# Networks Notes-26 September

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- Medium Access Protocols(MACs)
  - Random Access Protocols
    - \* 1)Slotted Aloha
    - \* 2)PURE Aloha
    - \* 3)CSMA/CD

## 1. Slotted Aloha (RECAP)

- Time line is to be split into fixed duration slots (Synchronization). Let that fixed duration be T.
- Assume N nodes attached to same material medium.
- Nodes can transmit frames only at the beginning of a slot.
- If collision detected then (after transmitting the entire frame) continue to re transmit the subsequent slots (beginning) each time with probability p, untill the frame is transmitted successfully without collision.
- Efficiency(E) of slotted Aloha- under assumption that at beginning of each slot all n nodes are transmiting with probability p. E=1/e=0.37

#### 2. Pure Aloha

- Assume n nodes present in system.
- Now, nodes are allowed to transmit at any time (affects permormance though)
- fix a slot of duration T (again sufficiently big enough for complete transmission to all other nodes).
- Let a node begin transmission at time  $t = t_0$ .
- If collision detected, then (after finished transmitting), continue to re transmit at intervals (T)-  $t_0 + T$ ,  $t_0 + 2T$ ,  $t_0 + 3T$ .... each with probability p until the frame gets transmitted successfully without collision.

- Solves the problem of needing synchronization as here nodes can transmit at any time and not only at the beginning of a slot.
- then, for T=1 unit, n being the number of nodes and p being the probability as defined above, and keeping n constant, the probability that a node transmits successfully, or

$$\phi(n,p) = n(1-p)^{n-1}p(1-p)^{n-1}$$

$$\phi(n,p) = np(1-p)^{2(n-1)}$$

• Now, to find efficiency(E), maximizing for p (assuming n is large)  $\log \phi(n) = \log n + \log p + 2(n-1)\log(1-p)$ 

$$\frac{d \log \phi(n)}{dp} = 0 + 1/p - \frac{2(n-1)}{1-p}$$

differentiating w.r.t p  $\frac{d \log \phi(n)}{dp} = 0 + 1/p - \frac{2(n-1)}{1-p}$ to maximimize we have  $\frac{d \log \phi(n)}{dp} = 0$ 

$$\rightarrow \frac{2(n-1)}{1-p} = 1/p$$

$$\rightarrow \frac{1-p}{p} = 2(n-1)$$

$$p$$

$$\rightarrow 1/p - 1 = 2(n - 1)$$

$$\rightarrow 1/p = 2n - 1$$

$$\rightarrow p = \frac{1}{2n - 1}$$
so, we have

$$\rightarrow 1/p = 2n - 1$$

$$\rightarrow p = \frac{1}{2n}$$

so, we have 
$$\phi(n,p=1/2n-1)=n*\frac{1}{2n-1}*(1-\frac{1}{2n-1})^{2(n-1)}$$
 
$$\approx \frac{1}{2}*(1-\frac{1}{2n-1})^{2(n-1)}$$

$$\approx \frac{1}{2} * (1 - \frac{1}{2n-1})^{2(n-1)}$$

$$\approx \frac{1}{2e} \approx 0.185$$

We see a reduction in efficiency from slotted Aloha as here E=0.185

#### 3. CSMA/CD(tries to solve the problems of Aloha)

- Two important features of CSMA/CD are-
  - Listen before you begin transmission, basically check is any other node is transmitting (Carrier Sensing).
  - While transmitting, if some other node begins transmitting, then stop/abort your transmission (Collision detection)
- Again, assumed n nodes are present in the system
- Assume a node has a frame to transmit
- STEP 1
  - it starts sensing the medium until it finds that there is no transmission happening in the medium (no transmission energy is detected)

- from this point, it continues to moniter for the next t seconds that there is no transmission taking place.
- it begins transmitting the frame.

#### • STEP 2

- if a collision is detected, abort/stop transmitting immediately and transmit a jamming signal
- The jamming signal could be a 50 bit signal which causes a fluctuation of energy so that all other nodes know that there was a collision in the medium

# • STEP 3

- pick a  $k \in \{0, 1, 2, \dots 2^{m-1}\}$  uniformly at random (like a coin toss), where m is the count of the latest collision
- wait for  $k.t_2$  seconds and go to step 1
- after 10 collisions we pick  $k \in \{0, 1, 2, ... 2^{n-1}\}$  again uniformly at random, where  $n = min\{m, 10\}$
- This is called Exponential Backoff

- Efficiency(E) of CSMA/CD
$$E = \frac{1}{1 + 5\frac{P_{max}}{T_{max}}}$$
where

 $P_{max}$ : max propagation time between any two nodes (out of n)

 $T_{max}$ :Transmission time of a maximum size frame

Efficiency is max when-

 $P_{max}$  is very low, which means that the network is close ranged in general or

 $T_{max}$  is very high, which means that one frame is transmitting frames one after another and hoarding the medium.

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