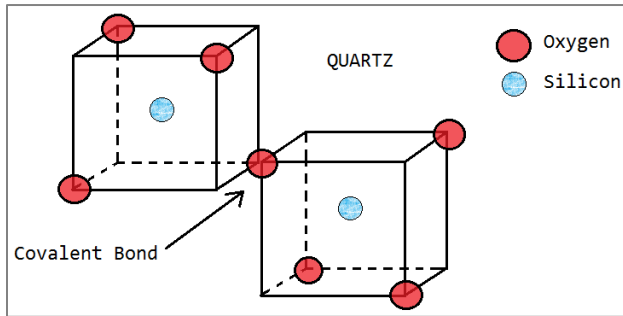


MIME 262, Lecture #09, February 06, 2012

Group Members: Alexander Hugh Sam, Gregory Kim, Omer Chughtai, Riham Bichri

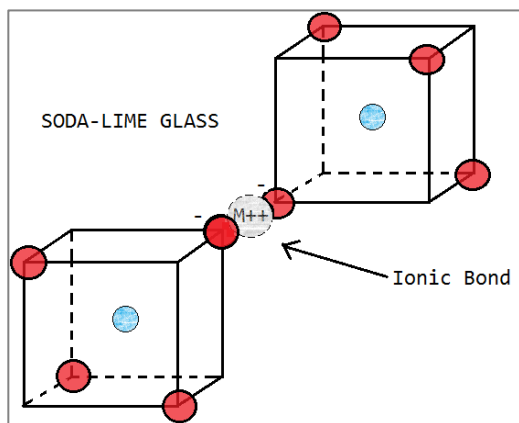
Melting points

Quartz (SiO_2): $\sim 1700^\circ\text{C}$



- Covalent bond requires higher energy to break

Soda-Lime Glass: $\sim 550^\circ\text{C}$



- ❖ Production is less expensive
 - Lower melting point than Quartz
 - Ionic bonds requires less energy than covalent bonds

Lead (Pb) Crystal Glass: $\sim 800^\circ\text{C}$

- Crystal but amorphous

Index of Refraction

Higher index (n) \rightarrow Greater spreading of white light into its substituting colors \rightarrow "Prettier to look at"

Quartz: $n = 1.5$

Soda-Lime glass: $n = 1.5$

Lead crystal glass: $n = 1.7$

Diamond: $n = 2.42$

Artificial Fibers

Glass Fibers:

- Inexpensive, light & strong

e.g. Fiberglass (mix of epoxy and glass):

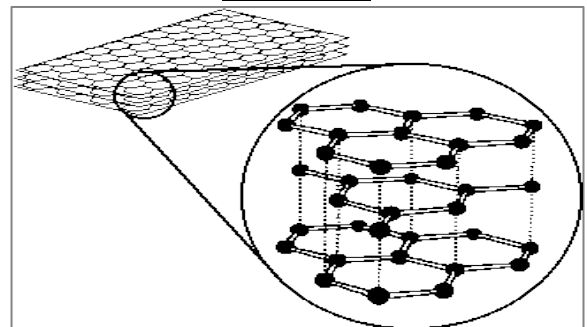
- Good insulator

Carbon (Graphite) Fibers:

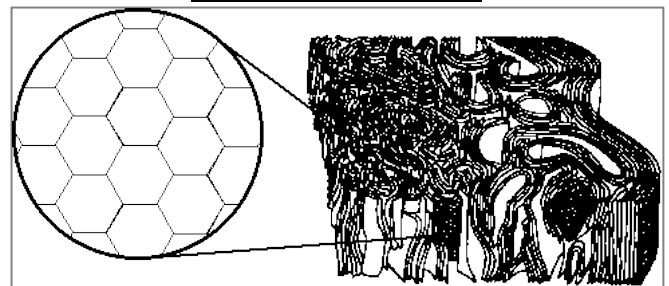
- Light and very low density
- Graphite is used as dry lubricant

e.g. pencil, aircrafts, tennis rackets, cars,...

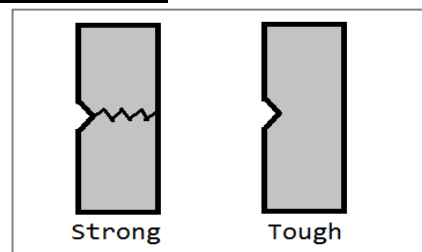
Graphene



Graphene rolled up



Strong vs Tough



- *Strong (brittle):* Cracks propagates
- *Tough (ductile):* Cracks don't propagate

CHAPTER 7 THERMODYNAMICS

Laws of Thermodynamics

1st Law: "Energy (E) is conserved"

- ❖ Energy can be changed from one form to another, but it cannot be created or destroyed

$$E_k = \frac{1}{2}mv^2$$

$$E_w = \hbar\omega \quad \hbar: \text{Planck Constant}$$

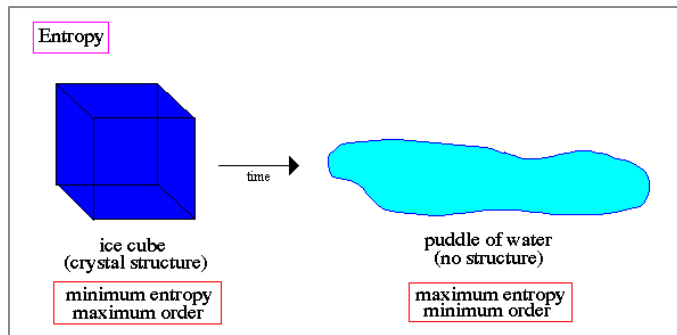
$$E = mc^2 \quad c: \text{Speed of Light}$$

2nd Law: Entropy (S)

- ❖ In any closed system, the entropy of the system will either remain constant or increase.
- ❖ Entropy is the change or disorder of a microstate (Temperature (T), Pressure (P), Volume (V), Energy (E) or Molecule (N)) in a particular system

Example

- ❖ Ice melting in water



$$S = f(E, V, \{N\})$$

Entropy is a function of:

- E: Energy
- V: Volume
- N: Content of the system

Mathematical definition

$$\textcircled{1} \frac{dS}{dE} = \frac{1}{T} \quad T \triangleq \text{"Absolute"} = [^{\circ}\text{K}]$$

$$\textcircled{2} \frac{dS}{dV} = \frac{P}{T} \quad P: \text{Pressure}$$

$$\textcircled{3} \frac{dS}{dN_k} = \frac{-\mu_k}{T}$$

$$\textcircled{4} dS = \left[\frac{dS}{dE} \right] dE + \left[\frac{dS}{dV} \right] dV + \sum_k \left[\frac{dS}{dN_k} \right] dN_k$$

$\mu_k \triangleq$ "Chemical Potential of k^{th} particle"

$N_k \triangleq$ "Mole number k^{th} component"

- ❖ Change in Energy, Volume, or Particle
→ Entropy changes

$$dE = TdS - PdV - \sum_k \mu_k$$

TdS: Thermal Work (e.g. Steam Engine)

PdV: Mechanical Work (e.g. Pressure)

Boltzmann Entropy Formula

$$S(E, V, \{N\}) = k_b \ln \Omega(E, V, \{N\})$$

k_b : Boltzmann Constant

Ω : degeneracy of states in a system (total number of distinct ways of assigning positions and momenta to the particles)

Analogy of degeneracy of states (Ω)



Volume: $V_1 = V_2$

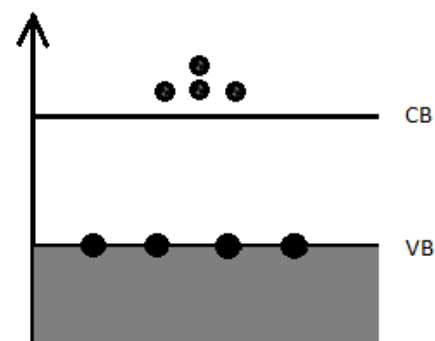
Temperature: $T_1 < T_2$

of people (molecules): $N_1 < N_2$

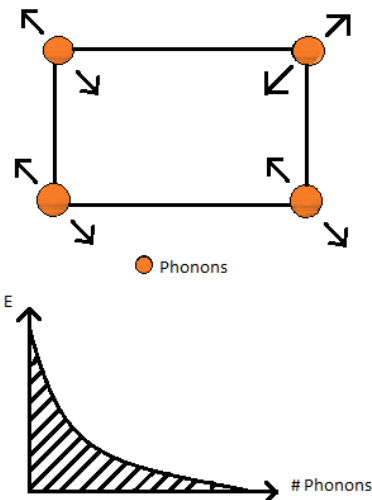
- Ways of assigning positions increased
- Momenta of people increased
- Thus, Ω increases

TYPES OF ENTROPY

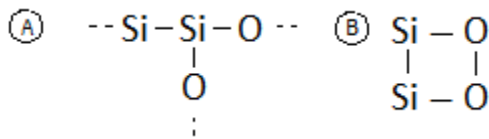
1) Electronic Entropy



2) Vibrational Entropy



3) Configurational Entropy



3rd Law: 0°K “nothing happens”

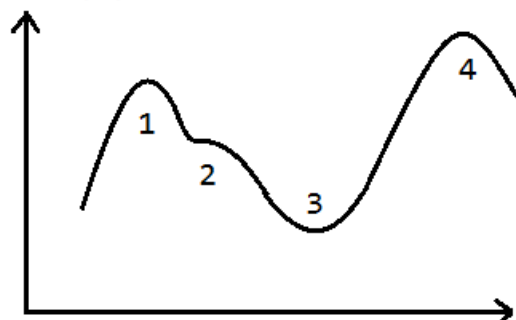
- ❖ The entropy of a system at absolute zero is typically zero, and in all cases is determined only by the number of different ground states it has.

$$T \rightarrow 0^\circ\text{K}$$

$$\Omega \rightarrow 1$$

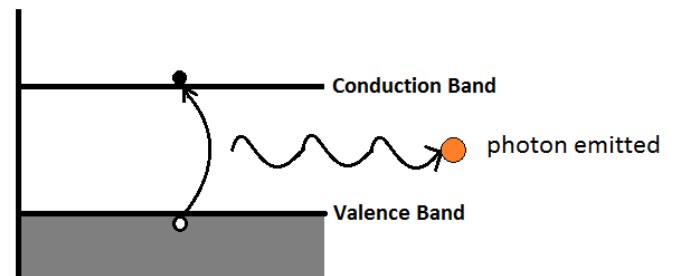
$$S \rightarrow 0$$

States (S)



- ① Meta Stable
- ② & ③ Unstable
- ④ Global Minimum

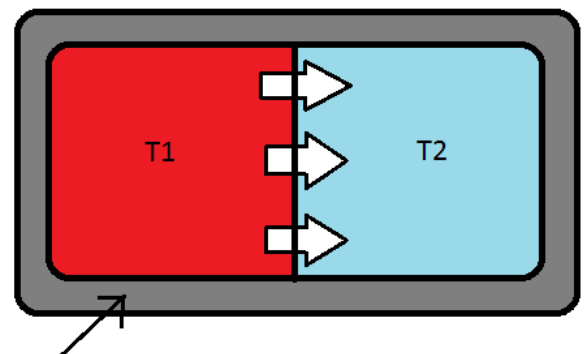
Emitting light on a photocell



Eventually the electron will fall back down to the valence band → emitting photon

Entropy: Mathematical Example

$$T_1 > T_2$$



Perfect Insulator

$$dS = \frac{dE}{T} + \frac{P}{T} dV - \sum_k \left[\frac{\mu_k}{T} \right] dN_k$$

$$dS = dS_1 + dS_2$$

$$dS = \frac{dE_1}{T_1} + \frac{dE_2}{T_2}$$

$$dE_1 = -dE_2$$

$$dS = -dE_2 \left(\frac{1}{T_1} - \frac{1}{T_2} \right) \geq 0$$

$$T_1 > T_2; \left(\frac{1}{T_1} - \frac{1}{T_2} \right) < 0$$

$$-dE_2 \left(\frac{1}{T_1} - \frac{1}{T_2} \right) \geq 0$$

$$dE_2 > 0$$