Harrison 책이서부터

$$E_{xy,xy} = 3l^{2}m^{2} Vdd6 + (l^{2} + m^{2} - 4l^{2}m^{2}) Vdd\pi + (N^{2} + l^{2}m^{2}) Vdds$$

$$l = \cos \varphi \sin \theta \qquad \theta = 90^{\circ} \qquad l = \cos \varphi$$

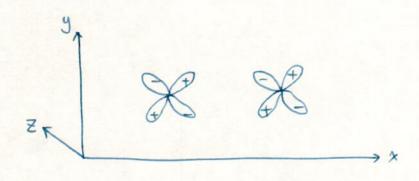
$$m = \sin \varphi \sin \theta \qquad m = \sin \varphi$$

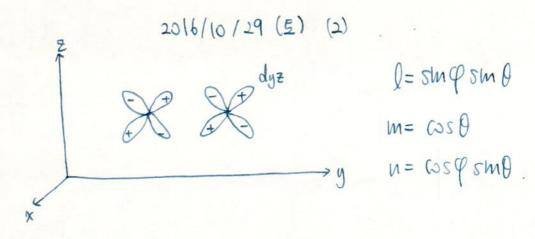
$$N = \cos \theta \qquad N = 0$$

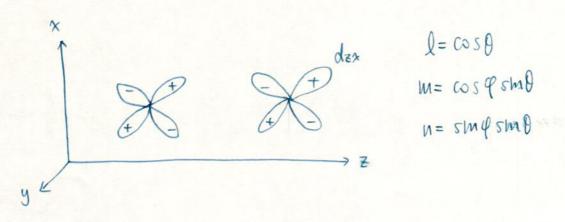
$$\Rightarrow 3 \cos^2 \theta \sin^2 \theta \, V_{dd6} + (1 - 4 \cos^2 \theta \sin^2 \theta) \, V_{dd\pi}$$
$$+ \cos^2 \theta \sin^2 \theta \, V_{dd8}$$

$$= Vdd\pi + \cos^2\theta \sin^2\theta \left(3Vdde + Vdds - 4Vdd\pi\right)$$

$$\frac{\sin 2\theta}{2} \times \frac{\sin 2\theta}{2} = 4 \sin 2\theta \sin 2\theta.$$







Ezx, zx = Vdd Tr Cos20 + Vdds sh20.

$$E_{x,x} = l^2 V_{PP6} + (1-l^2) V_{PP77}$$

$$l = \cos \varphi \sin \theta.$$

$$E_{xx} = \cos^2\theta \, V_{pp6} + (1 - \cos^2\theta) \, V_{pp\pi} \quad l \rightarrow x$$

$$= \cos^2\theta \, V_{pp6} + \sin^2\theta \, V_{pp\pi}$$

$$\frac{\theta = 0}{2} + \cos^2\theta \, V_{pp6}$$

Eyy =
$$5M^2\theta$$
 Vpp6 + $\cos^2\theta$ Vpp π $l \rightarrow y$

$$\frac{\theta=0}{-}$$
 Vpp π

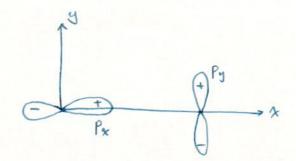
$$E_{\chi, \Xi} = \ln V_{PP6} - \ln V_{PP\pi}$$

$$l \to \chi, \quad N \to \Xi$$

$$= \cos \varphi \, \text{sm} \, \theta \, \cos \theta \, V_{PP6} - \cos \varphi \, \text{sm} \, \theta \, \cos \theta \, V_{PP\pi}$$

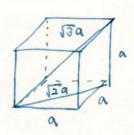
= 0.

$$\chi \rightarrow y$$



$$z \rightarrow x$$

$$m \rightarrow x$$



$$\left(\frac{1}{\sqrt{2}}\right)^5$$

$$1/\left(\frac{2}{\sqrt{3}}\right)^5 \approx 0.176$$

$$(d_{xy,0,7} | d_{xy,i,7}) = V_{dd\pi} + \frac{1}{2} sm(2\theta) \pm sm(2\theta) \left(3 V_{dd6} + V_{dd8} - 4 V_{dd\pi}\right)$$
or $\frac{1}{4} \left(1 - \omega s^2 2\theta\right)$

$$E_{xy,xy} = V_{dd\pi} + \frac{1}{4} sm 2\theta sm 2\theta \left(3V_{dd6} + V_{dd8} - 4V_{dd\pi} \right)$$

즉 sublattice 른 도입하면 같은 sublattice 사이에서는

$$Vdd\pi + \frac{1}{4} SM(2(\theta-\theta)) SM(2(\theta-\theta)) (3Vdd6 + Vdd8 - 4Vdd\pi)$$

