

Spatial Voting in US Presidential Election

Quantitative Methods 2020: Final Data Essay

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Abstract

The text of your abstract. 150 – 250 words.

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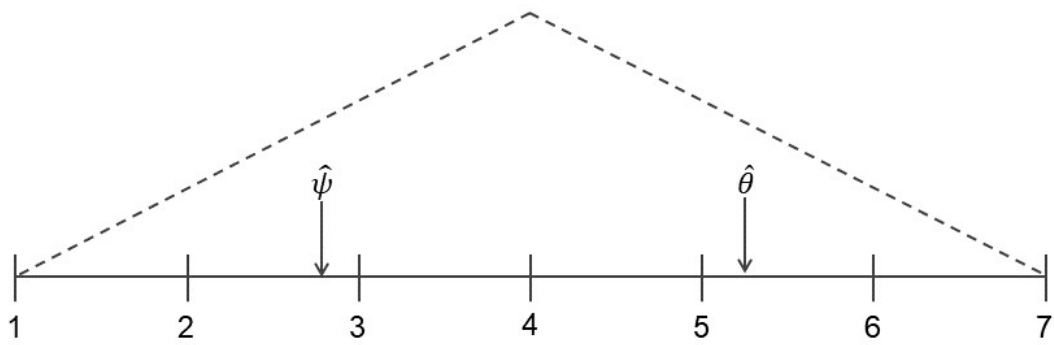


Figure 1: A caption

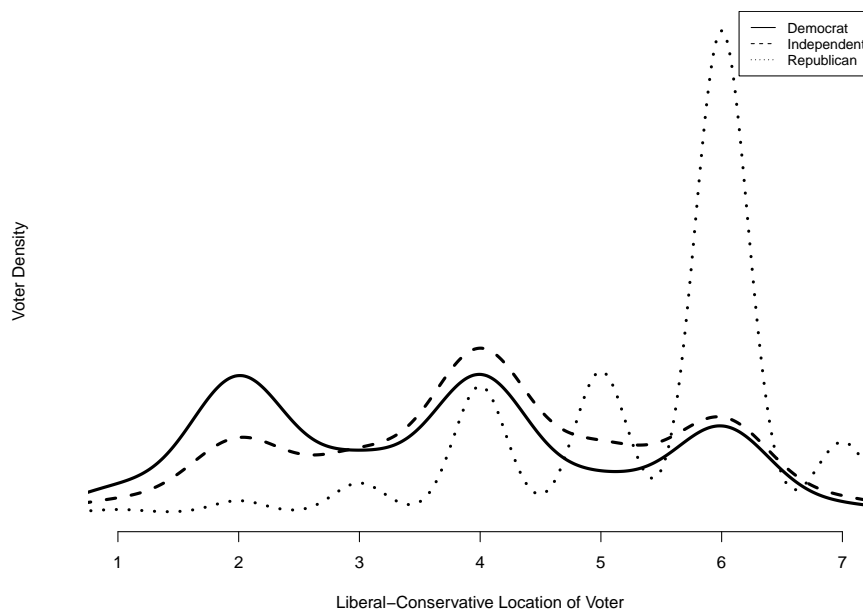


Figure 2: FDs

```
# Scenario (Black)

scenario_ind_hi_r1 <- cbind(1, # Intercept

  lr_seq2, # LR Scale

  0, # Race = Black

  1, # Race = Other/Mixed

  1, # Gender = Male
```

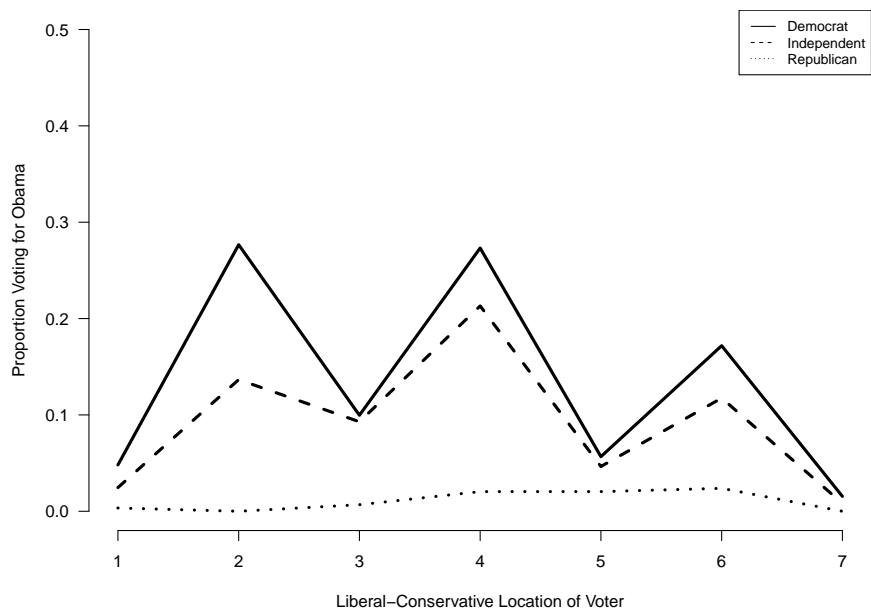


Figure 3: FDs

Party Identification and Spatial Voting

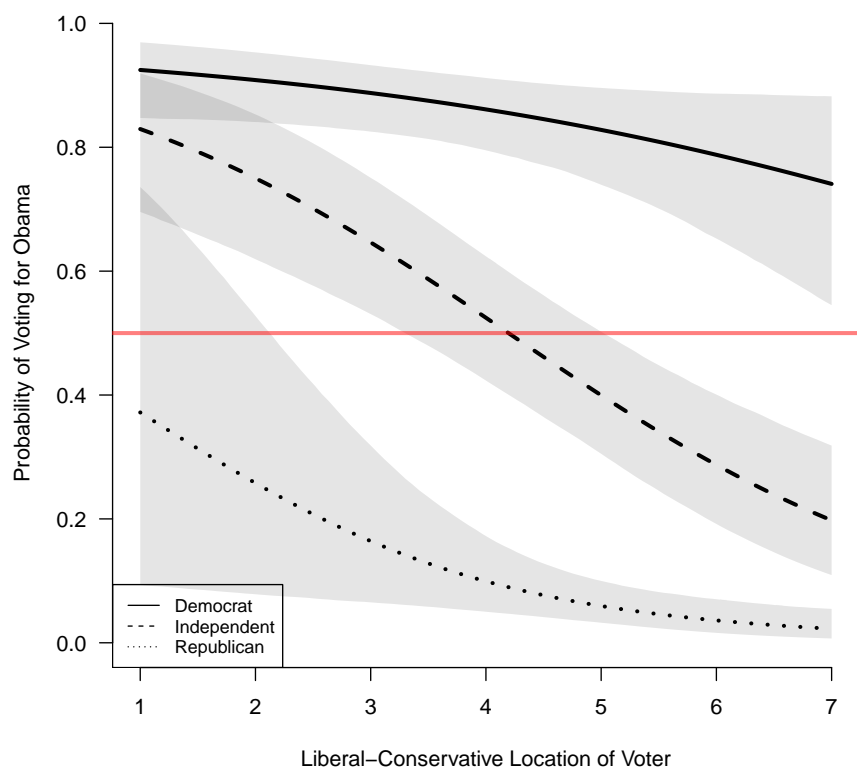


Figure 4: Cap

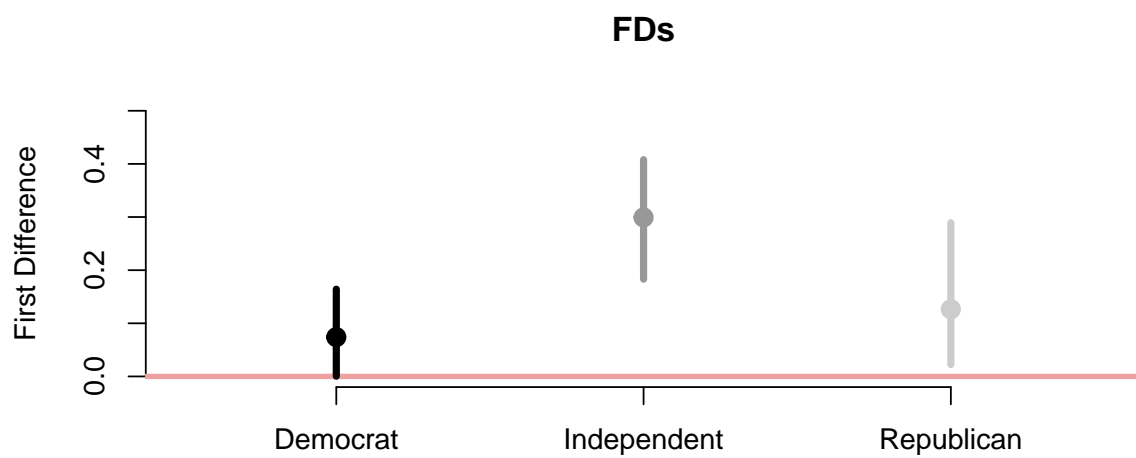


Figure 5: FDs

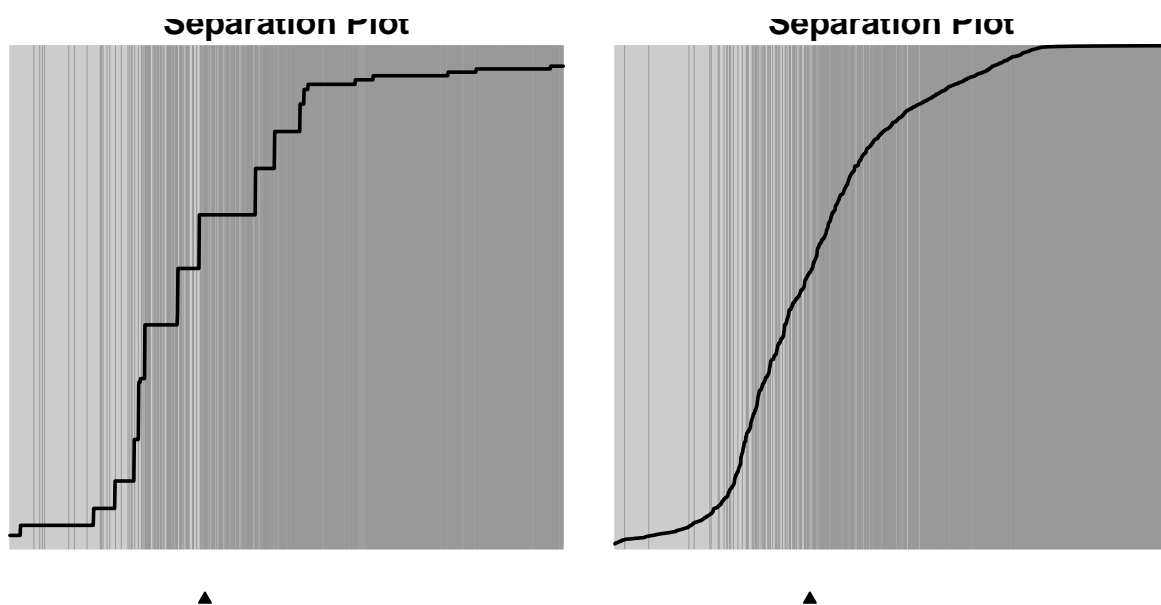


Figure 6: Model fit

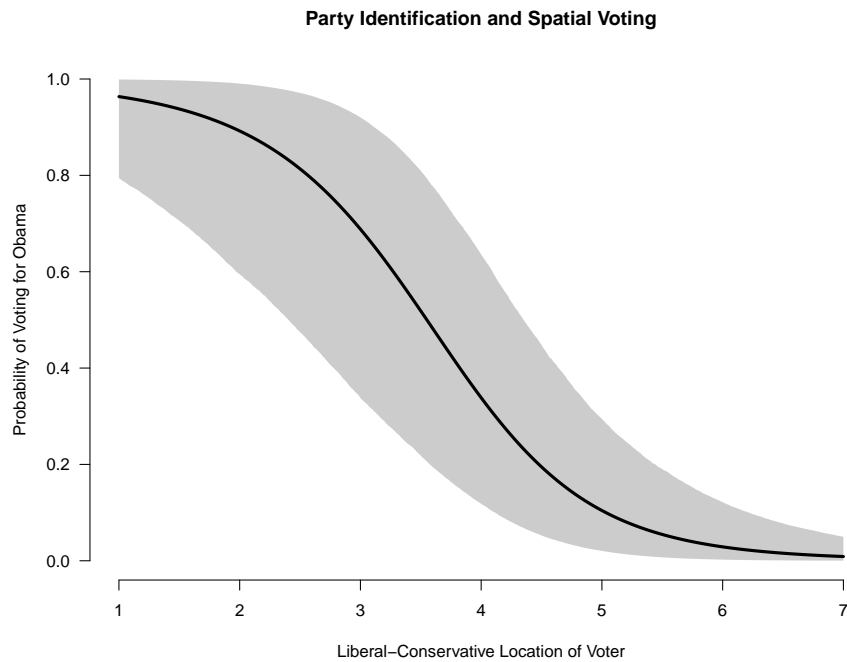


Figure 7: FDs

```

mean(independents_hi$Age, na.rm=T), # Age

1, # Religion = Protestant

0, # Religion = Catholic

0, # Religion = Other

1, # Above Median Income

0 # College Degree

)

```

```
Xbeta_ind_hi_r1 <- S %*% t(scenario_ind_hi_r1)
```

```
p_sim_ind_hi_r1 <- (exp(Xbeta_ind_hi_r1)) / (1 + exp(Xbeta_ind_hi_r1))
```

```
p_mean_ind_hi_r1 <- apply(p_sim_ind_hi_r1, 2, mean)
```

```
p_qu_ind_hi_r1 <- t(apply(p_sim_ind_hi_r1, 2, quantile, prob = c(0.025, 0.975)))
```

```
props_ind_hi_r1 <- as.data.frame(cbind(p_mean_ind_hi_r1, lr_seq2))
```

```

props_ind_hi_r1$dist <- abs(props_ind_hi_r1$p_mean_ind_hi_r1-0.5)
min_pos <- which.min(props_ind_hi_r1$dist)
props_ind_hi_r1[min_pos,2]

```

```
## [1] 3.954
```

```

# Scenario 2 (Female)

scenario_ind_hi_r2 <- cbind(1, # Intercept

                        lr_seq2, # LR Scale

                        0, # Race = Black

                        0, # Race = Other/Mixed

                        0, # Gender = Male

                        mean(independents_hi$age, na.rm=T), # Age

                        1, # Religion = Protestant

                        0, # Religion = Catholic

                        0, # Religion = Other

                        1, # Above Median Income

                        0 # College Degree

                        )

Xbeta_ind_hi_r2 <- S %*% t(scenario_ind_hi_r2)

p_sim_ind_hi_r2 <- (exp(Xbeta_ind_hi_r2))/(1 + exp(Xbeta_ind_hi_r2))

p_mean_ind_hi_r2 <- apply(p_sim_ind_hi_r2, 2, mean)
p_qu_ind_hi_r2 <- t(apply(p_sim_ind_hi_r2, 2, quantile, prob = c(0.025, 0.975)))

props_ind_hi_r2 <- as.data.frame(cbind(p_mean_ind_hi_r2,lr_seq2))
props_ind_hi_r2$dist <- abs(props_ind_hi_r2$p_mean_ind_hi_r2-0.5)
min_pos <- which.min(props_ind_hi_r2$dist)

```



```
props_ind_hi_r2[min_pos,2]
```

```
## [1] 3.173
```

```
# Scenario 3 (Young)
```

```
scenario_ind_hi_r3 <- cbind(1, # Intercept  
  
  lr_seq2, # LR Scale  
  
  0, # Race = Black  
  
  0, # Race = Other/Mixed  
  
  1, # Gender = Male  
  
  quantile(independents_hi$age, na.rm=T, 0.25), # Age  
  
  1, # Religion = Protestant  
  
  0, # Religion = Catholic  
  
  0, # Religion = Other  
  
  1, # Above Median Income  
  
  0 # College Degree  
  
  )
```

```
Xbeta_ind_hi_r3 <- S %*% t(scenario_ind_hi_r3)
```

```
p_sim_ind_hi_r3 <- (exp(Xbeta_ind_hi_r3)) / (1 + exp(Xbeta_ind_hi_r3))
```

```
p_mean_ind_hi_r3 <- apply(p_sim_ind_hi_r3, 2, mean)
```

```
p_qu_ind_hi_r3 <- t(apply(p_sim_ind_hi_r3, 2, quantile, prob = c(0.025, 0.975)))
```

```
props_ind_hi_r3 <- as.data.frame(cbind(p_mean_ind_hi_r3,lr_seq2))
```

```
props_ind_hi_r3$dist <- abs(props_ind_hi_r3$p_mean_ind_hi_r3-0.5)
```

```
min_pos <- which.min(props_ind_hi_r3$dist)
```

```
props_ind_hi_r3[min_pos,2]
```

```
## [1] 3.737
```

```

# Scenario 4 (No Religion)

scenario_ind_hi_r4 <- cbind(1, # Intercept

                           lr_seq2, # LR Scale

                           0, # Race = Black

                           0, # Race = Other/Mixed

                           1, # Gender = Male

                           mean(independents_hi$age, na.rm=T), # Age

                           0, # Religion = Protestant

                           0, # Religion = Catholic

                           0, # Religion = Other

                           1, # Above Median Income

                           0 # College Degree

                           )

Xbeta_ind_hi_r4 <- S %*% t(scenario_ind_hi_r4)

p_sim_ind_hi_r4 <- (exp(Xbeta_ind_hi_r4)) / (1 + exp(Xbeta_ind_hi_r4))

p_mean_ind_hi_r4 <- apply(p_sim_ind_hi_r4, 2, mean)

p_qu_ind_hi_r4 <- t(apply(p_sim_ind_hi_r4, 2, quantile, prob = c(0.025, 0.975)))

props_ind_hi_r4 <- as.data.frame(cbind(p_mean_ind_hi_r4,lr_seq2))

props_ind_hi_r4$dist <- abs(props_ind_hi_r4$p_mean_ind_hi_r4-0.5)

min_pos <- which.min(props_ind_hi_r4$dist)

props_ind_hi_r4[min_pos,2]

## [1] 4.142

```

```

# Scenario (Low Income)

# scenario_ind_hi_r5 <- cbind(1, # Intercept
#
#           lr_seq2, # LR Scale
#
#           0, # Race = Black
#
#           0, # Race = Other/Mixed
#
#           1, # Gender = Male
#
#           mean(independents_hi$age, na.rm=T), # Age
#
#           1, # Religion = Protestant
#
#           0, # Religion = Catholic
#
#           0, # Religion = Other
#
#           0, # Above Median Income
#
#           0 # College Degree
#
#           )

#
# Xbeta_ind_hi_r5 <- S %*% t(scenario_ind_hi_r5)
#
# p_sim_ind_hi_r5 <- (exp(Xbeta_ind_hi_r5))/(1 + exp(Xbeta_ind_hi_r5))
#
# p_mean_ind_hi_r5 <- apply(p_sim_ind_hi_r5, 2, mean)
# p_qu_ind_hi_r5 <- t(apply(p_sim_ind_hi_r5, 2, quantile, prob = c(0.025, 0.975)))
#
# props_ind_hi_r5 <- as.data.frame(cbind(p_mean_ind_hi_r5, lr_seq2))
# props_ind_hi_r5$dist <- abs(props_ind_hi_r5$p_mean_ind_hi_r5-0.5)
# min_pos <- which.min(props_ind_hi_r5$dist)
# props_ind_hi_r5[min_pos,2]

# Scenario 6 (College Degree)

# scenario_ind_hi_r6 <- cbind(1, # Intercept

```

```

#           lr_seq2, # LR Scale
#           0, # Race = Black
#           0, # Race = Other/Mixed
#           1, # Gender = Male
#           mean(independents_hi$age, na.rm=T), # Age
#           1, # Religion = Protestant
#           0, # Religion = Catholic
#           0, # Religion = Other
#           1, # Above Median Income
#           1 # College Degree
#           )
#
# Xbeta_ind_hi_r6 <- S %>% t(scenario_ind_hi_r6)
#
# p_sim_ind_hi_r6 <- (exp(Xbeta_ind_hi_r6)) / (1 + exp(Xbeta_ind_hi_r6))
#
# p_mean_ind_hi_r6 <- apply(p_sim_ind_hi_r6, 2, mean)
# p_qu_ind_hi_r6 <- t(apply(p_sim_ind_hi_r6, 2, quantile, prob = c(0.025, 0.975)))
#
# props_ind_hi_r6 <- as.data.frame(cbind(p_mean_ind_hi_r6, lr_seq2))
# props_ind_hi_r6$dist <- abs(props_ind_hi_r6$p_mean_ind_hi_r6-0.5)
# min_pos <- which.min(props_ind_hi_r6$dist)
# props_ind_hi_r6[min_pos,2]
#

```

Table 1: Logit equations predicting the vote

	<i>Dependent variable:</i>		
	Vote for Obama		
	Model 1 (Base)	Model 1 (with controls)	Model 2
	(1)	(2)	(3)
Left-Right	−0.134 (0.110)	−0.248* (0.128)	−1.628*** (0.412)
Independent	−0.810 (0.606)	−0.692 (0.696)	
Republican	−2.842*** (0.988)	−2.889** (1.147)	
Black/African-American		5.286*** (1.041)	21.565 (1,975.579)
Other/Mixed		1.523*** (0.354)	0.653 (1.181)
Male		0.129 (0.201)	0.615 (0.682)
Age		−0.017*** (0.006)	−0.022 (0.019)
Protestant		−0.374 (0.271)	−0.966 (0.785)
Catholic		−0.324 (0.298)	−0.398 (0.969)
Other		0.503 (0.752)	−23.450 (10,754.010)
Above Median Income		−0.443** (0.209)	−0.763 (0.648)
College Degree		0.239 (0.231)	1.175* (0.646)
Left-Right × Independent	−0.316** (0.139)	−0.263 (0.162)	
Left-Right × Republican	−0.442** (0.206)	−0.302 (0.241)	
Constant	3.291*** (0.471)	4.024*** (0.641)	7.968*** (2.262)
Observations	1,242	1,242	104
Log Likelihood	−424.972	−339.847	−34.213
Akaike Inf. Crit.	861.943	709.693	90.427

Note:

*p<0.1; **p<0.05; ***p<0.01

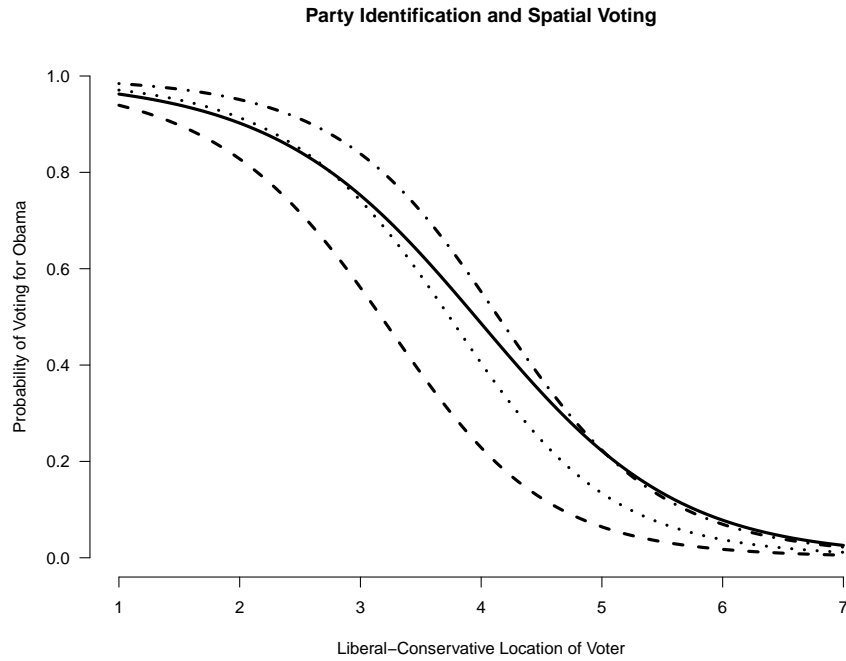


Figure 8: cap

2 Introduction

3 Research Design

3.1 Data

3.2 Methods

4 Results

4.1 Partisanship under the Spatial Voting Theorem

4.2 The Independent Voter Equilibrium

5 Robustness

6 Conclusion

7 Appendix