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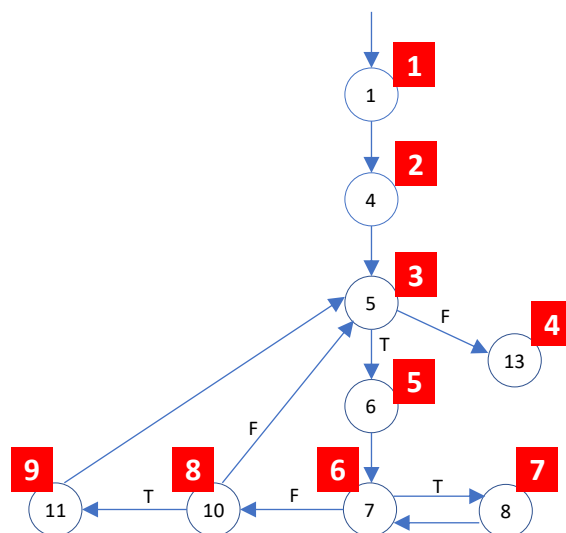
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## Question 1

- a) The null value for arr will make the state stop at the first “for” loop state as range(0,0).  
Input : arr=null  
Expected output : 0  
Actual output : 0
- b) Once the fault statement is executed, which means  $\text{len}(\text{arr}) \geq 2$ . It must result in less loops for j than expectation. Therefore, the error must happen.
- c) If the last element is negative, which means the expected result does not depend on the last number in arr, the error state happens but no failure.  
Input : arr = [1, 2, 7, 12, -6, -3]  
Expected output : 22  
Actual output : 22
- d) The length of array x is 4. When  $i = 1$ , the expectation for j loop is to sum the first element in x. Because the error of this statement, j should be assigned 0 but is not assigned value. So this is the first error happen.  
Input : arr=[4, 0, -2, 3]  
Expected output : 5  
Actual output : 4  
First error state:  
— arr=[4, 0, -2, 3]  
— i= 0  
— j= undefined  
— res = 0  
— temp = 0  
— PC = if temp > res

e)



## Question 2

(a)

```
class RepeatUntilStmt (object):
    def __init__ (self, cond, rept_stmt, inv = none):
        self.cond = cond
        self.rept_stmt = rept_stmt
        self.inv = inv
```

(b)

The formalized semantics are as follows:

If  $B[b]s=ff$ , 
$$\frac{\langle S, q \rangle \Downarrow s' \quad \langle S; \text{repeat } S \text{ until } b, s' \rangle \Downarrow s''}{\langle \text{repeat } S \text{ until } b, q \rangle \Downarrow s''}$$

If  $B[b]s=tt$ , 
$$\frac{\langle S, q \rangle \Downarrow s'}{\langle \text{repeat } S \text{ until } b, s' \rangle \Downarrow s'}$$

(c)

The formula can be divided as follow steps:

$$\frac{\frac{\langle x:=2, [] \rangle \Downarrow x:=2 \quad \langle b, x:=2 \rangle \Downarrow \text{false}}{\langle x:=x-1; \text{repeat } x:=x-1 \text{ until } x \leq 0, x:=2 \rangle \Downarrow x:=0} \quad \langle b, x:=0 \rangle \Downarrow \text{true}}{\langle \text{repeat } x:=x-1 \text{ until } x \leq 0, x:=0 \rangle \Downarrow x:=0}$$

Therefore, the judgement is valid.

(d)

If  $B[b]=ff$ , according to (b),  $\langle \text{repeat } S \text{ until } b, q \rangle \Downarrow s''$

$$\frac{\langle S, s \rangle \Downarrow s' \quad \langle \text{repeat } S \text{ until } b, s' \rangle \Downarrow s''}{\langle \text{repeat } S \text{ until } b, q \rangle \Downarrow s''}$$

We assume  $\langle \text{repeat } S \text{ until } b, s' \rangle$  equals to  $\langle S; \text{while not } b \text{ do } S, s' \rangle$ ,  $T1 = \langle S, q \rangle \Downarrow s'$ ,  $T2 = \langle \text{repeat } S \text{ until } b, s' \rangle \Downarrow s''$ . Therefore,  $T2 = \langle S; \text{while not } b \text{ do } S, s' \rangle$ .  $T2$  can be divided to " $\langle S, s' \rangle \Downarrow s1'$ ,  $\langle \text{while not } b \text{ do } S, s1' \rangle \Downarrow S$ ". Then merge  $T1$  and  $T2$  to be  $\langle S, s \rangle \Downarrow s1'$ . At last, merge it with while. It will be  $\langle S; \text{while not } b \text{ do } S, s \rangle \Downarrow s''$ . Therefore  $\langle S; \text{while not } b \text{ do } S \rangle$  is equal to  $\langle \text{repeat } S \text{ until } b \rangle$ .

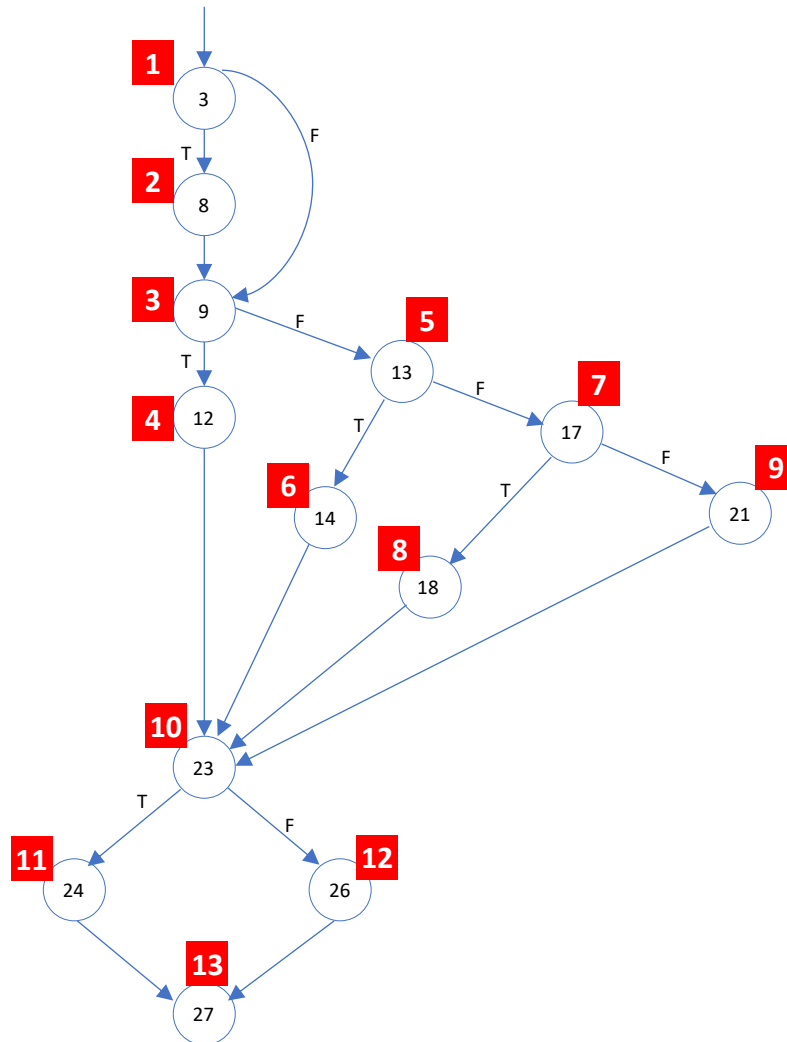
If  $B[b]=tt$ , according to (b),  $\langle \text{repeat } S \text{ until } b, q \rangle \Downarrow s'$

$$\frac{\langle S, q \rangle \Downarrow s'}{\langle S; \text{skip}, s \rangle \Downarrow s'}$$

Obviously,  $\langle S; \text{skip}, s \rangle$  equals to  $\langle S; \text{while not } b \text{ do } s, s \rangle$ . Therefore when  $B[b]=tt$ , these two statements are same semantically.

Conclusion: the two statements are semantics equivalent.

3.(a)



(b)

$TR_{NC}$ :

$\{1, 2, 3, 4, 5, 6, 7, 8, 9, 10, 11, 12, 13\}$

$TR_{EC}$ :

$\{[1, 2], [2, 3], [1, 3], [3, 4], [3, 5], [5, 6], [5, 7], [7, 8], [7, 9], [4, 10], [6, 10], [8, 10], [9, 10], [10, 11], [10, 12], [11, 13], [12, 13]\}$

$TR_{EPC}$ :

{[1, 2, 3], [1, 3, 4], [1, 3, 5], [2, 3, 4], [2, 3, 5], [3, 4, 10], [3, 5, 6], [3, 5, 7], [4, 10, 11], [4, 10, 12], [5, 6, 10], [5, 7, 8], [5, 7, 9], [6, 10, 11], [6, 10, 12], [7, 8, 10], [7, 9, 10], [8, 10, 11], [8, 10, 12], [9, 10, 11], [9, 10, 12], [10, 11, 13], [10, 12, 13]}

**TR<sub>PPC</sub>:**

{[1, 2, 3, 4, 10, 11, 13], [1, 2, 3, 4, 10, 12, 13], [1, 2, 3, 5, 6, 10, 11, 13], [1, 2, 3, 5, 6, 10, 12, 13], [1, 2, 3, 5, 7, 8, 10, 11, 13], [1, 2, 3, 5, 7, 8, 10, 12, 13], [1, 2, 3, 5, 7, 9, 10, 11, 13], [1, 2, 3, 5, 7, 9, 10, 12, 13], [1, 2, 3, 4, 10, 12, 13], [1, 3, 4, 10, 12, 13], [1, 3, 5, 6, 10, 11, 13], [1, 3, 5, 6, 10, 12, 13], [1, 3, 5, 7, 8, 10, 11, 13], [1, 3, 5, 7, 8, 10, 12, 13], [1, 3, 5, 7, 9, 10, 11, 13], [1, 3, 5, 7, 9, 10, 12, 13]}

Because in semantically, when  $n=0$ , it can only execute path 4-10-12, other values of  $n$  can't execute node 4 but can only execute node 11. Therefore those nodes coverage are infeasible. The infeasible TR are as follows:

In **TR<sub>EPC</sub>**: {[4, 10, 11], [6, 10, 12], [8, 10, 12], [9, 10, 12]}

In **TR<sub>PPC</sub>**:

{[1, 2, 3, 4, 10, 11, 13], [1, 2, 3, 5, 6, 10, 11, 13], [1, 2, 3, 5, 7, 8, 10, 11, 13], [1, 2, 3, 5, 7, 9, 10, 11, 13], [1, 3, 4, 10, 12, 13], [1, 3, 5, 6, 10, 12, 13], [1, 3, 5, 7, 8, 10, 12, 13], [1, 3, 5, 7, 9, 10, 12, 13]}

(c)

According to (b), **TR<sub>NC</sub>** but not **TR<sub>EC</sub>** (never go through [1, 3]) :

[1, 2, 3, 4, 10, 12, 13], [1, 2, 3, 5, 6, 10, 11, 13], [1, 2, 3, 5, 7, 8, 10, 11, 13], [1, 2, 3, 5, 7, 9, 10, 11, 13]

**TR<sub>EC</sub>** but not **TR<sub>EPC</sub>** (never go through [2, 3, 5]):

[1, 3, 5, 6, 10, 11, 13], [1, 2, 3, 4, 10, 12, 13], [1, 3, 5, 7, 8, 10, 11, 13], [1, 3, 5, 7, 9, 10, 11, 13]

**TR<sub>EPC</sub>** but not **TR<sub>PPC</sub>** (never go through [2, 3, 5, 6]):

[1, 2, 3, 4, 10, 12, 13], [1, 3, 5, 6, 10, 11, 13], [1, 3, 4, 10, 12, 13], [1, 2, 3, 5, 7, 8, 10, 11, 13], [1, 2, 3, 5, 7, 9, 10, 11, 13]

Test Path of Prime Coverage is :

[1, 2, 3, 4, 10, 12, 13], [1, 3, 4, 10, 12, 13], [1, 2, 3, 5, 6, 10, 11, 13], [1, 3, 5, 6, 10, 11, 13], [1, 2, 3, 5, 7, 8, 10, 11, 13], [1, 3, 5, 7, 8, 10, 11, 13], [1, 2, 3, 5, 7, 9, 10, 11, 13], [1, 3, 5, 7, 9, 10, 11, 13]

4.(b)

can't coverage:

**int.py : 35**

because function `_repr_()` doesn't have return value

**int.py : 58**

Because relation expression doesn't have other operations. Once use other illegal notations, this node can't be recognized as RelExpression, so "assert False" can not be executed.

**int.py : 172-189**

Because these three blocks represent how to accept visitor. Only inside of the module can visit those blocks. So it's impossible to cover those.

**paser.py : 114**

Because function `__stmt__()` contains all feasible statements. When given other illegal statements, interpreter recognized it as an error. Then this execution will fail. `self._error` step will never not be executed.

**paser.py : 168, 169**

Because "while do" doesn't have "condition is false then execute other option", therefore there is no more bool expression.

**paser.py : 264**

Because "bfactor" only can be "not". Any other character will not be recognized as legal operation. So the fault statement will result to failure directly but not execute "self\_error".

**paser.py : 448, 449**

When parser encounters newline character, it can only make statements separately but not start a new line.

**parser.py : 556-573**

Because these two blocks represent how to accept visitor. Only inside of the module can visit those blocks. So it's impossible to cover those.