# O PyTorch

## 什么是梯度

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#### Clarification

■ 导数, derivate

• 偏微分, partial derivate

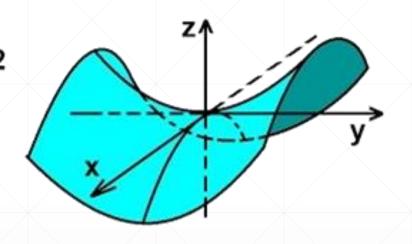
■ 梯度, gradient

$$abla f = \left( \frac{\partial f}{\partial x_1}; \frac{\partial f}{\partial x_2}; \ldots; \frac{\partial f}{\partial x_n} \right)$$

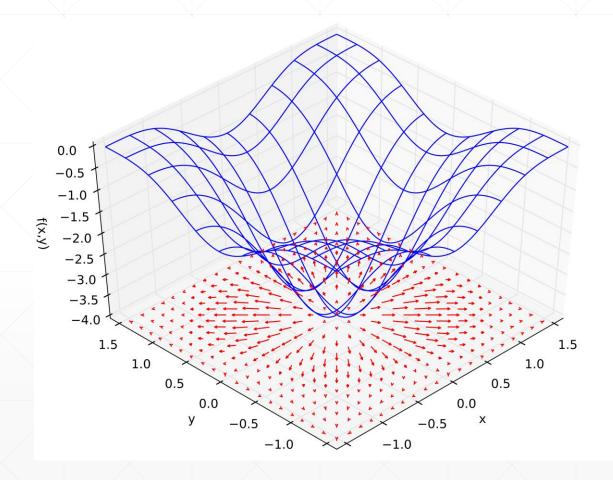
$$z = y^{2} - x$$

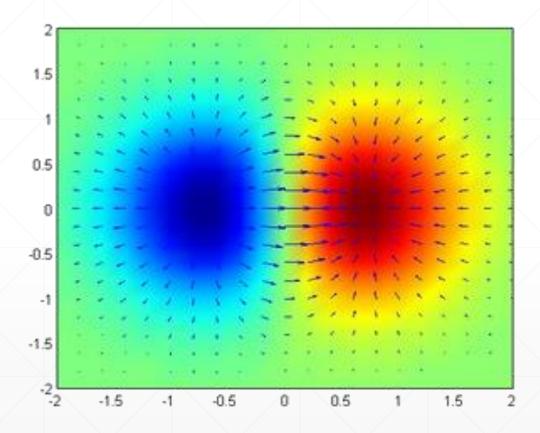
$$\frac{\partial z}{\partial x} = -2x$$

$$\frac{\partial z}{\partial y} = 2y$$



#### What does grad mean?





#### How to search for minima?

$$\theta_{t+1} = \theta_t - \alpha_t \nabla f(\theta_t) .$$

**Function:** 

$$J(\theta_1, \theta_2) = \theta_1^2 + \theta_2^2$$

Objective:

$$\min_{\theta_1,\,\theta_2} J(\theta_1,\,\theta_2)$$

Update rules:

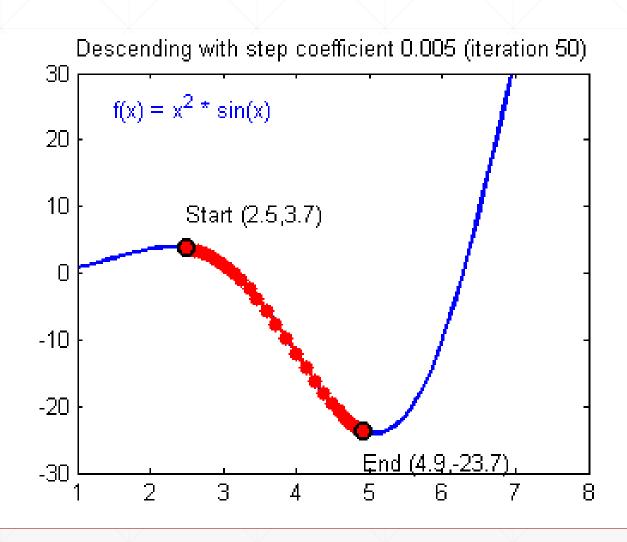
$$\theta_1 \coloneqq \theta_1 - \alpha \frac{d}{d\theta_1} J(\theta_1, \theta_2)$$
$$\theta_2 \coloneqq \theta_2 - \alpha \frac{d}{d\theta_2} J(\theta_1, \theta_2)$$

Derivatives:

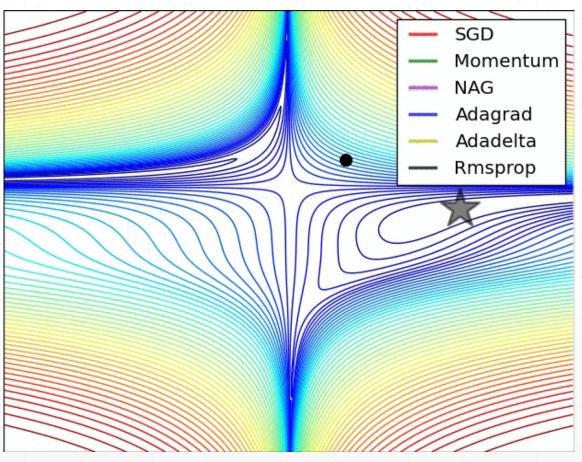
$$\frac{d}{d\theta_1}J(\theta_1,\theta_2) = \frac{d}{d\theta_1}{\theta_1}^2 + \frac{d}{d\theta_1}{\theta_2}^2 = 2\theta_1$$

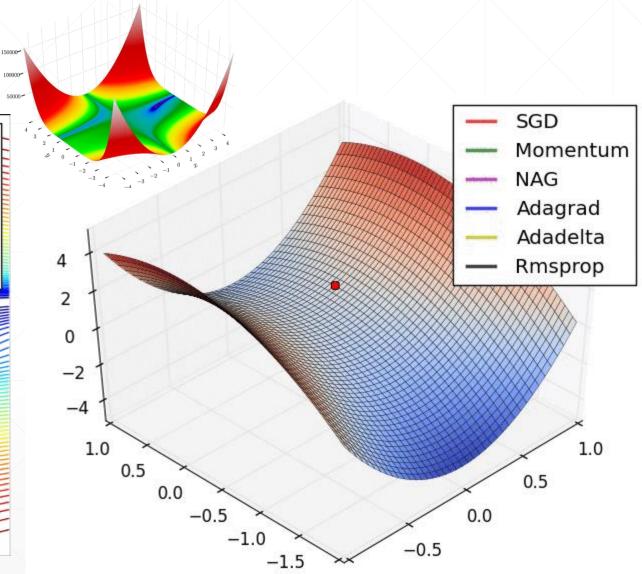
$$\frac{d}{d\theta_2}J(\theta_1,\theta_2) = \frac{d}{d\theta_2}{\theta_1}^2 + \frac{d}{d\theta_2}{\theta_2}^2 = 2\theta_2$$

#### **Learning process-1**

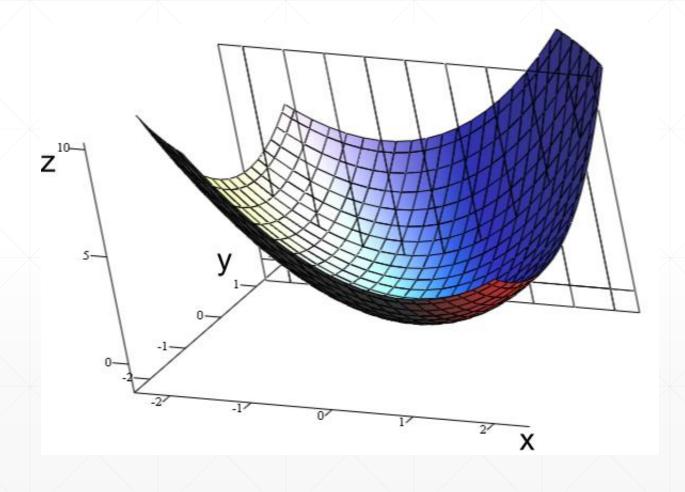


#### **Learning process-2**

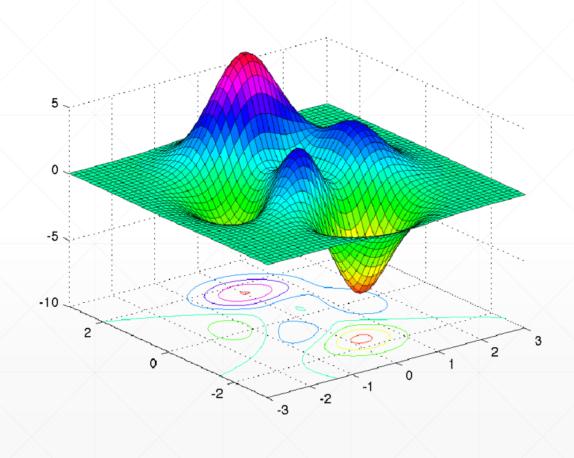




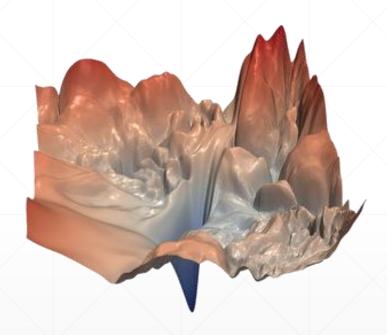
#### **Convex function**

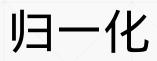


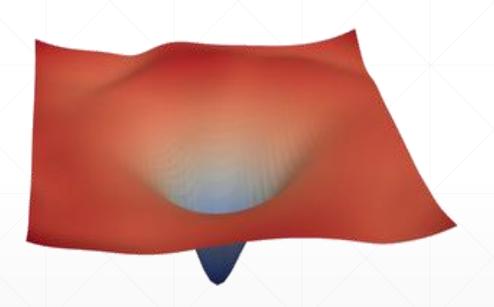
#### **Local Minima**



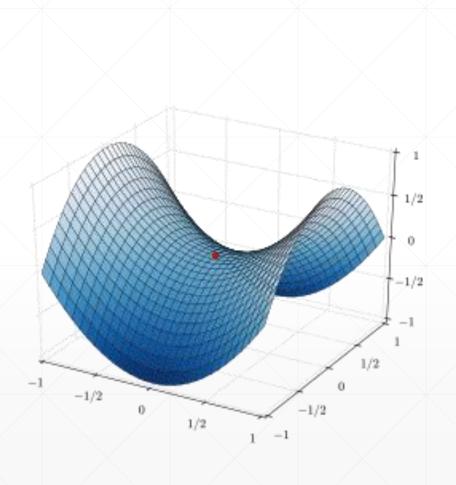
#### **ResNet-56**

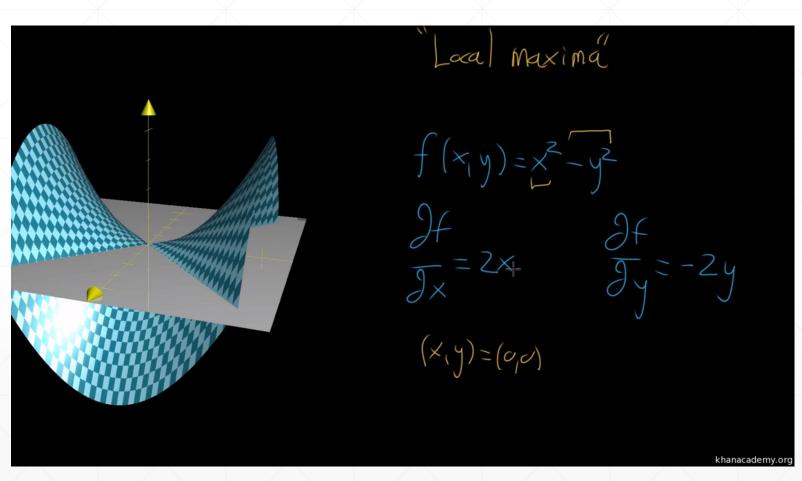






#### Saddle point





https://www.khanacademy.org/math/multivariable-calculus/applications-of-multivariable-derivatives/optimizing-multivariable-functions-videos/v/saddle-points

#### **Optimizer Performance**

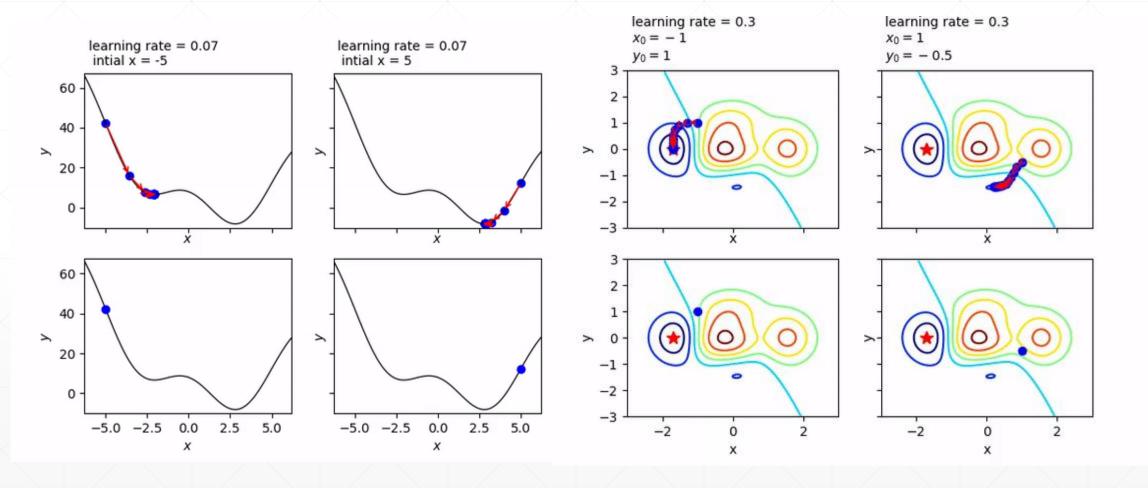
initialization status

learning rate

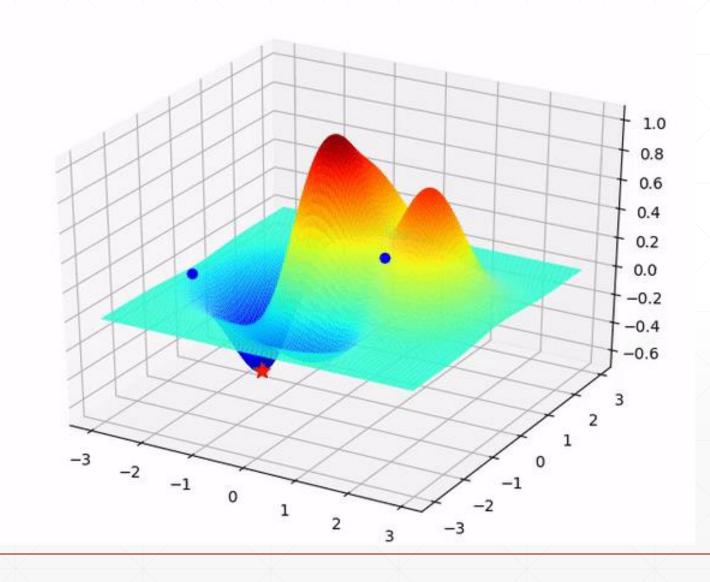
momentum

etc.

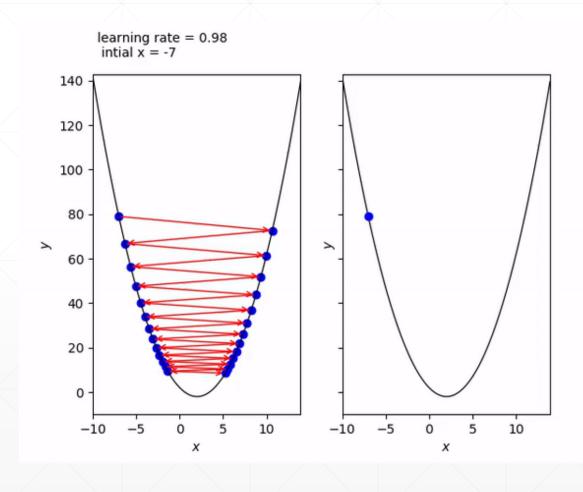
#### Initialization



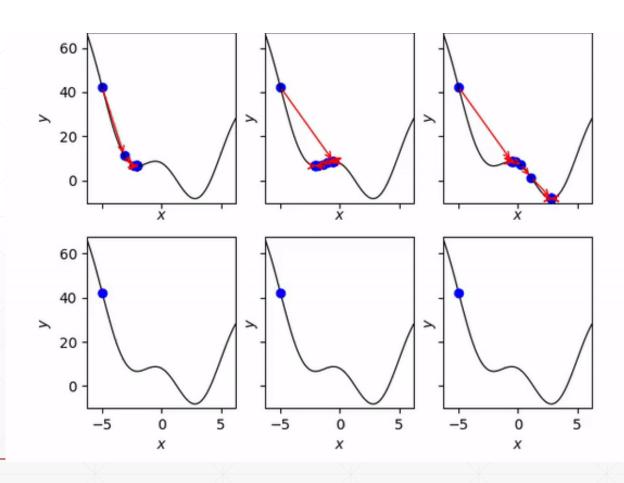
#### Initialization



#### Learning rate



#### **Escape minima**



## 下一课时

常见函数梯度

### Thank You.