





중 1 과정

## 5-2-2.평행선의 성질의 활용\_꺾인 점이 있을 때, 폭이 일정한 종이접기





◇「콘텐츠산업 진흥법 시행령」제33조에 의한 표시

1) 제작연월일 : 2016-08-25

2) 제작자 : 교육지대㈜

3) 이 콘텐츠는 「콘텐츠산업 진흥법」에 따라 최초 제작일부터 5년간 보호됩니다. ◇「콘텐츠산업 진흥법」외에도「저작권법」에 의하여 보호되는 콘텐츠의 경우, 그 콘텐츠의 전부 또는 일부를 무단으로 복제하거나 전송하는 것은 콘텐츠산업 진흥법 외에도 저작권법에 의한 법적 책임을 질 수 있습니다.

## 계산시 참고사항

## 1. 평행선 사이에 꺾인 점이 있을 때

- 1) 꺾인 점을 지나면서 평행선과 평행한 보조건을 긋는다.
- 2) 평행선의 성질을 이용하여 각의 크기를 구한다.

## 2. 폭이 일정한 종이를 접을 때

- 1) 접은 각의 크기가 같음을 이용하여 각의 크기를 구한다.
- 2) 평행선의 성질을 이용하여 각의 크기를 구한다.



● 삼각형의 내각의 합은 180°이다.

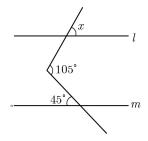
● 사각형의 내각의 합은 360°이다.

# 8

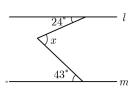
평행선 사이에 꺽인 점이 있을 때

 $\square$  다음 그림에서 l//m일 때,  $\angle x$ 의 크기를 구하여라.

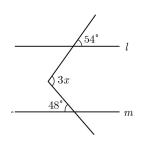
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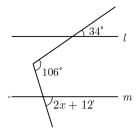
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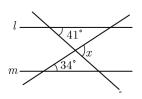
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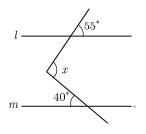


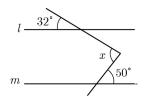
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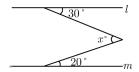
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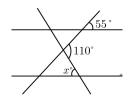




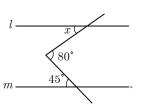
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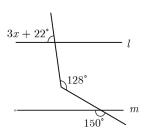
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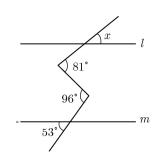


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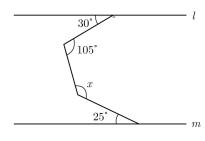


ightharpoonup 다음 그림에서 l//m일 때,  $\angle x$ 의 크기를 구하여라.

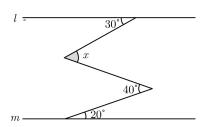
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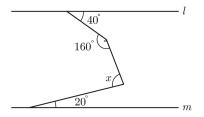


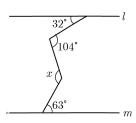
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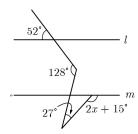
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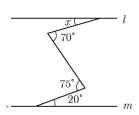




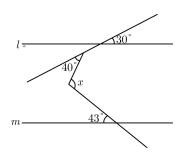
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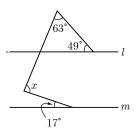
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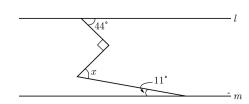
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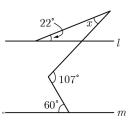
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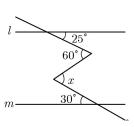
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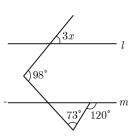
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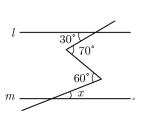


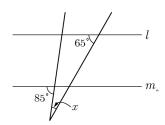
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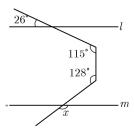
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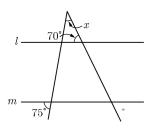




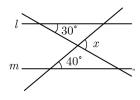
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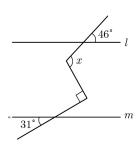
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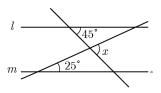
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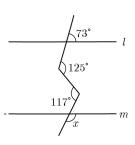
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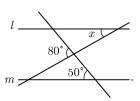
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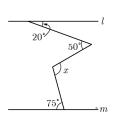
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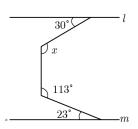
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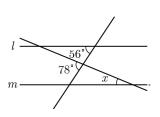


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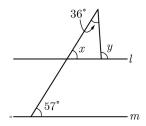
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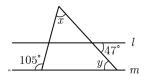


lacksquare 다음 그림에서 l//m일 때,  $\angle x$ ,  $\angle y$ 의 크기를 각각 구하여 라.

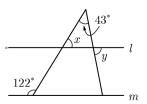
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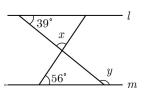
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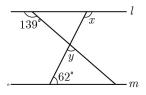
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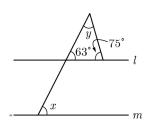
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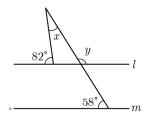
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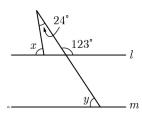
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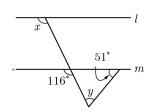
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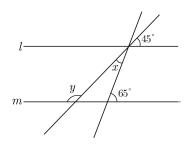


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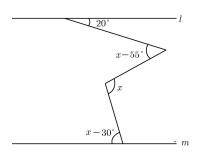
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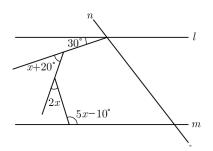


## ightharpoonup 다음 그림에서 l//m일 때, $\angle x$ 의 크기를 구하여라.

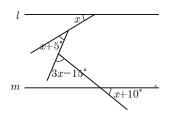
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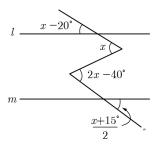
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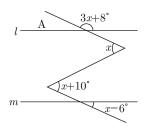
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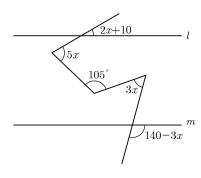
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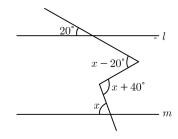
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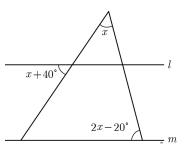


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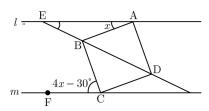
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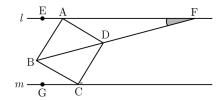


## ☑ 다음 물음에 답하여라.

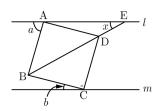
55. 다음 그림에서 l//m이고  $\square ABCD$ 가 정사각형이고,  $\angle EAB = \angle x$ ,  $\angle BCF = 4x - 30$  ° 라 할 때,  $\angle AEB$ 의 크기를 구하여라.



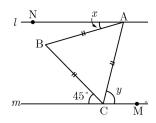
56. 다음 그림에서 l//m이고 사각형 ABCD는 정사각형이다.  $\angle EAB: \angle BCG = 3: 20$  때,  $\angle AFB$ 의 크기를 구하여라.



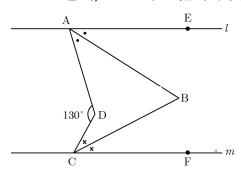
57. 다음 그림에서 l//m이고, 사각형 ABCD는 정사각형이다. 대각선 BD의 연장선과 직선 l이 만나는 점을 E라 하고,  $\angle a: \angle b=7:2$ 일 때,  $\angle a+ \angle b+ \angle x$ 의 크기를 구하여라.



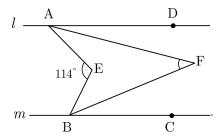
58. 다음 그림에서 삼각형 ABC는 정삼각형이고 l//m일 때,  $\angle x + \angle y$ 의 값을 구하여라.



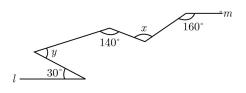
59. 다음 그림에서 l//m이고  $\angle EAB = \angle BAD$ ,  $\angle DCB = \angle BCF$ 일 때,  $\angle ABC$ 의 크기를 구하여라.



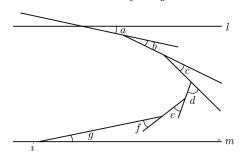
60. 두 직선 l, m이 평행이고  $\angle FAE = 2 \angle FAD$ ,  $\angle FBE = 2 \angle FBC$ **일 때**,  $\angle AFB$ 의 크기를 구하여라.



61. 다음 그림에서 l//m일 때,  $\angle x - \angle y$ 의 크기를 구하여라.



62. 다음 그림에서 l//m일 때,  $\angle a+\angle b+\angle c+\angle d+\angle e+\angle f+\angle g$ 의 크기를 구하여라.

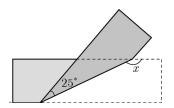




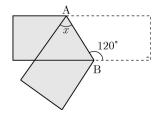
## 폭이 일정한 종이를 접을 때

lacktriangle 다음과 같이 직사각형 모양의 종이를 접었을 때,  $\angle x$ 의 크기를 구하여라.

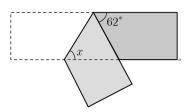
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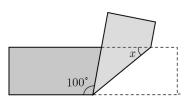
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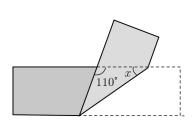
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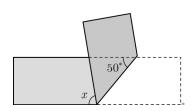
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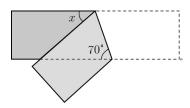
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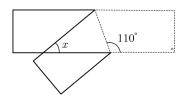
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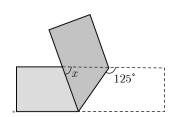
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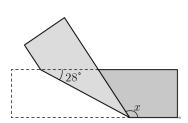
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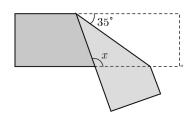


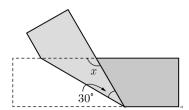
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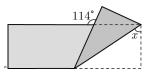
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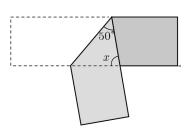




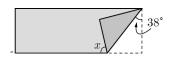
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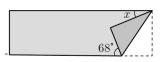
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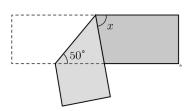
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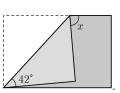
81.



76.

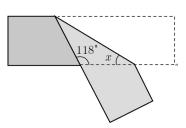


82.

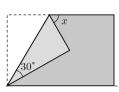


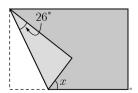
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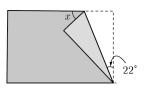


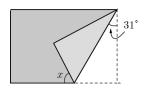
83.

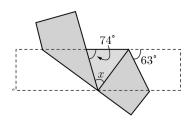




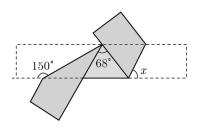
84.



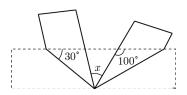




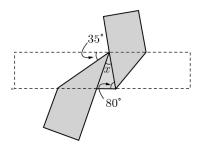
87.



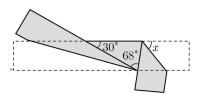
88.



89.

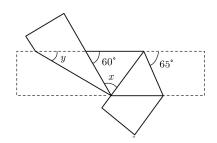


90.

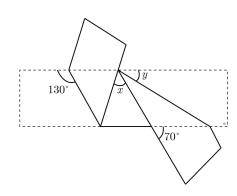


☑ 다음 그림과 같이 직사각형 모양의 종이 테이프를 접었을 때,  $\angle x + \angle y$ 의 값을 구여라.

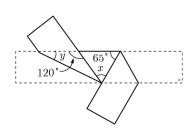
91.

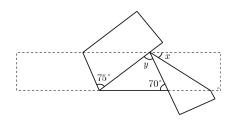


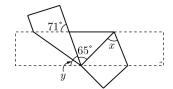
92.

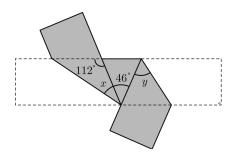


93.



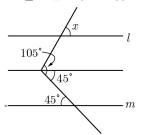




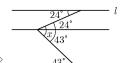




- 1) 60°
- $\Rightarrow$  다음 그림과 같이 두 직선 l, m에 평행한 직선을 그으 면  $\angle x + 45^{\circ} = 105^{\circ}$   $\therefore \angle x = 60^{\circ}$



2) 67°

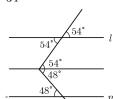


다음 그림과 같이 두 직선 l, m에 평행한 직선을 그으

 $\angle x = 24^{\circ} + 43^{\circ} = 67^{\circ}$ 

$$\angle x = 24^{\circ} + 43^{\circ} = 67$$

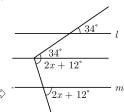
3)  $34\degree$ 



다음 그림과 같이 두 직선 l, m에 평행한 직선을 그으

 $3 \angle x = 54$  ° +48 ° = 102 °  $\therefore \angle x = 34$  °

4) 30°

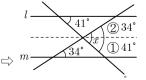


다음 그림과 같이 두 직선 l, m에 평행한 직선을 그으

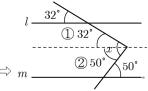
$$34^{\circ} + (2 \angle x + 12^{\circ}) = 106^{\circ}$$

$$2 \angle x = 60^{\circ}$$
  $\therefore \angle x = 30^{\circ}$ 

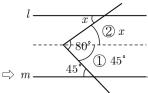
5) 75°



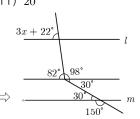
- ③  $\angle x = 34\degree + 41\degree = 75\degree$
- 6) 95°
- 7) 82°



- $(3) \ \angle x = 32^{\circ} + 50^{\circ} = 82^{\circ}$
- 8) 50°
- 9) 55°
- 10) 35°



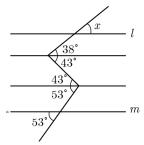
- $3 \quad \angle x + 45^{\circ} = 80^{\circ} \quad \therefore \quad \angle x = 35^{\circ}$
- 11) 20°



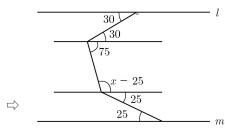
다음 그림과 같이 두 직선 l, m에 평행한 직선을 그으

$$3 \angle x + 22^{\circ} = 82^{\circ}$$
,  $3 \angle x = 60^{\circ}$   $\therefore \angle x = 20^{\circ}$ 

- 12) 38°
- $\Rightarrow$  다음 그림과 같이 두 직선 l, m에 평행한 직선을 그으 면  $\angle x = 38^{\circ}$



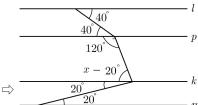
13) 130°



그림과 같이 직선 l 과 평행한 두 직선을 그으면 엇각의 크기가 같으므로  $75\,^\circ+(x-25\,^\circ)=180\,^\circ$  ,  $\therefore$   $\angle$   $x=130\,^\circ$ 

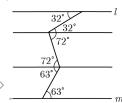
14) 
$$50^{\circ}$$
  $\Rightarrow$   $\angle x + 20^{\circ} = 30^{\circ} + 40^{\circ}$  이므로  $\angle x = 50^{\circ}$ 





그림과 같이 직선 l 과 평행한 두 직선  $p,\ q$  를 그으면 엇각의 크기가 같으므로  $120\degree + (x-20\degree) = 180\degree$  에서  $\angle x = 80\degree$ 

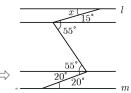
### 16) 135°



다음 그림과 같이 두 직선  $l,\ m$ 에 평행한 직선을 그으면

$$\angle x = 72\degree + 63\degree = 135\degree$$

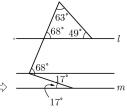
## 17) 15°



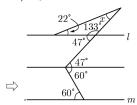
다음 그림과 같이 두 직선  $l,\ m$ 에 평행한 직선을 그으면

$$\angle x = 15^{\circ}$$

18) 85°



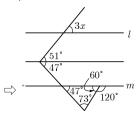
다음 그림과 같이 두 직선  $l,\ m$ 에 평행한 직선을 그으 면  $\angle x = 68\ ^{\circ} + 17\ ^{\circ} = 85\ ^{\circ}$ 



다음 그림과 같이 두 직선  $l,\ m$ 에 평행한 직선을 그으면

$$22\degree + 133\degree + \angle x = 180\degree$$
  $\therefore$   $\angle x = 25\degree$ 

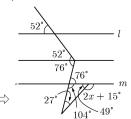
### 20) 17°



다음 그림과 같이 두 직선  $l,\ m$ 에 평행한 직선을 그으면

$$3 \angle x = 51^{\circ}$$
  $\therefore \angle x = 17^{\circ}$ 

### 21) 58°

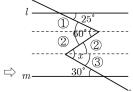


다음 그림과 같이 두 직선 l, m에 평행한 직선을 그으면

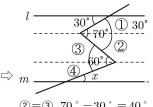
$$49^{\circ} + (2 \angle x + 15^{\circ}) = 180^{\circ}$$
  
 $2 \angle x = 116^{\circ}$   $\therefore$   $\angle x = 58^{\circ}$ 

23) 57°

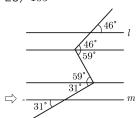
24) 65°



- ①  $25^{\circ}$  ②  $60^{\circ} 25^{\circ} = 35^{\circ}$  ③  $30^{\circ}$
- $4 \quad \angle x = 2 + 3 = 35^{\circ} + 30^{\circ} = 65^{\circ}$
- 25) 20°

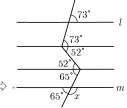


- $2=370^{\circ}-30^{\circ}=40^{\circ}$
- $4 \ \angle x = 60^{\circ} 40^{\circ} = 20^{\circ}$
- 26) 20°
- $\Rightarrow l//m$ 이므로 동위각의 크기가 같다.  $\angle x$ 를 한 내각으로 하는 삼각형에서 두 내각의 크기의 합이 한 외각의 크기와 같으므로  $\angle x + 65^{\circ} = 85^{\circ}$   $\therefore$   $\angle x = 20^{\circ}$
- 27) 35°
- ⇒ 동위각의 크기가 75°으로 같아서  $75^{\circ} + 70^{\circ} + \angle x = 180^{\circ}$  $145^{\circ} + \angle x = 180^{\circ}$  $\therefore \angle x = 35^{\circ}$
- 28) 105°



다음 그림과 같이 두 직선 l, m에 평행한 직선을 그으

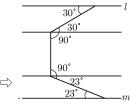
- $\angle x = 46^{\circ} + 59^{\circ} = 105^{\circ}$
- 29) 115°



다음 그림과 같이 두 직선 l, m에 평행한 직선을 그으

- $65^{\circ} + \angle x = 180^{\circ}$   $\therefore \angle x = 115^{\circ}$

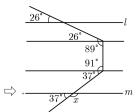
30) 120°



다음 그림과 같이 두 직선 l, m에 평행한 직선을 그으

$$\angle x = 30^{\circ} + 90^{\circ} = 120^{\circ}$$

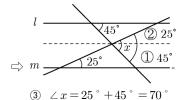
31)  $143\degree$ 



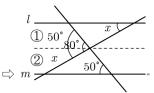
다음 그림과 같이 두 직선 l, m에 평행한 직선을 그으

$$37^{\circ} + \angle x = 180^{\circ}$$
  $\therefore \angle x = 143^{\circ}$ 

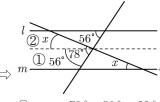
- 32) 70°
- 33) 70°



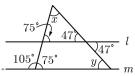
34) 30°



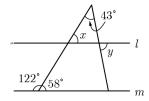
- $3 \ \angle x = 80^{\circ} 50^{\circ} = 30^{\circ}$
- 35) 105°
- $\implies 20~^{\circ} + \angle \, x = 50~^{\circ} + 75~^{\circ}$  $\therefore \ \angle x = 125^{\circ} - 20^{\circ} = 105^{\circ}$
- 36) 22°



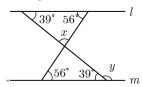
- 37)  $\angle x = 57^{\circ}, \angle y = 93^{\circ}$
- $\Rightarrow$   $\angle x = 57^{\circ}$ ,  $\angle y = \angle x + 36^{\circ} = 57^{\circ} + 36^{\circ} = 93^{\circ}$
- 38)  $\angle x = 58^{\circ}, \angle y = 47^{\circ}$
- 다음 그림에서  $\angle x = 180^{\circ} (75^{\circ} + 47^{\circ}) = 58^{\circ}$  $\angle y = 47^{\circ}$



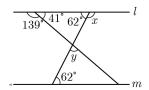
- 39)  $\angle x = 58^{\circ}, \angle y = 79^{\circ}$
- $\Rightarrow$  다음 그림에서  $\angle x = 58^{\circ}$  $\angle y = 180^{\circ} - (58^{\circ} + 43^{\circ}) = 79^{\circ}$



- 40)  $\angle x = 85^{\circ}, \angle y = 141^{\circ}$
- 다음 그림에서  $\angle x = 180^{\circ} (39^{\circ} + 56^{\circ}) = 85^{\circ}$  $\angle y = 180^{\circ} - 39^{\circ} = 141^{\circ}$

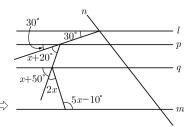


- 41)  $\angle x = 118^{\circ}, \angle y = 77^{\circ}$
- 다음 그림에서  $\angle x = 180^{\circ} 62^{\circ} = 118^{\circ}$  $\angle y = 180^{\circ} - (62^{\circ} + 41^{\circ}) = 77^{\circ}$



- 42)  $\angle x = 63^{\circ}, \angle y = 42^{\circ}$
- $\Rightarrow$   $\angle x = 63^{\circ}, \angle y = 180^{\circ} (63^{\circ} + 75^{\circ}) = 42^{\circ}$
- 43)  $\angle x = 24^{\circ}, \angle y = 122^{\circ}$
- $ightharpoonup 2y = 180 \degree 58 \degree = 122 \degree$   $(180 \degree 82 \degree) + \angle x + (180 \degree \angle y) = 180 \degree$  이므로  $\angle x = \angle y 98 \degree$   $\therefore \angle x = 122 \degree 98 \degree = 24 \degree$
- 44)  $\angle x = 81^{\circ}, \angle y = 57^{\circ}$
- $\angle x = 24^{\circ} + (180^{\circ} 123^{\circ}) = 81^{\circ}$  $\angle y = 180^{\circ} - 123^{\circ} = 57^{\circ}$
- 45)  $\angle x = 116^{\circ}, \angle y = 65^{\circ}$
- $\Rightarrow$   $\angle x = 116^{\circ}, \angle y + 51^{\circ} = 116^{\circ}$ 이므로  $\angle y = 65^{\circ}$

- 46)  $\angle x = 20^{\circ}$ ,  $\angle y = 135^{\circ}$
- 47) 105°
- $\Rightarrow$  (x-55°)+(x-30°)=20°+x2x-85°=20°+x 이므로 x=105°
- 48) 30°

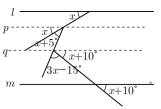


직선의 교점에 직선 l과 평행한 두 직선 p, q를 그으면 동위각의 크기가 같고, 엇각의 크기가 같으므로

$$30^{\circ} + (\angle x + 20^{\circ}) + 2 \angle x = 5 \angle x - 10^{\circ}$$
  
 $3 \angle x + 50^{\circ} = 5 \angle x - 10^{\circ}$ 

$$2 \angle x = 60^{\circ}$$
  $\therefore$   $\angle x = 30^{\circ}$ 

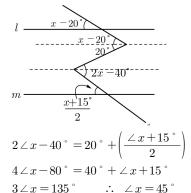
- 49) 30°
- ightharpoonup 다음 그림과 같이  $l,\ m$ 에 평행한 직선을 그어 동위각의 크기가 같음을 이용하면



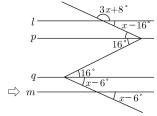
 $\angle x + \angle x + 5^{\circ} + \angle 3x - 15^{\circ} + \angle x + 10^{\circ} = 180^{\circ}$ 

$$6 \angle x = 180^{\circ}$$
  $\therefore$   $\angle x = 30^{\circ}$ 

- 50) 45°
- $\Rightarrow$  꺾이는 부분에 l, m에 평행한 직선을 그어 동위각과 엇 각의 크기가 같음을 이용하면



51) 47°

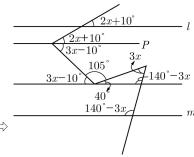


꺾이는 부분의 꼭짓점에서 직선 l과 평행한 두 직선  $p,\ q$ 를 그으면 동위각, 엇각의 크기가 같음을 이용하면  $3 \angle x + 8\ ^\circ + \angle x - 16\ ^\circ = 180\ ^\circ$ 

$$4 \angle x = 188$$
°

$$\therefore \angle x = 47^{\circ}$$

52) 15°



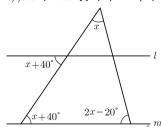
두 직선  $l,\ m$ 과 평행한 직선  $p,\ q$ 를 그으면 동위각, 엇각의 크기가 같으므로  $(3 \angle x - 10\ ^\circ) + 105\ ^\circ + 40\ ^\circ = 180\ ^\circ$   $3 \angle x = 45\ ^\circ$   $\therefore\ \angle x = 15\ ^\circ$ 

53) 80°

$$\Rightarrow 20^{\circ} + (\angle x + 40^{\circ}) = (\angle x - 20^{\circ}) + \angle x$$
$$\angle x = 80^{\circ}$$

54) 40°

 $\Rightarrow l//m$ 이므로 엇각의 크기가 같다.



따라서 위의 그림에서 삼각형의 세 내각의 합은  $\angle x + (\angle x + 40\,^\circ) + (2\angle x - 20\,^\circ) = 180\,^\circ$  4  $\angle x = 160\,^\circ$   $\therefore$   $\angle x = 40\,^\circ$ 

55) 21°

$$Arr$$
  $Arr$   $Arr$ 

56) 22.5°

 $ightharpoonup \angle EAB = 3a, \ \angle BCG = a$ 라 하면  $3a + a = \angle ABC$  에서  $4a = 90^\circ \rightarrow a = 22.5^\circ$   $\triangle ABF$  에서  $\angle ABF = 45^\circ, \ \angle BAF = 180^\circ - (3 \times 22.5^\circ) = 112.5^\circ$   $\therefore \ \angle AFB = 180^\circ - (45^\circ + 112.5^\circ) = 22.5^\circ$ 

57) 115°

$$\angle a = 90^{\circ} \times \frac{7}{9} = 70^{\circ}, \ \angle b = 20^{\circ}$$
   
  $\triangle ABE$ 에서   
  $\angle ABE = 45^{\circ}, \ \angle BAE = 180^{\circ} - \angle a = 110^{\circ}$ 이므로   
  $\angle x = 180^{\circ} - 45^{\circ} - 110^{\circ} = 25^{\circ}$    
 따라서  $\angle a + \angle b + \angle x = 70^{\circ} + 20^{\circ} + 25^{\circ} = 115^{\circ}$ 

58) 90°

$$Arr$$
  $Arr$   $Arr$ 

 $\Rightarrow$   $\angle a + \angle b = \angle ABC = 90$ ° 이므로

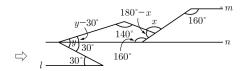
59) 65°

$$Arr$$
  $Arr$   $Arr$ 

60) 38°

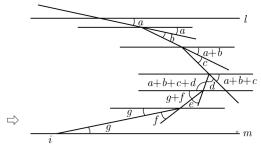
$$ightharpoonup$$
  $ightharpoonup$   $ig$ 

61) 90°



그림과 같이 직선 l 과 평행한 직선 n 을 그으면 엇각의 크기가 같다. 사각형의 네 내각의 크기의 합이  $360^\circ$ 이므로  $140^\circ + (y-30^\circ) + 160^\circ + (180^\circ - x) = 360^\circ$   $y-x=-90^\circ$  이므로  $\angle x-\angle y=90^\circ$ 

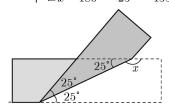
62) 180°



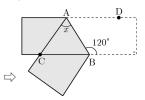
그림과 같이 두 직선 l, m 과 평행한 직선을 그으면 동위각, 엇각의 크기가 같으므로  $\angle a + \angle b + \angle c + \angle d + \angle e + \angle f + \angle g = 180^{\circ}$ 

63) 155°

⇨ 접은 각의 크기와 엇각의 크기가 같으므로 다음 그림에 서  $\angle x = 180^{\circ} - 25^{\circ} = 155^{\circ}$ 



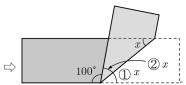
64) 60°



접은 각의 크기가 같으므로  $\angle DAB = \angle CAB = \angle x$ 엇각의 크기가 같으므로  $\angle DAB = \angle ABC = \angle x$  $\angle ABC = 180^{\circ} - 120^{\circ} = 60^{\circ}$   $\therefore \angle x = 60^{\circ}$ 

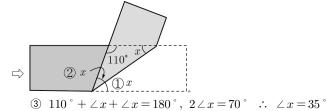
65) 59°

66) 40°



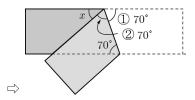
③  $100^{\circ} + \angle x + \angle x = 180^{\circ}, \ 2 \angle x = 80^{\circ} \ \therefore \ \angle x = 40^{\circ}$ 

67) 35°



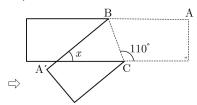
68) 80°

69) 40°



③  $\angle x + 70^{\circ} + 70^{\circ} = 180^{\circ}$   $\therefore \angle x = 40^{\circ}$ 

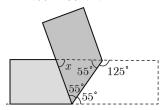
70) 40°



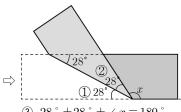
 $\angle ABC + 110^{\circ} = 180^{\circ} \rightarrow \angle ABC = 70^{\circ}$ 엇각의 크기가 같으므로  $\angle ABC = \angle BCA' = 70^{\circ}$ 접은 각의 크기가 같으므로  $\angle ABC = \angle A'BC = 70^{\circ}$  $\angle x + 70\degree + 70\degree = 180\degree$   $\therefore$   $\angle x = 40\degree$ 

71) 70°

 $\Rightarrow$  다음 그림에서  $\angle x = 180^{\circ} - (55^{\circ} + 55^{\circ}) = 70^{\circ}$ 



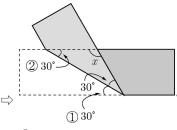
72) 124°



 $3 28^{\circ} + 28^{\circ} + \angle x = 180^{\circ}$ 

73) 110°

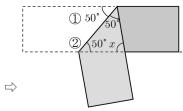
74) 120°



③  $\angle x + 30^{\circ} + 30^{\circ} = 180^{\circ}$   $\therefore \angle x = 120^{\circ}$ 

 $\therefore \angle x = 124^{\circ}$ 

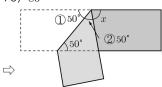
75) 80°



$$3 50^{\circ} + 50^{\circ} + \angle x = 180^{\circ}$$

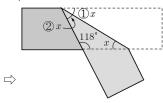
$$\therefore \angle x = 80^{\circ}$$

76) 80°



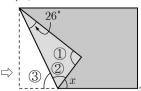
③ 
$$50^{\circ} + 50^{\circ} + \angle x = 180^{\circ}$$
  $\therefore \angle x = 80^{\circ}$ 

77) 31°



$$3 \quad \angle x + 118^{\circ} + \angle x = 180^{\circ}, \quad 2 \angle x = 62^{\circ} \quad \therefore \quad \angle x = 31^{\circ}$$

78) 52°

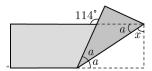


- ①  $90^{\circ}$  ②  $180^{\circ} (26^{\circ} + 90^{\circ}) = 64^{\circ}$  ③  $64^{\circ}$
- **4**  $64^{\circ} + 64^{\circ} + \angle x = 180^{\circ} \therefore \angle x = 52^{\circ}$

79) 57°

⇨ 다음 그림에서

$$2 \angle a + 114^{\circ} = 180^{\circ}, \ 2 \angle a = 66^{\circ} \qquad \therefore \angle a = 33^{\circ}$$
  
  $\therefore \angle x = 90^{\circ} - 33^{\circ} = 57^{\circ}$ 



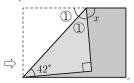
80) 76°



81) 22°



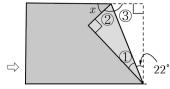
82) 84°



- ①  $180^{\circ} (42^{\circ} + 90^{\circ}) = 48^{\circ}$
- ②  $48^{\circ} + 48^{\circ} + \angle x = 180^{\circ}$   $\therefore$   $\angle x = 84^{\circ}$

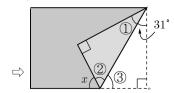
83) 60°

84) 44°



- ①  $22^{\circ}$  ②  $180^{\circ} (90^{\circ} + 22^{\circ}) = 68^{\circ}$  ③  $68^{\circ}$
- (4)  $\angle x + 68^{\circ} + 68^{\circ} = 180^{\circ}$   $\therefore$   $\angle x = 44^{\circ}$

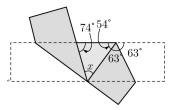
85) 62°



- ①  $31^{\circ}$  ②  $180^{\circ} (31^{\circ} + 90^{\circ}) = 59^{\circ}$  ③  $59^{\circ}$
- (4)  $\angle x + 59^{\circ} + 59^{\circ} = 180^{\circ}$   $\therefore$   $\angle x = 62^{\circ}$

86) 52°

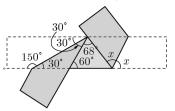
다음 그림에서 ∠x=180°-(74°+54°)=52°



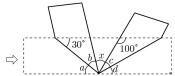
87) 64°

⇨ 다음 그림에서

 $2 \angle x = 68^{\circ} + 60^{\circ}, \ 2 \angle x = 128^{\circ}$   $\therefore \angle x = 64^{\circ}$ 



88) 40°

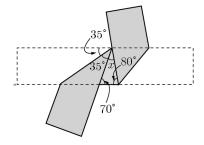


엇각의 크기가 같고, 접은 각의 크기가 같으므로  $\angle a = \angle b = 30\,^\circ$ 

또한  $\angle c = \angle d$ 인데  $100^\circ + (\angle c + \angle d) = 180^\circ$  이므로  $\angle c = \angle d = 40^\circ$ 

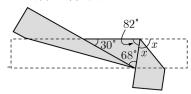
89) 30°

□ 다음 그림에서 ∠x=180°-(70°+80°)=30°

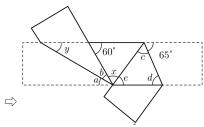


90) 49°

 $\Rightarrow$  다음 그림에서  $82^{\circ} + 2 \angle x = 180^{\circ}, \therefore \angle x = 49^{\circ}$ 



91) 100°



위의 그림을 이용하면

엇각의 크기가 같으므로  $\angle y = \angle a$  이고

접은 각의 크기가 같으므로  $\angle a = \angle b$ 

그러므로  $\angle y + \angle b = 60$ °에서  $2 \angle y = 60$ °이므로

 $\therefore \angle y = 30^{\circ}$ 

엇각의 크기가 같으므로  $\angle d = 65\,^{\circ}$ 이고

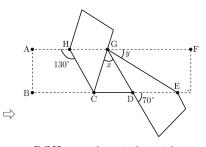
접은 각의 크기가 같으므로  $\angle c = 65^{\circ}$ 

따라서  $\angle e = 180\,^{\circ} - 2 \times 65\,^{\circ} = 50\,^{\circ}$ 일 때

 $\angle x = 180\degree - 2 \times 30\degree - 50\degree = 70\degree$ 

 $\therefore$   $\angle x + \angle y = 70^{\circ} + 30^{\circ} = 100^{\circ}$ 

92) 65°



 $\angle$ BCH=180°-130°=50°  $\angle$ BCH= $\angle$ GCH=50°이므로  $\angle$ GCD=80° 맞꼭지각의 크기가 같으므로  $\angle$ CDG=70°

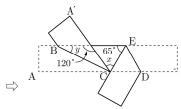
따라서  $\triangle$ GCD 에서  $\angle x = 180\degree - 80\degree - 70\degree = 30\degree$ 

 $\angle FGE = \angle DGE = y \cup \Box$ 

 $\angle$  FGD =  $\angle$  CDG =  $2y = 70^{\circ} \rightarrow \angle y = 35^{\circ}$ 

 $\therefore \angle x + \angle y = 30^{\circ} + 35^{\circ} = 65^{\circ}$ 

93) 85°



엇각의 크기가 같으므로  $\angle$  ECD =  $65\,^{\circ}$  접은 각의 크기가 같으므로  $\angle$  ACB =  $\angle$  A'CB

엇각의 크기가 같으므로  $\angle$  ACB =  $\angle$  EBC 따라서  $\angle$  EBC =  $\angle$  A'CB =  $(180\degree-120\degree)\div2=30\degree$ 

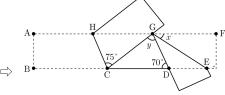
 $\therefore \angle y = 30^{\circ}$ 

또한 점 C 에서

 $2 \times 30^{\circ} + \angle x + 65^{\circ} = 180^{\circ} \rightarrow \angle x = 55^{\circ}$ 

 $\therefore$   $\angle x + \angle y = 55^{\circ} + 30^{\circ} = 85^{\circ}$ 

94) 115°



∠HCB = ∠HCG = 75° (접은 각)

 $\angle$ GCD = 180  $^{\circ}$  - 2  $\times$  75  $^{\circ}$  = 30  $^{\circ}$ 

 $\triangle$ CDG 에서  $\angle y = 180^{\circ} - 30^{\circ} - 70^{\circ} = 80^{\circ}$ 

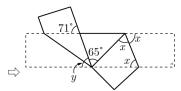
 $\angle DGE = \angle FGE = \angle x$ (접은 각)

∠CDG = ∠FGD = 70 °(엇각) 이므로

 $2 \angle x = 70^{\circ} \rightarrow \angle x = 35^{\circ}$ 

 $\therefore \angle x + \angle y = 35^{\circ} + 80^{\circ} = 115^{\circ}$ 

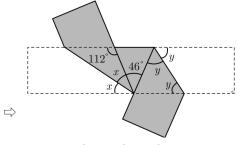
95) 139°



동위각의 크기가 같아서  $\angle y = 71$   $^{\circ}$ 접은 각의 크기가 같고, 엇각의 크기가 같아서  $\angle y + 65^{\circ} = 2 \angle x$ ,  $71^{\circ} + 65^{\circ} = 2 \angle x$  $\therefore$   $\angle x = 68^{\circ}$ 

 $\therefore \angle x + \angle y = 68^{\circ} + 71^{\circ} = 139^{\circ}$ 

96) 91°



 $2 \angle x = 180 \degree - 112 \degree = 68 \degree$  $\therefore \angle x = 34^{\circ}$ ,  $2 \angle y = 2 \angle x + 46^{\circ} = 114^{\circ}$   $\therefore$   $\angle y = 57^{\circ}$  $\therefore \angle x + \angle y = 34^{\circ} + 57^{\circ} = 91^{\circ}$