CS419 Project Report

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1 Group Details

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2 Introduction

2.1 FaceNet

FaceNet is a CNN architecture widely used in face recognition. It compares two faces by first calculating the embedding vectors and then taking the euclidean distance between them. In this model we have a stack of layers that transforms the input image into a 128 dimensional vector. It is trained using the triplet loss. Let consider a triplet of 3 images anchor, positive and negative. Positive image is the image that belongs to the same class as the anchor while negative image is the image that belongs to a different class than the anchor. Here 2 images are the same class if they belong to the same person. Triplet loss is defines as

$$[||f(x_i^a) - f(x_i^p)||_2^2 - ||f(x_i^a) - f(x_i^n)||_2^2 + \alpha]_+$$
 (1)

The stack of layers or the embedding network that we defined in the previous paragraph can be of different types like Zeiler and Fergus, Google Net and VG-GNet. In our project we have majorly analysed Zeiler and Fergus architecture. Here is a brief description of this architecture.

layer	size-in	size-out	kernel	param	FLPS
conv1	220×220×3	110×110×64	$7 \times 7 \times 3, 2$	9K	115M
pool1	110×110×64	$55 \times 55 \times 64$	$3 \times 3 \times 64, 2$	0	
rnorm1	$55 \times 55 \times 64$	$55 \times 55 \times 64$		0	
conv2a	$55 \times 55 \times 64$	$55 \times 55 \times 64$	$1 \times 1 \times 64, 1$	4K	13M
conv2	$55 \times 55 \times 64$	$55 \times 55 \times 192$	$3 \times 3 \times 64, 1$	111K	335M
rnorm2	$55 \times 55 \times 192$	$55 \times 55 \times 192$		0	
pool2	$55 \times 55 \times 192$	28×28×192	$3 \times 3 \times 192, 2$	0	
conv3a	$28 \times 28 \times 192$	$28 \times 28 \times 192$	$1 \times 1 \times 192, 1$	37K	29M
conv3	$28 \times 28 \times 192$	$28 \times 28 \times 384$	$3 \times 3 \times 192, 1$	664K	521M
pool3	$28 \times 28 \times 384$	14×14×384	$3 \times 3 \times 384, 2$	0	
conv4a	$14 \times 14 \times 384$	$14 \times 14 \times 384$	$1 \times 1 \times 384, 1$	148K	29M
conv4	$14 \times 14 \times 384$	$14 \times 14 \times 256$	$3 \times 3 \times 384, 1$	885K	173M
conv5a	$14 \times 14 \times 256$	$14 \times 14 \times 256$	$1 \times 1 \times 256, 1$	66K	13M
conv5	$14 \times 14 \times 256$	$14 \times 14 \times 256$	$3 \times 3 \times 256, 1$	590K	116M
conv6a	$14 \times 14 \times 256$	$14 \times 14 \times 256$	$1 \times 1 \times 256, 1$	66K	13M
conv6	$14 \times 14 \times 256$	$14 \times 14 \times 256$	$3 \times 3 \times 256, 1$	590K	116M
pool4	$14 \times 14 \times 256$	$7 \times 7 \times 256$	$3 \times 3 \times 256, 2$	0	
concat	$7 \times 7 \times 256$	$7 \times 7 \times 256$		0	
fc1	$7 \times 7 \times 256$	1×32×128	maxout p=2	103M	103M
fc2	$1 \times 32 \times 128$	$1 \times 32 \times 128$	maxout p=2	34M	34M
fc7128	$1\times32\times128$	1×1×128		524K	0.5M
L2	$1\times1\times128$	1×1×128		0	
total				140M	1.6B

Figure 1: Zeiler and Fergus based Architecture

Now there are different ways to choose the triplets of face images from a dataset. In a most basic way they can be randomly selected and we can also mine them using hard or semi-hard mining. In hard mining we select positive image such that it is farthest away from the anchor image and negative image is selected such that it is closest to the anchor image. While in semi-hard mining triplets are selected such that

$$||f(x_i^a) - f(x_i^p)||_2^2 < ||f(x_i^a) - f(x_i^n)||_2^2$$
(2)

2.2 Haar cascades

Haar Cascades is a way to detect general objects in an image. It is particularly used to detect faces in an image. We have implemented Haar cascade to crop faces from an image.

3 Experiments

We have implemented the FaceNet model with Zeiler and Fergus embeddings and semi-hard triplet mining. This is the graph that shows the variation of triplet loss over 10 epochs with $\alpha = 1$.

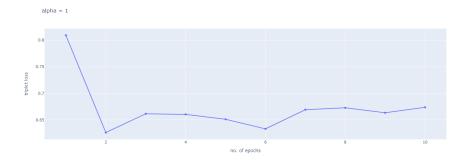


Figure 2: Variation of loss over 10 epochs for $\alpha = 1$

We also tried this model with different values of α like $\alpha=0.2$ and $\alpha=0.5$. Here are the graphs showing variation of loss over 5 epochs.

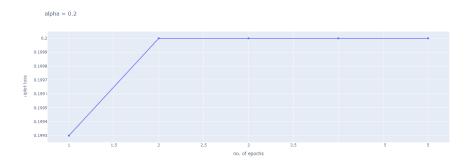


Figure 3: Variation of loss over 10 epochs for $\alpha=0.2$

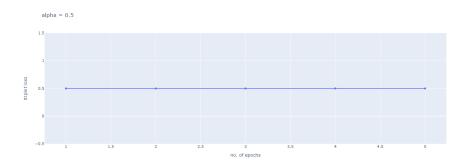


Figure 4: Variation of loss over 10 epochs for $\alpha=0.5$

4 Links to Google Colab

• FaceNet Code : Link

• Haar Cascade experiment : Link