

Blockchain

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General:

- [Bitcoin: A Peer-to-Peer Electronic Cash System](#)
- [SoK: Research Perspectives and Challenges for Bitcoin and Cryptocurrencies](#)

Consensus:

- The Bitcoin Backbone Protocol: Analysis and Applications.
- Bitcoin Backbone Protocol with Chains of Variable Difficulty.
- Analysis of the Blockchain Protocol in Asynchronous Networks. On Trees, Chains and Fast Transactions in the Blockchain.

Tentative research areas/projects

Cryptography:

- On Bitcoin as a public randomness source.
- Distributed Cryptography Based on the Proofs of Work.
- Scalable, transparent, and post-quantum secure computational integrity

Block generation parameters:

- Bootstrapping the Blockchain - Directly.
- Speed-Security Tradeoffs in Blockchain Protocols.
- "GHOST": Secure High-Rate Transaction Processing in Bitcoin.
- "PHANTOM": A Scalable BlockDAG protocol.
- Inclusive Block Chain Protocols.
- On the Security and Performance of Proof of Work Blockchains.

Tentative research areas/projects

Tentative research areas/projects

Network:

- The Bitcoin P2P network.
- Empirical Analysis of Denial-of-Service Attacks in the Bitcoin Ecosystem.
- Eclipse Attacks on Bitcoin's Peer-to-Peer Network. Hijacking Bitcoin: Routing Attacks on Cryptocurrencies.

Smart Contracts:

- "Ethereum": A next-generation smart contract and decentralized application platform.
- Fair Two-Party Computations via Bitcoin Deposits.
- Step by Step Towards Creating a Safe Smart Contract: Lessons and Insights from a Cryptocurrency Lab.
- EthIKS: Using Ethereum to audit a CONIKS key transparency log.

Tentative research areas/projects

Stake:

- Ouroboros: A provably secure proof-of-stake blockchain protocol

- ALGORAND: The Efficient and Democratic Ledger
- "ByzCoin": Enhancing Bitcoin Security and Performance with Strong Consistency via Collective Signing.
- Cryptocurrencies without Proof of Work

Attack:

- "Selfish Mining": Majority Is Not Enough: Bitcoin Mining Is Vulnerable
- Theoretical Bitcoin Attacks with less than Half of the Computational Power
- Optimal Selfish Mining Strategies in Bitcoin
- Refund attacks on Bitcoin's Payment Protocol
- Low-Resource Eclipse Attacks on Ethereum's Peer-to-Peer Network

Tentative research areas/projects

Proof of work:

- "Proof-of-work": Pricing via processing or combatting junk mail
- Hashcash - A Denial of Service Counter-Measure
- Cuckoo Cycle: a memory bound graph-theoretic proof-of-work
- PieceWork: Generalized Outsourcing Control for Proofs of Work

Applications:

- Blockstack Technical Whitepaper
- Storj A Peer-to-Peer Cloud Storage Network
- IPFS - Content Addressed, Versioned, P2P File System

Books/ Marks Distribution

Books:

- Bitcoin and Cryptocurrency Technologies (Arvind Narayanan, Princeton University) [book online link](#)
 - Mastering Bitcoin 2nd Ed(Andreas M. Antonopoulos) [book online link](#)
- Course Marks Distribution (Tentative):**

Midterm Exam	20%
Quizzes	15%
Assignments/Project(Phases)	30%
Final Exam	35%

Lecture 1

Intro to Crypto and Cryptocurrencies

Slide Credit: Joseph Bonneau (team), Princeton University, US

This lecture

Crypto background

hash functions

digital signatures

... and applications

Intro to cryptocurrencies

basic digital cash

Lecture 1.1: Cryptographic

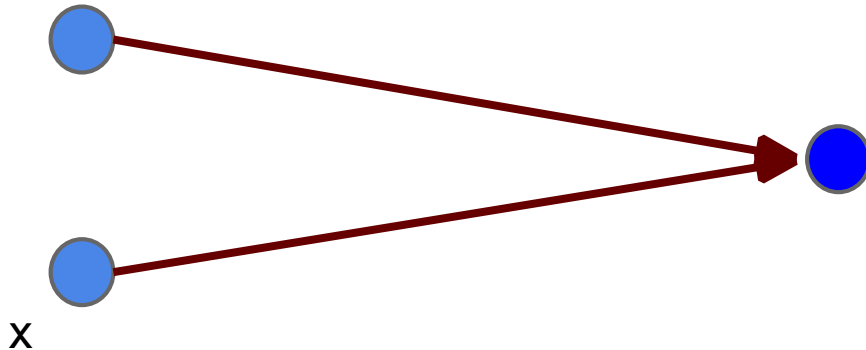
Hash Functions Hash

function:

takes any string as input fixed-
size output (we'll use 256 bits)
efficiently computable Security
properties: collision-free hiding
puzzle-friendly

Hash property 1: Collision-free

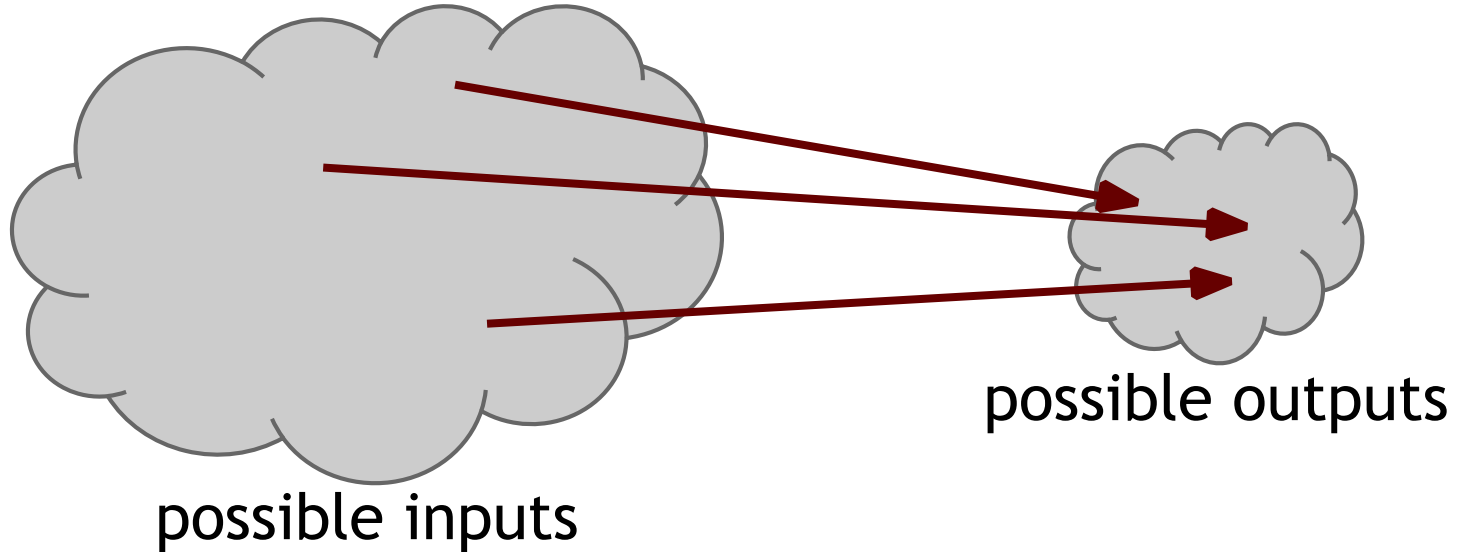
Nobody can find x and y such that
 $x \neq y$ and $H(x)=H(y)$



$$H(x) = H(y)$$

y

Collisions do exist ...



... but can anyone find them?

How to find a collision

try 2^{130} randomly chosen inputs

99.8% chance that two of them will collide

This works no matter what H is ...

... but it takes too long to matter

Is there a faster way to find collisions?

For some possible H 's, yes.

For others, we don't know of one.

No H has been proven collision-free.

Application: Hash as message digest

If we know $H(x) = H(y)$, it's safe
to assume that $x = y$.

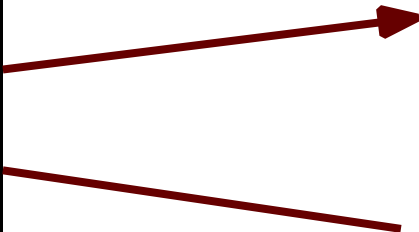
To recognize a file that we saw before,
just remember its hash.

Useful because the hash is small.

Hash property 2: Hiding

We want something like this:

Given $H(x)$, it is infeasible to find x .



easy to find x !

$H(\text{“heads”})$

$H(\text{"tails"})$

Hash property 2: Hiding

Hiding property:

If r is chosen from a probability distribution that has *high min-entropy*, then given $H(r \parallel x)$, it is infeasible to find x .

High min-entropy means that the distribution is “very spread out”, so that no particular value is chosen with more than negligible probability.

Application: Commitment

Want to “seal a value in an envelope”, and
“open the envelope” later.

Commit to a value, reveal it later.

Commitment API

$(com, key) := \text{commit}(msg)$

$match := \text{verify}(com, key, msg)$

To seal msg in envelope:

$(com, key) := \text{commit}(msg)$ -- then publish com

To open envelope: publish key, msg

anyone can use $\text{verify}()$ to check validity

Commitment API

$(com, key) := \text{commit}(msg)$

$match := \text{verify}(com, key, msg)$

Security properties:

Hiding: Given com , infeasible to find msg .

Binding: Infeasible to find $msg \neq msg'$ such that
 $\text{verify}(\text{commit}(msg), msg') == \text{true}$

Commitment API

$\text{commit}(msg) := (H(key \mid msg), H(key))$ where key is a random 256-bit value

$\text{verify}(com, key, msg) := (H(key \mid msg) == com)$

Security properties:

Hiding: Given $H(key \mid msg)$, infeasible to find msg .

Binding: Infeasible to find $msg \neq msg'$ such that
 $H(key \mid msg) == H(key \mid msg')$

Hash property 3: Puzzle-friendly

Puzzle-friendly:

For every possible output value y , if k is chosen from a distribution with high min-entropy, then it is infeasible to find x such that $H(k \parallel x) = y$.

K or Id : puzzle id has to be random, otherwise some one could precompute and cheat. Y as a set. Problem is easy.
 Y exact, problem maximally hard.

Application: Search puzzle

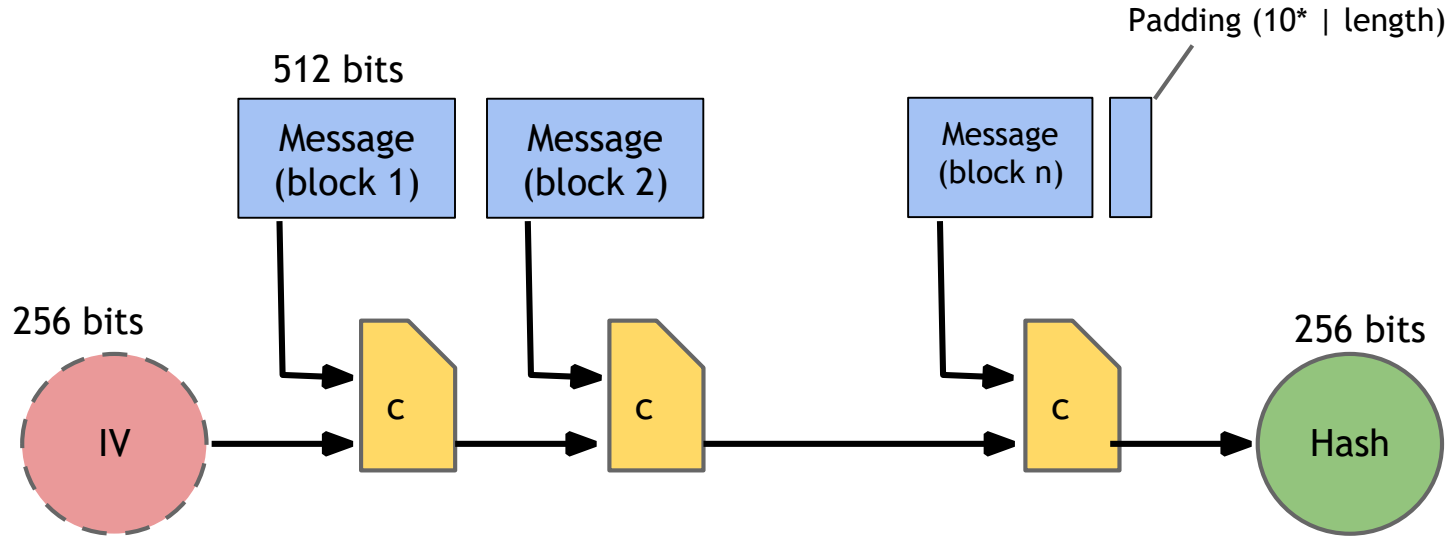
Given a “puzzle ID” id (from high min-entropy distrib.),
and a target set Y :

Try to find a “solution” x such that

$$H(id \mid x) \in Y.$$

Puzzle-friendly property implies that no solving strategy is
much better than trying random values of x .

SHA-256 hash function



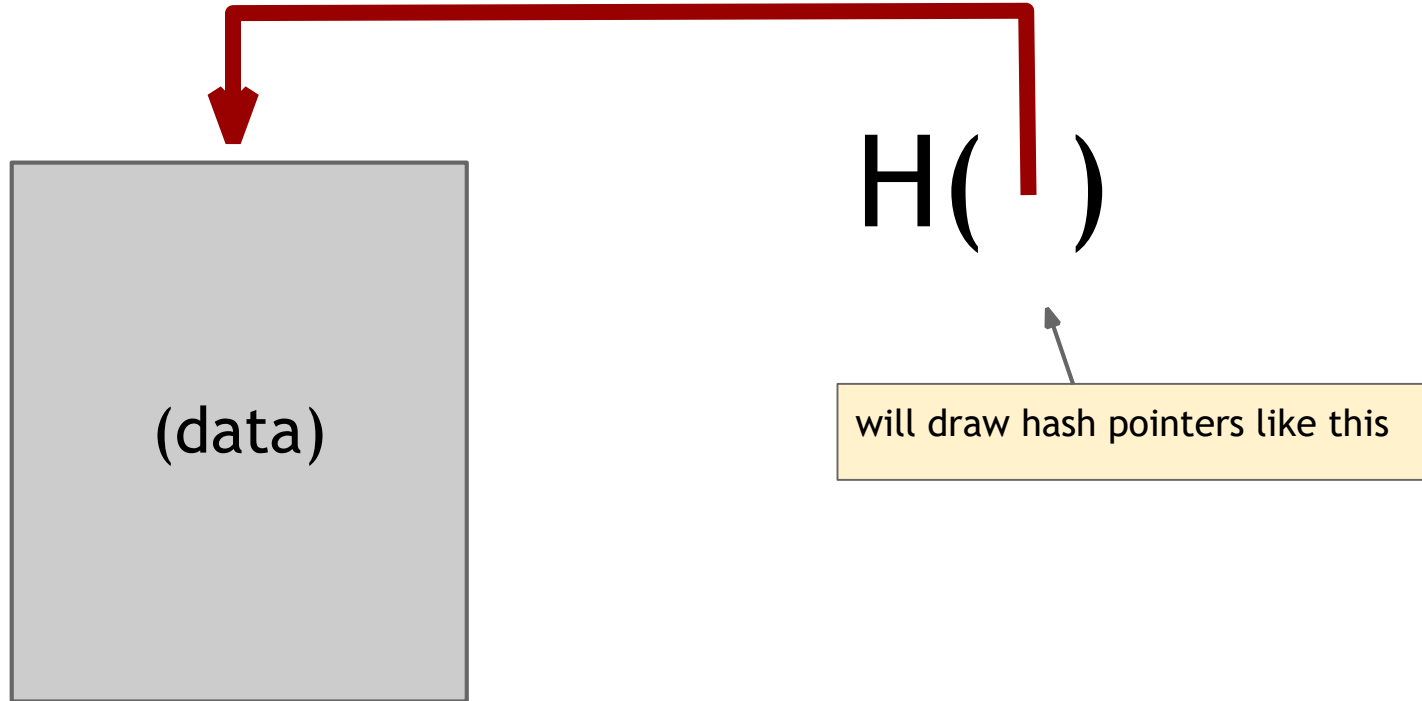
Theorem: If c is collision-free, then SHA-256 is collision-free.

Lecture 1.2: Hash Pointers and

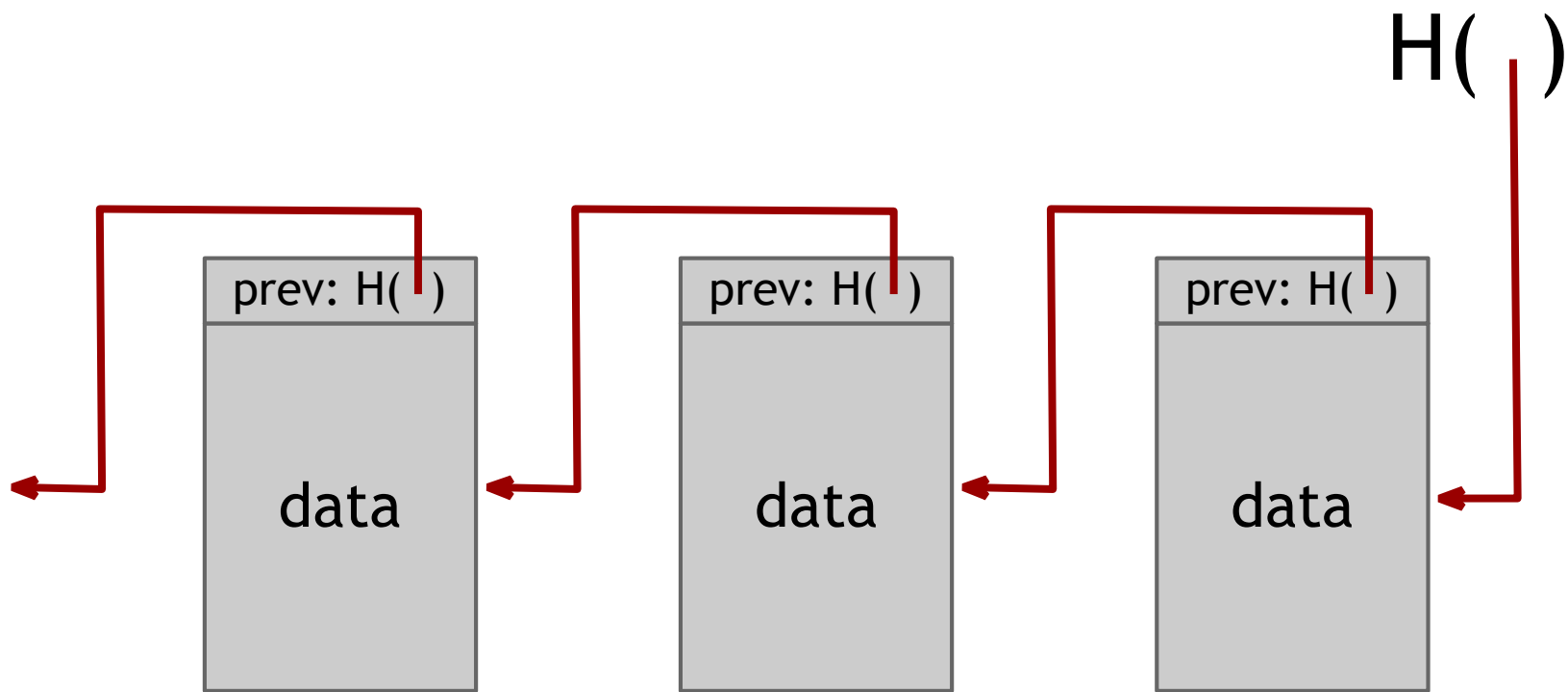
Data Structures hash pointer is:

- * pointer to where some info is stored, and
- * (cryptographic) hash of the info if we have a hash pointer, we can
 - * ask to get the info back, and

* verify that it hasn't changed (compare with ordinary pointer)



key idea:



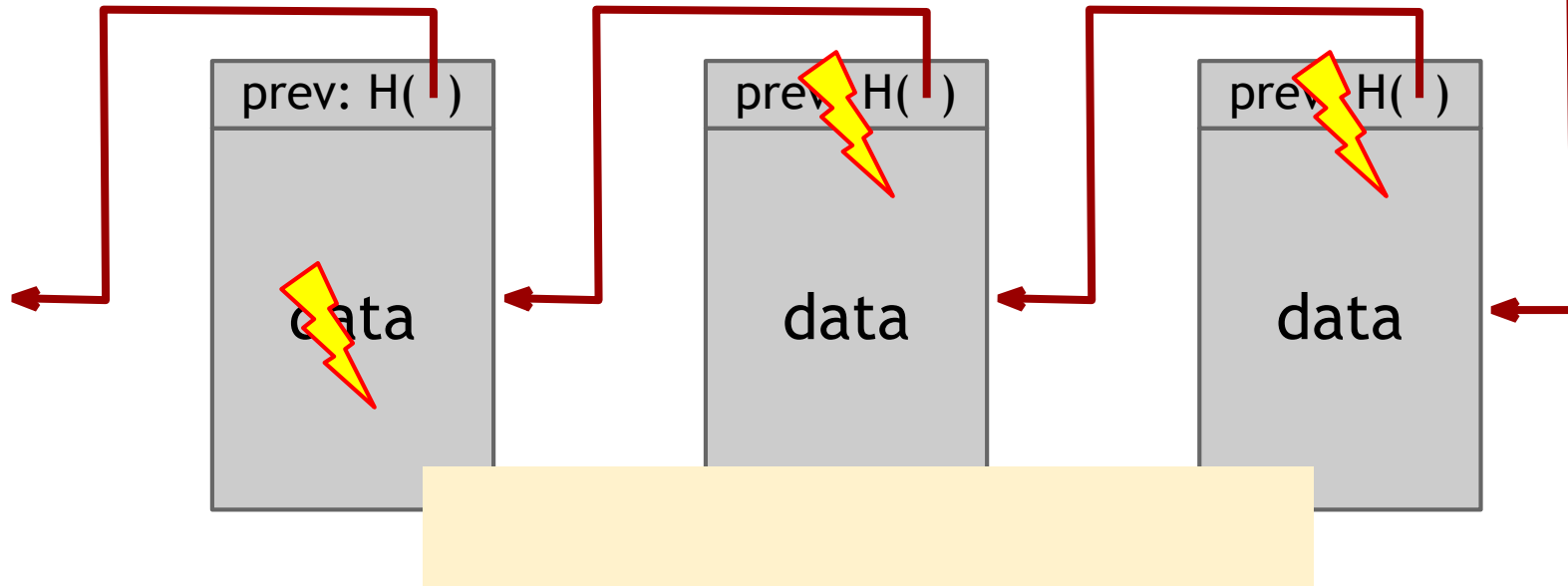
use case: tamper-evident log

linked list with hash pointers = “block chain”

detecting tampering

Tamper Kth block, k+1's hashpointer value would mismatch.
Adversary can keep on attacking each block until it reaches
head's hashpointer. Genesis block -- the first block in list

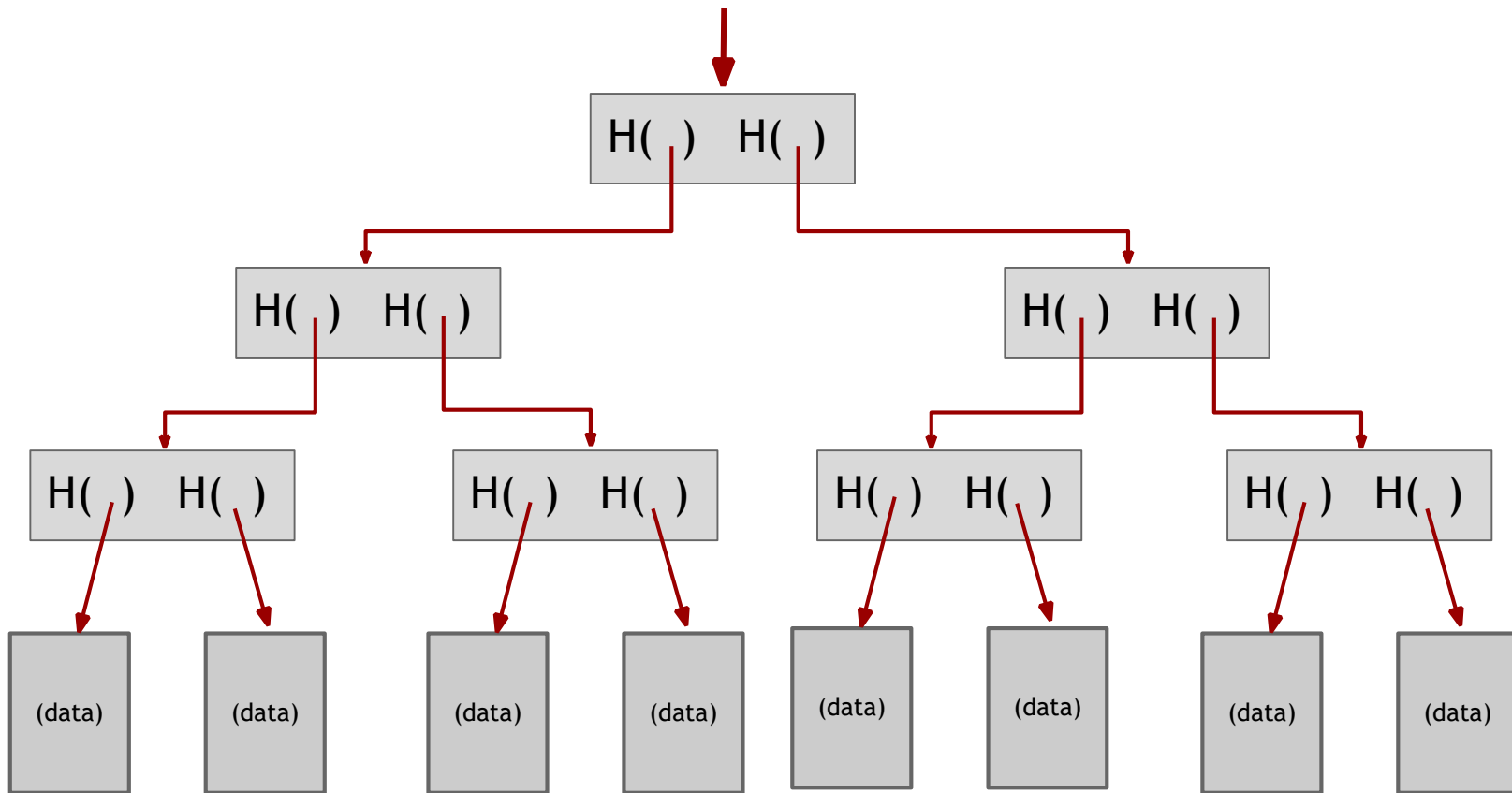
$H()$



case: tamper-evident log

Just remember the last hashpointer to detect tampering

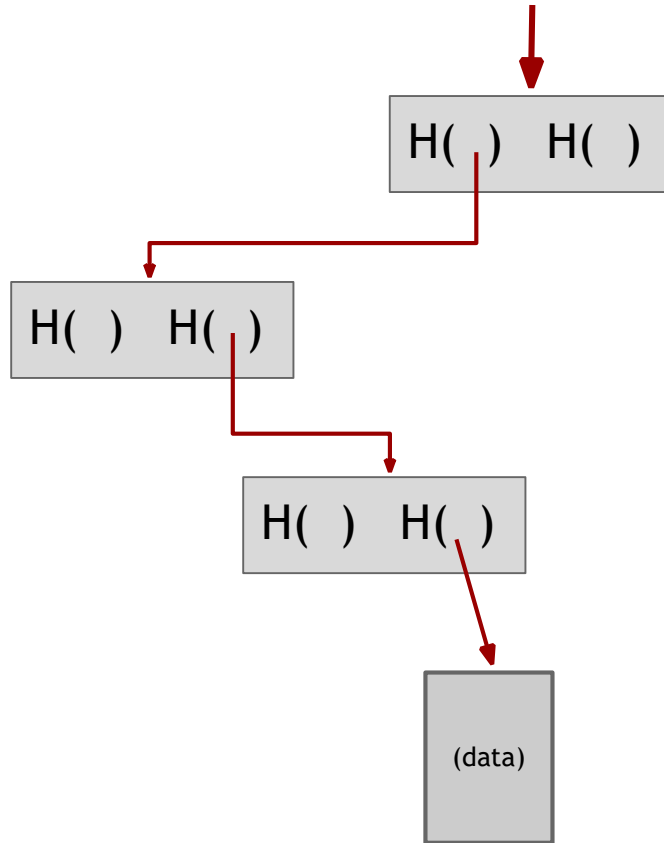
binary tree with hash pointers = “Merkle tree”



proving membership in a
Merkle tree

show $O(\log n)$ items

Ignore rest of the tree. Logn
items in logn time to verify.



Advantages of Merkle trees

Tree holds many items but just need to remember the root hash

Can verify membership in $O(\log n)$ time/space

Variant: sorted Merkle tree can verify non-membership in $O(\log n)$

(show items before, after the missing one)

More generally ...

can use hash pointers in any pointer-based
data structure that has no cycles

Lecture 1.3:

Digital Signatures

What we want from signatures

Only you can sign, but anyone can verify

Signature is tied to a particular document
can't be cut-and-pasted to another doc

API for digital signatures

$(sk, pk) := \text{generateKeys}(\text{keysize})$

sk: secret signing key

pk: public verification key

$\text{sig} := \text{sign}(sk, \text{message})$ $\text{isValid} :=$

$\text{verify}(pk, \text{message}, \text{sig})$

algorithms

Requirements for signatures

“valid signatures verify”

`verify(pk, message, sign(sk, message)) == true`

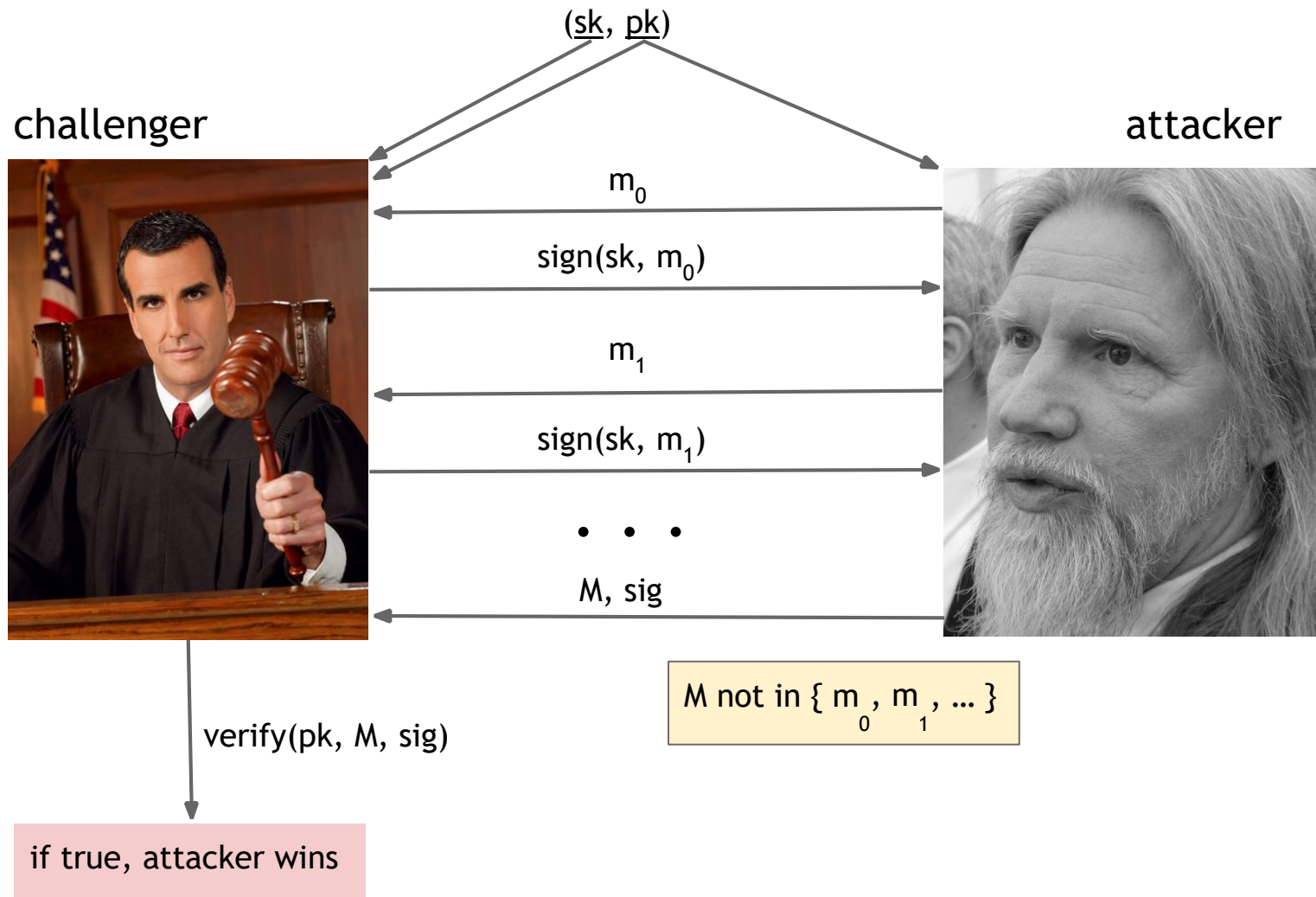
“can’t forge signatures”

adversary who:

knows pk

gets to see signatures on messages of his choice can’t

produce a verifiable signature on another message



Practical stuff...

algorithms are randomized need
good source of randomness

limit on message size fix: use Hash(message)
rather than message

fun trick: sign a hash pointer signature
“covers” the whole structure Bitcoin
uses ECDSA standard

Elliptic Curve Digital Signature Algorithm

relies on hairy math

will skip the details here --- look it up if you care

good randomness is essential foul this up
in `generateKeys()` or `sign()` ?

probably leaked your private key



GAME
OVER

Lecture 1.4: Public

Keys as Identities

Useful trick: public key

== an identity

if you see sig such that $verify(pk, msg, sig) == true$,
think of it as pk says, “[msg]”.

to “speak for” pk , you must know matching secret key sk

How to make a new identity

create a new, random key-pair (sk, pk)

pk is the public “name” you can use

[usually better to use $Hash(pk)$]

sk lets you “speak for” the identity

you control the identity, because only you know sk if pk
“looks random”, nobody needs to know who you are

Decentralized identity management

anybody can make a new identity at any time

make as many as you want! no central point

of coordination

These identities are called “addresses” in Bitcoin.

Privacy

Addresses not directly connected to real-world identity.

But observer can link together an address's activity over time, make inferences.

Later: a whole lecture on privacy in Bitcoin ...

Lecture 1.5: Simple Cryptocurrencies



GoofyCoin

Goofy can create new coins

signed by pk_{Goofy}

CreateCoin [uniqueCoinID]

New coins belong to me.



A coin's owner can spend it.

signed by pk_{Goofy}
Pay to $pk_{\text{Alice}} : H()$



signed by pk_{Goofy}
CreateCoin [uniqueCoinID]

Alice owns it now.



The recipient can pass on the coin again.

signed by pk_{Alice}
Pay to $pk_{\text{Bob}} : H()$



signed by pk_{Goofy}
Pay to $pk_{\text{Alice}} : H()$

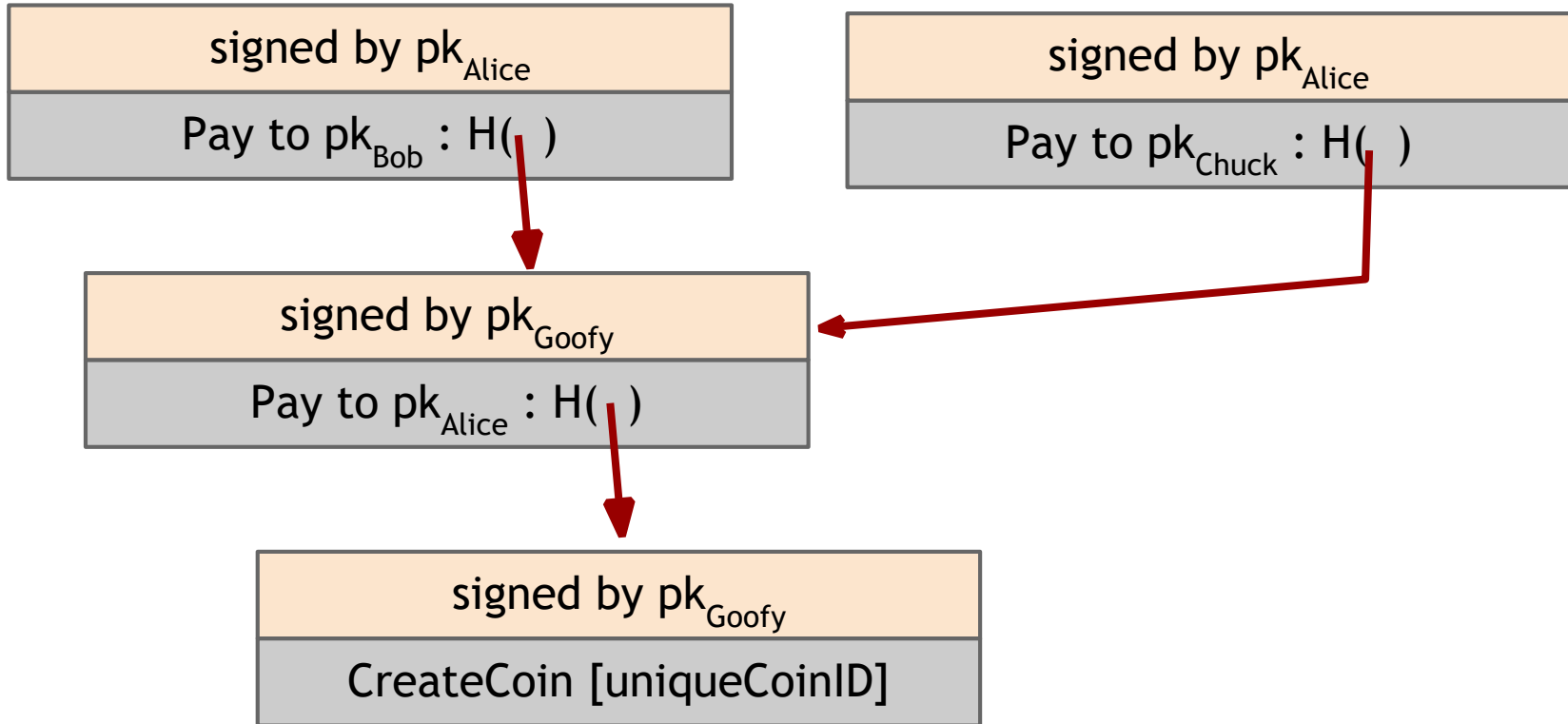


signed by pk_{Goofy}
CreateCoin [uniqueCoinID]

Bob owns it now.



double-spending attack



double-spending attack

the main design challenge in digital currency

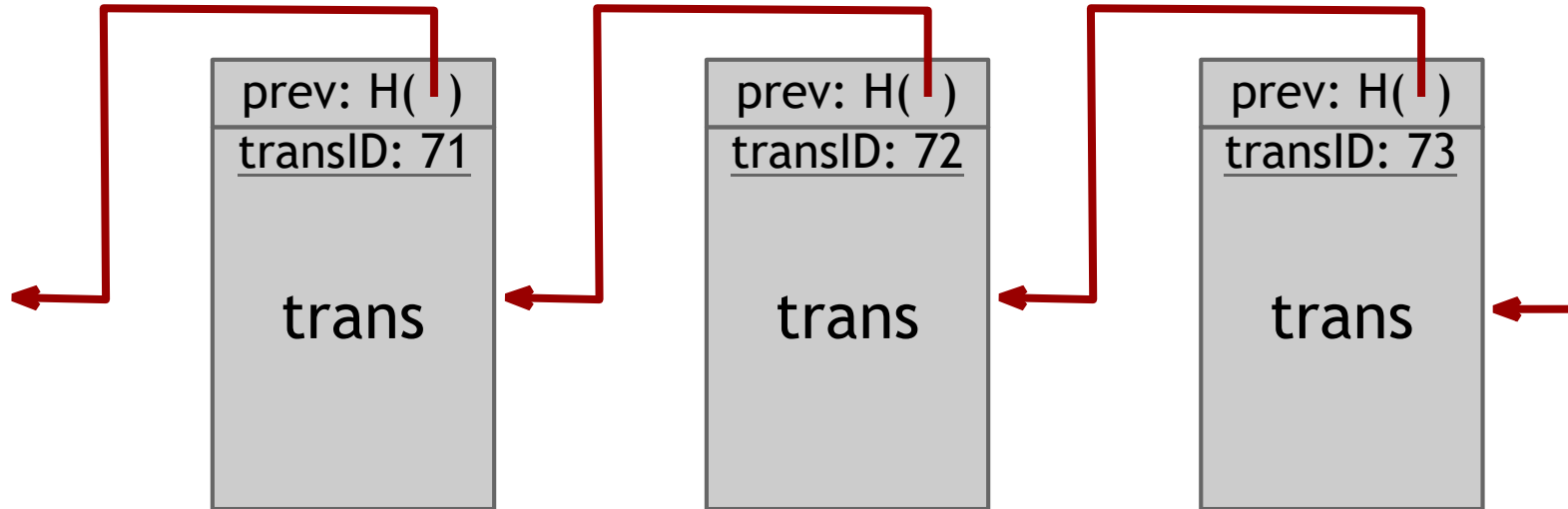


ScroogeCoin

Scrooge publishes a history of all transactions
(a block chain, signed by Scrooge)



H()



optimization: put multiple transactions in the same block

CreateCoins transaction creates new coins

transID: 73 type:CreateCoins		
coins created		
<i>num</i>	<i>value</i>	<i>recipient</i>
0	3.2	0x...
1	1.4	0x...
2	7.1	0x...

← coinID 73(0)

← coinID 73(1)

← coinID 73(2)

Valid, because I said so.



PayCoins transaction consumes (and destroys) some coins,
and creates new coins of the same total value

transID: 73 type:PayCoins		
consumed coinIDs: 68(1), 42(0), 72(3)		
coins created		
<i>num</i>	<i>value</i>	<i>recipient</i>
0	3.2	0x...
1	1.4	0x...
2	7.1	0x...
signatures		

Valid if:

- consumed coins valid,
- not already consumed,
- total value out = total value in, and
- signed by owners of all consumed coins

Immutable coins

Coins can't be transferred, subdivided, or combined.

But: you can get the same effect by using transactions
to subdivide: create new trans consume your coin
pay out two new coins to yourself

Don't worry, I'm h



Crucial question:

Can we descroogify the currency,
and operate without any central,
trusted party?

Tentative learning Opportunities

- What is blockchain ?

- What are cryptocurrencies ?
- How bitcoin is developed ?
- How you can mine yourself ?
- Who to develop your own cryptocurrency ?
- How you can develop decentralized apps(Dapps) ?
- Writing smart contracts
- Research