

Lecture I: Efficient Market Hypothesis

Dangxing Chen

Duke Kunshan University

Introduction

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- ▶ **Answer:** Liquid market and “correct” price
- ▶ E.g. convenient stores
- ▶ **Efficient Market Hypothesis (EMH):** Asset prices reflect all available information
- ▶ Idea behind the EMH: People are smart
- ▶ 2013 Nobel Prize in Economic Sciences
- ▶ Finance researchers view EMH as evolution
- ▶ **Question:** Does EMH sounds too idealistic?

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- ▶ **Question:** Does EMH sounds too idealistic?
- ▶ For the most of time, **on average**, it is very plausible
- ▶ Analogy, particles
- ▶ E.g. price of a bottle of water

Efficient market hypothesis - more details

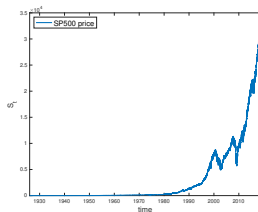
- ▶ **Central question:** Whether asset prices reflect all available information
 - ▶ No arbitrage (no free lunch): Price only adjusted to news, not predictable (in the deterministic sense), adjust quickly
 - ▶ The price is right: asset prices are equal to intrinsic value
- ▶ Motivation: Investors are very smart
- ▶ Implication to math:

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- ▶ **Central question:** Whether asset prices reflect all available information
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- ▶ Motivation: Investors are very smart
- ▶ Implication to math:
 - ▶ Stochastic process (change of prices come from news, which are unpredictable)
 - ▶ Markovian
 - ▶ Dimensional reduction
- ▶ **Challenge:** How to test it?

Security return

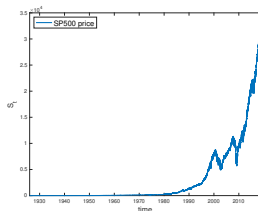
- ▶ Consider a security price S_t
- ▶ E.g. S&P 500



- ▶ **Question:** What is the trend of increasement?

Security return

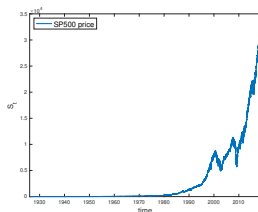
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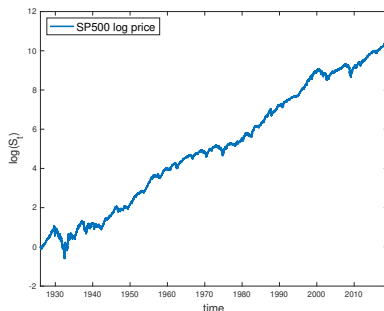


- ▶ **Question:** What is the trend of increasement? exponentially
- ▶ **Question:** Why would price increases exponentially?
- ▶ One intuition: continuous compounding
- ▶ Exponentially increasing is very rapid, faster than any polynomials!

$$\lim_{t \rightarrow \infty} \frac{t^n}{e^t} = 0.$$

Log return

- ▶ **Simple return:** $\frac{S_t - S_0}{S_0}$
- ▶ Convenient to work with log price $\ln(S_t)$



- ▶ Randomness are observed
- ▶ **Log return:** $R_t = \ln(S_t) - \ln(S_0) = \ln\left(\frac{S_t}{S_0}\right)$
- ▶ For $S_t \sim S_0$, $\ln(S_t) - \ln(S_0) = \ln\left(1 + \frac{S_t - S_0}{S_0}\right) \sim \frac{S_t - S_0}{S_0}$

Thought experiment

- ▶ Wish to test Markovian
- ▶ Consider a simple data generating process

$$y_t = r + y_{t-1} + c_0\epsilon_t + c_{-1}\epsilon_{t-1} + \dots$$

- ▶ Use this to mimic the stock market
- ▶ y_t - log-price
- ▶ r - expected return
- ▶ $\epsilon_t \sim \mathcal{N}(0, \sigma^2)$: impact from the news
- ▶ **Question:** if it is Markovian, how would the model looks like?

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- ▶ **Question:** if it is Markovian, how would the model looks like?
- ▶ $y_t = r + y_{t-1} + c_0\epsilon_t$
- ▶ **Question:** how to test if it is Markovian?

Challenge

- ▶ Find events that company keeps receive good news
- ▶ E.g., $y_\tau - y_0 \geq \eta$
- ▶ Check the impact of news: $\mathbb{E}[y_\tau | y_{\tau-1}, \dots, y_0] = \mathbb{E}[y_\tau | y_{\tau-1}]$?
- ▶ **Q:** Challenge in practice?

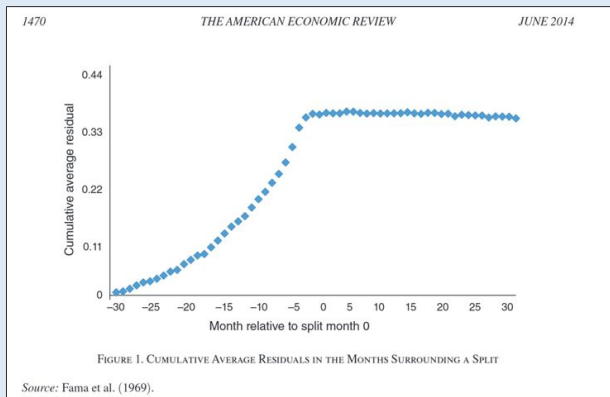
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- ▶ **Q:** Challenge in practice? Might not have enough data to test for a single company
- ▶ Use all companies in the market to calculate the expectation
- ▶ **Remark:** Test of EMH is in the sense of average

Event Studies:

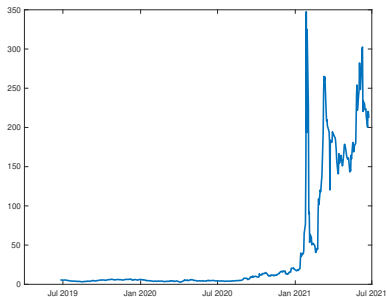
Eugene Fama, Lawrence Fisher, Michael Jensen,
Richard Roll

International Economic Review 1969



GameStop

- ▶ GameStop: An American video game, consumer electronics, and gaming merchandise retailer
- ▶ Decline since 2016, one of major reasons: Market conditions change (online)
- ▶ Jan 2021, GameStop's share price has a 1500% increase over two weeks
- ▶ Cause: Reddit community
- ▶ GME stock prices:



- ▶ **Efficient Market Hypothesis (EMH):** Asset prices reflect all available information
- ▶ Not necessarily always true, but very powerful
- ▶ Even if it is wrong, it provides a framework to think
- ▶ Regions that probably cannot be applied: high-frequency or illiquid market
- ▶ My thoughts: Heliocentric theory
- ▶ When it is wrong, it also serves as a “correction” direction

Some references

- ▶ 2013 Nobel lecture: <https://www.youtube.com/watch?v=WzxZGvrpFu4&t=257s>
- ▶ Debate between Fama and Thaler about EMH: <https://www.youtube.com/watch?v=bM9bY0BuKF4&t=1673s>
- ▶ <https://www.nobelprize.org/prizes/economic-sciences/2013/summary/>