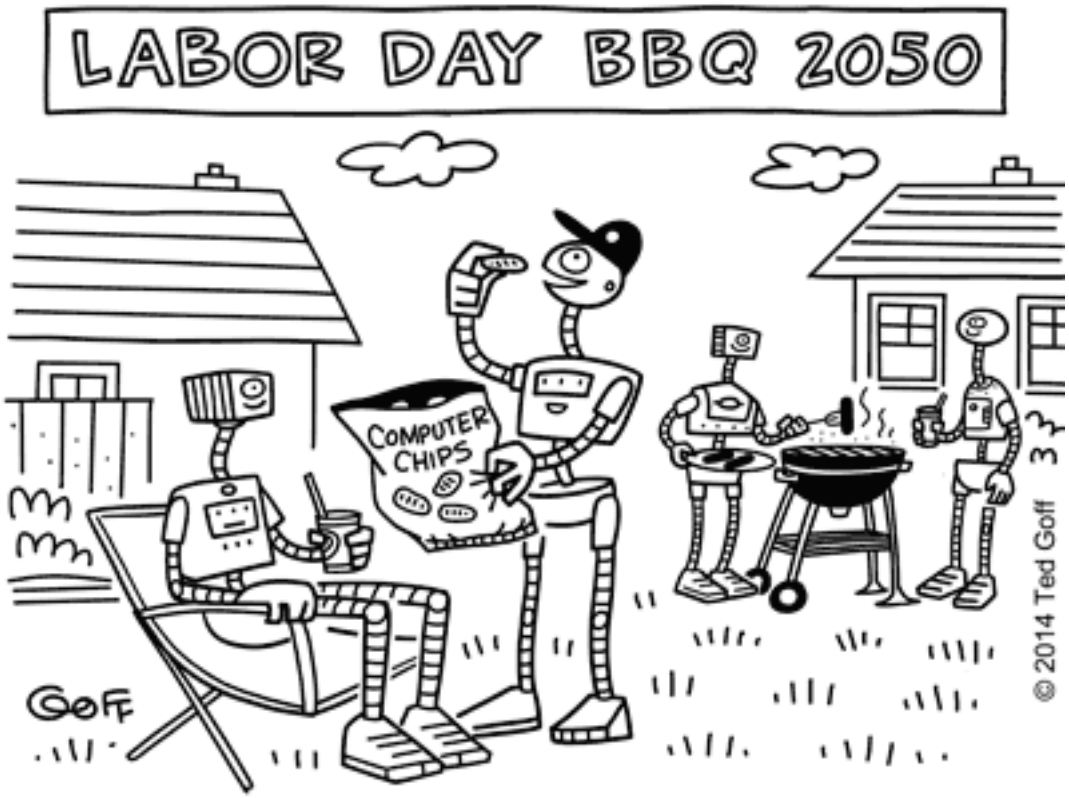
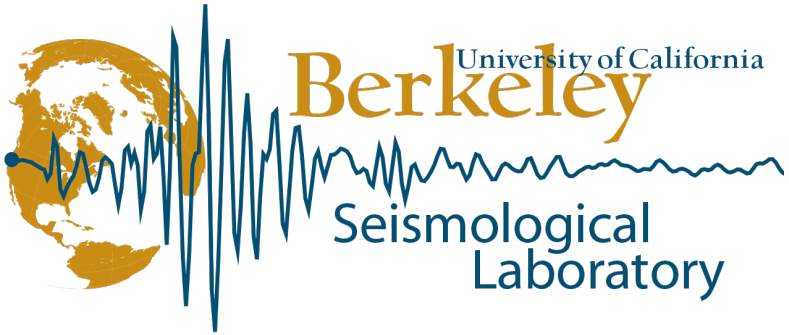


"Try one of these. They're salty, and they come with nine new human skills."

https://github.com/qingkaikong/20170413_ANN_basics_DLab

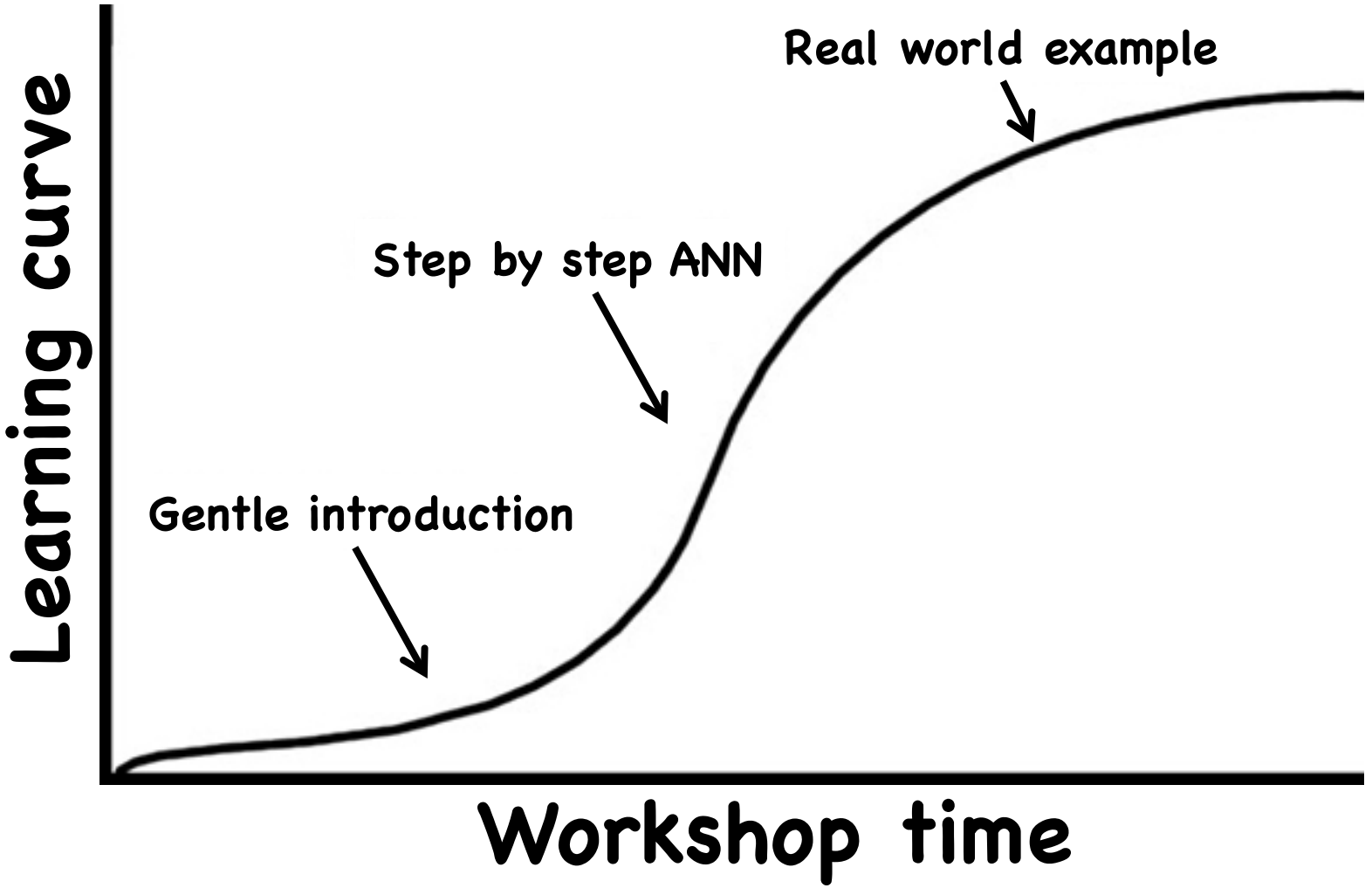


Introduction to Artificial Neural Networks

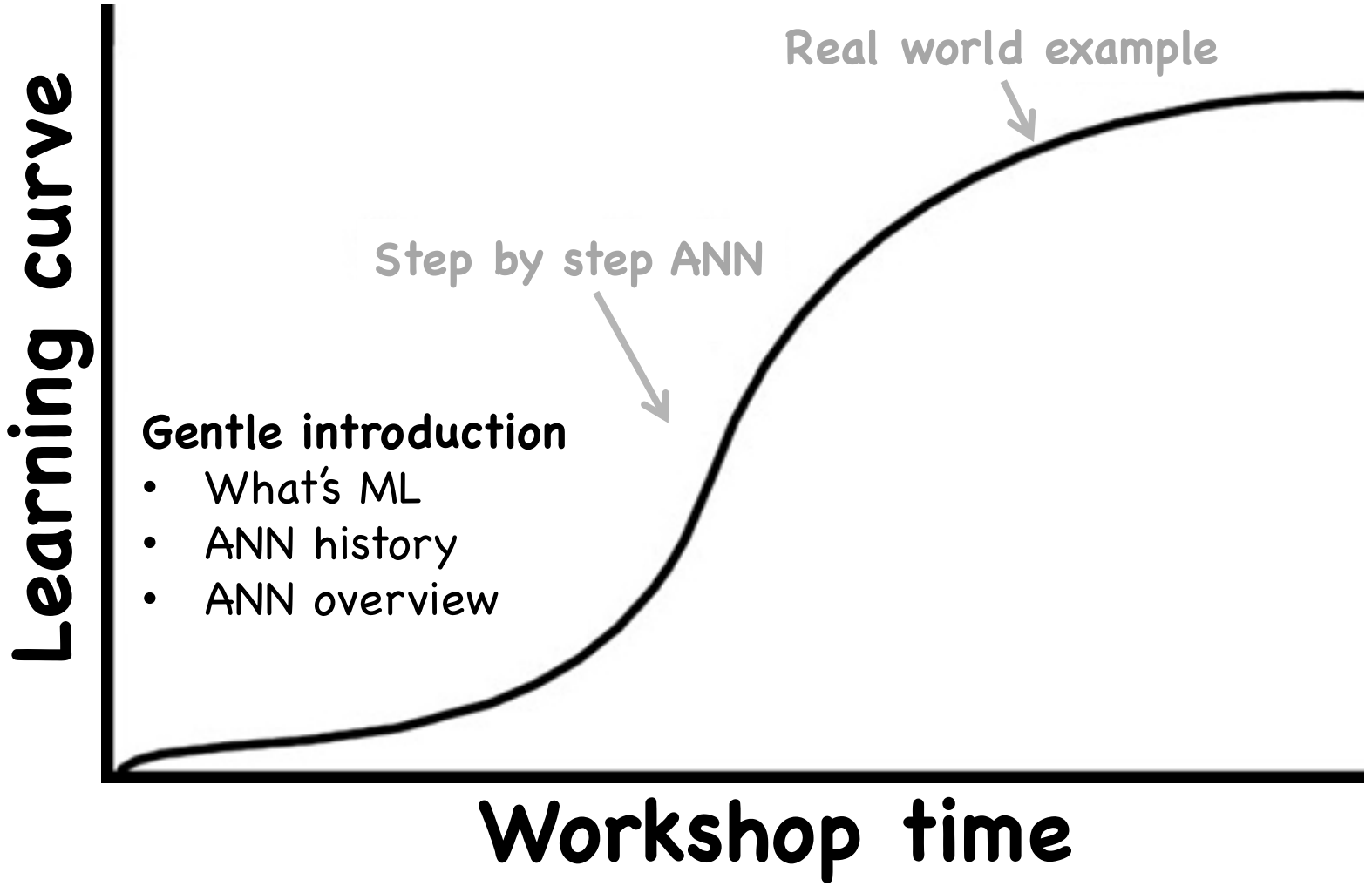
Qingkai Kong

2017-04-13

http://seismo.berkeley.edu/qingkaikong/

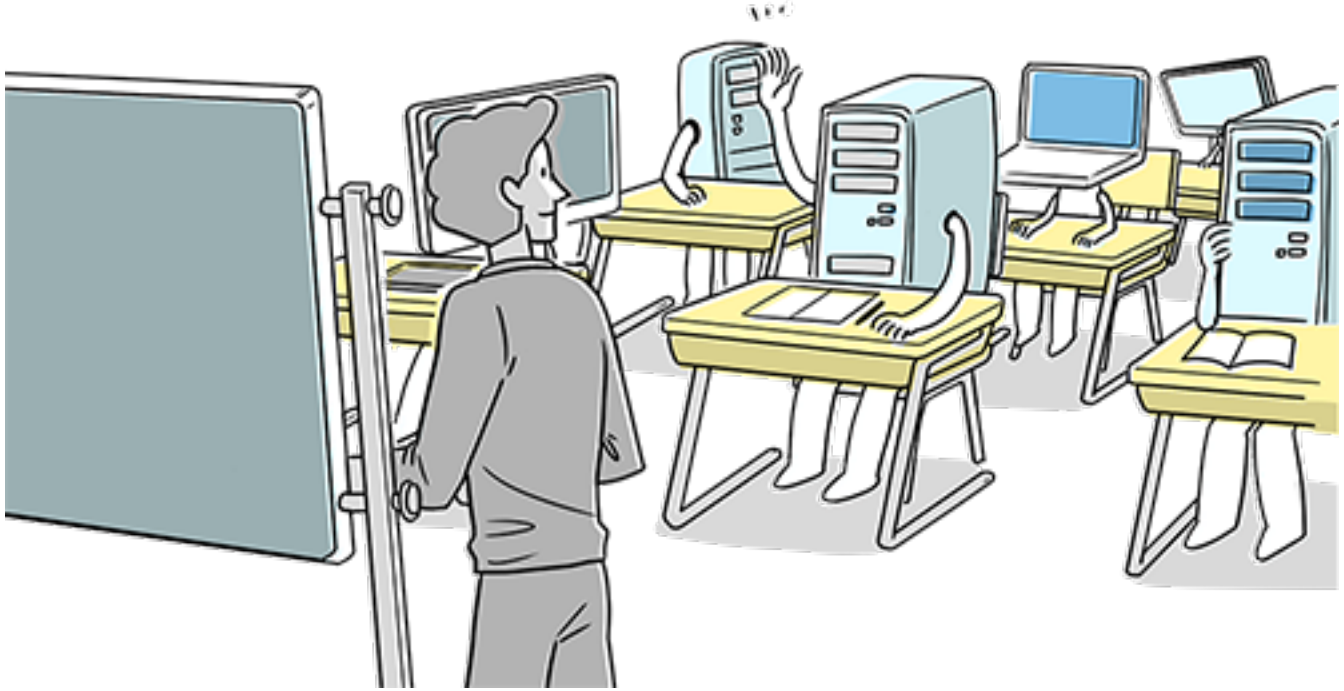


https://github.com/qingkaikong/20170413_ANN_basics_DLab

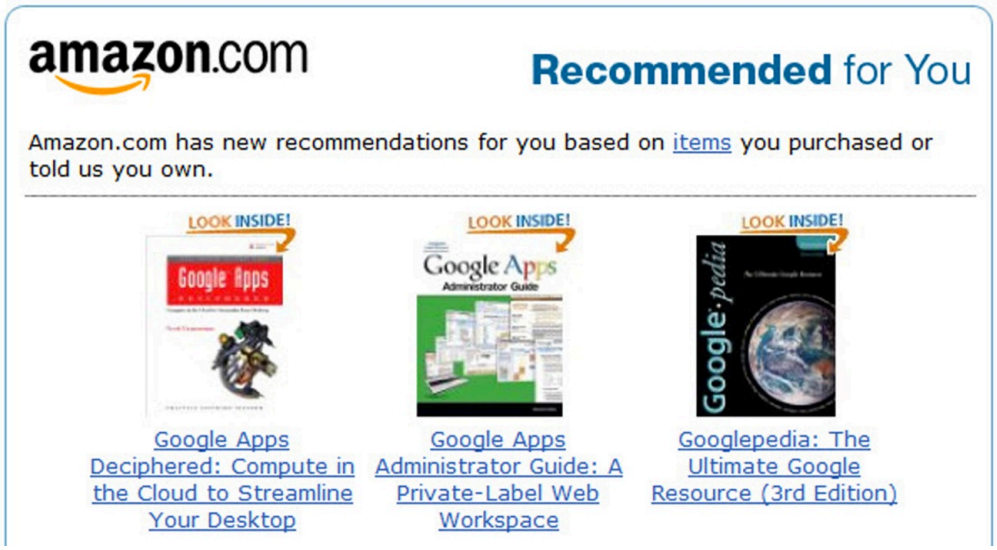


https://github.com/qingkaikong/20170413_ANN_basics_DLab

What is machine learning?



https://github.com/qingkaikong/20170413_ANN_basics_DLab



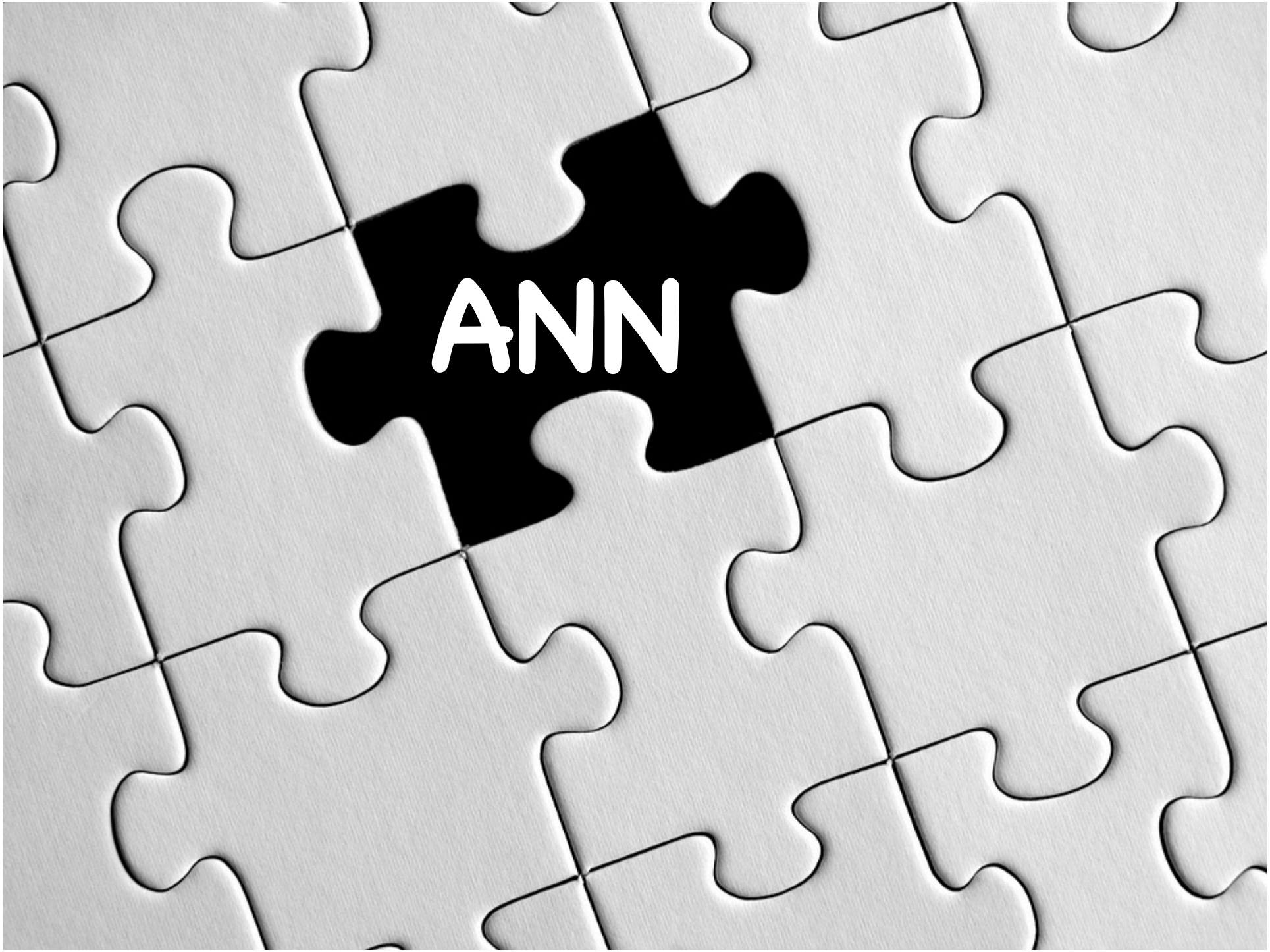
Self-driving car

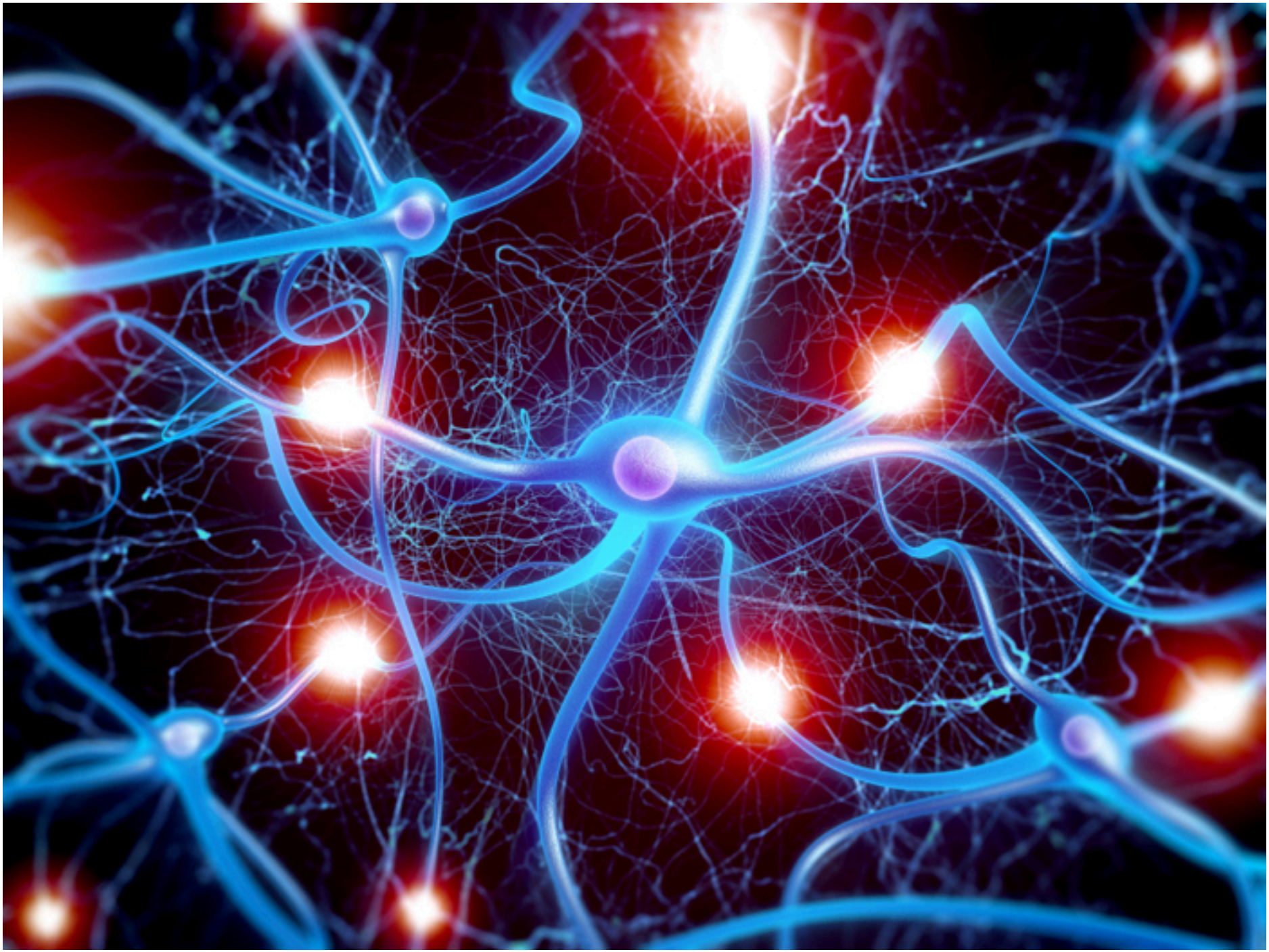
Voice recognition

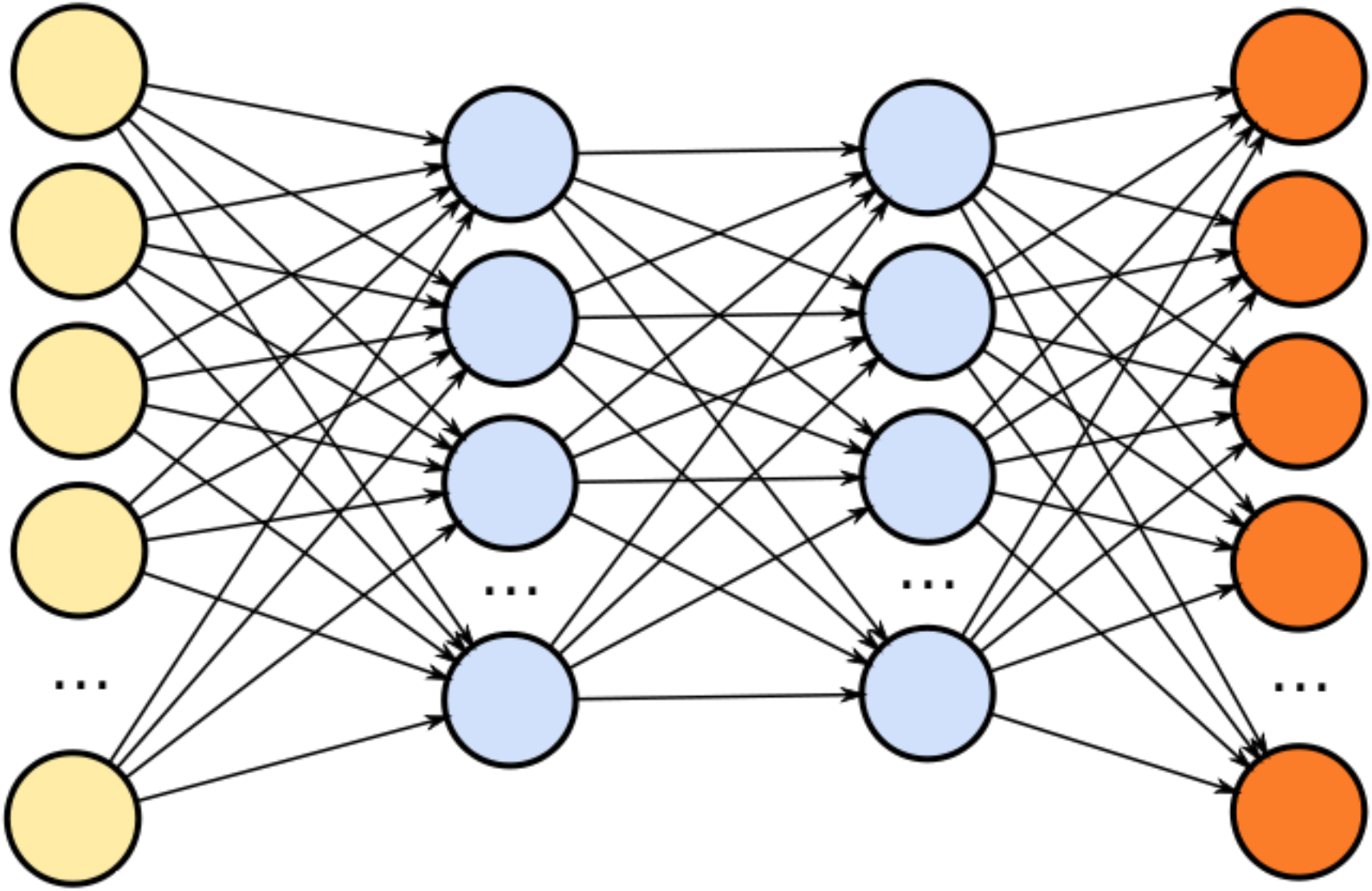
…

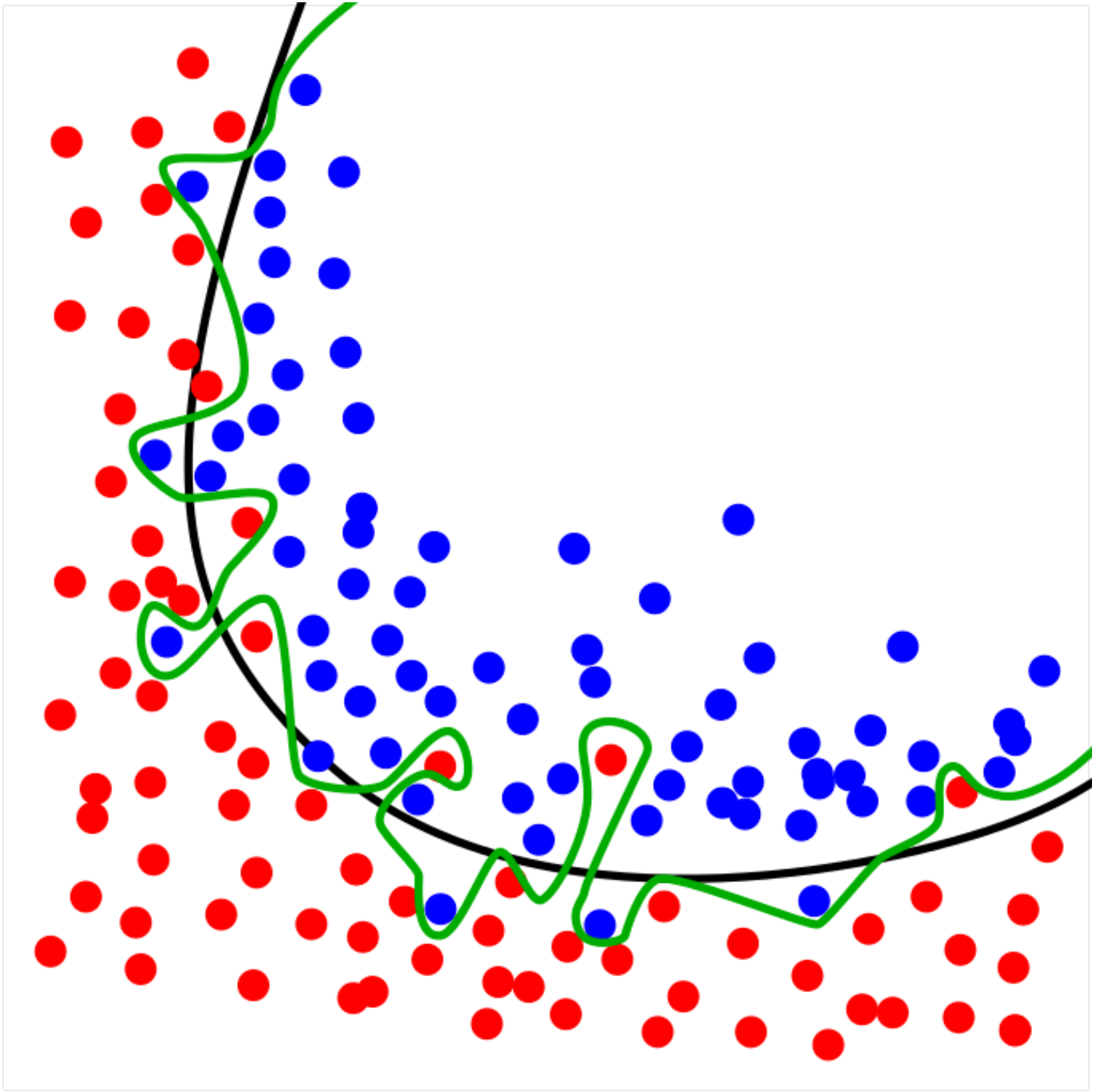
https://github.com/qingkaikong/20170413_ANN_basics_DLab

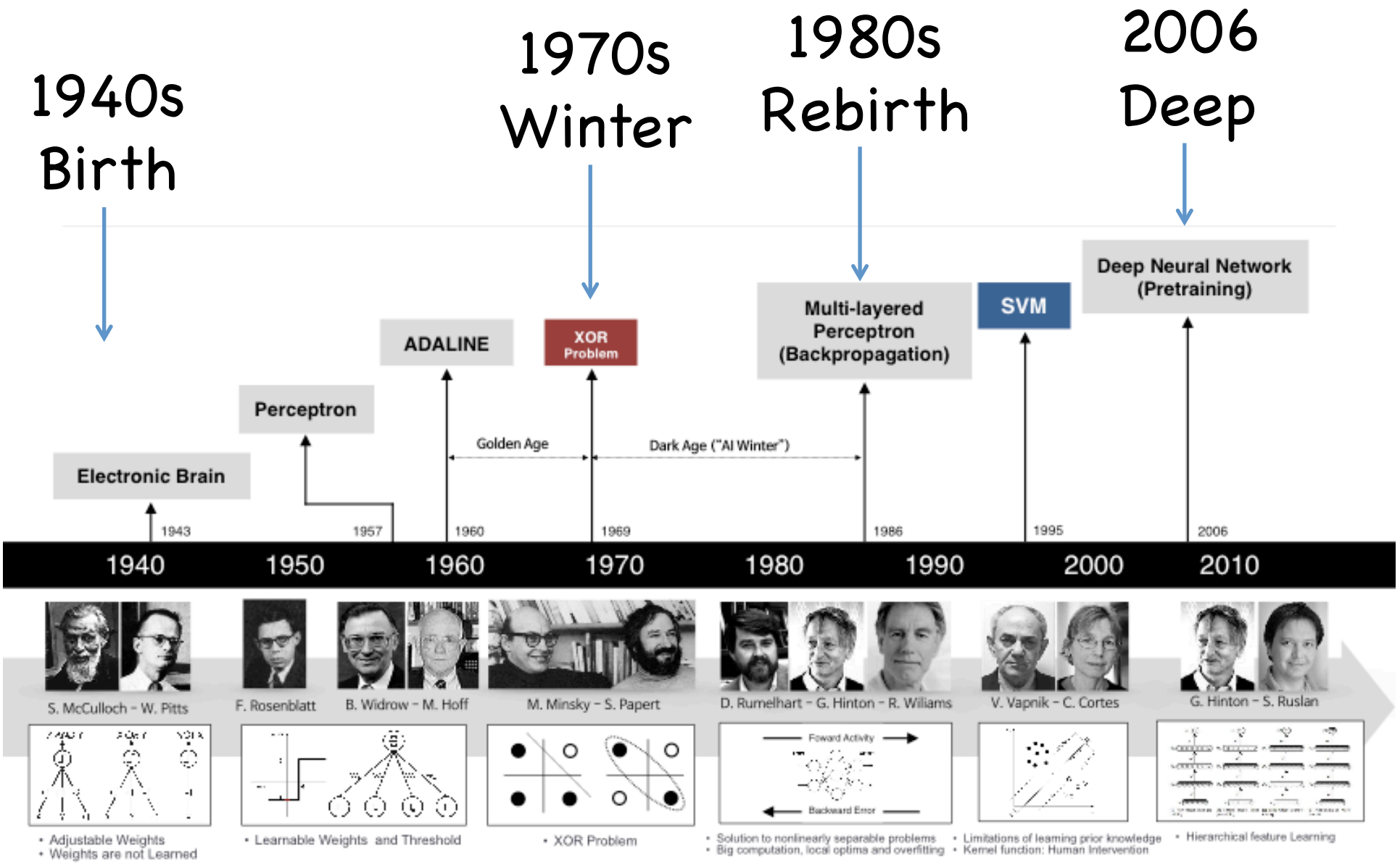
Not always working

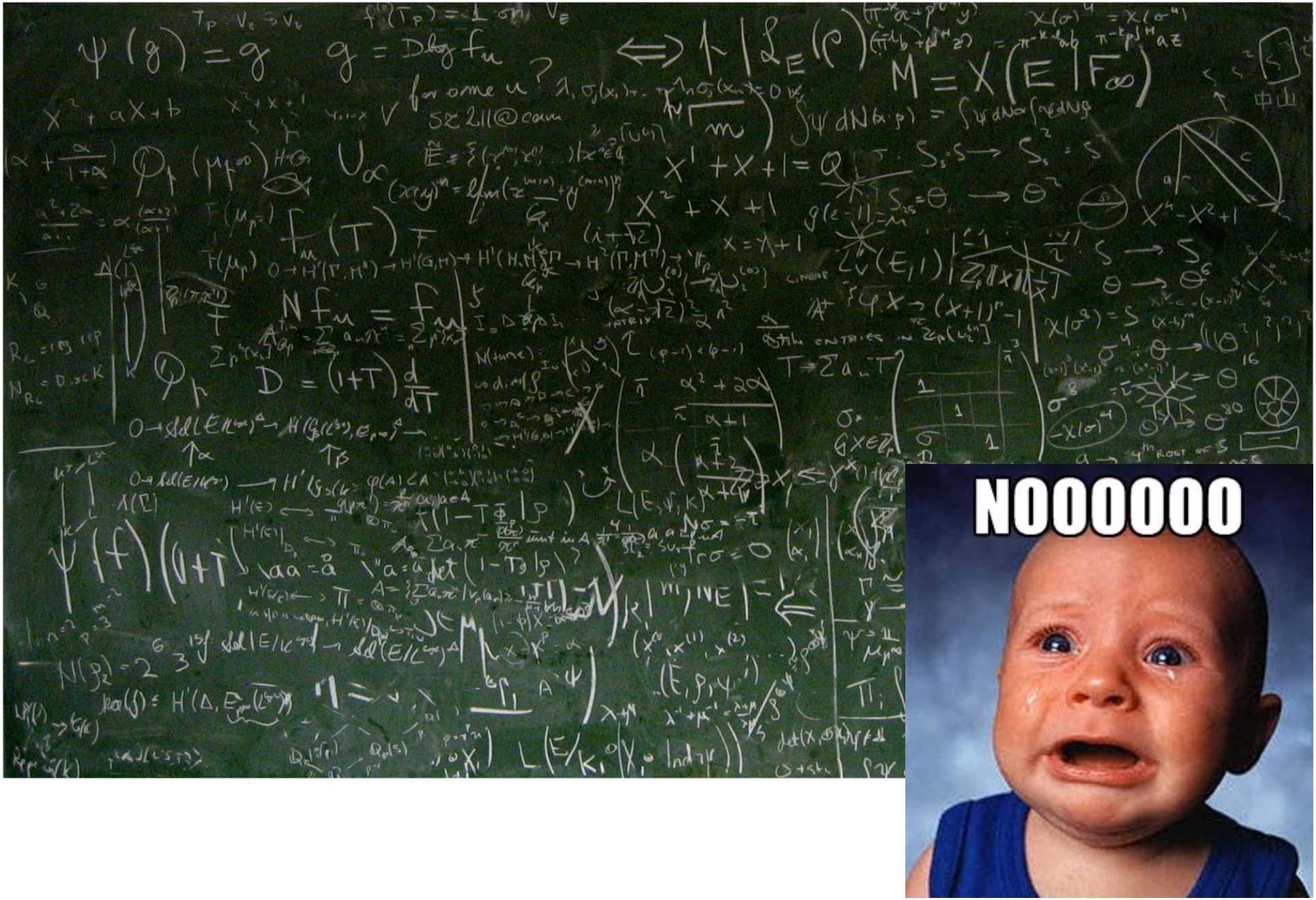

ANN

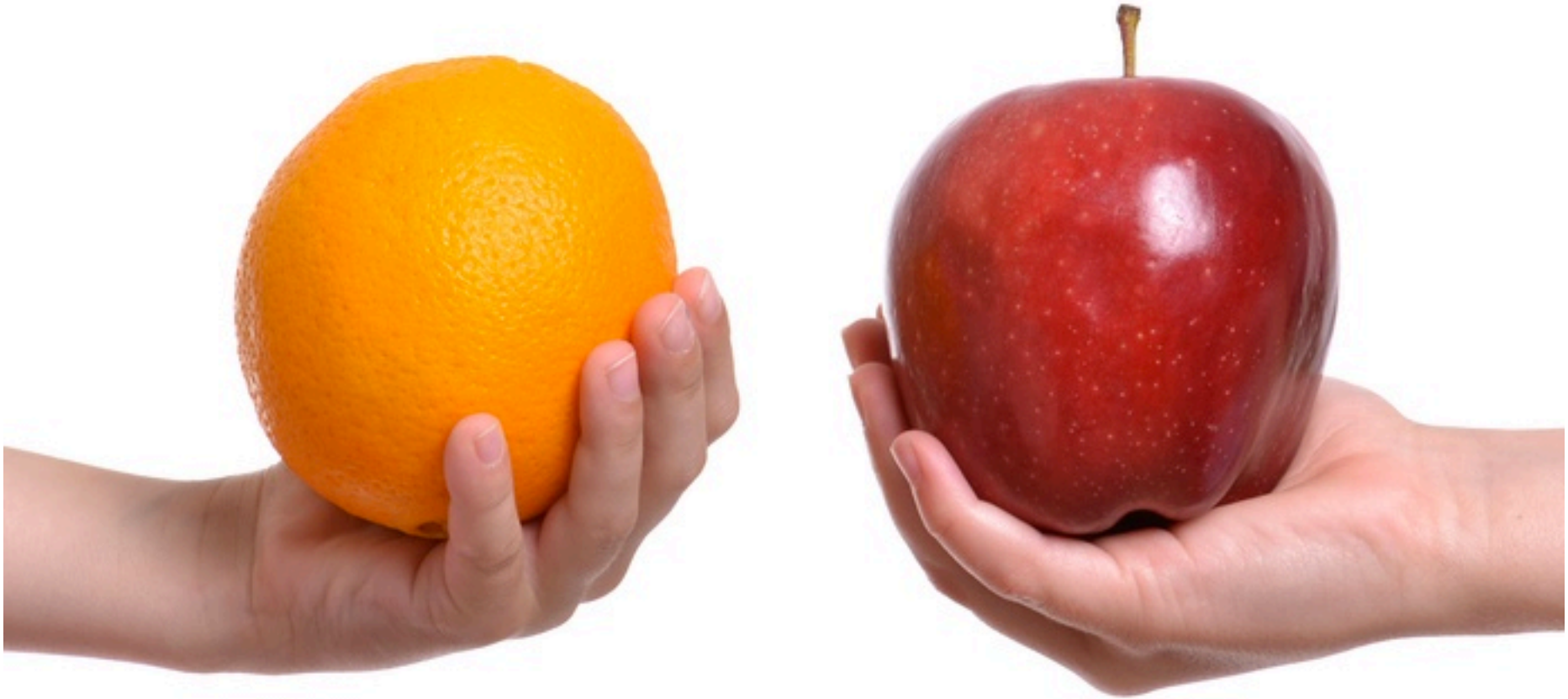




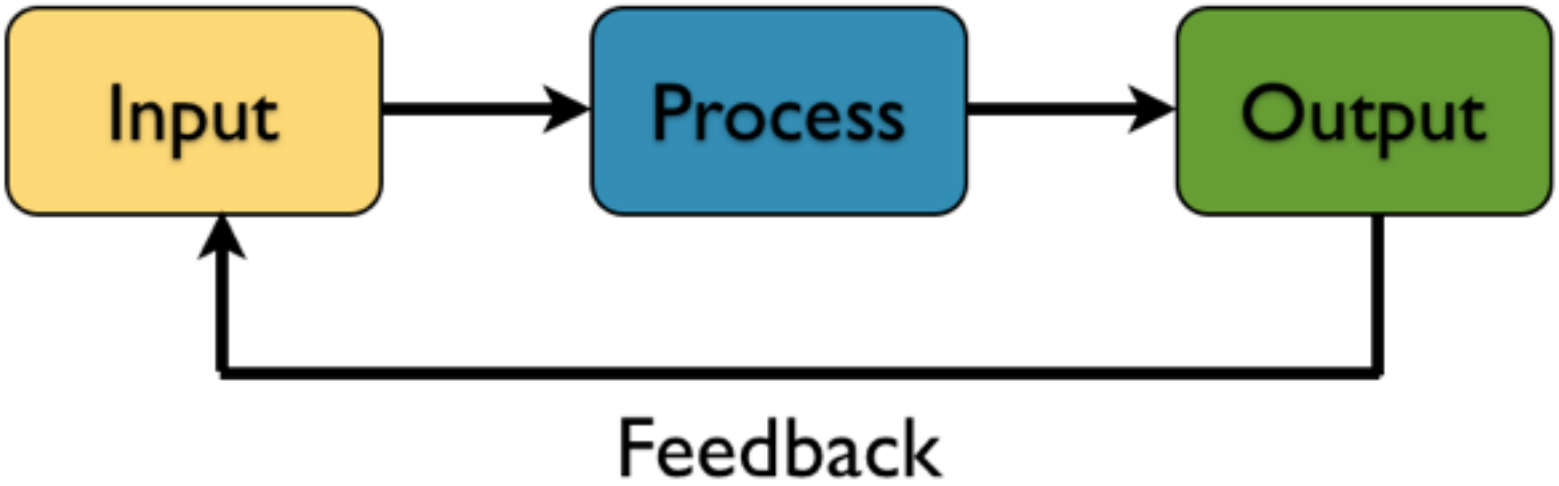



1940s
Birth
1970s
Winter
1980s
Rebirth
2006
Deep
Deep Neural Network
(Pretraining)
SVM
Multi-layered
Perceptron
(Backpropagation)
XOR
Problem
ADALINE
Perceptron
Electronic Brain
Golden Age
Dark Age ("AI Winter")
1943
1957
1960
1969
1986
1995
2006
1940
1950
1960
1970
1980
1990
2000
2010
S. McCulloch - W. Pitts
F. Rosenblatt
B. Widrow - M. Hoff
M. Minsky - S. Papert
D. Rumelhart - G. Hinton - R. Wiliams
V. Vapnik - C. Cortes
G. Hinton - S. Ruslan
Foward Activity
Backward Error
• Adjustable Weights
• Weights are not Learned
• Learnable Weights and Threshold
• XOR Problem
• Solution to nonlinearly separable problems
• Big computation, local optima and overfitting
• Limitations of learning prior knowledge
• Kernel function: Human Intervention
• Hierarchical feature Learning

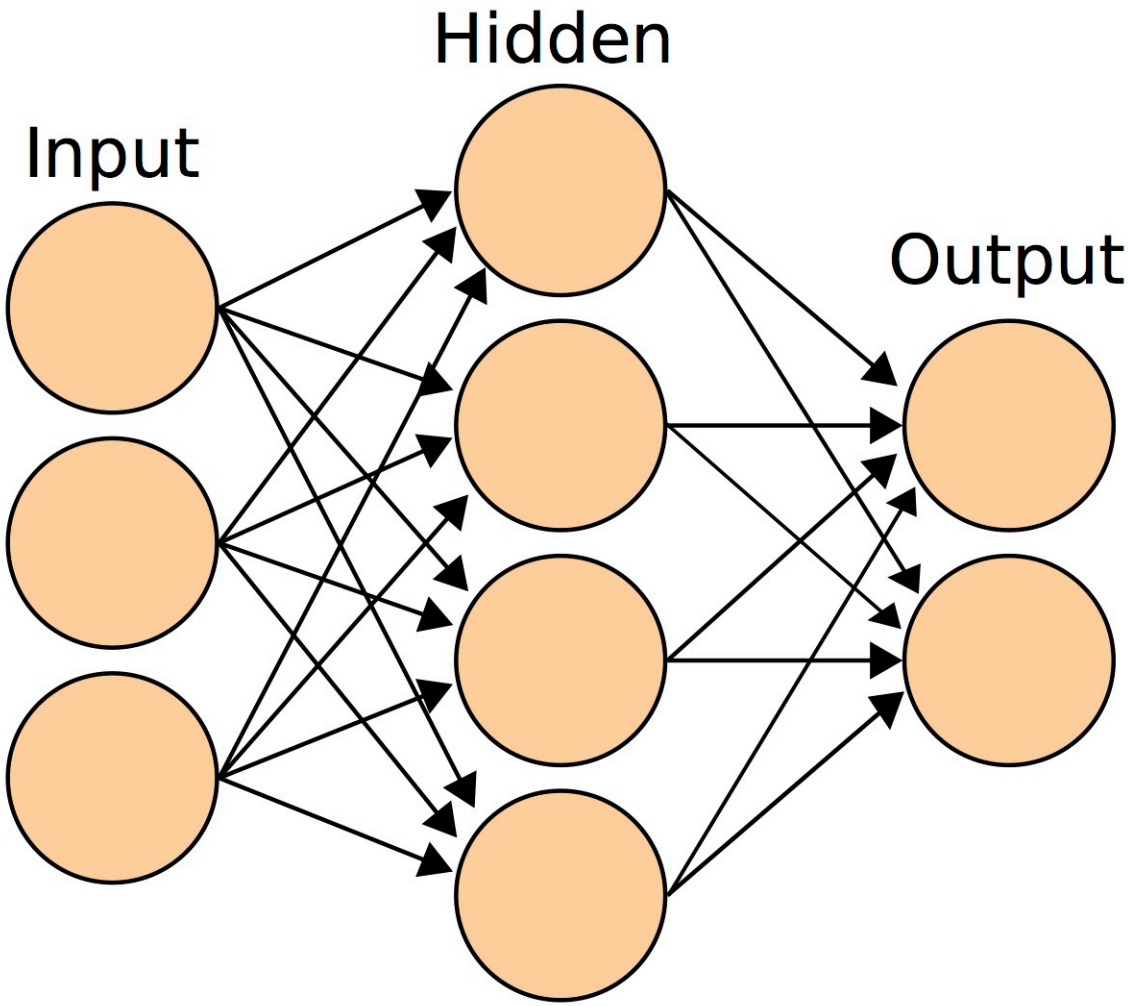

NOOOOOO



ANN in simple view



ANN jargons



What're the weights


YOU'RE IN MY SPOT
GRAPHICS GARAGE

Intuitive
Artificial Neural Network

Input

.
.
.

w_1

w_2

w_n

$F(eye \times w_1 + nose \times w_2 + \ldots + mouth \times w_n)$

Output

Intuitive
Artificial Neural Network

Input

.
.
.

w_1

w_2

w_n

$F(eye \times w_1 + nose \times w_2 + \ldots + mouth \times w_n)$

Output

error
feedback

Intuitive
Artificial Neural Network

Input

.
.
.

w_1

w_2

w_n

$F(eye \times w_1 + nose \times w_2 + \ldots + mouth \times w_n)$

Output

error
feedback

Intuitive
Artificial Neural Network

Input

.
.
.

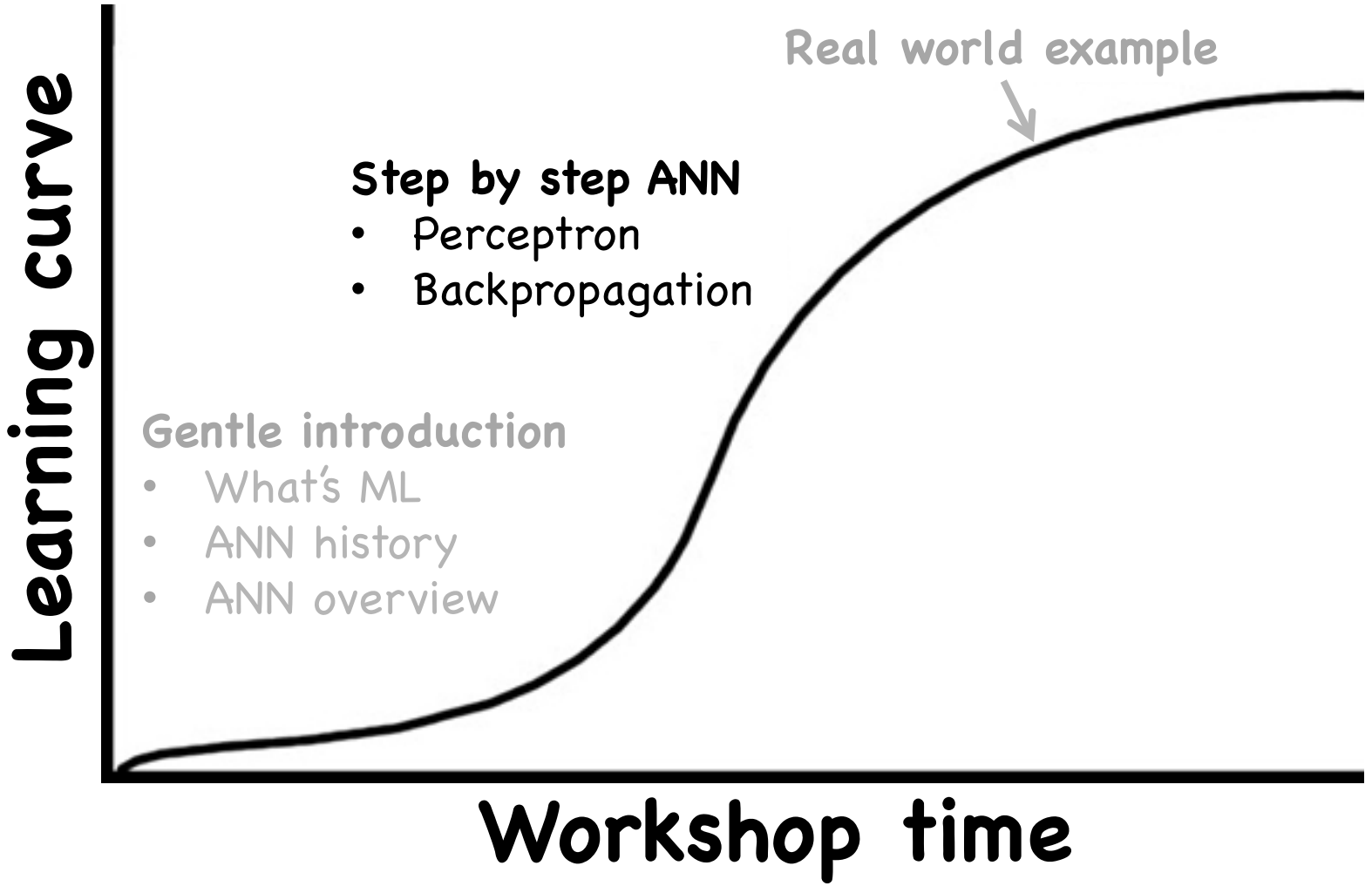
w_1

w_2

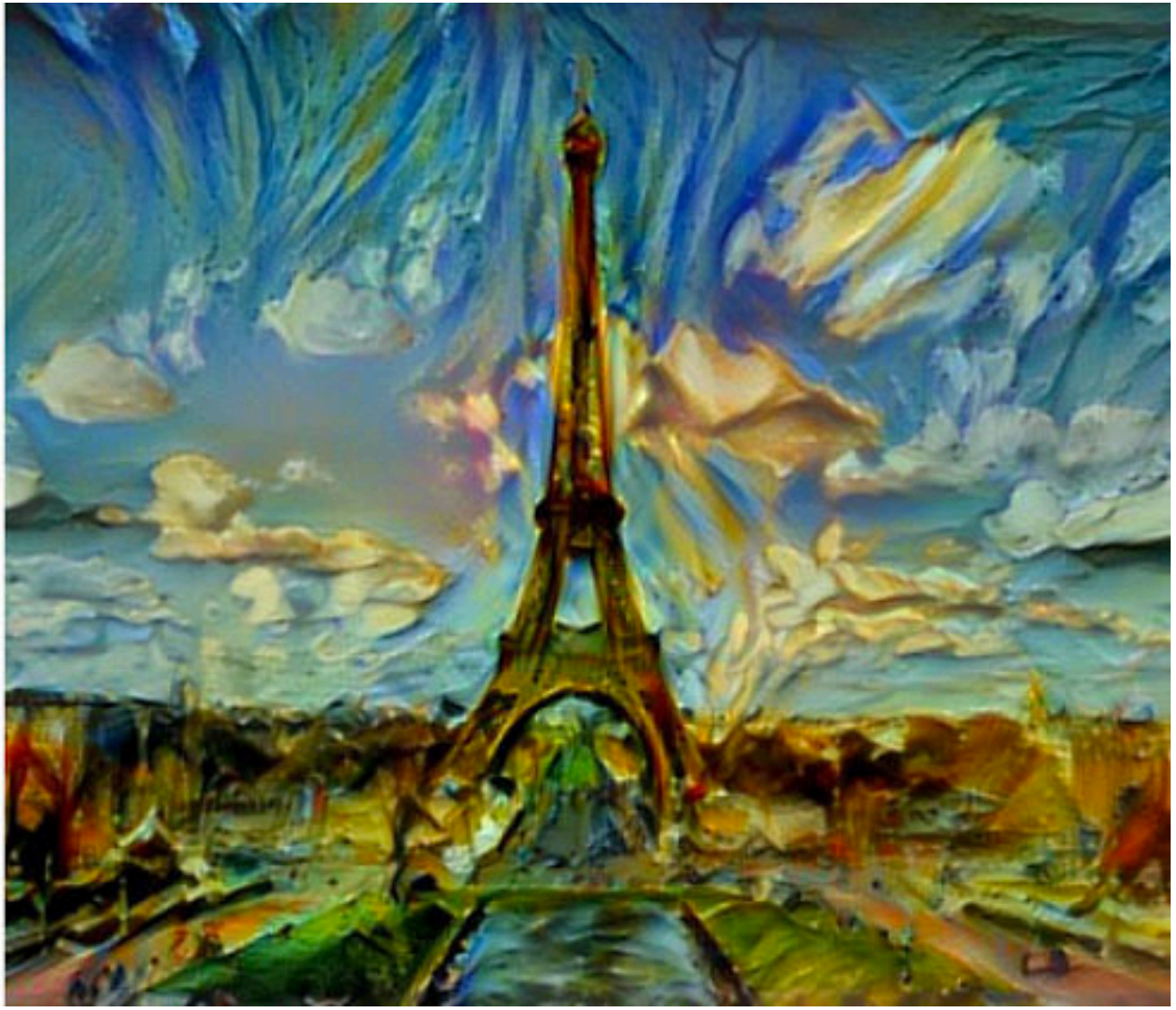
w_n

F(eye×w_1+nose×w_2+…+mouth×w_n)

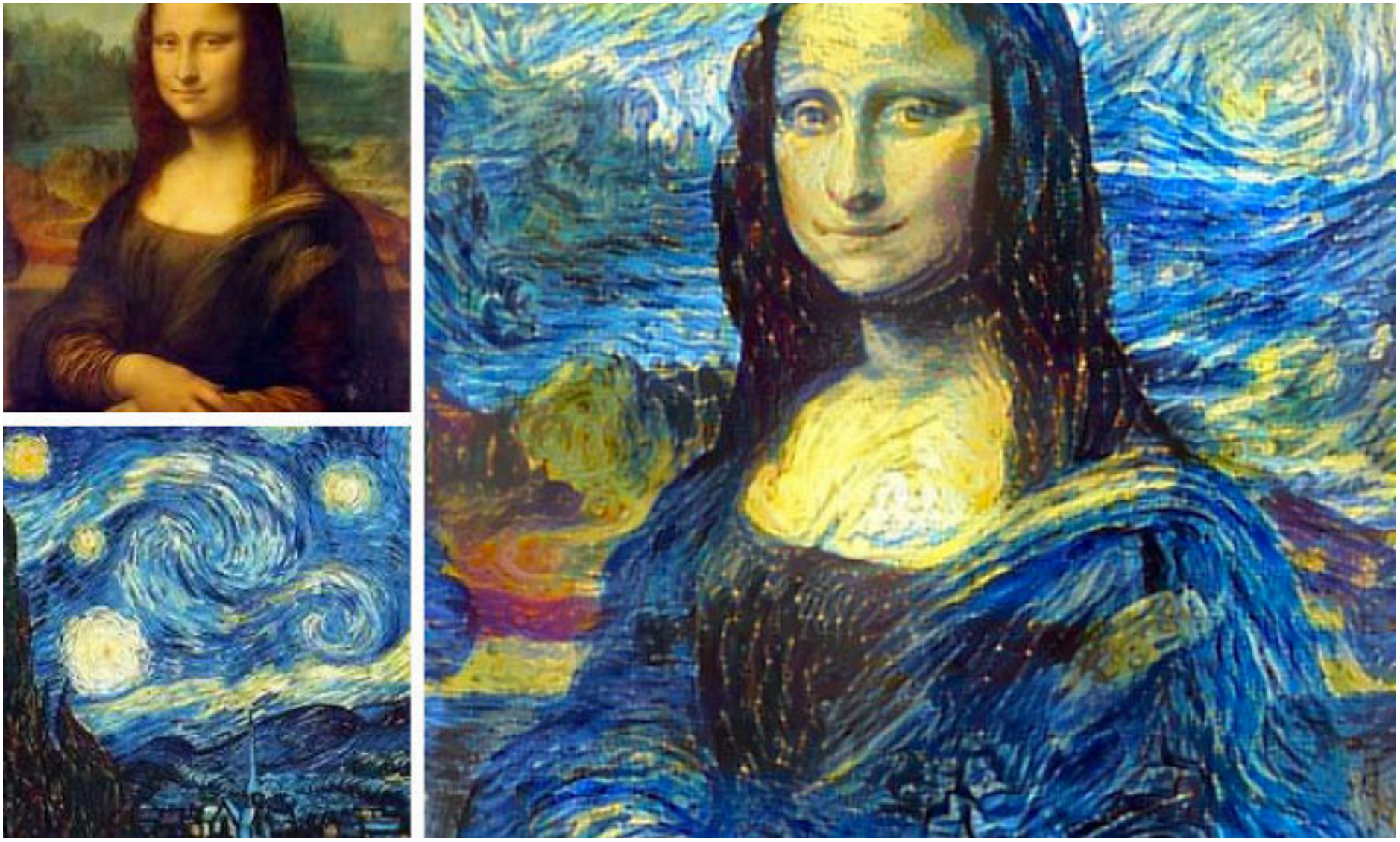
Output


Learning curve
Real world example
Step by step ANN
• Perceptron
• Backpropagation
Gentle introduction
• What's ML
• ANN history
• ANN overview
Workshop time

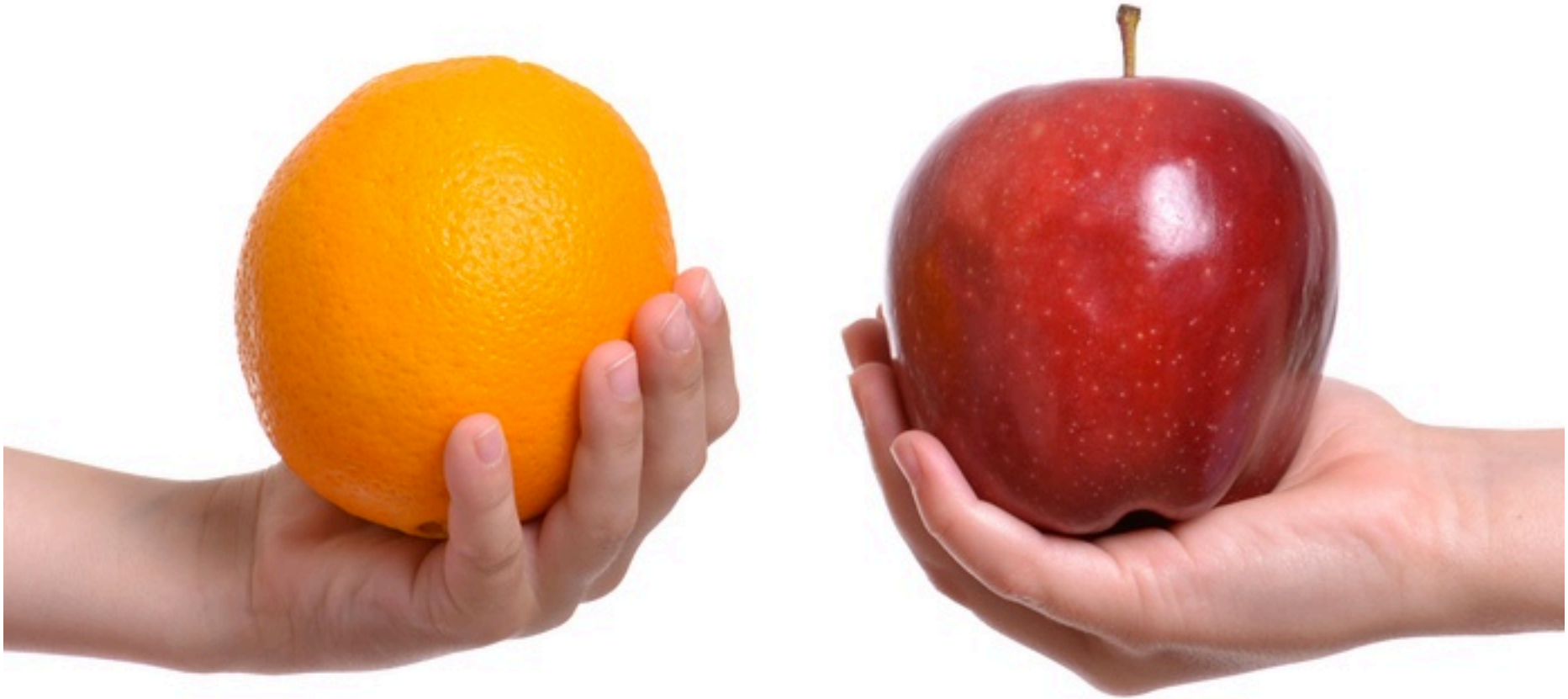
Application: Learn arts

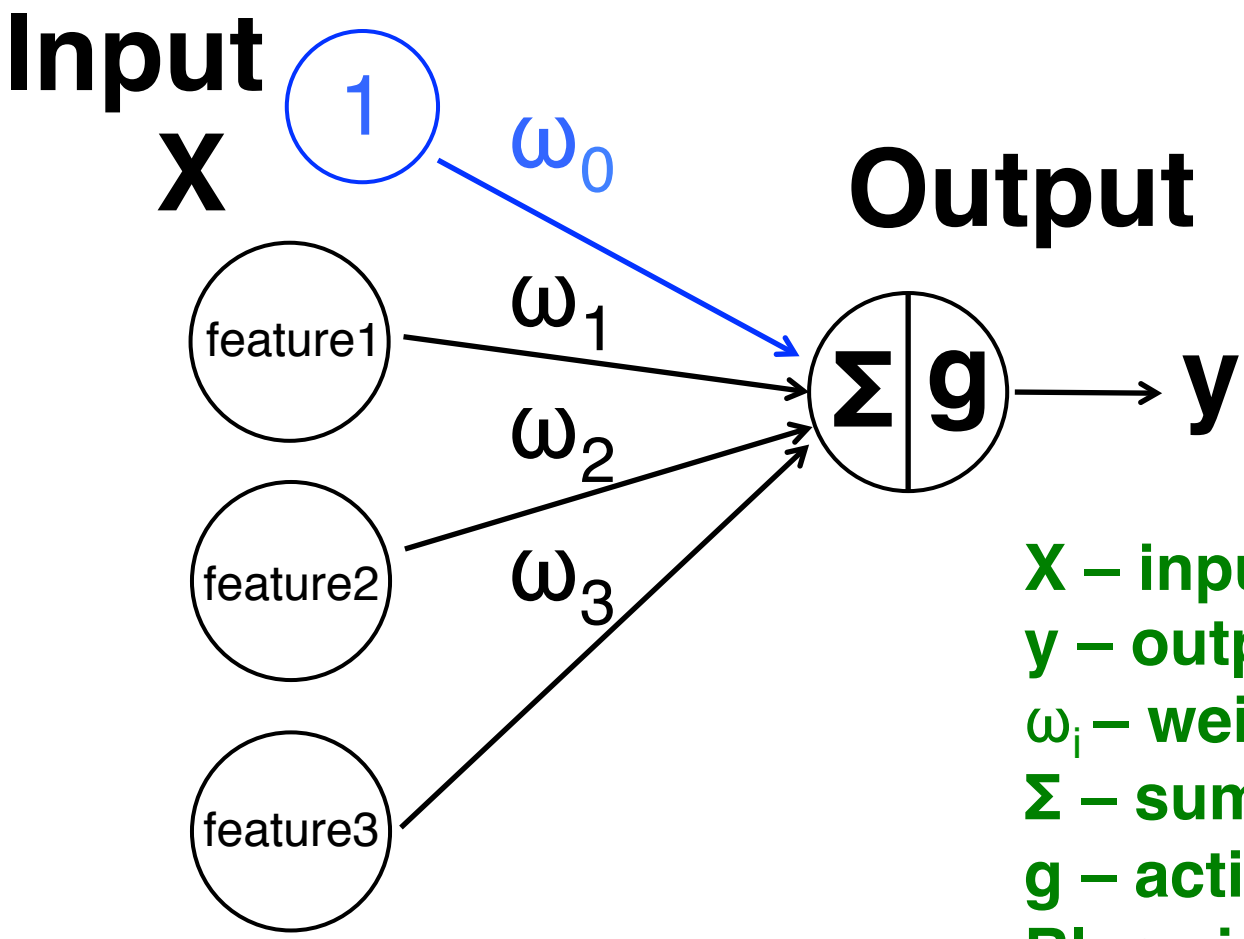


https://arxiv.org/abs/1508.06576v1
https://deepart.io/



http://junkhost.com/2016/03/man-combines-random-peoples-photos-using-neural-networks-and-the-results-are-amazing/

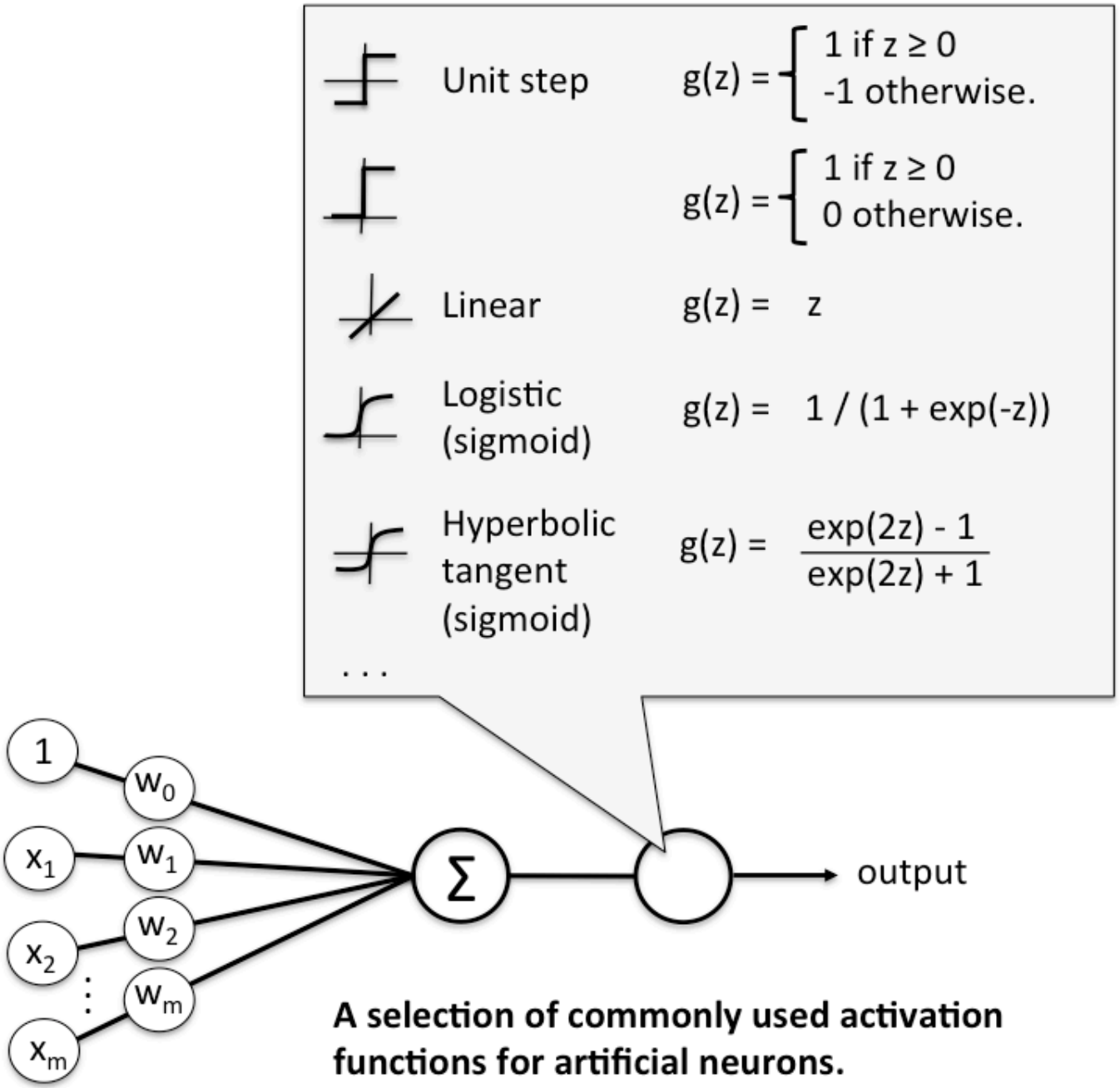




X – input data
y – output target
ω_i – weights
Σ – summation
g – activation function
Blue circle – bias

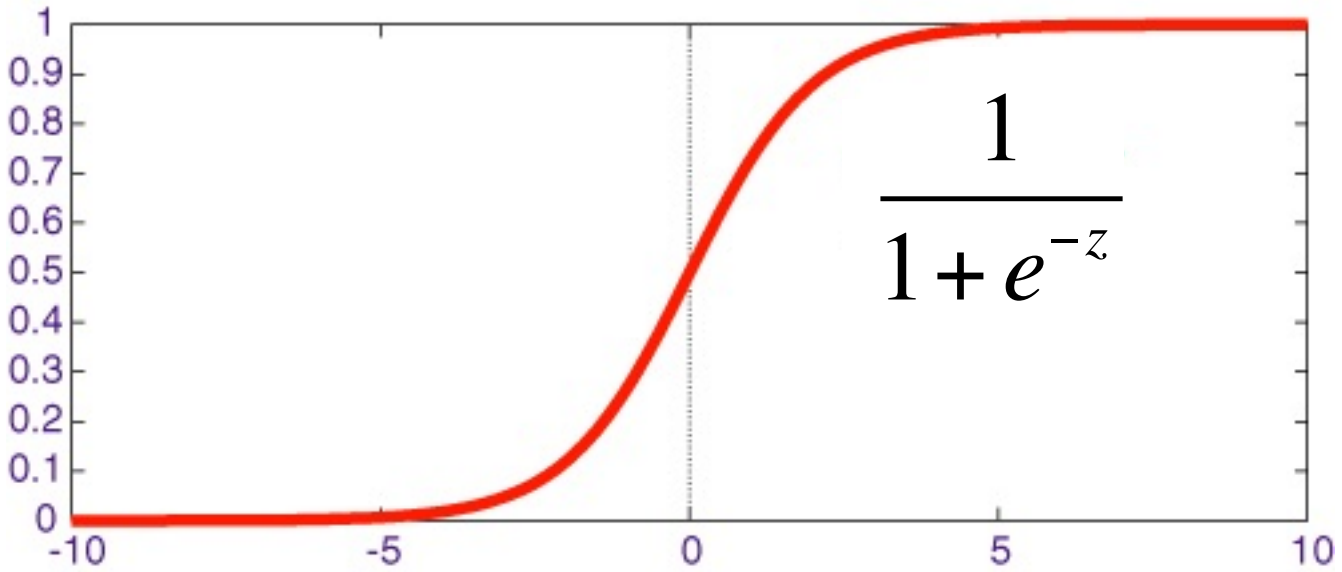
$$Z = \Sigma = \omega_0 x_0 + \omega_1 x_1 + \omega_2 x_2 + \omega_3 x_3 + \ldots + \omega_n x_n$$

$$y = g(\omega_0 x_0 + \omega_1 x_1 + \omega_2 x_2 + \omega_3 x_3 + \ldots + \omega_n x_n)$$



A selection of commonly used activation functions for artificial neurons.

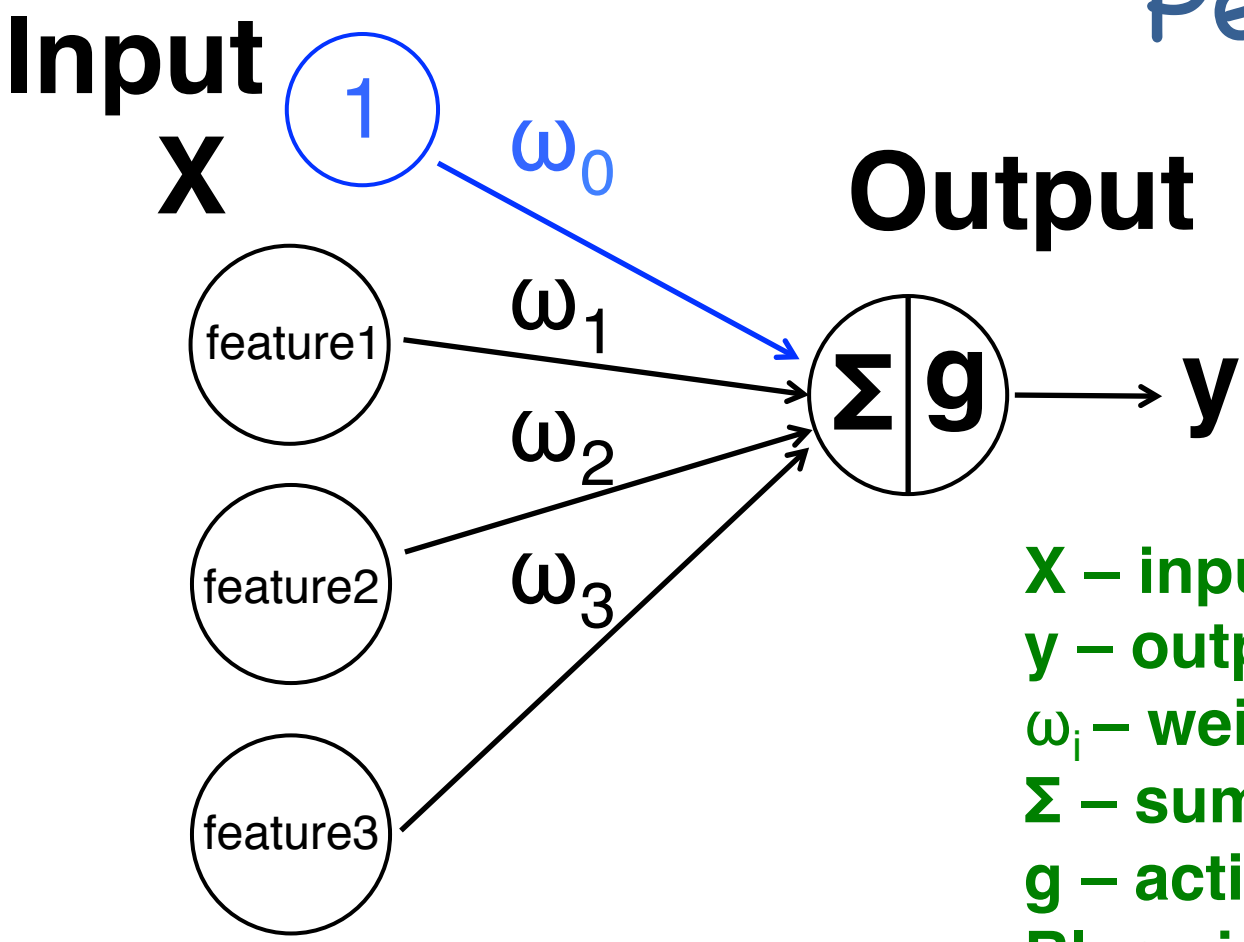
More on activation function



$z = \omega_0 x_0 + \omega_1 x_1 + \omega_2 x_2 + \omega_3 x_3 + \ldots + \omega_n x_n$

$$g(z) = \frac{1}{1+e^{-z}} \qquad \frac{dg(z)}{dx} = g(z)(1-g(z))$$

Perceptron



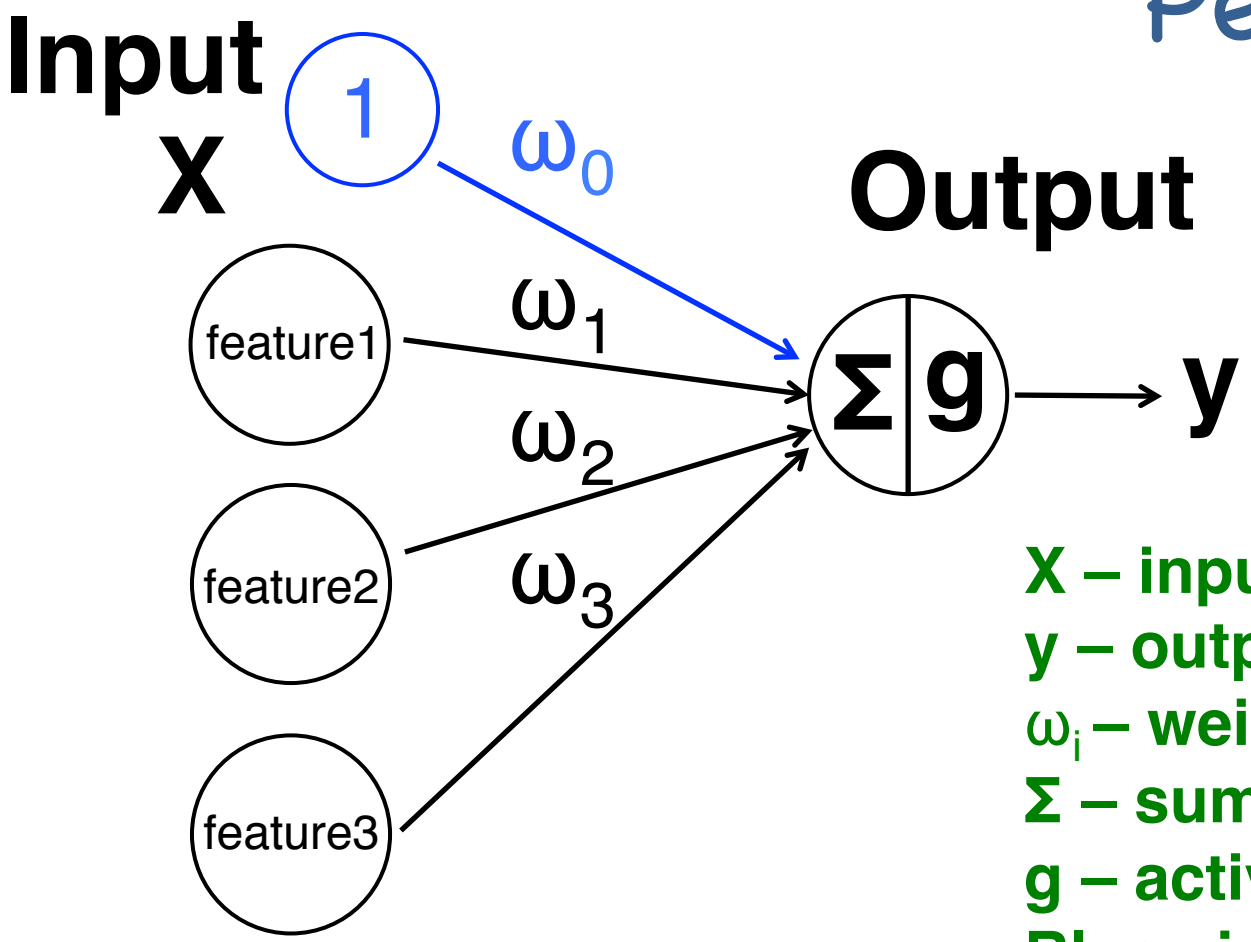
X – input data
y – output target
ω_i – weights
Σ – summation
g – activation function
Blue circle – bias

$$Z = \Sigma = \omega_0 x_0 + \omega_1 x_1 + \omega_2 x_2 + \omega_3 x_3 + \ldots + \omega_n x_n$$

$$y = g(\omega_0 x_0 + \omega_1 x_1 + \omega_2 x_2 + \omega_3 x_3 + \ldots + \omega_n x_n)$$

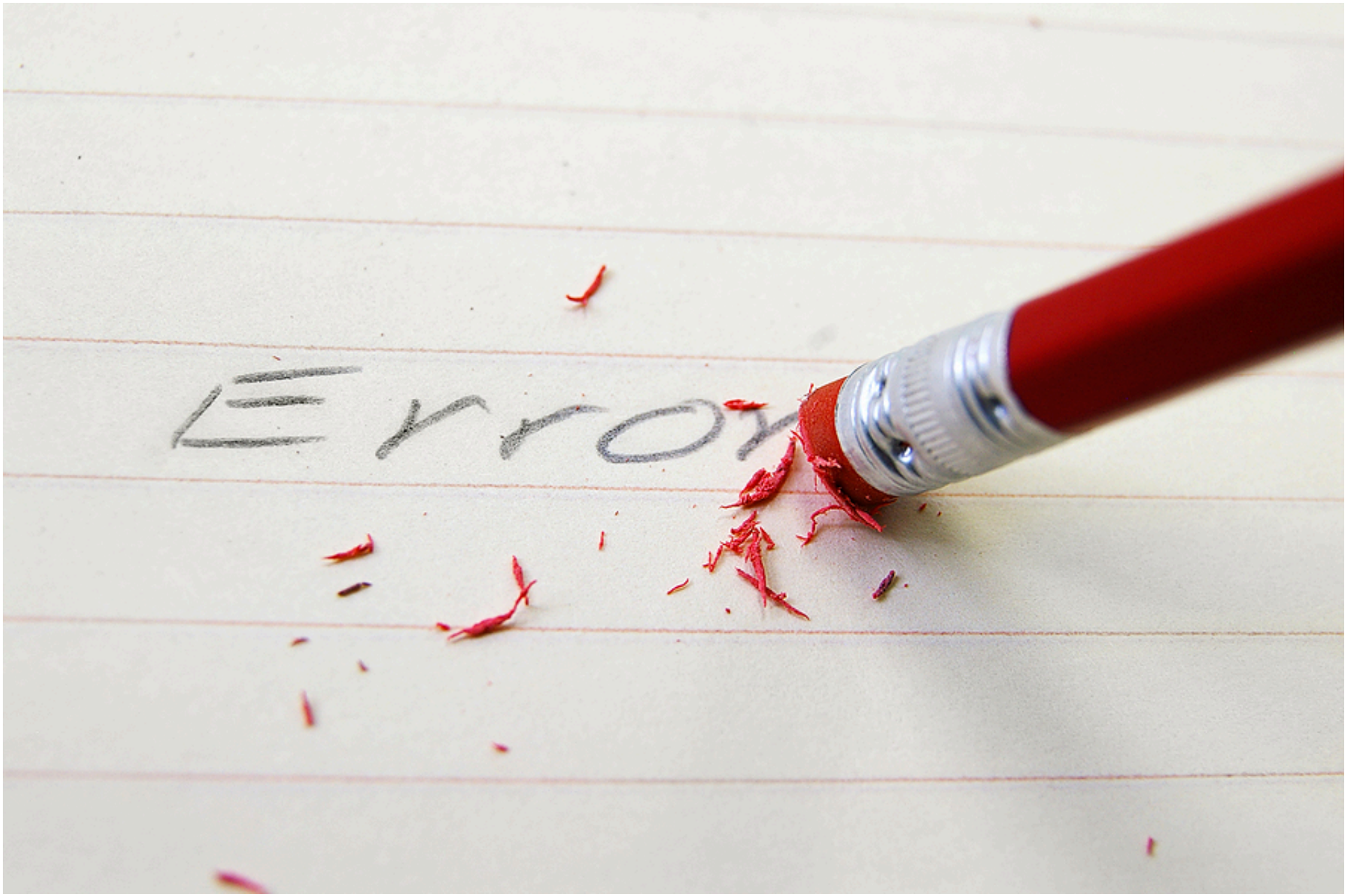
y This is our estimation

Perceptron



X – input data
y – output target
ω_i – weights
Σ – summation
g – activation function
Blue circle – bias

Error = Target - Estimation


ERROR

How the ANN learns

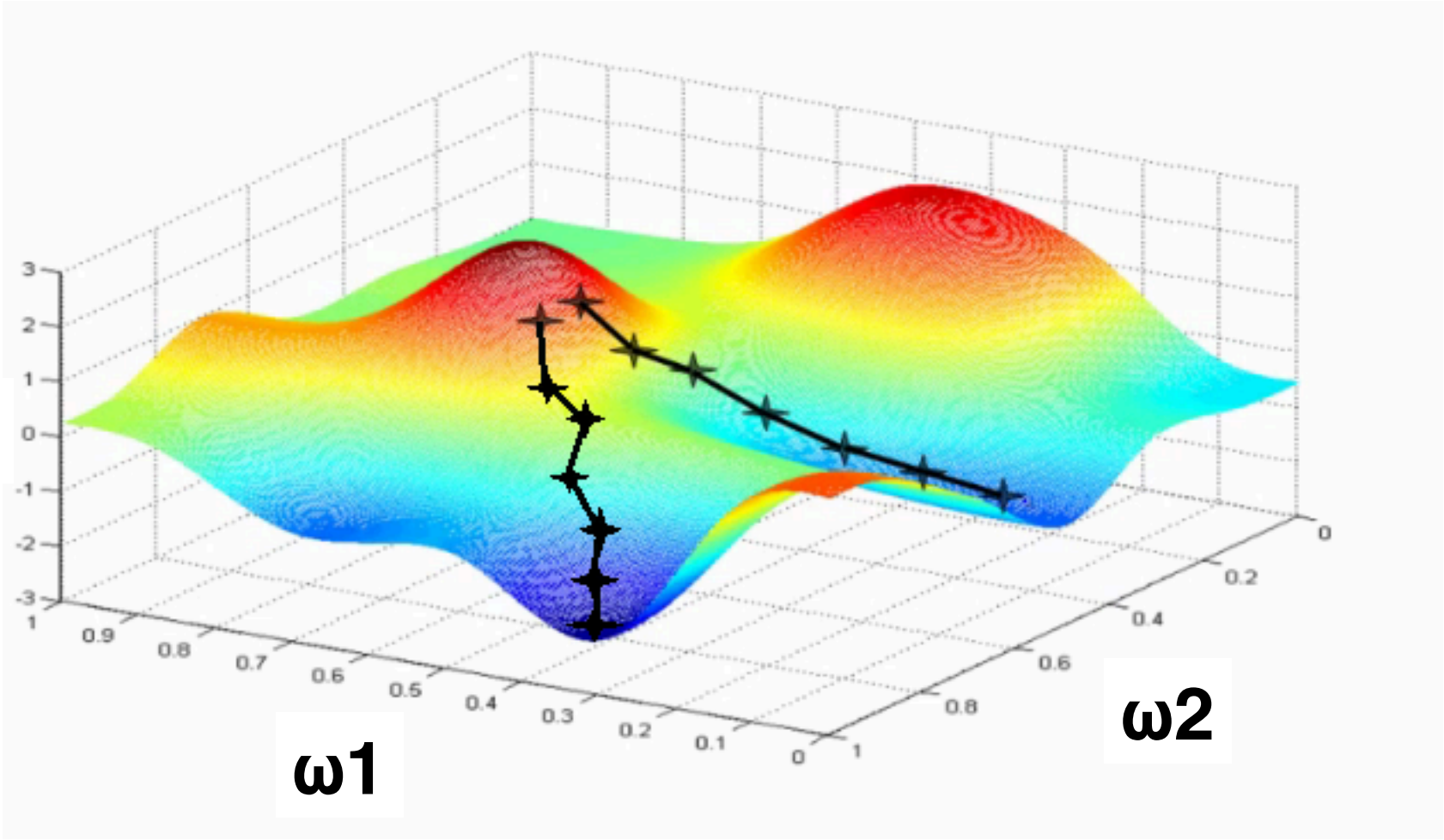
Error = Target - Estimation

Learning:

- **Measure error**
- **Update weights to reduce error next time!**


HOW?

Cost function



View from Gradient Descent

$$Error = \sum_{k=1}^{N} (y_k - t_k)$$

y_k – estimation
t_k – target
Σ – summation

Estimation 0, Target 1, Error = -1
Estimation 1, Target 0, Error = 0

If we add them, we got error 0

View from Gradient Descent

Sum-of-Squares error

$$E(w) = \frac{1}{2}\sum_{k=1}^{N}(y_k - t_k)^2 = \frac{1}{2}\sum_{k=1}^{N}[g(\sum_{i=0}^{L}\omega_{ik}x_i) - t_k]^2$$

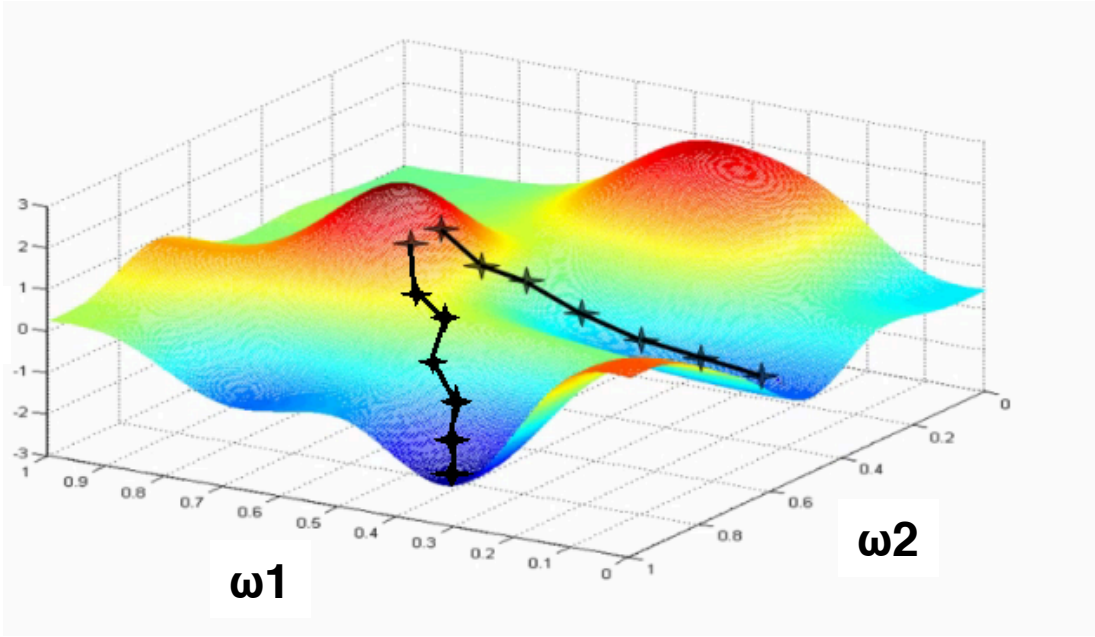
Where $y_k = g(\sum_{i=0}^{L}\omega_{ik}x_i)$

y_k – estimation
t_k – target
Σ – summation
g – activation function
x_i – input
ω - weights

View from Gradient Descent

Sum-of-Squares error

$$E(w) = \frac{1}{2}\sum_{k=1}^{N}(y_k - t_k)^2 = \frac{1}{2}\sum_{k=1}^{N}[g(\sum_{i=0}^{L}\omega_{ik}x_i) - t_k]^2$$



y_k – estimation
t_k – target
Σ – summation
g – activation function
x_i – input
ω - weights

View from Gradient Descent

$$\frac{\partial E}{\partial \omega_{ik}} = \frac{\partial}{\partial \omega_{ik}}\left(\frac{1}{2}\sum_{k=1}^{N}(y_k - t_k)^2\right)$$

$$= \frac{\partial}{\partial \omega_{ik}}\left(\frac{1}{2}\sum_{k=1}^{N}[g(\sum_{i=0}^{L}\omega_{ik}x_i) - t_k]^2\right)$$

$$= \frac{1}{2}\sum_{k=1}^{N}2(g(\sum_{i=0}^{L}\omega_{ik}x_i) - t_k)\frac{\partial}{\partial \omega_{ik}}\left(g(\sum_{i=0}^{L}\omega_{ik}x_i) - t_k\right)$$

$$= \sum_{k=1}^{N}(y_k - t_k)\frac{\partial g}{\partial \omega_{ik}}x_i =$$

Error × slope × input

Weights update rules

Weights Delta = Error × slope × input

How much we will update
the weights for next time

Look at errors closer

Error = Target - Estimation

Target


0
1


Look at errors closer

Error = Target - Estimation

Target

 **0** **1** 

Three cases:

- **Error < 0: Target is 0, estimation is not 0**
- **Error > 0: Target is 1, estimation is not 1**
- **Error = 0: Estimation correct**

Look at errors closer (assume inputs are positive)

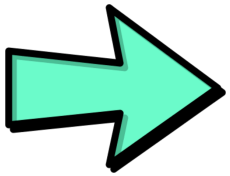
Cases 1:

- **Error < 0: Target is 0, estimation is not 0**

Look at errors closer (assume inputs are positive)

Cases 1:

- **Target is 0**
- **Estimation is 0.3**



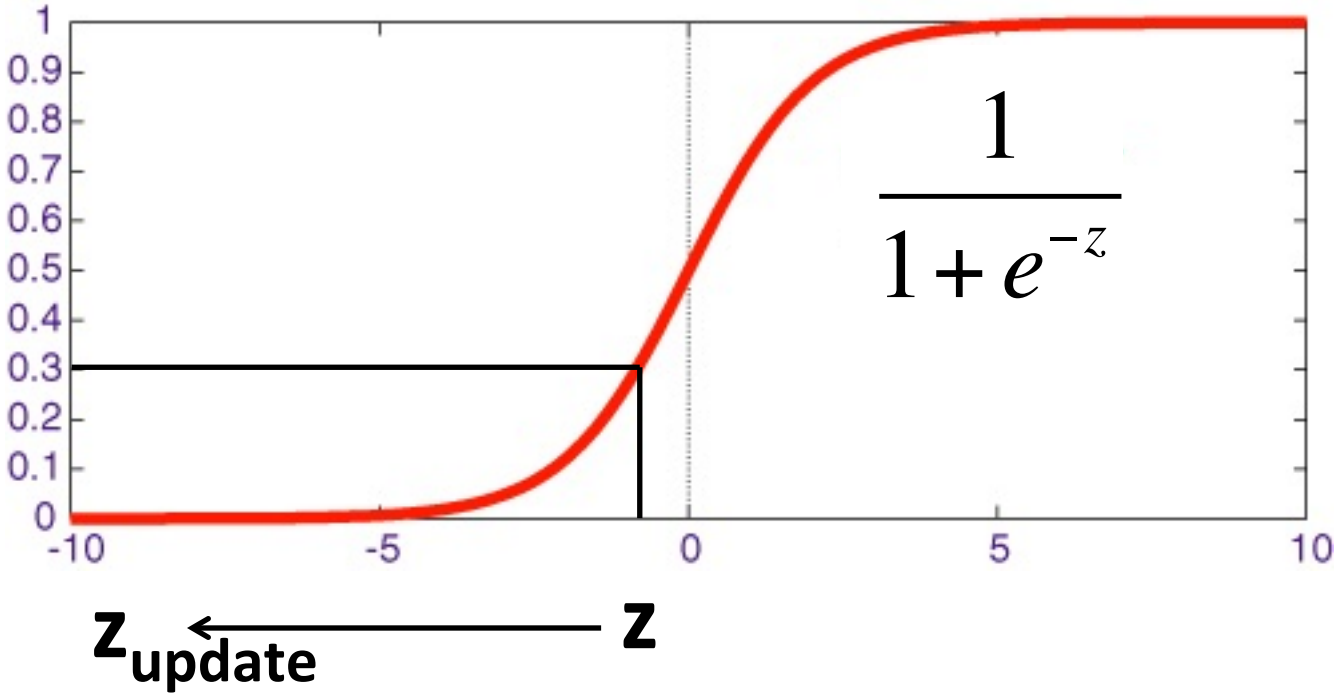
Error = 0 – 0.3 =-0.3

Look at errors closer (assume inputs are positive)

Cases 1:

- **Target is 0**
- **Estimation is 0.3**

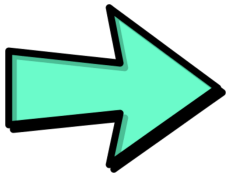
Error = 0 – 0.3 =-0.3



Look at errors closer (assume inputs are positive)

Cases 1:

- **Target is 0**
- **Estimation is 0.3**



Error = 0 – 0.3 =-0.3

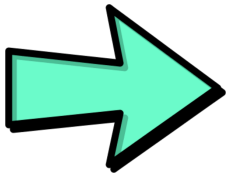
$$z = \omega_0 x_0 + \omega_1 x_1 + \omega_2 x_2 + \omega_3 x_3$$

We need reduce weights!

Look at errors closer (assume inputs are positive)

Cases 1:

- **Target is 0**
- **Estimation is 0.3**



Error = 0 – 0.3 =-0.3

$$z = \omega_0 x_0 + \omega_1 x_1 + \omega_2 x_2 + \omega_3 x_3$$

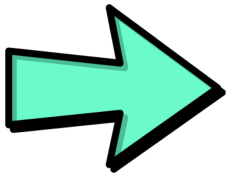
We need reduce weights!

If we add error to the weights, we will reduce it!

Look at errors closer (assume inputs are positive)

Cases 1:

- Target is 0
- Estimation is 0.3



Error = 0 – 0.3 =-0.3

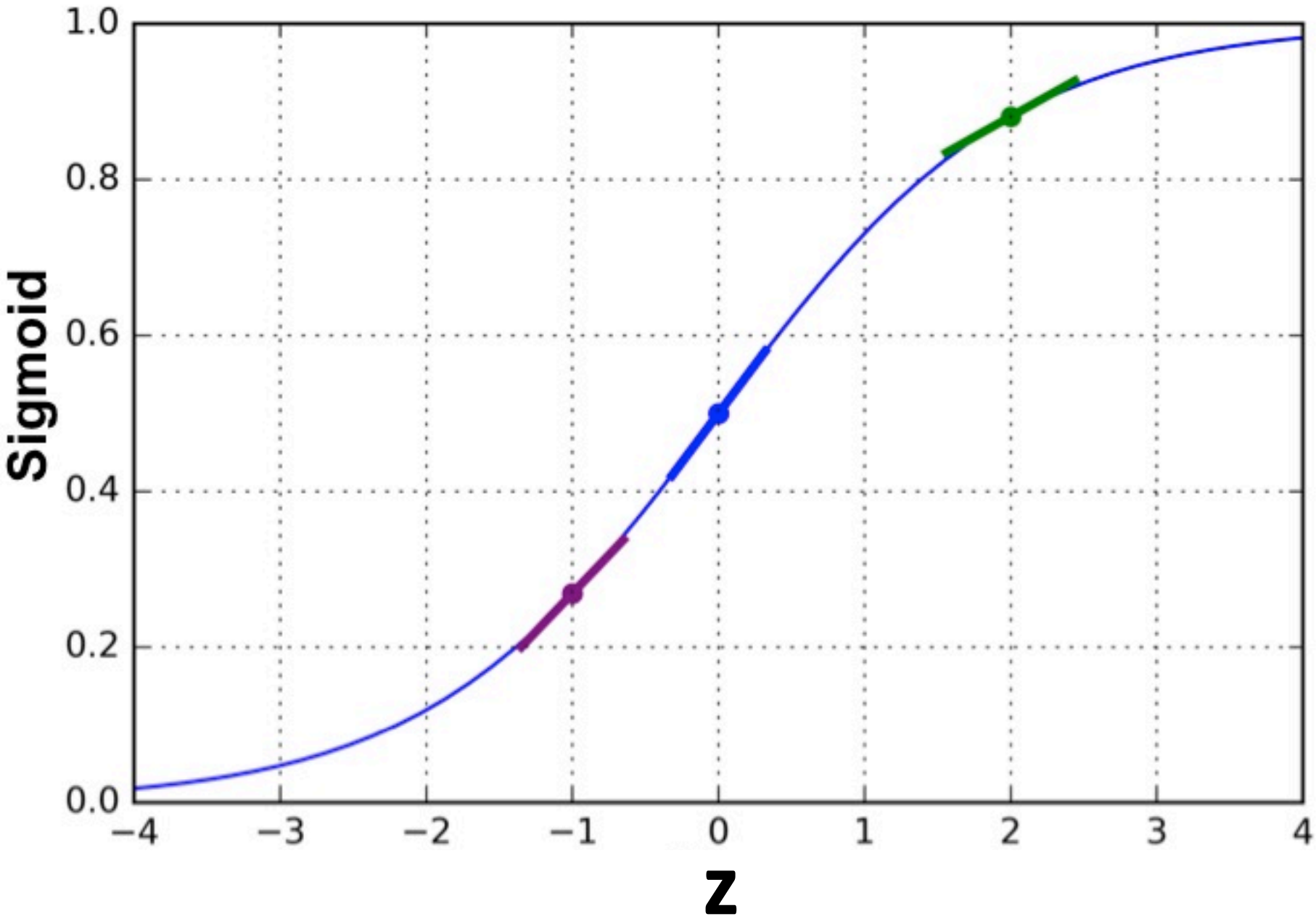
$$z = \omega_0 x_0 + \omega_1 x_1 + \omega_2 x_2 + \omega_3 x_3$$

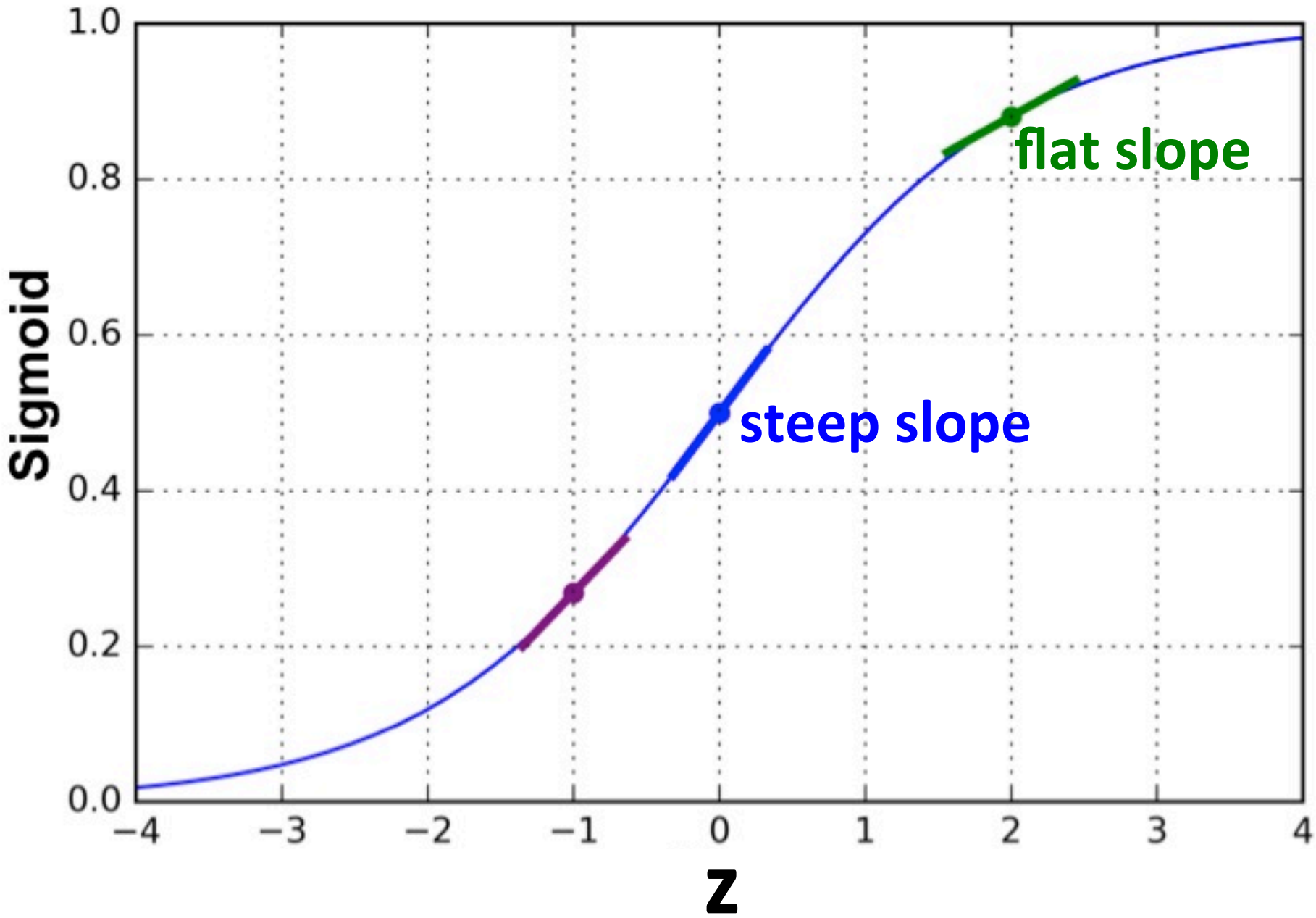
We need reduce weights!

But what if the inputs are negative

Weights update rules

Weights Delta = Error × input

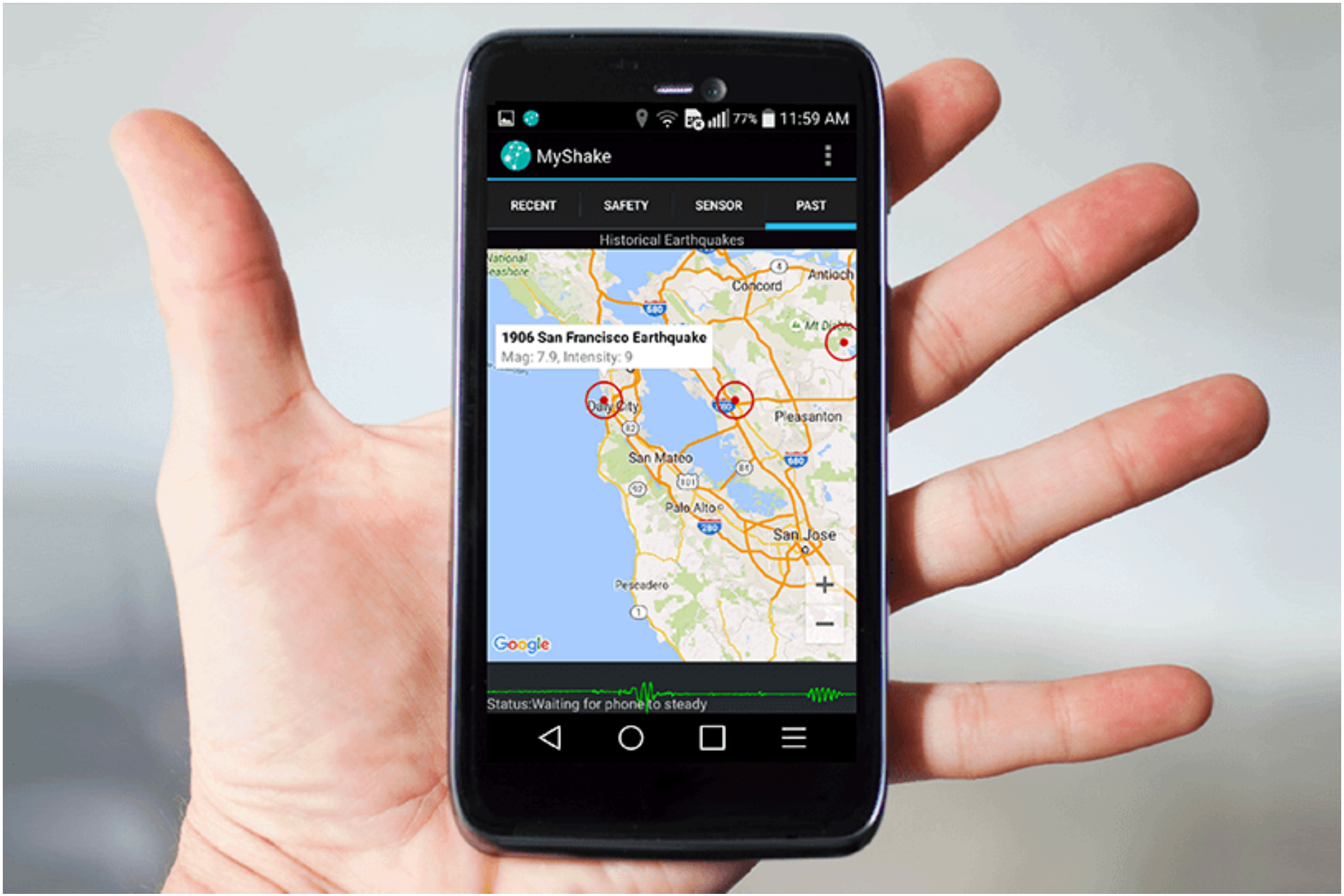

1.0
0.8
0.6
0.4
0.2
0.0
Sigmoid
−4
−3
−2
−1
0
1
2
3
4
z


1.0
0.8
0.6
0.4
0.2
0.0
Sigmoid
−4
−3
−2
−1
0
1
2
3
4
z
flat slope
steep slope

Weights update rules

Weights Delta = Error × slope × input

Learn from example

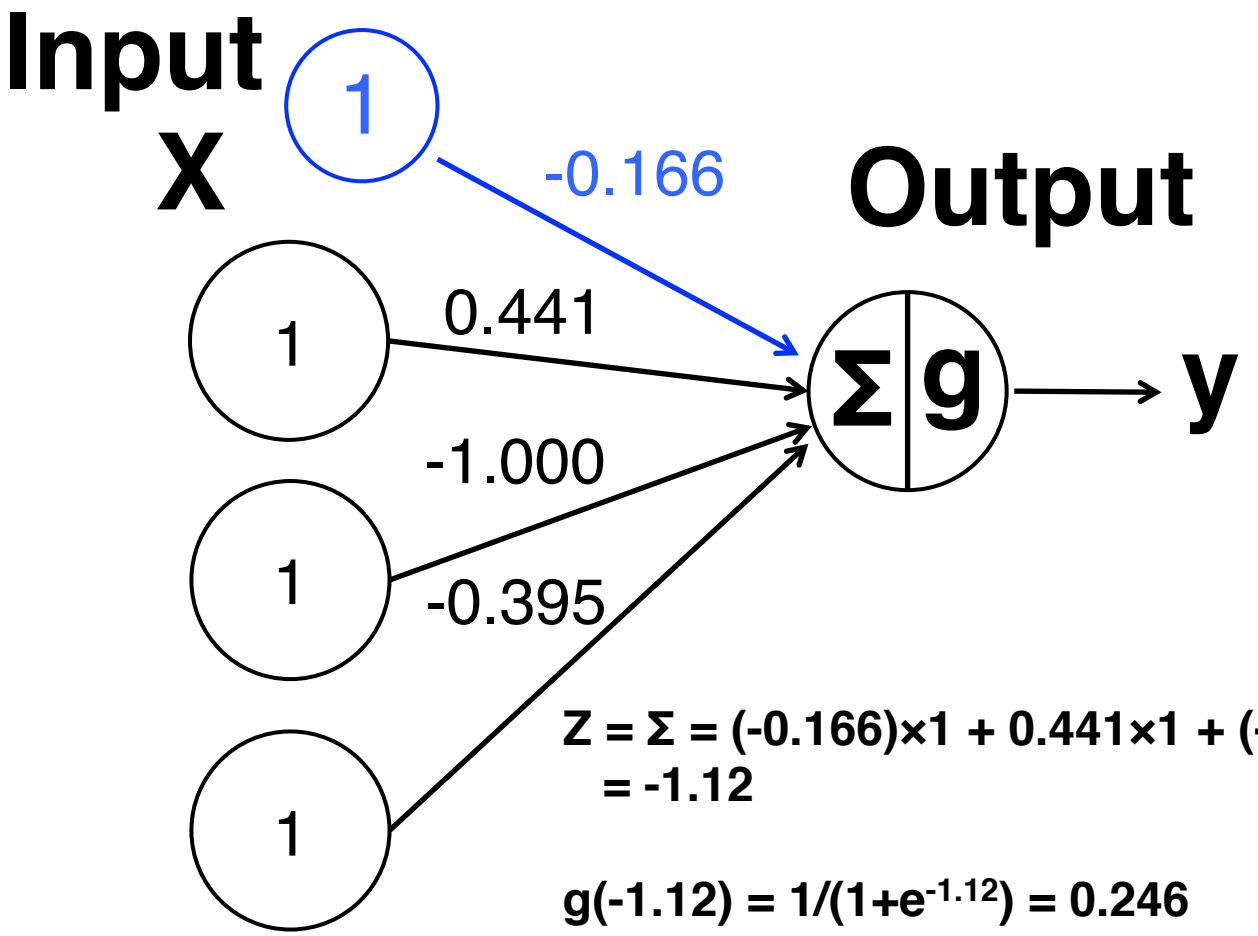

11:59 AM
MyShake
RECENT
SAFETY
SENSOR
PAST
Historical Earthquakes
1906 San Francisco Earthquake
Mag: 7.9, Intensity: 9
Concord
Antioch
Daly City
Pleasanton
San Mateo
Palo Alto
San Jose
Pescadero
Google
Status:Waiting for phone to steady

Learn from Example

Sample	Feature 1	Feature 2	Feature 3	Target
Sample 1	0	0	1	0 
Sample 2	1	1	1	1 
Sample 3	1	0	1	1 
Sample 4	0	1	1	0 
Sample 5	0	1	0	1 

How to deal with errors

Sample	Feature 1	Feature 2	Feature 3	Target
Sample 1	1	1	1	1



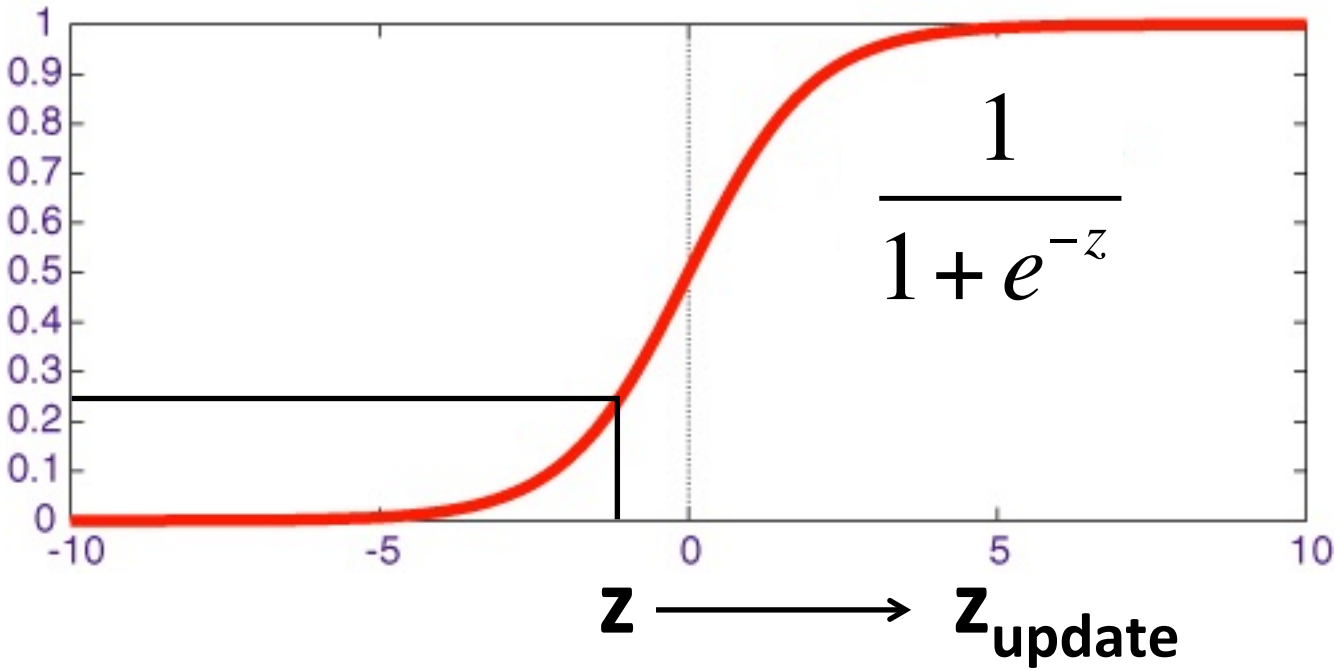
Z = Σ = (-0.166)×1 + 0.441×1 + (-1)×1 + (-0.395)×1
= -1.12

$g(-1.12) = 1/(1+e^{-1.12}) = 0.246$

Error = 1 – 0.246 = 0.754

- **Target: 1**
- **Estimation: 0.246**

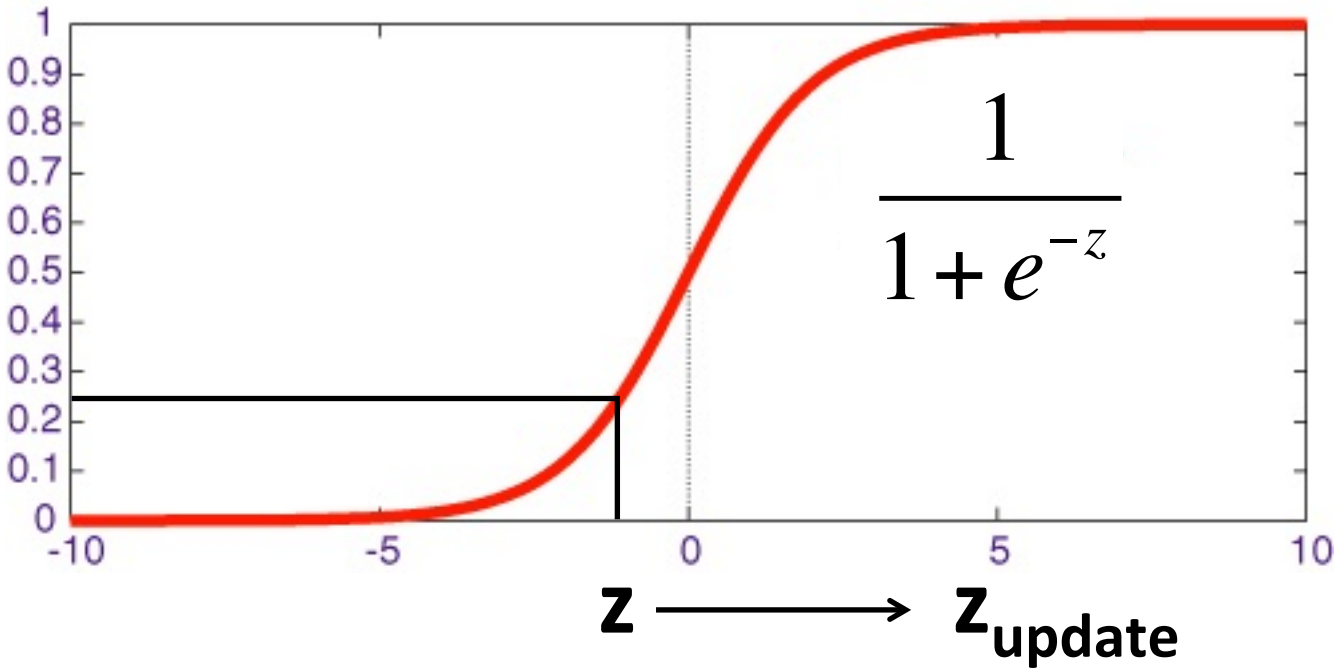
Error 0.754



- **Target: 1**

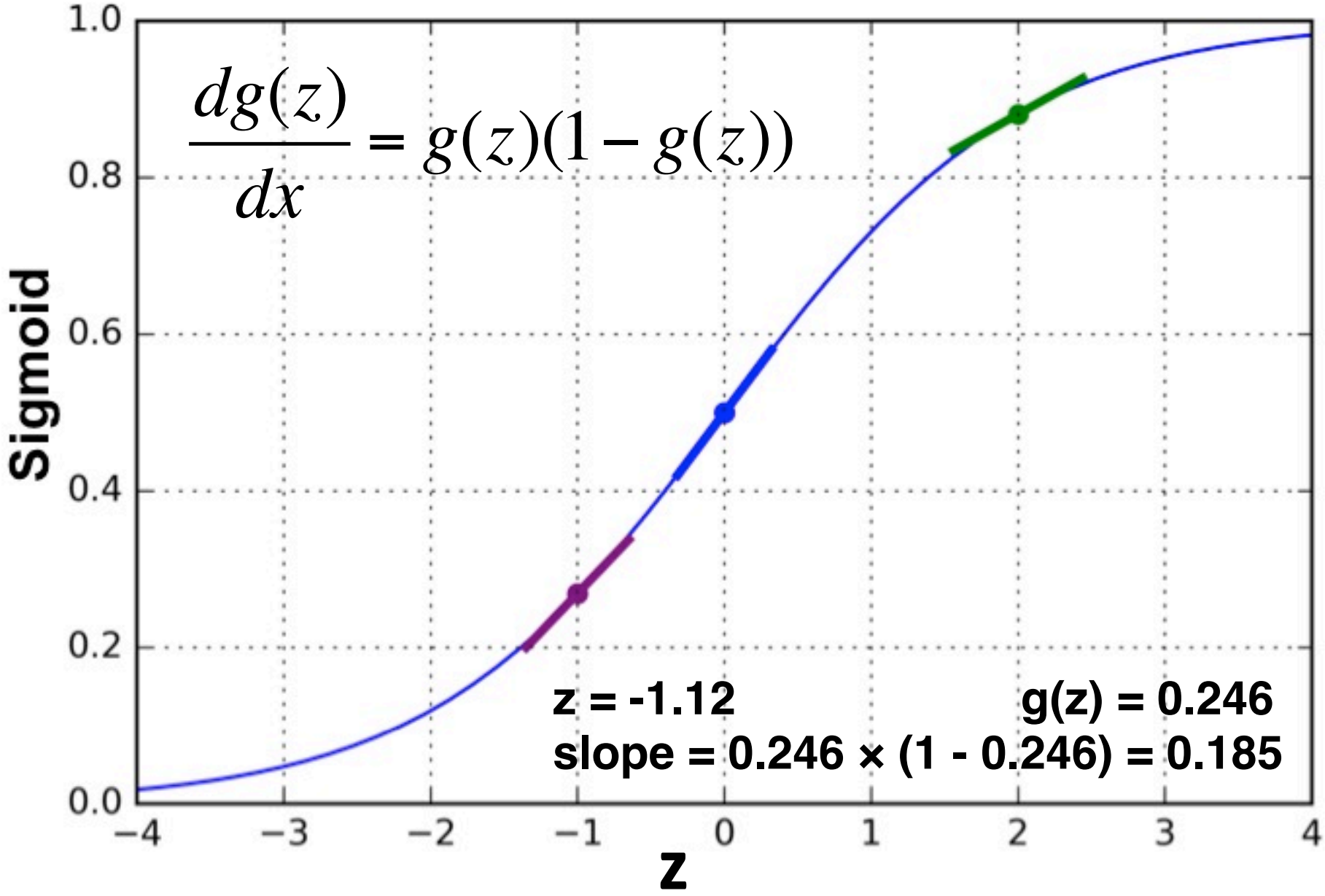
- **Estimation: 0.246**

Error 0.754



We want to increase the weights next time to have larger z

Weights delta = 0.754 × slope × input


$\frac{dg(z)}{dx} = g(z)(1 - g(z))$
Sigmoid
z
1.0
0.8
0.6
0.4
0.2
0.0
−4
−3
−2
−1
0
1
2
3
4
z = -1.12
g(z) = 0.246
slope = 0.246 × (1 - 0.246) = 0.185

$$\text{Change item} = 0.754 \times 0.185 \times \begin{bmatrix} 1 \\ 1 \\ 1 \\ 1 \end{bmatrix}$$

$$= \begin{bmatrix} 0.139 \\ 0.139 \\ 0.139 \\ 0.139 \end{bmatrix}$$

Changes of the error

$$\text{Updated Weights} = \begin{bmatrix} -0.166 \\ 0.441 \\ -1.000 \\ -0.395 \end{bmatrix} + \begin{bmatrix} 0.139 \\ 0.139 \\ 0.139 \\ 0.139 \end{bmatrix} = \begin{bmatrix} -0.027 \\ 0.580 \\ -0.861 \\ -0.256 \end{bmatrix}$$

Original Weights

updates

Changes of the error

$$\text{Updated Weights} = \begin{bmatrix} -0.166 \\ 0.441 \\ -1.000 \\ -0.395 \end{bmatrix} + \begin{bmatrix} 0.139 \\ 0.139 \\ 0.139 \\ 0.139 \end{bmatrix} = \begin{bmatrix} -0.027 \\ 0.580 \\ -0.861 \\ -0.256 \end{bmatrix}$$

Error of next iteration

z = (-0.027)×1 + 0.580×1 + (-0.861)×1 + (-0.256) ×1 = -0.564

g(z) = 0.637

Error = 1 – 0.637 = 0.363

Changes of the error

0.754

0.363

Iterate many times

Go to notebook 01

Application: DeepDrumpf

https://twitter.com/DeepDrumpf

DeepDrumpf @DeepDrumpf · Mar 9

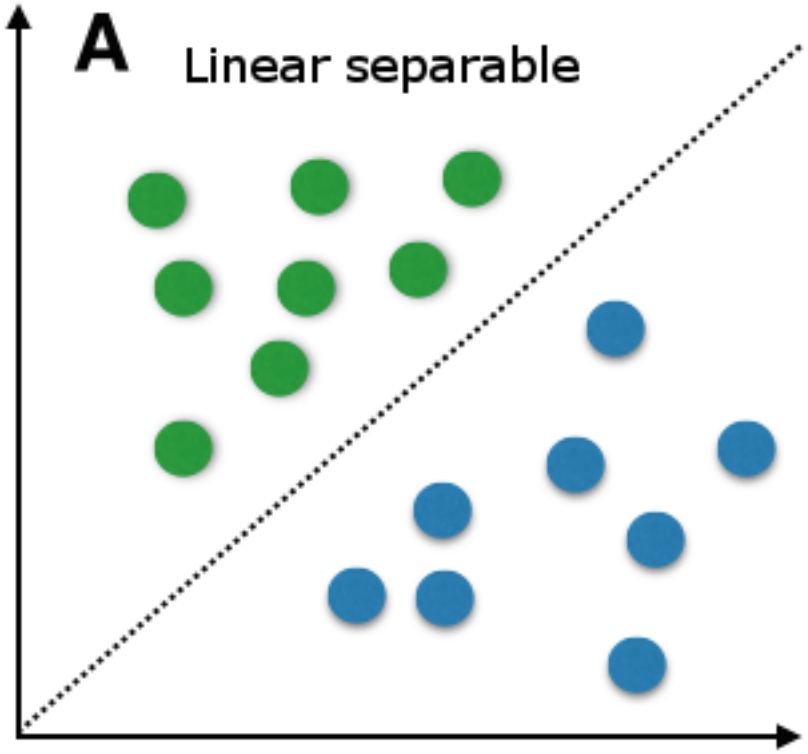
I love the states. I win them. Ohio is beautiful, I buy it. Thank you very much. I buy Hillary, it's beautiful and I'm happy about it.

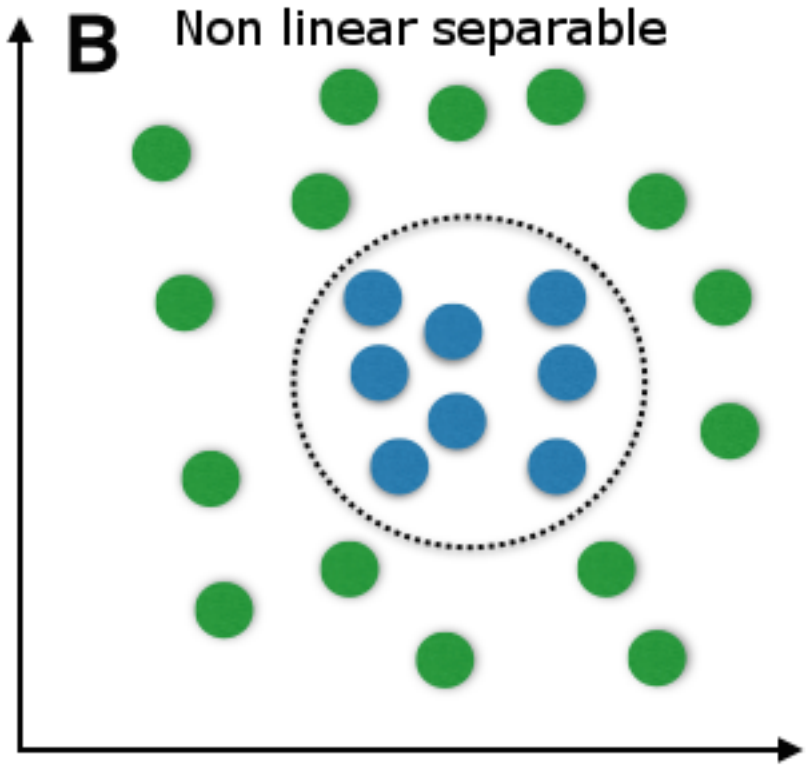
DeepDrumpf @DeepDrumpf · 18h

I'm going to be a good president of the world. Ted can't do that.

80 152 •••

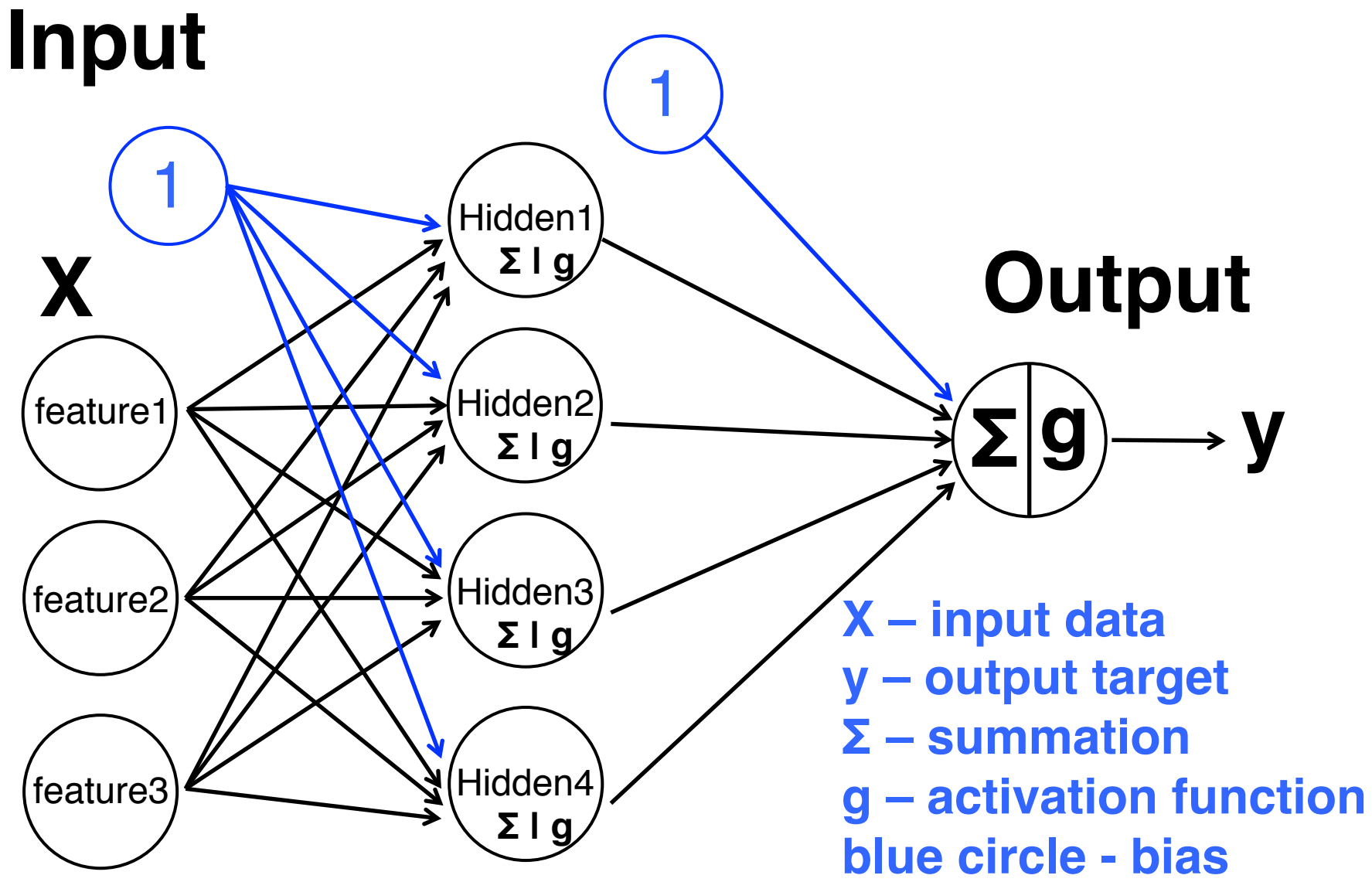
Perceptron limitations

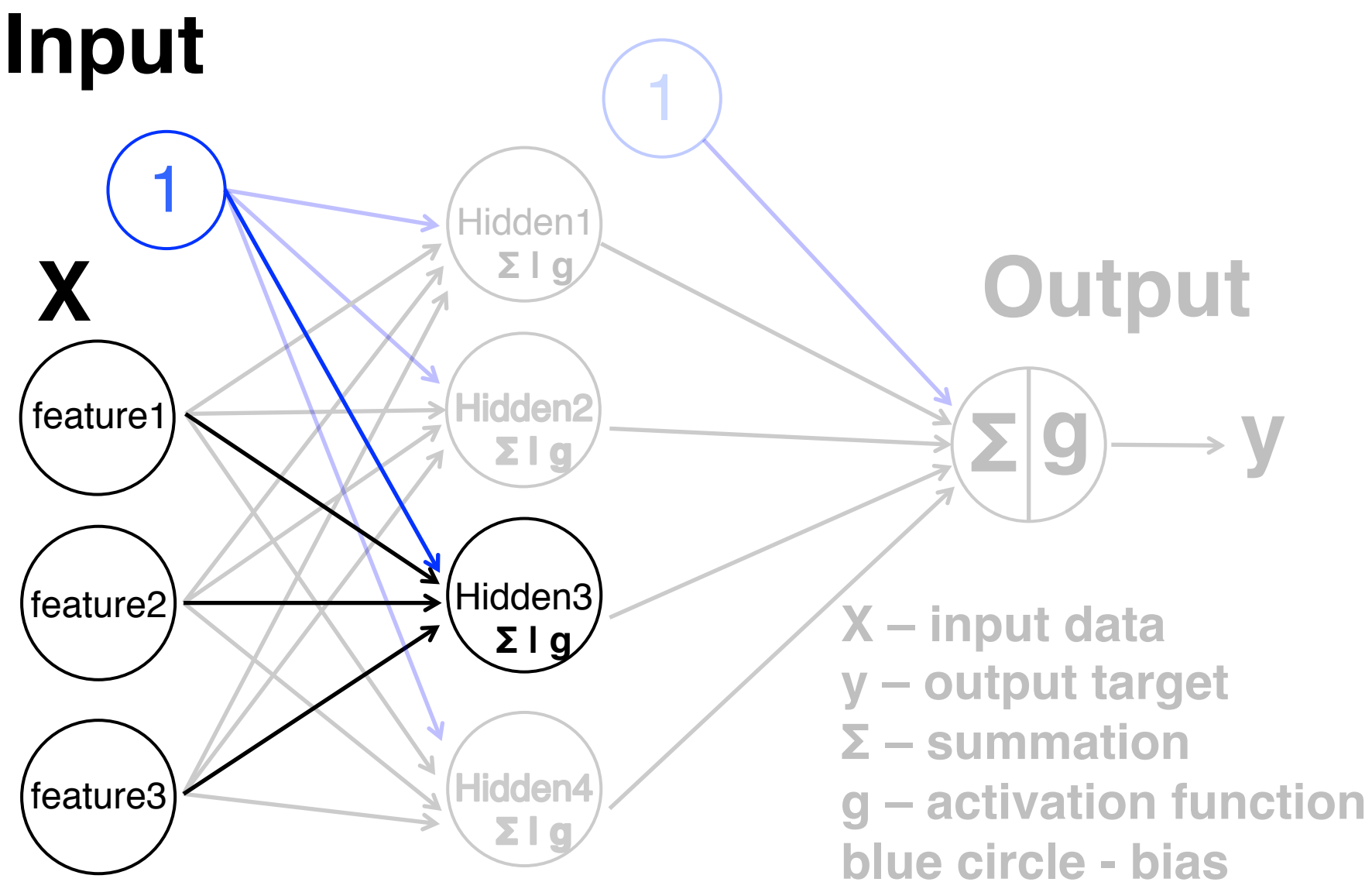


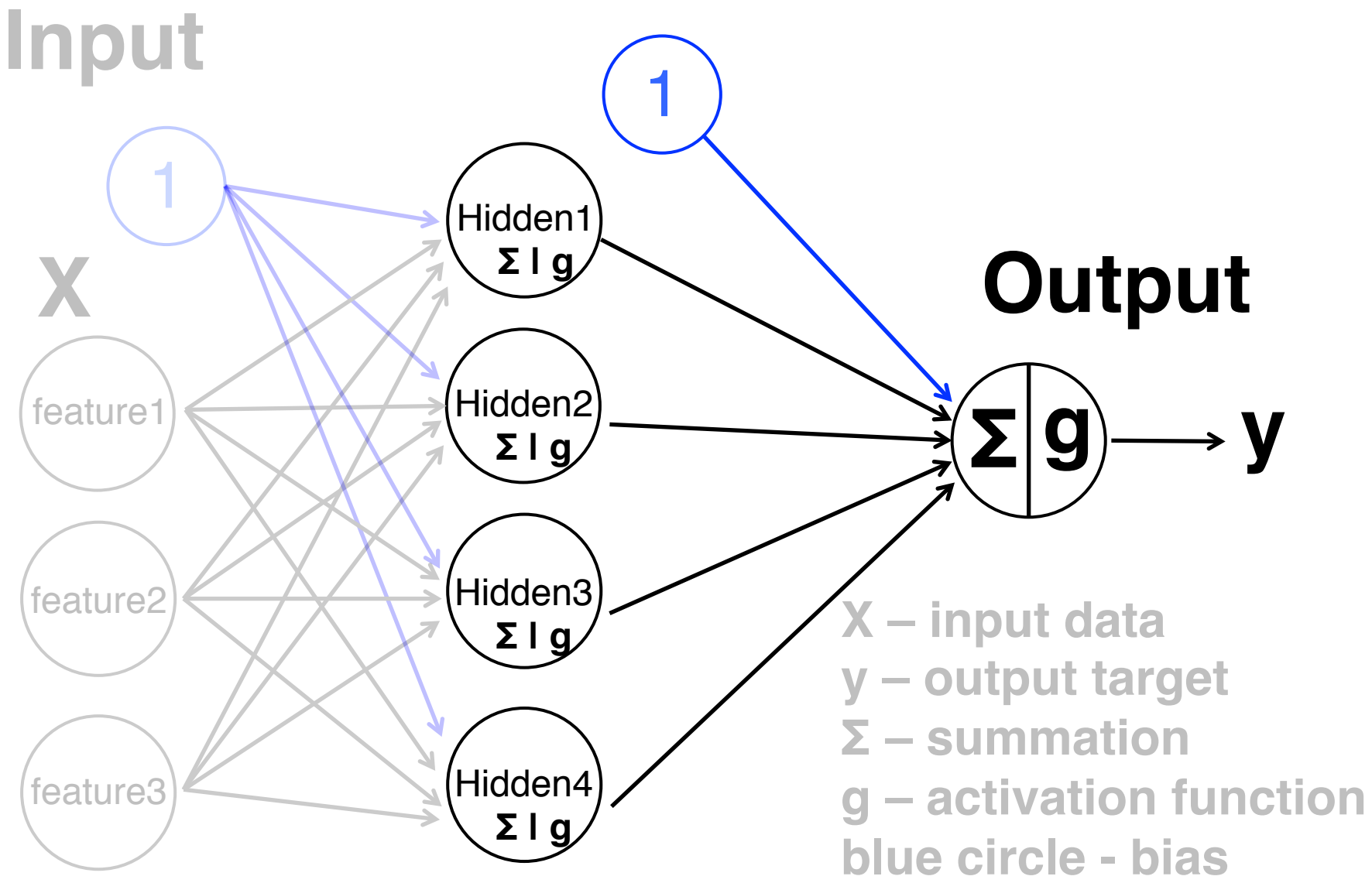


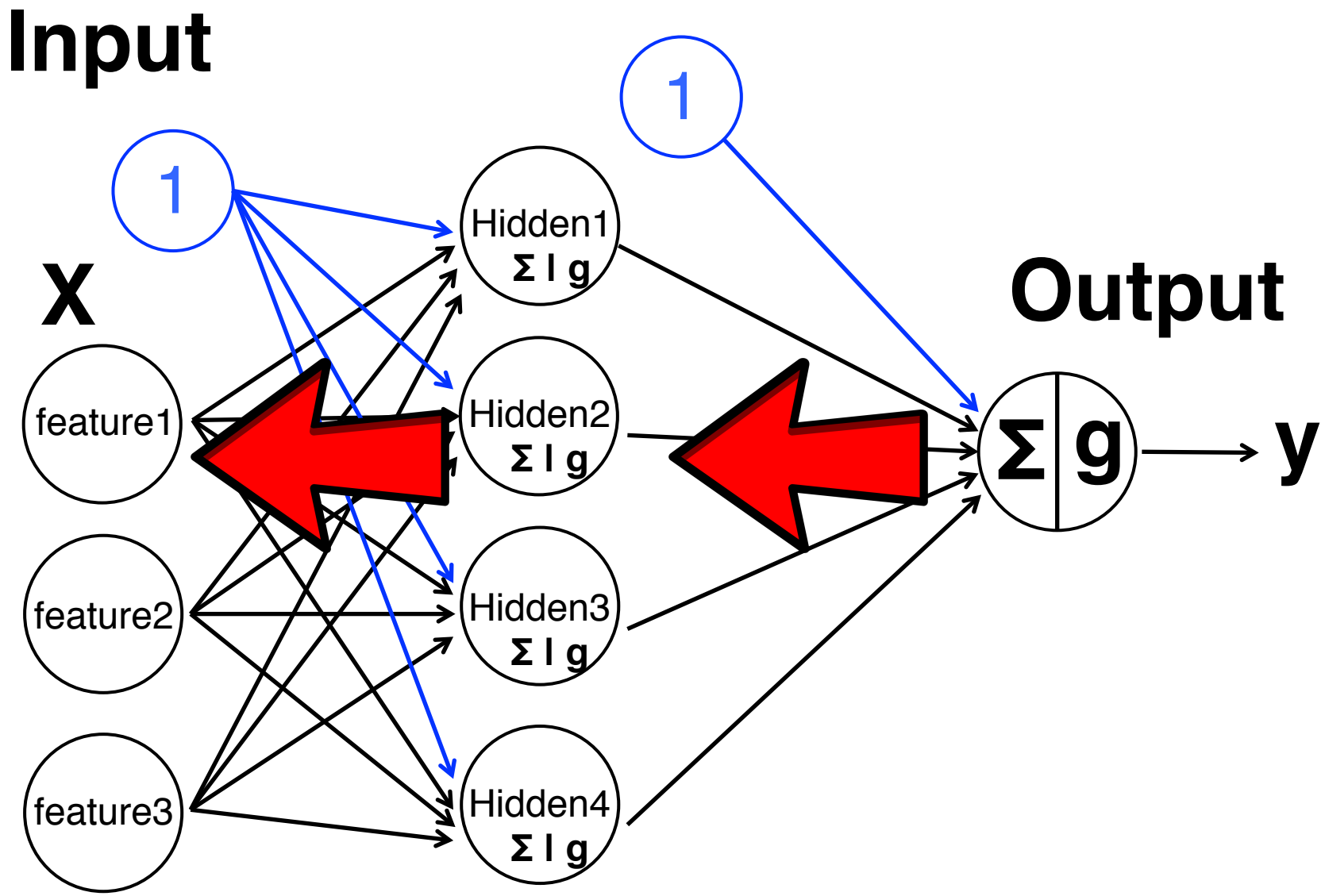
Winter of ANN

Multi-Layer Perceptron

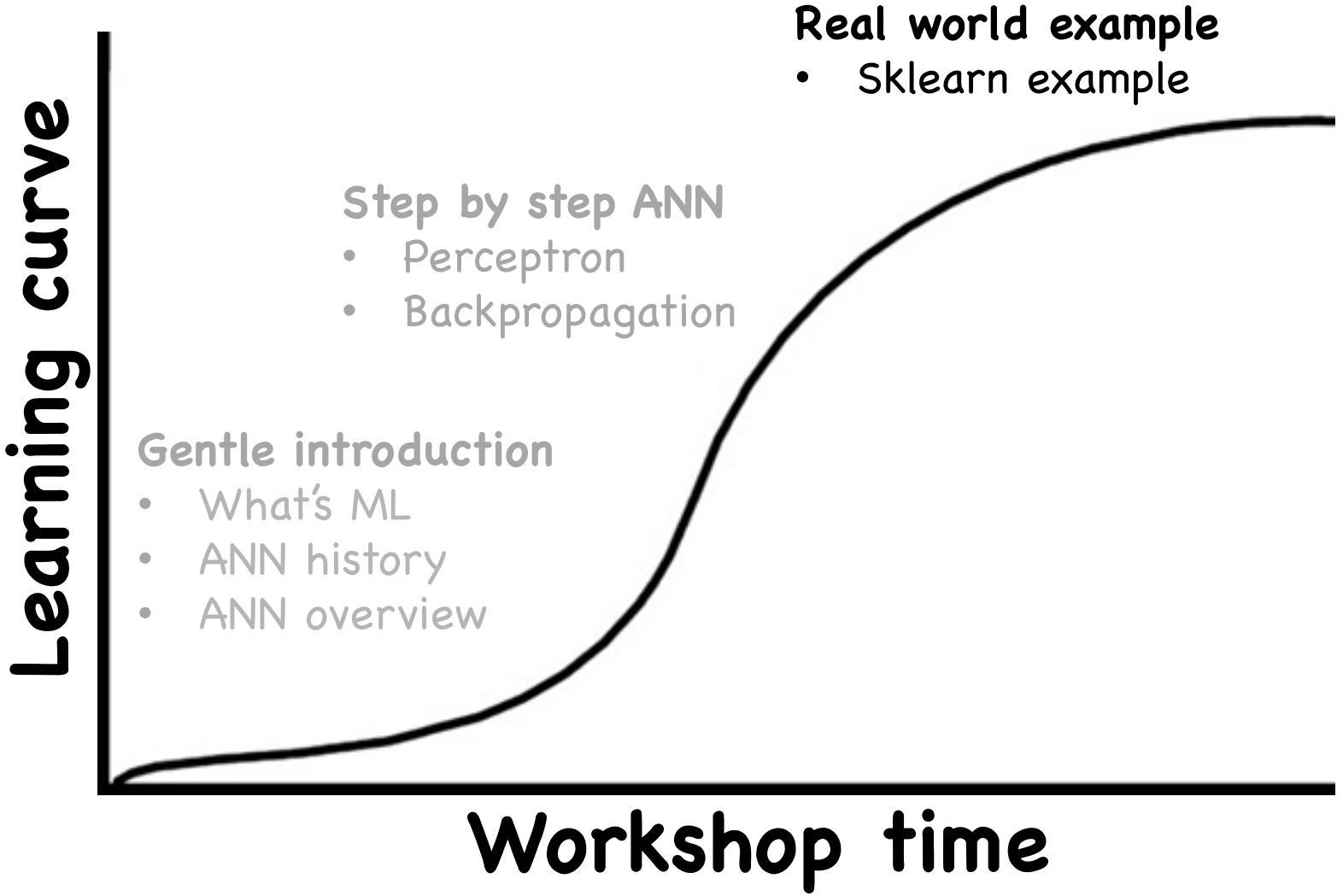

Input
1
X
feature1
feature2
feature3
Hidden1
Σ I g
Hidden2
Σ I g
Hidden3
Σ I g
Hidden4
Σ I g
1
Output
Σ g
y
X – input data
y – output target
Σ – summation
g – activation function
blue circle - bias


Input
1
X
feature1
feature2
feature3
Hidden1
Σ I g
Hidden2
Σ I g
Hidden3
Σ I g
Hidden4
Σ I g
1
Output
Σ g
y
X – input data
y – output target
Σ – summation
g – activation function
blue circle - bias


Input
1
X
feature1
feature2
feature3
1
Hidden1
Σ I g
Hidden2
Σ I g
Hidden3
Σ I g
Hidden4
Σ I g
Output
Σ
g
y
X – input data
y – output target
Σ – summation
g – activation function
blue circle - bias


Input
1
1
X
Hidden1
Σ I g
Output
feature1
Hidden2
Σ I g
Σ
g
y
feature2
Hidden3
Σ I g
feature3
Hidden4
Σ I g

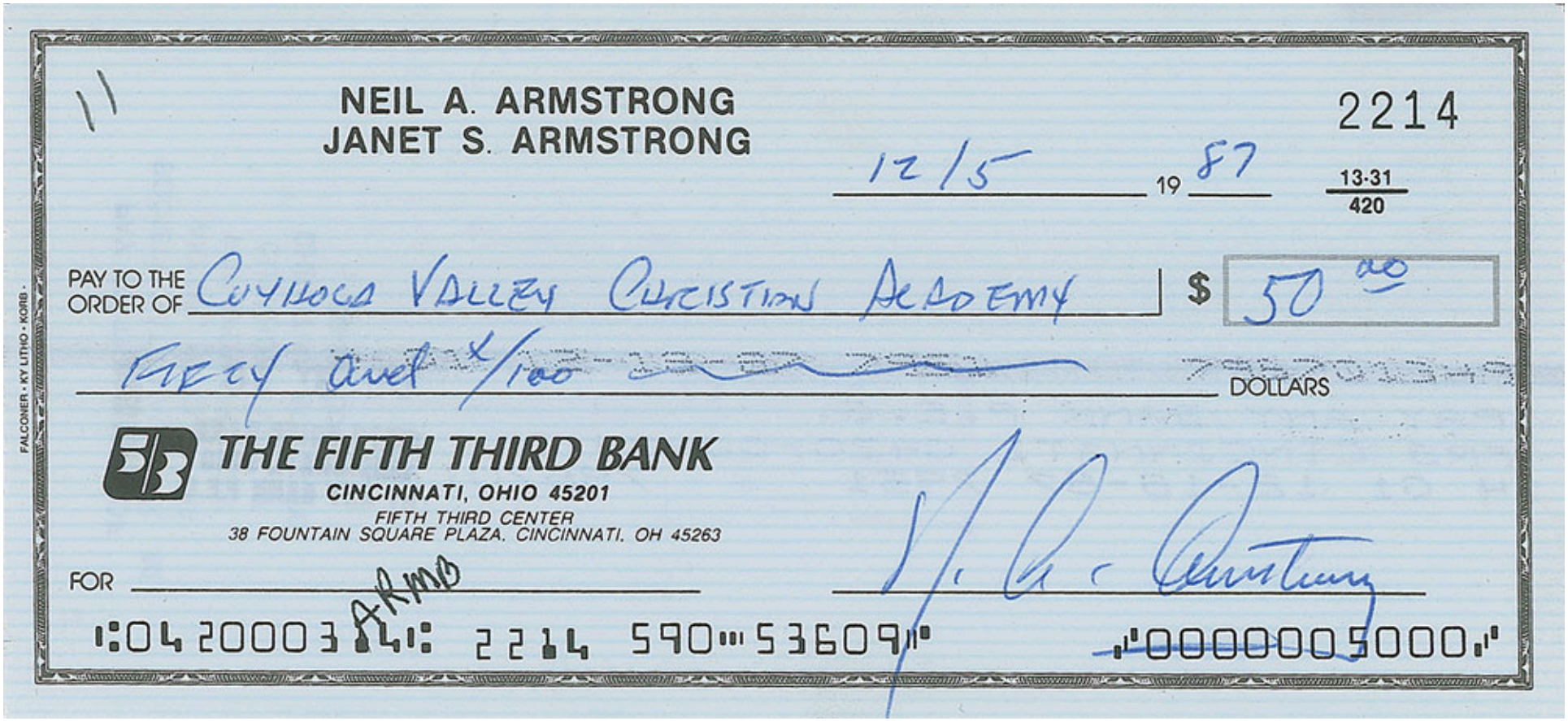
Go to notebook 02


Learning curve
Real world example
• Sklearn example
Step by step ANN
• Perceptron
• Backpropagation
Gentle introduction
• What's ML
• ANN history
• ANN overview
Workshop time

Application: Colourization

http://whattogive.com/videoColourization/

http://richzhang.github.io/colorization/



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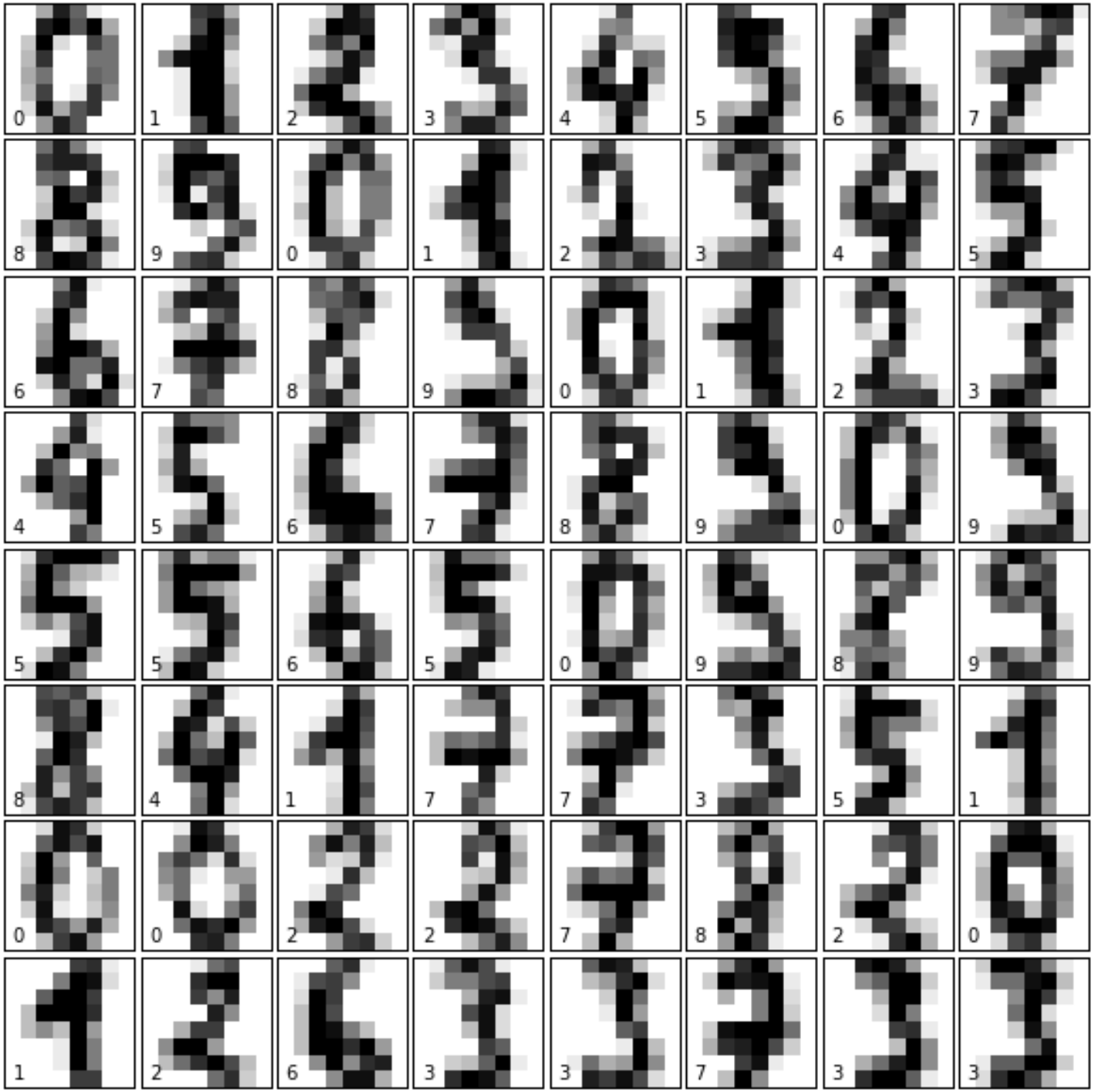
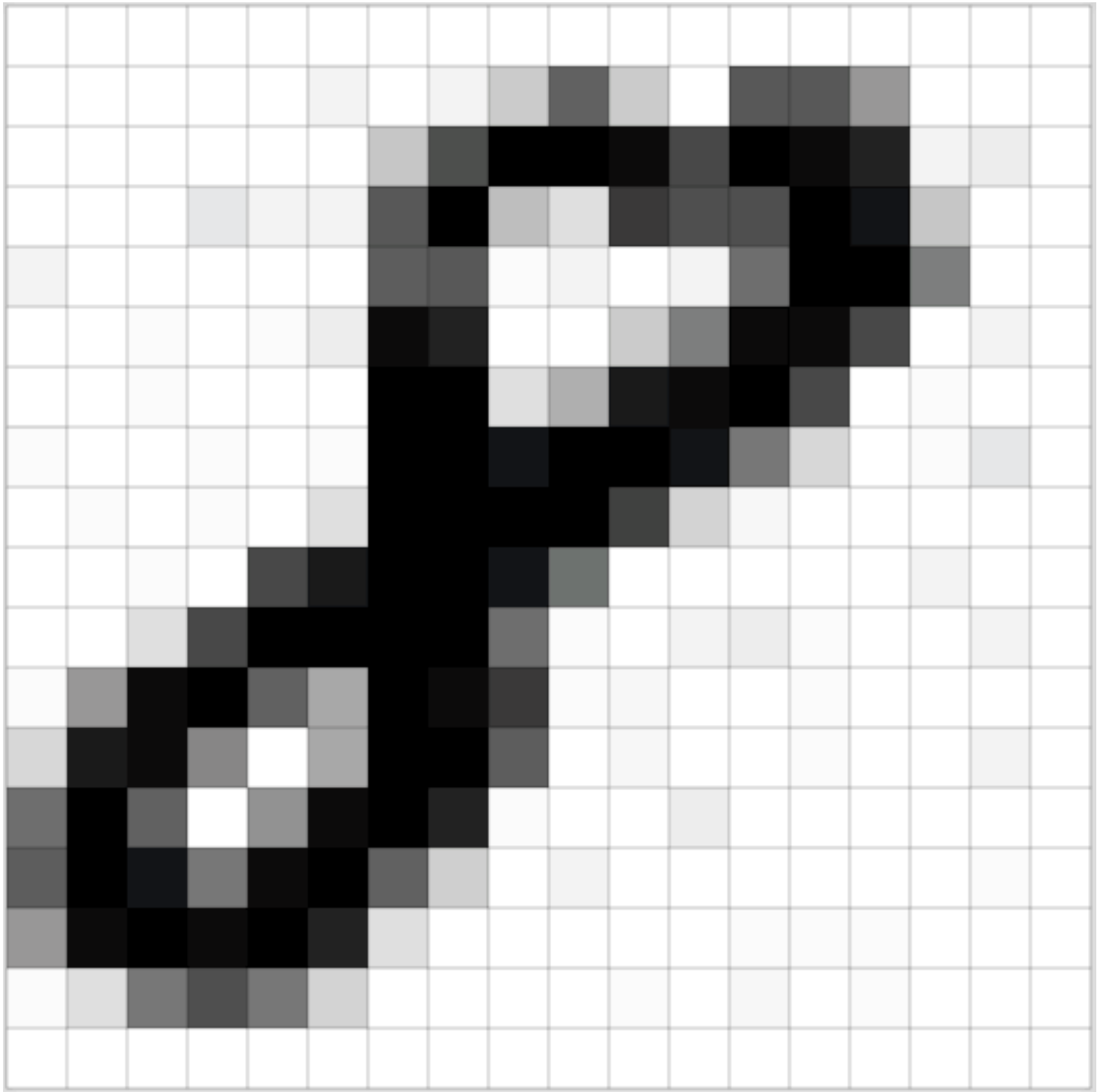

0 1 2 3 4 5 6 7
8 9 0 1 2 3 4 5
6 7 8 9 0 1 2 3
4 5 6 7 8 9 0 9
5 5 6 5 0 9 8 9
8 4 1 7 7 3 5 1
0 0 2 2 7 8 2 0
1 2 6 3 3 7 3 3



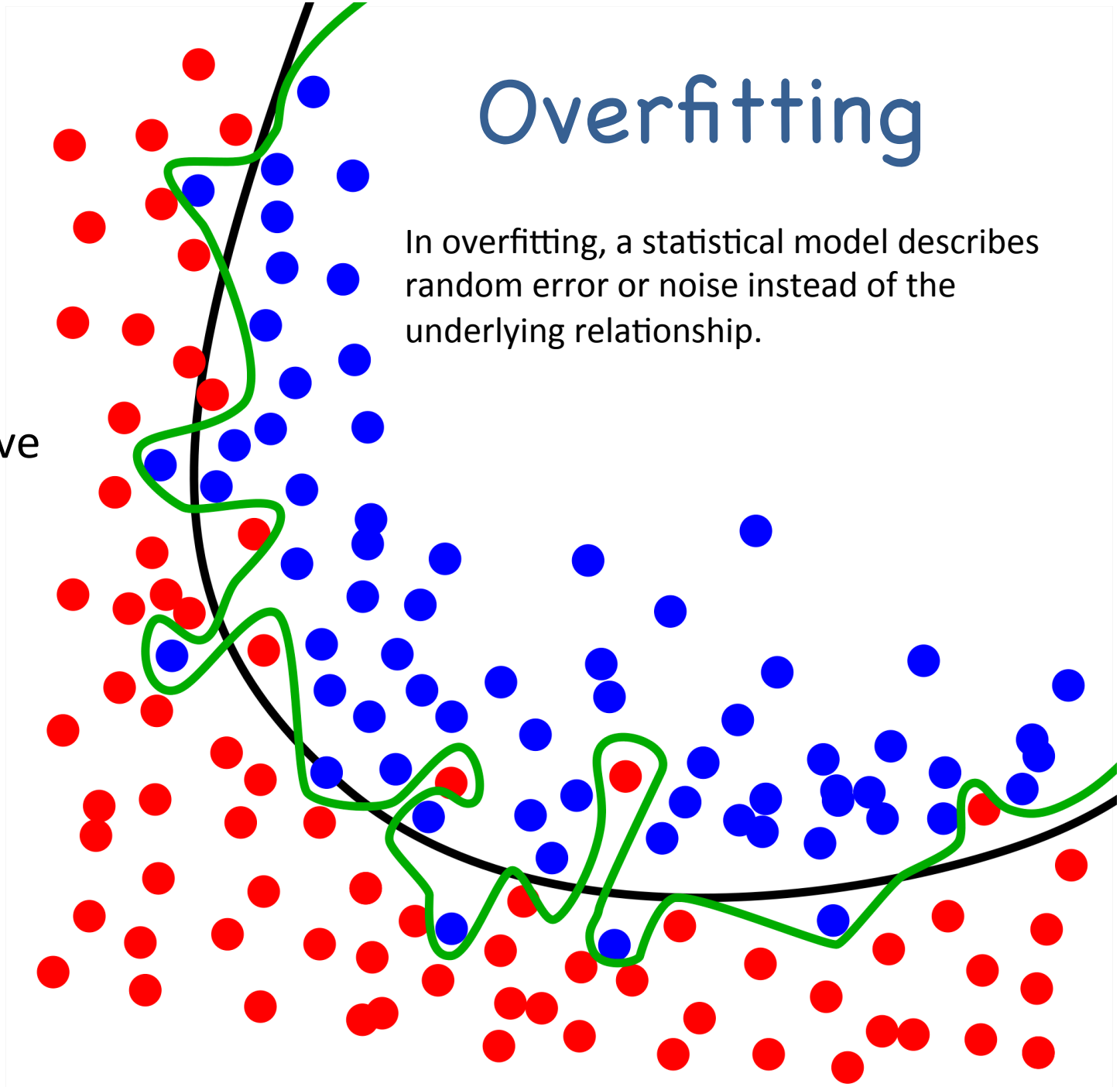
Go to notebook 03

More on ANN

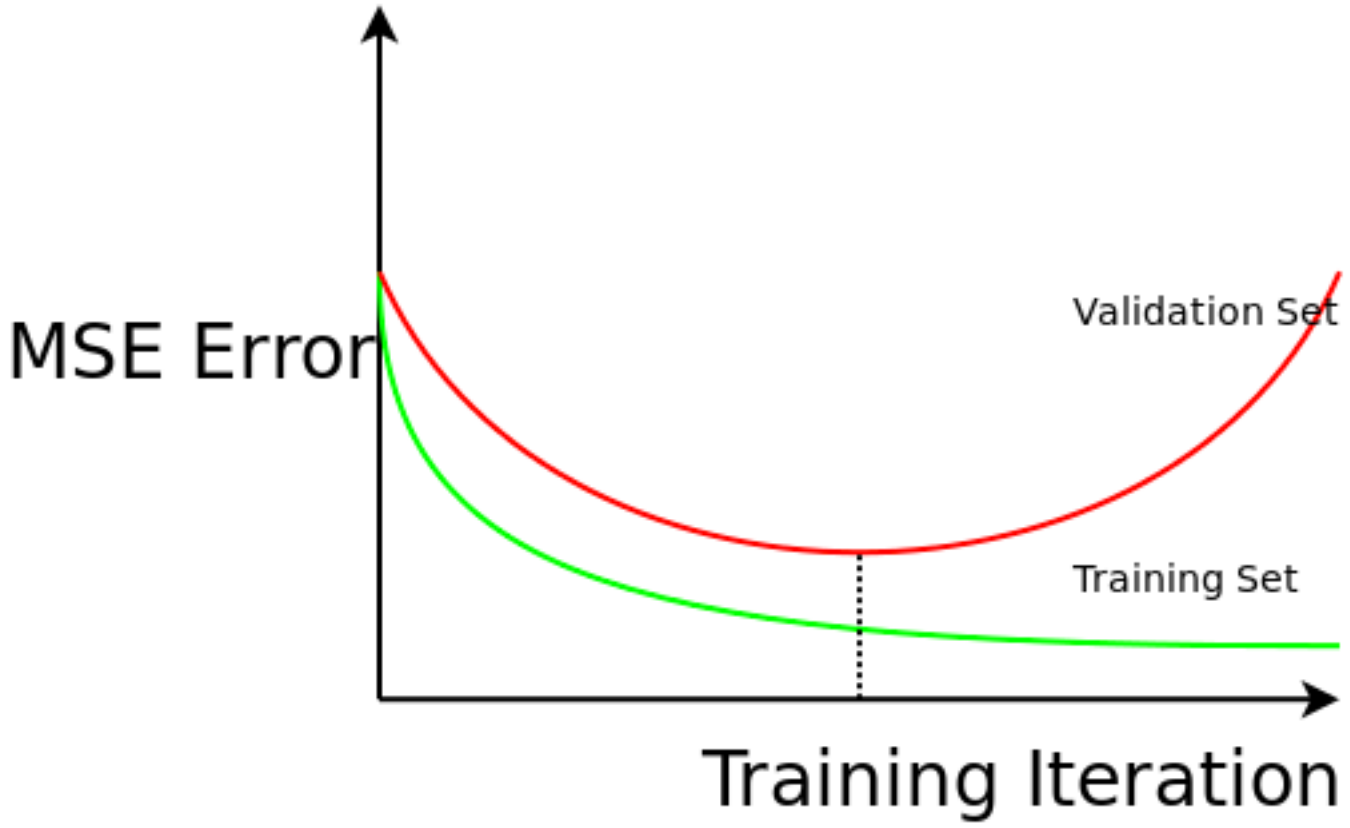
Overfitting occurs when a model is excessively complex, such as having too many parameters relative to the number of observations.

Overfitting

In overfitting, a statistical model describes random error or noise instead of the underlying relationship.



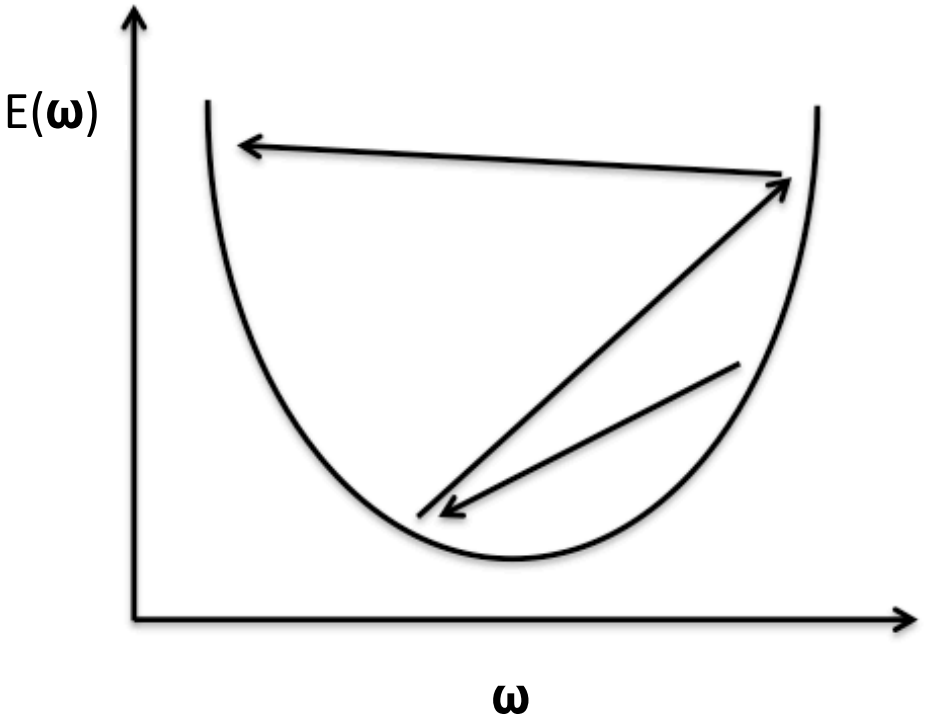
When to stop



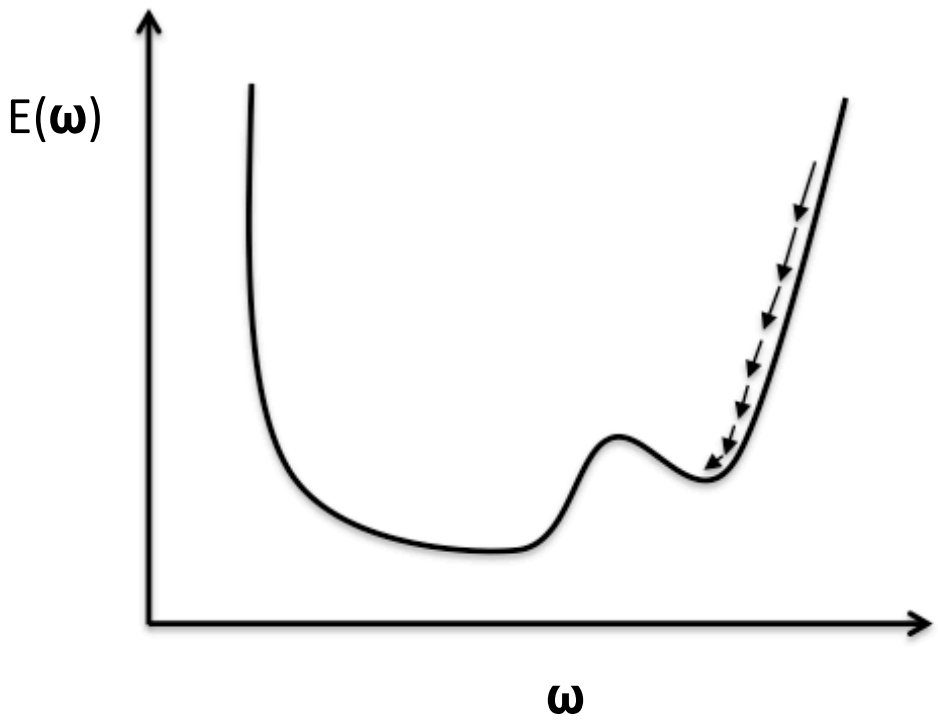
Training error is the error that you get when you run the trained model back on the training data.

Validation error is the error when you get when you run the trained model on a set of data that it has previously never been exposed to.

Learning rate



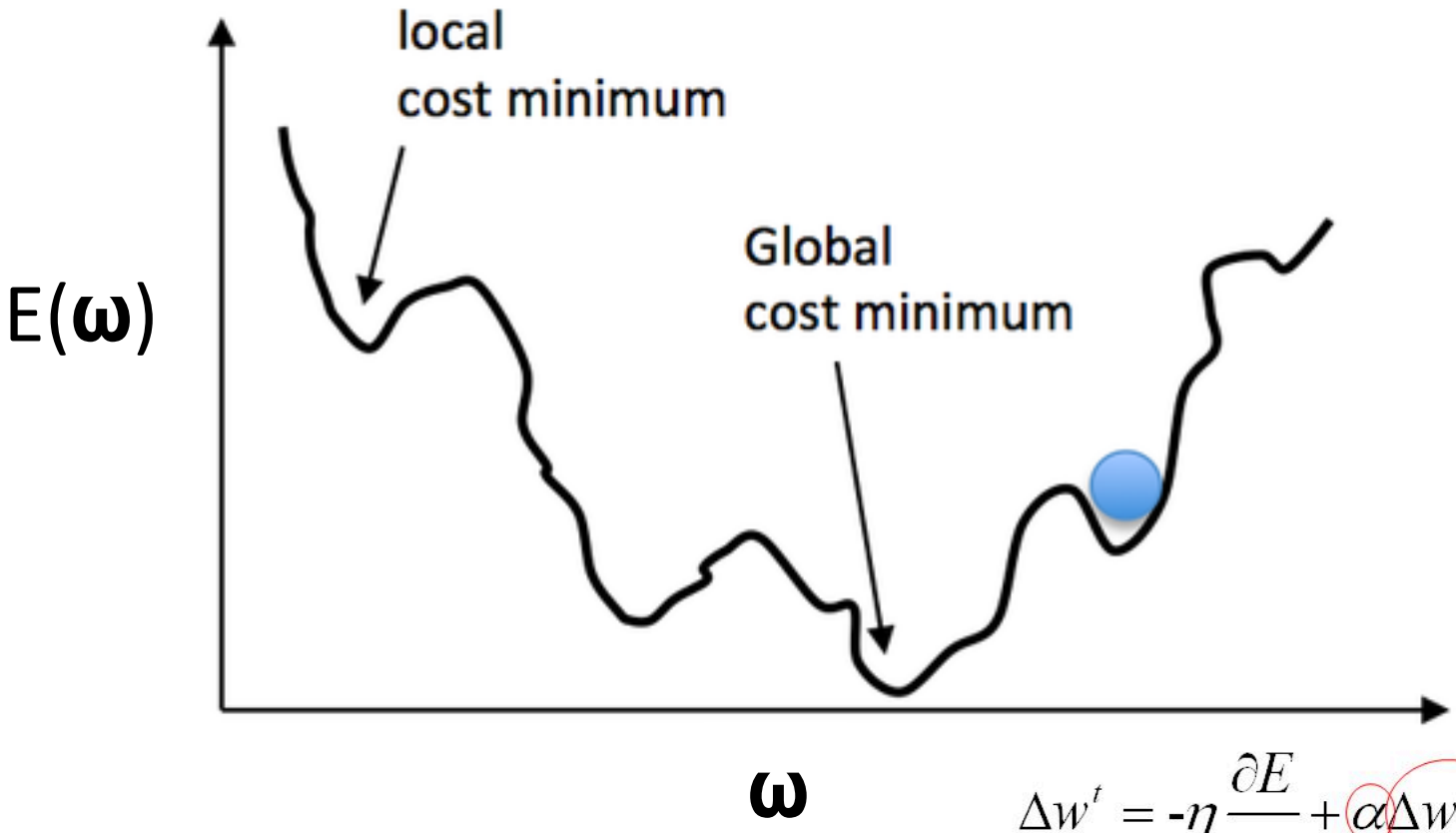
Large learning rate: Overshooting.



Small learning rate: Many iterations until convergence and trapping in local minima.

Learning rate controls step size of each iteration. Use an adaptive learning rate is better.

Momentum



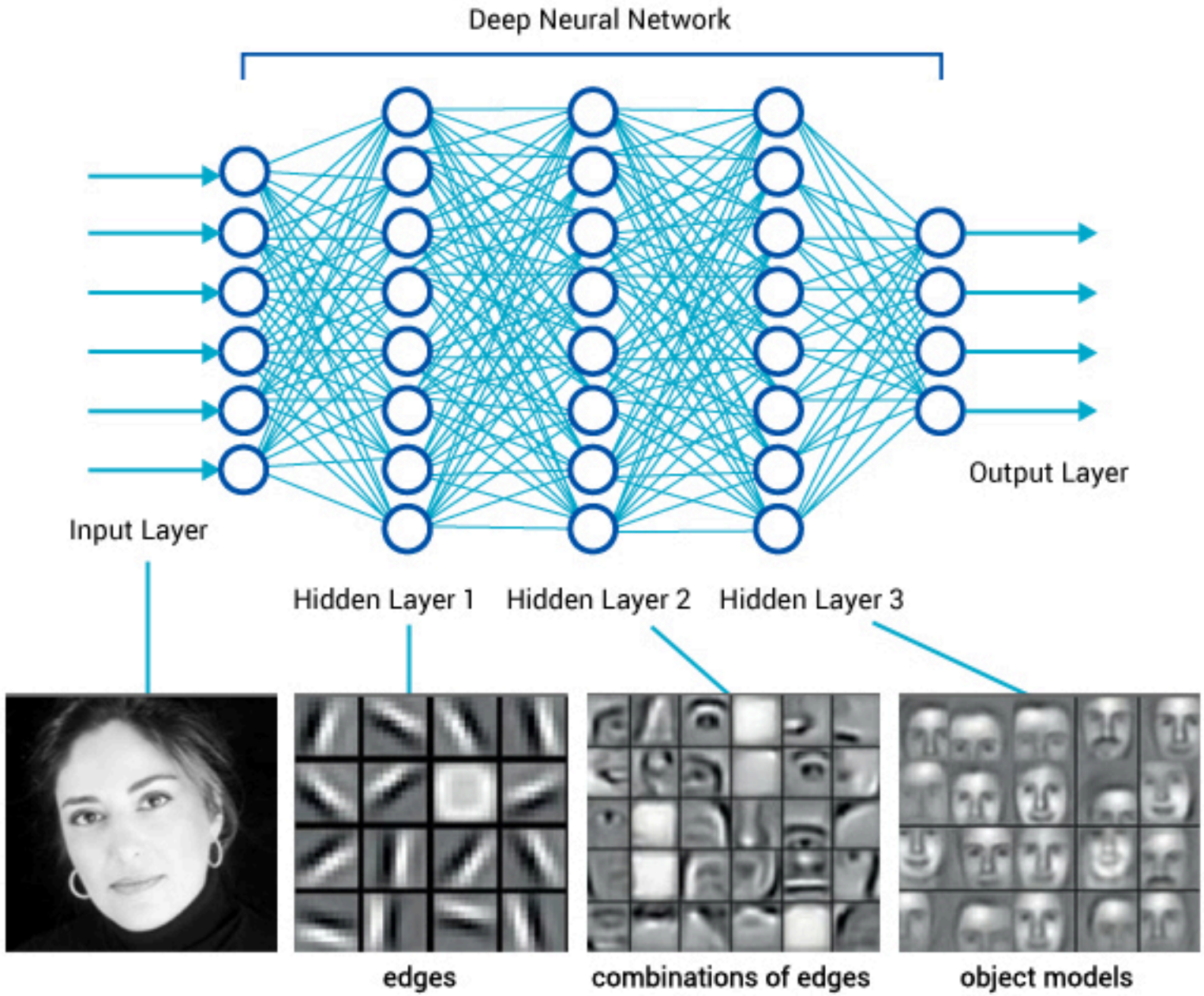
$$\Delta w^t = -\eta \frac{\partial E}{\partial w} + \alpha \Delta w^{t-1}$$

Momentum parameter
0.1-0.8

Momentum term

A simple way to avoid trapping into a local minimum. (Not guarantee to find the global minimum though)


WE NEED TO GO
DEEPER


Deep Neural Network
Input Layer
Hidden Layer 1
Hidden Layer 2
Hidden Layer 3
Output Layer
edges
combinations of edges
object models

If you want to learn more …

Some useful resources

- http://iamtrask.github.io/2015/07/12/basic-python-network/
- https://seat.massey.ac.nz/personal/s.r.marsland/MLBook.html
- http://sebastianraschka.com/Articles/2015_singlelayer_neurons.html
- http://www.emergentmind.com/neural-network
- http://neuralnetworksanddeeplearning.com/
- https://www.coursera.org/learn/neural-networks

I thank all the authors of the above links, as well as a lot of the images I got from internet.