

		kedna	
	$A_2 = \int_1^2 \frac{1}{\cancel{\cancel{\cancel{+}}}^2}$	dx	
	= \int 2 \times 1		
		2 - 1 1	
		2 2	
	A(+ A2 = 1/2	+ 1 = 1	
[2]	Hitung Integr	a) borikat	
	J 912	dr	
	∫ .9 r <sup>2</sup> ( ι	$-r^3$ ) $\frac{1}{2}$ dr	
	' u = 1-	r <sup>3</sup>	
	1 4 = 1 - du= 3r	2 dy)	dx = du

$$= \int_{-1}^{1} g(x) \frac{1}{2} dy$$

$$= \int_{-1}^{2} 3 u^{\frac{1}{2}} + C$$

$$= \int_{0}^{1} \sqrt{1 - r^{3}} +$$