## **Summarizing Numerical Data**

- 1. In the space below, outline a procedure to take a data set like the following and return a single statistic that fulfills the desiderata:
- a. The statistic will increase in magnitude as variability increases
- b. The statistic will decrease in magnitude as the variability decreases
- c. The statistic is zero when there is no variability

You can express your procedure as a written recipe or using mathematical notation.

6 7 7 7 8 8 9 9 10 11 11

2. The small data set above was measured in meters, but what would have happened if it had been measured in decimeters (10 decimeters to a meter)? Provide reasoning for would happen to the measures of center - mean, median, mode - if it had instead been measured in decimeters. Repeat the exercise for three measures of spread: range, standard deviation, and IQR. Which measures remain the same after a multiplicative change in units?

3.	Repeat exercise two, but consider a circumstance where the data set was recorded using
	a faulty measuring device that added .1 to each observation (instead of multiplying by
	10). Which measures of center and spread remain the same after an additive change?

- 4. Sketch your best sense of the distribution of the following variable(s). For each, please:
- i. Use a form of statistical graphic that emphasizes the important elements of the distribution.
- ii. Label the axes and provide plausible values for the tick marks.
- iii. Describe in words the shape of the distribution.
- iv. State which measure of center and spread would be most appropriate and approximate their values.

Make a note of any assumptions you're making in interpreting these variable names.

Number of body piercings among Stat 20 students

 $Scores\ on\ an\ easy\ quiz\ {\it among}\ {\it Stat}\ 20\ {\it students}$ 

Distance from campus and Year at Cal (first, second, etc) among all Cal students