High-energy electronic excitations in Sr₂IrO₄ observed by Raman scattering

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Spin-orbit interaction in Sr_2IrO_4 leads to the realization of the $J_{eff}=1/2$ state and also induces an insulating behavior. Using large-shift Raman spectroscopy, we found two high-energy excitations of the d-shell multiplet at 690 and 680 meV with A_{1g} and B_{1g} symmetry, respectively. As temperature decreases, the A_{1g} and B_{1g} peaks narrow, and the A_{1g} peak shifts to higher energy while the energy of the B_{1g} peak remains the same. When 25% of Ir is substituted with Rh the A_{1g} peak softens by 10% but the B_{1g} peak does not. We show that both pseudospin-flip and non-pseudo-spin-flip d-d electronic transitions are Raman active, but only the latter are observed. Our experiments and analysis place significant new constraints on the possible electronic structure of Sr_2IrO_4 .

DOI: 10.1103/PhysRevB.91.195140 PACS number(s): 71.70.Ej, 78.30.—j

I. INTRODUCTION

In 5d transition-metal oxides (TMOs), the d electrons are extended in real space, which should lead to a large bandwidth (W) and a reduced on-site Coulomb correlation (U). As a result, 5d TMOs are expected to be metals as opposed to 3d TMOs, which are Mott insulators. However, spin-orbit coupling (SOC) in 5d TMOs is an order of magnitude larger than in 3d TMOs due to the large atomic number. Several iridium oxides including Sr_2IrO_4 are insulators because of SOC [1–5]. It has been proposed that the interplay between SOC, Coulomb correlation, crystal-field splitting, and intersite hopping can lead to unconventional electronic states for the 5d TMOs [6].

 Sr_2IrO_4 attracted attention as the first realization of a SOC-induced insulator [7,8]. The spin-orbit interaction (SOI) $\lambda \sim 0.4$ eV in Sr_2IrO_4 splits the t_{2g} states into bands with $J_{\rm eff}=1/2$ and 3/2. Ir^{4+} (5 d^5) provides five electrons, and thus the $J_{\rm eff}=3/2$ state is fully occupied and the $J_{\rm eff}=1/2$ state is half filled. The narrow $J_{\rm eff}=1/2$ band then splits into the lower Hubbard band (LHB) and the upper Hubbard band (UHB) due to on-site repulsion, resulting in an insulating state [7–11]. Optical conductivity, angle-resolved photoemission spectroscopy, x-ray-absorption spectroscopy [7,12], and resonant inelastic x-ray-scattering (RIXS) [13] results are consistent with this scenario, though it has also been argued that Sr_2IrO_4 is a magnetically-ordered Slater insulator [14–16].

Earlier Raman-scattering experiments revealed excitations in undoped cuprates around 1.5 eV that were assigned to d-d excitations [17–19]. Here we report similar excitations in Sr_2IrO_4 at lower energies (\sim 0.7 eV). A peak at the same energy has been previously observed by RIXS [20,21]. Using Raman-scattering measurements with polarization analysis and superior resolution we established that the RIXS feature consists of two Raman active electronic excitations of A_{1g} and B_{1g} symmetry and a different component not observed by Raman scattering. Each contribution (especially A_{1g}) is surprisingly narrow in energy, and the A_{1g} and B_{1g} contributions have different temperature and Rh-doping dependences. Our results put strict constraints on any future theory of electronic structure of Sr_2IrO_4 .

II. EXPERIMENTAL DETAILS

High-quality single-crystal samples of doped and undoped Sr_2IrO_4 were synthesized as described elsewhere [2]. Sr_2IrO_4 has a tetragonal crystal structure, which belongs to the space group $I4_1/acd$ [1]. The IrO_6 octahedra are rotated about the c axis by $\sim 11^\circ$.

Different laser lines (457.9-560 nm) from Kr and Ar ion lasers as well as a 532-nm solid-state laser were used with a power of 15 mW for the measurements at room temperature and base temperature. Temperature-dependence measurements were performed with 2 mW to minimize laser heating. All experiments were performed on a McPherson custom triple spectrometer equipped with a cooled chargecoupled device (CCD) detector. It was configured in a subtractive mode with 50 grooves per mm gratings in the filter stage and 150 g/mm in the spectrometer stage, which gave the resolution of \sim 8 meV. The sample was mounted in a top-loading closed-cycle refrigerator. The entrance slit of the spectrometer was opened to 0.5 mm to avoid chromatic aberrations of the collecting optics. The data were corrected for the spectral response of the equipment using a calibrated lamp with a broad spectrum and normalized to the same laser power.

The configuration xx/xy denotes that the incident laser polarization is parallel to the primitive cell in-plane crystal axes (a and b), and the scattered light polarization is parallel/perpendicular to the incident laser polarization respectively. The x' and y' directions are rotated 45° in the ab plane with respect to a and b. xx, xy, x'x', and x'y' polarization geometries measure $A_{1g} + B_{1g}$, $A_{2g} + B_{2g}$, $A_{1g} + B_{2g}$, and $A_{2g} + B_{1g}$ symmetry components, respectively, in the D_{4h} point group to which the IrO₆ octahedra belong. Although the full site symmetry is lowered to C_{4h} by the rotation of the octahedra, we will first discuss the results in terms of the representations of D_{4h} site symmetry and then show that the symmetry lowering does not have a measurable effect.

In addition to the Raman peaks, a broad background appears as was reported in Ref. [22]. We found that it depends strongly on surface preparation and on the part of the sample that is being probed. The lowest background was obtained on samples that were cleaved in high vacuum before being transferred to the cryostat. Based on our investigation, it appears that

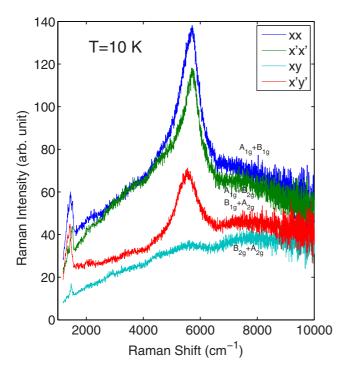


FIG. 1. (Color online) Raman spectra with incident laser wavelength 457.9 nm in four different scattering configurations measured at 10 K. Broad peaks around 5600 cm⁻¹ are electronic (see text) and peaks around 1400 cm⁻¹ are two-phonon scattering [22]. XX probes $A_{1g} + B_{1g}$ symmetry, $X'X' - A_{1g} + B_{2g}$, $X'Y' - B_{1g} + A_{2g}$, $XY - B_{2g} + A_{2g}$.

this background is mostly an artifact of surface degradation although we cannot rule out a component that is intrinsic.

III. RESULTS AND DISCUSSION

A. Experimental electronic excitations

Electronic Raman scattering from Sr_2IrO_4 is dominated by strong peaks near 5600 cm^{-1} that appear in xx, x'x', and x'y'

geometries, but not in the xy geometry beyond what is expected from imperfect polarization analysis (Fig. 1); i.e., these peaks exist in the A_{1g} and B_{1g} symmetries but not in B_{2g} or A_{2g} symmetry. The B_{1g} peak appears at 5500 cm⁻¹, and the A_{1g} peak is at 5600 cm⁻¹.

The A_{1g} and B_{1g} features near 5600 and 5500 cm⁻¹ are enhanced with higher incident laser energy (shorter wavelength), while their positions remain the same, which is consistent with resonant Raman scattering (see Fig. 2).

The A_{1g} peak hardens on cooling from 5600 to 5700 cm⁻¹ saturating for T < 150 K (Fig. 3). Its linewidth narrows on cooling from 1200 to 550 cm⁻¹. The position of the B_{1g} peak is around 5450 cm⁻¹ at all temperatures, and its linewidth narrows from 1200 to 850 cm⁻¹ to below 200 K. At 300 K the B_{1g} feature has a low-energy shoulder that appears as a distinct small peak at 4300 cm⁻¹ at low temperature. So the fits to the B_{1g} spectrum include two components, a weak one at 4300 cm⁻¹ and a strong one at 5450 cm⁻¹.

Substitution of 25% of Ir with Rh softens the A_{1g} peak by 80 meV and the B_{1g} peak by 10 meV (Fig. 4) and significantly broadens both peaks.

The peak energies are close to the insulating gap found in several experiments. Optical conductivity spectra exhibit two major peaks assigned to transitions from the occupied $J_{\rm eff} = 1/2$ (LHB) and 3/2 states to the unoccupied $J_{\rm eff} = 1/2$ (UHB) state [7,23]. We do not expect an exact match to optical conductivity, because optically active transitions are symmetry forbidden in Raman scattering and vice versa. Scanning tunneling microscopy studies show the onset of tunneling around 0.5 eV, with the separation between conductance peaks near 0.75 eV, which is near to what we measured [24]. Our Raman features have a similar energy to the recent local-density approximation calculations [9,25].

Previous work on the insulating compounds of the high T_c cuprates revealed similar peaks in the A_{2g} symmetry around 1.5–2 eV [17–19]. Peaks at half the energy in the iridates are consistent with a much lower U, which in both cases is responsible for the insulating behavior. The d-d exciton that we

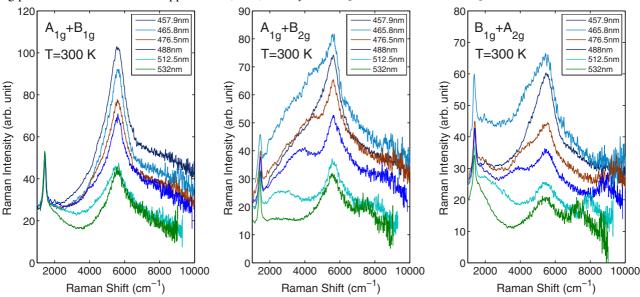


FIG. 2. (Color online) Raman spectra with different excitation energies in xx, x'x', and x'y' scattering configurations. The A_{1g} and B_{1g} peaks keep their positions at different laser energies, indicating that these peaks are real Raman signals.

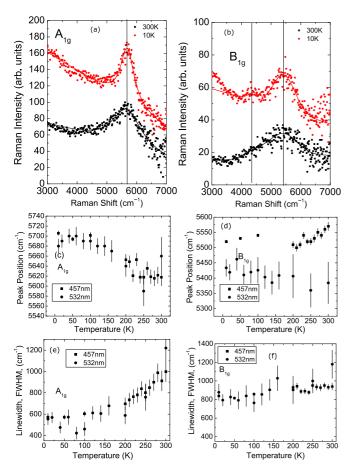


FIG. 3. (Color online) The comparison of Raman spectra at 10 K (red) and 300 K (black) in the (a) x'x' and (b) x'y' geometries with the laser at 532 nm. The solid lines indicate the peak positions. Temperature dependence of the peak positions and linewidth (FWHM) in the (c, e) x'x' and (d, f) x'y' geometries.

observe is much sharper at low temperatures than the exciton peaks in most cuprates with the exception of the ones with the *T'* structure where several sharp peaks appear. Also, the peaks in cuprates are asymmetric and are located at the onset of a broad continuum of electronic scattering above the insulating gap. No such onset is seen in the iridates where the peaks are

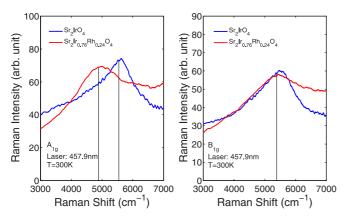


FIG. 4. (Color online) The comparison of Raman spectra in Sr_2IrO_4 (blue) and $Sr_2Ir_{0.76}Rh_{0.24}O_4$ (red) at room temperature with the laser at 457.9 nm.

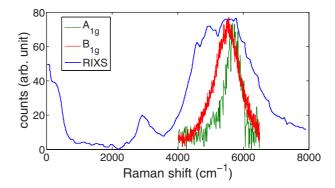


FIG. 5. (Color online) The comparison of narrow Raman peaks (A_{1g} in green at higher energy and B_{1g} in red at lower energy) and RIXS zone center data (blue) in Ref. [21]. A linear background is subtracted in the Raman spectra. The RIXS peaks around 4900 and 2900 cm⁻¹ are not observed in Raman scattering.

isolated and there is no obvious broad band of scattering or higher-energy peaks up to 1.2 eV.

Our results are complementary to recently published RIXS data on the same compound, since RIXS observes the same excitations but with different selection rules and matrix elements. A direct comparison can be made between RIXS zone center data obtained with near normal incidence and our Raman data (Fig. 5). RIXS sees a band of scattering between 0.5 and 0.85 eV, which has a structure suggestive of several peaks. Our Raman results show that the structure seen in RIXS consists of the A_{1g} and B_{1g} Raman features and a third feature at lower energy not observed in Raman scattering. The latter feature is not seen by Raman either because it is symmetry forbidden, or because the Raman matrix element is negligibly small. We consider both possibilities in our analysis.

B. Selection rules for intrasite and intersite transitions

First we compare these results to a simple calculation of what types of on-site and near-neighbor hopping electronic transitions appear in what symmetry and then discuss how the interpretation of the RIXS data proposed in Ref. [21] needs to be reconsidered in light of the Raman results.

The Raman intensity is proportional to [26]

$$I \propto \frac{1}{Z} \sum_{I,F} |\langle F | R_{\mu\nu} | I \rangle|^2 e^{-E_I/k_B T} \delta(E_F - E_I - \hbar \omega), \quad (1)$$

where I and F label energy eigenstates of the electronic system with energies E_I and E_F , ω is the Raman shift, and Z is the partition function. $R_{\mu\nu}$ is the Raman tensor, with $\mu,\nu=x,y,z$ giving the direction of linear polarization of scattered and incident light in our experiment, respectively. The electronic Raman cross section is typically dominated by the first two terms in perturbation theory [see Eq. (13) of Ref. [26]]. Figure 2 shows that the intensity of the peaks of interest has a strong laser energy dependence. Since the first-order term does not depend on the laser energy, the second-order term must dominate. Thus we focus on this contribution, which is given by

$$R_{\mu\nu} = p_{\mu} \frac{1}{E_I + \hbar\omega_I - H_{el}} p_{\nu}, \tag{2}$$

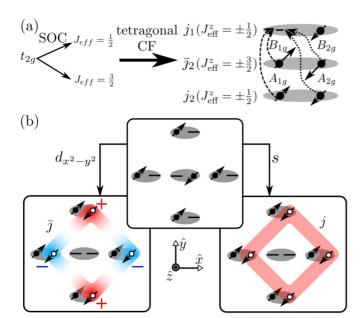


FIG. 6. (Color online) Schematic of the on-site and intersite transitions. (a) Local states and on-site transitions: The SOC and tetragonal CF split the t_{2g} orbitals into three doublets labeled with j_1 , $\bar{\jmath}_2$, and j_2 . The non-pseudo-spin-flip electronic transition contributes to the A_{1g} and B_{1g} signal, and the pseudo-spin-flip process contributes the A_{2g} and B_{2g} signal. (b) Intersite transitions: The ground-state configuration is described in the top block. The electron can tunnel from the central site to the s-wave/ $d_{x^2-y^2}$ cluster state which transforms identically to the on-site $j/\bar{\jmath}$ doublet, respectively. The gray oval encloses the states on the same site.

where H_{el} is the electronic Hamiltonian, p_{μ} is the electron momentum operator, and ω_{I} is the frequency of incident light. [Note that we have dropped an additional nonresonant second-order term; see Eq. (13) of Ref. [26].]

In the presence of a tetragonal crystal field (CF) and SOC, the t_{2g} manifold splits into three Kramer doublets labeled with j_1, j_2 , and \bar{j}_2 [Fig. 6(a)] [27–29]. The j ($J_{\rm eff}^z = \pm 1/2$) and \bar{j} ($J_{\rm eff}^z = \pm 3/2$) doublets transform differently under D_{4h} symmetry and time reversal (see the Appendix). Note that $J_{\rm eff}^2$ is not a good quantum number under D_{4h} CF.

We adopt a tight-binding description of the electronic states, with $f_{r\alpha}^{\dagger}$ creating an electron at the Ir lattice site r in the local spin-orbital state α . Here, the spin-orbital state $\alpha \equiv (a,\sigma)$, where $a=j_1,j_2,\bar{j}_2$ labels the local doublets and σ denotes sign of $J_z^{\rm eff}$. We work in real space. In our description of the Raman process, a photon is absorbed near a lattice site r, with the resulting excited intermediate state propagating over some distance before emission of a photon near site r'. Far enough away from resonance, the intermediate state will propagate only over a short distance; this leads to the expansion

$$R_{\mu\nu} = \sum_{\boldsymbol{r}} M_{0;\mu\nu}^{\alpha\beta}(\boldsymbol{r}) f_{\boldsymbol{r}\alpha}^{\dagger} f_{\boldsymbol{r}\beta} + M_{1;\mu\nu}^{\alpha\beta}(\boldsymbol{r}) c_{\boldsymbol{r}\alpha}^{\dagger} f_{\boldsymbol{r}\beta} + \cdots$$
 (3)

Here the first term represents on-site transitions, while the second term describes intersite processes, in which an electron moves from a site r to a cluster state created by $c_{r\alpha}^{\dagger}$. The cluster state is a linear superposition of spin-orbital states on the four Ir

TABLE I. Polarization and symmetry of on-site Raman transitions with D_{4h} site symmetry. The row indicates the doublets between which the transition occurs, and the column indicates whether a pseudo-spin-flip is involved.

	Non-pseudo-spin-flip	Pseudo-spin-flip
$ \begin{array}{c} j_2 \to j_1 \\ \bar{j}_2 \to j_1 \end{array} $	$xx, x'x' (A_{1g})$ $xx, x'y' (B_{1g})$	$xy, x'y' (A_{2g})$ $x'x', xy (B_{2g})$

sites nearest to r. Sums over repeated indices α, β are implied. Longer-range terms have been dropped.

To interpret the experimental results, we assume significant local antiferromagnetic correlations to temperatures well above the Neel temperature ($T_N = 240$ K), focusing here on $T > T_N$, as the gross features of the Raman spectrum remain largely unchanged as T is lowered through T_N . In the low-temperature antiferromagnetic state, the moments lie in the ab plane, with small canting out of the plane that we ignore [8,30–32].

We first consider an idealized situation, where the Ir–O–Ir bond angle is 180° and the site symmetry is D_{4h} . We focus on on-site transitions within the t_{2g} manifold, so $j_2 \rightarrow j_1$ and $\bar{j}_2 \rightarrow j_1$ are relevant (the energy of the main peak is likely too large for purely magnetic $j_1 \rightarrow j_1$ transitions) [Fig. 6(a)]. The pseudospin structure of each transition is described by the appropriate 2×2 block of the 6×6 matrix $M_{0;\mu\nu}(r)$. We always find this 2×2 matrix to be proportional either to the identity matrix (no pseudo-spin-flip) or to the σ^z Pauli matrix (pseudo-spin-flip).

For the on-site transitions, both non-pseudo-spin-flip and pseudo-spin-flip processes can occur (see the Appendix). The former should appear in A_{1g} and B_{1g} symmetry and the latter in A_{2g} and B_{2g} symmetry (Table I).

For the intersite transitions, we consider hopping between j_1 doublets on neighboring sites. An electron hops from site r into a parity-even cluster state, constructed by superposing j_1 doublets on the four neighboring sites [Fig. 6(b)]. There are two such Raman-active cluster states, one with s-wave symmetry and the other with $d_{x^2-y^2}$ symmetry. In addition, there can be an infrared-active, Raman-inactive transition to a p-wave cluster state. The s-wave/ $d_{x^2-y^2}$ cluster state transforms identically to the on-site j/\bar{j} doublet. This means the $r \to s/r \to d_{x^2-y^2}$ intersite process has the same selection rules as the on-site $j_2 \to j_1/\bar{j}_2 \to j_1$ transition, respectively. Note that pseudo-spin-flip processes are forbidden by the combination of local antiferromagnetic correlations and the Pauli principle [see Fig. 6(b)].

So far we assumed D_{4h} site symmetry, but, in reality, the Ir–O–Ir bond angle is away from 180° by 22°, lowering the site symmetry to C_{4h} (the point group remains D_{4h}). In this case, both $j_2 \rightarrow j_1$ and $\bar{j}_2 \rightarrow j_1$ transitions (and corresponding intersite transitions) may produce a non-pseudo-spin-flip contribution in xy polarization. That this is not seen suggests the site symmetry is effectively D_{4h} to a good approximation.

C. Discussion

Raman scattering has different matrix elements from RIXS, and thus highlights different excitations. RIXS data are consistent with two dispersing modes whose spectral intensity

can be controlled by the scattering angle. These have been assigned (in our notation) to excitons associated with $j_2 \rightarrow j_1$ and $\bar{\jmath}_2 \rightarrow j_1$ intrasite transitions. However, these transitions should produce four distinct excitations, considering that the pseudo-spin-flip and non-flip transitions should have different energies in the presence of magnetic order. Here we propose that some modes seen in RIXS as well as in our data can also originate from intersite excitations whose energy would correspond to on-site repulsion. Thus more analysis and data are needed to understand the signal seen in RIXS.

Our Raman data narrow down the range of possible interpretations. It is clear that the RIXS spectrum contains at least three sharply peaked distinct modes around 0.65 eV (two are Raman active but with different symmetries and the third is either Raman inactive or its Raman matrix element is much smaller) (Fig. 5).

In the on-site transitions scenario this means that both pseudospin non-flip transitions are seen close to 0.7 eV with $j_2 \rightarrow j_1/\bar{j}_2 \rightarrow j_1$ appearing in the A_{1g}/B_{1g} symmetry, respectively. This scenario necessitates that one or both corresponding pseudo-spin-flip transitions contribute to the RIXS peak at 0.6 eV and their Raman matrix element is so small that they are not seen in the XY-polarized Raman spectrum where they would appear. While this scenario cannot be ruled out without a better understanding of the Raman matrix elements, we would like to point out that the Raman data were taken over a wide range of laser energies, which always produced no signal in this scattering geometry. We will attempt to look for these excitations covering a wider range of both laser energies and Raman shifts in a future study. This scenario also implies that the splitting between the j_2 and \bar{j}_2 levels is 30 meV, not 137 meV as proposed in Ref. [21].

Another possibility is that the RIXS experiments reveal excitons associated with intersite transitions. In this case three peaks come out naturally with transitions to the *s*-wave/*d*-wave cluster states making up the A_{1g}/B_{1g} peaks and the transitions to the *p*-wave cluster making up the Raman-inactive peak at a lower energy. We note that pseudo-spin-flip transitions in this scenario are not allowed due to the Pauli exclusion principle.

The third possibility is that the three peaks come from some combination of intersite and intrasite transitions. We think that this possibility is least likely, because it implies that the on-site repulsion energy should be very similar to the intrasite level splitting, which would be an unlikely coincidence.

We note that the simple picture above does not explain the differences in temperature and Rh-doping dependence between the A_{1g} and B_{1g} peaks, although the broadening may be due to inhomogeneous doping in the sense that the electronic state is different near doped Rh atoms. More work is necessary to elucidate this issue. A more sophisticated calculation that would include band structure is necessary, because the two symmetries probe different k-space regions.

The narrow linewidth at 10 K of the two features is remarkable, especially the 50-meV linewidth of the A_{1g} feature. In the band picture, zone center peaks originate from vertical interband transitions; i.e., their line shape should reflect the distribution of the separations between valence and conduction bands throughout the Brillouin zone. In order to have very narrow peaks, the valence and conduction bands must be nearly parallel. Density Functional Theory calculations do

show nearly parallel bands [25], but not so as to produce such narrow peaks. Excitonic effects likely play a role in the final state as suggested in Refs. [20,21], which may be responsible for their small linewidth.

IV. CONCLUSION

To conclude, Raman results combined with recently published RIXS data reveal three sharp and closely spaced electronic excitations around 0.65 eV in Sr_2IrO_4 . Two of these appear in the Raman-scattering spectra in the A_{1g} and B_{1g} symmetries in Sr_2IrO_4 . These peaks originate from different electronic transitions as evidenced by their different temperature and Rh-doping dependence. In addition, the third peak at a somewhat lower energy has been reported in RIXS, but is not seen in the Raman spectra measured with visible light. We showed that several scenarios can describe these peaks on a purely qualitative level, but more work is necessary to provide a quantitative description.

ACKNOWLEDGMENTS

We thank A. V. Chubukov and T. P. Devereaux for discussions. Experimental work at the University of Colorado was supported by the NSF under Grant No. DMR-1410111. Theoretical work was supported by the U.S. Department of Energy, Office of Science, Basic Energy Sciences under Award No. DE-FG02-10ER46686 (Y.-P.H. and M.H.), and by Simons Foundation Grant No. 305008 (M.H. sabbatical support). G.C. acknowledges NSF support via Grant No. DMR-1265162.

APPENDIX: SUPPLEMENTARY INFORMATION

Here, we give details on how symmetry constrains the polarization dependence and pseudospin structure of the electronic Raman transitions considered in the main text. We focus on on-site transitions; as stated in the main text, the intersite transitions discussed are of the same symmetry as on-site transitions, and do not need to be considered separately here. In addition, we show that the Raman tensor can indeed induce pseudo-spin-flip processes, even if $R_{\mu\nu}$ is assumed to act only on orbital (and not spin) degrees of freedom.

Beginning with Eq. (3) of the main text, the objective is to use site symmetry and time reversal to constrain the matrix elements for on-site transitions, contained in the 6×6 matrix $M_{0;\mu\nu}$. We focus on a single lattice site r and thus drop the site label from our analysis. As discussed in the main text, we consider an idealized case of D_{4h} site symmetry and only later consider breaking down to C_{4h} . The analysis proceeds in the high-temperature phase, with no spontaneous symmetry breaking due to long-range magnetic order.

We focus on two 2×2 blocks of $M_{0;\mu\nu}$, one describing transitions from a j doublet to another j doublet $M_{\mu\nu}^{j\to j}$), and another describing transitions from a j doublet to a $\bar{\jmath}$ doublet $(M_{\mu\nu}^{j\to \bar{\jmath}})$ see (Fig. 6). The on-site $j_2\to j_1$ transition and the intersite $r\to s$ transition are both of $j\to j$ type, while the on-site $\bar{\jmath}_2\to j_1$ and intersite $r\to d_{x^2-y^2}$ transitions are of $j\to \bar{\jmath}$ type. (The symmetry constraints on $j\to \bar{\jmath}$ and $\bar{\jmath}\to j$ transitions are the same.)

Ignoring inversion, which acts trivially on the electronic states of interest, D_{4h} is generated by the operations C_{4z} (fourfold rotation about the z axis), C_{2x} (twofold rotation about the x axis), and C_{2xy} (twofold rotation about the $(\hat{x} + \hat{y})$ axis). It will also be useful to explicitly consider $C_{2z} = (C_{4z})^2$. We consider the single-ion Hamiltonian obtained by projecting spin-orbit coupling and D_{4h} crystal field to the t_{2g} manifold, which allows us to obtain wave functions for the electronic states of interest. Using these wave functions, we find the following matrices representing the action of D_{4h} symmetry on the j doublets:

$$C_{4z}^{j} = -\begin{pmatrix} e^{-i\pi/4} & 0\\ 0 & e^{i\pi/4} \end{pmatrix},$$
 (A1)

$$C_{2z}^j = -i\sigma^z, \tag{A2}$$

$$C_{2x}^j = i\sigma^x, \tag{A3}$$

$$C_{2xy}^{j} = \frac{-i}{\sqrt{2}}(\sigma^{x} + \sigma^{y}), \tag{A4}$$

where $\sigma^x, \sigma^y, \sigma^z$ are the usual 2×2 Pauli matrices. For \bar{j} doublets we find

$$C_{4z}^{\bar{J}} = \begin{pmatrix} e^{-i\pi/4} & 0\\ 0 & e^{i\pi/4} \end{pmatrix},$$
 (A5)

$$C_{2z}^{\bar{J}} = -i\sigma^z, \tag{A6}$$

$$C_{2x}^{\bar{J}} = i\sigma^x, \tag{A7}$$

$$C_{2xy}^{\bar{\jmath}} = \frac{i}{\sqrt{2}} (\sigma^x + \sigma^y). \tag{A8}$$

In both cases time reversal is given by

$$\mathcal{T} = i\sigma^{y}K,\tag{A9}$$

where K is the complex conjugation operator. We note that these forms only depend on the symmetry properties of the electronic states, which are expected to be captured accurately in our simple treatment.

Now we analyze the constraints on the matrix elements. First, we consider the action of symmetry on $R_{\mu\nu}$, which has to agree with that on the corresponding matrix elements. We only need to consider those operations that take a given component of $R_{\mu\nu}$ into itself (or minus itself):

$$C_{2z}: R_{xx} \to R_{xx}, \tag{A10}$$

$$C_{2x}: R_{xx} \to R_{xx},$$
 (A11)

$$C_{2z}: R_{x'x'} \to R_{x'x'},$$
 (A12)

$$C_{2xy}: R_{x'x'} \to R_{x'x'},$$
 (A13)

$$C_{2z}: R_{xy} \to R_{xy}, \tag{A14}$$

$$C_{2x}: R_{xy} \rightarrow -R_{xy},$$
 (A15)

$$C_{2z}: R_{x'y'} \to R_{x'y'},$$
 (A16)

$$C_{2xy}: R_{x'y'} \to -R_{x'y'}.$$
 (A17)

In addition, $R_{\mu\nu}$ is invariant under time reversal.

Now we consider the matrix elements $M_{\mu\nu}^{j\to j}$ and $M_{\mu\nu}^{j\to j}$. In each case, time reversal allows the matrices $1_{2\times 2}$ and $i\sigma^{\mu}$ ($\mu=x,y,z$) to appear with arbitrary real coefficients, where $1_{2\times 2}$ is the 2×2 identity matrix. For example, time reversal allows the form $M_{xx}^{j\to j}=a_0\cdot 1_{2\times 2}+a_\mu i\sigma^\mu$, without yet imposing any other symmetries. Using all symmetries gives

$$M_{rr}^{j \to j}, M_{r'r'}^{j \to j}, M_{rr}^{j \to \bar{j}}, M_{r'r'}^{j \to \bar{j}} \propto 1_{2 \times 2},$$
 (A18)

$$M_{xy}^{j \to j}, M_{x'y'}^{j \to j}, M_{x'x'}^{j \to \bar{\jmath}}, M_{xy}^{j \to \bar{\jmath}} \propto \sigma^z.$$
 (A19)

The information provided in Table I of the main text follows from these results. We note in particular that only pseudo-spin-flip transitions contribute in xy polarization.

1. Effect of C_{4h} site symmetry

The true Ir site symmetry is C_{4h} , which is generated by the operations C_{4z} and inversion. Focusing on effects of this lower symmetry in xy polarization, we find that $M_{xy}^{j\to j}$ and $M_{xy}^{j\to j}$ are both allowed to have a non-pseudo-spin-flip contribution. The fact that a peak is not seen in xy polarization suggests that the breaking of $D_{4h}\to C_{4h}$ is a weak effect, at least for the electronic states probed by our Raman measurements.

2. Below Neel temperature

Below the Neel temperature, long-range magnetic order lowers the site symmetry. Assuming the moments lie in the xy plane and point along the x' axis, the site symmetry is generated by the operations $C_{2z}\mathcal{T}$ and C_{2xy} [30–32]. All components of $R_{\mu\nu}$ are left invariant by $C_{2z}\mathcal{T}$. This operation acts on both doublets as the matrix $C_{2z}\mathcal{T} = -i\sigma^x K$, and this allows the matrices (with real coefficients) $1,\sigma^x,\sigma^y,i\sigma^z$ to appear. Focusing again on xy polarization, there are no further constraints on $M_{xy}^{j\to j}$ and $M_{xy}^{j\to j}$, so non-pseudo-spin-flip transitions are allowed to contribute in xy polarization. The absence of a peak indicates that Neel order is not strong enough compared to electronic energy scales to have a significant effect on the Raman transitions probed.

3. Raman scattering can flip the pseudospin

In the absence of spin-orbit coupling, the Raman tensor cannot induce spin-flip processes. This follows from the presence of SU(2) spin rotation symmetry, and the fact that $R_{\mu\nu}$ commutes with SU(2) spin rotations. In the present case, there is substantial spin-orbit coupling, and SU(2) spin symmetry is not present, opening the possibility of pseudo-spin-flips in the Raman process.

To assess whether $R_{\mu\nu}$ indeed contains pseudo-spin-flip transitions with significant amplitude, we make the conservative assumption that spin-orbit coupling only enters in the initial and final t_{2g} states, ignoring spin-orbit coupling in the intermediate state. As a result $R_{\mu\nu}$ commutes with SU(2) spin rotations, and spin-flip processes are forbidden. However, we find pseudo-spin-flip processes are nonetheless Raman active. To illustrate this point we focus on a single lattice site for

simplicity and assume

$$R_{\mu\nu} = f_{A\sigma}^{\dagger} \mathcal{R}_{AB}^{\mu\nu} f_{B\sigma}. \tag{A20}$$

Here A, B = yz, xz, xy labels the t_{2g} orbital states; $\sigma = \uparrow, \downarrow$ is electron spin; and the 3×3 matrix $\mathcal{R}^{\mu\nu}$ is constrained by site symmetry and time reversal. We are thus assuming that $R_{\mu\nu}$ acts only on the orbital degrees of freedom. Spin-orbit coupling enters via the single-ion Hamiltonian, whose local

energy eigenstates (the j_1 , j_2 , and \bar{j}_2 doublets) have mixed spin and orbital character. We determined the general symmetry-allowed form of $\mathcal{R}^{\mu\nu}$. Then, transforming the expression for $R_{\mu\nu}$ into the basis of spin-orbital energy eigenstates, we find that pseudo-spin-flip processes are fully allowed, even though $R_{\mu\nu}$ contains no spin-flip terms. This justifies our analysis of the Raman process including both transitions with and without pseudo-spin-flips.

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