

R08922130 Jty

2、有很多張動物的圖片,又釋注其中領張為哪一類,應哺乳類、爬蟲類 再利用特徵分類訓練其它未標注的照片、訓練完後就可以得到 一個動物分類器

Input $D = \left\{ (X_n, Y_n) \right\}_{n=1}^{N}$

O L 個 测 試 資料,可能的預測 結果有上 test set = {XNtl} D k個預測放功的組合有Ck,對應的E

為七

$$E_{f}\left(E_{oTs}(A_{Cp}), f\right) = \frac{1}{2^{L}} \frac{1}{k \cdot D} \left(k \times C_{k}\right) = \frac{0 + 1 \times C_{1}^{L} + 2 \times C_{2}^{L} \cdot \cdots \cdot L \times C_{1}^{L}}{1 \times 2^{L}}$$

$$= \frac{2 \left(o \times C_{0}^{L} + 1 \times C_{1}^{L} + 2 \times C_{2}^{L} \cdot \cdots \cdot L \times C_{L}^{L}\right)}{2 \times L \times 2^{L}}$$

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$$= \frac{1}{2^{L}} \frac{1}{k \cdot D} \left(k \times C_{k}\right) =$$

Problem 4.5.

A	even hum	od hum
A	orange	green
В	green	orange

4. 4種骰子只有兩種有 green !

一只有green 1 的機率是是

$$\Xi = \chi = (\frac{1}{2})^5 = \frac{1}{32}$$

5. 女類骰子中有數字全線.

Compare Problem 4,5.

① Problem 4 不用在意重複的状况。 Problem 5 需要

②Problem 4 用普通機率比較好算, Problem 5 用組合數的概念較好算

6. average number : 39.80

7. average error rate: 0.11

8. average error rate = 0.34

9. No work

set XT = XT for 1 = T = N

that is. a the original max 11 Xn211, if x max is the max 11 Xmax 12 then x max = max 11 Xn112

min yn wet Xn at Xmin, then min yn wet Xnin

combre D S

$$(R)^{2} = \max_{n} |x_{n}|^{2}$$

$$= \max_{n} |x_{n}|^{2}$$

$$= \min_{n} |x_{n}| |x_{n}|$$

$$= \min_{n} |x_{n}| |x_{n}|$$

$$= \lim_{n} |x_{n}| |x_{n}|$$

$$= \frac{R^{2}}{100} = (\frac{R}{10})^{2}$$

$$= \frac{Q}{10}$$

$$\frac{1}{(p')^2} = \frac{p^2}{(p^2)^2} = \frac{R^2}{(p^2)^2}$$

The don't work If all Xn are scaled down by a factor 10.

Numbers of Update V.S Frequency of the Number, Average = 40.10





