

```
In [ ]: import numpy as np
import numpy.linalg as la
import numpy.linalg as la
import matplotlib.pyplot as plt
from solve_hand_to_mouth import *
from copy import deepcopy
from estimation import *

%load_ext autoreload
%autoreload 2

# %pip install EconModel
from Model import ReferenceDependenceClass
model = ReferenceDependenceClass()
model.par.full_sample_estimation = True
model.allocate()
model_standard = deepcopy(model)    # Used later for standard model
model.par.model = 'HTM'
model_standard.par.model = 'HTM'
```

The autoreload extension is already loaded. To reload it, use:
`%reload_ext autoreload`

Estimating using the full sample

(using hazard rates from both before and after the reform)

Model with reference dependence

```
In [ ]: # Setup
model.par.eta = 1 # Reference dependence
model.par.types = 1 # No heterogeneity
model.allocate()

# Estimation setup
est_par = ['delta', 'gamma', 'lambdaa', 'N', 'cost1'] # Parameters to estimate
theta0 = [0.95, 0.1, 1.0, 10, 100.0] # Initial guesses
bounds = [(0.5, 1), (0.001, 10.0), (0.0, 10.0), (0,50), (0.0,500)] # Bounds for

# Random starting values:
model.par.noOfParams = len(est_par)
model.par.noSearchInits = 800
np.random.seed(180615)

est_best = np.inf

for i in range(model.par.noSearchInits):

    theta0 = [np.random.uniform(model.par.lb_delta, model.par.ub_delta),
               np.random.uniform(model.par.lb_gamma, model.par.ub_gamma),
               np.random.uniform(model.par.lb_lambdaa, model.par.ub_lambdaa),
               np.random.uniform(model.par.lb_N, model.par.ub_N),
               np.random.uniform(model.par.lb_c, model.par.ub_c)]
```

```

try:
    # Perform the method of simulated moments
    est = method_simulated_moments(model, est_par, theta0, bounds, weight=Fa
    # print(est.fun)

    # Check if the current estimate is better than the best estimate
    if est.fun < est_best:
        est_best = est.fun
        par = est.x
        nit = est.nit
        jac = est.jac
        obj_ref = est_best

except Exception as e:
    # Print the exception message and continue with the next iteration
    print(f"Iteration {i} failed with error: {e}")
    continue

```

c:\Users\rasmu\anaconda3\Lib\site-packages\scipy\optimize_optimize.py:404: RuntimeWarning: Values in x were outside bounds during a minimize step, clipping to bounds

warnings.warn("Values in x were outside bounds during a "

d:\OneDrive\KU - Økonomi\Dynamic Programming\Term_Paper\Dynamic-programming-project\Funcs.py:64: RuntimeWarning: invalid value encountered in scalar power

```
inv_c_marg[0] = (s/par.cost1)**(1/par.gamma)
```

d:\OneDrive\KU - Økonomi\Dynamic Programming\Term_Paper\Dynamic-programming-project\Funcs.py:65: RuntimeWarning: invalid value encountered in scalar power

```
inv_c_marg[1] = (s/par.cost2)**(1/par.gamma)
```

d:\OneDrive\KU - Økonomi\Dynamic Programming\Term_Paper\Dynamic-programming-project\Funcs.py:66: RuntimeWarning: invalid value encountered in scalar power

```
inv_c_marg[2] = (s/par.cost3)**(1/par.gamma)
```

```

In [ ]: # Calculates jacobian based on small changes (epsilon)
def manual_jacobian(model, est_par, par, epsilon=1e-5):
    '''Calculate the Jacobian using finite differences'''
    baseline_moments = model_moments_combined(model, est_par, par)
    num_moments = len(baseline_moments)
    num_params = len(est_par)

    jacobian = np.zeros((num_moments, num_params)) # Set up empty matrix to store

    for i in range(num_params): # Loop over the parameters
        new_par = np.array(par) # Copy the parameter vector
        new_par[i] += epsilon # Add a small perturbation to the i-th parameter
        perturbed_moments = model_moments_combined(model, est_par, new_par) # Calculate moments with perturbation
        jacobian[:, i] = (perturbed_moments - baseline_moments) / epsilon # Calculate jacobian column
        new_par = np.array(par) # Reset vector to the original parameter vector

    return jacobian

jacobian = manual_jacobian(model, est_par, par)

print(jacobian)
print(jacobian.shape)

```

```

[[ 3.29088178e-01 1.61272204e-01 8.80951060e-03 0.00000000e+00
-1.80021752e-04]
[ 3.14500326e-01 1.55721063e-01 8.05255910e-03 0.00000000e+00
-1.70325478e-04]
[ 3.00810822e-01 1.49758590e-01 7.28034123e-03 0.00000000e+00
-1.60387213e-04]
[ 2.88310958e-01 1.43445279e-01 6.50187640e-03 0.00000000e+00
-1.50332747e-04]
[ 2.77301663e-01 1.36879025e-01 5.72852946e-03 0.00000000e+00
-1.40326449e-04]
[ 2.68085389e-01 1.30204011e-01 4.97418887e-03 0.00000000e+00
-1.30576520e-04]
[ 2.60958789e-01 1.23620472e-01 4.25544196e-03 0.00000000e+00
-1.21340937e-04]
[ 2.56207610e-01 1.17395269e-01 3.59182482e-03 0.00000000e+00
-1.12935104e-04]
[ 2.54104564e-01 1.11873228e-01 3.00632193e-03 0.00000000e+00
-1.05743388e-04]
[ 2.54908651e-01 1.07489409e-01 2.52646512e-03 0.00000000e+00
-1.00238384e-04]
[ 2.58859410e-01 1.04782890e-01 2.18666773e-03 0.00000000e+00
-9.70147213e-05]
[ 2.66151755e-01 1.04413383e-01 2.03285846e-03 0.00000000e+00
-9.68482093e-05]
[ 2.76868941e-01 1.07182926e-01 2.13106795e-03 0.00000000e+00
-1.00796418e-04]
[ 2.90849591e-01 1.14065283e-01 2.58247844e-03 0.00000000e+00
-1.10362425e-04]
[ 3.04816326e-01 1.22456239e-01 3.14601029e-03 0.00000000e+00
-1.22384315e-04]
[ 3.18180507e-01 1.32747095e-01 3.85609318e-03 0.00000000e+00
-1.37630500e-04]
[ 3.30045214e-01 1.45466013e-01 4.76071400e-03 0.00000000e+00
-1.57176758e-04]
[ 3.39047389e-01 1.61345372e-01 5.92838582e-03 0.00000000e+00
-1.82565623e-04]
[ 3.30295223e-01 1.59284429e-01 5.57083059e-03 0.00000000e+00
-1.78606403e-04]
[ 3.21734042e-01 1.57492249e-01 5.23352423e-03 0.00000000e+00
-1.75143277e-04]
[ 3.13318823e-01 1.56106404e-01 4.92499388e-03 0.00000000e+00
-1.72368801e-04]
[ 3.04947948e-01 1.55302712e-01 4.65570693e-03 0.00000000e+00
-1.70525622e-04]
[ 2.96437875e-01 1.55304593e-01 4.43860204e-03 0.00000000e+00
-1.69921056e-04]
[ 2.87486716e-01 1.56395310e-01 4.28986925e-03 0.00000000e+00
-1.70947784e-04]
[ 2.73371615e-01 1.50701082e-01 3.61784626e-03 0.00000000e+00
-1.61354428e-04]
[ 2.60427393e-01 1.44842767e-01 2.96482988e-03 0.00000000e+00
-1.51897513e-04]
[ 2.48889158e-01 1.38973425e-01 2.34480544e-03 0.00000000e+00
-1.42796882e-04]
[ 2.38965648e-01 1.33300745e-01 1.77414251e-03 0.00000000e+00
-1.34322462e-04]
[ 2.30822558e-01 1.28095030e-01 1.27191432e-03 0.00000000e+00
-1.26799788e-04]
[ 2.24561272e-01 1.23694023e-01 8.60575765e-04 0.00000000e+00
-1.20614604e-04]

```

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[ 2.20186873e-01 1.20496807e-01 5.67368787e-04 0.00000000e+00
-1.16209591e-04]
[ 2.17550106e-01 1.18915360e-01 4.27010276e-04 0.00000000e+00
-1.14036171e-04]
[ 2.15365383e-01 1.17464863e-01 3.00389477e-04 0.00000000e+00
-1.12067312e-04]
[ 2.13652072e-01 1.16190058e-01 1.90493464e-04 0.00000000e+00
-1.10356619e-04]
[ 2.12416456e-01 1.15143465e-01 1.00851395e-04 0.00000000e+00
-1.08966538e-04]
[ 3.35924832e-01 1.36569609e-01 7.05340423e-03 0.00000000e+00
-1.43252277e-04]
[ 3.39238434e-01 1.38871800e-01 7.06716384e-03 0.00000000e+00
-1.46923580e-04]
[ 3.43042651e-01 1.42773128e-01 7.19873449e-03 0.00000000e+00
-1.53053511e-04]
[ 3.46868533e-01 1.48726197e-01 7.48480759e-03 0.00000000e+00
-1.62412105e-04]
[ 3.49950604e-01 1.57320041e-01 7.97596231e-03 0.00000000e+00
-1.76064055e-04]
[ 3.51067363e-01 1.69341391e-01 8.74383037e-03 0.00000000e+00
-1.95519895e-04]
[ 3.35182706e-01 1.62821596e-01 7.81947760e-03 0.00000000e+00
-1.83661686e-04]
[ 3.20777558e-01 1.55987409e-01 6.90185408e-03 0.00000000e+00
-1.71864008e-04]
[ 3.08221033e-01 1.49048361e-01 6.01309837e-03 0.00000000e+00
-1.60457254e-04]
[ 2.97864249e-01 1.42306798e-01 5.18061074e-03 0.00000000e+00
-1.49864166e-04]
[ 2.90024387e-01 1.36178360e-01 4.43801041e-03 0.00000000e+00
-1.40618531e-04]
[ 2.84967610e-01 1.31214836e-01 3.82698820e-03 0.00000000e+00
-1.33394461e-04]
[ 2.82883970e-01 1.28129750e-01 3.40113690e-03 0.00000000e+00
-1.29056012e-04]
[ 2.83837612e-01 1.27826703e-01 3.23378990e-03 0.00000000e+00
-1.28742669e-04]
[ 2.86018865e-01 1.28877749e-01 3.16232495e-03 0.00000000e+00
-1.30370003e-04]
[ 2.89203416e-01 1.31684903e-01 3.21474723e-03 0.00000000e+00
-1.34522662e-04]
[ 2.92964272e-01 1.36746189e-01 3.42890201e-03 0.00000000e+00
-1.41981026e-04]
[ 2.96559654e-01 1.44686822e-01 3.85740260e-03 0.00000000e+00
-1.53810954e-04]
[ 2.91080389e-01 1.42350673e-01 3.52664744e-03 0.00000000e+00
-1.50058237e-04]
[ 2.87150645e-01 1.41767269e-01 3.37150093e-03 0.00000000e+00
-1.48989100e-04]
[ 2.83341170e-01 1.41711080e-01 3.24943265e-03 0.00000000e+00
-1.48698076e-04]
[ 2.79492426e-01 1.42342974e-01 3.16913795e-03 0.00000000e+00
-1.49403377e-04]
[ 2.75357451e-01 1.43863678e-01 3.14148627e-03 0.00000000e+00
-1.51381752e-04]
[ 2.70565735e-01 1.46524785e-01 3.18027317e-03 0.00000000e+00
-1.54988231e-04]
[ 2.60351360e-01 1.42326798e-01 2.71493474e-03 0.00000000e+00
-1.48251161e-04]

```

```
[ 2.50956204e-01  1.38088768e-01  2.26504460e-03  0.00000000e+00
-1.41660040e-04]
[ 2.42514317e-01  1.33902446e-01  1.83834050e-03  0.00000000e+00
-1.35339821e-04]
[ 2.35144233e-01  1.29886395e-01  1.44382239e-03  0.00000000e+00
-1.29441263e-04]
[ 2.28939133e-01  1.26189139e-01  1.09194548e-03  0.00000000e+00
-1.24143463e-04]
[ 2.23953932e-01  1.22990457e-01  7.94942047e-04  0.00000000e+00
-1.19655040e-04]
[ 2.20186873e-01  1.20496807e-01  5.67368787e-04  0.00000000e+00
-1.16209591e-04]
[ 2.17550106e-01  1.18915360e-01  4.27010276e-04  0.00000000e+00
-1.14036171e-04]
[ 2.15365383e-01  1.17464863e-01  3.00389477e-04  0.00000000e+00
-1.12067312e-04]
[ 2.13652072e-01  1.16190058e-01  1.90493464e-04  0.00000000e+00
-1.10356619e-04]
[ 2.12416456e-01  1.15143465e-01  1.00851395e-04  0.00000000e+00
-1.08966538e-04]]
(70, 5)
```

```
In [ ]: def standard_errors(jac, weight_matrix, N = 70):
    variance = np.zeros(jac.shape[1])*np.nan
    for i in range(jac.shape[1]):
        jac_i = jac[:, i].reshape(-1, 1)

        if np.all(jac_i == 0):
            print(f"Column {i} of the Jacobian is zero, cannot compute standard
            continue
        # diagonal Variance matrix for data moments
        omega_matrix = np.diag(np.diag(weight_matrix))

        # Compute (G'WG)
        gwg_inv = la.pinv(jac_i.T @ weight_matrix @ jac_i)

        # Compute the middle term G'VWV'G
        middle_term = jac_i.T @ weight_matrix @ omega_matrix @ weight_matrix.T

        # Compute the variance
        variance[i] = gwg_inv @ middle_term @ gwg_inv

    standard_errors = np.sqrt(variance/N)

    return standard_errors

standard_errs = standard_errors(jacobian, model.data.weight_mat)

# print("Standard Errors:")
# print(standard_errs)

print("Optimization Results:")
print("-----")
print(f'{"Parameter":<15} {"Estimate":<15} {"Std. Error":<15}')
for param, estimate, error in zip(est_par, par, standard_errs):
    print(f'{param:<15} {estimate:>15.3f} {error:>15.3f}')
print(f'Objective: {est_best:.4f}')
print(f'Number of iterations: {nit}')
```

Column 3 of the Jacobian is zero, cannot compute standard errors.

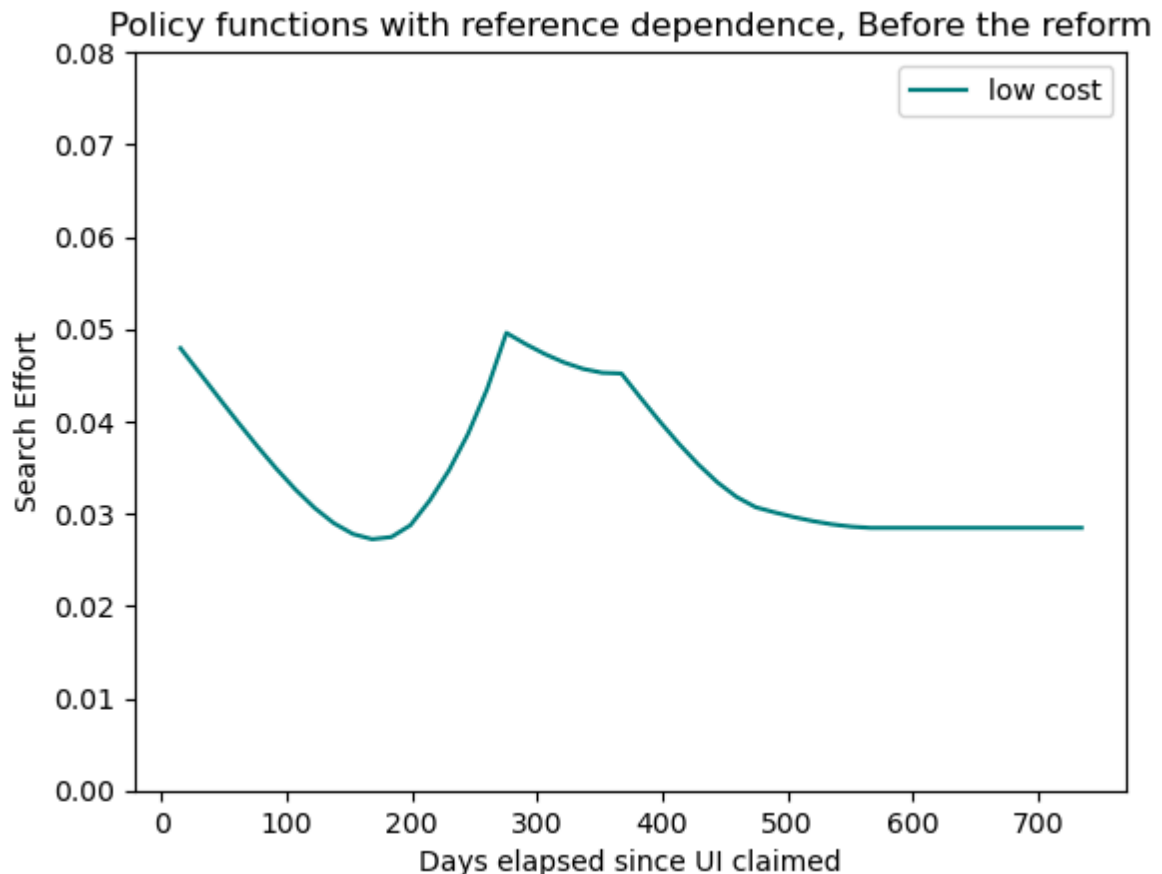
Optimization Results:

Parameter	Estimate	Std. Error
delta	0.867	0.000
gamma	0.799	0.000
lambdaa	4.665	0.013
N	13.834	nan
cost1	302.578	0.434
Objective:	0.2672	
Number of iterations:	16	

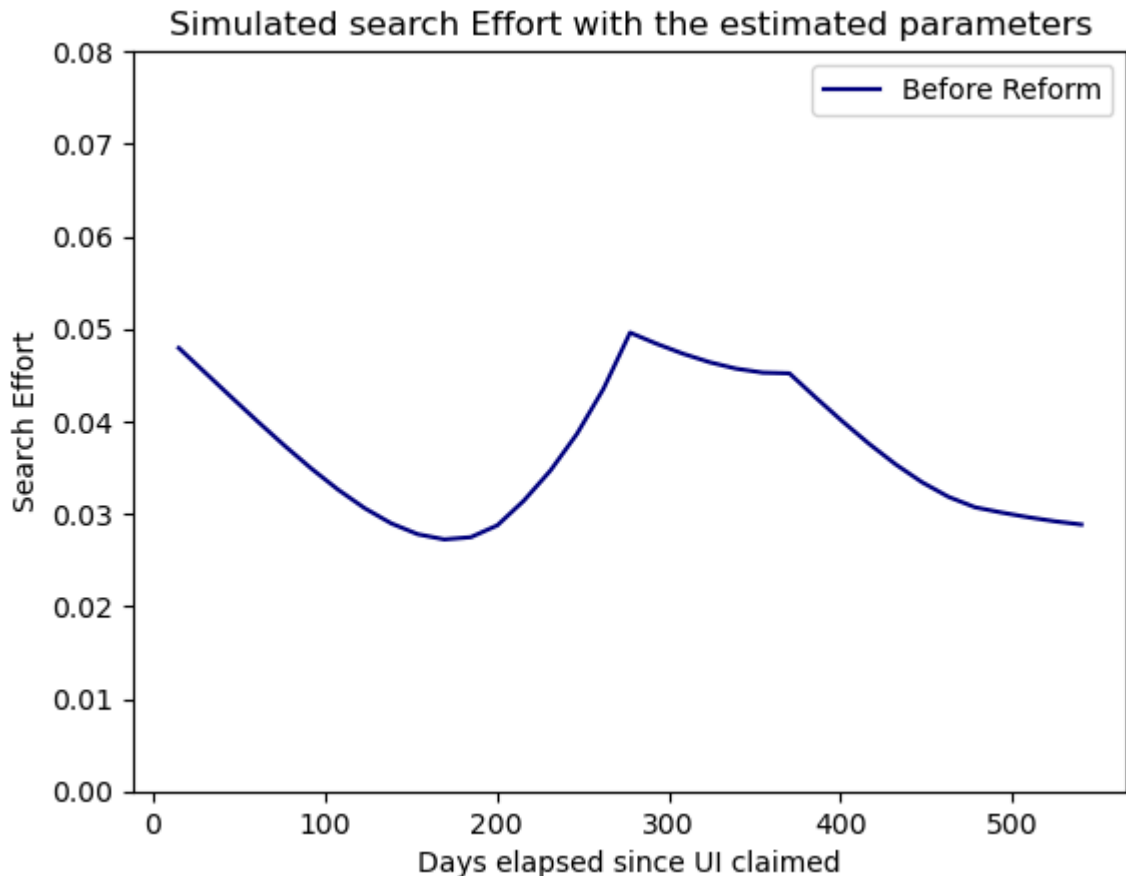
C:\Users\rasmu\AppData\Local\Temp\ipykernel_12552\3391549759.py:19: DeprecationWarning: Conversion of an array with ndim > 0 to a scalar is deprecated, and will error in future. Ensure you extract a single element from your array before performing this operation. (Deprecated NumPy 1.25.)

```
variance[i] = gwg_inv @ middle_term @ gwg_inv
```

```
In [ ]: # Plot policy functions
search_effort_reference = solve_search_effort_HTM(model.par)
time = np.linspace(0, model.par.T, model.par.T)
plt.plot((time+1)*15, search_effort_reference[0,:], label = 'low cost', color='t
# plt.plot((time+1)*15, search_effort[1,:], label = 'medium cost', color='orange
# plt.plot(time, search_effort[2,:], label = 'high' )
# plt.text(0.5, 0.96, '(Note that high cost is 0)', horizontalalignment='center',
plt.xlabel('Days elapsed since UI claimed')
plt.ylabel('Search Effort')
plt.title('Policy functions with reference dependence, Before the reform')
plt.legend()
plt.ylim(0.0, 0.08)
plt.show()
```



```
In [ ]: # Policy function before reform
search_reference_beforeReform = sim_search_effort_HTM(model.par)
time = np.linspace(0, model.par.T_sim, model.par.T_sim)
plt.plot((time+1)*15, search_reference_beforeReform, color='navy', label='Before')
plt.xlabel('Days elapsed since UI claimed')
plt.ylabel('Search Effort')
plt.title('Simulated search Effort with the estimated parameters')
plt.ylim(0.0, 0.08)
plt.legend()
plt.show()
```



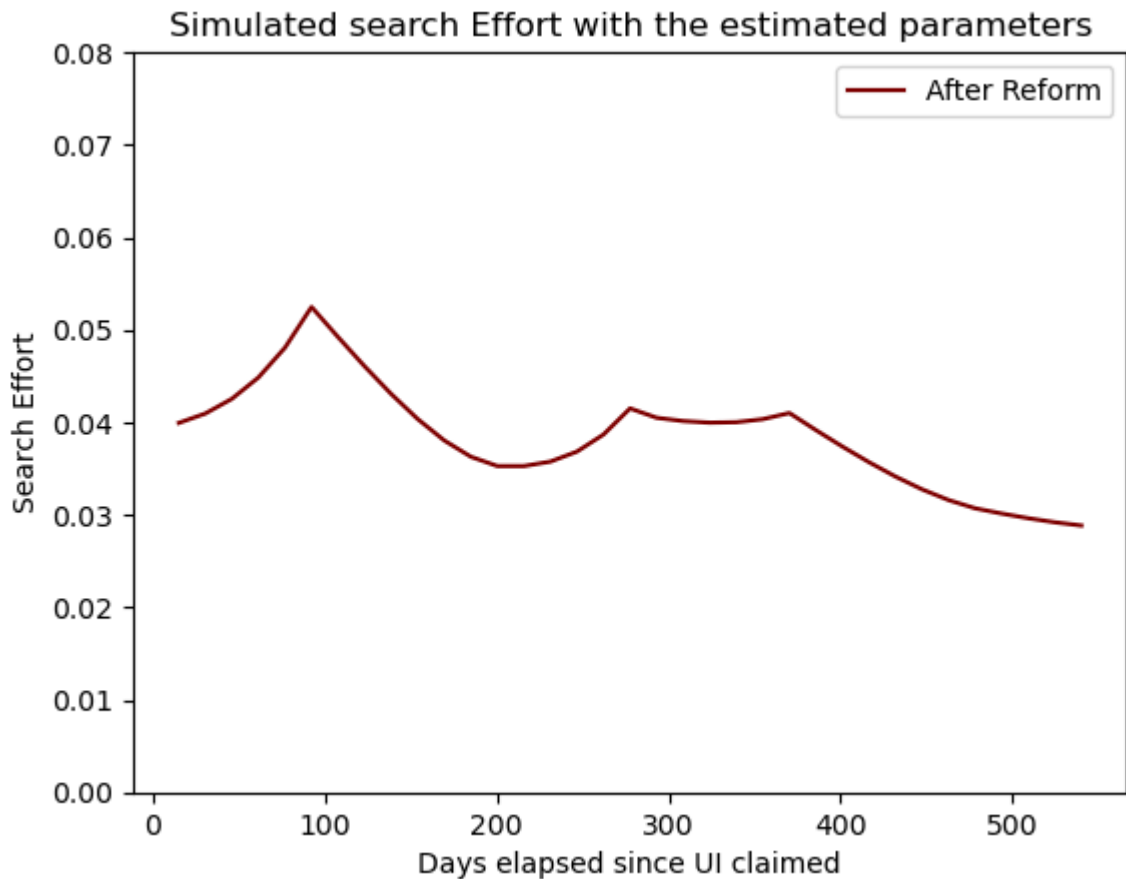
```
In [ ]: # Policy function after reform
model_afterReform = deepcopy(model)
model_afterReform.par.b1 = 342.0/675.0 # Value after reform
model_afterReform.par.b2 = 171.0/675.0 # Value after reform

model_afterReform.allocate()
search_reference_afterReform = model_afterReform.solve()

# true_data_outofsample = model.data.moments_after
# true_data_insample = model.data.moments_before
# mse_eta1_outofsample = np.mean((true_data_outofsample - s_forecast)**2)
# mse_eta1_insample = np.mean((true_data_insample - sim)**2)

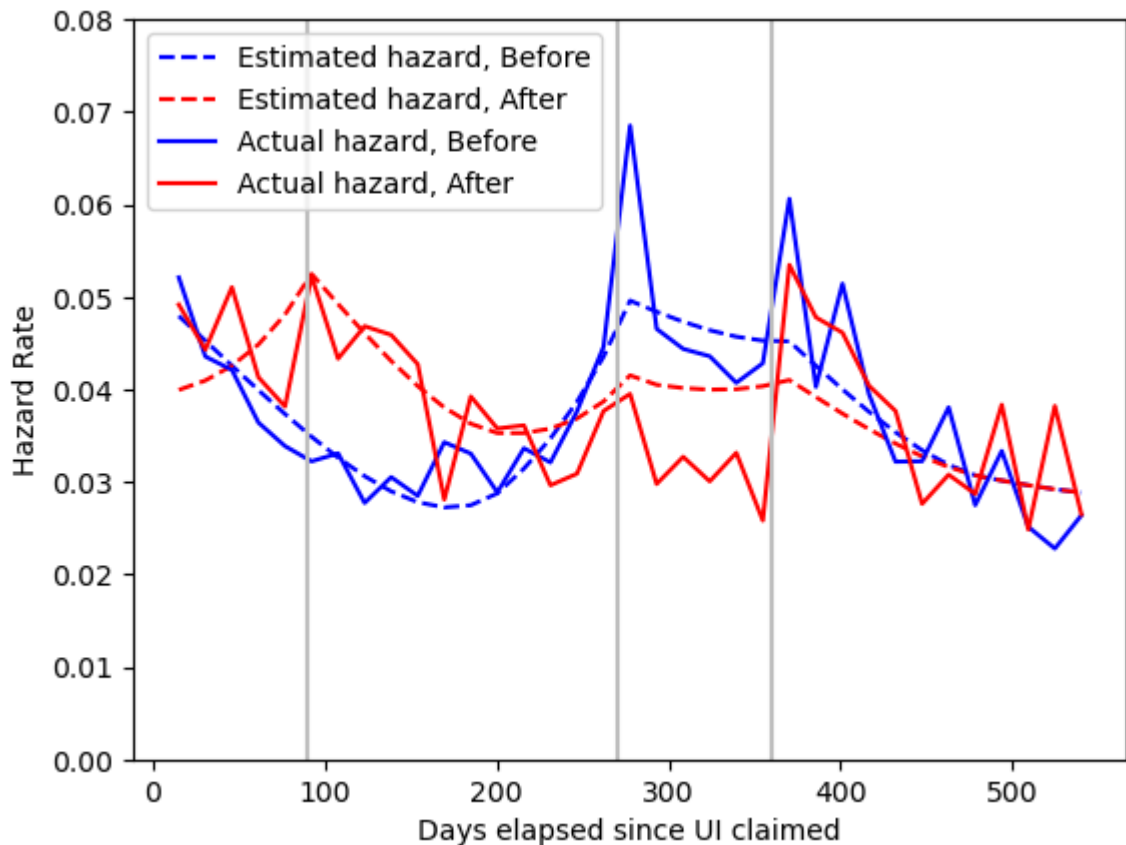
# Now plotting s_forecast
time = np.linspace(0, model.par.T_sim, model.par.T_sim)
plt.plot((time+1)*15, search_reference_afterReform, label='After Reform', color='red')
plt.xlabel('Days elapsed since UI claimed')
plt.ylabel('Search Effort')
plt.title('Simulated search Effort with the estimated parameters')
plt.legend()
```

```
plt.ylim(0.0, 0.08)
plt.show()
```



```
In [ ]: #Replicating figure 7(b) from the paper
after = model_standard.data.moments_after
before = model_standard.data.moments_before

time = np.linspace(0, model.par.T_sim, model.par.T_sim)
plt.plot((time+1)*15, search_reference_beforeReform, color='Blue', label='Estima
plt.plot((time+1)*15, search_reference_afterReform, label='Estimated hazard, Aft
plt.plot((time+1)*15, before, label='Actual hazard, Before', color='Blue')
plt.plot((time+1)*15, after, label='Actual hazard, After', color='Red')
plt.xlabel('Days elapsed since UI claimed')
plt.ylabel('Hazard Rate')
# plt.title('Real and estimated hazard rates of the reference denpendence model'
plt.axvline(x=90, color='silver')
plt.axvline(x=270, color='silver')
plt.axvline(x=360, color='silver')
plt.legend()
plt.ylim(0.0, 0.08)
plt.show()
```

Model with **NO** reference dependence (standard model)

```
In [ ]: # Setup
model_standard.par.eta = 0.0      # Removes reference dependence
model_standard.par.types = 3     # Allow for heterogeneity
model_standard.allocate()

# Estimation setup
est_par = ['delta', 'gamma', 'cost1', 'cost2', 'cost3', 'type_shares1', 'type_shares2']
theta0 = [0.9, 0.9, 84, 242, 310, 0.4, 0] # Initial guesses
bounds = [(0.5, 1.0), (0.001, 50.0), (0.0, 100), (30, 300), (300, 1000), (0, 0.9), (0, 0.9)]

# Random starting values
model.par.noOfParams = len(est_par)
model.par.noSearchInits = 800
np.random.seed(180615)

est_best = np.inf

for i in range(model.par.noSearchInits):

    theta0 = [np.random.uniform(model.par.lb_delta, model.par.ub_delta),
               np.random.uniform(model.par.lb_gamma, model.par.ub_gamma),
               np.random.uniform(model.par.lb_lsc, model.par.ub_lsc),
               np.random.uniform(model.par.lb_msc, model.par.ub_msc),
               np.random.uniform(model.par.lb_hsc, model.par.ub_hsc),
               np.random.uniform(model.par.lb_share, model.par.ub_share),
               np.random.uniform(model.par.lb_share, model.par.ub_share)]
```

```

try:
    # Perform the method of simulated moments
    est = method_simulated_moments(model_standard, est_par, theta0, bounds,

    # Check if the current estimate is better than the best estimate
    if est.fun < est_best:
        est_best = est.fun
        par = est.x
        nit = est.nit
        obj_standard = est_best

except Exception as e:
    # Print the exception message and continue with the next iteration
    print(f"Iteration {i} failed with error: {e}")
    continue

print("Optimization Results:")
print("-----")
print(f'{"Parameter":<15} {"Estimate":<15}')
for param, estimate in zip(est_par, par):
    print(f'{param:<15} {estimate:>15.3f}')
print(f'Objective:                {est_best:.4f}')
print(f'Number of iterations:      {nit}')

```

```

d:\OneDrive\KU - Økonomi\Dynamic Programming\Term_Paper\Dynamic-programming-proje
ct\Funcs.py:65: RuntimeWarning: overflow encountered in scalar power
    inv_c_marg[1] = (s/par.cost2)**(1/par.gamma)
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ct\Funcs.py:64: RuntimeWarning: overflow encountered in scalar power
    inv_c_marg[0] = (s/par.cost1)**(1/par.gamma)
d:\OneDrive\KU - Økonomi\Dynamic Programming\Term_Paper\Dynamic-programming-proje
ct\Funcs.py:64: RuntimeWarning: divide by zero encountered in scalar divide
    inv_c_marg[0] = (s/par.cost1)**(1/par.gamma)
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ct\Funcs.py:45: RuntimeWarning: invalid value encountered in scalar multiply
    c[0] = par.cost1*s**(1+par.gamma)/(1+par.gamma)
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ct\solve_hand_to_mouth.py:65: RuntimeWarning: invalid value encountered in scalar
multiply
    V_u[i,t] = utility(par,income,r) - cost(par,s[i,t])[i] + par.delta * (s[i,t] *
V_e_next+(1-s[i,t])*V_u[i,t+1])

```

Optimization Results:

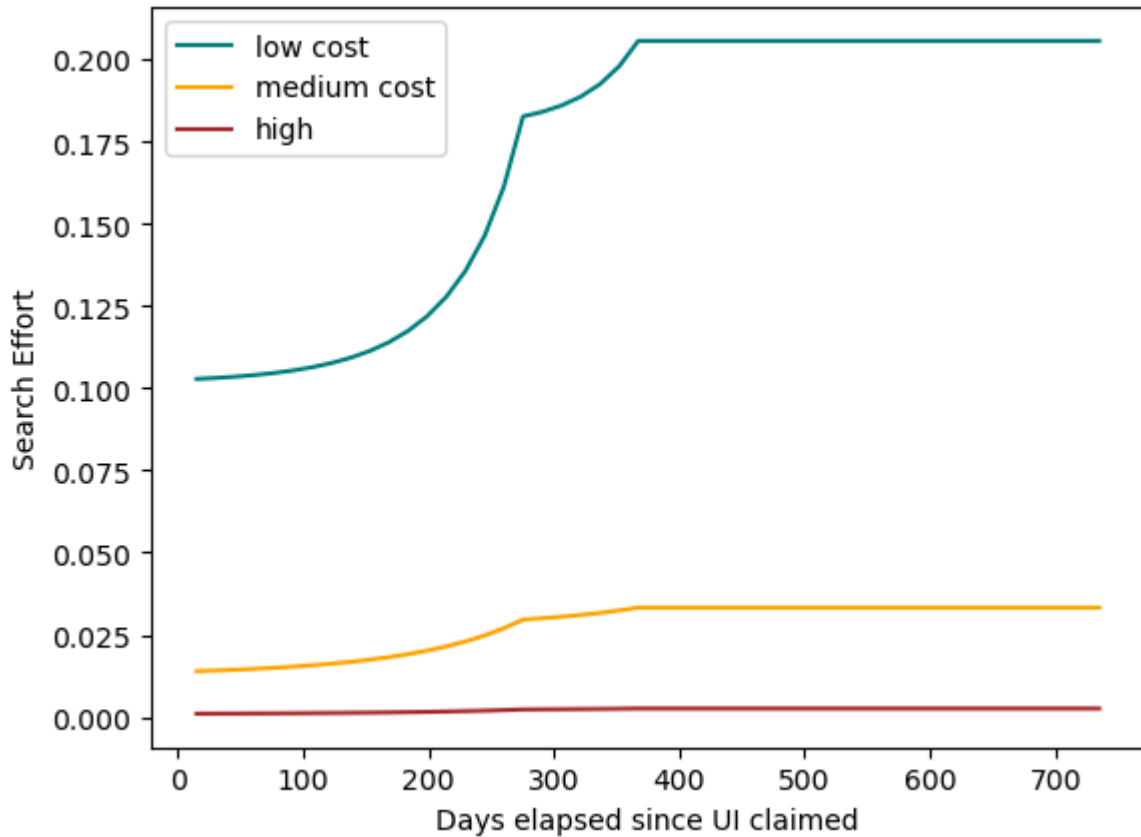
Parameter	Estimate
delta	0.920
gamma	0.331
cost1	21.027
cost2	64.656
cost3	437.976
type_shares1	0.361
type_shares3	0.000
Objective:	0.4069
Number of iterations:	70

```

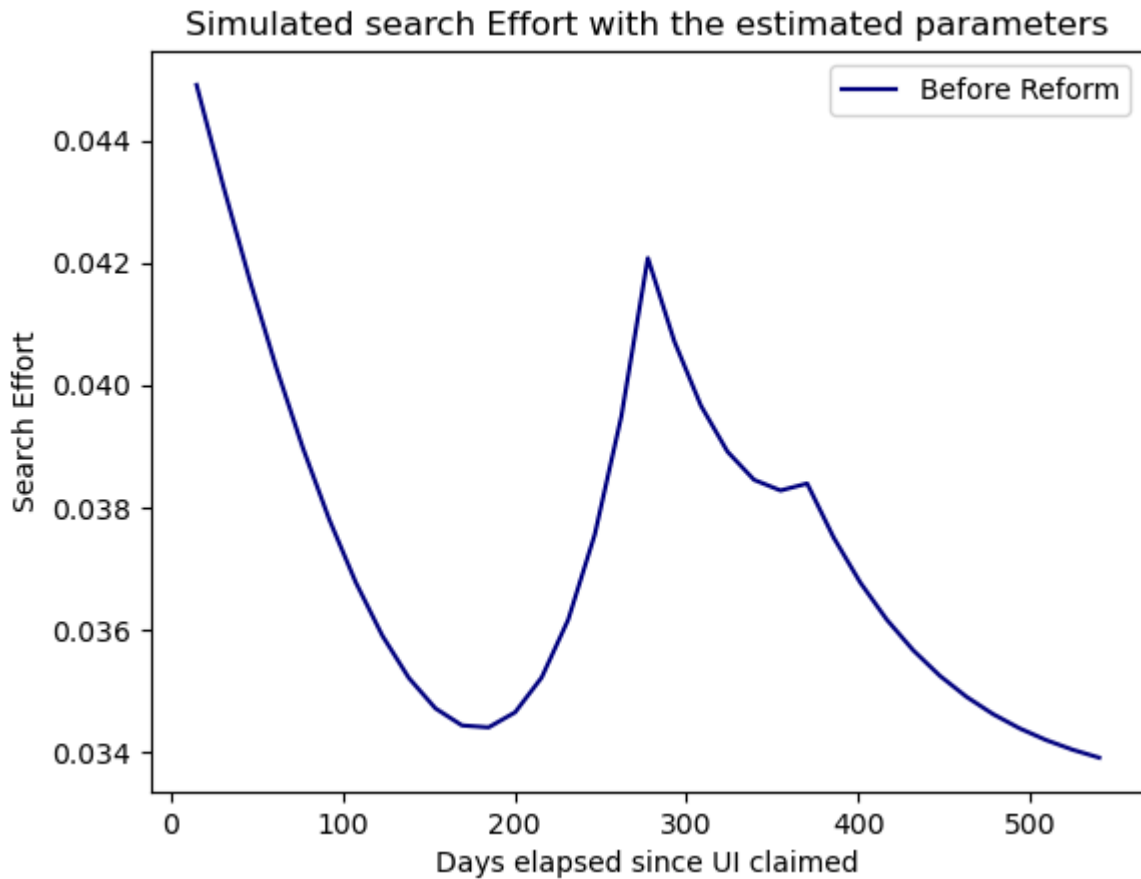
In [ ]: # Plot policy functions
search_effort_standard = solve_search_effort_HTM(model_standard.par)
time = np.linspace(0, model_standard.par.T, model_standard.par.T)
plt.plot((time+1)*15, search_effort_standard[0,:], label = 'low cost', color='te

```

```
plt.plot((time+1)*15, search_effort_standard[1,:], label = 'medium cost', color=
plt.plot((time+1)*15, search_effort_standard[2,:], label = 'high', color='brown'
plt.xlabel('Days elapsed since UI claimed')
plt.ylabel('Search Effort')
# plt.title('Policy functions standard model, After the reform')
plt.legend()
plt.show()
```



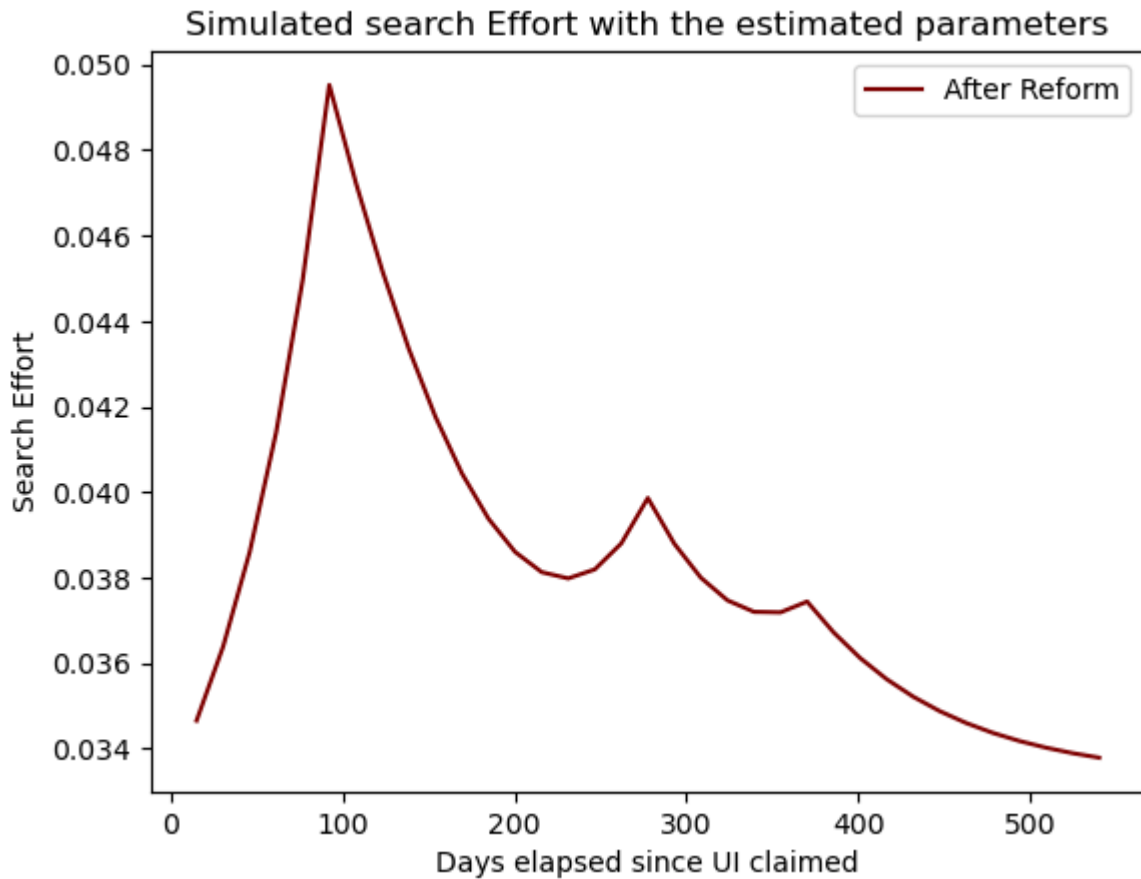
```
In [ ]: # Policy function before reform
model_standard.par.b1 = 222/675*model_standard.par.w # High transfers
model_standard.par.b2 = model_standard.par.b1 # Medium transfers
model_standard.allocate()
search_standard_beforeReform = sim_search_effort_HTM(model_standard.par)
time = np.linspace(0, model_standard.par.T_sim, model_standard.par.T_sim)
plt.plot((time+1)*15, search_standard_beforeReform, label='Before Reform', color=
plt.xlabel('Days elapsed since UI claimed')
plt.ylabel('Search Effort')
plt.title('Simulated search Effort with the estimated parameters')
plt.legend()
# plt.ylim(0.0, 0.08)
plt.show()
```



```
In [ ]: # Policy function after reform
model_standard.par.b1 = 342.0/675.0      # Value after reform
model_standard.par.b2 = 171.0/675.0      # Value after reform

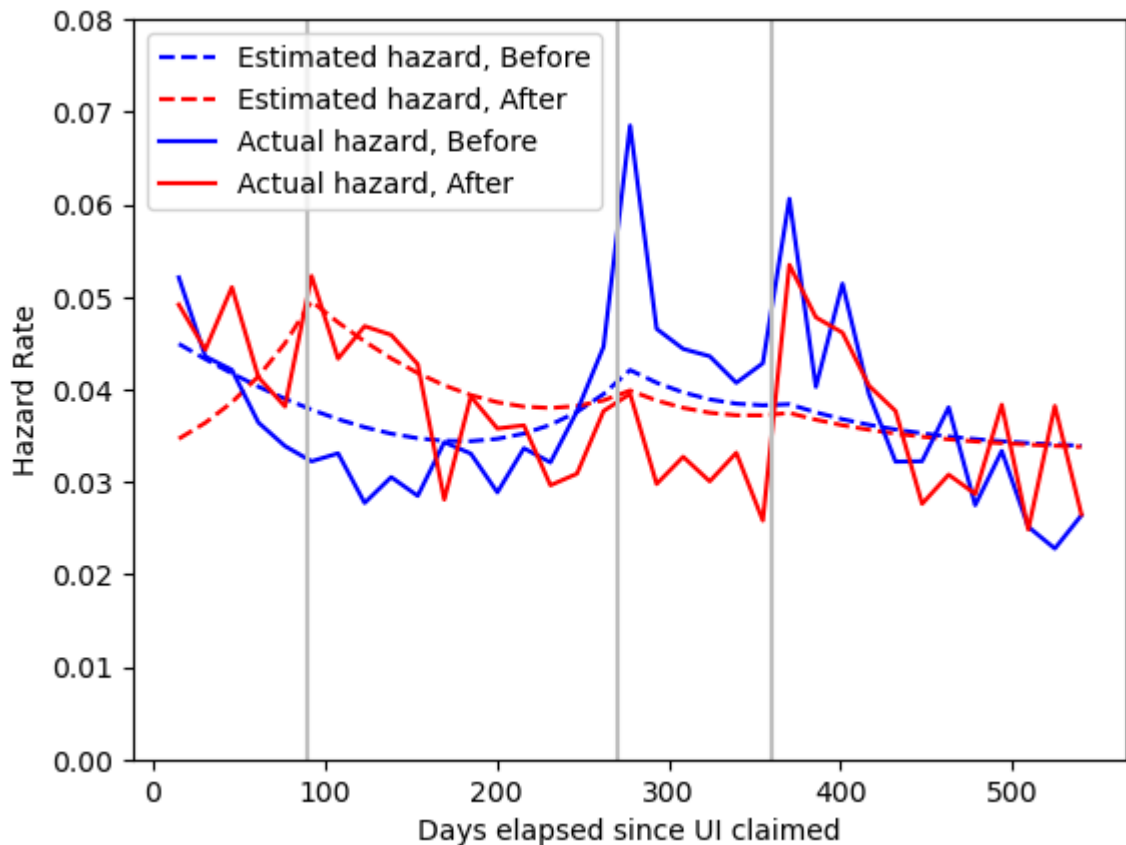
model_standard.allocate()
search_standard_afterReform = sim_search_effort_HTM(model_standard.par)

# Now plotting s_forecast
time = np.linspace(0, model_standard.par.T_sim, model_standard.par.T_sim)
plt.plot((time+1)*15, search_standard_afterReform, label='After Reform', color='red')
plt.xlabel('Days elapsed since UI claimed')
plt.ylabel('Search Effort')
plt.title('Simulated search Effort with the estimated parameters')
plt.legend()
# plt.ylim(0.0, 0.08)
plt.show()
```



```
In [ ]: #Replicating figure 7(a) from the paper

time = np.linspace(0, model_standard.par.T_sim, model_standard.par.T_sim)
plt.plot((time+1)*15, search_standard_beforeReform, color='Blue', label='Estimated hazard, Before')
plt.plot((time+1)*15, search_standard_afterReform, label='Estimated hazard, After', color='Red')
plt.plot((time+1)*15, before, label='Actual hazard, Before', color='Blue')
plt.plot((time+1)*15, after, label='Actual hazard, After', color='Red')
plt.xlabel('Days elapsed since UI claimed')
plt.ylabel('Hazard Rate')
# plt.title('Real and estimated hazard rates of the standard model')
plt.axvline(x=90, color='silver')
plt.axvline(x=270, color='silver')
plt.axvline(x=360, color='silver')
plt.legend()
plt.ylim(0.0, 0.08)
plt.show()
```



Comparison of the standard model and reference dependence

Through the Mean Square Error

```
In [ ]: # true_data_afterReform = model_standard.data.moments_after
# true_data_beforeReform = model_standard.data.moments_before

# # Get the mean square errors
# mse_standard_afterReform = np.mean((true_data_afterReform - search_standard_af
# mse_standard_beforeReform = np.mean((true_data_beforeReform - search_standard_

# # Comparison after reform
# comparison1 = "smaller" if mse_reference_afterReform < mse_standard_afterReform
# comparison2 = "WITH reference dependence" if mse_reference_afterReform < mse_s

# # Comparison before reform
# comparison3 = "smaller" if mse_reference_beforeReform < mse_standard_beforeRef
# comparison4 = "WITH reference dependence" if mse_reference_beforeReform < mse_

# print("Before the reform: ")
# print("-" * 100)
# print(f"The mean square error from the model \033[1mwith\033[0m reference depe
# print(f"The mean square error from the model \033[1mwithout\033[0m reference d
# print(f"The mean square error for the model \033[1mwith\033[0m reference depen
# print(f"Best model: \033[1m{comparison4}\033[0m.")
# print("-" * 100)
```

```
# print("After the reform:")
# print("-" * 100)
# print(f"The mean square error from the model \033[1mwith\033[0m reference depe
# print(f"The mean square error from the model \033[1mwithout\033[0m reference de
# print(f"The mean square error for the model \033[1mwith\033[0m reference depe
# print(f"Best model: \033[1m{comparison2}\033[0m.")
# print("-" * 100)
```

Through objective function

```
In [ ]: # Comparison
comparison1 = "Reference Dependent Model" if obj_ref < obj_standard else "Stand

print("Comparison: ")
print("-" * 100)
print(f"The objective function from the model \033[1mwith\033[0m reference depe
print(f"The objective function from the model \033[1mwithout\033[0m reference de
print(f"Best model: \033[1m{comparison1}\033[0m.")
print("-" * 100)
```

Comparison:

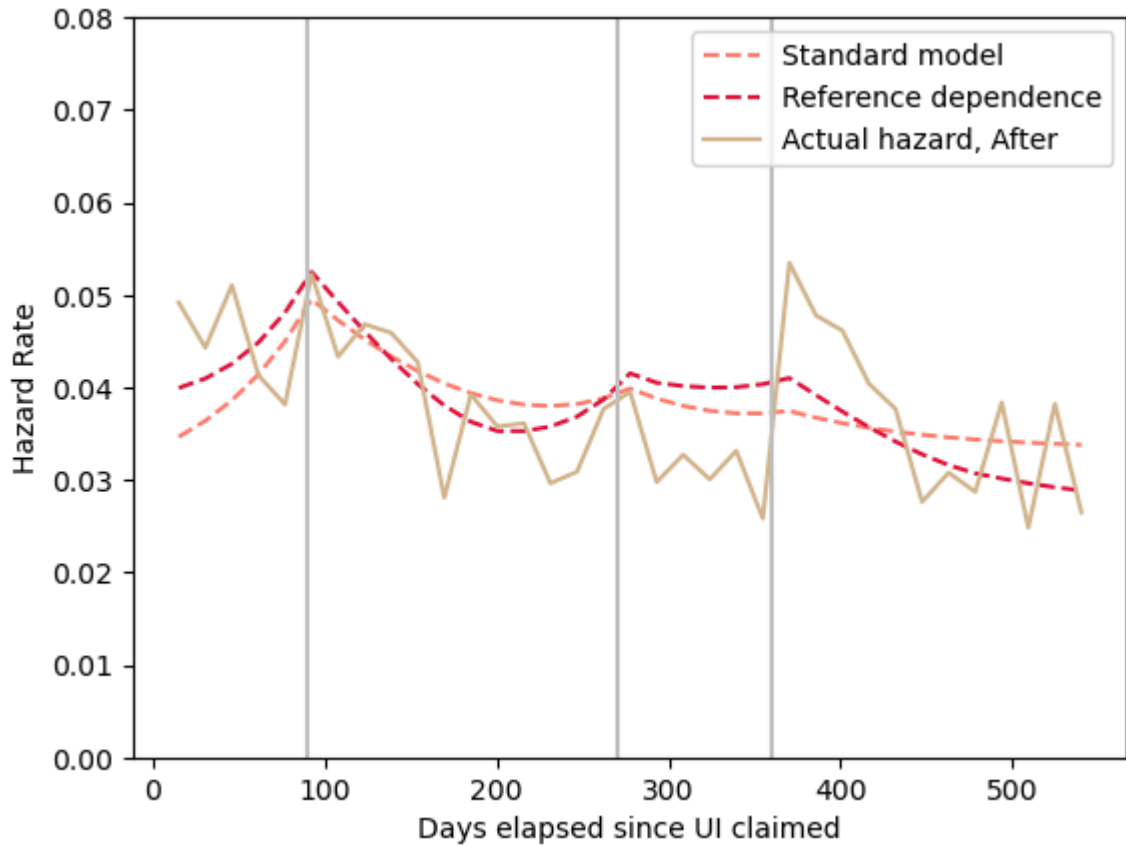
 The objective function from the model **with** reference dependence is 0.267209751457
 61594

The objective function from the model **without** reference dependence is 0.406907198
 794624

Best model: **Reference Dependent Model.**

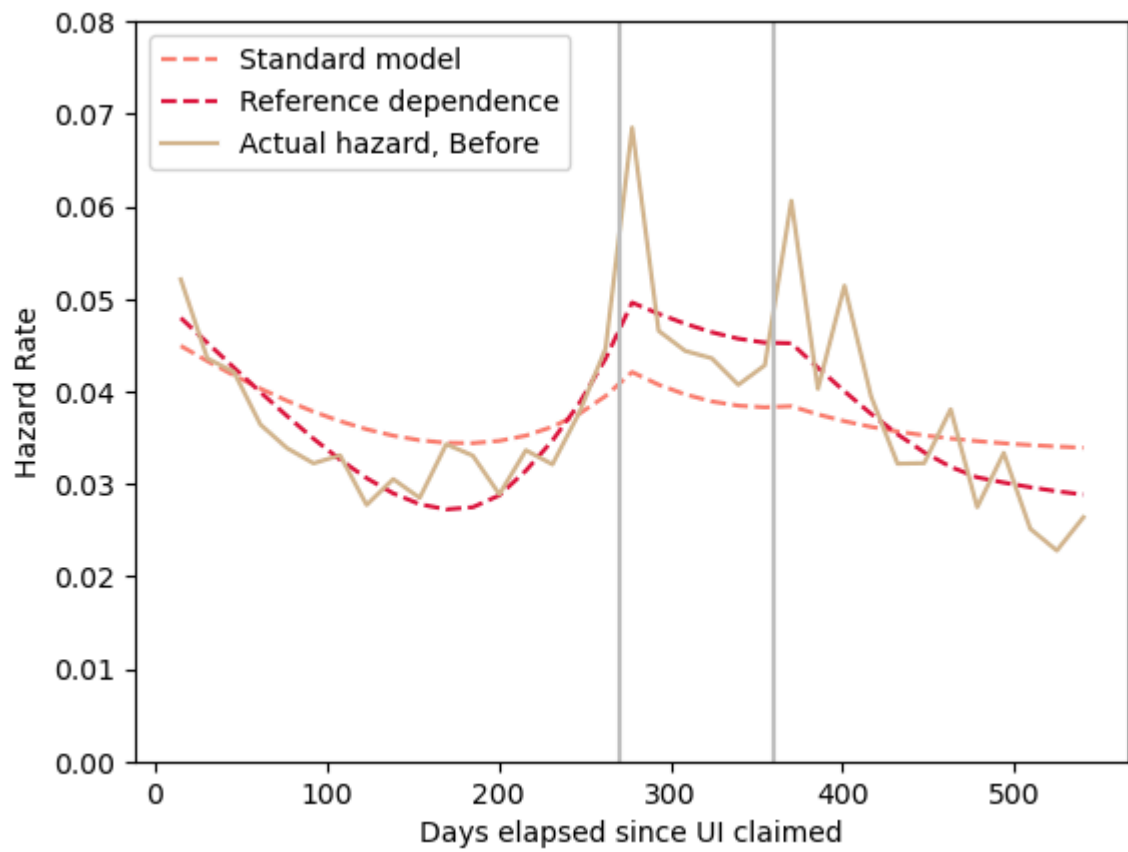
```
In [ ]: after = model_standard.data.moments_after

time = np.linspace(0, model_standard.par.T_sim, model_standard.par.T_sim) #
plt.plot((time+1)*15, search_standard_afterReform, label='Standard model', color
plt.plot((time+1)*15, search_reference_afterReform, label='Reference dependence'
plt.plot((time+1)*15, after, label='Actual hazard, After', color='tan')
# Make a vertical line at 90, 270 and 360
plt.axvline(x=90, color='silver')
plt.axvline(x=270, color='silver')
plt.axvline(x=360, color='silver')
plt.xlabel('Days elapsed since UI claimed')
plt.ylabel('Hazard Rate')
plt.legend()
# plt.title('Real and estimated hazard rates before the reform')
plt.ylim(0.0, 0.08)
plt.show()
```



```
In [ ]: before = model_standard.data.moments_before

time = np.linspace(0, model_standard.par.T_sim, model_standard.par.T_sim) #
plt.plot((time+1)*15, search_standard_beforeReform, label='Standard model', color='red')
plt.plot((time+1)*15, search_reference_beforeReform, label='Reference dependence', color='red')
plt.plot((time+1)*15, before, label='Actual hazard, Before', color='tan')
plt.axvline(x=270, color='silver')
plt.axvline(x=360, color='silver')
plt.xlabel('Days elapsed since UI claimed')
plt.ylabel('Hazard Rate')
plt.legend()
# plt.title('Real and estimated hazard rates before the reform')
plt.ylim(0.0, 0.08)
plt.show()
```

In []: