SOURCE CODE (a)

```
#include <iostream>
#include <cstring>
using namespace std;
bool primes[1001]; // array will store all the prime numbers from 0 to 1000. Primes will be marked as true
// seive of eratosthenes to find all primes les sthan 1000
void primeSieve()
{
  // initialize all entries of 'primes' as true
  memset(primes, true, sizeof(primes));
  // traverse all numbers and mark their multiples as false
  // do not traverse false numbers
  for (int p = 2; p * p < 1001; p++)
  {
     if (primes[p])
     {
       for (int i = p * 2; i < 1001; i = i + p)
          primes[i] = false;
     }
  }
}
// function to return true if number is sphenic
bool isSphenic(int number)
{
  int arr1[8] = \{0\}; // array to store 8 divisors
  int count = 0; // track the number of divisors
  int j = 0;
  for (int i = 1; i \le number; i++)
     if (number % i == 0 \&\& count < 9)
     {
       count++;
       arr1[j++] = i;
     }
  }
```

```
// if there are 8 divisors and the divisors are primes, the number is sphenic
  if (count == 8 \&\& (primes[arr1[1]] \&\& primes[arr1[2]] \&\& primes[arr1[3]]))
     return true;
  return false:
}
// main function
int main()
  int n;
  cout << "Enter n : ";</pre>
  cin >> n;
  // generate all prime numbers
  primeSieve();
  cout << "The sphenic numbers between 1 and " << n << " are:\n";
  for (int i = 1; i \le n; i++)
     if(isSphenic(i))
       cout << i << "\n";
  }
}
```

OUTPUT

```
PS D:\projects and code\c++\chegg> g++ .\main.cpp
PS D:\projects and code\c++\chegg> ./a
Enter n : 50
The sphenic numbers between 1 and 50 are:
30
PS D:\projects and code\c++\chegg>
```

PSEUDOCODE (b)

```
    array = {12, 13, 11, 9, 21, 45}
    max = -99
    temp = 0
    for i from 0 to array.length
    findMax(temp, array[i])
    if(max < temp)</li>
    max = temp
    print("Max number is ", max)
```

SOURCE CODE (b)

#include <iostream>

```
// function definition completed
void findMax(int &max, int a)
{
  if(a > max)
    max = a;
}
// implementing the pseudocode
int main()
{
  int array[6] = \{12, 13, 11, 9, 21, 45\};
  int max = -999;
  int temp;
  for (int i = 0; i < 6; i++)
    findMax(temp, array[i]);
    if(max < temp)
      max = temp;
  }
  // print the output
  cout << "The max from the given sequence is: " << max;
  return 0;
}
OUTPUT
PS D:\projects and code\c++\chegg> g++ .\main.cpp
PS D:\projects and code\c++\chegg> ./a
The max from the given sequence is: 45
```

COMPLEXITY

using namespace std;

The complexity will be O(n) where n is the length of the sequence. This is because the **findMax()** function takes constant time, and traversing the sequence and finding the max form there takes n iterations, n is the size of the squence.

PSEUDOCODE (c)

```
    sum = 1
    for i from 2 to root(n)
    if(number % i == 0)
    if(i * i != number)
    sum += (i + number/i)
    else
    sum += i
    if(sum == number)
    print("Number is perfect")
```

PS D:\projects and code\c++\chegg>

SOURCE CODE TO FIND PERFECT NUMBERS FROM I TO N

```
#include <iostream>
using namespace std;
// sets flag to true if number is perfect
void isPerfect(int number, bool &flag)
{
  flag = false;
  int sum = 1;
  // Find all divisors of number
  for (int i = 2; i * i \le number; i++)
  {
     if (number % i == 0)
     {
       if (i * i != number)
          sum = sum + i + number / i;
       else
          sum = sum + i;
     }
  }
  // If sum is equal to number, set flag as true
  if (sum == number && number != 1)
     flag = true;
}
// Driver program
int main()
{
  int n;
  cout << "Enter n: ";</pre>
  cin >> n;
  cout << "Below are all perfect numbers from 1 till " << n << "\n";
  for (int i = 1; i \le n; i++)
  {
     bool flag = false;
     isPerfect(i, flag);
     if (flag)
       cout << i << "\n";
  }
```

```
return 0;
}
```

OUTPUT

```
PS D:\projects and code\c++\chegg> g++ .\main.cpp
PS D:\projects and code\c++\chegg> ./a
Enter n: 100
Below are all perfect numbers from 1 till 100
6
28
PS D:\projects and code\c++\chegg>
```

COMPLEXITY

In this program, finding the divisors of a number \mathbf{n} takes squareRoot(n) amount of iterations, hence finding if a number is a perfect number or not takes squareRoot(n) time. Finding the first n natural numbers which are perfect numbers hence takes $\mathbf{squareRoot(1)} + \mathbf{squareRoot(2)} + ... + \mathbf{squareRoot(n)}$ amount of time. Upon computation, we find

that it results in
$$\frac{2}{3}$$
. $\left(\ (n-2)\sqrt{n+1} \ - \ 2\sqrt{2} \ \right) \ + \ 1$

Hence, for large values of n, the complexity of this program is O(n*squareRoot(n))