**1.** Recall that a software *fault* is a static defect in the software, and a *failure* is external, incorrect behavior with respect to a specification.

Consider the following code snippet:

```
static boolean positive(int[] arr) {
    // precondition: arr != null
    // postcondition: returns true iff all elements of arr are positive, i.e., > 0

boolean result = true;
    for (int x: arr) {
            if (x < 0) {
                result = false;
                      break;
            }
    }
    return result;
}</pre>
```

- (a) Identify a fault in the implementation of positive and fix it.
- **(b)** Implement the following JUnit test to show an invocation of positive that does not execute the fault:

```
@Test public void noFaultExec() {
         assertTrue(
         );
}
```

(c) Implement the following JUnit test to show an invocation of positive that executes the fault but does not terminate in a failure:

(d) Implement a JUnit test to show an invocation of positive that executes the fault and terminates in a failure, i.e., the execution of the test using JUnit should report 1 failure:

```
@Test public void failure() {
```

}

**2.** Recall a *du-path* with respect to a variable v is a *simple* path that is *def-clear* with respect to v from a node  $n_i$  for which v is in  $def(n_i)$  to a node  $n_i$  for which v is in  $use(n_i)$ .

Consider the following code fragment and answer the questions that follow using the node numbers given as comments:

(a) Draw a control flow graph for this fragment using the given node numbers. Label the edges with the conditions they represent.

- **(b)** Which nodes have defs for variable w?
- (c) Which nodes have uses for variable w?
- (d) Are there any du-paths with respect to variable w from node 1 to node 7? If not, explain why not. If any exist, show one.

**3.** Recall that a path is *simple* if no node appears on it more than once, with the exception of the first and the last nodes, which may be the same.

The following code snippet gives a partial implementation of a class to represent paths:

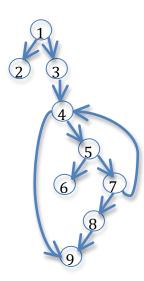
```
import java.util.HashSet;
import java.util.Set;
public class Path {
    Node first; // first == null iff path is empty
    static class Node {
        Node next;
        int id;
        Node(int n) {
            id = n;
        }
        public boolean equals(Object o) {
            if (o.getClass() != Node.class) return false;
            return id == ((Node)o).id;
        }
        public int hashCode() {
            return id;
        }
    }
```

Implement the following method *isSimple* (in class *Path*) as specified by its postcondition:

```
public boolean isSimple() {
    // postcondition: returns true <u>iff</u> "this" is a simple path
```

**4.** Recall that a path is *prime* if it is simple and it does not appear as a proper subpath of any other simple path.

Compute all the prime paths for the control-flow graph below. You must show the steps of your algorithm. Make sure to clearly label the set of prime paths.



**5.** Recall that a *major* clause  $c_i$  in predicate p determines p if the *minor* clauses  $c_j$  in p (for  $j \ne i$ ) have values so that changing the truth value of  $c_i$  changes the truth value of p.

Recall also the definition of *restricted active clause coverage* (*RACC*): For each p in P and each major clause  $c_i$  in Cp, choose minor clauses  $c_j$ ,  $j \neq i$ , so that  $c_i$  determines p. TR has two requirements for each  $c_i : c_i$  evaluates to true and  $c_i$  evaluates to false. The values chosen for the minor clauses  $c_j$  must be the same when  $c_i$  is true as when  $c_i$  is false, that is, it is required that  $c_j(c_i = true) = c_j(c_i = false)$  for all  $c_j$ .

Recall next the definition of *correlated active clause coverage* (CACC): For each p in P and each major clause  $c_i$  in Cp, choose minor clauses  $c_j$ ,  $j \neq i$ , so that  $c_i$  determines p. TR has two requirements for each  $c_i : c_i$  evaluates to true and  $c_i$  evaluates to false. The values chosen for the minor clauses  $c_j$  must cause p to be true for one value of the major clause  $c_i$  and false for the other, that is, it is required that  $p(c_i = true) != p(c_i = false)$ .

Consider the predicate  $p = a \&\& (!b \parallel !c)$  and as its truth table:

	а	b	С	a && (!b    !c)
1	T	T	T	F
2	T	T	F	T
3	T	F	T	T
4	T	F	F	T
5	F	T	T	F
6	F	T	F	F
7	F	F	T	F
8	F	F	F	F

(a) Find values for minor clauses b and c such that the major clause a determines the predicate p.

**(b)** How many ways can RACC be satisfied for the major clause *a*? For each way, identify the corresponding rows (using row numbers) from the truth table given.

(c) How many ways can CACC be satisfied for the major clause a? For each way, identify the corresponding rows (using row numbers) from the truth table given.