

Tables

Q1) Difference between Prim's Algorithm and Kruskal's Algorithm.

Factor	Prim's Algorithm	Kruskal's Algorithm
Approach	Grows MST from one starting node	Selects smallest edges globally
Data Structure	Uses Min-Heap / Priority Queue	Uses Union-Find
Best For	Dense graphs	Sparse graphs
Starting Point	Needs a start vertex	No start needed
Cycle Handling	Cycles don't occur naturally	Uses Union-Find to avoid cycles
Edge Choice	Chooses cheapest edge from current tree	Chooses cheapest edge overall
Working Style	Node-based	Edge-based
Complexity	$O(E \log V)$	$O(E \log V)$
MST Formation	Tree grows continuously	Components merge gradually

Q2) Difference between greedy approach and dynamic programming.

Factor	Greedy Approach	Dynamic Programming
Strategy	Makes the locally optimal choice at each step	Solves subproblems and combines results for global optimum
Optimality	May not always give the global optimum	Always gives global optimum if problem has overlapping subproblems & optimal substructure
Overlapping Subproblems	Not required	Required

Factor	Greedy Approach	Dynamic Programming
Backtracking	No backtracking	May require backtracking for reconstruction
Example	Kruskal's and Prim's algorithm	Matrix Chain Multiplication, Floyd-Warshall
Complexity	Usually faster and simpler	More complex , but accurate

Q3) Difference between naïve string matching and Rabin Karp.

Factor	Naïve String Matching	Rabin-Karp Algorithm
Approach	Compares pattern at every position	Uses hashing to compare pattern with text substrings
Time Complexity (Average)	O(nm)	O(n + m) average
Time Complexity (Worst)	O(nm)	O(nm) (due to hash collisions)
Efficiency	Less efficient for large texts	More efficient for multiple pattern matching
Use of Hash	Not used	Used for quick comparison
Example Use	Simple search in small data	Searching multiple patterns or plagiarism detection

Q4) Differentiate between NP-Hard and NP-complete problem.

Factor	NP-Hard	NP-Complete
Definition	Problems at least as hard as NP problems	Problems that are both in NP and NP-Hard

Factor	NP-Hard	NP-Complete
Verification	May not be verifiable in polynomial time	Can be verified in polynomial time
Solution	Not required to have polynomial-time verifier	Has polynomial-time verifier
Relation	Superset of NP-Complete	Subset of NP-Hard
Example	Halting Problem	Traveling Salesman, 3-SAT
Solvability	May not be solvable at all	Solvable , but not in polynomial time (so far)