1 Data

- (1) Keng pom tus aub Keng see Clf.sc dog "Keng sees the dog."
- (2) Keng pom cov aub
 Keng see Clf.pl dog
 "Keng sees the dogs." (all of the relevant dogs)
- (3) Keng pom ib tus aub Keng see Indef Clf.sg dog

 "Keng sees a/some dog." (non-specific)
- (4) Keng pom ib cov aub Keng see Indef Clf.pl dog "Keng sees some dogs."
- (5) *Keng pom ib aub Keng sees Inder dog "Keng sees a/some dog."

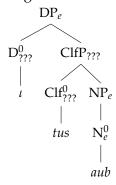
2 Proposal

2.1 Definites

- (6) $\llbracket tus \rrbracket = \lambda P.\lambda x.[P(x) \wedge AT(x)]$
- (7) $\llbracket cov \rrbracket = \lambda P.\lambda x.[P(x)]$
- $(8) \quad \llbracket \iota \rrbracket = \lambda P : \exists x [P(x) \land \forall y [P(y) \to y \le x]] . \iota x [P(x) \land \forall y [P(y) \to y \le x]]$

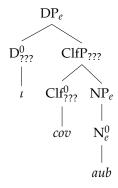
2.2 Definite compositions

(9) Singular definite structure



- (10) Composition for tus aub
 - a. $Clf^0 = \lambda P.\lambda x [P(x) \wedge AT(x)]$
 - b. ClfP = $\lambda x [DOG(x) \wedge AT(x)]$
 - c. $D^0 = \lambda P : \exists x [P(x) \land \forall y [P(y) \rightarrow y \le x]] . \iota x [P(x) \land \forall y [P(y) \rightarrow y \le x]]$
 - d. **DP** = $\iota x[\text{dog}(x) \land AT(x) \land \forall y[\text{dog}(y) \land AT(y) \forall y \leq x]]$ <u>defined iff:</u> $\exists x[\text{dog}(x) \land AT(x) \land \forall y[\text{dog}(y) \land AT(y) \rightarrow y \leq x]]$

(11) Plural definite structure



(12) Composition for cov aub

a.
$$Clf^0 = \lambda P.\lambda x.P(x)$$

b. ClfP =
$$\lambda x.\text{DOG}(x)$$

c.
$$D^0 = \lambda P : \exists x [P(x) \land \forall y [P(y) \rightarrow y \leq x]] . \iota x [P(x) \land \forall y [P(y) \rightarrow y \leq x]]$$

d. **DP** =
$$\iota x[pog(x) \land \forall y[pog(y) \rightarrow y \leq x]]$$

defined iff: $\exists x[pog(x) \land \forall y[pog(y) \rightarrow y \leq x]]$

2.3 Indefinites

(13)
$$[\![ib]\!]^g = \lambda P_{\langle e,t \rangle}.f_{cf}(\lambda y.P(y) = 1)$$

2.4 Contexts

(14) AUB_C: {Apollo, Mars, Copper}

a. $tus\ aub = A$

b. ib tus aub = A or M or C

(15) *AUB_C*: {Apollo, Mars, Copper}

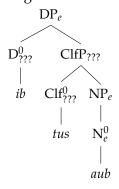
a. $cov \ aub = AMC$

b. ib cov aub = AMC or AM or AC or CM or A or M or C

c. *ib cov aub* = AM or AC or CM (via anti-presupposition)

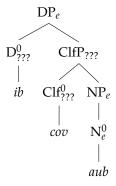
2.5 Indefinites composition

(16) Singular indefinite structure



insert sg definite compositional steps

(17) Plural indefinite structure



insert pl definite compositional steps