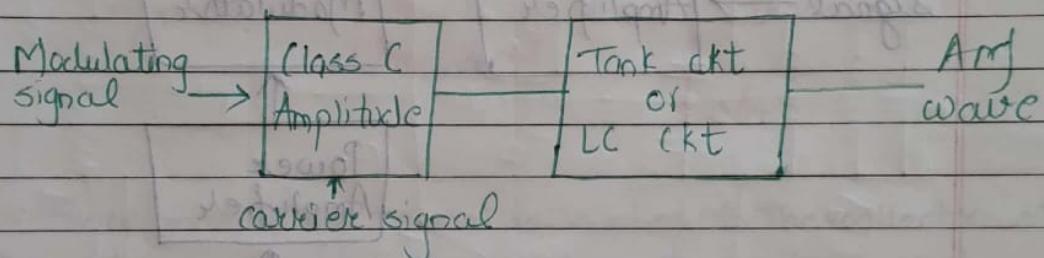
class C amplifier always produces current in the form of pulses.

LC circuit | Tank Circuit



FLYWHEEL EFFECT:

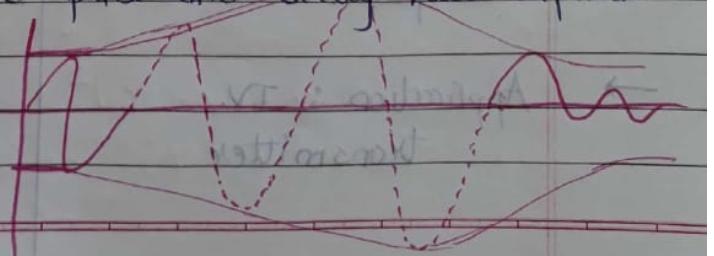
If a current pulse is supplied to a LC circuit it will generate oscillations of the same amplitude and decay rate dependent on time factor.



Class C amplifier is used to generate output in the form of pulses because it will conduct for less than 180° .

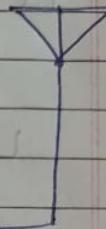
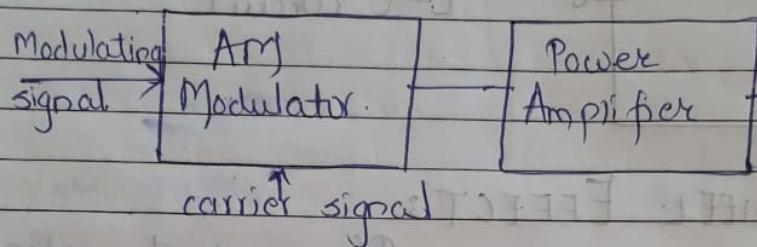
These current pulses when applied to the tank circuit generates Amj wave across it by 'flywheel effect'.

FLYWHEEL EFFECT: When the current pulse is applied to a tank circuit it starts to oscillate. The amplitude of the oscillations are same as that of the applied current pulse and decay rate depends on time constant.

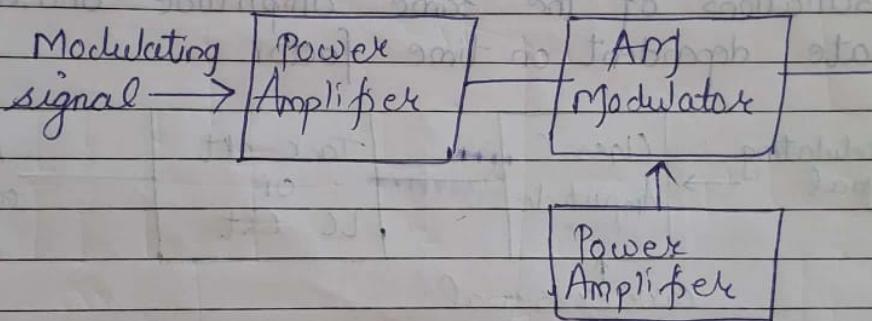


AM TRANSMITTER:

1 LOW LEVEL AM TRANSMITTER:



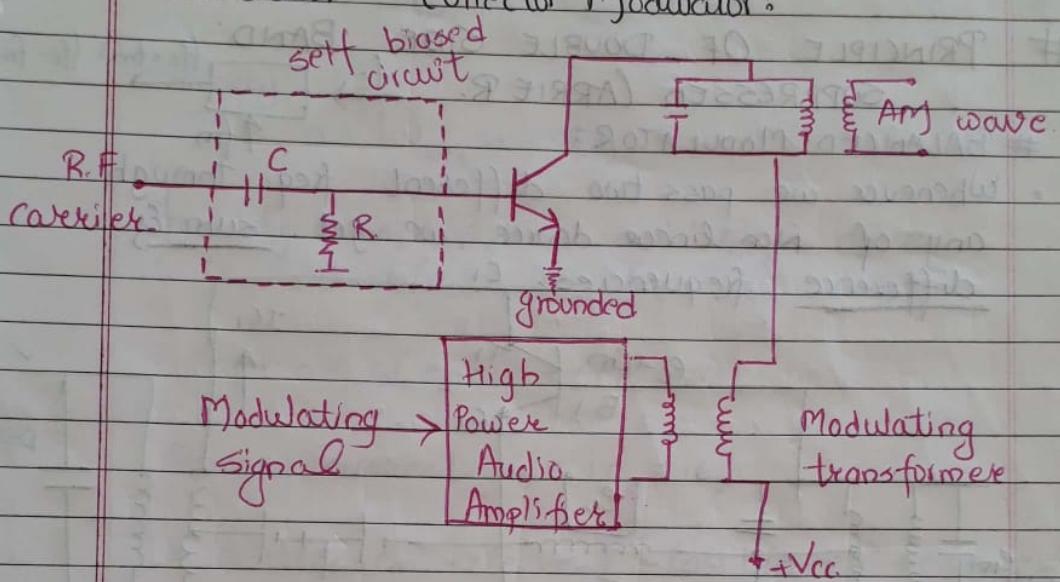
2 HIGH LEVEL AM TRANSMITTER:



- | L LM | H LM |
|---|--|
| → Modulation takes place at low power level. | Modulation takes place at high power level. |
| → Efficiency is low because we use class A & class B amplifier. | Efficiency is high because of use of class C amplifier. |
| → Easy to design at low power. | AF amplifier design is complex because high power is required. |
| → Application : T.V. transmitter | High Power Broadcast Transmitter. |

GENERATION OF DOUBLE SIDED BAND - FULL CARRIER AM

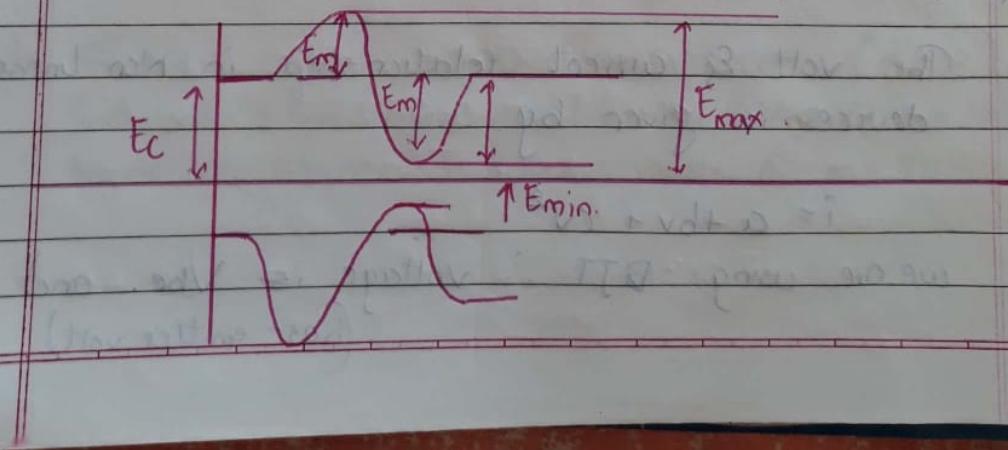
OR Transistor Collector Modulator:



Since modulating signal is applied to the collector at the transmitter it is called as transistor collector modulator.

Self biased circuit is used to bias transistor in cut-off mode so that transistor works as class C amplifier. This class C amplifier generates o/p in the form of current pulses and these current pulses applied to the tank circuit where because of flywheel effect AM wave is generated.

(Calculation of Modulation Index by Graphical Method)



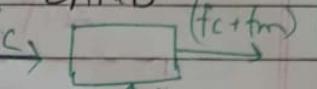
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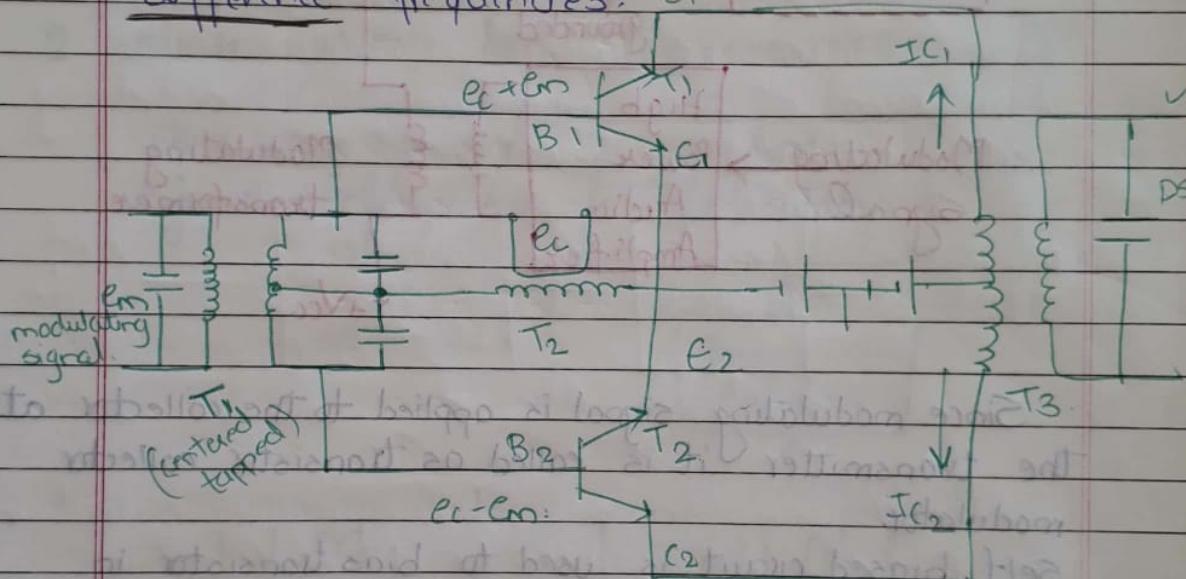
Non-linear: Diode, P.T.T.  Collector
Base Emitter

PRINCIPLE OF DOUBLE SIDE BAND:

SUPPRESSED CARRIER. $f_c \rightarrow$ 

BALANCED MODULATOR:

- Whenever we pass two different freq. through any of Non-linear device, we get sum & difference frequencies.



- We are using 3 transformer E_1 to the transistors T_1 which is centered tapped. Modulating signal appears out of phase to both BJTs.
- Across the primary of the options i.e. T_3 we get collector current as $i_c = i_{c1} - i_{c2}$
- The volt E_g current relationship in Non-linear device is given by.

$$i = a + bv + cv^2$$

We are using BJT \therefore voltage is V_{be} . and (base emitter volt)

Current is i_c

- For T_1 , current is given by
 $i_{c1} = a + bV_{be1} + cV_{be1}^2$

Similarly

$$i_{c2} = a + bV_{be2} + cV_{be2}^2$$

From fig. $V_{be1} = e_c + e_m$ and $V_{be2} = e_c - e_m$
 $\therefore i_{c2} = a + b(e_c + e_m) + c(e_c + e_m)^2$

$$i_{c2} = a + b(e_c - e_m) + c(e_c - e_m)^2$$

Primary current $i_c = i_{c1} - i_{c2}$

$$\begin{aligned} &= a + b(e_c + e_m) + c(e_c + e_m)^2 - (a + b(e_c - e_m) + c(e_c - e_m)^2) \\ &= a + b(e_c + e_m) + c(e_c + e_m)^2 - a - b(e_c - e_m) - c(e_c - e_m)^2 \\ &= 2be_m + 4ce_ce_m \end{aligned}$$

where $e_m = E_m \cos \omega_m t$

$$e_c = E_c \cos \omega_c t$$

$$\begin{aligned} \text{i.e. } i_c &= 2bE_m \cos \omega_m t + 4cE_c \cos \omega_c t E_m \cos \omega_m t. \\ &= \frac{2bE_m}{a} \cos \omega_m t + \frac{2cE_m E_c}{b} [\cos(\omega_c t + \omega_m t) + \cos(\omega_c t - \omega_m t)] \\ &= A \cos \omega_m t + B \cos(\omega_c + \omega_m) t + B \cos(\omega_c - \omega_m) t. \end{aligned}$$

The above eq. does not consist of original carrier terms
Hence we say carrier is suppressed.

SINGLE SIDE BAND GENERATOR (SSB)

Find out % power saving if carrier & one of the side bands are suppressed if ① $m = 100\%$. ② $m = 50\%$.

@ $m = 1$

$$\therefore P.S = P_t - P_{ISB}$$

$$P_t = P_c \left(1 + \frac{m^2}{2} \right)$$

$$P_t = P_c (1 + 1/2)$$

$$P_t = 1.5 P_c$$

$$P_{ISB} = \frac{P_c m^2}{4} = \frac{P_c}{4} = 0.25 P_c$$

$$P.S = \frac{1.5 P_c - 0.25 P_c}{1.5 P_c} = \frac{1.25 P_c}{1.5 P_c} = 0.8333 \times 100$$

$$P.S = 83.33 \%$$

(b) $m = 50\% = 0.5$

$$\therefore P.S = \frac{P_t - P_{ISB}}{P_t}$$

$$P_t = P_c \left(1 + \frac{0.5^2}{2} \right)$$

$$P_t = P_c (1.125)$$

$$\underline{P_t = 1.125 P_c}$$

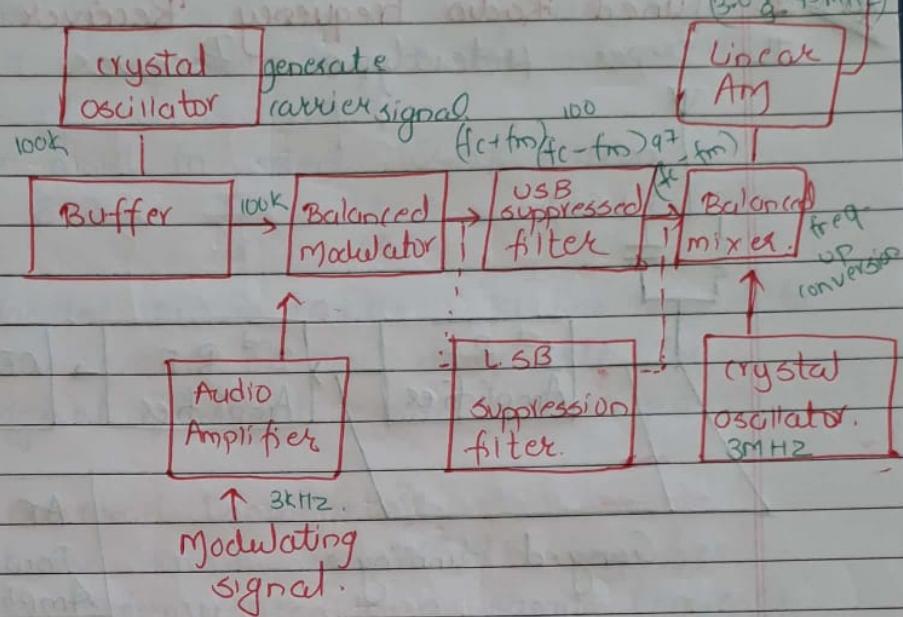
$$P_{ISB} = \frac{P_c (0.5)^2}{4} = 0.0625 P_c$$

$$P.S = \frac{1.125 P_c - 0.0625 P_c}{1.125 P_c}$$

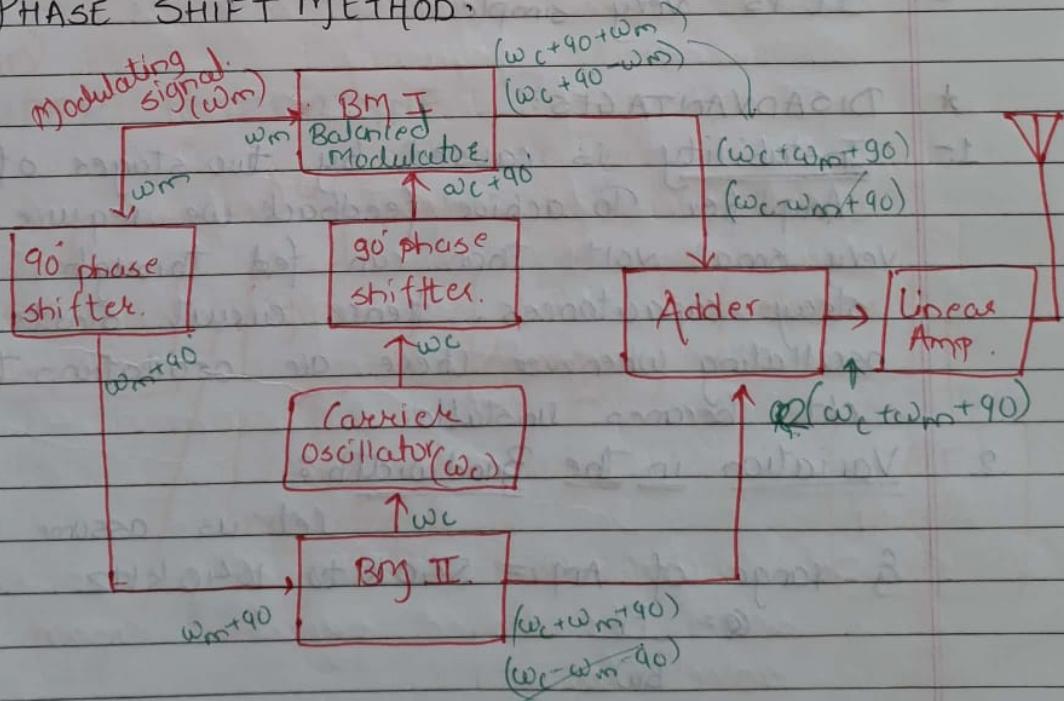
$$P.S = \frac{1.0625 P_c \times 100}{1.125 P_c} = 94.44\%$$

#SSB-SC

I FILTERED METHOD:



II PHASE SHIFT METHOD:



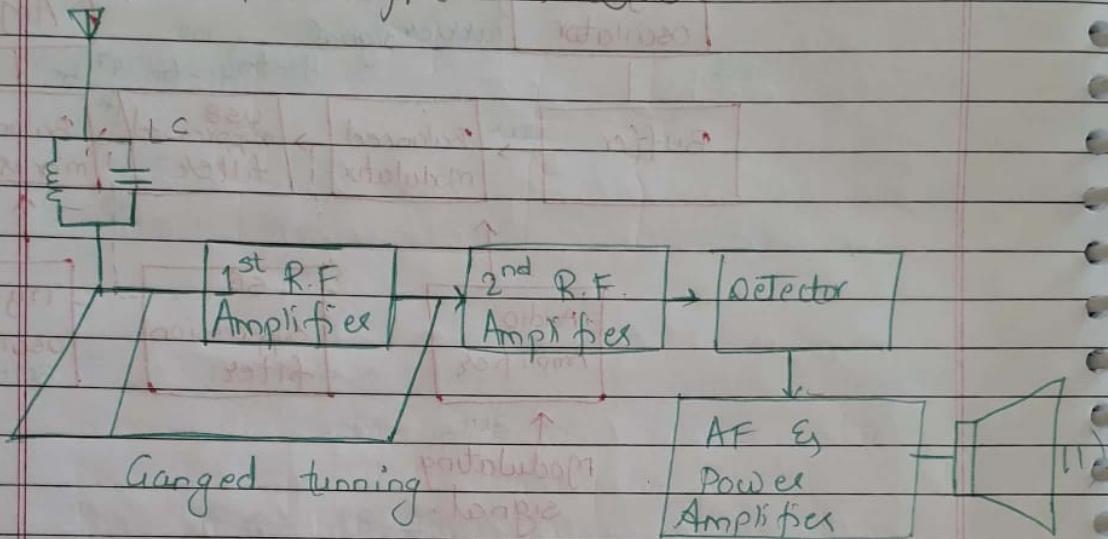
$$\text{feedback volt} = \frac{1}{\text{gain}}$$

$$Q = \frac{f_r - f_l}{B.W.} \quad \text{Page No. } \boxed{} \quad \text{Date } \boxed{}$$

AM RECEIVERS:

Types of Radio Receiver:

- I Tuned Radio Frequency Receiver. (T.R.F).
- II Super Heterodyne Receiver



* ADVANTAGE:

- It is very simple.

* DISADVANTAGES:

1. Instability is caused by two stages of RF Amplifier. To achieve feedback we require a very small volt. than can feed through steady capacitances. Hence circuit starts oscillating whenever there are oscillations then rkt becomes unstable.

2. Variation in the Bandwidth

Let us assume BW as 10 kHz.

$\text{Q range of AM} = 540 \text{ kHz to } 1640 \text{ kHz}$

$$Q = \frac{f_r}{B.W.}$$

When we select 540 kHz station

$$Q \text{ becomes } \frac{540 \text{ kHz}}{10 \text{ kHz}} = 54$$

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when we select 1640k station $\alpha = \frac{1640k}{10k} = 164$.

The value of α ie 164 is very very high.
Practically it is impossible to get this value. The max value of α is 120.

\therefore if we want to select 1640k station.

Required B.W is $F_r = \frac{1640}{120} = 13.67 \text{ kHz}$

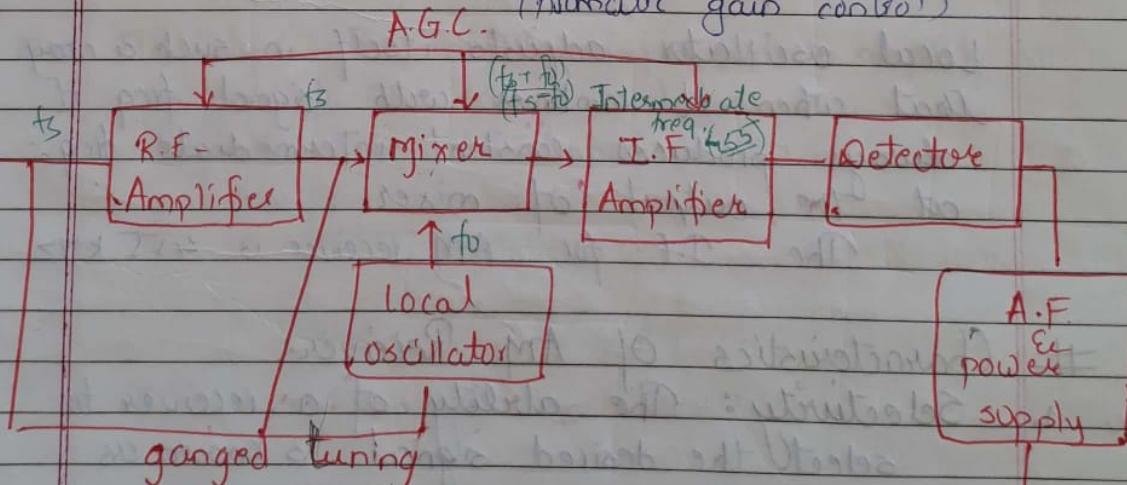
But allocated BW is 10 kHz & it has varied to 13.67 kHz because of this along with the wanted signal, unwanted signal is also pass.

- * How to overcome Drawbacks?
- i) for instability remove the 2nd RF Amplifier.
 - ii) convert all frequencies in a same frequency to avoid BW variation.

~~***** (10m)~~

SUPER HETERODYNE RECEIVER:

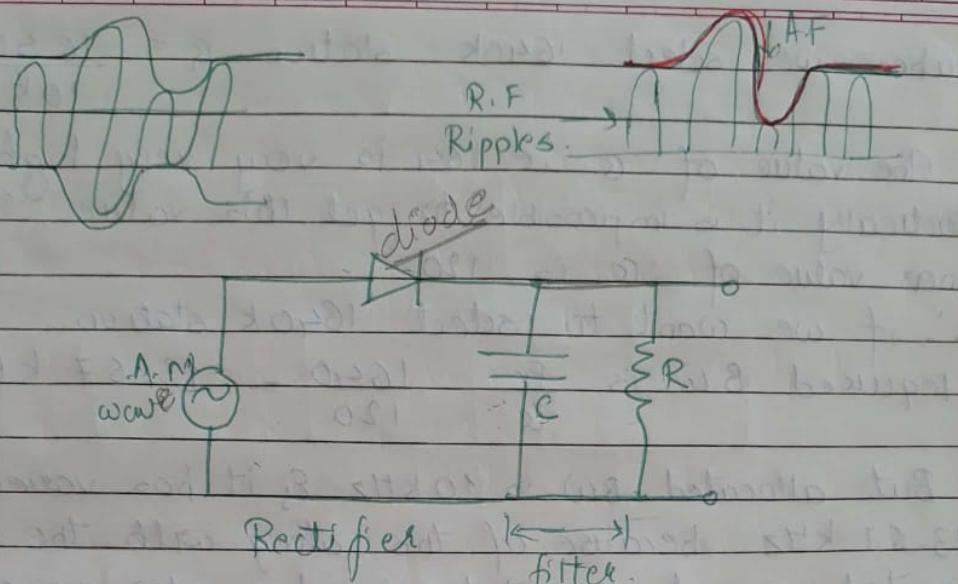
(Automatic gain control)



$$f_i = f_o + I.F.$$

$$I.F. = f_o - f_s$$

$$\begin{cases} f_o = \text{oscillator freq} \\ f_s = \text{signal freq} \end{cases}$$



Super Heterodyne Receiver works on the principle of Heterodyning (mixing of signals).

In super heterodyne receiver we down convert every received signal freq. into a constant fixed frequency called as.

Intermediate frequency

$$I.F. = f_o - f_s$$

Local oscillator adjusts itself in such a way that when it combines with signal freq. it always produces constant intermediate freq. at the output of mixer.

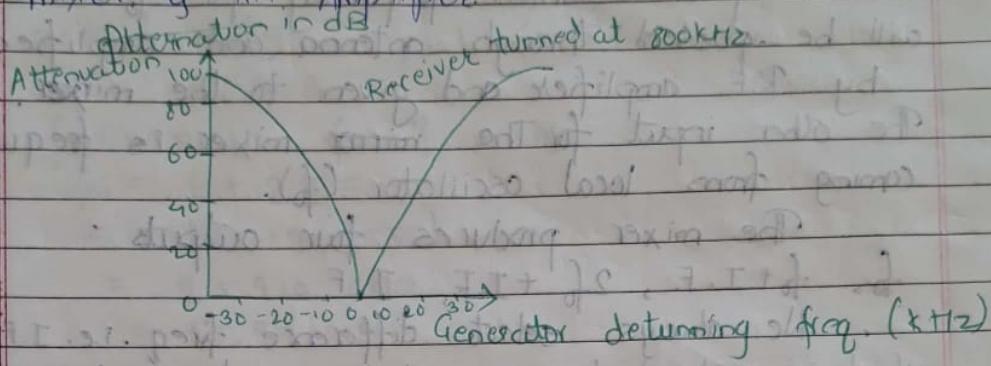
The I.F. for AM receiver is 455 kHz

Characteristics of AM Receiver:

1. Selectivity: The ability of a receiver to select the desired signal is known as selectivity.

To increase selectivity higher value of Q (tuned ckt) is used in I.F. Amplifier.

It is determined by freq. response of I.F Amplifier, mixer, & R.F Amplifier.

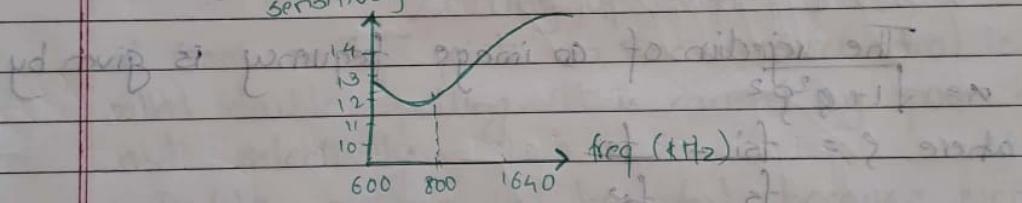


2. Sensitivity: The ability of receiver to amplify weak signal is sensitivity. OR

The voltage that must be applied to the receiver input terminal to give standard output power.

It is expressed in microvolts.

sensitivity dB.



3. Fidelity: The ability of receiver to amplify all signals to the same level.

Depends upon AF Amplifier.

Gain dB

20 kHz

20 kHz

f_{req}

1000

1000

1000

1000

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* IMAGE FREQUENCY & IT'S REJECTION RATIO:

If an unwanted frequency $f_{si} = f_o + I.F.$ will be passed through antenna and amplified by R.F. amplifier and given to the mixer. The other input for the mixer is frequency coming from local oscillator (f_o).

The mixer produces four outputs
 $f_o, f_o + I.F., 2f_o + I.F., I.F.$

We always select difference freq. i.e. I.F. which is produced by unwanted signal which will create the interference.

The effect of image frequency is two stations heard simultaneously. Naturally, it is undesirable.

Image frequency is given by $f_{si} = f_o + I.F.$
But $f_o = f_s + I.F. \therefore f_{si} = f_s + 2 I.F.$

The rejection of an image frequency is given by

$$\alpha = \sqrt{1 + Q^2 \beta^2}$$

where $\beta = \frac{f_{si} - f_s}{f_s - f_{si}}$

Q = quality factor of the tank circuit

Q. In broadcast superheterodyne receiver having no. R.F. amplifiers. The loaded Q of antenna coupling circuit is 100. If I.F. is 455 kHz.

i) Find f_{si} (image freq) & its rejection ratio at 1000 kHz.

ii) Find image freq and its rejection ratio at 25 MHz.

Soln: i) $Q = 100, I.F. = 455 \text{ kHz}, f_s = 1000 \text{ kHz}, f_{si} = ? , \alpha = ?$

$$\begin{aligned} f_{si} &= f_s + 2 I.F. \\ &= 1000 + 2(455) \\ &= 1910 \text{ kHz} \end{aligned}$$

$$\beta = \frac{1910 - 1000}{1000} = 1.386$$

$$\alpha = \sqrt{1 + \beta^2} = \sqrt{1 + (100)^2 f(1.386)^2}$$

$$= 138.603,$$

ii. $f_s = 25 \text{ MHz}$, $f_{si} = ?$, $\alpha = ?$

$$f_{si} = f_s + 2 \text{ I.F.}$$

$$= 25000 + 2(45\pi)$$

$$= 25.910 \text{ kHz}$$

$$= 25.91 \text{ MHz.}$$

$$\beta = \frac{25.910 - 25}{25} = 0.0715.$$

$$\alpha = \sqrt{1 + (100)^2 + (0.0715)^2}$$

$$= 7.219.$$

* DOUBLE SPOTTING:

Picking up same shortwave station at two nearby points on the receiver dial is called double spotting. It is caused by poor front end selectivity.

Double spotting is harmful because weak station may be masked by reception of nearby strong station at spurious point on the dial.

Double spotting is used to find intermediate frequency.

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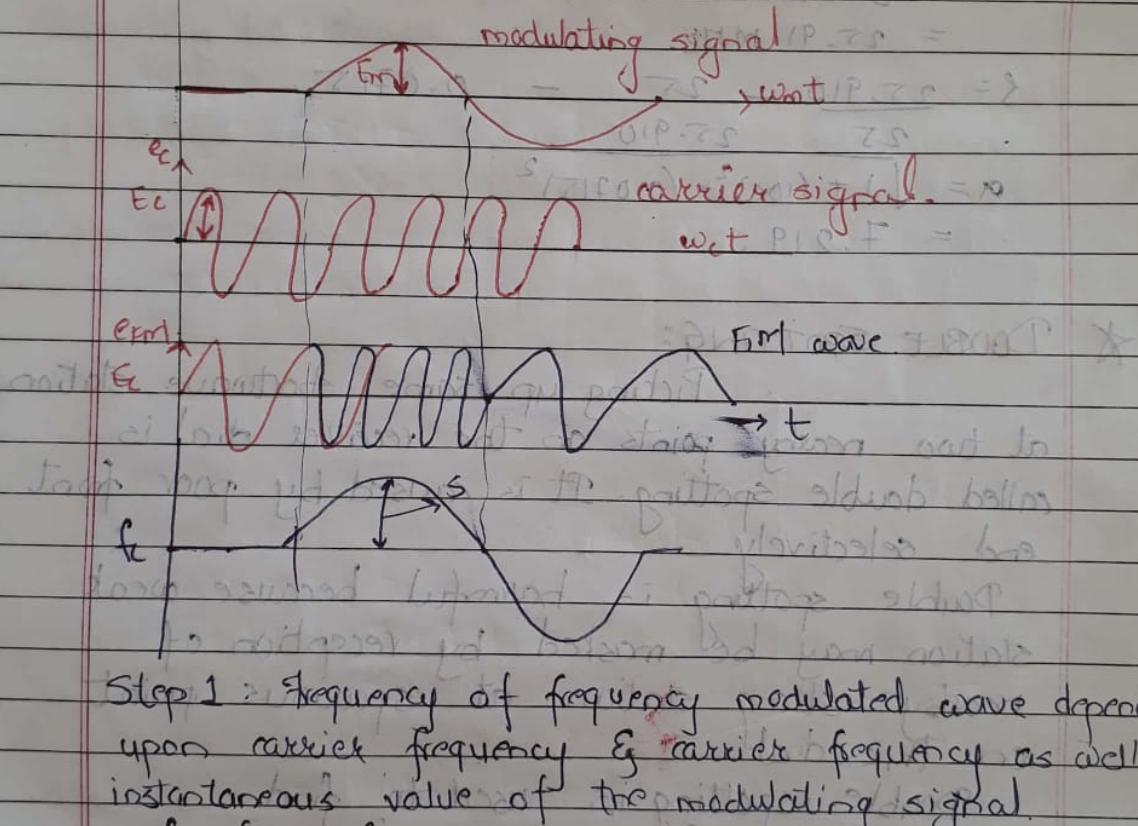
FREQUENCY MODULATION

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The process of changing frequency of the carrier wave with respect to the instantaneous value of the modulating signal keeping amplitude constant.

& Derive equation for EMF or mathematical representation of FM.

EMF



$$f = f_c + k_f E_m$$

$$e_m = E_m \cos \omega_m t$$

$$f = f_c + k_f E_m \cos \omega_m t$$

The second term ($k_f E_m \cos \omega_m t$) is called as deviation and is maximum when $\cos \omega_m t$ is ± 1 . Therefore maximum deviation is $d = k_f E_m$.

$$\omega = \omega_c + k_f E_m \cos \omega_m t \quad (i)$$

Step 2: Instantaneous value of FM wave is given by

$$e_{FM} = E_m \cos [F(\omega_c, \omega_m) t]$$

$$e_{FM} = E_c \cos \theta \quad (ii)$$

$$\text{Step 3: } \frac{d\theta}{dt} = \omega \therefore \theta = \omega_c t - \int (\omega_c + k\omega_c E_m \cos \omega_m t) dt$$

$$= \omega_c t + \int \omega_c dt + k \int \omega_c E_m \cos \omega_m t dt$$

$$= \omega_c t + k \frac{\omega_c E_m \sin \omega_m t}{\omega_m}$$

$$= \omega_c t + k \frac{2\pi f_m c E_m \sin \omega_m t}{2\pi f_m}$$

$$= \omega_c t + k \frac{f_m E_m \sin \omega_m t}{f_m}$$

$$= \omega_c t + m_f \sin \omega_m t \quad (iii)$$

$$\theta = \omega_c t + m_f \sin \omega_m t$$

substituting in (ii)

$$e_{FM} = E_c \cos(\omega_c t + m_f \sin \omega_m t)$$

There is no solution for cos of sine function.

It can be expanded using Bessel's function.

$$e_{FM} = E_c \{ m_f J_0 \sin \omega_m t + m_f J_1 [\sin(\omega_c + \omega_m)t - \sin(\omega_c - \omega_m)t] + \dots \}$$

$$m_f J_2 [\sin(\omega_c + 2\omega_m)t + \sin(\omega_c - 2\omega_m)t] +$$

$$m_f J_3 [\sin(\omega_c + 3\omega_m)t - \sin(\omega_c - 3\omega_m)t] +$$

$$m_f J_4 [\sin(\omega_c + 4\omega_m)t + \sin(\omega_c - 4\omega_m)t] +$$

⋮

Ex. When modulating frequency in F.M is 400Hz & modulating voltage is 2.4V & modulation index is 60. Cal max. deviation. What is modulation index when modulation freq. is reduced to 250Hz & m.v raised to 3.2V

Given:

$$f_m = 400\text{Hz}$$

$$E_m = 2.4\text{V}$$

$$m_{f_1} = 60$$

$$m_{f_2} = ?$$

$$f_m = 250\text{Hz}$$

$$E_m = 3.2\text{V}$$

$$\textcircled{1} \quad \delta = k_{fc} E_m$$

$$\frac{m_{f_1}}{f_m} = \frac{\delta}{E_m} \quad \therefore \delta = m_{f_1} f_m = 60 \times 400 = 24000 \text{ Hz}$$

$$= 240\text{kHz}$$

$$\textcircled{2} \quad 24\text{kHz} = k_{fc} 2.4 \quad \therefore k_{fc} = \frac{24}{2.4} \text{ kHz} = 10 \text{ kHz}$$

$$= 10 \text{ kHz/V}$$

$$m_{f_2} = \frac{\delta}{E_m} = \frac{10 \times 3.2}{250} = 0.128$$

$$= 12.8 \text{ kHz}$$

$$+ [f_{m_1} + f_{m_2}] = 12.8 + 250 = 262.8 \text{ kHz}$$

$$+ [f_{m_1} - f_{m_2}] = 12.8 - 250 = -237.2 \text{ kHz}$$

Q.2. The equation of angle modulated voltage is given by
 $v = 10 \sin(10^3 t + 3 \sin 10^4 t)$

Calculate carrier & modulating frequency, modulation Index, deviation, power dissipated in 10Ω resistor.

\Rightarrow Comparing given eq with standard fm eq,
we get foll. parameters:

$$e_{fm} = E_c \sin(\omega_c t + m_f \sin \omega_m t)$$

$$E_c = 10V, \omega_c = 10^3, m_f = 3, \omega_m = 10^4$$

$$\text{i) } 2\pi f_c = 10^3 \quad 2\pi f_m = 10^4$$

$$f_c = \frac{10^3}{2\pi} \quad f_m = \frac{10^4}{2\pi}$$

$$f_c = 15.91 \text{ MHz} \quad f_m = 1.59 \text{ kHz}$$

i) Modulation Index = $m_f = 3$

iii) Deviation = $\delta = m_f f_m$

$$\delta = 3 \times 1.59 = 4.77 \text{ kHz}$$

iv) Power dissipated = $\frac{E_c^2}{R} = \frac{100}{10} = 10 \text{ W.}$

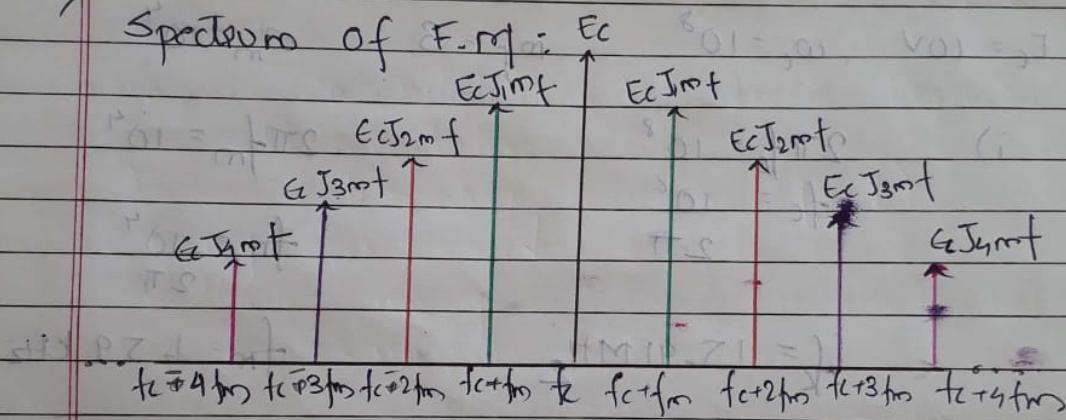
$$\frac{E_c^2}{2R} = \frac{(10)^2}{2 \times 10} = 5$$

CONCLUSION:

1. F.M. wave consists of carrier and infinite no. of side bands.
2. The amplitude of side bands are decreasing in nature.
3. Amplitude of the F.M. wave is constant i.e. E_c .



Spectrum of F.M.:



Bandwidth of F.M. is infinite. Bandwidth can be found out by Carson's rule. Carson rule found out side bands which are having significant amplitude's of the side band and formulated bandwidth as

$$B.W = 2 [\delta + f_m]$$

δ = max. deviation

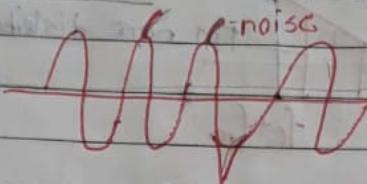
OR

$$B.W = 2n f_m$$

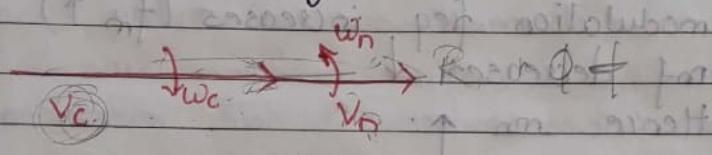
n = no. of side-bands.

NOISE IN FM / NOISE TRIANGLE

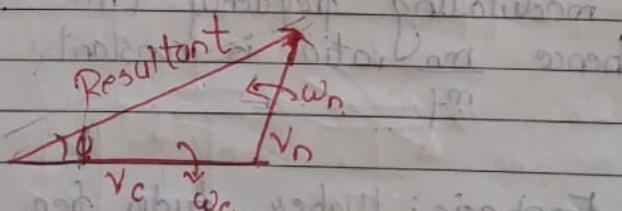
- i When noise changes Amp. per. of fm signal we use limiter circuit to remove these amplitude variations.



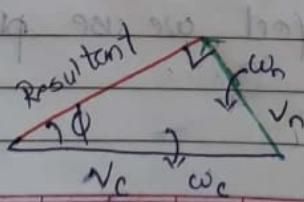
- ii When noise vector superimposes on carrier vector, which is in phase with the carrier produces Amp. change. There is no phase change as shown in vector diagram.

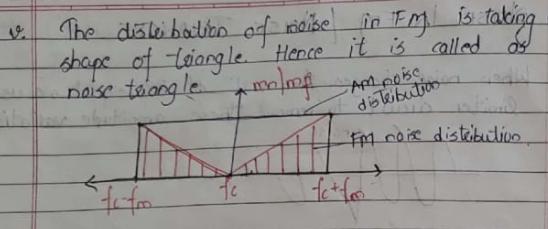


- iii This noise vector rotating with an angular velocity ω_n makes an angle ϕ with resultant. Hence there is a phase change. Hence freq. change also occurs. So we say that noise is present in fm. FM.



- iv. When this noise vector makes an angle 90° with resultant that time phase change is maximum. Hence frequency change is also maximum as shown below:





- vi. m_n is modulation index due to noise which is constant.
- m_f is modulation index due to frequency modulation.
- As modulation freq increases ($f_m \uparrow$)
 m_f decreases ↓
Hence $m_n \uparrow$

Because of this distribution of noise is triangle in FM.

Since modulation index in AM does not depend on modulating frequency ($m = E_m / E_c$)
hence modulation ratio is constant.

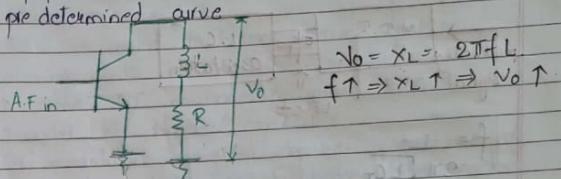
Pre Emphasis: Higher audio freq are having lower amp & low audio freq are having high amp.

Because of this deviation in carrier freq.

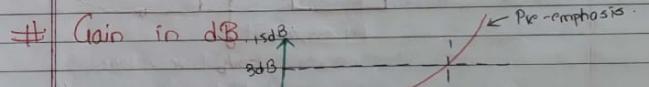
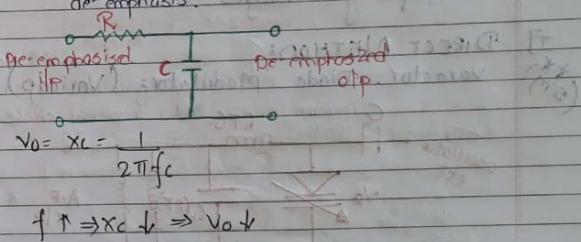
is diff which tends to noise.

To reduce this effect we use pre-emphasis & de-emphasis circuit.

Pre Emphasis: Artificially boosting higher audio frequencies at the transmitter with standard pre-determined curve.



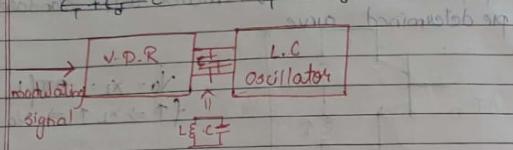
De Emphasis: The artificially boosted signal at the transmitter must be brought to its original value which is known as de-emphasis.
OR
Compensation done at receiver is known as de-emphasis.



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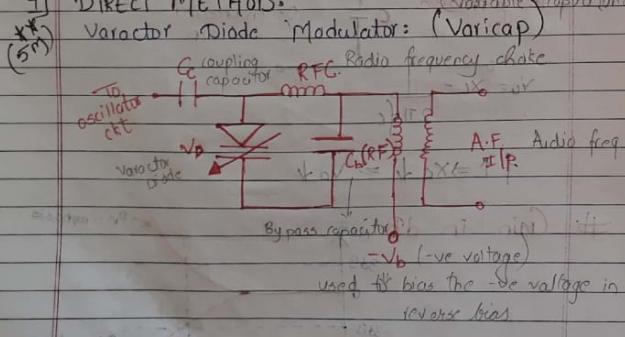
I Principle of FM Generation:



When modulating signal is zero, Reactance of V.D.R. C_VD is ∞ . Hence, it generates carrier freq.

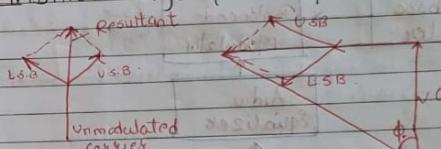
When mod. signal changes, reactance of V.D.R. changes. Hence total reactance changes. \therefore frequency changes.

DIRECT METHOD:

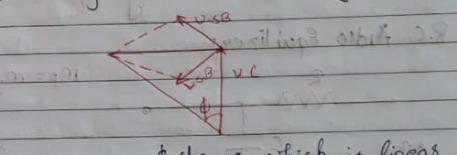


$-V_b$ is used to bias varactor diode in reverse bias condition so that it provides junction capacitance effect. RFC is used to block carrier frequency entering into modulating signal. If some RF manage to pass RFC, they are grounded by bypass capacitor. As modulating signal changes, reactance of varactor diode changes \therefore hence total reactance changes \therefore the frequency changes.

II INDIRECT METHOD of FM Generation:



AM no phase change ϕ change but not linear.



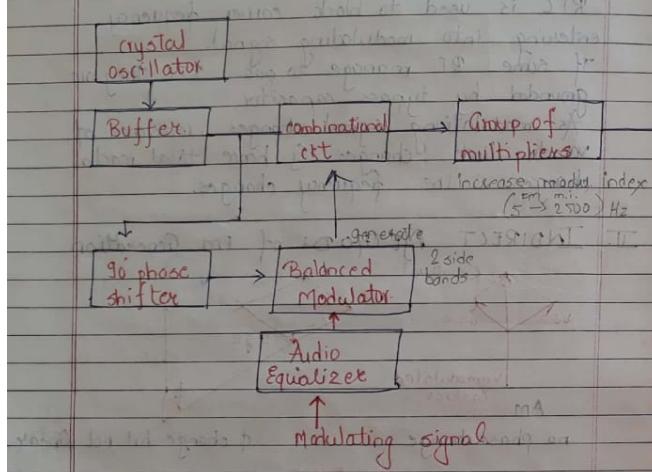
$$e_{fm} = E_c \sin(\omega_c t + m_f \sin \omega_m t) \quad (i)$$

$$m_f = \frac{f}{f_m}$$

$$e_{fm} = E_c \sin(\omega_c t + m_p \sin \omega_m t) \quad (ii)$$

$$m_p \propto f \quad | m_p = m_f |$$

Armstrong Method / Enlarged by Method Of Amplitude Modulator.



R.C. Audio Equalizer:



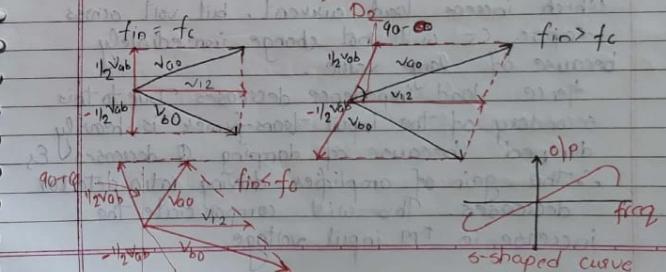
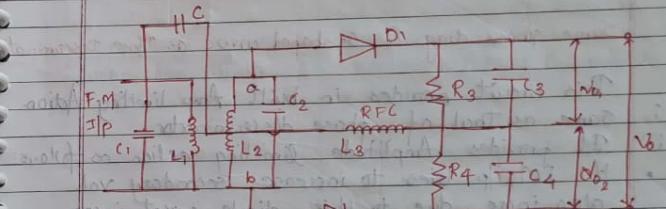
$$m_f = \frac{f}{f_m}$$

(i) $\rightarrow (1_{m_f} + 1_{f_m}) \approx f_m \Rightarrow f_m \uparrow m_f \uparrow$

$$(ii) \rightarrow (1_{m_f} + 1_{f_m}) \approx f_m \Rightarrow 2\pi f_m \uparrow m_f \uparrow$$

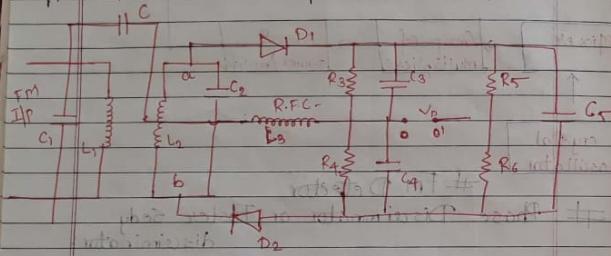
$$f_m = \omega_m$$

FM Detector
Phase Discriminator or Foster Sedy discriminator:



The principle of FM Detector is freq to voltage conversion which results in AM and we use AM detector to get original Modulating signal.

RATIO DETECTOR:



Same phasor diagram as S-shaped curve as Phase Discriminator

- This circuit provides in built Amp limiting Action
 i. same as that of phase discriminator
 ii) It provides Amplitude limiting action as follows:
 • If FM input tries to increase, secondary vol.
 also incres. due to this diode current incres
 which incres load current, but vol across
 capac. C_5 will not change immediately
 because of large value.
 Hence load impedance decreases. Due to this
 secondary of the input - transformer is heavily
 damped because of damping & decreases E_s
 & the gain of amplifier driving ratio detector
 decreases. This will compen. circle the
 increase in FM input voltage.

ADVANTAGES:

- i In built Amplitude limiting
 - 2 Easy to align
 - 3 Linearity is better

Difference between AM and FM.

AM	FM
frequency & phase remains constant.	amp & phase remains same.
poor sound quality	better sound quality
transmit longer distance	higher bandwidth

- freq range of AM radio waves from 535 to 1705 kHz.
 - freq range of FM is 88 to 108 MHz in higher spectrum

- More susceptible to noise.
 - Less susceptible to noise.

~~01/09/2017~~ noise is an un
message signal
signal.
~~ONE NIGHT~~
==== NOISE

If noise produced

Internal: noise generated inside the receiver
External: — " — outside — "

Types Of Internal Noise:

* **Shot Noise:** It is caused by random arrival of carriers (electrons / holes) at the output element of an electronic device such as diode, FET, VBJT. When amplified shot noise sounds similar to metal plates falling on a tin roof.

Shot Noise for diode is given by
 $I_n = \sqrt{2qI_o B}$ I_n = 1 m.s noise current

$$I_n = \sqrt{2g} I_0 B$$

I_D = DC current in device

B = Bandwidth

$$q = \text{Charge } 1.6 \times 10^{-19} \text{ Coulombs.}$$

Transit Time Noise:

Any modulation to a stream of carriers as they pass from IIP to OLP of device produces an irregular random variation. This is called Transit Time Noise. This are excessive at high frequency.

Thermal Noise | white | Johnson |

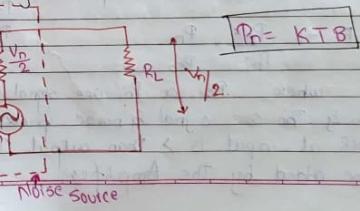
Thermal Agitation Noise:

Rapid and random movement of electrons within conductor due to heat is thermal noise

* **Flicker Noise:** In semiconductor device flicker noise is generated due to fluctuations in the carrier density.

NOISE PARAMETERS:-

1 Noise Voltage:



04/09/2017

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$$P = V^2$$

$$R$$

$$V^2 = PR$$

$$V = \sqrt{PR}$$

$$V_n = \sqrt{KTB.R}$$

Q

$$V_n = \sqrt{4KTBR}$$

T = Temperature

R = Resistance

B = Bandwidth

k = Boltzmann Constant

$$1.38 \times 10^{-23}$$

2) SIGNAL TO NOISE POWER RATIO:

It is a ratio of signal power to the noise power.
 $\frac{S}{N} = \frac{P_s}{P_n}$ and it is always expressed in dB.

$$(S/N)_{dB} = 10 \log \left(\frac{P_s}{P_n} \right) = 10 \log \left(\frac{V_s^2 / R_{in}}{V_n^2 / R_{out}} \right)$$

$$R_{in} = R_{out}$$

$$\therefore (S/N)_{dB} = 10 \log \left(\frac{V_s}{V_n} \right)^2$$

$$(S/N)_{dB} = 20 \log \left(\frac{V_s}{V_n} \right)$$

3) NOISE FACTOR AND NOISE FIGURE:

It is defined in terms of signal to noise ratio at the input & the output of the system.

$$F = \frac{S/N \text{ ratio at input}}{S/N \text{ ratio at O/p}}$$

$$F = \frac{P_s}{P_n} \times \frac{P_{n1}}{P_{n2}}$$

where P_s , P_{n1} & P_{n2} are signal & noise powers at I/p.
 P_{n1} & P_{n2} are signal & noise powers at O/p.
SNR at input is $>$ than output. This is due to the noise added by the Amplifier.

Noise factor is the means to measure the amount of noise added.
The ideal value of noise factor is unity.

NOISE FIGURE: Noise factor expressed in decibels dB is noise figure.

$$10 \log F$$

$$= 10 \log \left[\frac{(S/N) \text{ at I/p}}{(S/N) \text{ at O/p}} \right]$$

N.F. = $10 \log (S/N) - 10 \log (S/N)_0$.
N.F. can be improved by using amplifier in mixer stages that produce low noise.

4) NOISE TEMPERATURE:

It is defined as temperature at which noisy resistor has to be maintained so that by connecting this resistor to the input of noise-less system it will produce the same amount of noise power at the system o/p as that produced by actual system.

5) EQUIVALENT NOISE TEMP. (T_{eq}) AT AMPLIFIER I/p:

The noise at the I/p of the amplifier is given by $P_{n1} = (F-1) k T_0 B$. This noise power can be alternatively represented by

$$k T_{eq} B = (F-1) k T_0 B$$

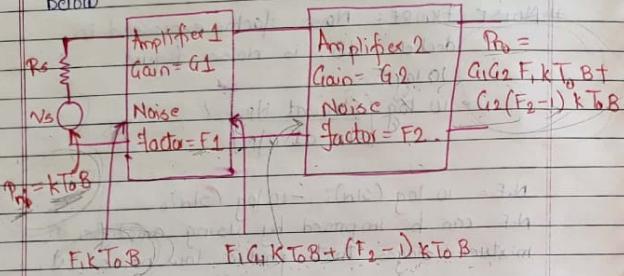
$$\therefore T_{eq} = (F-1) T_0 \quad T_0 = \text{reference temp.}$$

* * * Noise factor of Amplifier in cascade (Friis formula)

NOISE FACTOR OF AMPLIFIER IN CASCADE

(FRIIS FORMULA)

Consider 2: Amp connected in cascade as shown below



The total noise power at the o/p of 1st Amplifier is

$$P_{n1\text{total}} = F_1 kT_o B$$

The total noise power at the o/p of 1st Amplifier will be addition of two terms:

$$\text{Noise i/p to amplifier 2} = F_1 G_1 kT_o B + (F_2 - 1) kT_o B$$

The first term represent the Amplified Noise Power & second term represents Noise Configured by 2nd Amplifier.

The noise power at o/p of 2nd Amplifier is

$$G_2 \times (\text{Noise i/p to amplifier 2})$$

$$= G_2 (F_1 G_1 kT_o B + (F_2 - 1) kT_o B)$$

$$= G_1 G_2 F_1 kT_o B + G_2 (F_2 - 1) kT_o B$$

The overall gain of cascade connection is

$$G = G_1 \times G_2$$

The overall Noise Factor 'F' is defined as

$$F = \frac{P_o}{P_{in}}$$

where P_{in} is Noise Power Supplied by i/p source. ($kT_o B$)

substitute the values of P_o & P_{in} we get F as

$$F = \frac{G_1 G_2 F_1 kT_o B + G_2 (F_2 - 1) kT_o B}{G_1 G_2 kT_o B}$$

$$\therefore F = \frac{F_1 + (F_2 - 1)}{G_1} + \frac{(F_2 - 1)}{G_2} + \dots$$

same logic can be extended for more no. of amplifiers connected in cascade

$$\therefore F = F_1 + (F_2 - 1) + (F_3 - 1) + \dots$$

This is Friis Formula.

Numerical:

An Amplifier operating over freq. range from 18-20 MHz as 10k Ω i/p resistance what is rms voltage at i/p to this Amplifier if temp is 29°.

SOLN:

$$V_p = \sqrt{4 k T B R_o}$$

$$T = 29^\circ C + 273 = 27 + 273 = 300 K$$

$$B = 20 - 18 = 2 \times 10^6 Hz$$

$$R_o = 10 \times 10^3$$

$$k = 1.38 \times 10^{-23} \times 300 \times 2 \times 10^6 \times 10 \times 10^3 = 1.05 \times 10^{-6} = 1.05 \times 10^{-6} = 1.05 \times 10^{-6} = 1.05 \times 10^{-6}$$

(Q) Calculate Noise Voltage at the i/p of RF Amp; using device that has 200Ω equivalent E & 300 pF i/p resistance at temp of 27° C . Bandwidth of 6 MHz

Soln Given

$$R_i = 200 \Omega$$

$$R_o = 800 \Omega$$

$$B = 6 \times 10^6 \text{ Hz}$$

$$T = 17 + 273 \text{ K}$$

$$= 290 \text{ K}$$

$$V_n = \sqrt{4KTBR_o} \\ = \sqrt{4 \times 1.38 \times 10^{-23} \times 290 \times 6 \times 10^6 \times 200}$$

$$V_{n1} = \sqrt{4 \times 1.38 \times 10^{-23} \times 290 \times 6 \times 10^6 \times 300}$$

$$V_n = \sqrt{V_{n1}^2 + V_{n2}^2}$$

$$V_n = 6.93$$

In radio communication, a radio receiver is an electronic device that receives radio waves & converts the information carried by them to a usable form. It is used with an antenna.

The receiver uses electronic signals filters to separate the desired radio freq. signal from all the other signals picked up by the antenna, an electronic amplifier to increase the power of signal for further processing.

2m Q1 Draw basic block diag. of communication.

2 Modulation Demodulation Definition

3 Refine Modulation Index?

4 Define Amp?

5 Need for Modulations.

Refine Noise.

Types of Internal Noise (Noise definition)?

All Noise parameters

Radio Receivers - Definition & types.

Deemphasis & Emphasis

Noise Triangle

(End bandwidth)

Derive eq. of FM & AM. (AM spectrum)

Power Relationship - AM w/c/a.

Freq. Formula

Super heterodyne Receiver

Indirect FM Generation (Armstrong)

Explain different types of AM.

Q A 3 stage Amplifier has the following power gains & noise figure for each stage.

Stage

1

2

3

Power Gain

10

20

30

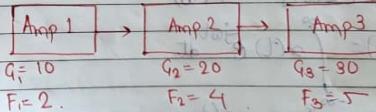
Noise figure

2

4

5

Calculate power gain & noise temperature for entire Amplifier assuming matched condition.



$\begin{bmatrix} t \rightarrow \omega \\ \omega, f \rightarrow X \end{bmatrix}$

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$$G = 8$$

$$F = 8$$

$$T = 8$$

$$\text{i) } G = G_1 \times G_2 \times G_3$$

$$= 10 \times 20 \times 30$$

$$\text{Gain} = 6,000.$$

ii) Noise figure:

$$F = F_1 + F_2 - 1 + F_3 - 1 \quad (\text{using Friis formula})$$

$$G_1 = G_2 = G_3$$

$$F = 2 + 4 - 1 + \frac{5 - 1}{10 \times 20}$$

$$= 2.32$$

$$\text{Noise figure (in dB)} = 10 \log 2.32$$

$$= 8.655 \text{ dB}$$

$$\text{iii) } T_{eq} = T_o(F-1)$$

$$T_o = 27^\circ + 27.3 \text{ K}$$

$$= 300 \text{ K}$$

$$T_{eq} = 300(2.32 - 1)$$

$$= 396 \text{ K. in dB}$$

FOURIER TRANSFORM:

$$x(t) \xleftrightarrow{\text{F.T.}} X(f) \Rightarrow x(\omega)$$

$$\text{F.T.}[x(t)] = X(\omega)$$

$$X(\omega) = \int_{-\infty}^{\infty} x(t) e^{-j\omega t} dt$$

$$X(f) = \int_{-\infty}^{\infty} x(t) e^{-j2\pi ft} dt$$

Inverse fourier transform:

$$x(\omega) \xleftarrow{\text{IFT}} \alpha(f)$$

$$\text{IFT}[x(\omega)] = \alpha(f)$$

$$x(t) = \frac{1}{2\pi} \int_{-\infty}^{\infty} x(\omega) e^{j\omega t} d\omega$$

CONDITIONS:

- (1) Function $x(t)$ should be single valued in any finite time interval.
- (2) It should have finite no. of discontinuities.
- (3) Function $x(t)$ should have finite no. of maxima and minima.
- (4) $x(t)$ should be absolutely integrable function.

PROPERTIES:

(i) Time Shifting:

If $x(t)$ & $X(f)$ form fourier transform pair then $x(t-t_d) \xleftrightarrow{\text{F.T.}} e^{-j2\pi f t_d} X(f)$.

Proof:

$$\text{F.T.}[x(t-t_d)] = \int_{-\infty}^{\infty} x(t-t_d) e^{-j2\pi f t} dt$$

$$\text{put } t-t_d = \tau \quad \text{dt} = d\tau$$

$$\text{F.T.}[x(t-t_d)] = \int_{-\infty}^{\infty} x(\tau) e^{-j2\pi f(\tau+t_d)} d\tau$$

$$= \int_{-\infty}^{\infty} x(\tau) e^{-j2\pi f \tau} e^{-j2\pi f t_d} d\tau$$

$$\text{F.T.}[x(t-t_d)] = e^{-j2\pi f t_d} \int_{-\infty}^{\infty} x(\tau) e^{-j2\pi f \tau} d\tau$$

$$= e^{-j2\pi f t_d} X(f)$$

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ii) Frequency Shifting:

If $x(t)$ & $X(f)$ form Fourier transform pair
Then $e^{j2\pi f_0 t} x(t) \xleftrightarrow{\text{FT}} X(f-f_0)$

$$\begin{aligned}\xrightarrow{\text{F.T.}} \text{F.T.}[e^{j2\pi f_0 t} x(t)] &= \int_{-\infty}^{\infty} x(t) e^{j2\pi f_0 t} e^{-j2\pi f t} dt \\ &= \int_{-\infty}^{\infty} x(t) e^{-j2\pi(f-f_0)t} dt.\end{aligned}$$

$= X(f-f_0)$

iii) Convolution in Time Domain.

$$[x_1(t) * x_2(t)] \xleftrightarrow{\text{F.T.}} X_1(f)X_2(f)$$

$$x_1(t) * x_2(t) = \int_{-\infty}^{\infty} x_1(\lambda)x_2(t-\lambda) d\lambda.$$

Proof:

$$\text{F.T.}[x_1(t) * x_2(t)] = \int_{-\infty}^{\infty} [\int_{-\infty}^{\infty} x_1(\lambda)x_2(t-\lambda) d\lambda] e^{-j2\pi ft} dt.$$

Multiply & divide R.H.S by $e^{j2\pi f t}$

$$\text{F.T.}[x_1(t) * x_2(t)] = \int_{-\infty}^{\infty} [\int_{-\infty}^{\infty} x_1(\lambda)x_2(t-\lambda) d\lambda] e^{j2\pi f t} e^{-j2\pi f t} dt.$$

$$= \int_{-\infty}^{\infty} [\int_{-\infty}^{\infty} x_1(\lambda)x_2(t-\lambda) d\lambda] e^{j2\pi f t} dt e^{-j2\pi f t}.$$

$$= \int_{-\infty}^{\infty} x_1(\lambda) e^{-j2\pi f t} d\lambda \cdot \int_{-\infty}^{\infty} x_2(t-\lambda) e^{j2\pi f(t-\lambda)} dt$$

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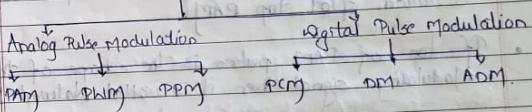
$$\begin{aligned}\text{put } (-\lambda) = m \\ = \int_{-\infty}^{\infty} x_1(\lambda) e^{j2\pi f \lambda} d\lambda \int_{-\infty}^{\infty} x_2(m) e^{-j2\pi f m} dm.\end{aligned}$$

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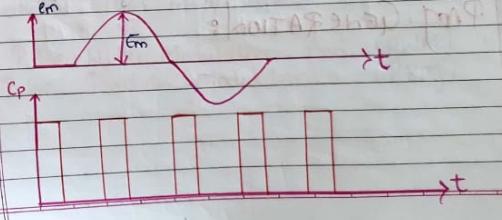
PULSE MODULATION II

Instead of using continuous carrier for modulation we use discontinuous train of pulses as carrier. Hence this type of modulation is called Pulse modulation.

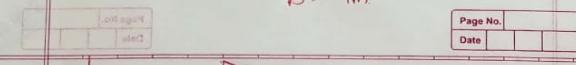
Pulse Modulation



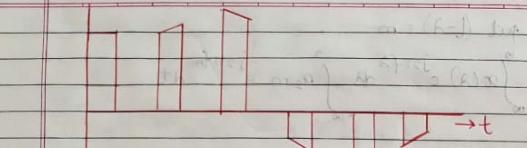
1) Pulse Amplitude Modulation: The process of changing amplitude of the high frequency carrier train pulse w.r.t instantaneous value of modulating signal keeping width & position constant is called PAM.



$f_b > 2f_m$



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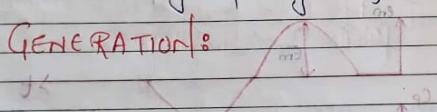


amplitude variation with time corresponding to binary for horizontal
modulation. If the amplitude variation is constant for one half of the period then
horizontal resolution for right side will be better than left side.
interlacing results.

Types of PAM:

- If the top of the PAM pulse are flat then it is called flat top PAM.
- If top of PAM pulses is the shape of the modulating signal then it is called Natural PAM.
- If PAM polarities are alternate +ve & -ve then it is called double polarity PAM.
- If PAM is having either +ve or -ve polarity then it is called single polarity PAM.

PAM GENERATION:



Variation pulse.

Modulation signal

PAM wave shaping network

Natural PAM Flat type PAM

LPF PAM (low pass filter)

Modulating signal Demod.

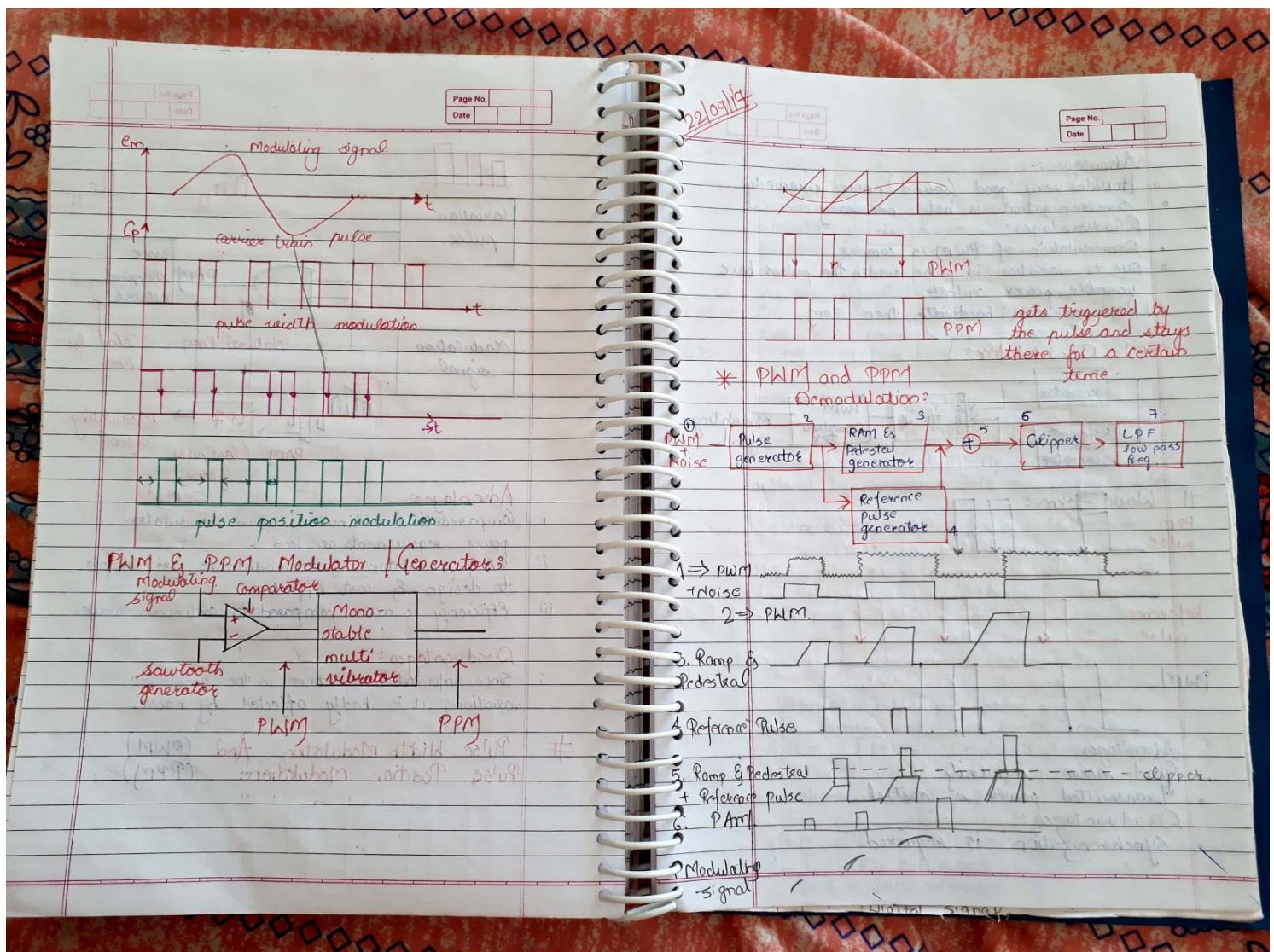
Advantages:

- Compared to continuous wave modulation power requirements are less.
- PAM modulators & de-modulators are simple to design & cost effective.
- Efficiency is more compared to continuous wave.

Disadvantages:

Since information is there in the amplitude variation it is badly affected by noise.

Pulse Width Modulation And (PWM)
Pulse Position Modulation. (PPM)



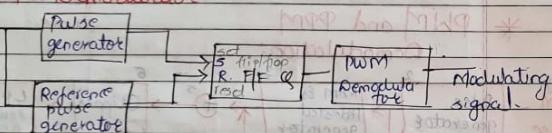
Advantages:

- Provides very good (sound) noise immunity
- Synchronization is not necessary

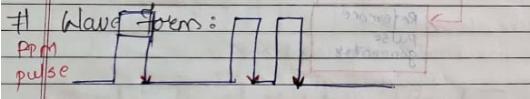
Disadvantages:

- Demodulation of PPM is complex.
- Due to variation in pulse width the pulses have variable power contents
- Requires more bandwidth than PAM.

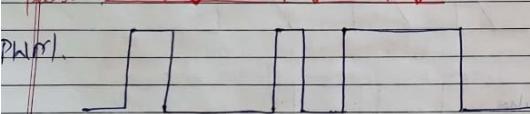
PPM Demodulator:



PPM Waveforms:



PWM:



Advantages:

- Good noise immunity
- At transmitted power is constant.

Disadvantages:

- Synchronization is required.

VIMP:

State & Proof sampling Theorem:

Def \Rightarrow A continuous time signal may be completely represented in its samples and recovered back if sampling frequency is $f_s \geq 2f_m$, where f_s = sampling frequency, f_m = maximum freq present in the signal.

Proof \Rightarrow Let us consider continuous time signal $x(t)$. Let $X(w)$ represents it Fourier Transform.



$$X(w) = 0 \text{ for } |w| > w_m$$

Sampling of $x(t)$ at a rate f_s $\geq f_m$ may be achieved by multiplying $x(t)$ by impulse train $\delta_{T_s}(t)$

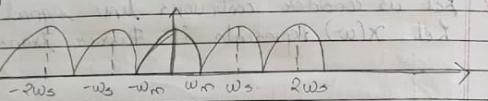
$$\begin{aligned} x(t) &\rightarrow \text{Multiplexer} \xrightarrow{\delta_{T_s}(t)} g(t) \\ g(t) &= x(t) \delta_{T_s}(t) = x(t) \sum_{n=-\infty}^{\infty} \delta(t - nT_s) \\ g(t) &= \sum_{n=-\infty}^{\infty} x(nT_s) \delta(t - nT_s) \quad (\text{Impulse of } \delta_{T_s}(t) \text{ is a periodic signal}) \\ &\therefore \text{Its Fourier series is written as:} \\ \delta_{T_s}(t) &= \frac{1}{T_s} [1 + 2\cos\omega_0 t + 2\cos 2\omega_0 t + 2\cos 3\omega_0 t + \dots] \\ &\text{where } \omega_0 = \frac{2\pi}{T_s} = 2\pi f_s. \quad f_s \text{ is called Nyquist frequency.} \\ g(t) &= x(t) \cdot \delta_{T_s}(t) = x(t) \left[\frac{1}{T_s} [1 + 2\cos\omega_0 t + 2\cos 2\omega_0 t + 2\cos 3\omega_0 t + \dots] \right] \\ &= \frac{1}{T_s} [x(t) + 2x(t)\cos\omega_0 t + 2x(t)\cos 2\omega_0 t + \dots] \end{aligned}$$

Taking Fourier transform of $g(t)$

$$G(\omega) = \frac{1}{T_s} [x(\omega) + x(\omega - \omega_s) + x(\omega + \omega_s) + x(\omega - 2\omega_s) \\ + x(\omega + 2\omega_s) + x(\omega - 3\omega_s) + x(\omega + 3\omega_s) \dots]$$

$$G_f(\omega) = \frac{1}{T_s} \sum_{n=-\infty}^{\infty} x(\omega - n\omega_s)$$

Spectrum ($G_f(\omega)$):



Step 1: To reconstruct $x(t)$ from $g(t)$ we must able to recover $x(\omega)$ from $G(\omega)$. This is possible if there is no overlap been successive cycle of $G(\omega)$.

$$f_s > 2f_m \quad f_s = 1/T_s \quad \Rightarrow T_s < 1/f_s$$

$$f_s > 2f_m$$

As long as $f_s \leq 2f_m$, $G(\omega)$ will consist of non-overlapping representation of $X(\omega)$. This is true for above figure. Then $X(t)$ can be recovered from $g(t)$ by passing the samples signal $g(t)$ through ideal low pass filter of $f_m/2$.

Nyquist Rate: The minimum sampling rate is called Nyquist i.e. $f_s = 2f_m$. $T_s = 1/f_s$ is called Nyquist interval.

Anti aliasing filter: If signal $x(t)$ is not band limited or if $f_s < 2f_m$ then an error, called aliasing or fold over error is observed.

The phenomenon of high frequency in the spectrum of the original $x(t)$. taking on the identity of the lower frequency in the sampled signal.

Effect of Aliasing: Some information contains in the original signal is lost in the process of sampling.

DIGITAL COMMUNICATION

* Advantages:

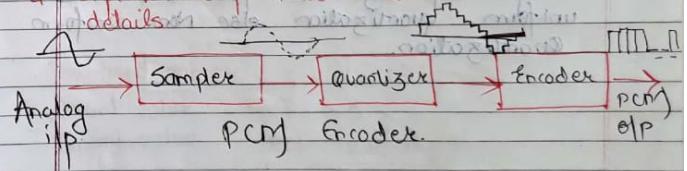
- i. Very high noise immunity.
- ii. Coding is possible, therefore we can transmit or send secret information.
- iii. High quality reception.
- iv. Repeaters are very easy to build for digital inputs.
- v. Mathematical operations are easy to perform.

* Disadvantages:

- i. Larger Bandwidth requires.
- ii. Design of Analog to Digital converters.
- iii. Circuits are complex.

PULSE CODE MODULATION:- PCM.

Q. Explain PCM encoder & decoder in details.

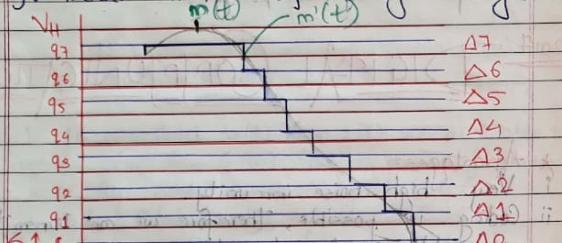


Sample ex:

- i. Write everything about PCM module & sampling theorem.

ii. Quantizer:

Quantization is a process of approximation.
It reduces the no. of bits by reducing samples.



Quantization is a process of approximation.

a) Rounding off of binary numbers around zero.

b) Truncation of binary numbers around zero.

- i. Uniform Quantization
ii. Non-Uniform Quantization.

If step size are equal then it is uniform quantization else Non-Uniform Quantization.

In the above fig., Δ_0 to Δ_7 are 8 levels in bet' those levels we have chosen 8 quantization level q_1 to q_8 .

$$\text{The step size is } (S) = \frac{V_H - V_L}{8}$$

$m(t)$ is Analog input & $m'(t)$ is quantized output

Quantization Error:

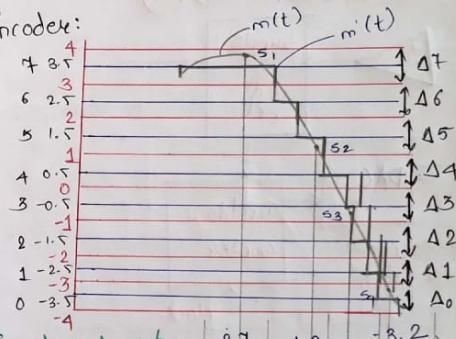
The difference b/w original signal & quantized signal is called quantization error.

To reduce quantization error we increase no. of steps.

$$\text{Mean square quantization error} = \frac{S^2}{12}$$

$$q_e = m(t) - m'(t)$$

iii) Encoder:



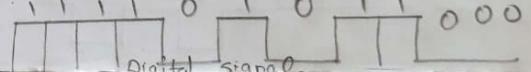
Exact value of sample. 3.7 1.2 -3.2
 -0.7

Quantized sample

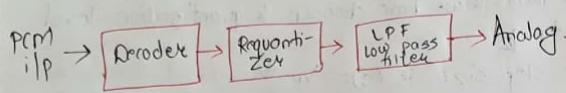
Decimal value 3.5 1.5 -0.5 -3.5

Binary value

111 101 011 000



PCM Decoders:



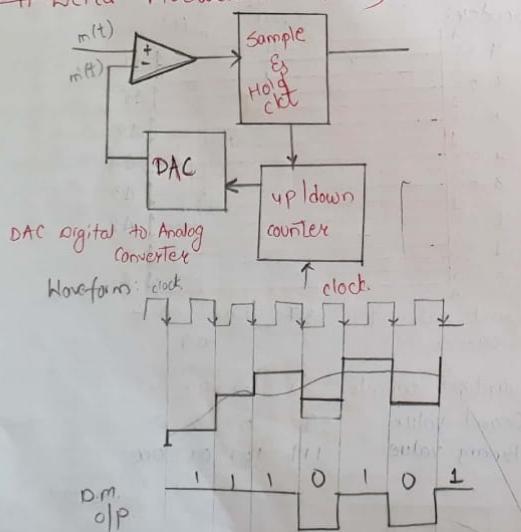
Advantage: \Rightarrow Same as Digital Circuit.
Disadvantage

Application:

- i) Telephone (Fibre Optics)
- ii) Satellite
- iii) Military applications

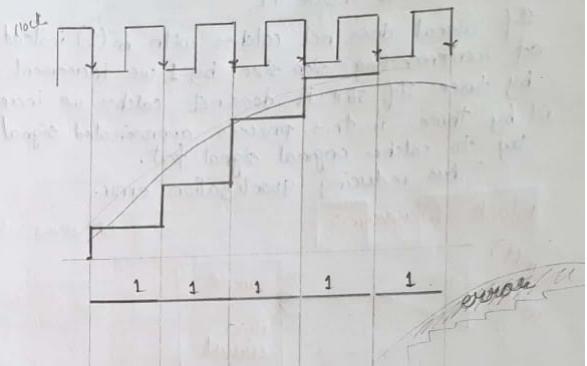
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Delta Modulation: (DM)

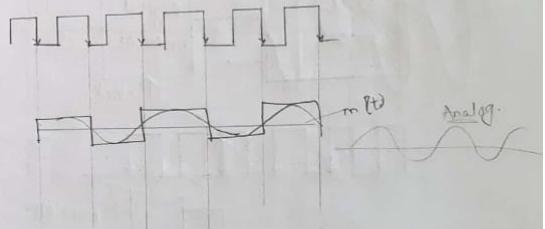


Drawbacks of DM:

- i) Slope overload error: The signal which are having high slope delta modulated op try to catch up leading to high quantization error.



- 2) Hunting error or Trailing error:

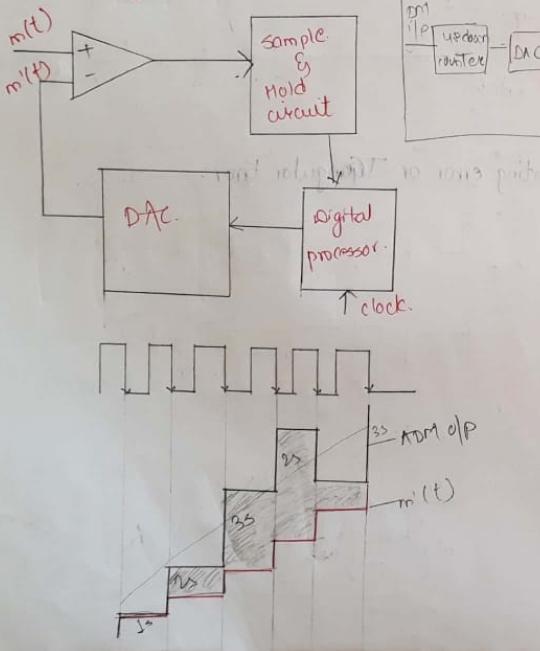


Adaptive PM (ADM)

The problems of DM are overcome by ADM where we are replacing updown counter by highly intelligent digital processor which is having accumulator inside it.

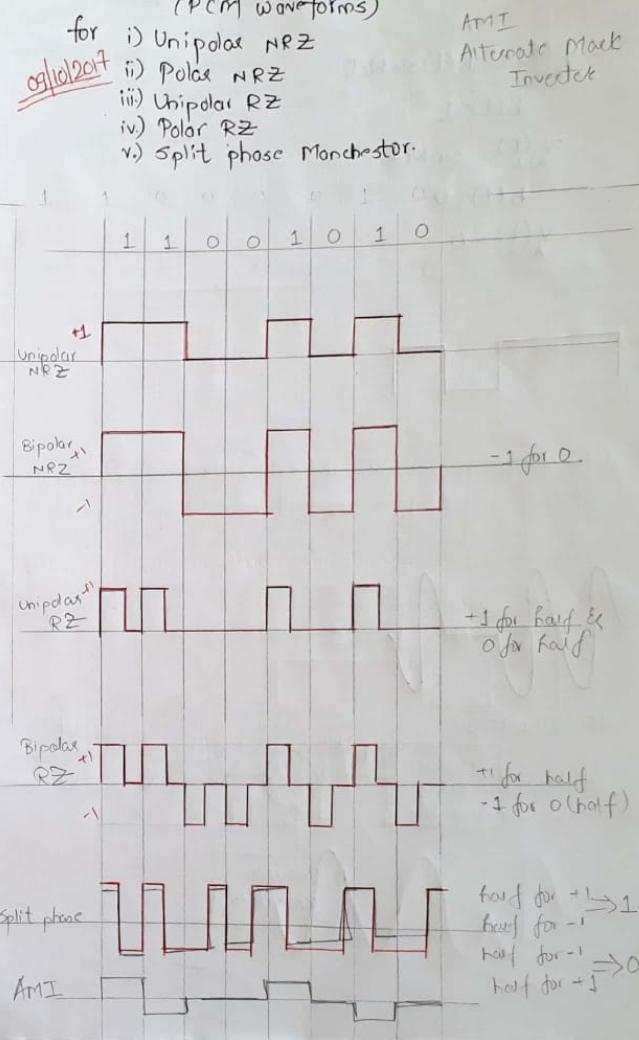
If signal does not catch with $m'(t)$ instead of incrementing step size by 1 we increment it by twice. If still it does not catch we increment it by three in this process approximated signal try to catch original signal fast. Thus reducing quantization error.

Block Diagram:



Q) For the given signal draw the line coarse codes (PCM waveforms)

- for
 i) Unipolar NRZ
 ii) Polar NRZ
 iii) Unipolar RZ
 iv) Polar RZ
 v) Split phase Manchester.



AMPLITUDE SHIFT KEYING (ASK)

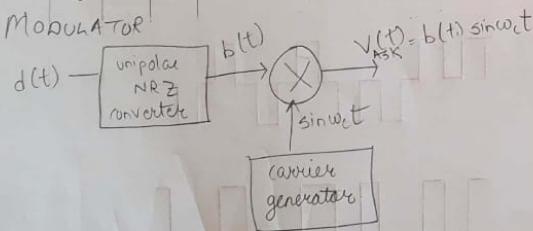
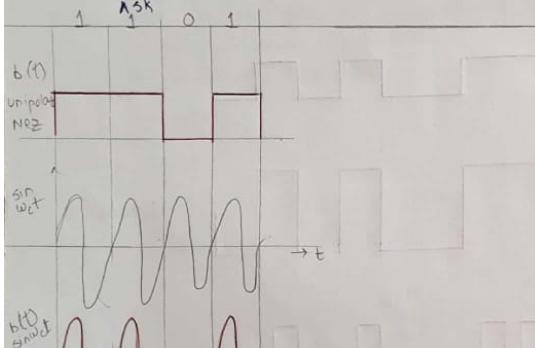
$$V_{\text{ASK}}(t) = b(t) \sin \omega_c t$$

$$b(t) = 1$$

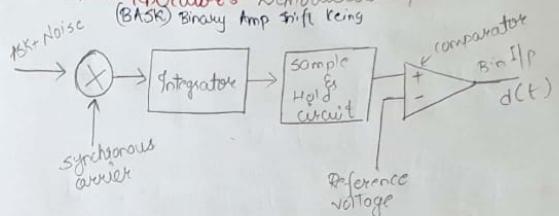
$$V_{\text{ASK}}(t) = \sin \omega_c t$$

$$b(t) = 0$$

$$V_{\text{ASK}}(t) = 0.$$



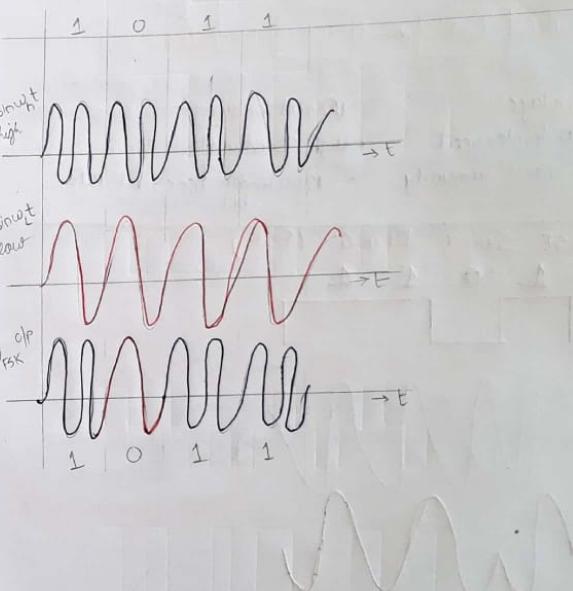
ASK Generator :- Demodulator / Decoder / Receiver
(BASK) Binary Amp Shift Keying

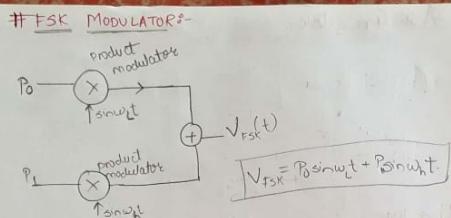


*Advantage:
1) ASK is simple.

*Drawback:
• sensitive to noise.

Frequency Shift Keying

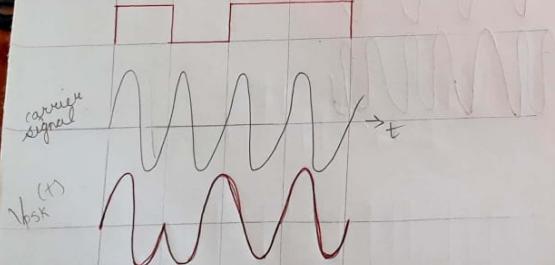




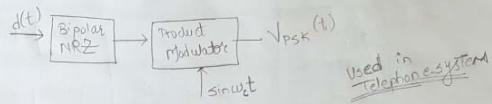
- * Advantage:
 - Easy To Implement
 - Better Noise Immunity
- * Disadvantage:
 - High Bandwidth
 - 1200 width/sec (bit rate)

PHASE SHIFT KEYING (PSK)

1 0 1 1



PSK MODULATOR



DEMODULATOR = SAME AS BASK

- * Advantage
 - Bandwidth is less than FSK
 - Best performance in presence of noise.
- * Disadvantage
 - Generator & detector not easy
 - 800 bit/sec.

MULTIPLEXING TECHNIQUE

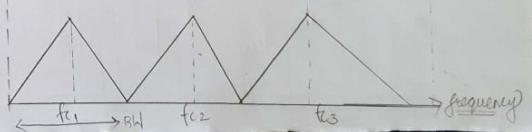
- Multiplexing is a process of transmitting more than 1 signal over a single communication channel.
- Due to multiplexing it is possible to increase no. of communication channels so that more information can be transmitted.
- Multiplexing is used in telephone, satellite, radio & telemetry.

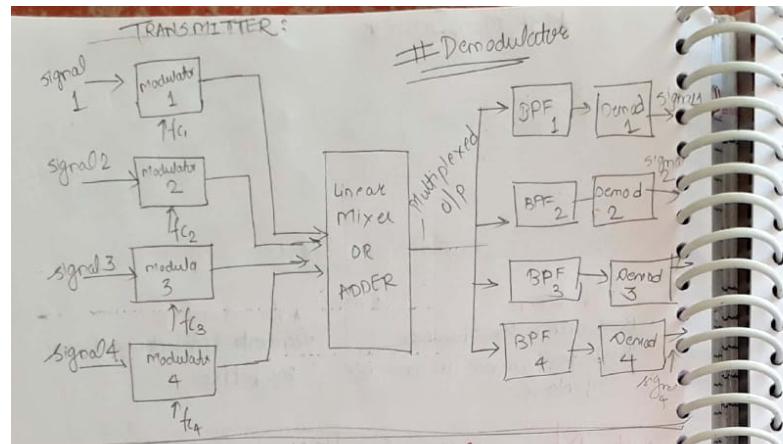
Types of Multiplexing:

FREQUENCY DIVISION MULTIPLEXING:

FDM is a process of transmitting many signals to each signal occupying different frequency slot within common bandwidth.

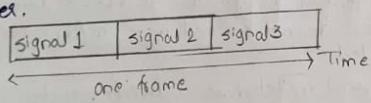
Spectrum of FDM:



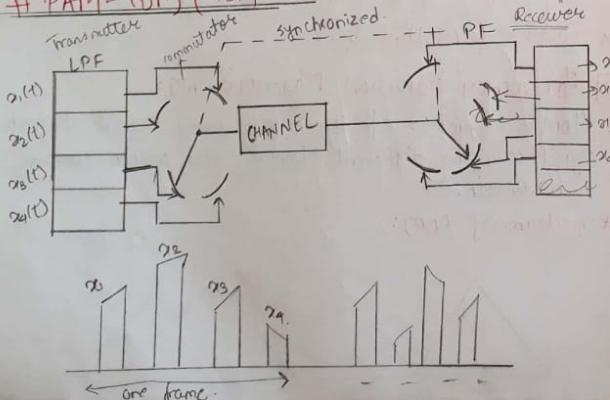


II] TIME DIVISION MULTIPLEXING:

In TDM each signal occupy entire Bandwidth & after sometime the entire BW is used by the other user.



PAM-TDM (TDM Transmitter Receiver)



*Advantages:

- Full Bandwidth is utilized for each channel.
- Circuit is simple.
- Crosstalk is not there. There is no intermodulation.

*Disadvantages:

- Synchronization is essential.

Difference betn FDM & TDM.

FDM	TDM
• The signals which are to be multiplexed are added in Time Domain but occupy different slots in frequency domains.	• The signals to be multiplexed can occupy entire Bandwidth but they are isolated with Time Domains
• FDM is used for analog signals	• TDM is used for digital signals.
• Synchronization is not required.	• Synchronization is required.
• Circuit of FDM is complex	• Circuit of TDM is simple.
• Crosstalk is severe	• Crosstalk is not that severe

UT II

- * FM Demodulator
(Ratio Detector)
- * Delta Modulation
 - Drawbacks
 - Overcome
- * PAM | PPM Modul & DeModul.
- * Sampling Theorem for LPFS.
- * Diff b/w PAM, PPM & PPM
- * PCM transmitter, receiver.
- 2m * What is quantization?
 - quantiz error
 - sampling thm - statement
 - Nyquist criteria
 - PAM, PPM, PPM - waveform
 - Slope overload - waveform - (crosses)
 - PAM Modulation & Demodulation.