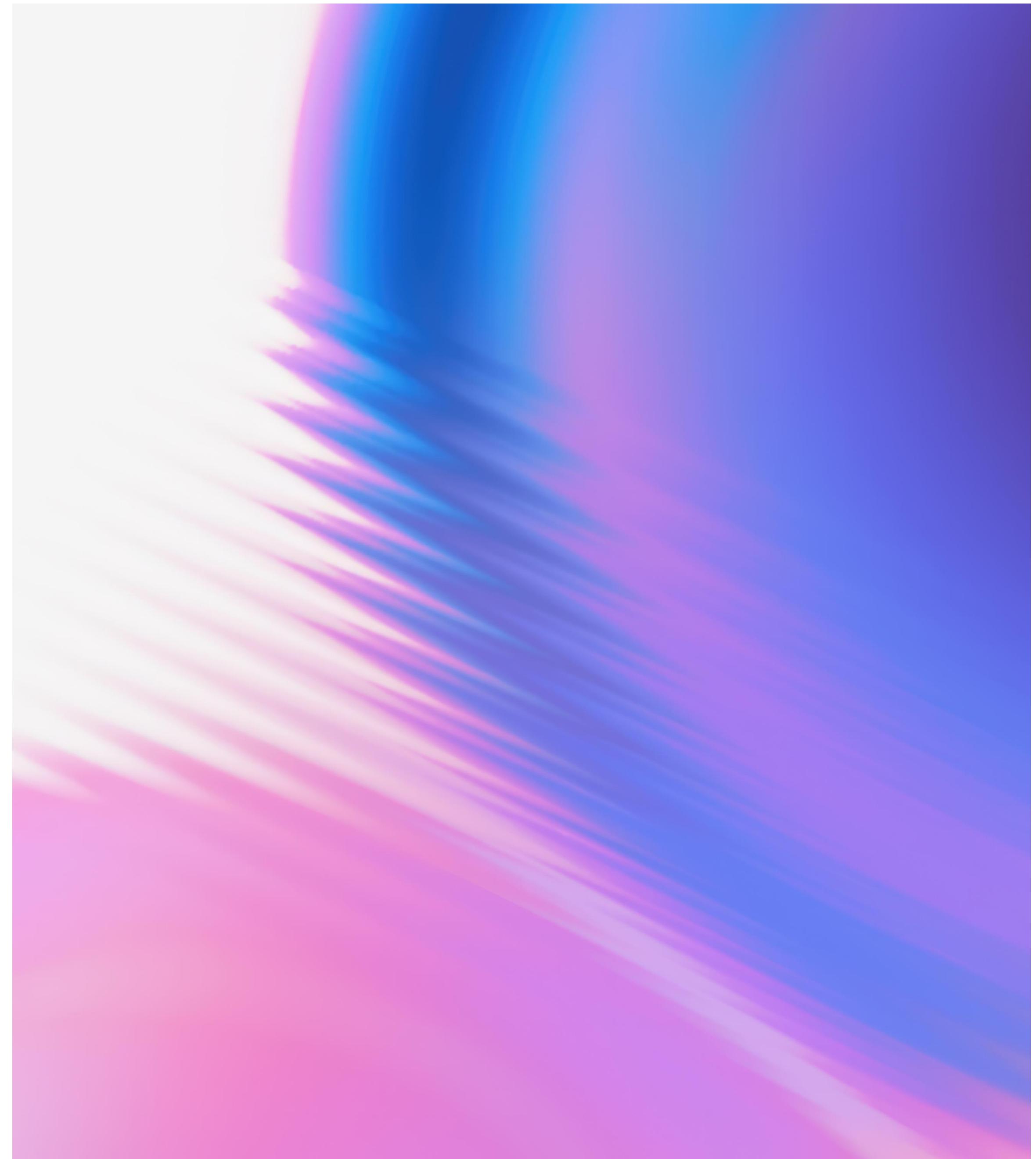


Quantum puzzles on utility scale devices

James R. Wootton

Moth Quantum (now)
IBM Quantum (2018-2024)
University of Basel (2016-2018)



Resurrecting work from 6 years ago

arXiv > quant-ph > arXiv:1806.02736

Quantum Physics

[Submitted on 7 Jun 2018]

Benchmarking of quantum processors with random circuits

James R. Wootton

Quantum processors with sizes in the 10–100 qubit range are now increasingly common. However, with increasing complexity for benchmarking. The effectiveness of a given device may vary greatly between different tasks, from single and two qubit gate fidelities. For this reason, it is important to assess processor quality for a range of tasks. We propose and implement tests based on random quantum circuits. These are used to evaluate multiple different quantum computers with sizes from 5 to 19 qubits, from two hardware manufacturers: IBM Research and Rigetti. The data is analyzed to determine how the devices perform. We also describe how it can be used for a qualitative description accessible to the general public.

Using a simple puzzle game to benchmark quantum computers



Dr James Wootton
7 min read · Jan 16, 2018

209 1



Resurrecting work from 6 years ago

NZZ

Wer Quantencomputer verstehen will, sollte mit ihnen spielen

Quantencomputer sind für viele Menschen ein Buch mit sieben Siegeln. Der Quantenphysiker James Wootton von der Universität Basel möchte das ändern. Deshalb entwickelt er Spiele für Quantencomputer.

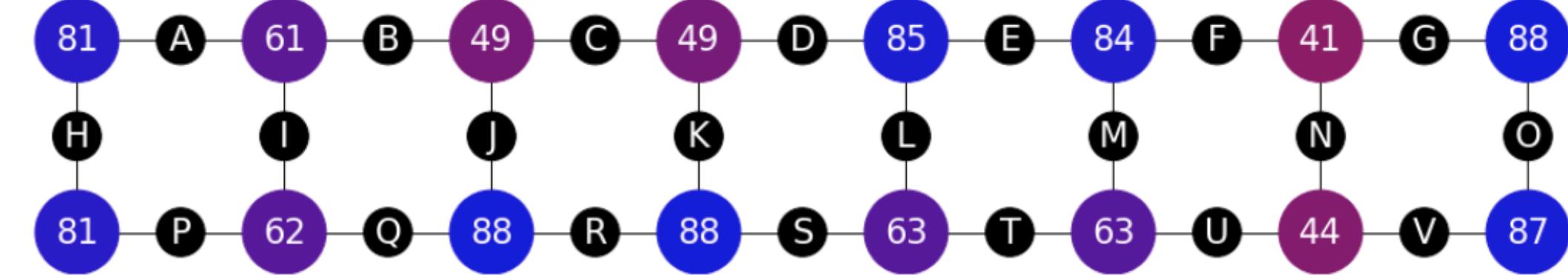
Christian Speicher

27.04.2018, 05.30 Uhr

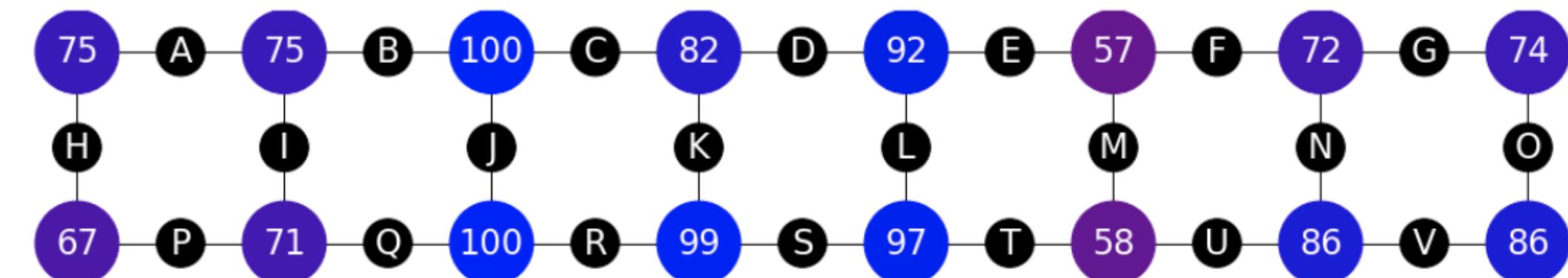
 Merken

 Drucken

 Teilen



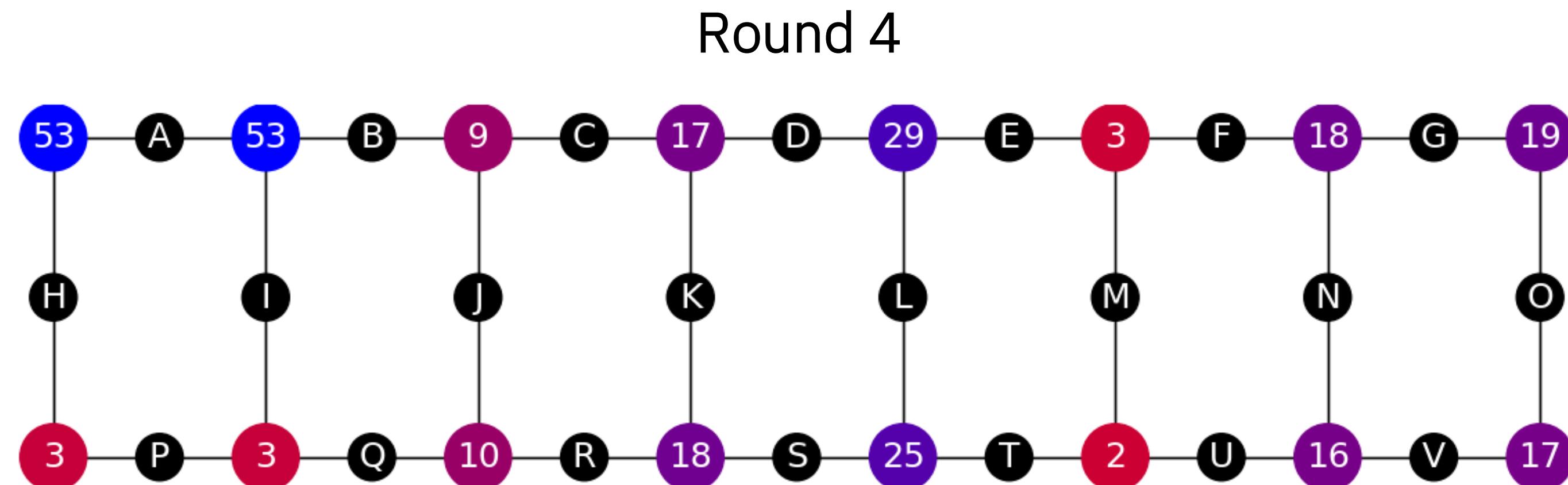
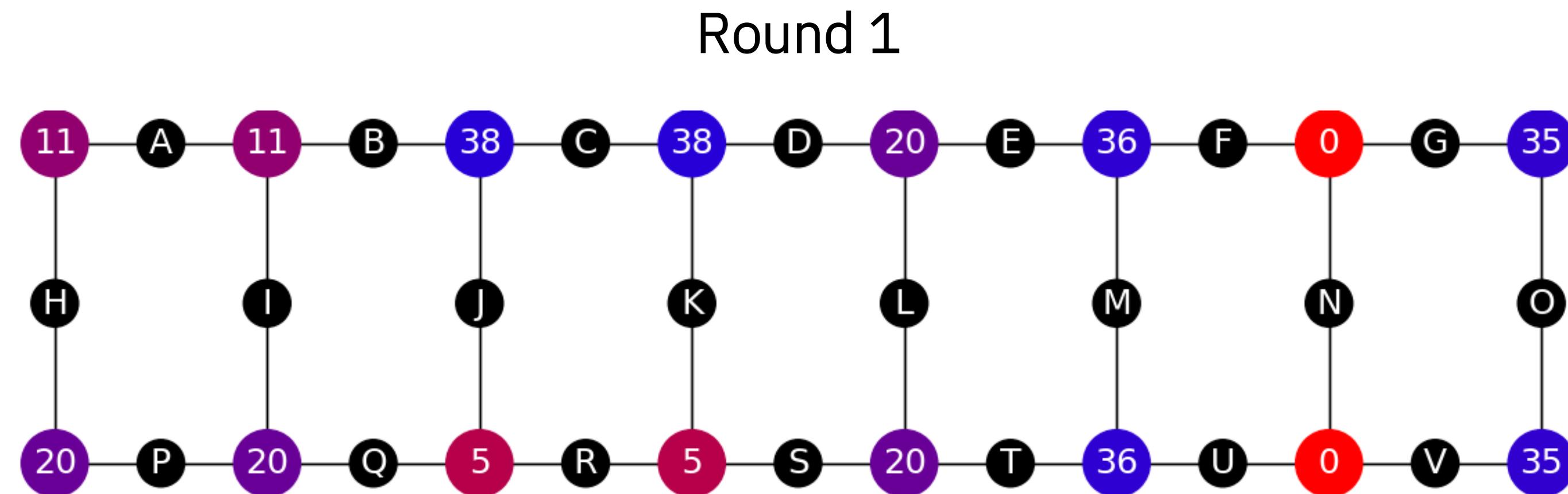
In der ersten Runde des Spiels «Quantum Awesomeness» ist es noch einfach, Punktepaare mit ähnlichen Zahlenwerten zu identifizieren.



In der zweiten Runde wird die Aufgabe bereits schwieriger, weil die Zahlen immer mehr voneinander abweichen. Die Zahl der Punkte und die Verbindungen zwischen ihnen spiegeln die Architektur des Quantenprozessors wider. In diesem Fall handelt es sich um den 16-Bit-Prozessor von IBM. (Bilder: James Wootten, Uni Basel)

Puzzles on a coupling graph

- We will play a game on a quantum device
 - A random disjoint set of pairs is selected from the coupling graph
 - Each pair is given a random number, displayed on each qubit
- Aim of the game: look at the numbers and figure out the pairing
- In later rounds, the numbers get perturbed to increase the difficulty



Circuit for round 1

- Numbers are generated by a quantum circuit
 - For each pair we choose a random angle and entangle them as follows

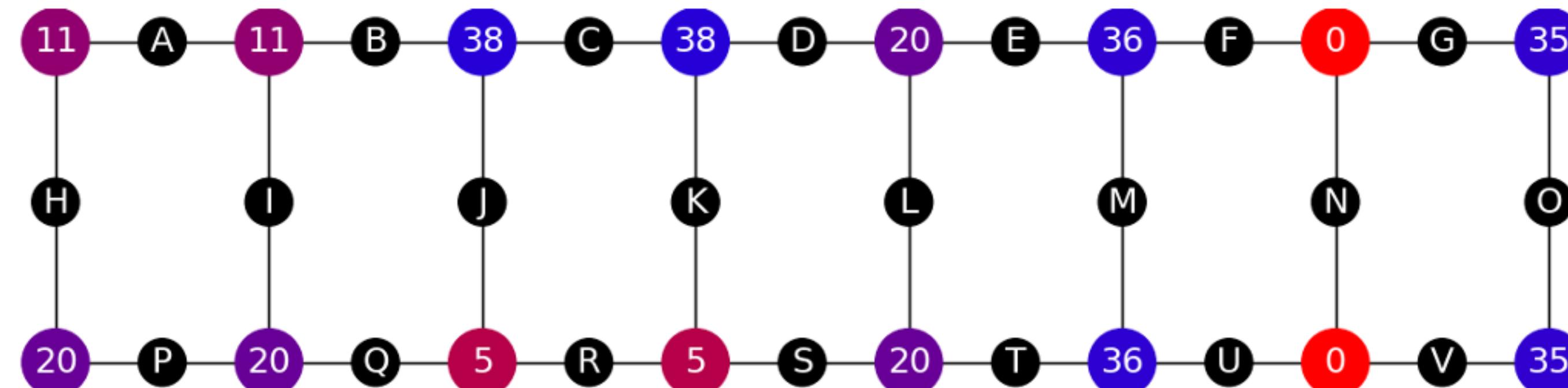
```
qc.cx(j,k)
qc.rx(theta,j)
qc.cx(j,k)
```

$$\cos \frac{\theta}{2} |00\rangle - i \sin \frac{\theta}{2} |11\rangle$$

- The probability of a **1** outcome on each qubit is then

$$p_j = p_k = \sin^2 \frac{\theta}{2}$$

- This is the same for the two qubits of each pair, but varies from pair to pair
- The probability of a **1** is then the number reported

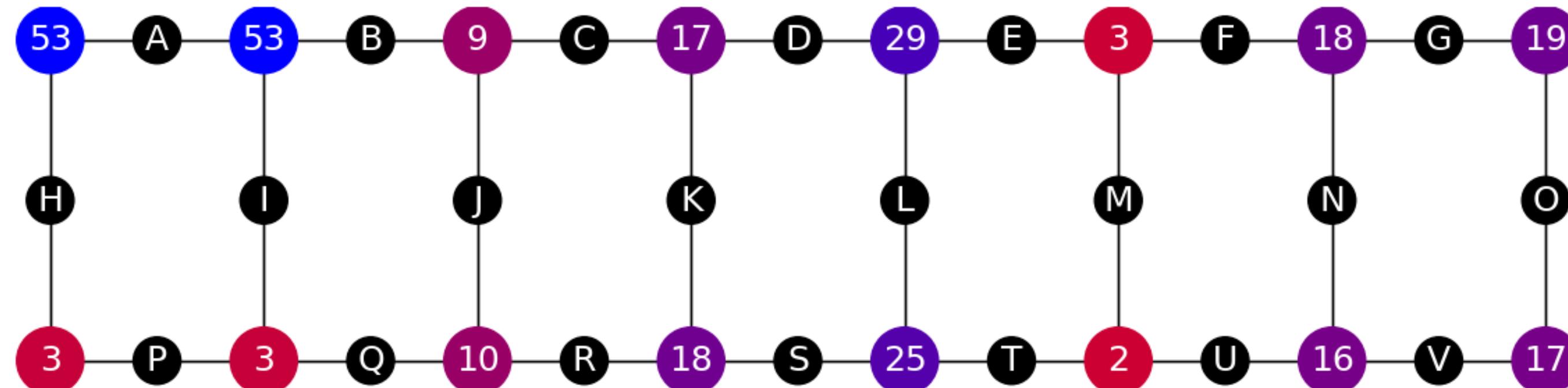


Circuit for round 2+

- In theory:
 - First remake round 1:

```
qc.cx(j,k)
qc.rx(theta,j)
qc.cx(j,k)
```
 - Then unmake it:

```
qc.cx(j,k)
qc.rx(-theta,j)
qc.cx(j,k)
```
 - Then generate a new random pairing and entangle those pairs
- The remake/unmake rounds are also conjugated by random `rx` or `ry` rotations
- Buildup of errors causes the numbers to drift from their correct values

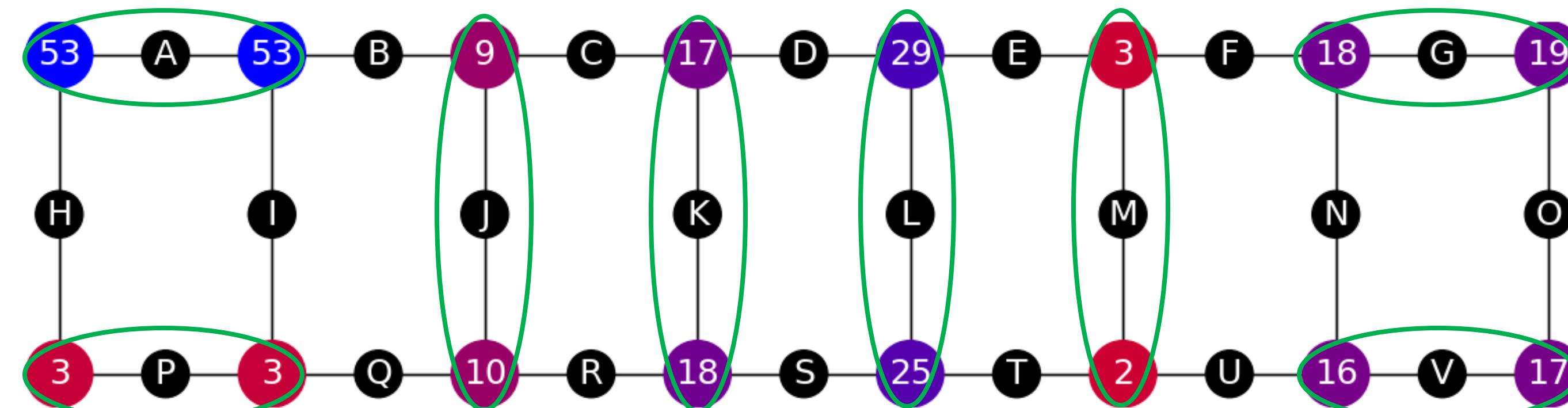


Quantifying awesomeness

- With many samples, how can we quantify quality?
- Fuzz:
 - For the two qubits in each pair, how different are their values?
- Difference
 - For each qubit, how different is its value from what it should be?
- MWPM correctness:
 - Using an algorithm to guess the pairing, how often is it right?

$$|p_j - p_k|$$

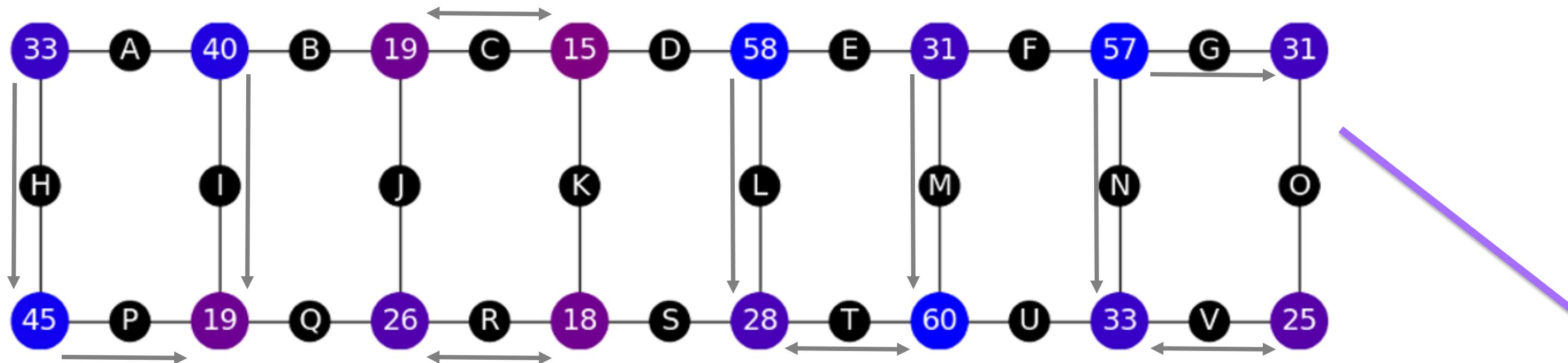
$$\left| \frac{2 \arcsin \sqrt{p_j}}{\pi} - \theta \right|$$



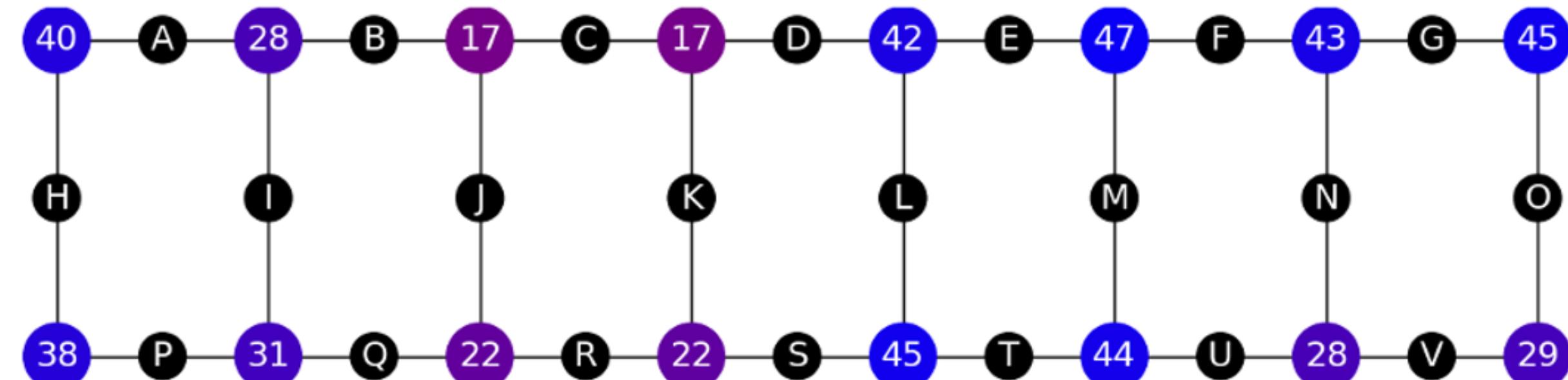
Cleaning up with correlation data

- We also calculate $Z_j Z_k$ for each potential pair
 - The state implies that $Z_j Z_k = 1$ for entangled pairs
 - Noise, or both qubits otherwise maximally entangled, leads to $Z_j Z_k = 0$
- So for each qubit j we find j' , for which $Z_j Z_{j'}$ is maximal
 - Without noise, we expect $j' = k$
- To clean up the values we then make this assumption:

$$p_j = \frac{p_j + p_{j'}}{2}$$

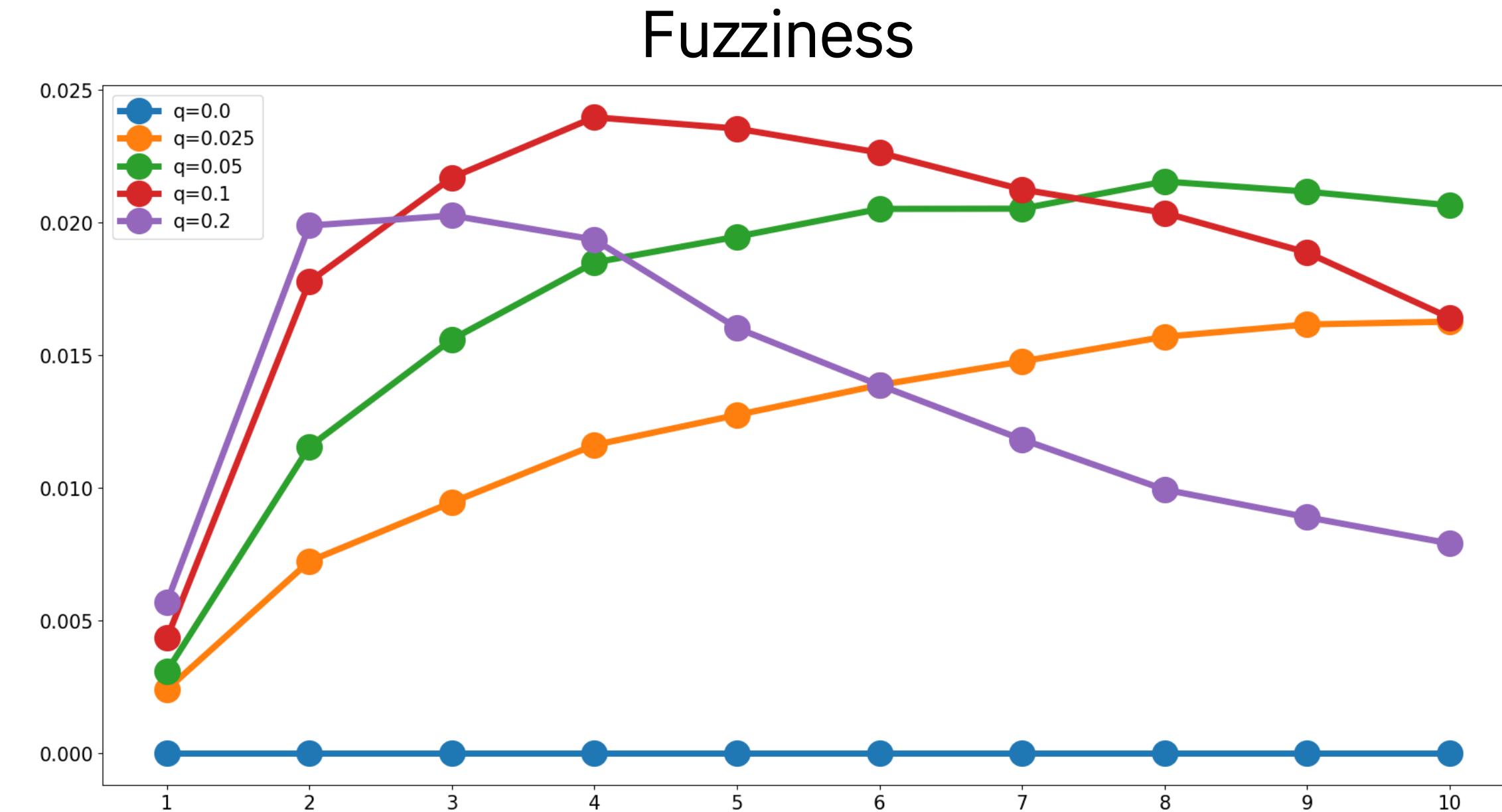


- Works nicely for data that is not too noisy
- But it can't polish a turd

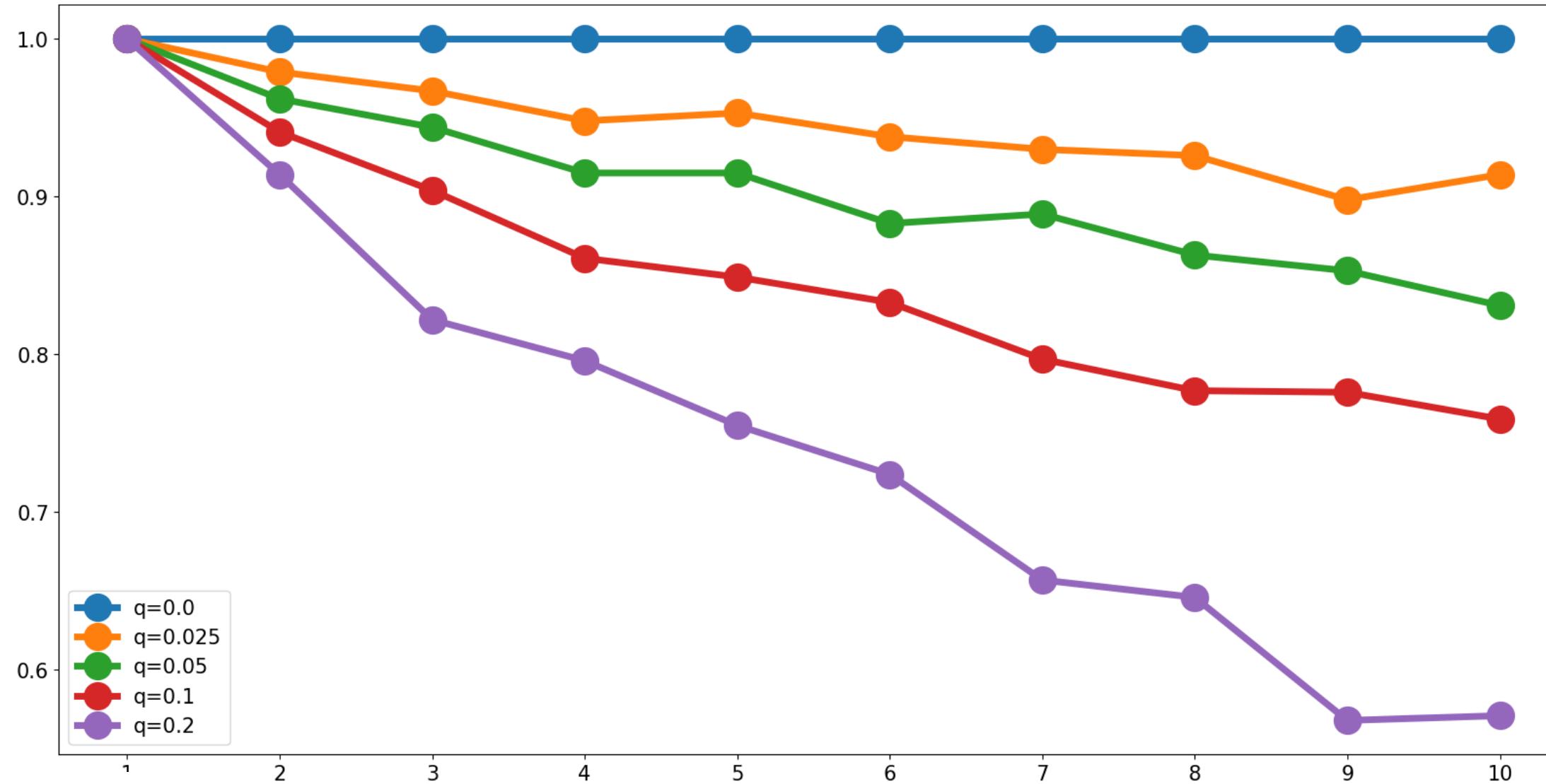


Results from noisy simulations

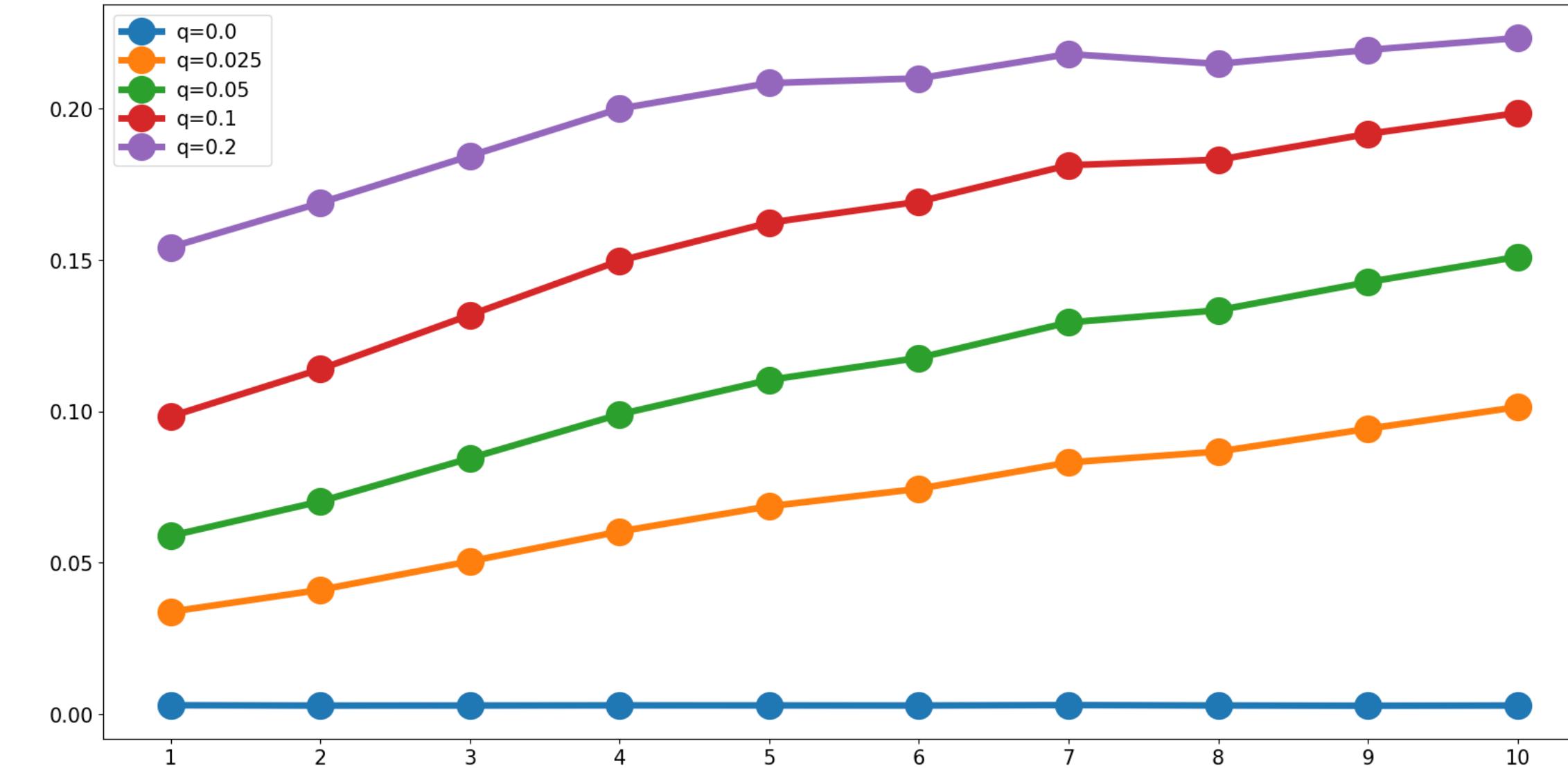
- Simulations of 5 qubit `ibmqx4`
- Depolarizing noise on every gate with probability p
- For the fuzziness we get the ‘peak of doom’
 - Low fuzziness at the beginning because all is well
 - Low fuzziness at the end because everything is awful
 - In the middle we get a landmark



Matching success

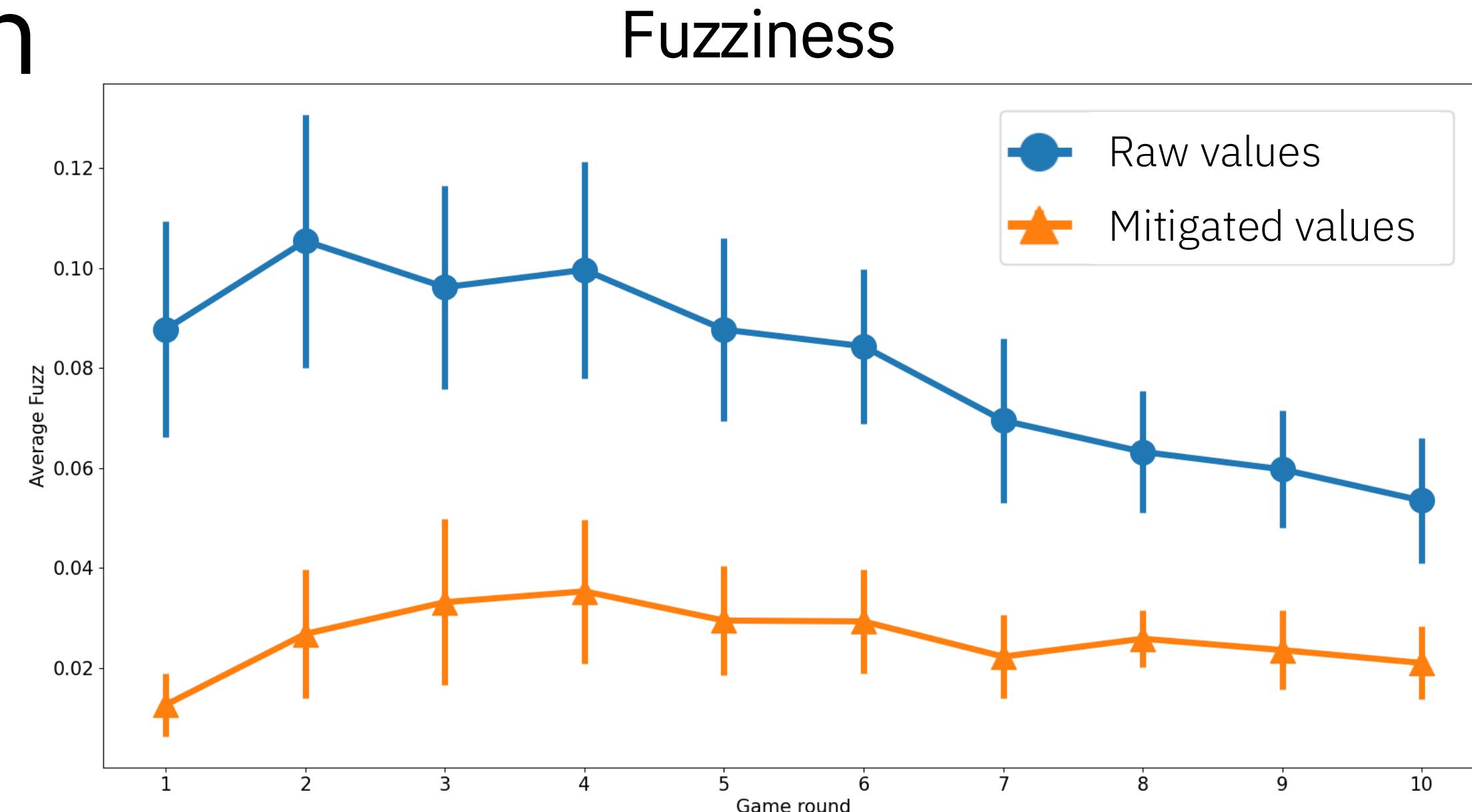


Difference

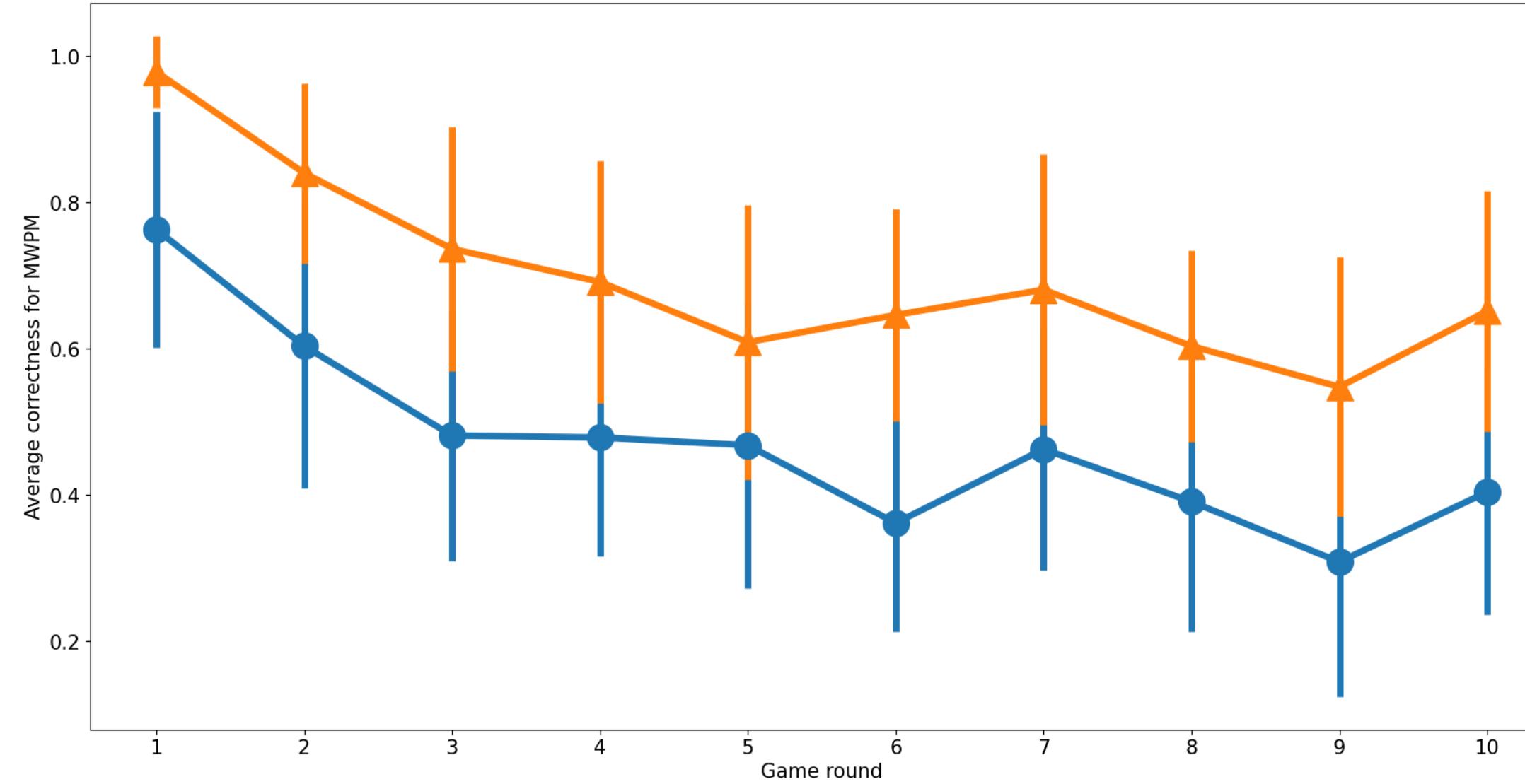


Results from ibm_rueschlikon

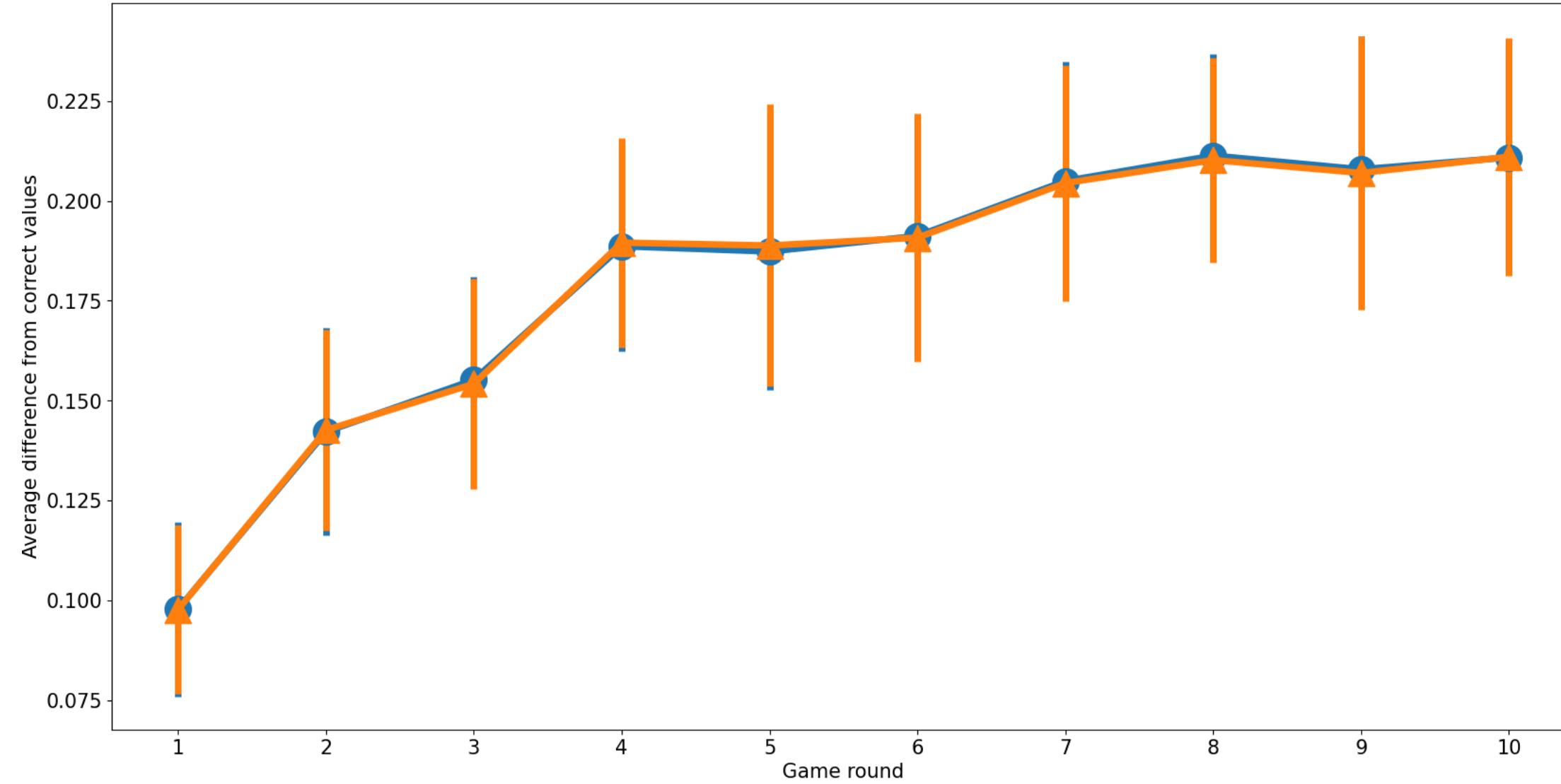
- 16 qubit device (also known as `ibmqx5`)
- Peak of doom already at ~round 2
 - CX depth of 4
- Matching success and difference converged by ~round 10
- Great for its time, but not really very good



Matching success



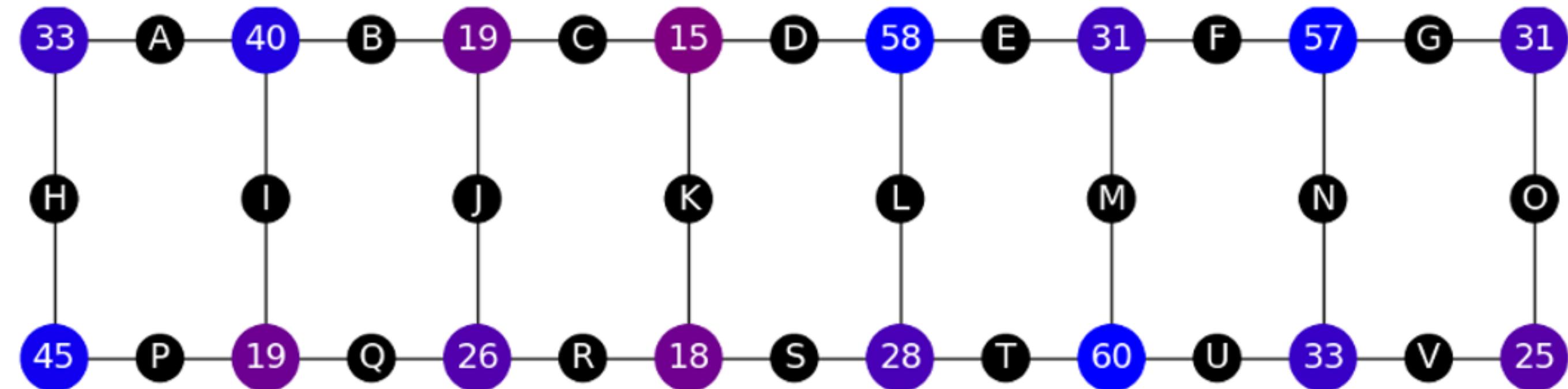
Difference



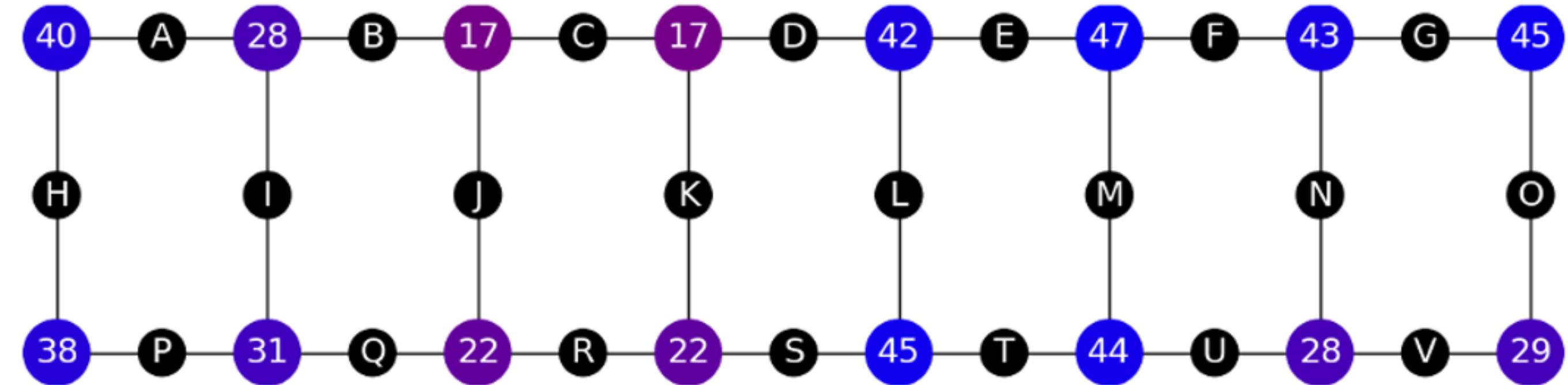
Puzzles from ibm_rueschlikon

- This is also seen from the puzzles. Here's an attempt at round 2
- Correct solution: C, H, I, R, L, M, N, O
- Mitigation helps a bit
- But it still doesn't give very good results

Round 2

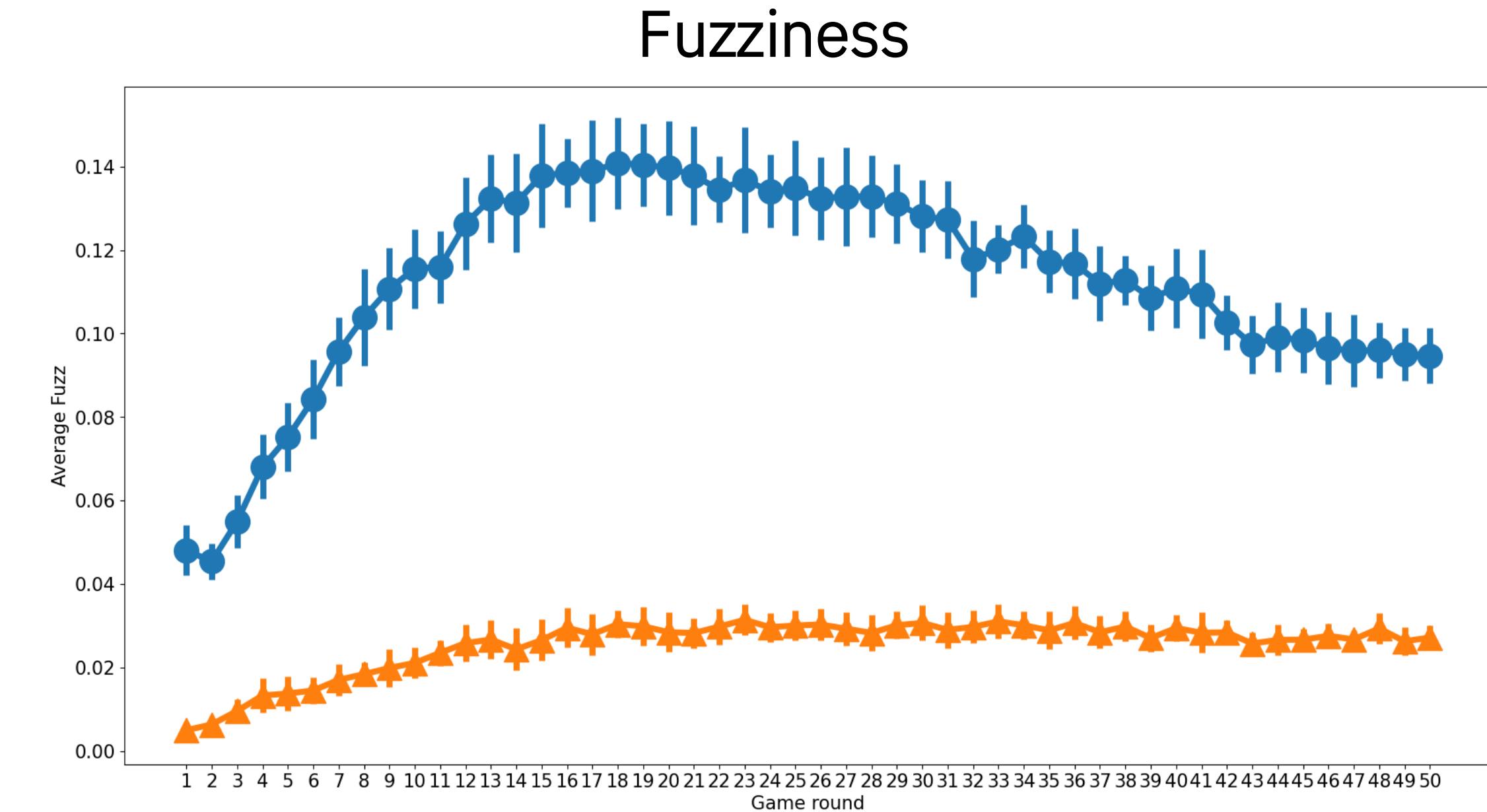


Round 2 (mitigated)

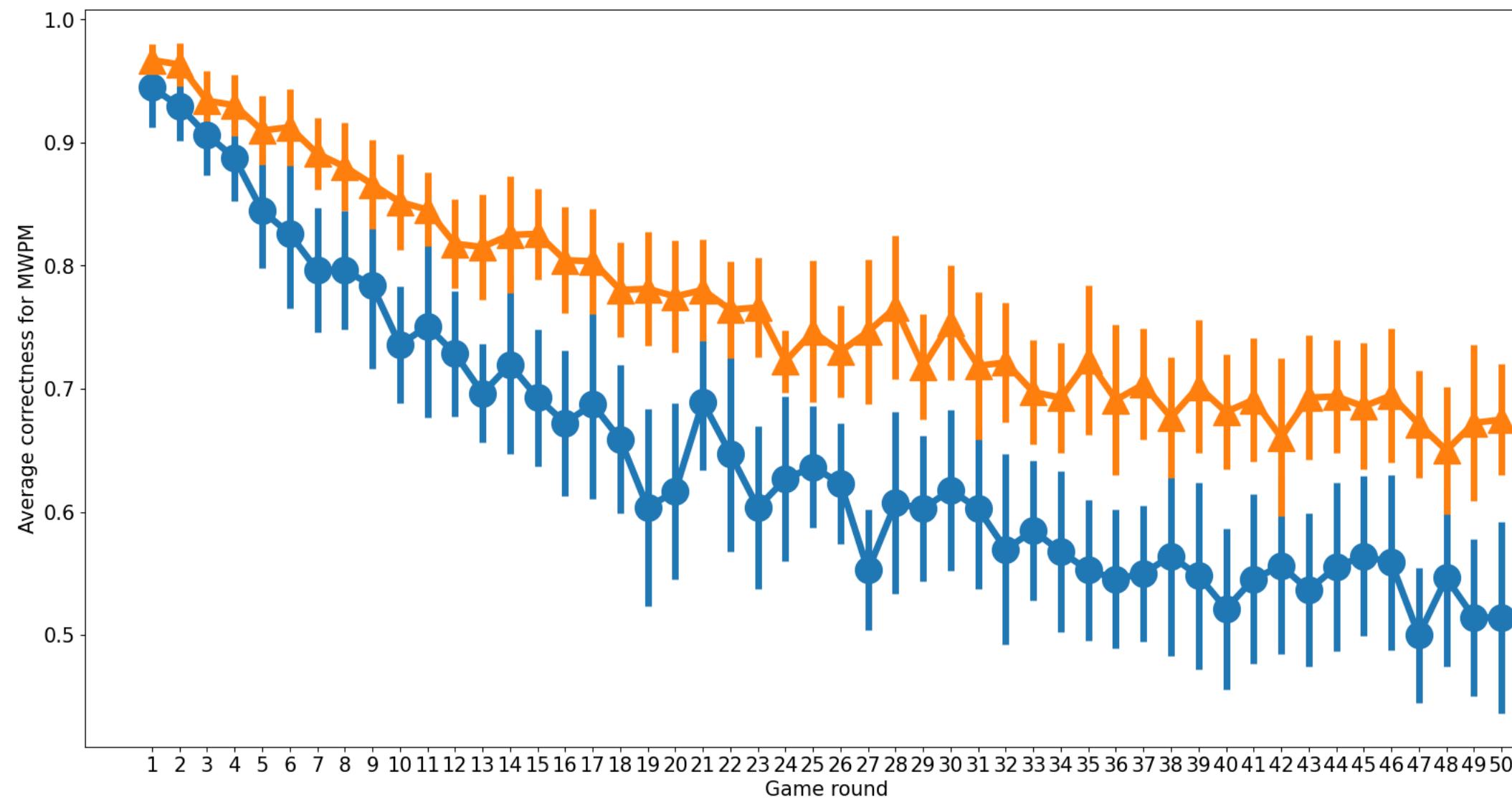


Results from `ibm_torino`

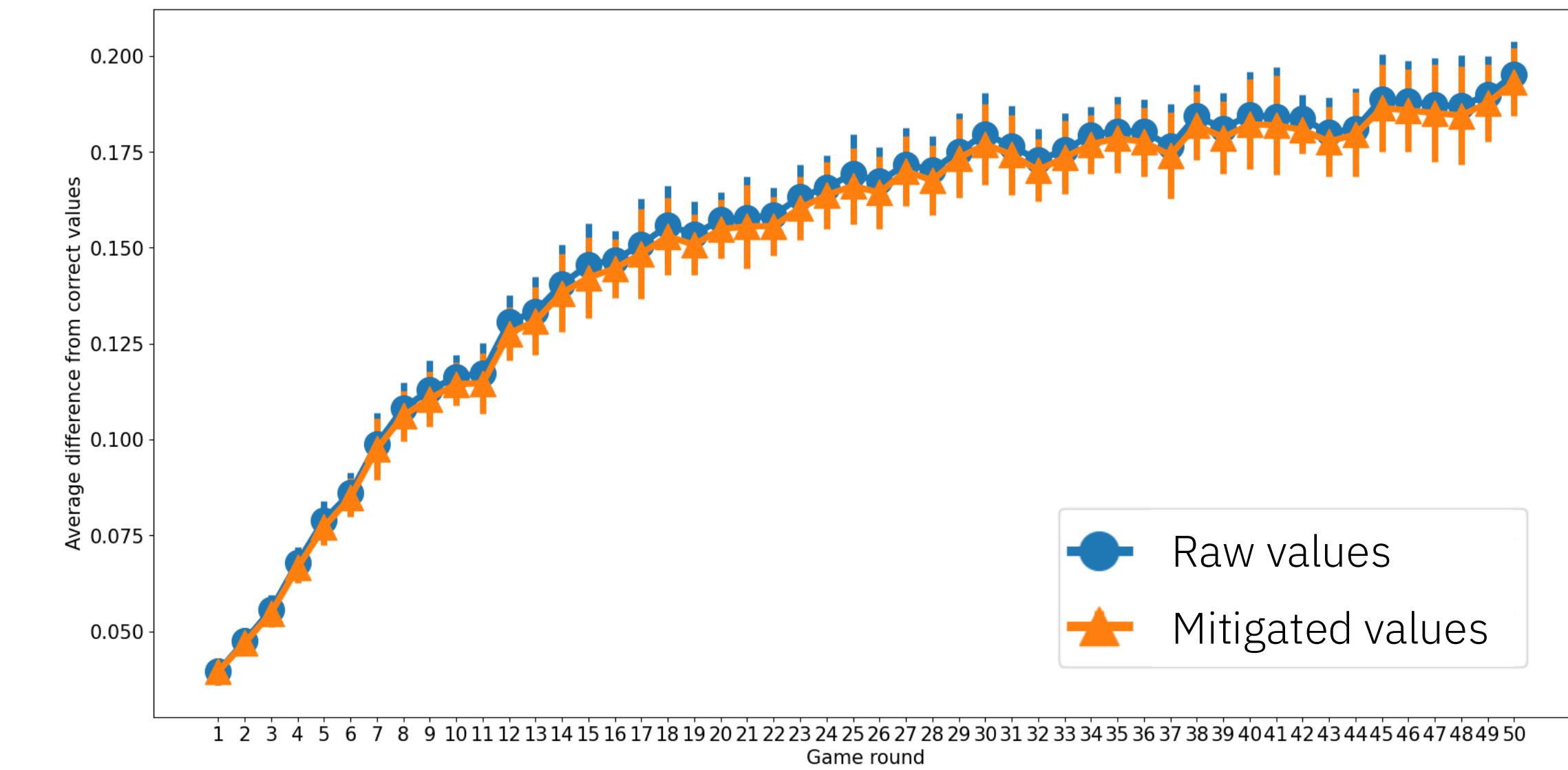
- 133 qubit *Heron* device
- Best ELPG at time of running
- Matching success and difference starting to converge
- Much better than `ibmq_rueschlikon`



Matching success



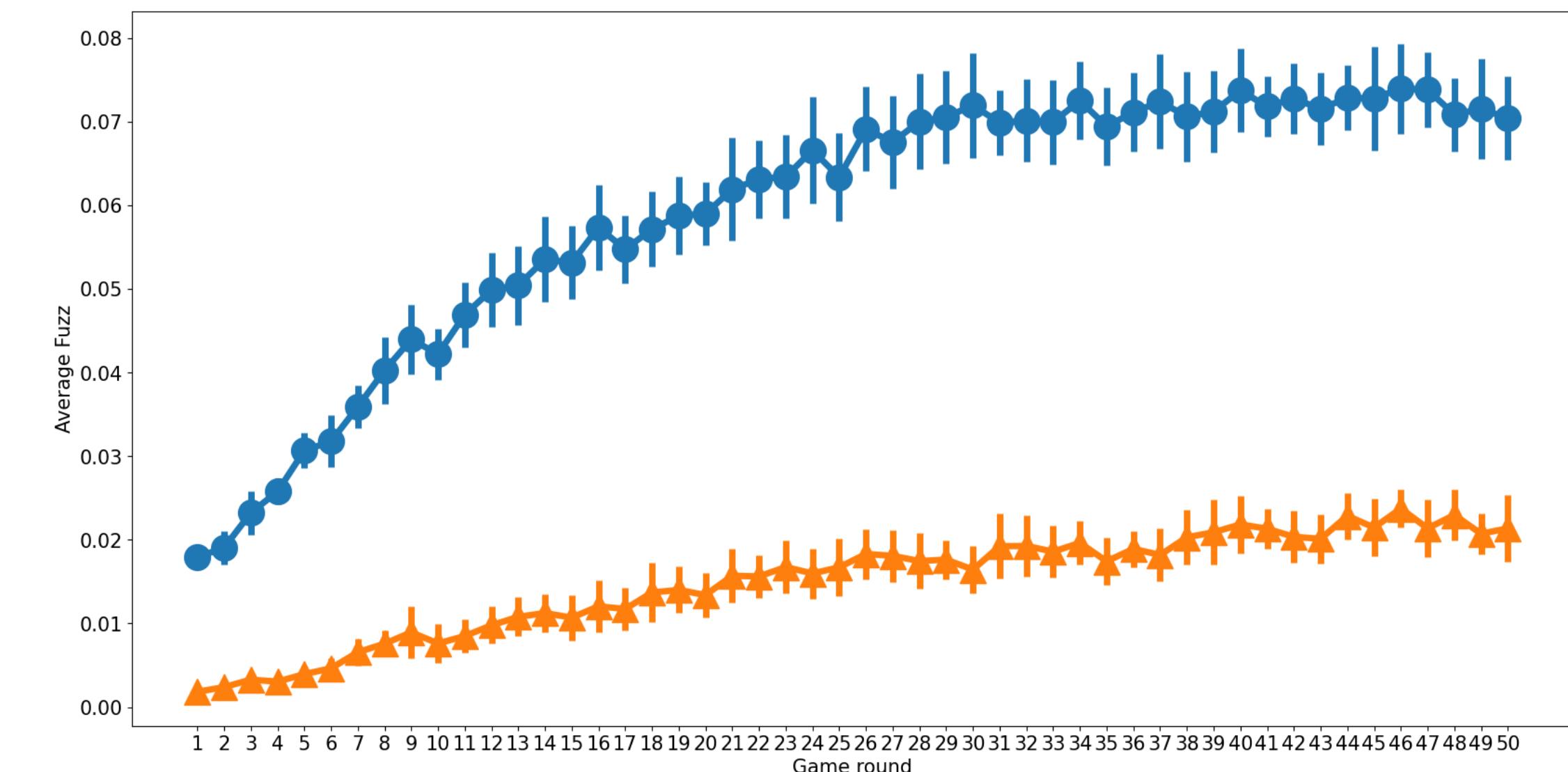
Difference



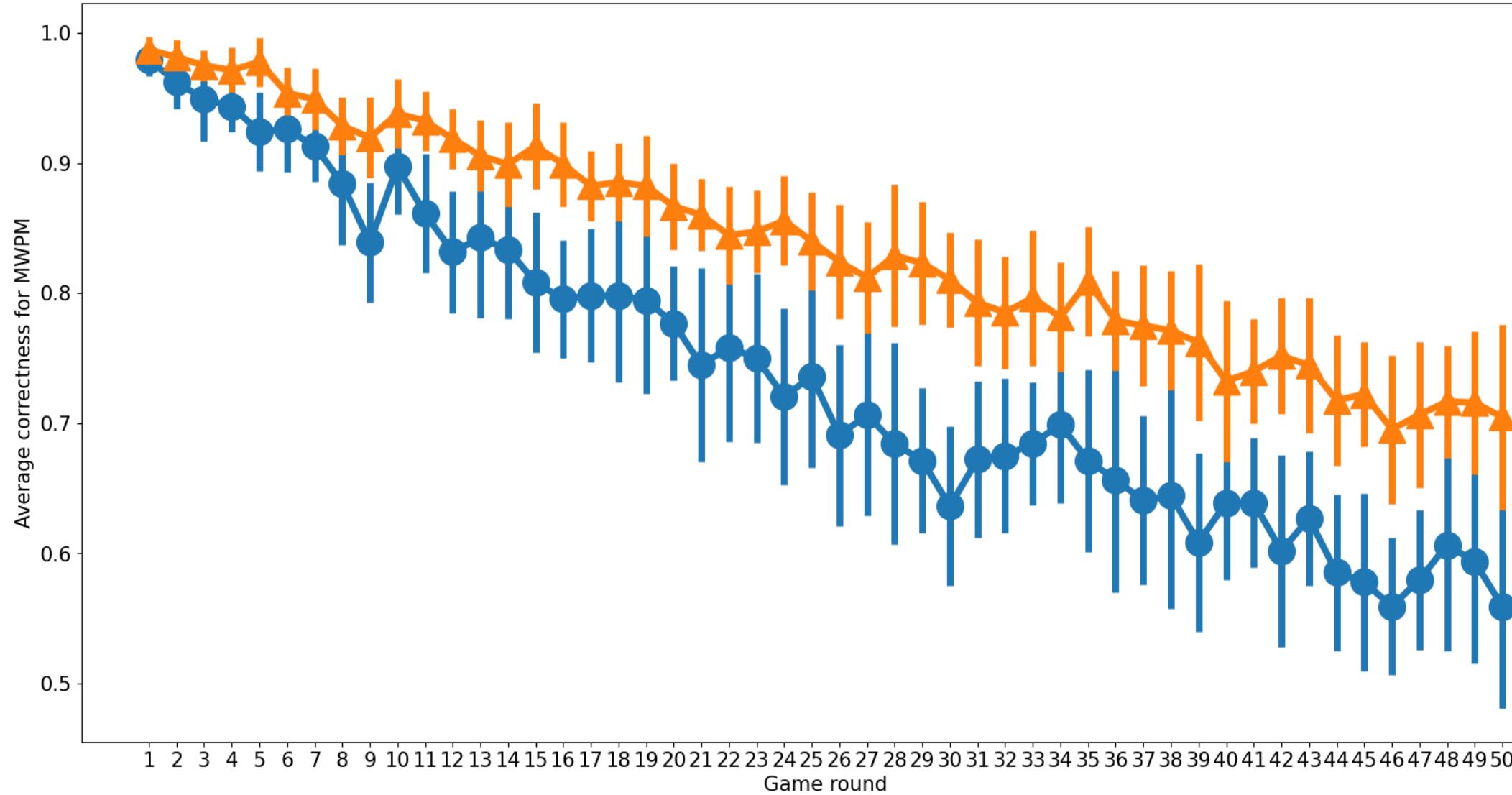
Results from ibm_kyiv

- 127 qubit *Eagle* device
- Peak of doom pushed out to around round 50
 - CX depth of ~100
- Matching success still at 70% for round 50 (would be ~40% for a random solution)

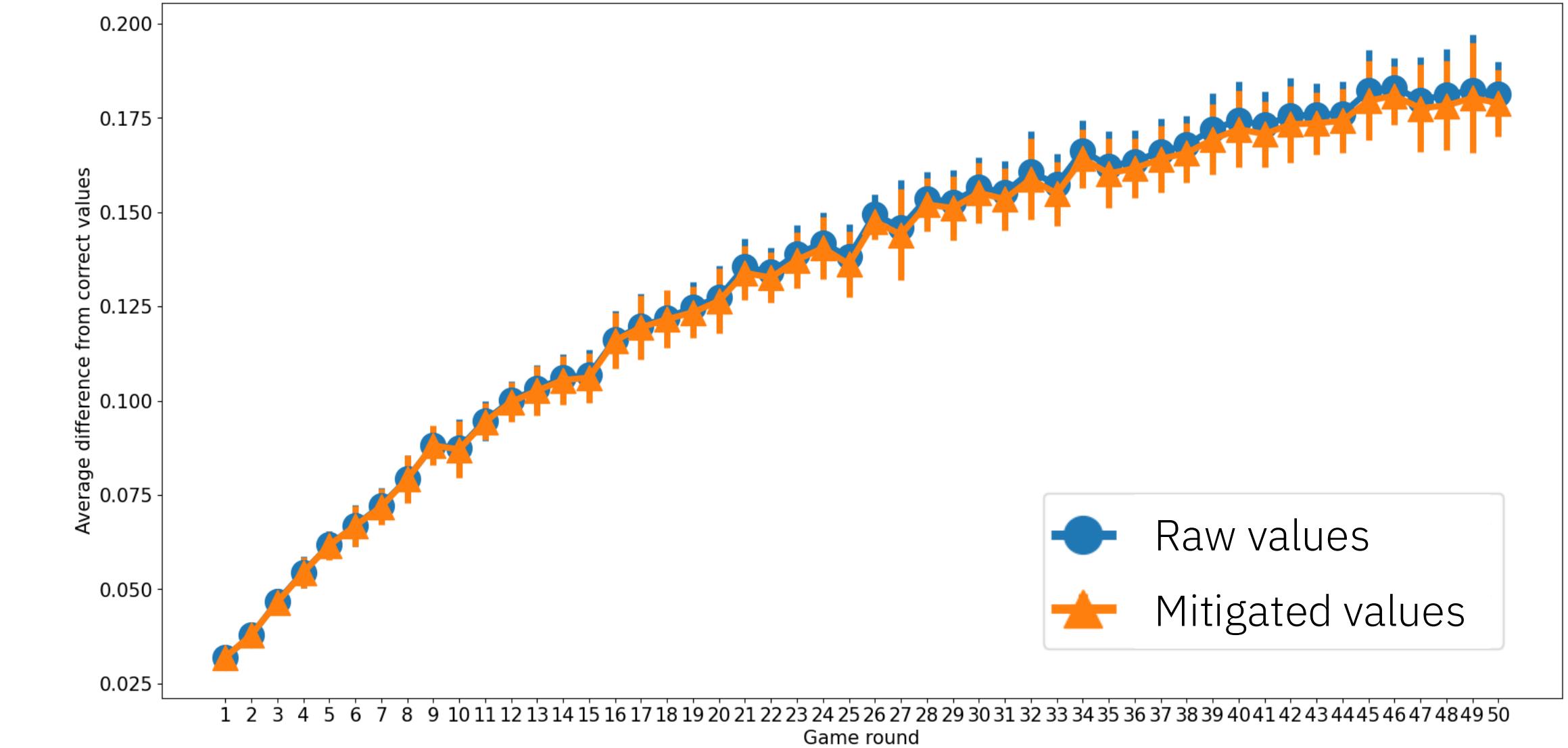
Fuzziness



Matching success



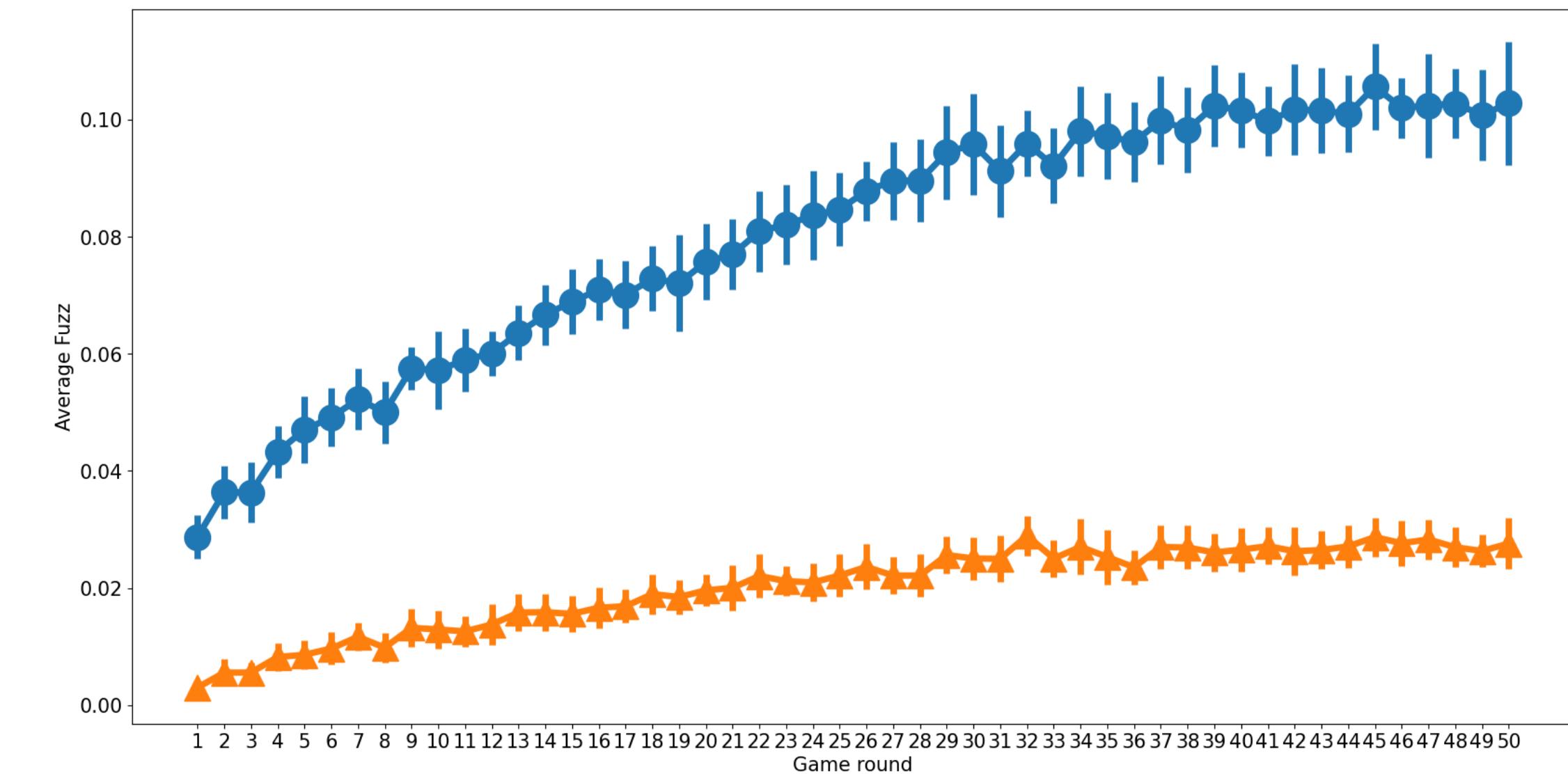
Difference



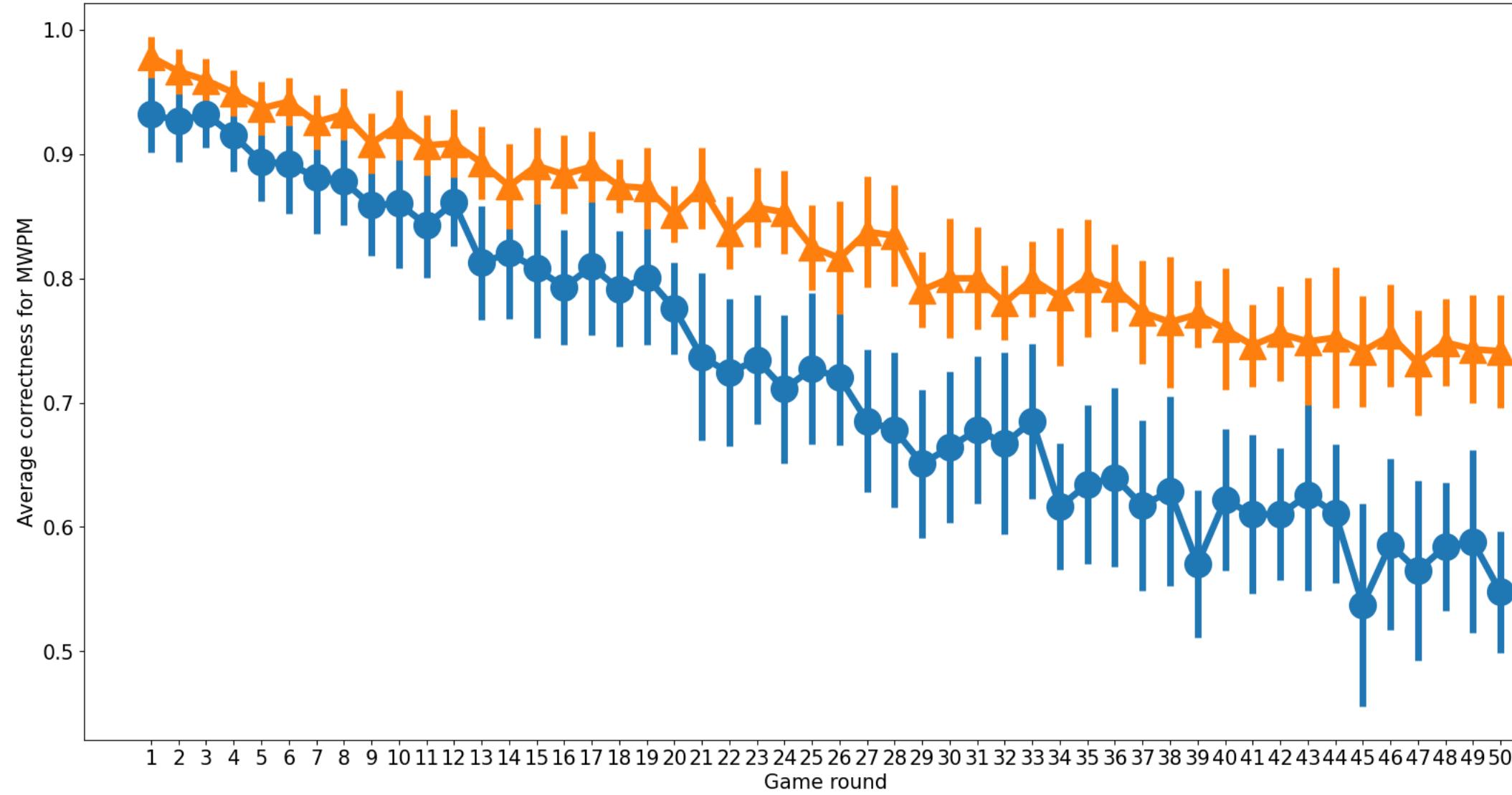
Results from `ibm_fez`

- 156 qubit *Heron* device
- Better ELPG than `ibm_torino`
- Similar behaviour to `ibm_kyiv`, but with more qubits

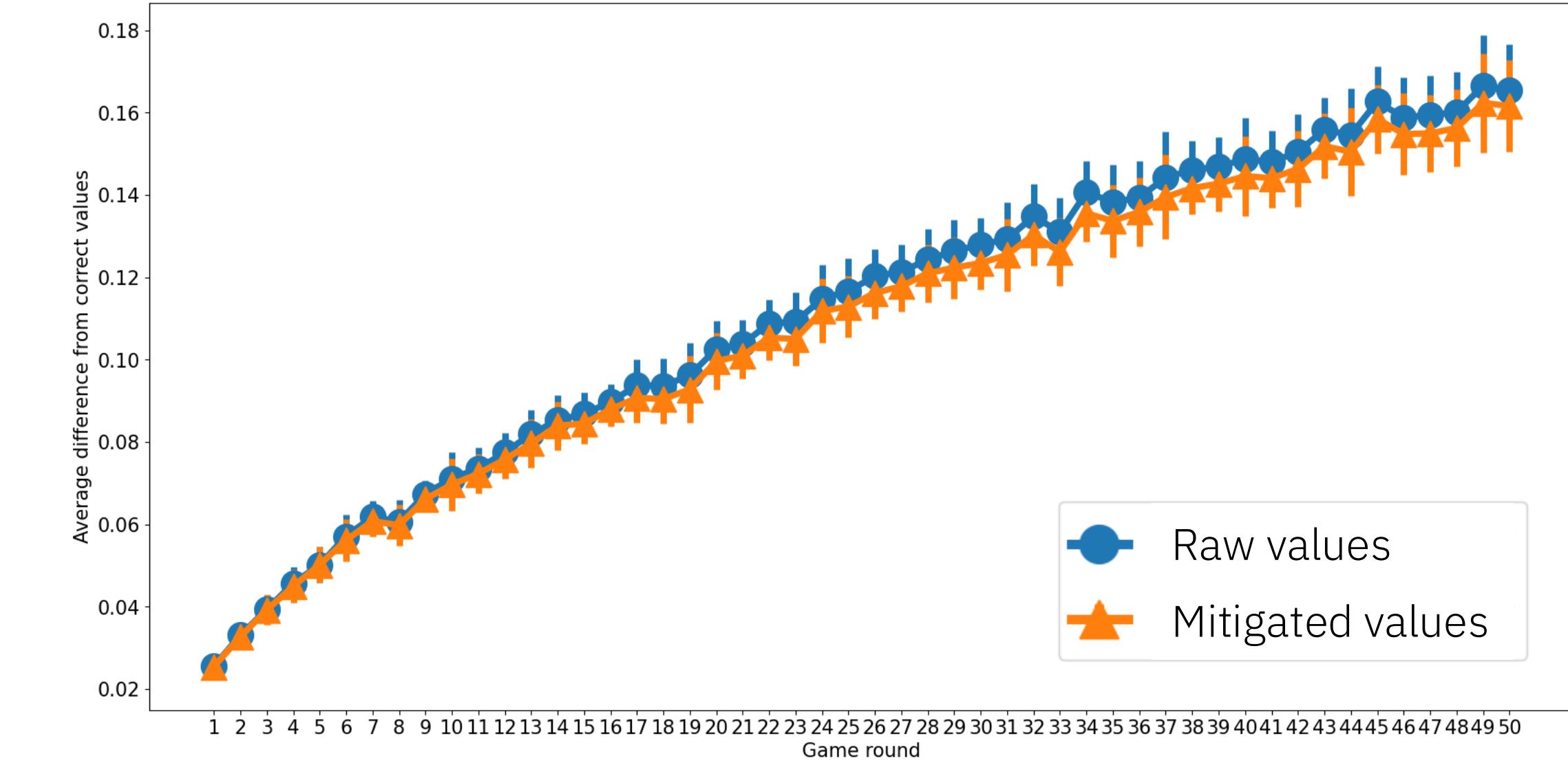
Fuzziness



Matching success

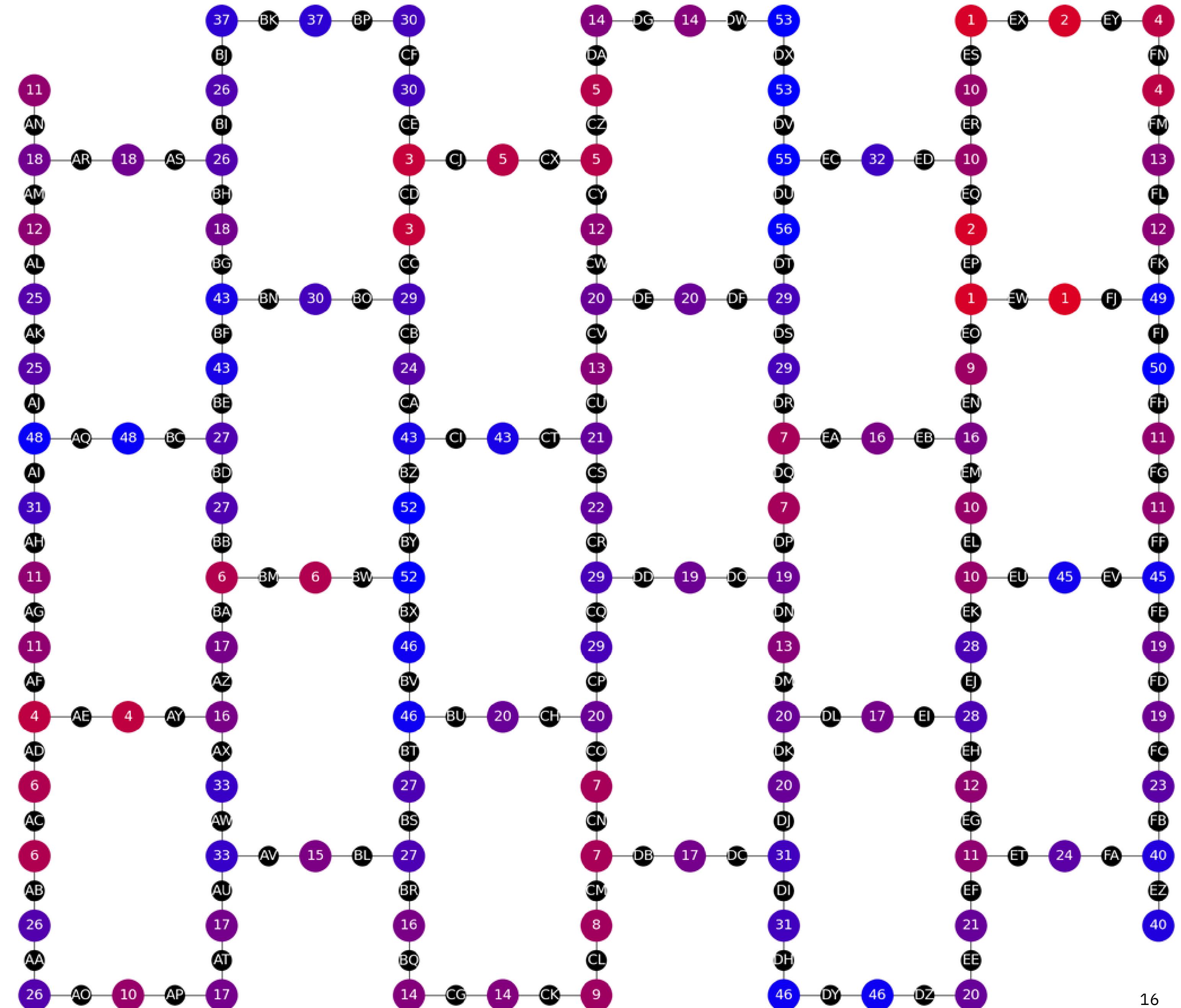


Difference



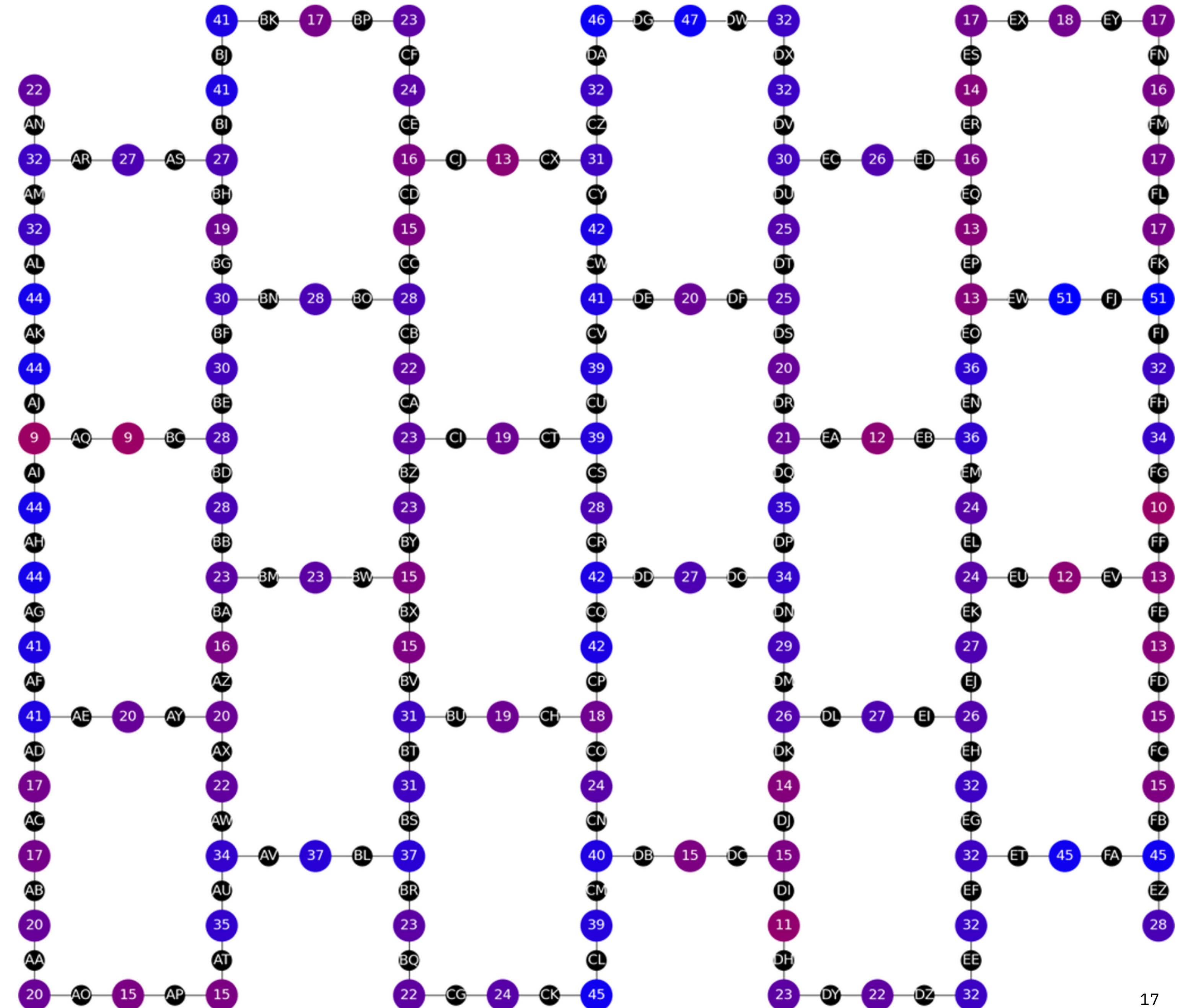
Puzzles from ibm_kyiv

- Example of a round 1 puzzle with cleanup
Note: in this coupling graph, some qubits are left unpaired



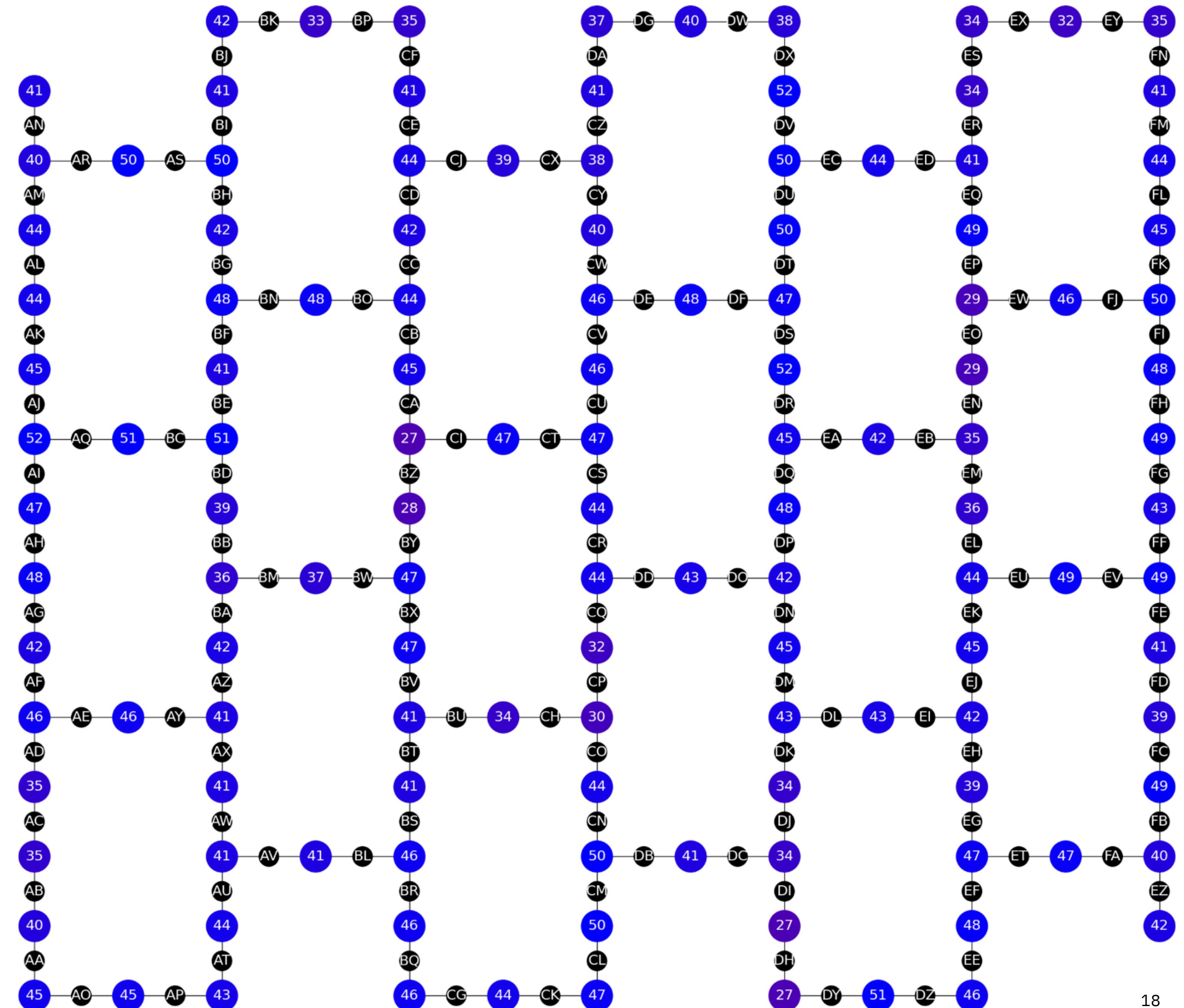
Puzzles from ibm_kyiv

- Example of a round 10 puzzle with cleanup



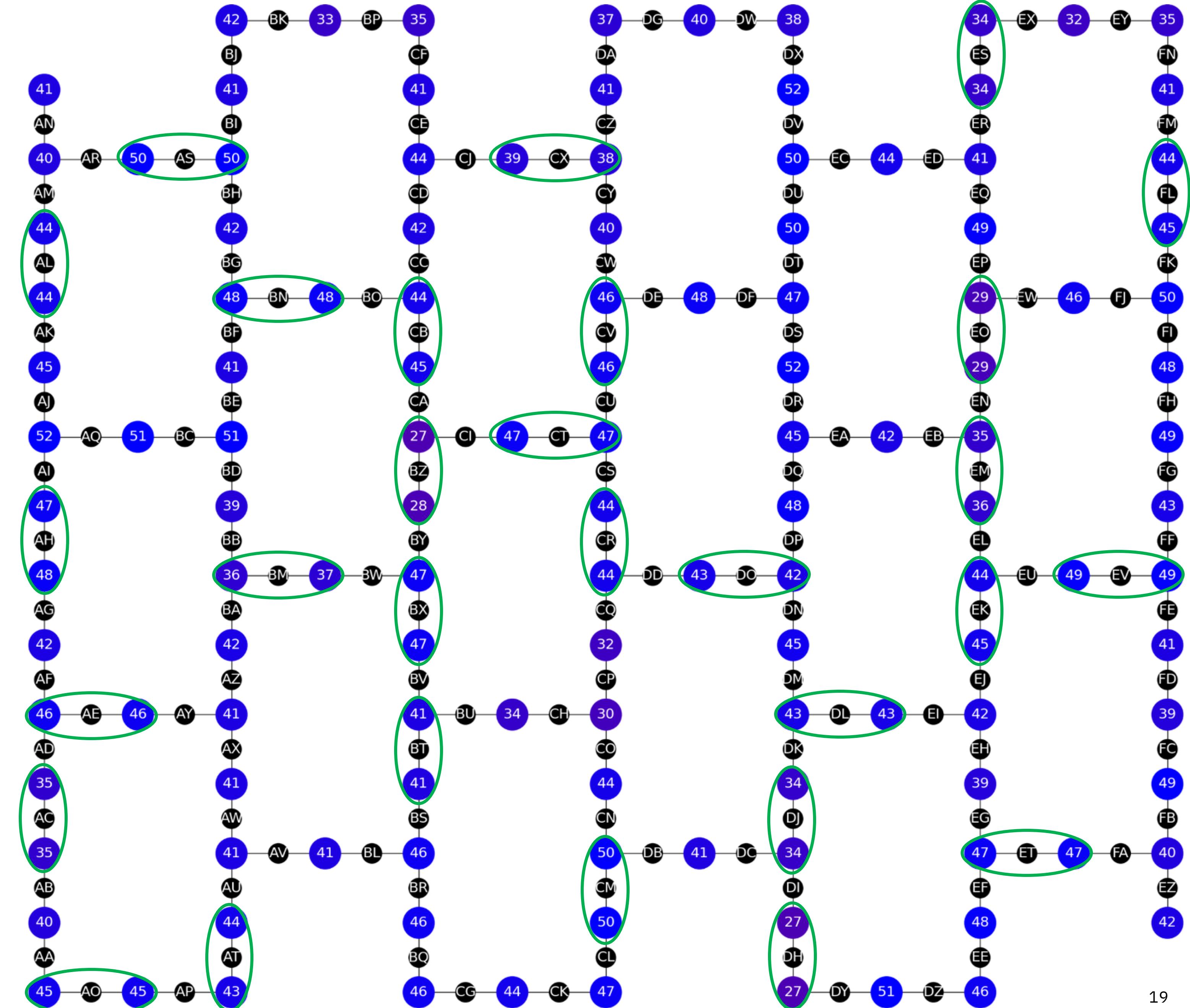
Puzzles from ibm_kyiv

- Example of a round 50 puzzle with cleanup



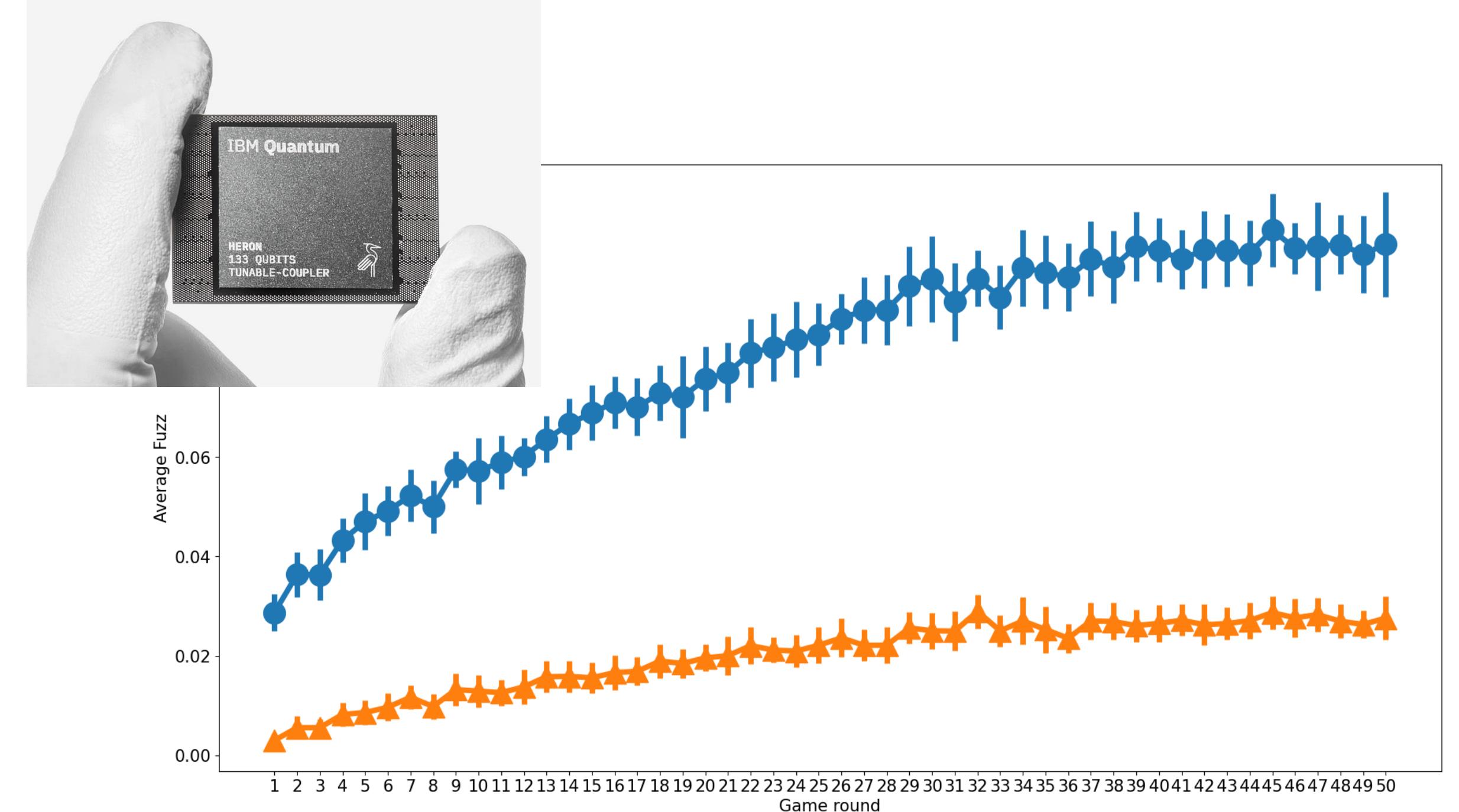
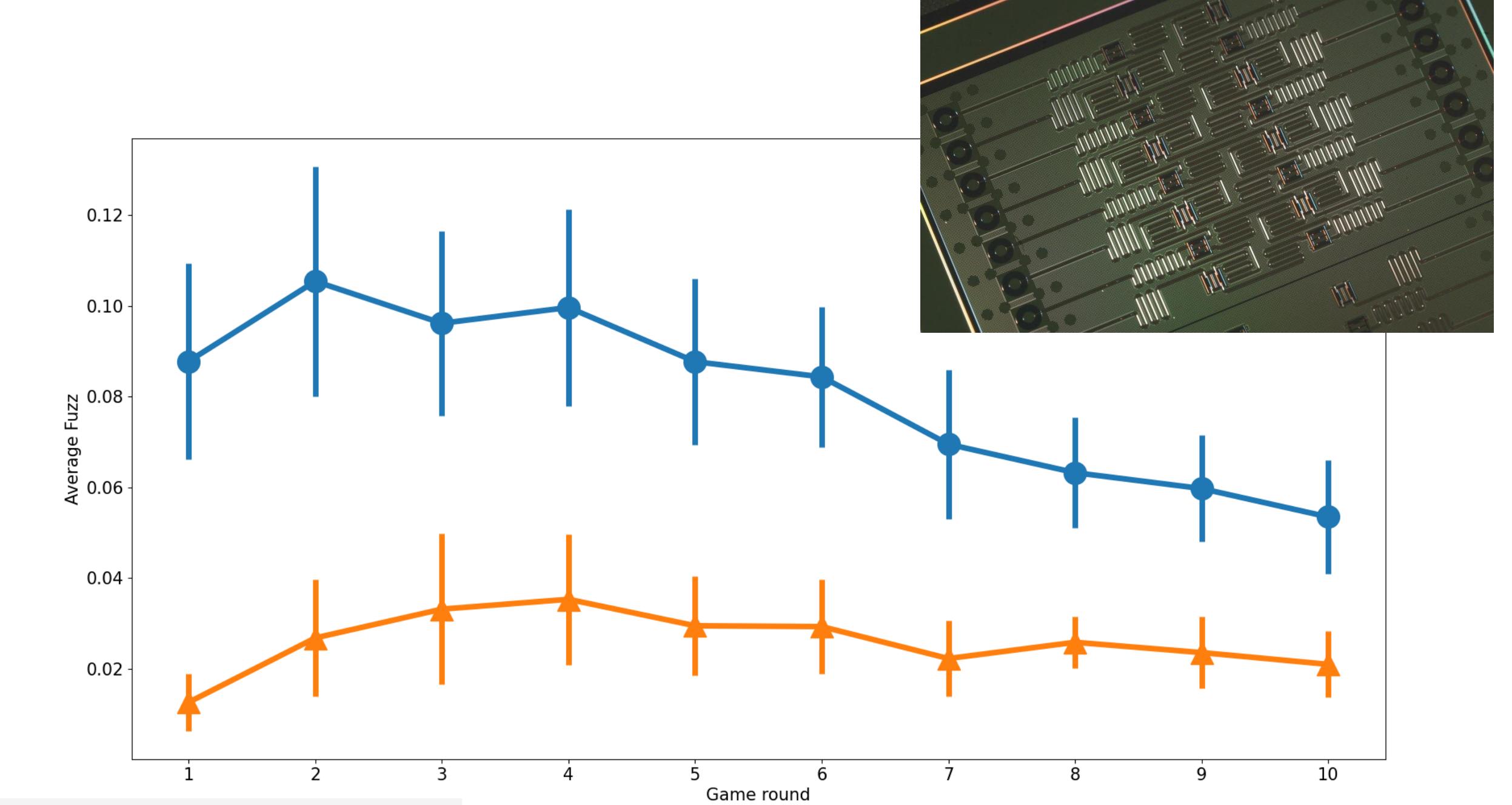
Puzzles from ibm_kyiv

- Example of a round 50 puzzle with cleanup



Conclusions

- We ran something that barely worked in 2018
- Now it works great with over 100 qubits!



Now time to play!

- The code and data for all these games is open source
- You can try solving the puzzles yourself
- You could also use the data to make something new!
- Why not make a game with >100 qubit data this weekend?



The screenshot shows a Jupyter Notebook interface. The toolbar at the top includes File, Edit, View, Insert, Cell, Kernel, Widgets, Help, Trusted, and Python 3. A red box highlights the 'Run' button in the toolbar. The code cell contains the following Python code:

```
In [*]: from devices import *
from QuantumAwesomeness import *
%matplotlib inline
while True:
    PlayGame()
```

Below the code cell, a quantum circuit diagram is displayed. It consists of two horizontal lines representing qubits. Various quantum gates (like H, CNOT, and T) are applied to these qubits. A small number '0' is placed near one of the qubits. The circuit ends with a measurement operation.

At the bottom of the notebook, the text reads:

A GAME TO BENCHMARK QUANTUM COMPUTERS
by James R. Wootton
University of Basel/Decodoku

> Press Enter to continue...

Thanks for your
attention

