

5-5-3.다각형의 내각, 외각의 크기의 활용

[영역] 5.기하



중 1 과정



◇「콘텐츠산업 진흥법 시행령」제33조에 의한 표시

1) 제작연월일: 2016-10-25

2) 제작자 : 교육지대㈜

3) 이 콘텐츠는 「콘텐츠산업 진흥법」에 따라 최초 제작일부터 5년간 보호됩니다.

◇「콘텐츠산업 진흥법」외에도「저작권법」에 의하여 보호되는 콘텐츠의 경우, 그 콘텐츠의 전부 또는 일부를 무단으로 복제하거나 전송하는 것은 콘텐츠산업 진흥법 외에도 저작권법에 의한 법적 책임을 질 수 있습니다.

계산시 참고사항

1. 이등변삼각형에서 각의 크기 구하기

1) 이등변삼각형의 두 밑각의 크기가 같은 성질을 이용한다.

2. 오목한 부분이 있는 다각형에서 각의 크기 구하기

- 1) 보조선을 그어 n각형을 만든다.
- 2) n각형의 내각의 크기의 합을 이용하여 각의 크기를 구한다.

3. 별 모양의 도형에서 각의 크기 구하기

- 1) 삼각형의 내각의 크기의 합은 180°임을 이용한다.
- 2) 오각형의 내각의 크기의 합은 540°임을 이용한다.

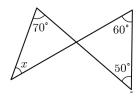
*** 참고

● 맞꼭지각의 크기는 항상 같다.

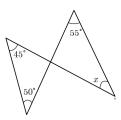
삼각형에서 각의 크기 구하기

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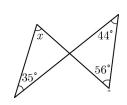
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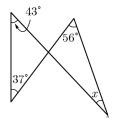
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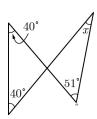
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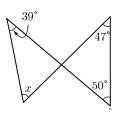


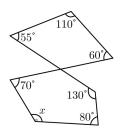
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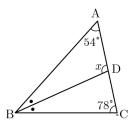
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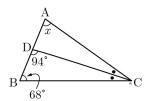




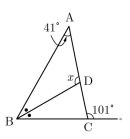
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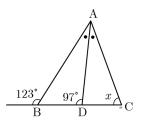
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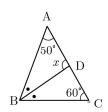
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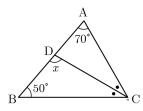
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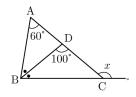
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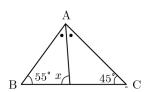
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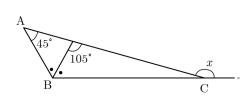
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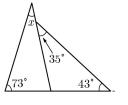


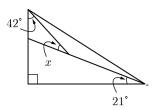
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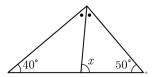
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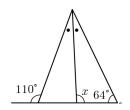




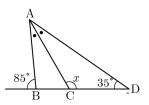
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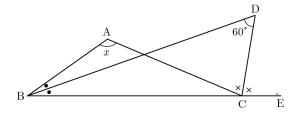


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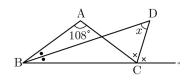


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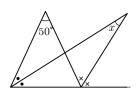
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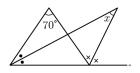
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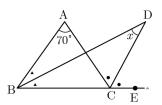
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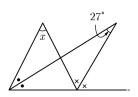
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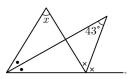


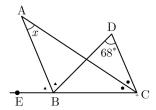
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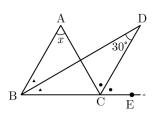
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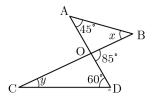


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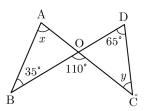


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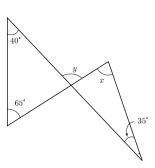
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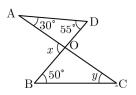
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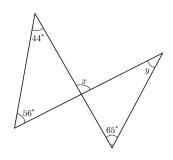
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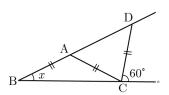
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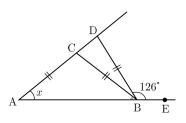
이등변삼각형에서 각의 크기 구하기

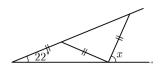
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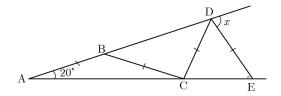
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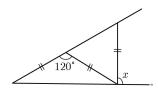
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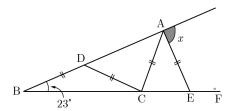




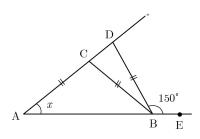
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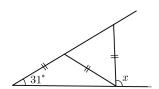
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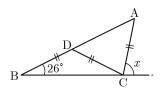
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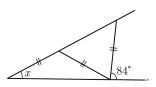
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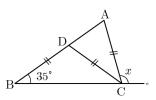
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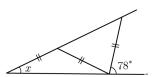
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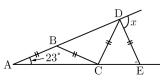
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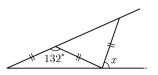
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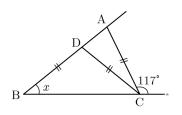


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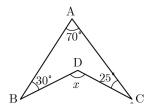




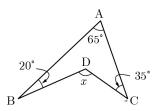
오목한 부분이 있을 때

ightharpoonup 다음 그림에서 $\angle x$ 의 크기를 구하여라.

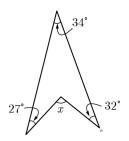
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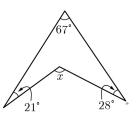
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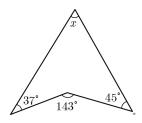
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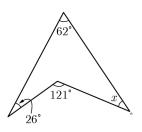
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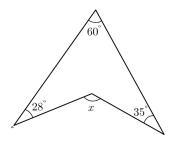
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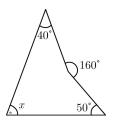
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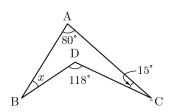
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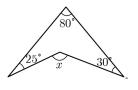


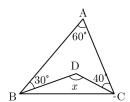
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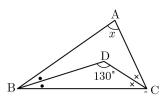
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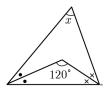




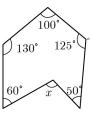
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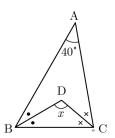
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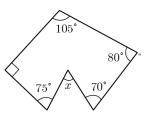
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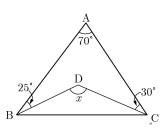
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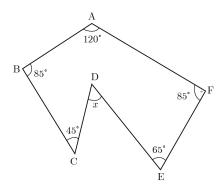
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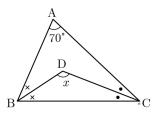
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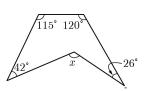


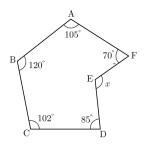
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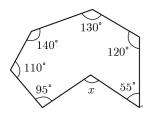
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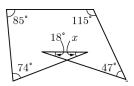




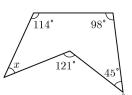
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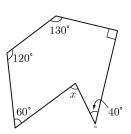
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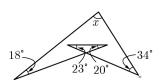
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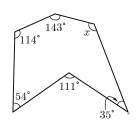
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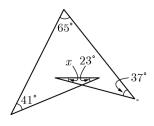
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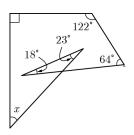
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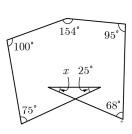
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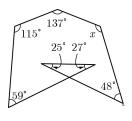


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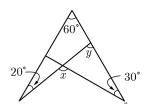
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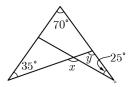


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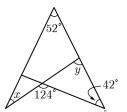
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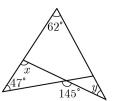
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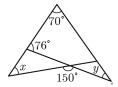
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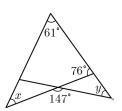
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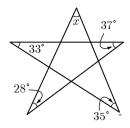


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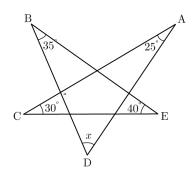
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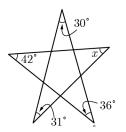
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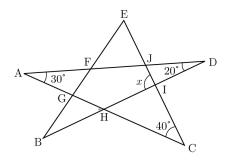
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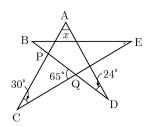
89.



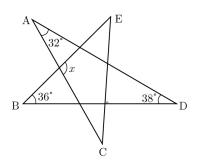




92.

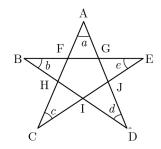


93.

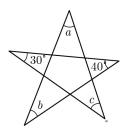


☑ 다음 그림에서 주어진 각의 크기를 구하여라.

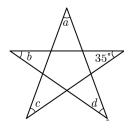
94.
$$\angle a + \angle b + \angle c + \angle d + \angle e$$
의 크기



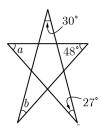
95. $\angle a + \angle b + \angle c$ 의 크기



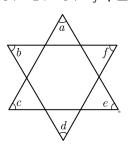
96. $\angle a + \angle b + \angle c + \angle d$ 의 크기



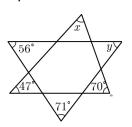
97. $\angle a + \angle b$ 의 크기



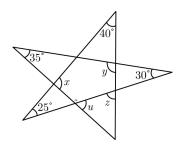
98. $\angle a + \angle b + \angle c + \angle d + \angle e + \angle f$ 의 크기



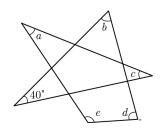
 $\angle x + \angle y$ 의 크기 99.



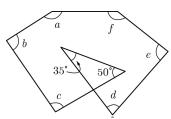
$$100$$
. $\angle x + \angle y + \angle z + \angle u$ 의 크기



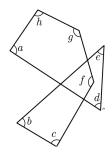
$$101$$
 $\angle a + \angle b + \angle c + \angle d + \angle e$ 의 크기



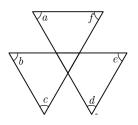
102. $\angle a + \angle b + \angle c + \angle d + \angle e + \angle f$ 의 크기



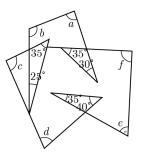
103. $\angle a + \angle b + \angle c + \angle d + \angle e + \angle f + \angle g + \angle h$ 의 크기



104. $\angle a + \angle b + \angle c + \angle d + \angle e + \angle f$ 의 크기



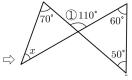
105: $\angle a + \angle b + \angle c + \angle d + \angle e + \angle f$ 의 크기



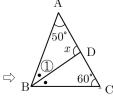


정답 및 해설

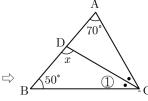
1) 40°



- ② $\angle x = 110^{\circ} 70^{\circ} = 40^{\circ}$
- 2) 40°
- 3) 65°
- $\Rightarrow \angle x + 35^{\circ} = 44^{\circ} + 56^{\circ} \therefore \angle x = 65^{\circ}$
- 4) 24°
- \Rightarrow 56° + $\angle x = 43° + 37° :: \angle x = 24°$
- 5) 29°
- $\Rightarrow \angle x + 51^{\circ} = 40^{\circ} + 40^{\circ} \therefore \angle x = 29^{\circ}$
- 6) 58°
- \Rightarrow 39° + $\angle x = 47° + 50° \therefore \angle x = 58°$
- 7) 125°
- 8) 102°
- Arr $Arr ABC = 180\degree (54\degree + 78\degree) = 48\degree$ 이므로 $Arr ABD =
 Arr DBC = rac{1}{2}
 Arr ABC = 24\degree$ $Arr ABC = 24\degree + 78\degree = 102\degree$
- 9) 76°
- \Rightarrow $\triangle DBC$ 에서 $\angle DCB = 180\degree (94\degree + 68\degree) = 18\degree$ $\angle ACD = \angle DCB = 18\degree$ 이므로 $\triangle ADC$ 에서 $\angle x + 18\degree = 94\degree$ \therefore $\angle x = 76\degree$
- 10) 109°
- 다 $\triangle ABC$ 에서 $41^{\circ}+\angle ABC=101^{\circ}$ 이므로 $\angle ABC=60^{\circ}$ $\angle ABD=\angle DBC=\frac{1}{2}\angle ABC=30^{\circ}$ 이 므로 $\triangle ABD$ 에서 $\angle x=180^{\circ}-(41^{\circ}+30^{\circ})=109^{\circ}$
- 11) 71°
- $ightharpoonup \Delta ABD$ 에서 $\angle BAD + 97\,^\circ = 123\,^\circ$ 이므로 $\angle BAD = 26\,^\circ \qquad \angle BAC = 2\angle BAD = 52\,^\circ \text{ 이므로}$ ΔABC 에서 $52\,^\circ + \angle x = 123\,^\circ \therefore \angle x = 71\,^\circ$
- 12) 95°



- ① \triangle ABC에서 $(180\degree 50\degree 60\degree) ÷ 2 = 35\degree$
- 13) 100°



- ① \triangle ABC에서 $(180\degree 70\degree 50\degree) ÷ 2 = 30\degree$
- ② $\triangle DBCOMM \ \angle x = 180^{\circ} (50^{\circ} + 30^{\circ}) = 100^{\circ}$
- 14) 140°
- ⇒ △ABD에서

$$60^{\circ} + \angle ABD = 100^{\circ}$$
 $\therefore \angle ABD = 40^{\circ}$
 $\therefore \angle DBC = \angle ABD = 40^{\circ}$

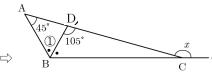
$$\triangle$$
ABC에서 $60^{\circ} + \angle$ ABC = $\angle x$

- $\therefore \angle x = 60^{\circ} + 80^{\circ} = 140^{\circ}$
- 15) 85°
- \Rightarrow \triangle ABC에서 \angle BAC = $180\degree$ $(55\degree+45\degree)$ = $80\degree$

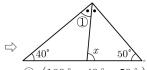
$$\therefore \angle BAD = \frac{1}{2} \angle BAC = 40^{\circ}$$

 \triangle ABD에서 $40^{\circ} + 55^{\circ} + \angle x = 180^{\circ}$

- \therefore $\angle x = 85^{\circ}$
- 16) 165°



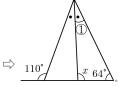
- ① △ABD에서 105°-45°=60°
- ② \triangle ABC에서 $\angle x = 45° + 60° + 60° = 165°$
- 17) 29°
- \Rightarrow $180\degree (35\degree + 43\degree) = 102\degree$ 이므로 $\angle x + 73\degree = 102\degree$ ∴ $\angle x = 29\degree$
- 18) 27°
- \Rightarrow 21 $^{\circ}$ +90 $^{\circ}$ =111 $^{\circ}$ 이므로 $\angle x = 180 \,^{\circ} - (42 \,^{\circ} + 111 \,^{\circ}) = 27 \,^{\circ}$
- 19) 85°



①
$$(180\degree - 40\degree - 50\degree) \div 2 = 45\degree$$

②
$$\angle x = 40^{\circ} + 45^{\circ} = 85^{\circ}$$

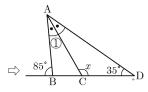
20) 93°



①
$$(110\degree-64\degree)\div2=23\degree$$

②
$$\angle x = 180^{\circ} - (23^{\circ} + 64^{\circ}) = 93^{\circ}$$

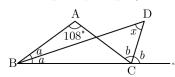
21) 120°



- ① \triangle ABD에서 $85\degree-35\degree=50\degree$
- ② $\angle CAD = 50^{\circ} \div 2 = 25^{\circ}$

$$\therefore \angle x = 180^{\circ} - (25^{\circ} + 35^{\circ}) = 120^{\circ}$$

- 22) 120°
- 23) 54°
- 다음 그림의 $\triangle ABC$ 에서 $2 \angle b = 108 \degree + 2 \angle a$ $\angle b \angle a = 54 \degree$ $\triangle DBC$ 에서 $\angle b = \angle x + \angle a$ $\therefore \angle x = \angle b \angle a = 54 \degree$



- 24) 25°
- 25) 35°
- 26) 35°
- ightharpoonup ig

$$\angle x = \angle DCE - \angle DBC = \frac{1}{2} (\angle ACE - \angle ABC)$$

= $\frac{1}{2} \times 70^{\circ} = 35^{\circ}$

- 27) 54°
- 28) 86°
- 29) 34°

$$\Rightarrow \angle x = \frac{1}{2} \times 68^{\circ} = 34^{\circ}$$

30) 60°

$$\Rightarrow 30^{\circ} = \frac{1}{2} \times \angle x \qquad \therefore \ \angle x = 60^{\circ}$$

31) $\angle x = 40^{\circ}, \ \angle y = 25^{\circ}$

$$\triangle$$
 ABO에서 $45^{\circ} + \angle x = 85^{\circ}$ $\therefore \angle x = 40^{\circ}$
 \triangle CDO에서 $\angle y + 60^{\circ} = 85^{\circ}$ $\therefore \angle y = 25^{\circ}$

32) $\angle x = 75^{\circ}, \ \angle y = 45^{\circ}$

$$\triangle$$
 ABO에서 $\angle x = 110^{\circ} - 35^{\circ} = 75^{\circ}$
 \triangle CDO에서 $\angle y = 110^{\circ} - 65^{\circ} = 45^{\circ}$

- 33) $\angle x = 70^{\circ}$, $\angle y = 105^{\circ}$
- 34) $\angle x = 85^{\circ}, \ \angle y = 35^{\circ}$
- \triangle ADO에서 $\angle x = 30\degree + 55\degree = 85\degree$ \triangle BCO에서 $\angle y = 85\degree - 50\degree = 35\degree$
- 35) $\angle x = 100^{\circ}, \ \angle y = 35^{\circ}$
- 36) 20°

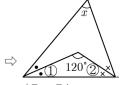
다
$$\overline{AB} = \overline{AC}$$
이므로 $\angle ACB = \angle ABC = \angle x$ $\triangle ABC$ 에 서 $\angle DAC = \angle x + \angle x = 2\angle x$ $\overline{AC} = \overline{CD}$ 이 므로 $\angle ADC = \angle DAC = 2\angle x$ $\triangle DBC$ 에 서 $\angle x + 2\angle x = 60^\circ$ $\therefore \angle x = 20^\circ$

37) 42°

$$ightharpoonup$$
 \angle CBA = x , \angle BCD = \angle BDC = $2x$
 \angle CBD = $180\degree - 4x$ 이므로
 \angle DBE = $180\degree - (x + 180\degree - 4x) = $3x = 126\degree$
 $\therefore x = 42\degree$$

- 38) 66°
- 39) 80°
- 40) 92°
- 41) 93°
- 42) 28°
- 43) 26°
- 44) 72°
- 45) 90°
- 46) 50°
- 47) 78°

- $ightharpoonup \Delta DBC$ 는 이등변삼각형이므로 $\angle DCB = \angle DBC = 26\,^\circ$ ΔDBC 에서 $\angle ADC = 26\,^\circ + 26\,^\circ = 52\,^\circ$ ΔADC 는 이등변삼각형이므로 $\angle CAD = \angle CDA = 52\,^\circ$ ΔABC 에서 $\angle x = 52\,^\circ + 26\,^\circ = 78\,^\circ$
- 48) 105°
- ightharpoonup ig
- 49) 92°
- 50) 39°
- \Rightarrow \triangle DBC 에서 \angle ADC = $\angle x + \angle x = 2 \angle x$, \angle DAC = $2 \angle x$ \triangle ABC 에서 $2 \angle x + \angle x = 117 °$, $3 \angle x = 117 °$ $\therefore \ \angle x = 39 °$
- 51) 125°
- 52) 120°
- $\implies \angle x = 65^{\circ} + 20^{\circ} + 35^{\circ} = 120^{\circ}$
- 53) 93°
- 54) 116°
- 55) 61°
- 56) 33°
- 57) 123°
- \Rightarrow $\angle x = 28 \degree + 60 \degree + 35 \degree = 123 \degree$
- 58) 70°
- ightharpoonup $\angle x + 40\degree + 50\degree = 160\degree$ 이므로 $\angle x = 70\degree$
- 59) 23°
- \Rightarrow 80° + $\angle x$ + 15° = 118° \therefore $\angle x$ = 23°
- 60) 135°
- $\Rightarrow \angle x = 80^{\circ} + 25^{\circ} + 30^{\circ} = 135^{\circ}$
- 61) 130°
- \Rightarrow $\angle x = 30^{\circ} + 60^{\circ} + 40^{\circ} = 130^{\circ}$
- 62) 60°



$$(1 + 2) = 180^{\circ} - 120^{\circ} = 60^{\circ}$$

$$\therefore$$
 $\angle x = 180^{\circ} - 2 \times 60^{\circ} = 60^{\circ}$

- 63) 110°
- \Rightarrow \triangle ABC에서 \angle B+ \angle C=180 $^{\circ}$ -40 $^{\circ}$ =140 $^{\circ}$

$$\therefore \frac{1}{2}(\angle B + \angle C) = 70^{\circ}$$

$$\triangle$$
DBC에서 $\angle x + \frac{1}{2}(\angle B + \angle C) = 180°$

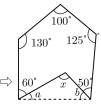
$$\angle x + 70^{\circ} = 180^{\circ}$$
 \therefore $\angle x = 110^{\circ}$

- 64) 125°
- $\Rightarrow \angle x = 25^{\circ} + 70^{\circ} + 30^{\circ} = 125^{\circ}$
- 65) 125°
- \Rightarrow \triangle ABC에서 \angle B + \angle C = $180\,^{\circ}$ $70\,^{\circ}$ = $110\,^{\circ}$,

$$\therefore \frac{1}{2}(\angle B + \angle C) = 55^{\circ}$$

$$\Delta {
m DBC}$$
에서 $\angle \, x = 180\,^{\circ} - 55\,^{\circ} = 125\,^{\circ}$

- 66) 80°
- \Rightarrow \triangle DBC에서 $\frac{1}{2}(\angle B + \angle C) = 180^{\circ} 130^{\circ} = 50^{\circ}$ \triangle ABC에서 $\angle x = 180^{\circ} - 2 \times 50^{\circ} = 80^{\circ}$
- 67) 105°



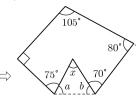
$$\angle a + \angle b = 540 \degree - (100 \degree + 130 \degree + 60 \degree + 50 \degree + 125 \degree)$$

= 75 °

△ABC에서

$$\angle x = 180^{\circ} - (\angle a + \angle b) = 180^{\circ} - 75^{\circ} = 105^{\circ}$$

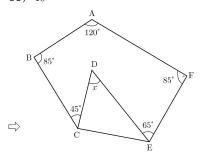
68) 60°



$$105\degree + 90\degree + 75\degree + 70\degree + 80\degree = 420\degree$$
이므로 $\angle a + \angle b = 540\degree - 420\degree = 120\degree$

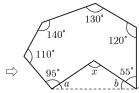
$$\therefore \angle x = 180^{\circ} - 120^{\circ} = 60^{\circ}$$

69) 40°



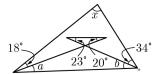
 $\overline{\text{CE}}$ 를 그으면 \angle DCE + \angle DEC = $180\,^{\circ}$ - \angle x 이제 오각형의 내각의 합이 $540\,^{\circ}$ 이므로 $120\,^{\circ} + 85\,^{\circ} + (45\,^{\circ} + \angle$ DCE) + $(65\,^{\circ} + \angle$ DEC) + $85\,^{\circ} = 540\,^{\circ}$ \angle DCE + \angle DEC = $140\,^{\circ}$ \therefore \angle $x = 40\,^{\circ}$

- 70) 123 °
- 71) 122 °
- 72) 110°



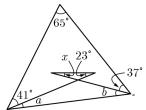
 $130\degree + 140\degree + 110\degree + 95\degree + 55\degree + 120\degree = 650\degree$ 이므로 $\angle a + \angle b = 720\degree - 650\degree = 70\degree$ $\therefore \ \angle x = 180\degree - 70\degree = 110\degree$

- 73) 21°
- 74) 44°
- 75) 80°
- 76) 85°
- ⇒ 다음 그림과 같이 보조선을 그으면



 $\angle a + \angle b = 23^{\circ} + 20^{\circ} = 43^{\circ}$ 이므로 $\angle x = 180^{\circ} - (18^{\circ} + 34^{\circ} + 43^{\circ}) = 85^{\circ}$

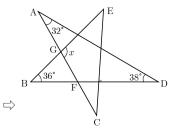
- 77) 125°
- 78) 14°
- ⇒ 다음 그림과 같이 보조선을 그으면



 $\angle a + \angle b = 180\degree - (65\degree + 41\degree + 37\degree) = 37\degree$ 이므로 $\angle x + 23\degree = 37\degree \therefore \angle x = 14\degree$

- 79) 43°
- 80) 23°
- 81) 129°

- 82) $\angle x = 110^{\circ}, \angle y = 80^{\circ}$
- $\Rightarrow \angle y = 20^{\circ} + 60^{\circ} = 80^{\circ}, \angle x = 80^{\circ} + 30^{\circ} = 110^{\circ}$
- 83) $\angle x = 130^{\circ}, \angle y = 105^{\circ}$
- \Rightarrow $\angle y = 35^{\circ} + 70^{\circ} = 105^{\circ}, \ \angle x = 105^{\circ} + 25^{\circ} = 130^{\circ}$
- 84) $\angle x = 30^{\circ}, \angle y = 82^{\circ}$
- $\Rightarrow \angle y + 42^{\circ} = 124^{\circ} : \angle y = 82^{\circ}$ $\angle x + 52^{\circ} = 82^{\circ} : \angle x = 30^{\circ}$
- 85) $\angle x = 98^{\circ}, \angle y = 36^{\circ}$
- $\Rightarrow \angle x + 47^{\circ} = 145^{\circ} \therefore \angle x = 98^{\circ}$ $\angle y + 62^{\circ} = 98^{\circ} \therefore \angle y = 36^{\circ}$
- 86) $\angle x = 46^{\circ}, \angle y = 34^{\circ}$
- 87) $\angle x = 43^{\circ}, \angle y = 43^{\circ}$
- 88) 47°
- 89) 50°
- 90) 41°
- 91) 90°
- \triangle ADH에서 \angle IHC = $30\degree + 20\degree = 50\degree$ \triangle CIH에서 \angle $x = 50\degree + 40\degree = 90\degree$
- 92) 61°
- □ △CPQ의 외각에서 ∠DPA=30°+65°=95°
 △ADP에서 ∠x+95°+24°=180°
 ∴ ∠x=180°-119°=61°
- 93) 106°



 $\triangle ADF$ 의 두 내각의 크기의 합이 한 외각의 크기와 같으므로 $\angle GFB = 32\degree + 38\degree = 70\degree$ $\triangle GBF$ 의 두 내각의 크기의 합이 한 외각의 크기와 같으므로 $\angle x = 36\degree + 70\degree = 106\degree$

- 94) 180°
- \triangle \triangle BDG에서 \angle AGB = \angle b+ \angle d \triangle FCE에서 \angle AFE = \angle c+ \angle e \triangle AFG에서

$$\angle a + \angle AFG + \angle AGF$$

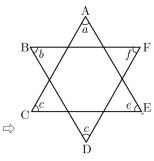
= $\angle a + (\angle c + \angle e) + (\angle b + \angle d) = 180^{\circ}$

95) 110°

96) 145°

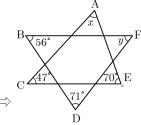
97) 75°

98) 360°



다음 그림의 \triangle ACE에서 $\angle a + \angle c + \angle e = 180^{\circ}$ \triangle BDF에서 $\angle b + \angle d + \angle f = 180^{\circ}$ $\therefore \angle a + \angle b + \angle c + \angle d + \angle e + \angle f = 180^{\circ} + 180^{\circ} = 360^{\circ}$

99) 116°



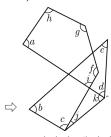
다음 그림의 \triangle ACE에서 $\angle x = 180\,^{\circ} - (47\,^{\circ} + 70\,^{\circ}) = 63\,^{\circ}$ \triangle BDF에서 $\angle y = 180\,^{\circ} - (56\,^{\circ} + 71\,^{\circ}) = 53\,^{\circ}$ $\therefore \angle x + \angle y = 63\,^{\circ} + 53\,^{\circ} = 116\,^{\circ}$

100) 315°

101) 320°

102) 635°

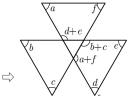
103) 720°



오각형의 내각의 합에서

$$\angle a + \angle i + \angle f + \angle g + \angle h = 540$$
 이므로 $\angle i = 540$ $^{\circ} - (\angle a + \angle f + \angle g + \angle h)$ 삼각형의 세 내각의 합에서 $\angle i + \angle j + \angle k = 180$ $^{\circ}$ $\angle j + \angle k = 180$ $^{\circ} - \angle i$ 이제 사각형의 내각의 합에서 $\angle b + (\angle c + \angle j) + (\angle k + \angle d) + \angle e = 360$ $^{\circ}$ $(\angle b + \angle c + \angle d + \angle e) + (\angle j + \angle k) = 360$ $^{\circ}$ $(\angle b + \angle c + \angle d + \angle e) + (180$ $^{\circ} - \angle i) = 360$ $^{\circ}$ $(\angle b + \angle c + \angle d + \angle e) + 180$ $^{\circ} - \{540$ $^{\circ} - (\angle a + \angle f + \angle g + \angle h\} = 360$ $^{\circ}$ $\therefore \angle a + \angle b + \angle c + \angle d + \angle e + \angle f + \angle g + \angle h = 360$ $^{\circ} - 180$ $^{\circ} + 540$ $^{\circ} = 720$ $^{\circ}$

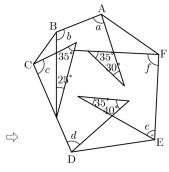
104) 360°



삼각형의 두 내각의 크기의 합은 한 외각의 크기와 같다.

이때 $\angle a+\angle f,\ \angle b+\angle c,\ \angle d+\angle e$ 는 각각 삼각형의 외각이므로 삼각형의 외각의 합에서 $\angle a+\angle b+\angle c+\angle d+\angle e+\angle f=360\,^\circ$

105) 520°



육각형의 내각의 합은 $180^{\circ} \times (6-2) = 720^{\circ}$ 이므로 $\angle a + \angle b + (35^{\circ} + 25^{\circ}) + \angle c + \angle d + (35^{\circ} + 40^{\circ}) + \angle e + \angle f + (35^{\circ} + 30^{\circ}) = 720^{\circ}$ $\therefore \angle a + \angle b + \angle c + \angle d + \angle e + \angle f = 720^{\circ} - 200^{\circ} = 520^{\circ}$