

Financial Wellbeing

Using quantum machine learning to identify people who are in need of financial support.

Qiskit Hackathon: July 2022

Team*: Anthony Hsu (BMM Lab), Ming Chen (CS) , Nitin Yadav (BMM Lab)

Coach: Desiree (IBM) and Charles (Physics)

*Thanks to Udaya for support.

Financial Wellbeing

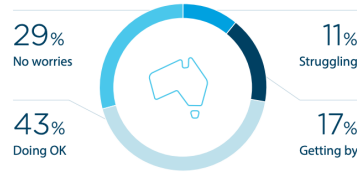
Usefulness and Complexity

FINANCIAL WELLBEING IN AUSTRALIA AT A GLANCE

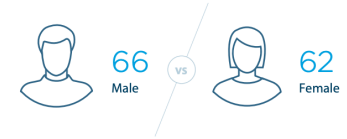
THE FOUR COMPONENTS OF FINANCIAL WELLBEING



FINANCIAL WELLBEING CATEGORIES IN AUSTRALIA

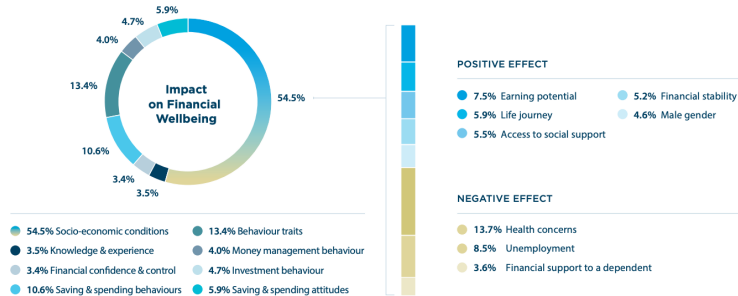


FINANCIAL WELLBEING SCORE (OUT OF 100)



WHAT CAN INFLUENCE FINANCIAL WELLBEING?

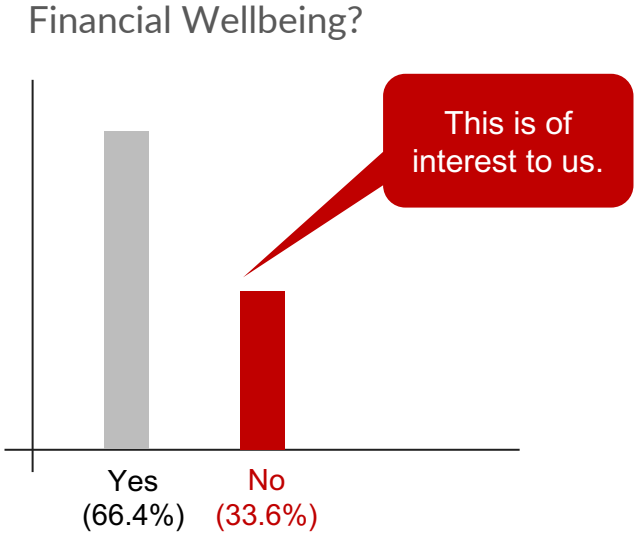
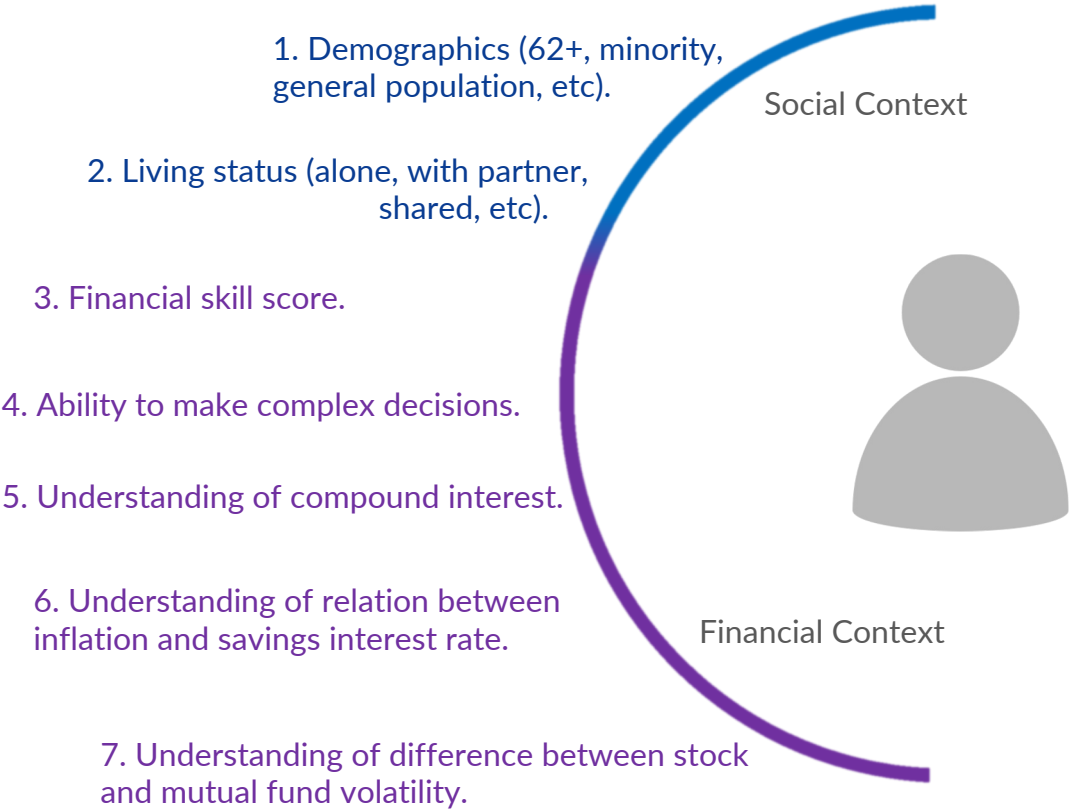
Socio-economic conditions have the largest influence on financial wellbeing



SAVING, SPENDING AND INVESTMENT BEHAVIOURS IMPORTANT FOR FINANCIAL WELLBEING



Classification task on real world data



Data available from consumerfinance.gov

Results: Classical vs Quantum

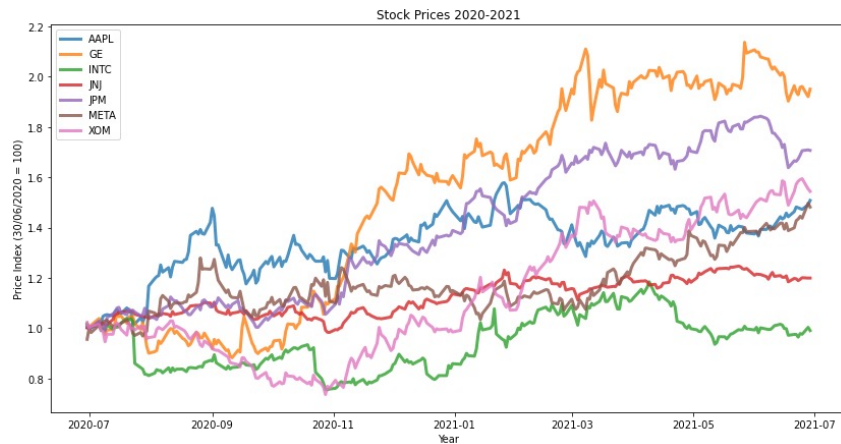
Usefulness and Complexity

	AUC	Precision	Recall	F1-Score	Time(s)
AdaBoost	0.597	0: 0.45 1: 0.73	0: 0.56 1: 0.64	0: 0.50 1: 0.68	0.006
Neural Networks (3 hidden layers)	0.67	0: 0.79 1: 0.75	0: 0.41 1: 0.94	0: 0.54 1: 0.83	0.06
Logit	0.61	0: 0.73 1: 0.71	0: 0.30 1: 0.94	0: 0.42 1: 0.81	0.016
SVM	0.64	0: 0.89 1: 0.72	0: 0.30 1: 0.98	0: 0.44 1: 0.83	0.007
Quantum VQC (ZZFeature, RealAmplitudes)	0.55	0: 0.41 1: 0.69	0: 0.48 1: 0.62	0: 0.44 1: 0.65	912.5
Quantum Kernel (ZZFeature, linear entl.)	0.55	0: 0.50 1: 0.68	0: 0.22 1: 0.88	0: 0.31 1: 0.77	954.4
Quantum Kernel (ZFeature)	0.60	0: 0.56 1: 0.71	0: 0.37 1: 0.84	0: 0.44 1: 0.77	618.2
Quantum Kernel (PauliFeature)	0.48	0: 0.25 1: 0.64	0: 0.07 1: 0.88	0: 0.11 1: 0.74	2144.75

Portfolio optimisation on real world data

Just for fun...

Bonus?



Metrics	Expected Return	Expected Risk	Sharpe Ratio
Equally weighted	55.02%	20.94%	2.46
Classical (scipy, slsqp)	71.44%	23.02%	2.95
VQE	63.3%	21.28%	2.81
QAOA	76.34%	25.25%	2.89

Weights	AAPL	META	XOM	JNJ	JPM	INTC	GE	TSLA
Equally weighted	0.12	0.12	0.12	0.12	0.12	0.12	0.12	0.12
Classical	0.00	0.25	0.00	0.05	0.30	0.24	0.16	0.00
VQE	0.10	0.30	0.00	0.10	0.10	0.20	0.10	0.10
QAOA	0.10	0.30	0.00	0.00	0.20	0.20	0.20	0.00

Note: Only one year of past daily data taken and hence Sharpe ratio is high.

What did we learn?

- Hackathons are fun and an *efficient* way to get into something new.
- Double (triple) check the qiskit doc. version and the installed version.
- Inputs to the VQC and Kernel methods may be different.
 - The target variable needed one-hot encoding in VQC but not in kernel methods.
- Different runs of a QML algorithm may yield diverse performance
 - Hyper parameter tuning is based on experience with these methods.
- QML methods are (currently) magnitudes slower than classical ML methods.
 - Implementing parallel processing in simulators can be tricky.
 - One needs patience (a lot of it...)
- QML methods (currently) have a lower performance than classical ML methods.
- One has to be aware of issues arising from using small datasets (in the presence of noise).

Healthy cross-disciplinary collaboration

With advances in Quantum Computing we will be able to provide better solution methods, so that you can make better decisions.

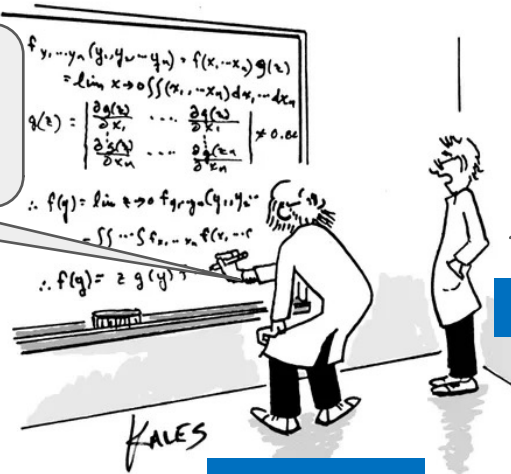
$$f(x_1, \dots, x_n) = f(x_1, \dots, x_n) \cdot g(x)$$
$$= \lim_{x \rightarrow 0} \int \dots \int f(x_1, \dots, x_n) dx_1 \dots dx_n$$
$$g(x) = \begin{vmatrix} \frac{\partial g(x)}{\partial x_1} & \dots & \frac{\partial g(x)}{\partial x_n} \\ \frac{\partial^2 g(x)}{\partial x_1^2} & \dots & \frac{\partial^2 g(x)}{\partial x_1 \partial x_n} \end{vmatrix} \neq 0.00$$
$$\therefore f(x) = \lim_{x \rightarrow 0} f(x) \cdot g(x)$$
$$= \int \dots \int f(x_1, \dots, x_n) dx_1 \dots dx_n$$
$$\therefore f(x) = g(x)$$

OK. But I don't understand how to use these methods (what is entanglement?!)

Decision Scientist

QC Expert

KALES



Thank you to UoM Physics and IBM Quantum group for organizing this event.



THE UNIVERSITY OF
MELBOURNE

Qiskit-AI based Prediction for Financial Wellbeing

Speaker: Ming Chen

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Team*: Anthony Hsu (BMM Lab), Ming Chen (CS), Nitin Yadav (BMM Lab) Coach: Desiree (IBM) and Charles (Physics)





MELBOURNE

Financial wellbeing involves measuring people's financial comfort in the context of their day to day expenses, future savings (e.g., retirement) and their resilience to financial shocks.

The plan is to **train quantum machine learning algorithm(s)** over **real world financial wellbeing data** with the aim to better model financial wellbeing measure given the parameters.

```
df_raw
✓ 0.6s
```

	fwb	sample	fs_score	fs_assess	fk_interest	fk_inflation	fk_vola	living
0	1	2	44	4	1	1	1	1
1	1	1	43	3	1	1	1	2
2	0	1	42	3	1	1	1	2
3	0	1	42	3	1	0	1	-1
4	0	1	42	3	0	0	1	3
...
6384	1	3	47	3	1	1	1	2
6385	1	3	59	4	1	0	0	2
6386	1	1	51	3	1	0	1	2
6387	0	1	54	4	1	0	1	2
6388	0	3	42	3	1	0	1	2

6389 rows x 8 columns



Model used-

```
from qiskit_machine_learning.algorithms import PegasosQSVC
```

```
id_se...
... U
... py ~...
H: U...
...
lbein...
rnb
... U
search...

from qiskit_machine_learning.algorithms import PegasosQSVC

# should test with different (tau, C), to find the optimal scores.
# Doing grid search

print("PegasosQSVC classification grid search param set and mean accuracy: ")
count = 1

for C in qSVC_param_grid['C_grid']: # regulaztion param
    for tau in qSVC_param_grid['tau_grid']: # iterations
        pegasos_qsvc = PegasosQSVC(quantum_kernel=qkernel, C=C, num_steps=tau)
        # training
        pegasos_qsvc.fit(train_features, train_labels)

        # testing
        # Output the mean accuracy on the given test data and labels.
        pegasos_score = pegasos_qsvc.score(test_features, test_labels)

        print("ParamSet@" + str(count))
        print(f"C : {C}, tau : {tau}, test_accuracy : {pegasos_score}")
        count+=1

#print(f" test score: {pegasos_score}")
```

Pegasos: Primal Estimated sub-GrAdient SOLver for SVM

INPUT: S, λ, T
INITIALIZE: Set $\mathbf{w}_1 = 0$
FOR $t = 1, 2, \dots, T$
 Choose $i_t \in \{1, \dots, |S|\}$ uniformly at random.
 Set $\eta_t = \frac{1}{\lambda t}$
 If $y_{i_t} \langle \mathbf{w}_t, \mathbf{x}_{i_t} \rangle < 1$, then:
 Set $\mathbf{w}_{t+1} \leftarrow (1 - \eta_t \lambda) \mathbf{w}_t + \eta_t y_{i_t} \mathbf{x}_{i_t}$
 Else (if $y_{i_t} \langle \mathbf{w}_t, \mathbf{x}_{i_t} \rangle \geq 1$):
 Set $\mathbf{w}_{t+1} \leftarrow (1 - \eta_t \lambda) \mathbf{w}_t$
 [Optional: $\mathbf{w}_{t+1} \leftarrow \min \left\{ 1, \frac{1/\sqrt{\lambda}}{\|\mathbf{w}_{t+1}\|} \right\} \mathbf{w}_{t+1}$]
OUTPUT: \mathbf{w}_{T+1}



QuantumML

Optim Methods ---- Circuit Encoding + Grid Search :

```

being.ipynb  Q SVM_example.ipynb  Q SVM_FWB.ipynb  Q SVM_FW
51 C : 2000, tau : 20, test_accuracy : 0.6580594679186228
52 ParmaSet@26
53 C : 2000, tau : 50, test_accuracy : 0.6807511737089202
54 ParmaSet@27
55 C : 2000, tau : 100, test_accuracy : 0.6369327073552425
56 ParmaSet@28
57 C : 2000, tau : 200, test_accuracy : 0.6917057902973396
58 ParmaSet@29
59 C : 2000, tau : 400, test_accuracy : 0.701095461658842
60 ParmaSet@30
61 C : 2000, tau : 1000, test_accuracy : 0.7034428794992176
62 ParmaSet@31
63 C : 5000, tau : 20, test_accuracy : 0.45774647887323944
64 ParmaSet@32
65 C : 5000, tau : 50, test_accuracy : 0.6697965571205008
66 ParmaSet@33
67 C : 5000, tau : 100, test_accuracy : 0.6697965571205008
68 ParmaSet@34
69 C : 5000, tau : 200, test_accuracy : 0.6697965571205008
70 ParmaSet@35
71 C : 5000, tau : 400, test_accuracy : 0.7339593114241002
72 ParmaSet@36
73 C : 5000, tau : 1000, test_accuracy : 0.6744913928012519
74 ParmaSet@37
75 C : 20000, tau : 20, test_accuracy : 0.6025039123630673
76 ParmaSet@38
77 C : 20000, tau : 50, test_accuracy : 0.6580594679186228
78 ParmaSet@39
79 C : 20000, tau : 100, test_accuracy : 0.6964006259780907
80 ParmaSet@40
81 C : 20000, tau : 200, test_accuracy : 0.7089201877934272
82 ParmaSet@41
83 C : 20000, tau : 400, test_accuracy : 0.5477308294209703
84 ParmaSet@42
85 C : 20000, tau : 1000, test_accuracy : 0.6658841040522081

```

Data encoding circuits ¶

These `BlueprintCircuit` encode classical data in quantum states and are used as feature maps for cl

`PauliFeatureMap` ((feature_dimension, reps, ...))

The Pauli Expansion circuit.

`ZFeatureMap` (feature_dimension[, reps, ...])

The first order Pauli Z-evolution circuit.

`ZZFeatureMap` (feature_dimension[, reps, ...])

Second-order Pauli-Z evolution circuit.

`StatePreparation` (params[, num_qubits, ...])

Complex amplitude state preparation.

Best Result till now----

featureMap: ZFeatureMap()

C : 5000,

tau : 400,

test_accuracy : 0.7339593114241002