Face Recognition

Binod Bhattarai

Introduction



Source: google image



Source: google image

Applications (Face verification for security)



ustralia is planning to adopt a new contactless passenger identification system that would eliminate the need for passport scanners, paper landing cards and manned immigration desks, the Australian Department of Immigration and Border Protection has announced.

The new system, which is set to be rolled out by 2020, will use facial recognition technology and fingerprint scanners to identify passengers as they pass through Australian airports. People arriving in the country would no longer be required to show their passports and desks fronted by immigration officers would be replaced by automated electronic stations.

Source: Telegraph, 23 Jan 2017

Applications (Face verification for surveillance)

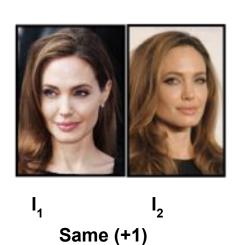


Credit: AFP/Getty Images

China's police have been testing sunglasses with built-in facial recognition since at least last month to catch suspects and those traveling under false identities. Now China is

Source: The verge Source: google image

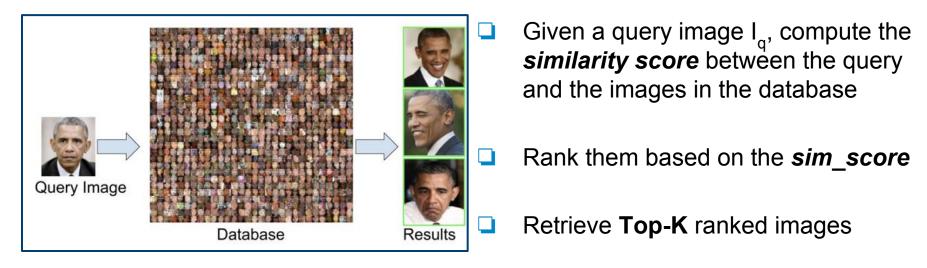
Face analysis tasks: Face verification



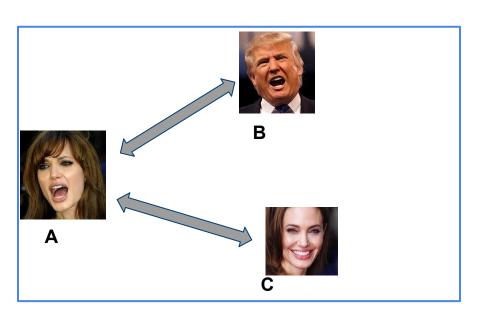
$$f:(I_i, I_j) \rightarrow \{+1, -1\}$$



Face retrieval

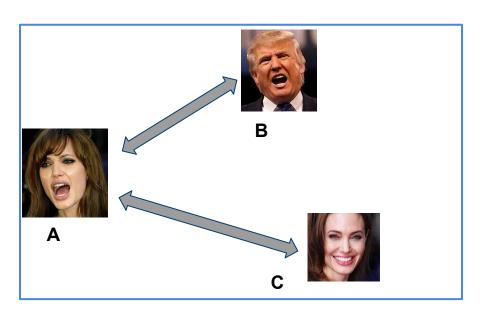


Similarity between the Faces



- **□** Which pair is more similar?
 - **□** (A, B)
 - **□** (A, C)

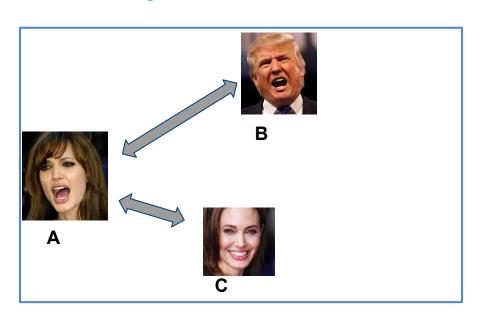
Similarity between the Faces



☐ When we care about expression

$$d_{(mood)}(A, B) < d_{mood}(A, C)$$

Similarity between the Faces



☐ When we care about identity

$$d_{(id)}(A, B) > d_{(id)}(A, C)$$

- ☐ Similarity between the images depends on the **the task we care about**
- Need a methodology to learn such metric

Metric Learning

☐ Euclidean or L2 distance is probably the most well known metric

$$d_{L2}(x,y) = (x - y)^{T}(x - y)$$

- No parameter to learn
- Most common form of learned metrices are Mahalanobis

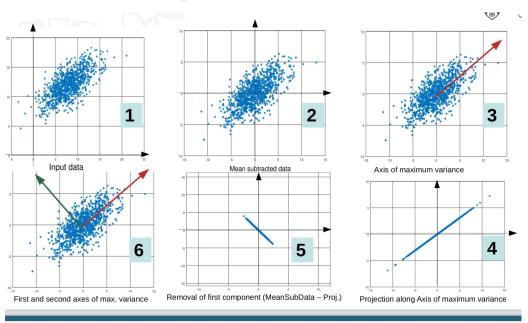
$$d_M(x,y) = (x-y)^T M(x-y)$$

- \square M \in R^(DXD) is a semi-definite matrix as it measures distance
- ☐ Generalization of Euclidean metric (setting M=I)
- ☐ M can be decomposed into $L^{T}L$, $L \in \mathbb{R}^{(D \times d)}$ d<<D
- Corresponds to Euclidean metric after linear projection of data

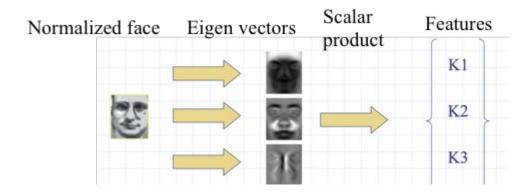
$$d_M(x,y) = (x-y)^T M(x-y) = (x-y)^T L^T L(x-y) = d_{L2}(Lx,Ly)$$

☐ Reduces the dimension by large-margin

[Recap] PCA - unsupervised metric learning



[Recap] on eigenfaces



- □ Normalized face is projected on the eigenvectors computed by PCA
- □ Projected on first 3 eigenvectors, the dimension of feature = 3

PCA

- Merits
 - Removes redundancies and noise to make feature more discriminative
 - ☐ Transform the representations into compact form (dimensionality reduction)
 - Does not require label information

PCA

- Demerits
 - Does not embed category information
 - ☐ Large variations on illuminations or poses (not necessarily the axis with maximum variance contains discriminative features)







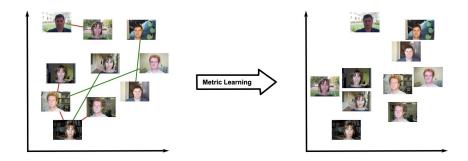






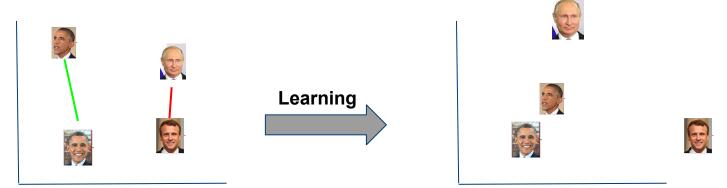
□ Not robust to illuminations, expressions, poses etc.

Supervised Metric Learning (ML) for face verification



- ☐ Learn a projection matrix where the imposed constraints are **better satisfied**
- Commonly used constraints are: pairwise similarity and dissimilarity constraints and triplet constraints

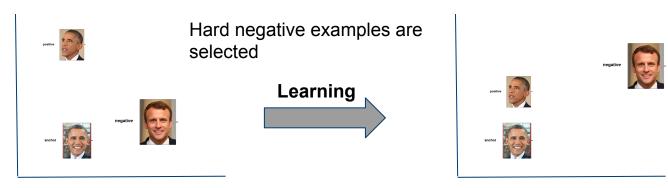
Pairwise constraints



• Must-link / cannot-link constraints (sometimes called positive / negative pairs):

 $\mathcal{S} = \{(x_i, x_j) : x_i \text{ and } x_j \text{ should be similar}\},\$ $\mathcal{D} = \{(x_i, x_j) : x_i \text{ and } x_j \text{ should be dissimilar}\}.$

Triplet constraints



• Relative constraints (sometimes called training triplets):

 $\mathcal{R} = \{(x_i, x_j, x_k) : x_i \text{ should be more similar to } x_j \text{ than to } x_k\}.$

Pairwise dis(similarity) vs triplet constraints

- Pairwise constraints are easy to collect (Weakly supervised)
- ☐ Eg. video frames
- Triplet ,requires (hard) negative examples, adds extra layer of difficulty



Learning projection matrix

We minimize the max-margin objective function to learn the projection matrix satisfying pairwise dis(similar) constraints $(y_{ij} = +/-1)$

$$\underset{L}{\operatorname{argmin}} \sum_{t=1}^{t=n} \max \left(m - y_{ij}^{t} (b - d_{L}^{2}(x_{i}^{t}, x_{j}^{t})), \ 0 \right)$$

- $\Box \quad \text{Where} \quad d_L^2(x_i, x_j) = ||Lx_i Lx_j||^2$
- □ Pushes the examples s.t. Distance of negative pairs is larger by 'm' than bias 'b'

Learning the parameters of the projection matrix

We use stochastic gradient descent

$$\frac{d_L^2(x_i, x_j)}{dL} = L(x_i - x_j)(x_i - x_j)^T$$

Update rule

```
if y_{ij}(b-d_L^2(x_i,x_j)) < m then L \leftarrow L - \eta y_{ij} L(x_i-x_j)(x_i-x_j)^T else no update end if
```

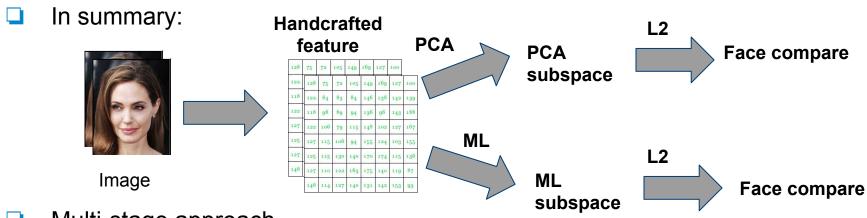
Performance comparison

- Database
 - LFW: Labeled Faces in the Wild, contains *13K* of *5K* identities
 - Standard benchmark for face analysis task
- Performed face retrieval task
- Metric used is 1-call@K (2, 5, 10)

Method	K=2	K=5	K=10	K=20
PCA	30.0	37.4	43.3	51.3
ML	38.1	51.1	60.5	69.3

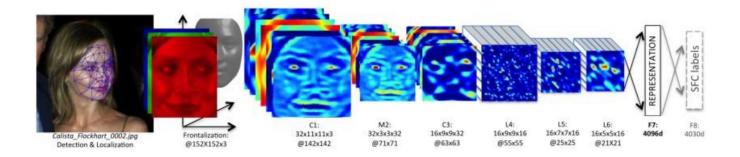
Source: Bhattarai et al CVPR 2016

Limitations of parameterized distance



- Multi-stage approach
- Features are not optimal for end task (no feedback mechanism to propagate error to input)

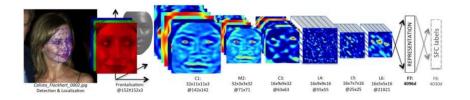
Deepface



- Train set size: 4M images from 4K identities
- Minimize cross-entropy loss to learn the parameters

Taigman, Yaniv, et al. "Deepface: Closing the gap to human-level performance in face verification." CVPR 2014

Deepface



- F8 calculates probability with softmax $p_k = \exp(o_k) / \sum_h \exp(o_h)$
- Cross-entropy loss function: $L = -\sum_{k} \log(p_k)$
- Computed using SGD and performs backpropagation

Taigman, Yanıv, et al. "Deeptace: Closing the gap to human-level performance in face verification." CVPR 2014

Experiments

DeepFace was evaluated in LFW

Human cropped: 97.5% vs Deepface 97.35%

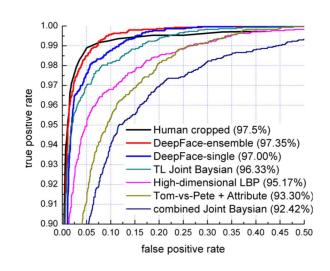
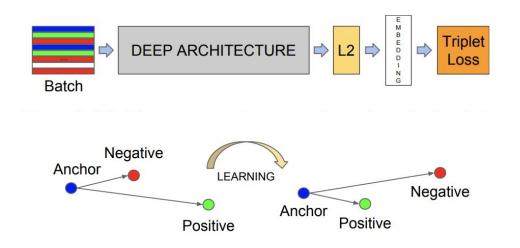


Fig. Roc Curve on LFW

FaceNet



- Objective of this architecture is to minimize L2 distance between same identity's faces representations
- □ Directly transforms image representations at a low dimensional feature space (128D vs 4096D (Deepface)) rather than bottleneck intermediate representations

Schroff, Florian, Dmitry Kalenichenko, and James Philbin. "Facenet: A unified embedding for face recognition and clustering." CVPR 2015

FaceNet



- Uses triplet loss
- Minimize the max-margin objective

$$\sum_{i}^{N} \left[\left\| f(x_{i}^{a}) - f(x_{i}^{p}) \right\|_{2}^{2} - \left\| f(x_{i}^{a}) - f(x_{i}^{n}) \right\|_{2}^{2} + \alpha \right]_{+} \qquad \text{s.t.} \qquad \frac{\left\| f(x_{i}^{a}) - f(x_{i}^{p}) \right\|_{2}^{2} + \alpha < \left\| f(x_{i}^{a}) - f(x_{i}^{n}) \right\|_{2}^{2}}{\forall \left(f(x_{i}^{a}), f(x_{i}^{p}), f(x_{i}^{n}) \right) \in \mathcal{T}} \, .$$

- This ensures all positive examples are nearer than negative examples
- □ Very useful for clustering of faces

Schroff, Florian, Dmitry Kalenichenko, and James Philbin. "Facenet: A unified embedding for face recognition and clustering." CVPR 2015

Experiments

- Dataset: LFW
- Accuracy: 0.9963 Vs 0.9735 (Deepface) Vs 0.975 (Human)

Mis-classified examples

False reject

False accept

False accept

False accept

False accept

False accept

False accept

Bottlenecks in face analysis using deep learning

- Computing resource
- Data hungry

3D Morphable Model



Synthetic Face Images by 3DMM

- + Easy to manipulate attributes such as identity, pose, expression, and lighting
- + Can generate millions of images with controlled attributes
- - Domain gap with real face images



Synthetic images generated by 3DMM

Problem Definition

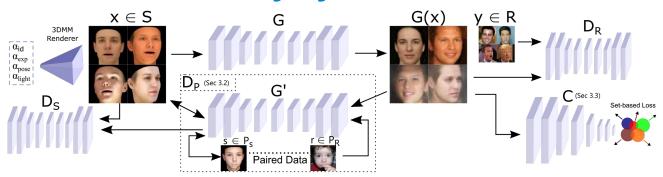
 Generating photorealistic face images 3DMM rendered faces of new identities with arbitrary poses, expressions, and illuminations



Problem Definition

- Generating photorealistic face images 3DMM rendered faces of new identities with arbitrary poses, expressions, and illuminations
- We formulate this problem as domain adaptation problem/ style transfer problem (3DMM -> Real)
 - Pixel2Pixel (Isola et al 2017)
 - CycleGAN(Zhu et al 2017)
- How can we benefit small amount of paired data in unsupervised style transfer GAN?
- How to prove identity consistency of generated images?

Photorealistic identity synthesis (Gecer, Bhattarai, Kittler, and Kim ECCV'2018)



- Randomly generated 3DMM images with random pose, expression and lighting attributes for the new IDs.
- Unsupervised training with forward cycle consistency.
- Adversarial Pair Matching network G' by the help of a limited number of paired data.
- ❖ ID preservation by a set-based supervision through a pre-trained classification network C.

Experiments (Quantitative)

VGG(%100)	1.8M		96×96	94.8	
VGG(%100) + GANFaces-500K	1.8M	500K	96×96	94.9	
VGG(%100) + GANFaces-5M	1.8M	5M	96×96	95.2	

Tab. Verification accuracy on LFW benchmark

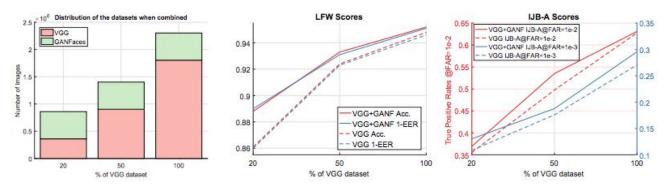


Fig. Verification on LFW and IJB-A database with different size of original and synthetic data

Experiments (Qualitative)

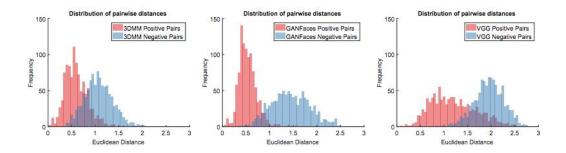


Fig. Face pairs euclidean distance distribution

Experiments (Qualitative)

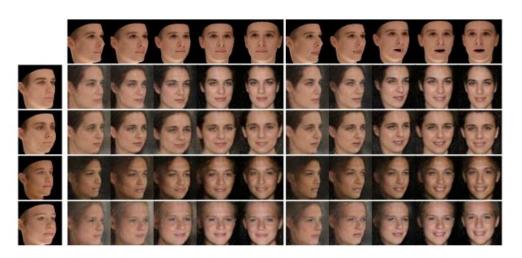
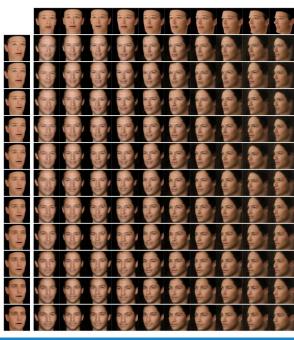


Fig. Face generated by the proposed method conditioned on 3DMM identity, expression and pose parameters

Experiments (Qualitative)



- Interpolation in identity space
- Smooth transition from one identity space to another identity space shows that manifold of image generator is smooth.

Experiments (illumination preservation)



Our model is also preserving the lighting conditioned by 3DMM.

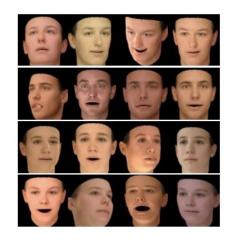
Experiments(Qualitative)

- The nearest images from the training set in terms of identity features for the images
- Variation in the nearest images shows diversity of GANFaces in the embedding space while they bear similar higher order attributes such as gender, shape of face etc.





Comparison with existing methods



A) 3DMM



B) CycleGAN



C) Our approach

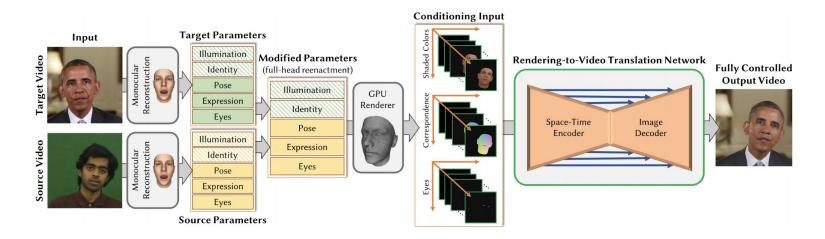
Deep video portrait for video translation





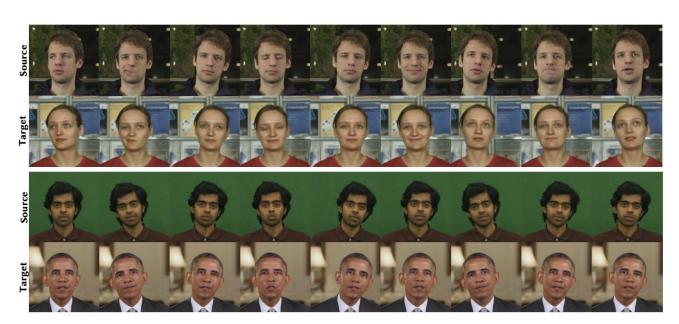
2x Speed

Deep video portrait for video translation



Kim, Hyeongwoo, et al. "Deep Video Portraits." SIGGRAPH 2018

Qualitative results



Native Dubbing



Thank You

PCA

■ Merits
 □ Removes redundancies and noise to make feature more discriminative
 □ Transform the representations into compact form (dimensionality reduction)
 □ Does not require label information
 □ Does not embed category information
 □ Imagine large variations is due to illuminations due external sources (not necessarily the axis with maximum variance contains discriminative features)
 □ Sub-optimal for specific task(s)

References

- 1. Ojala, Timo, Matti Pietikäinen, and Topi Mäenpää. "Gray scale and rotation invariant texture classification with local binary patterns." European Conference on Computer Vision. Springer, Berlin, Heidelberg, 2000.
- 2. Ahonen, Timo, Abdenour Hadid, and Matti Pietikainen. "Face description with local binary patterns: Application to face recognition." *IEEE Transactions on Pattern Analysis & Machine Intelligence* 12 (2006): 2037-2041.

3.

Properties of pseudo-distance

- 1. $d_{\mathbf{M}}(\mathbf{x}, \mathbf{x'}) \geq 0$ (nonnegativity),
- 2. $d_{\mathbf{M}}(\mathbf{x}, \mathbf{x}) = 0$ (identity),
- 3. $d_{\mathbf{M}}(\mathbf{x}, \mathbf{x'}) = d(\mathbf{x'}, \mathbf{x})$ (symmetry),
- 4. $d_{\mathbf{M}}(\mathbf{x}, \mathbf{x''}) \leq d(\mathbf{x}, \mathbf{x'}) + d(\mathbf{x'}, \mathbf{x''})$ (triangle inequality).

Additional Applications

Security



Surveillance



Robotics



All these applications are face matching tasks

Imperial Col London

Metric Learning

Metric L

• Euclidean or L2 distance is probably the most well known

$$d_{L2}(x,y) = (x-y)^{T}(x-y)$$

• Most common form of learned metrics are Mahalanobis

$$d_M(x,y) = (x-y)^T M(x-y)$$

- M is a positive definite matrix
- Generalization of Euclidean metric (setting M=I)
- Corresponds to Euclidean metric after linear projection of data

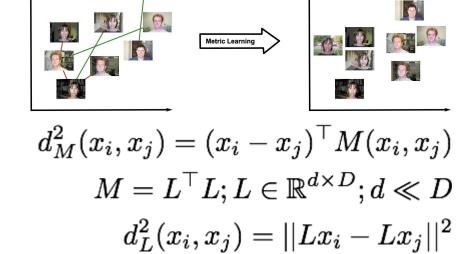
$$d_{M}(x,y) = (x-y)^{T} M(x-y) = (x-y)^{T} L^{T} L(x-y) = d_{L2}(Lx,Ly)$$

tation, eg

,Ly)

• Not all methods fit this formulation of fixed vectorial data representation, eg based on matching image regions [Nowak & Jurie 2007]

Metric Learning for face recognition



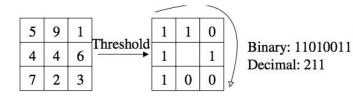
- → Pairwise constraints (same person vs different persons) are imposed
- Projection matrix is learned to better satisfy the imposed constraints

Recap (Image representation)

- Pixel Intensity
 - Not robust to scaling, illuminations, rotations etc
- SIFT
 - invariant to scaling, rotation and translations and partially illuminations

Local Binary Patterns

- Ojala et al. (PAMI' 94) proposed a simple but efficient method for texture classification
- Successfully applied for face recognition [2]
- Compare neighbouring pixel intensities
- If central pixel intensity is lower assign1 or else 0
- Map the binary to decimal
- Compute 256D histogram as image Feature

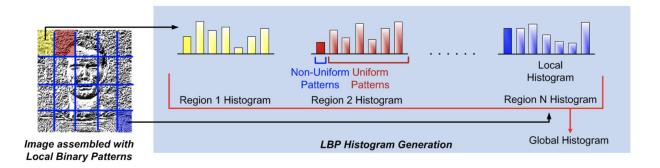


Pixel Intensity

Thresholding

Local Binary Patterns for face recognition

- Ojala et al. (PAMI' 94) proposed a simple but efficient method for texture classification
- Successfully applied for face recognition [2]



Our contributions

- End-to-end adversarial training framework to generate photorealistic face images on new identities conditioned on synthetic 3DMM images
- <u>Semi-supervised</u> adversarial style transfer framework
- <u>Set-based loss function</u> to preserve consistency among unknown identities