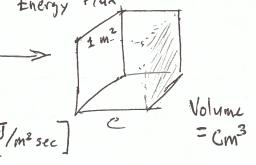
4/20/2020

Poynting Vector, Oscillating Charges, Polarization

Magnetic field density energy
$$U_{B} = \frac{1}{2H_{o}} \frac{B^{2}}{B^{2}} \qquad [J/m^{5}]$$

$$= \frac{1}{2H_{o}} \frac{E^{2}}{C^{2}} = \frac{1}{2} \mathcal{E}_{o} E^{2}$$

Total Energy deasity



$$\left[\begin{array}{c} \frac{W}{m^2} \end{array}\right]$$

"the energy transfer per unit area per unit time" "Energy Flux 3= Ex H

Time Averaged Value of Poynting Vector

$$\langle 5 \rangle = \frac{1}{2} E_0 B_0 / M_0$$

= $\frac{1}{2} \frac{E_0^2}{M_0 C}$

" the instantaneous power flow due to instantaneous E/M fields

Example

Plane E/M Wave

$$\langle 5 \rangle = \frac{1}{2} \frac{100^2}{400} = 13 \text{ W/m}^2$$

(Poynting Vector independent of Arequency f, ω)

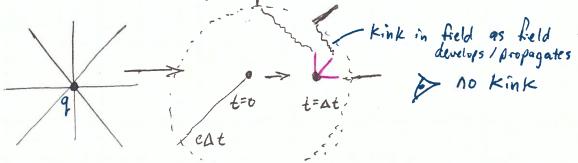
Now, E = 1,000 V/m

Note S seales as E2

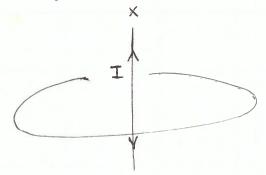
Note, plane waves exist at all time in all of space (planes are infinite in math...)

How is an EM wave produced?

Begin w/ stationary charge, accelerate for time at

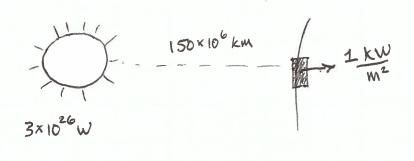


Charges on a wire, antenna



Plane wave solution is not very realistic

Sun's energy at Earth, Poynthy vector and E-Rield



$$\langle S \rangle = \frac{1}{2} \frac{E_0^2}{M_0 c}$$

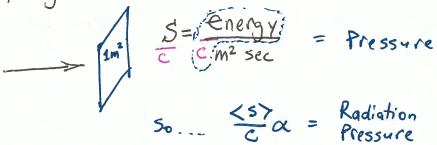
$$\downarrow 1,000 = \frac{1}{2} \frac{E_0^2}{M_0 c}$$

$$E_0 \approx 870 \text{ V/m}$$

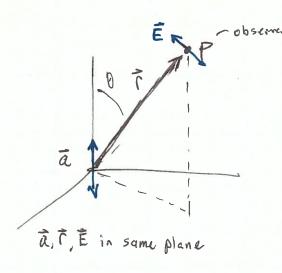
Photons are individual packets (~bullets) that carries energy and so it has momentum.

p = energy of 1 photon

Paynting Vector and momentum



One is white due to sun's radiation pressure other is blue due to solar wind



Oscillating charge is accelerated

We know, $\vec{E} \perp \vec{\Gamma}$, $\vec{E} \propto q \underline{a} \frac{\sin \theta}{\Gamma}$ so, $\vec{S} \propto q^2 \frac{a^2}{\Gamma^2} \sin^2 \theta$ Poynting

Vector

DEMO

Polarization

transmitter transmits at 10 GHZ (2 = 3cm)

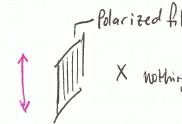
audio modulated ~ 1 KHZ

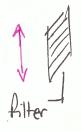


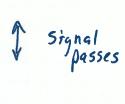




must match to work!







DEMO 75 MHz (2 = 4m)

