# Regional Income Disparities, Distributional Convergence, and Spatial Effects:

Evidence from Indonesia

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[Slides available at: https://quarcs-lab.rbind.io]

### Motivation:

- Large regional differences in income per capita despite several policy efforts (Akita 1988; Garcia and Soelistianingsih 1998; Kataoka 2012)
- Spatial effects play a small role in provincial convergence in Indonesia (Vidyattama 2013, 2014)

### Research Objective:

• Study the spatio-temporal dynamics of income per capita accross Indonesian regions using a novel district-level dataset constructed for the 2000-2017 period

### Methods:

- Classical convergence (Barro and Sala-i-Martin 1992)
- Distributional convergence (Quah 1996; Hyndman et. al 1996)
- Spatial autocorrelation (Moran 1948, Anselin et. al 2006)
- Spatial decomposition (Getis 1995; Fischer and Stumpner 2010)

#### Data:

• 514 districts (34 provinces) over the 2000-2017 period.

### Main Results:

- 1. On average, convergence at the provincial and district levels
- 2. Beyond the average, lack of distributional convergence
  - Mostly relative stagnation with some signs of divergence at the tails
- 3. Significant and increasing spatial autocorrelation: ONLY at the district level
- 4. Spatial effects play a role in the distribution dynamics
  - Spatial dependece helps reduce extreme disparities
    - It helps avoid further income polarization

## Outline of this presentation

- 1. Some Stylized Facts
  - On average, convergence at the provincial and district levels
  - Significant and increasing spatial autocorrelation: ONLY at the district level
- 2. Distributional convergence and spatial decomposition frameworks
  - Distributional convergence framework (intuition)
  - Spatial decomposition framework (intution)
- 3. Main Results:
  - Beyond the average, lack of distributional convergence
  - Spatial dependece helps reduce extreme disparities

# (1) Some Stylized Facts

On average, convergence at the provincial and district levels

Significant and increasing spatial autocorrelation: ONLY at the district level

## On average, is there convergence at the provincial level?

#### Sigma Convergence

	Standard Deviation
Dispersion in 2000	0.70
Dispersion in 2017	0.55
Dispersion Ratio	1.27
F-Statistics	1.60
P-Value	0.18

#### Beta Convergence

Vi = 0.00	
	Annual Growth of Regional GDP Per Capita
Beta Coefficient	-0.281
Speed of Convergence	0.019
Half-life time (years)	35.17
R-Squared	0.43
P-Value of Beta	0.00

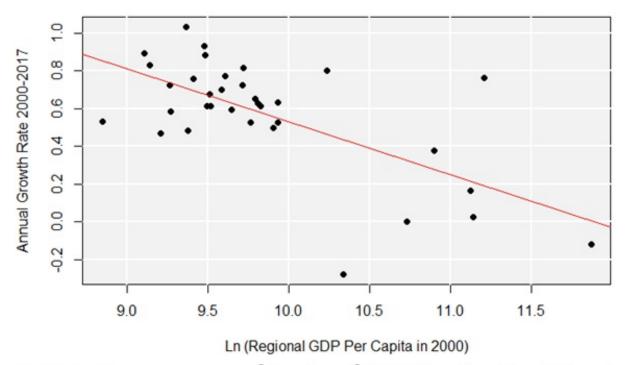


Figure 1. Beta Convergence of Regional GDP Per Capita at Provincial Level

Note: 1. For the beta convergence analysis, the regression include a constant term, which is not presented in the slide.

2. Some missing data in several new provinces are interpolated using linear regression Source: Authors's Calculation

## On average, is there convergence at the district level?

#### Sigma Convergence

	Standard Deviation
Dispersion in 2000	0.81
Dispersion in 2017	0.67
Dispersion Ratio	1.20
F-Statistics	1.40
P-Value	0.00

#### Beta Convergence

5.310	
	Annual Growth of Regional GDP Per Capita
Beta Coefficient	-0.242
Speed of Convergence	0.016
Half-life time (years)	42.5
R-Squared	0.34
P-Value of Beta	0.00

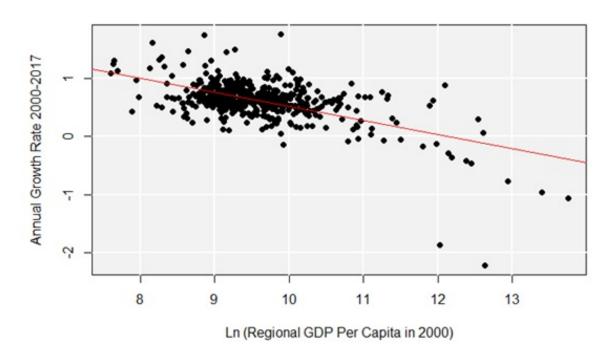


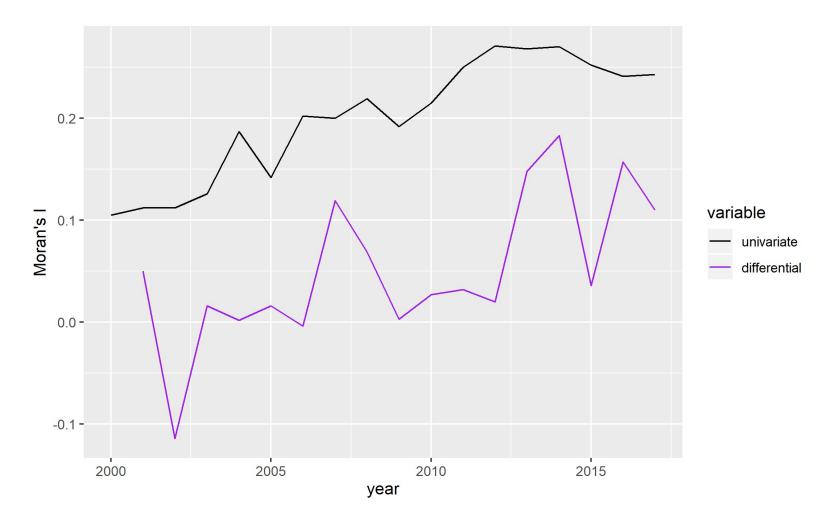
Figure 2. Beta Convergence of Regional GDP Per Capita at District Level

Note: 1. For the beta convergence analysis, the regression include a constant term, which is not presented in the slide.

2. Some missing data in several new districts are interpolated using linear regression Source: Authors's Calculation

## Is spatial dependency at the district level statistically significant?

$$I = \frac{\sum_{i} \sum_{j} w_{ij} z_{i} \cdot z_{j}}{\sum_{i} z_{i}^{2}} = \frac{\sum_{i} (z_{i} \times \sum_{j} w_{ij} z_{j})}{\sum_{i} z_{i}^{2}}.$$

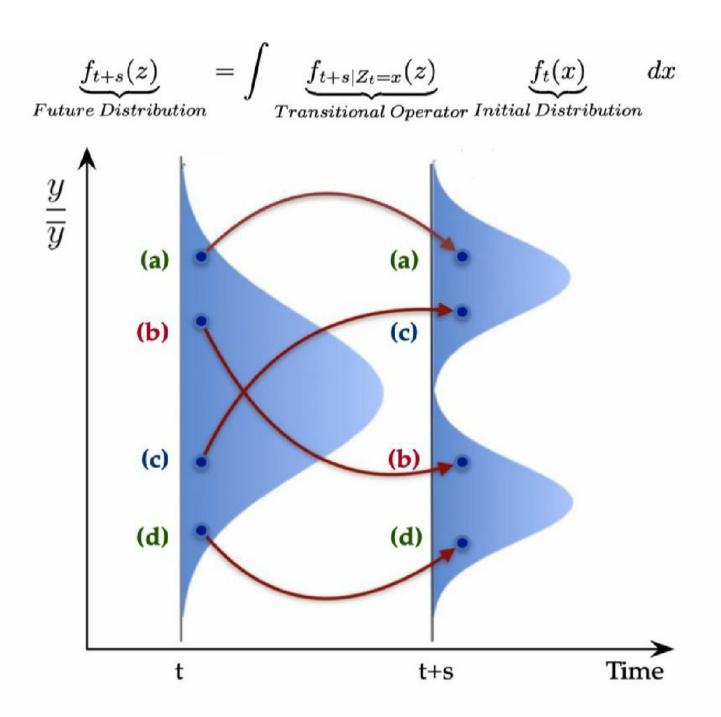


Yes, moreover it is increasing over time.

# (2) Distributional convergence

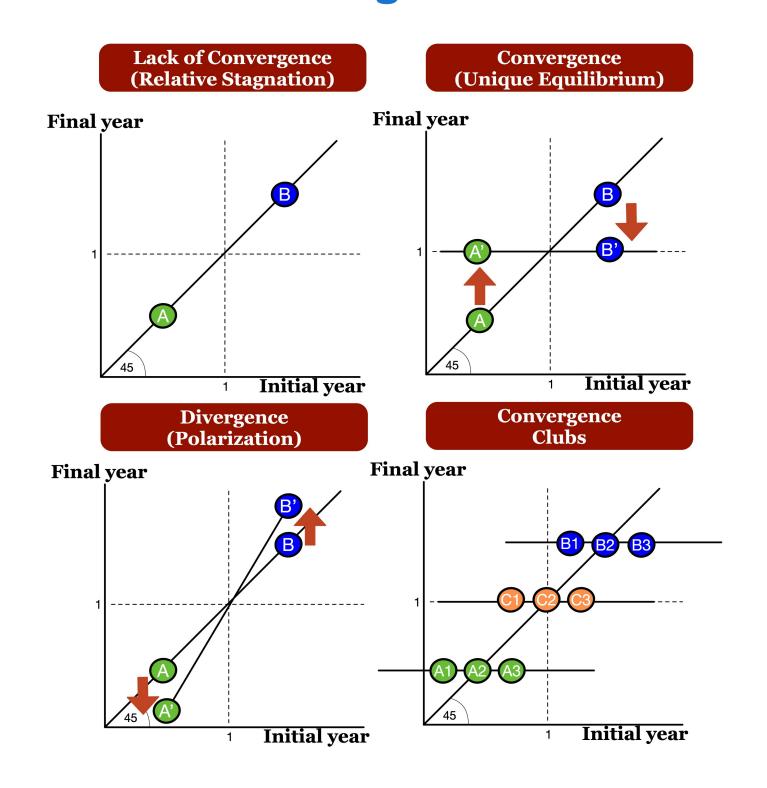
Let's study convergence BEYOND the average

# The distribution dynamics framework



Source: Adapted from Quah (1993).

# Some illustrative patterns of stagnation, convergence, and divergence

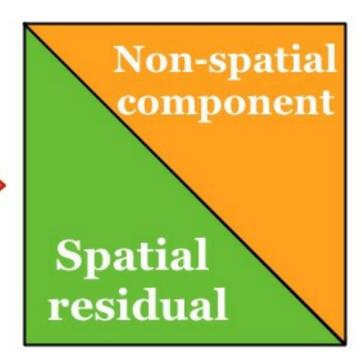


## Spatial decomposition framework: The Getis filter

$$x_i^* = \frac{xi(W_i)}{(n-1)G_i(d_m)}$$

Original Variable

Decomposition (Getis filter)

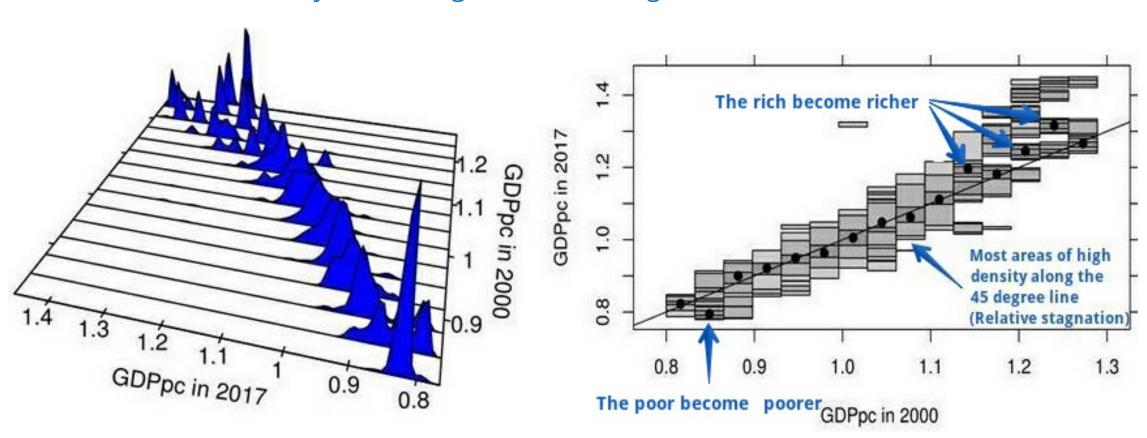


# (3) Main Results

- (1) Beyond the average, lack of distributional convergence
  - (2) Spatial dependece helps reduce extreme disparities

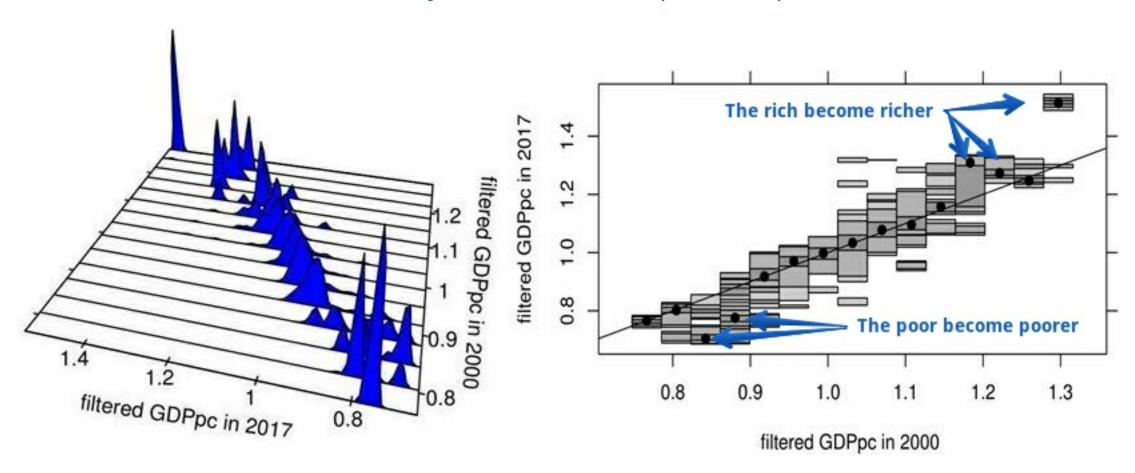
# Beyond the average, lack of distributional convergence

Mostly relative stagnation and divergence at the extremes



# Beyond the average, lack of distributional convergence (further polarization)

Distribution dynamics of the non-spatial component



## **Concluding Remarks**

### Classical convergence VS Distributional convergence

- Classical: On average, convergence
- Distributional: Beyond the average, lack of convergence

## On the role of space

- Increasing spatial autocorrelation
- Geographic neighbors helped reduce some extreme disparities

## **Implications**

- Beyond the average progress, regional inequality is still an issue
- For further research:
  - Using district-level data, what is the role of geographical neighbors in accelerating the speed of convergence?
  - Using the time series of the district-level data, are there convergence clubs?
  - Integration of spatial and dynamic clusters

## Thank you very much for your attention

You can find this presentation on our QuaRCS lab website <a href="https://quarcs-lab.rbind.io">https://quarcs-lab.rbind.io</a>



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