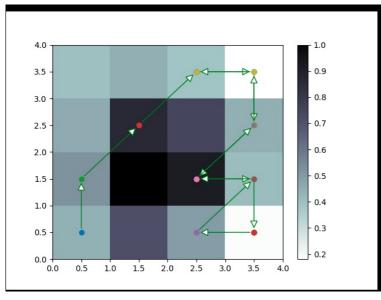
AE/VAE-SOM

Goal for the project:

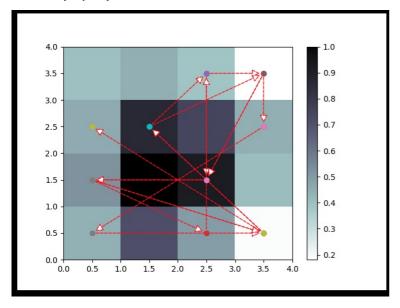
- 1. Latent space exploration of SOM.
- 2. Representation learning of AE/VAE/GAN.
- 3. Anomaly detection for time-serials data.
 - o 1) Spatial anomaly detection.
 - o 2) Temporal anomaly detection.
 - o 3) Generalization and robustness of the Algorithms.
- 4. Quantization of uncertainty.
 - 1) Spatial uncertainty.
 - o 2) Temporal uncertainty.

Updated May 27th:

• Common Trajectory:



• Faulty Trajectory:



To do list after May 27th update:

- 1. Investigate correlation between the common input vs. faulty input
- 2. How to process the biodirectional arrow in the Common trajectroy?
- 3. How to down sample the z_e ?
- 4. Markov Model

Updated June 4th:

- Fixed up the Markov Chain. Need to be validated.
 - Note: The Markov Chain is not the only method to optimize the temporal model.
- Set up a new block for spatial anomaly detection.
 - $\begin{array}{l} \circ \quad P_{anomaly}\left(v\right) = 1 exp(-(error_q v/\sigma))(1). \\ v \text{ refers to input data.} \\ \sigma \text{ refers to } \frac{1}{2} \cdot ||w_{bmu}\left(v\right) w_{bmu}'\left(v\right)|| \\ error_q v \text{ refers to } ||v bmu(u_i)|| \end{array}$
- σ -means the divergence of the data: sigma is larger, the results are more dispersed. σ -should be around $0.5 \to 1.5$ -Learning rate-should be around $0.5 \to 2.5$. The map size should not more than (10,10).
- The detail about hyper parameters can be found here A simple demo for Hyper parameters

- An example:
- Loss

To do list after June 4th's update

- 1. Tidy the source code.
- 2. Change the dataset.
 - Socketsense
 - Itrust
- 3. Add a new block for anomaly detection in Spatial space. It needs to test more to avoid FP.
- 4. The hyper-parameters needs to be clarify in order to get a better results in SOM.
- 5. Temporal anomaly detection.
 - o Investigation in Markov Chain
 - o Investigation in Affinity Matrix.(Continue to abstract for the SOM neuron).
- 6. Confirm the Spatial anomaly detection and V&V results.

Updated June 5th

- 1. The mapsize should be calibrated with the σ . In other words, when map size is larger, the sigma should be larger. **Question: How we should interpret these two hyper parameters?**
- 2. The Sin function has been replaced by SocketSense.
- 3. Function update:
 - o Add a new block to check the FP.
 - Add a new block to generate the affinity(similarity) matrx, which could be treated as *Truth table*.

To do list after June 5th's update

- 1. Normaliztion the Affinity matrix, which should either indicate the probability or similarity.
- 2. Continue to work on the termporal anomaly detection.

Updated June 8th

- 1. Get the Affinity probability of each *Path state*.
- 2. Visualization each Affinity Probability according to
 - $ullet P_{affinity} = exp(-distance(w_i,w_j)/\delta)(2)$

 w_i refers to the path state, w_j refer to the other state

I set a threshold δ , to select the affinity. When $P_{affinity}>\delta$, we treat w_j as *affinity state*.

- 3. Map the input to SOM.
 - o For example, in our case, we have four pressures, these four pressure's sum will map with the Som. When the Pressure is larger, the color is deeper.
- 4. Overview results.
 - Temporal path-state trajectory.
 - Visualization of affinity and path states.

To do list after June 8th's update

- 1. Reschematic Markov Chain.
 - The Markov Chain should save as a table (dataframe) such as following:

	S 1	S2	S3	
S1	×	P_{12}	P_{13}	
S2	P_{21}	×	P_{23}	
S3	P_{31}	P_{32}	×	

- 2. Add text (probability) in the temporal trajectory figures.
- 3. Write a Problog program for the figures.

Discussion

- 1. How can we prove that Formula (2) is reliable?
 - o Usually, we should use $(w_i-w_j)^2$ to compute the affinity matrix. But in this case, if we use square, the amount of affinity state will increase a lot. Is Formula (2) reasonable
 - How should we understand δ ?
- 2. How can we improve/calibrate the method used to map the input data to SOM?
- 3. Validate our data.....(This may meet a lot of problems)

Updated June 12h

- 1. The sampling problem can be checked from the following link (the classical methods):
 - Engineering statistics handbook.
- 2. Fix up the datatype of Markov Transition Matrix.
- 3. Fix up some bugs.

Discussion

- 1. How can we understand **Average Sample Number** (ASN)? How we understand the $\beta=0.029$ and which value should be p_2 in <u>Double Sampling Plan</u>?
- 2. In the <u>Double Sampling Plan</u>, they should define the $P_{
 m l}$.

For example, As I understand, $P_1=1-\alpha+\beta$, although lpha and eta belong to different threshold $< n_1, c_1>$ and $< n_2, c_2>$.

3. Should Markov Chain have a sample step(frequency) as sampling data? Otherwise, the tranistion probability would equal to 0 if we use the upsampling states, which shows as below:

Updated June 15h

1. Add a flowgraph to illustrate the workbench.

Discussion

- 1. How should we sample the data?
- 2. How can we merge the slide windows in our code?

Updated June 22rd

- 1. Fulfill the simlarity and temporal graph to show the dependency.
- 2. Some summary for the potential publication.
 - o 1) What's the purpose of SOM used in latent space?

SOM can be understood as the measurement of latent space's Euclidean distance.

o 2) Spatial modeling

```
ELBO: \mathbb{E}_{PD(x)}[\log p_{	heta}(x)] \geq \mathbb{E}_{PD(x)}[\mathbb{E}_{q\phi(z|x)}[\log p_{	heta}(x|z)] - \mathbb{KL}(q_{\phi}(z|x)||p(z))] \ Threshold: H_0 \ and \ H_1 \ Similarity: g(z_i,z_j) = exp(-distance(w_i,w_j)/\delta \ Spatialana omly: g(z_i,z_j) \ compare \ to \ H_0 \ and \ H_1 \ VAE: \mathcal{L}_{vae} = \mathbb{E}_{PD(x)}[\mathbb{E}_{q\phi(z|x)}[\log p_{	heta}(x|z)] - \mathbb{KL}(q_{\phi}(z|x)||p(z))] \ Loss \ for \ the \ observation \ and \ latent \ space: \mathcal{L}_{vae-som}(\phi,\theta,x_i,x_j) = \mathcal{L}_{vae}(\phi,\theta,x_i,x_j) + g(z_i,z_j)
```

o 3) Temporal modeling

How we get the threshold of temporal modeling?

3. Add a function for sliding window.