

#### [영역] 5.기하



#### 5-6-1.삼각형에서 평행선과 선분의 길이의 비, 내각•외각의 이등분선





◇「콘텐츠산업 진흥법 시행령」제33조에 의한 표시

1) 제작연월일: 2016-08-25

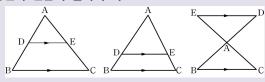
2) 제작자 : 교육지대㈜

3) 이 콘텐츠는 「콘텐츠산업 진흥법」에 따라 최초 제작일부터 5년간 보호됩니다.

◇「콘텐츠산업 진흥법」외에도「저작권법」에 의하여 보호되는 콘텐츠의 경우, 그 콘텐츠의 전부 또는 일부를 무단으로 복제하거나 전송하는 것은 콘텐츠산업 진흥법 외에도 저작권법에 의한 법적 책임을 질 수 있습니다.

#### 계산시 참고사항

#### 1. 삼각형에서의 평행선과 선분의 길이의 비



1)  $\triangle$ ABC에서 점 D, E가 각각  $\overline{AB}$ ,  $\overline{AC}$  또는 그 연장선 위의 점일 때,  $\overline{BC}//\overline{DE}$ 이면

(1)  $\overline{AB} : \overline{AD} = \overline{AC} : \overline{AE} = \overline{BC} : \overline{DE}$ 

(2)  $\overline{AD}: \overline{DB} = \overline{AE}: \overline{EC}$ 

2)  $\triangle$  ABC 에서 점 D, E가 각각  $\overline{AB}$ ,  $\overline{AC}$  또는 그 연장선 위의 점일 때,

(1)  $\overline{AB}: \overline{AD} = \overline{AC}: \overline{AE} \text{ O[면 } \overline{BC}//\overline{DE}$  (2)  $\overline{AD}: \overline{DB} = \overline{AE}: \overline{EC} \text{ O[면 } \overline{BC}//\overline{DE}$ 

### 2. 삼각형의 내각의 이등분선

1) 내각의 이등분선

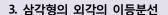
:  $\triangle ABC$ 에서  $\angle A$ 의 이등분선이  $\overline{BC}$ 와 만나는 점을 D라 하면

 $\Rightarrow \overline{AB} : \overline{AC} = \overline{BD} : \overline{CD}$ 

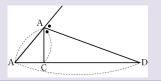
2) 내각의 이등분선과 삼각형의 넓이의 비

: △ABD와 △ACD의 높이가 같으므로 넓이의 비는 밑변의 길이의 비와 같다.

 $\Rightarrow \triangle ABD : \triangle ACD = \overline{BD} : \overline{CD} = \overline{AB} : \overline{AC}$ 



 $\triangle$ ABC에서  $\angle$ A의 외각의 이등분선이  $\overline{BC}$ 의 연장선과 만나는 점을 D라 하면  $\Rightarrow$   $\overline{AB}:\overline{AC}=\overline{BD}:\overline{CD}$ 





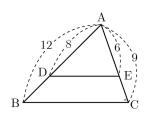
◆ △ABC ∽ △ADE(AA 닮음)이므로  $\overline{AB}: \overline{AD} = \overline{AC}: \overline{AE} = \overline{BC}: \overline{DE}$ 



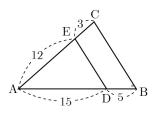
#### 삼각형에서의 평행선과 선분의 길이의 비

 $\square$  다음 그림에서  $\overline{BC}//\overline{DE}$ 인 것에는  $\bigcirc$ 표, 아닌 것에는  $\times$ 표를 하여라.

1.

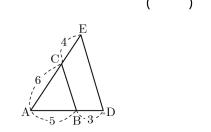


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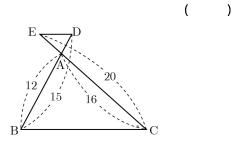
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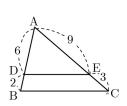
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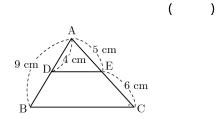
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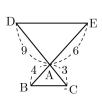
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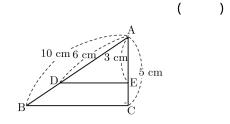
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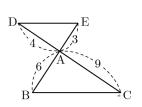
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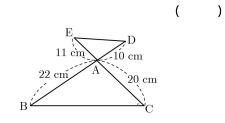
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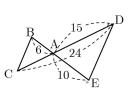
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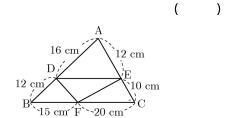
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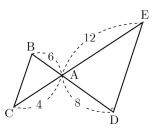
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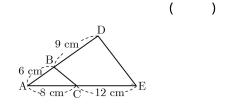


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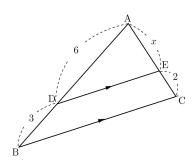
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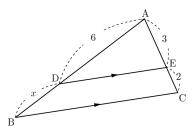


## ightharpoonup 다음 그림에서 $\overline{ m BC}//\overline{ m DE}$ 일 때, x의 값을 구하여라.

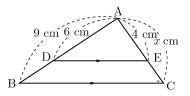
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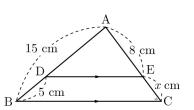
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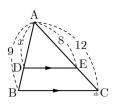
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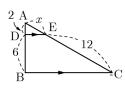
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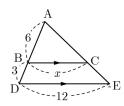
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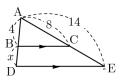
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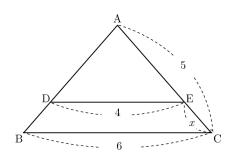
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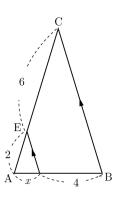


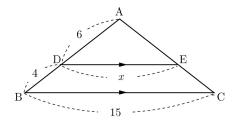
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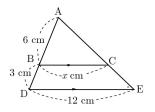
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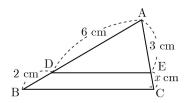




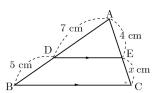
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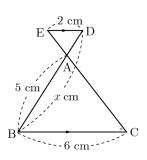
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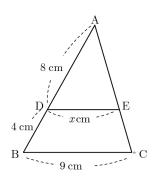
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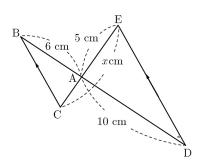
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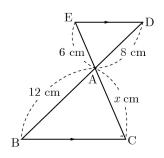
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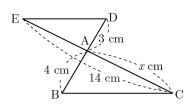


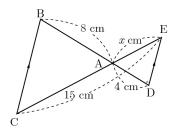
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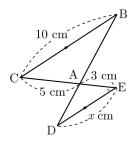
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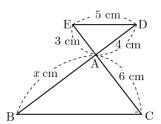




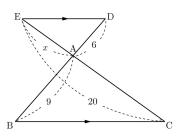
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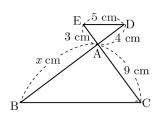
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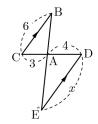
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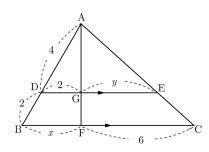


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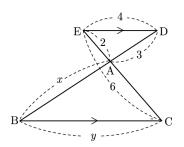


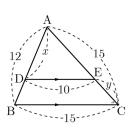
ightharpoonup 다음 그림에서  $m \overline{BC}//\overline{DE}$ 일 때, x+y의 값을 구하여라.

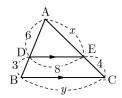
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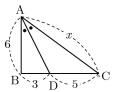
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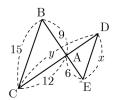




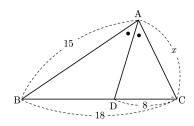
48.



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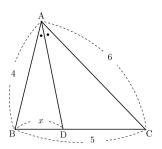


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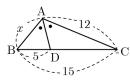
#### 삼각형의 내각의 이등분선

ightharpoonup 다음 그림의 ightharpoonup ightharpoonup 자 ightharpoonup 지원 다음 그림의 ightharpoonup ightharpoonup 지원 다음 그림의 ightharpoonup ightharpoonup 지원 다음 그림의 ightharpoonup 지원 그림의 ightharpoonup 지원 다음 그림의 ightharpoonup 지원 그림의 ightharpoonup 지원 다음 그림의 ightharpoonup 지원 ightharpoonup ightharpoonup

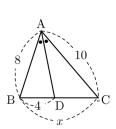
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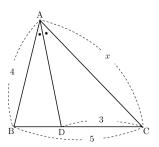
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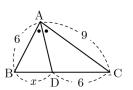


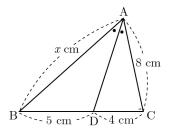
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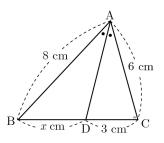
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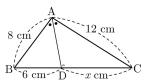




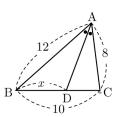
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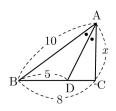
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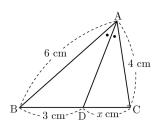
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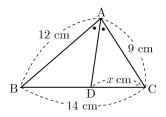
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58.

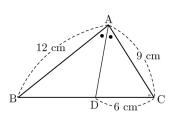


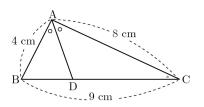
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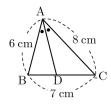


☑ 다음 그림의 △ABC에서 ∠A의 이등분선이 BC와 만나는 점을 D라 할 때,  $\overline{BD}$ 의 길이를 구하여라.

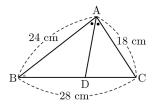
60.





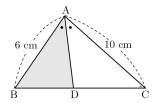


63.

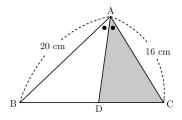


ightharpoonup 다음 그림의 ightharpoonup ABC에서 ightharpoonup AD가 ightharpoonup A의 이동분선일 때, 색 칠한 부분의 넓이를 구하여라.

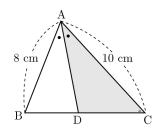
64. 
$$\triangle ABC = 56 \text{cm}^2$$



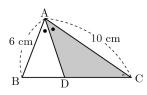
65.  $\triangle ABC = 108 \text{cm}^2$ 



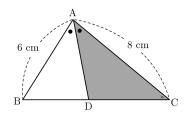
66.  $\triangle ABD = 16 \text{cm}^2$ 



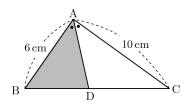
67.  $\triangle ABC = 32 \text{cm}^2$ 



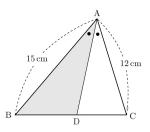
68.  $\triangle ABC = 70 \text{cm}^2$ 

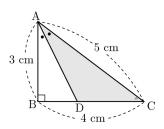


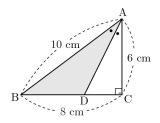
69.  $\triangle ABC = 24 \text{cm}^2$ 



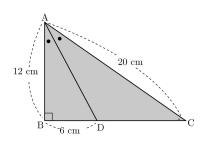
70.  $\triangle ACD = 36 \text{cm}^2$ 







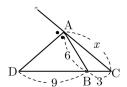
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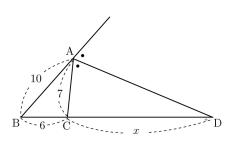
#### 삼각형의 외각의 이등분선

 $m \square$  다음 그림의  $\triangle ABC$ 에서  $\overline{AD}$ 가  $\angle A$ 의 외각의 이등분선일 때, x의 값을 구하여라.

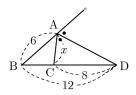
74.



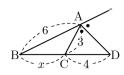
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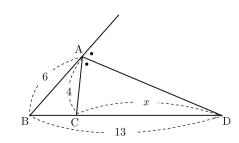
76.



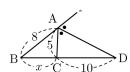
77.



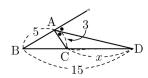
78.

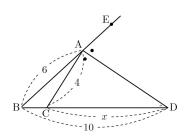


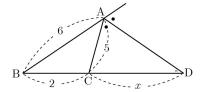
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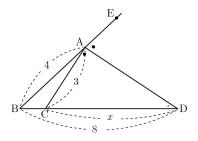
80.



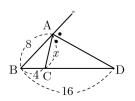




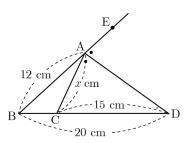
83.



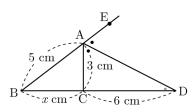
84.



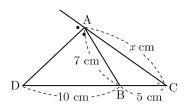
85.



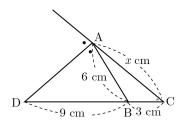
86.



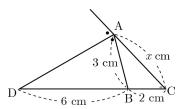
87.



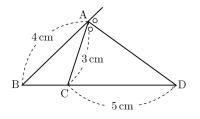
88.

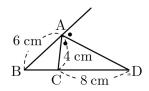


89.

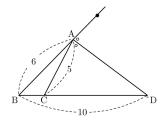


 $\square$  다음 그림의  $\triangle ABC$ 에서  $\overline{AD}$ 가  $\angle A$ 의 외각의 이등분선일 때,  $\overline{BC}$ 의 길이를 구하여라.





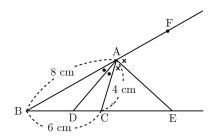
92.



# B

#### 삼각형의 내각, 외각의 이등분선의 혼합

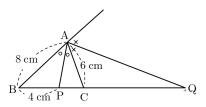
□ 그림에서 ∠BAD = ∠CAD, ∠CAE = ∠FAE일 때, 다음을 구하여라.



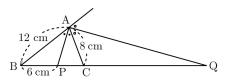
- 94. <u>CE</u>의 **길이를 구하여라.**
- 95. DE의 길이를 구하여라.

#### ☑ 다음 물음에 답하여라.

96.  $\overline{AP}$ 는  $\angle BAC$ 의 이등분선이고, 점 Q는  $\angle BAC$ 의 외각의 이등분선과  $\overline{BC}$ 의 연장선의 교점일 때,  $\overline{CQ}$ 의 길이를 구하여라.



97. 다음 그림에서  $\overline{AP}$ 는  $\angle BAC$ 의 이등분선이고, 점 Q는  $\angle BAC$ 의 외각의 이등분선과  $\overline{BC}$ 의 연장선의 교점일 때,  $\overline{PQ}$ 의 길이를 구하여라.





- 1) (
- ⇒ 12:8=9:6이므로 BC //DE
- 2) ×
- $\Rightarrow$  15:5  $\neq$  12:3이므로  $\overline{BC}$ 와  $\overline{DE}$ 는 평행하지 않다.
- 3) X
- 4) X
- 5) O
- 6) X
- 7) X
- 8) O
- 9) ×
- $\Rightarrow$   $6:8 \neq 4:12$ 이므로  $\overline{BC}$ 와  $\overline{DE}$ 는 평행하지 않다.
- $\Rightarrow$  12:(15-12)=16:(20-16)이므로  $\overline{BC}//\overline{DE}$
- 11) ×
- 12) 🔾
- $\Rightarrow$   $\overline{AD}: \overline{AB} = \overline{AE}: \overline{AC} = 3:5$ 이므로  $\overline{BC}$  //  $\overline{DE}$ 이다.
- 13) ×
- 14) ×
- 15) ()
- $\Rightarrow$   $\overline{AB}:\overline{BD}=\overline{AC}:\overline{CE}=2:3$ 이므로  $\overline{BC}$  //  $\overline{DE}$ 이다.
- 16) 4
- $\Rightarrow$  6:3=x:2  $\therefore$  x=4
- 17) 4
- $\Rightarrow$  3:2=6:x : x=4
- 18) 6
- $\Rightarrow$   $\overline{AB}: \overline{AD} = \overline{AC}: \overline{AE}$ 에서 9:6=x:4이므로 6x = 36  $\therefore x = 6$
- 19) 4
- $\Rightarrow$   $\overline{\mathrm{AD}}$ :  $\overline{\mathrm{DB}}$  =  $\overline{\mathrm{AE}}$ :  $\overline{\mathrm{EC}}$ 에서 (15-5): 5=8:x이므로 10x = 40 $\therefore x = 4$
- 20) 6

- $\Rightarrow$  9:12=x:8  $\therefore$  x=6
- 21) 4
- $\Rightarrow$  2:6=x:12  $\therefore$  x=4
- 22) 8
- $\Rightarrow$  6: (6+3) = x:12  $\therefore$  x = 8
- 23) 3
- $\Rightarrow 4:(4+x)=8:14$  :: x=3
- 24)  $\frac{5}{3}$
- $\Rightarrow \overline{AE}: \overline{AC} = \overline{DE}: \overline{BC}$ 
  - (5-x):5=4:6  $\therefore x=\frac{5}{3}$
- 25)  $\frac{4}{3}$
- $\Rightarrow x:4=2:6$   $\therefore x=\frac{4}{3}$
- 26) 9
- $\Rightarrow \overline{AD}: \overline{AB} = \overline{DE}: \overline{BC}$ 6:10=x:15  $\therefore x=9$
- 27) 8
- $\Rightarrow$   $\overline{AB}: \overline{AD} = \overline{BC}: \overline{DE}$ 에서 6:(6+3) = x:12이므로 9x = 72  $\therefore x = 8$
- 28) 1
- ⇒ 6:2=3:x이어야 하므로  $\therefore x = 1$ 
  - 6x = 6
- 29)  $\frac{20}{7}$
- $\Rightarrow$   $\overline{AD}$ :  $\overline{DB} = \overline{AE}$ :  $\overline{EC}$ 에서 7:5=4:x이므로

  - $7x = 20 \qquad \therefore x = \frac{20}{7}$
- 30)  $\frac{20}{3}$
- $\Rightarrow$   $\overline{AB}: \overline{AD} = \overline{BC}: \overline{DE}$ 에서 5:(x-5) = 6:2이므로 6(x-5) = 10, 6x = 40  $\therefore x = \frac{20}{3}$
- 31) 6
- 32) 8
- 33) 9
- $\Rightarrow$   $\overline{\mathrm{AB}} : \overline{\mathrm{AD}} = \overline{\mathrm{AC}} : \overline{\mathrm{AE}}$ 에서 12 : 8 = x : 6이므로 8x = 72  $\therefore x = 9$
- 34) 8

- □ (14-x): x = 3:4이어야 하므로 3x = 4(14-x), 7x = 56  $\therefore x = 8$
- 35) 5
- $\Rightarrow$   $\overline{AD}$ :  $\overline{DB} = \overline{AE}$ :  $\overline{EC}$  에서 4:(4+8) = x:15이므로 12x = 60 $\therefore x = 5$
- 36) 6
- $\Rightarrow \overline{AC}: \overline{AE} = \overline{BC}: \overline{DE}$ 에서 5:3=10:x이므로 5x = 30  $\therefore x = 6$
- 37) 8
- ⇒ x:4=6:3이어야 하므로 3x = 24 $\therefore x = 8$
- 38) 8
- $\Rightarrow \overline{DA} : \overline{BA} = \overline{EA} : \overline{CA}$ 6:9=x:(20-x) : x=8
- 39) 12
- ⇒ x:4=9:3이어야 하므로 3x = 36  $\therefore x = 12$
- 40) 8
- $\Rightarrow$  3:4=6:x  $\therefore$  x=8
- 41) 7
- $\Rightarrow \overline{AD}: \overline{AB} = \overline{DG}: \overline{BF}$ 4:6=2:x  $\therefore x=3$  $\overline{AD}: \overline{AB} = \overline{GE}: \overline{FC}$ 4:6=y:6  $\therefore y=4$  $\therefore x+y=7$
- 42) x = 6, y = 8
- 43) 13
- $\Rightarrow$   $\overline{AB}:\overline{AD}=\overline{BC}:\overline{DE}$ 에서 12:x=15:10이므로 15x = 120  $\therefore x = 8$  $\overline{AB}: \overline{BD} = \overline{AC}: \overline{CE}$ 에서 12: (12-8) = 15: y이므로 12y = 60  $\therefore y = 5$  $\therefore x + y = 8 + 5 = 13$
- 44) 20
- $\Rightarrow$  6:3=x:4  $\therefore$  x=8 6:(6+3)=8:y  $\therefore y=12$  $\therefore x+y=20$
- 45) 30
- $\Rightarrow$  9:6=15:x  $\therefore$  x=109:6=12:(y-12) : y=20 $\therefore x+y=30$
- 46) 2

- $\Rightarrow \overline{AB} : \overline{AC} = \overline{BD} : \overline{DC}$ 4:6=x:(5-x) : x=2
- 47) 6
- $\Rightarrow \overline{AB} : \overline{AC} = \overline{BD} : \overline{DC}$ 4: x = 2:3 : x = 6
- 48) 10
- $\Rightarrow$  6: x = 3:5  $\therefore x = 10$
- 49) 12
- ⇒ 내각의 이등분선의 성질에 의해  $\overline{AB}: \overline{AC} = \overline{BD}: \overline{DC}$  $15 : \overline{AC} = 10 : 8$   $\therefore \overline{AC} = 12$
- $\Rightarrow x:12=5:(15-5)$  :: x=6
- 51) 9
- $\Rightarrow 8:10=4:(x-4)$  : x=9
- $\Rightarrow$  6:9=x:6  $\therefore$  x=4
- 53) 10
- $\Rightarrow x:8=5:40 | \forall 4x=40 \qquad \therefore x=10$
- 54) 4
- $\Rightarrow 8:6=x:30| \forall 6x=24 \qquad \therefore x=4$
- ⇒ 각의 이등분선의 성질에 의해  $\overline{AB}$ :  $\overline{AC} = \overline{BD}$ :  $\overline{CD}$ 8:12=6:x

  - $\therefore x = 9 cm$
- 56) 6
- $\Rightarrow$  12:8 = x:(10-x)  $\therefore$  x = 6
- 57) 6
- $\Rightarrow 10: x = 5: (8-5)$   $\therefore x = 6$
- 58) 2
- $\Rightarrow 6:4=3:x \text{ old } 6x=12 \qquad \therefore x=2$
- $\Rightarrow$  12:9 = (14-x):x of  $\Rightarrow$  12x = 9(14-x) 21x = 126 $\therefore x = 6$
- 60) 8cm
- $\Rightarrow \overline{AB} : \overline{AC} = \overline{BD} : \overline{DC} = 4 : 30 | \Gamma |$ 따라서  $\overline{BD}$ : 6 = 4:3,  $\overline{BD} = 8$ cm 이다.
- 61) 3cm

- ightarrow  $\overline{AB}:\overline{AC}=\overline{BD}:\overline{DC}=1:2$ 이다. 따라서  $\overline{BC}=9$ cm일 때,  $\overline{BD}=\frac{1}{3}\times 9=3$  (cm)이다.
- 62) 3 cm
- $\Rightarrow$   $\overline{\mathrm{BD}} = x \,\mathrm{cm}$ 라 하면 6:8 = x:(7-x)  $\therefore x=3$
- 63) 16cm
- $\Rightarrow$  삼각형의 내각을 이등분할 때,  $\overline{AB}\colon\overline{AC}=\overline{BD}\colon\overline{DC}=4:3$ 이 성립한다. 따라서  $\overline{BC}=28$ cm 이면  $\overline{BD}=\frac{4}{7}\times28=16$ cm 이다.
- 64) 21cm<sup>2</sup>
- $\Rightarrow$   $\overline{\mathrm{BD}}$ :  $\overline{\mathrm{CD}} = \overline{\mathrm{AB}}$ :  $\overline{\mathrm{AC}} = 6:10=3:5$ 이므로  $\Delta \mathrm{ABD} = \frac{3}{8} \Delta \mathrm{ABC} = \frac{3}{8} \times 56 = 21 (\mathrm{cm}^2)$
- 65) 48cm<sup>2</sup>
- $\Rightarrow \overline{AB} : \overline{AC} = \overline{BD} : \overline{DC}$   $20 : 16 = \overline{BD} : \overline{DC}$

 $\triangle ABD$ 와  $\triangle ADC$ 의 밑변의 길이의 비가 5:4이므로 넓이의 비도 5:4이다.

$$\therefore \triangle ADC = 108 \times \frac{4}{9} = 48 \text{ (cm}^2)$$

- 66) 20cm<sup>2</sup>
- $\Rightarrow$   $\overline{BD}$ :  $\overline{CD} = \overline{AB}$ :  $\overline{AC} = 8:10 = 4:5$ 이므로  $\triangle ADC = \frac{5}{4} \triangle ABD = \frac{5}{4} \times 16 = 20 \text{ (cm}^2)$
- 67) 20
- 68) 40cm<sup>2</sup>
- ightharpoonup ig
- 69) 9cm<sup>2</sup>
- 70) 45cm<sup>2</sup>
- 71)  $\frac{15}{4}$  cm<sup>2</sup>
- $\triangle ABC = \frac{1}{2} \times 4 \times 3 = 6 \text{ (cm}^2)$   $\overline{BD} : \overline{CD} = \overline{AB} : \overline{AC} = 3 : 50 | 므로$   $\triangle ABD = \frac{5}{8} \triangle ABC = \frac{5}{8} \times 6 = \frac{15}{4} \text{ (cm}^2)$
- 72) 15cm<sup>2</sup>

- Arr  $\Delta ABC = \frac{1}{2} \times 8 \times 6 = 24 \text{ (cm}^2)$   $Arr BD: \overline{CD} = \overline{AB}: \overline{AC} = 10: 6 = 5: 3$ 이므로  $\Delta ABD = \frac{5}{8} \Delta ABC = \frac{5}{8} \times 24 = 15 \text{ (cm}^2)$
- 73) 96cm<sup>2</sup>
- 74) 8
- $\Rightarrow x:6=(3+9):9$  : x=8
- 75) 14
- $\Rightarrow \overline{AB} : \overline{AC} = \overline{BD} : \overline{CD}$   $10 : 7 = (6+x) : x \qquad \therefore \quad x = 14$
- 76) 4
- $\Rightarrow$  6: x = 12:8  $\therefore x = 4$
- 77) 4
- $\Rightarrow$  6:3=(x+4):4  $\therefore$  x=4
- 78)  $\frac{26}{3}$
- $\Rightarrow \overline{AB}: \overline{AC} = \overline{BD}: \overline{CD}$

$$6:4=13:x$$
  $\therefore x=\frac{26}{3}$ 

- 79) 6
- $\Rightarrow 8:5=(x+10):10$   $\therefore x=6$
- 80) 9
- $\Rightarrow$  5:3=15:x  $\therefore$  x=9
- 81)  $\frac{20}{3}$
- 82) 10
- 83) 6
- 84) 6
- $\Rightarrow 8: x = 16: (16-4)$   $\therefore x = 6$
- 85) 9
- $\Rightarrow$  12: x = 20: 15이므로 20x = 180  $\therefore x = 9$
- 86) 4
- 5:3=(x+6):6이므로 3(x+6):303x=12  $\therefore x=4$
- 87)  $\frac{21}{2}$
- ⇒ x:7=(10+5):10이므로

$$10x = 105 \qquad \therefore x = \frac{21}{2}$$

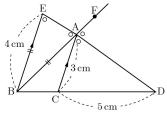
88) 8

$$\Rightarrow x:6=(3+9):90$$
 으로  $9x=72$   $\therefore x=8$ 

$$\Rightarrow x:3=(2+6):6$$
이므로  $6x=24$   $\therefore x=4$ 

90)  $\frac{5}{3}$  cm

 $\Rightarrow$   $\overline{AD}$ 의 연장선과 점 B를 지나  $\overline{AC}$ 에 평행한 선과의 교 점을 E,  $\overline{AB}$ 의 연장선 위의 점을 F라 하자.



이 때, ∠DAC = ∠DEB(동위각), ∠FAD = ∠BAE(맞꼭 지각)이므로  $\overline{AB} = \overline{EB} = 4$ cm 이다.

따라서 
$$\overline{DC}:\overline{BD}=\overline{AC}:\overline{EB}$$
이므로

$$5: \overline{BD} = 3:4$$
  $\therefore \overline{BD} = \frac{20}{3} \text{cm}$ 

따라서 
$$\overline{\mathrm{BC}} = \frac{20}{3} - 5 = \frac{5}{3}$$
이다.

91) 4cm

$$\Rightarrow \overline{BC} = x \text{ cm}$$
 라 하면

$$6:4=(x+8):8$$
  $\therefore x=4$ 

92) 
$$\frac{5}{3}$$

⇒ 
$$\overline{AB}$$
:  $\overline{AC}$  =  $\overline{BD}$ :  $\overline{CD}$ 가 성립하므로

$$6:5=10:\overline{\text{CD}}$$
  $\therefore$   $\overline{\text{CD}}=\frac{25}{3}$ 

$$\therefore \overline{CD} = \frac{25}{3}$$

$$\therefore \ \overline{BC} = 10 - \frac{25}{3} = \frac{5}{3}$$

93) 2cm

94) 6cm

95) 8cm

96) 21cm

⇒ 내각의 이등분선의 성질에 의해

 $\overline{AB}: \overline{AC} = \overline{BP}: \overline{PC} = 8:6 = 4:30$  므로  $\overline{PC} = 30$ 다.

외각의 이등분선의 성질에 의해

 $\overline{AC}: \overline{AB} = \overline{CQ}: \overline{BQ}$ 

$$6:8 = \overline{CQ}: (7 + \overline{CQ})$$

$$8\overline{CQ} = 42 + 6\overline{CQ}$$

$$2\overline{CQ} = 42$$
  $\therefore$   $\overline{CQ} = 21$ cm

97) 24cm