#### Generative Adversarial Networks

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"A wise enemy is better than a foolish friend" - Unknown

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  - We can tell which data is more likely something that can be very useful in speech recognition
  - Of course, learning compact representations remains an attractive reason

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 GANs are an implicit generative model in the sense that a GAN produces samples that confirms to the distribution from which the original data came from. Explicit generative models on the other hand attempt to estimate the actual distribution

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- So, GANs also train a discriminator network that tries to tell if the data came from the training set (true data) or whether it was generated from the generator network
- So, the discriminator network produces D(x) the probability that x is real

 So, the generator tries to produce something that is realistic enough to fool the discriminator and the discriminator tries to catch the generator. We can thus define a loss function as,

$$J_D = E_{x \sim D}[-\log D(x)] + E_z[-\log(1 - D(G(z)))]$$
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  easily tell the real from fake. If the cross-entropy is high, it means the
  discriminator is not able to tell them apart
- So, for the generator the obvious cost function is to maximize the discriminator's cross-entropy, i.e.,

$$J_G = -J_D = \text{const} + E_z[\log(1 - D(G(z)))]$$
 (2)

Since the generator has no control over the first term, it is just a constant

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- The discriminator and the generator are trained jointly on their respective cost-functions using back-propagation

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- We thus often use the modified cost function for the generator given by,

$$J_G = E_z[-\log D(G(z))] \tag{4}$$

### **GAN** Examples

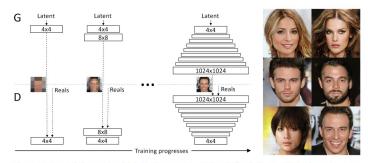


Figure 1: Our training starts with both the generator (G) and discriminator (D) having a low spatial resolution of  $4\times4$  pixels. As the training advances, we incrementally add layers to G and D, thus increasing the spatial resolution of the generated images. All existing layers remain trainable throughout the process. Here  $\boxed{N\times N}$  refers to convolutional layers operating on  $N\times N$  spatial resolution. This allows stable synthesis in high resolutions and also speeds up training considerably. One the right we show six example images generated using progressive growing at  $1024\times1024$ .

From Karras et al., 2017

#### Demo

https://poloclub.github.io/ganlab/