









Are Anchor Points Really Indispensable in Label-Noise Learning?

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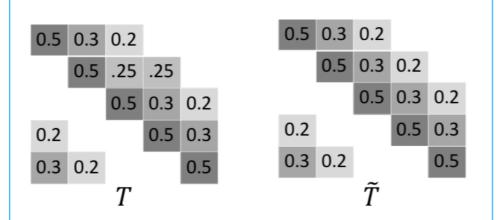
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OVERVIEW

- A new paradigm called T-Revision combating with noisy labels is presented, which effectively learn transition matrices, leading to better classifier.
- The generalization error bound is derived to theoretically prove the effectiveness of our method.
- Experiments on simulated noisy dataset and real noisy dataset demonstrate the excellence of algorithm.

MOTIVATION

Figure 3. Illustrative experimental results (using a 5-class classification problem as an example).



- Let an example have $P(\overline{Y}|X) = [0.141; 0.189; 0.239; 0.281; 0.15];$
- With the true transition matrix T, $P(Y|X) = (T^{T})^{-1}P(\overline{Y}|X)$ = [0.15; 0.28; 0.25; 0.3; 0.02]
- ullet If the transition matrix is not $\ \ \$ accurately learned as \tilde{T} ,

 $P(Y|X) = (\tilde{T}^{\top})^{-1}P(\bar{Y}|X)$ = [0.1587; 0.2697; 0.2796; 0.2593; 0.0325]

IMPORTANCE REWEIGHTING

$$\bar{R}_{n,w}(T,f) = \frac{1}{n} \sum_{i=1}^{n} \frac{g_{\bar{Y}_{i}}(X_{i})}{(T^{\mathsf{T}}g)_{\bar{Y}_{i}}(X_{i})} l(f(X_{i}), \bar{Y}_{i})$$

QR CODE





Paper

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ALGORITHM DESCRIPTION

Figure 1. An overview of the proposed method. The proposed method will learn a more accurate classifier because the transition matrix is renovated.

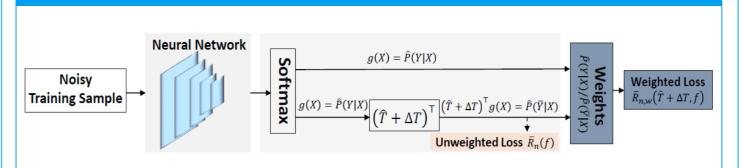


Figure 2. The process of Reweight-R Algorithm.

Algorithm 1 Reweight T-Revision (Reweight-R) Algorithm.

Input: Noisy training sample \mathcal{D}_t ; Noisy validation set \mathcal{D}_v .

Stage 1: Learn \hat{T}

- 1: Minimize the unweighted loss to learn $\hat{P}(\bar{Y}|X)$ without a noise adaption layer
- 2: Initialize \hat{T} according to Eq. (1) by using instances with the highest $\hat{P}(\bar{Y}=i|X)$ as anchor points

Stage 2: Learn the classifier f and ΔT

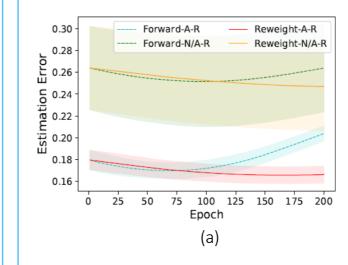
- 3: Initialize the neural network by minimizing the weighted loss with a noisy adaption layer \hat{T}^\top
- 4: Minimize the weighted loss to learn f and ΔT with a noisy adaption layer $(\hat{T} + \Delta T)^{\top}$; //Stopping criterion for learning $\hat{P}(\bar{Y}|X)$, f and ΔT : when $\hat{P}(\bar{Y}|X)$ corresponds the minimum classification error on the noisy validation set \mathcal{D}_v

Output: \hat{T} , ΔT , and f.

RESULTS

Figure 4. The estimation error of the transition matrix by employing classifier-consistent and risk- consistent estimators on CIFAR10 dataset.

(a) Sym-20 label noise. (b)Sym-50 label noise.



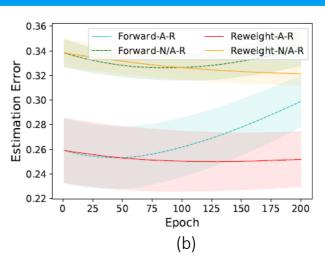


Table 1. Classification accuracy on synthetic noisy dataset and real noisy dataset.
(a) / (b) Means and Standard Deviations(Percentage) of classification accuracy on CIFAR10

dataset with / without anchor points.
(c) Classification Accuracy (Percentage) on Clothing1M.

Models	Sym-20	Sym-50
Decoupling-A	79.85±0.30	52.22±0.45
MetorNet-A	80.49 ± 0.52	70.71±0.24
Co-teaching-A	82.38±0.11	72.80 ± 0.45
Forward-A	85.63 ± 0.52	77.92±0.66
Reweight-A	86.77 ± 0.40	80.16.±0.46
Forward-A-R	88.10±0.21	81.11±0.74
Reweight-A-R	89.63±0.13	83.40±0.65

Models	Sym-20	Sym-50		
Decoupling-N/A	75.37±1.24	47.19±0.19		
MetorNet-N/A	78.51 ± 0.31	67.37±0.30		
Co-teaching-N/A	81.72±0.14	70.44 ± 1.01		
Forward-N/A	84.75±0.81	74.32±0.69		
Reweight-N/A	85.53±0.26	$77.70.\pm1.00$		
Forward-N/A-R	86.93±0.39	77.14 ± 0.65		
Reweight-N/A-R	88.90±0.22	81.55±0.94		

(a)

(b)

Decoupling	MentorNet	Co-teaching	Forward	Reweight	Forward+R	Reweight+R
53.98	56.77	58.68	71.79	70.95	72.25	74.18
			(c)			