一、 求解下列微分方程:

$$\int_{1}^{\infty} dx + xe^{y} dy = e^{y} dx$$

$$\int_{2}^{2} y^2 dx + (xy + x^2) dy = 0$$

3.
$$\frac{dy}{dx} - y \tan x = \sec x, y \Big|_{x=0} = 0.$$

$$xy'' + y' = 0.$$

5.
$$y'' = \frac{y'^2}{y-1}$$

$$_{6.} \quad y'' - y = e^{x}$$

$$y'' + 4y = \cos x$$

二、在上半平面求一条向上凹的曲线,其上任一点P(x,y)处的曲率等于此曲线在该点的法线段PQ长度的倒数(Q是法线与x轴的交点),且曲线在点(1,1)处的切线与x轴平行.