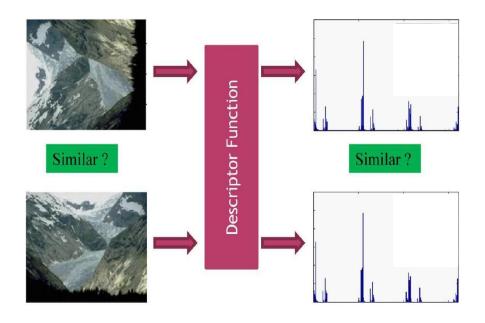
Feature Matching



Computer Vision

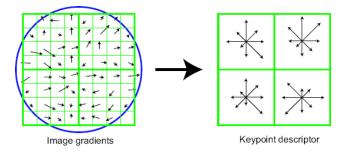
Adduru U G Sankararao, IIIT Sri City

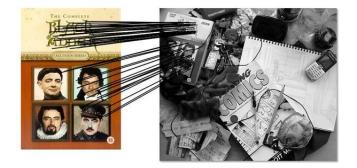
Previous Class

- Local Descriptors:
 - Discriminative
 - Robust
 - Compact
 - Efficient
- Scale Invariant Feature Transform
 - Utilizes gradient information
 - · Gradient direction binning



- Feature Matching
- Evaluation Metrics

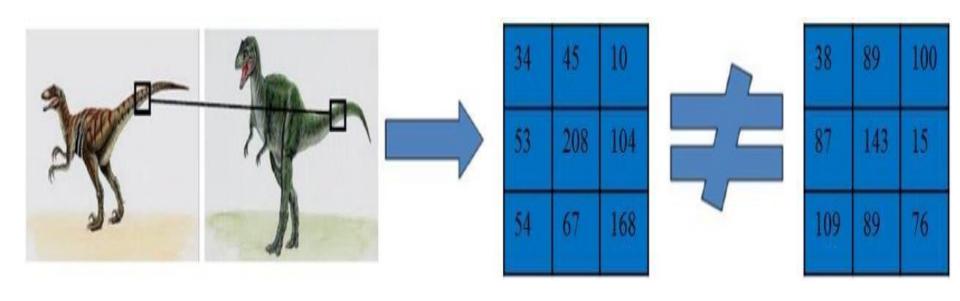




Image/Region Matching

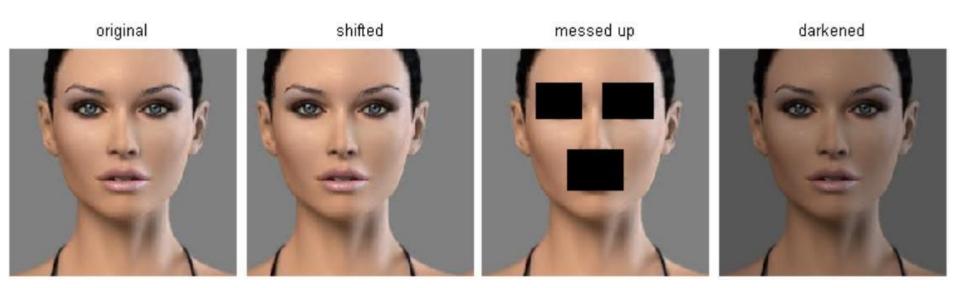
Automatically recognize whether two images/regions contain the similar content.

Comparing the image pixels as they are, will not work.

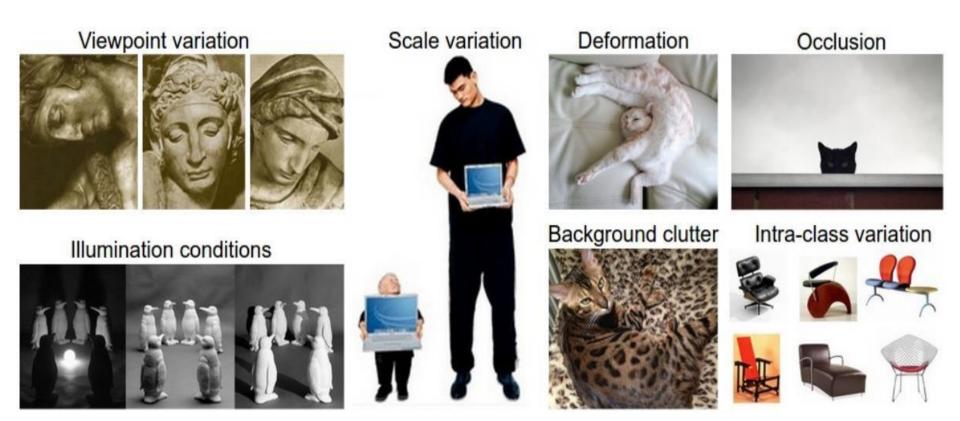


Image/Region Matching

➤ Pixel-based distances on high-dimensional data (and images especially) can be very unintuitive.

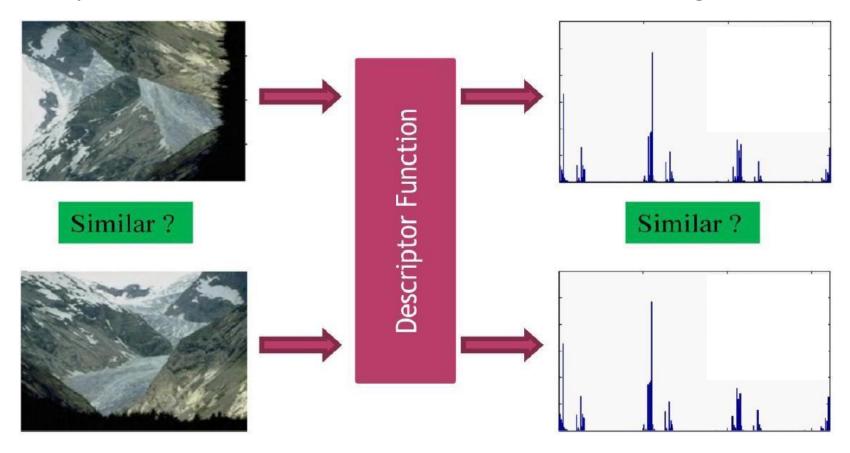


Challenges



Solution

Descriptors allow certain differences between the images.



Comparing using descriptor function (images are taken from Corel-database and RSHD descriptor is used)

Feature matching

Given a feature in I_1 , how to find the best match in I_2 ?

- 1. Define distance function that compares two descriptors
- 2. Test all the features in I_2 , find the one with min distance

How to define the difference between two features f_1 , f_2 ?

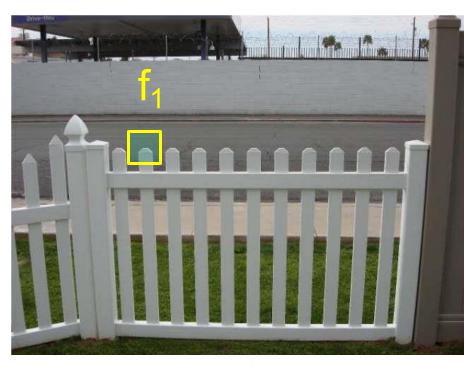
Simple approach: L₂ distance, | | f₁ - f₂ | |

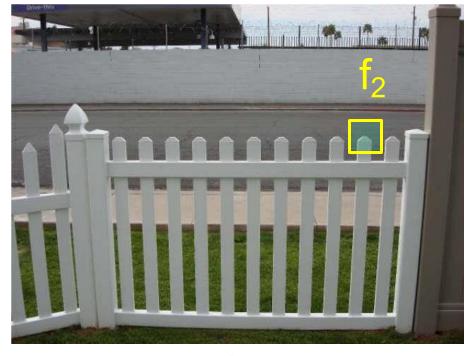
Techniques:

- Brute Force matching (L2, cv::BFMatcher in OpenCV)
- Nearest Neighbour matching
- FLANN-based matching

Brute Force Matcher (BFMatcher)

- Compares each descriptor in one image with all descriptors in the other image.
- Finds the closest match based on a distance metric (eg: L2 norm (Euclidean))
- Simple, easy to use, but Slow when there are lots of features.
- Can give good scores to ambiguous (incorrect) matches



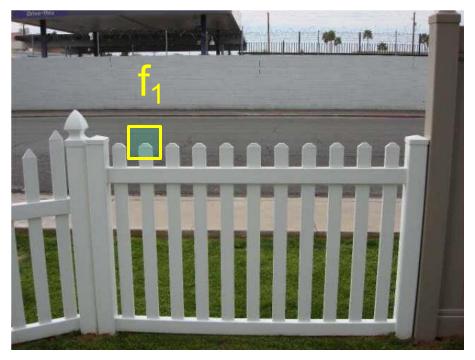


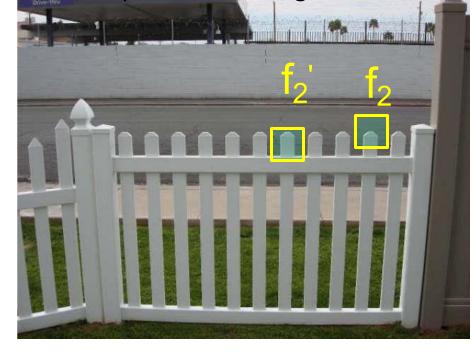
1

Nearest Neighbours based matching

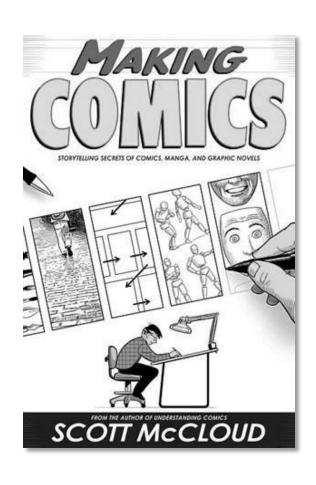
- Instead of just taking the single closest match, it finds k best matches for each descriptor, (Usually k=2).
- Then apply Lowe's ratio test to keep only reliable matches:
- Better approach: ratio distance = ||f₁ f₂ || / || f₁ f₂' ||
 - f₂ is best SSD match to f₁ in l₂
 - f₂' is 2nd best SSD match to f₁ in l₂
 - Keep a match if the ratio is less than a threshold

• gives large values for ambiguous matches, helps remove ambiguous matches

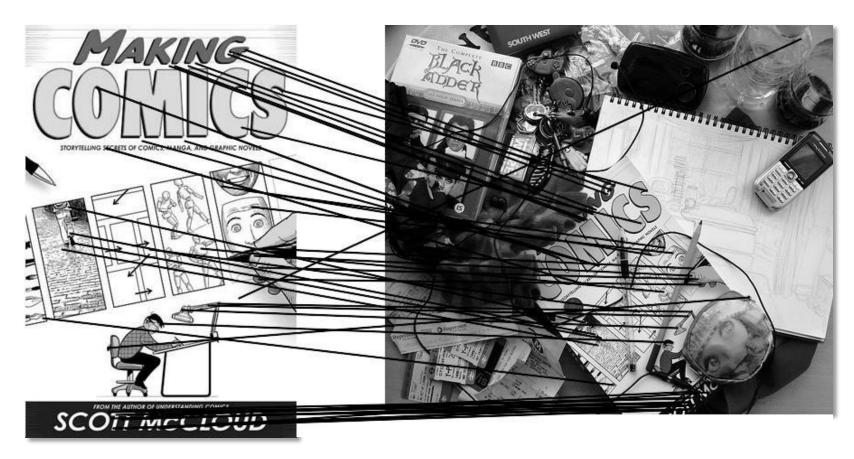




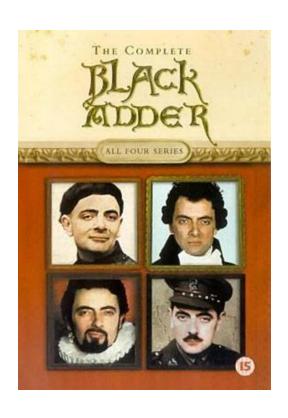
 I_1



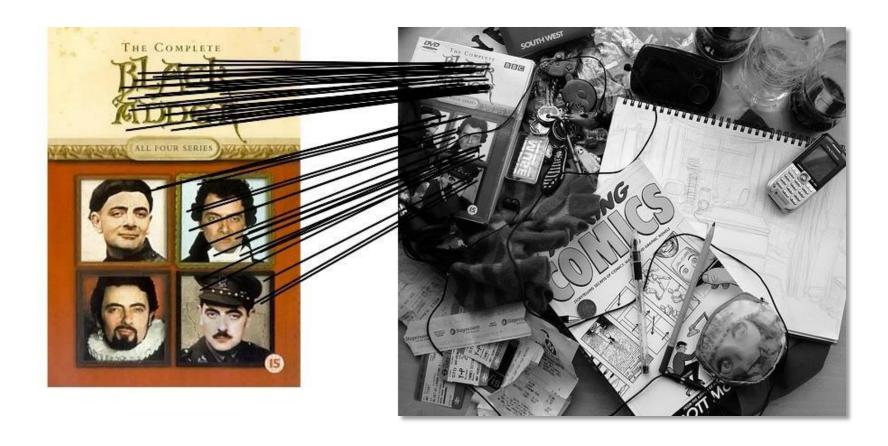




51 matches

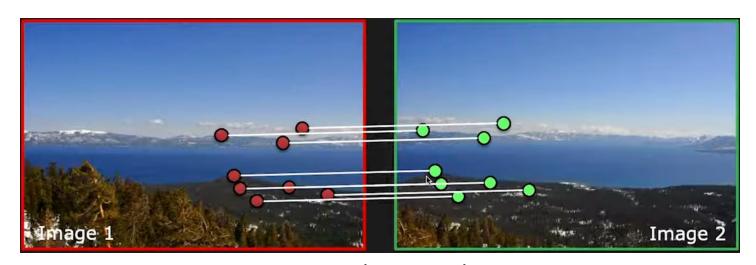




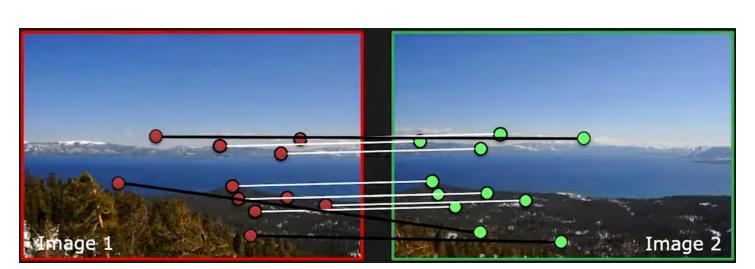


58 matches

Feature matching:



Correct matches: Inliers



Incorrect matches: Outliers

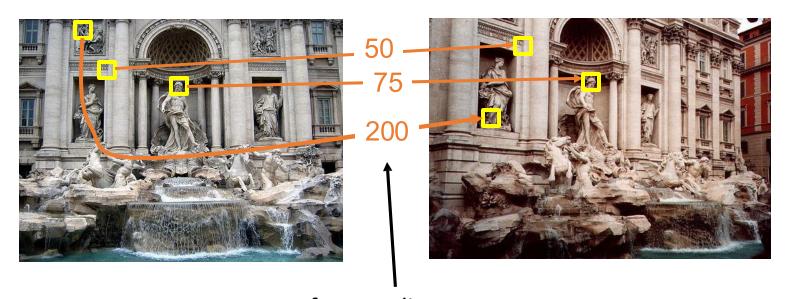
Need to remove outliers

Evaluating the results

How can we measure the performance of a feature matcher?

Evaluating the results

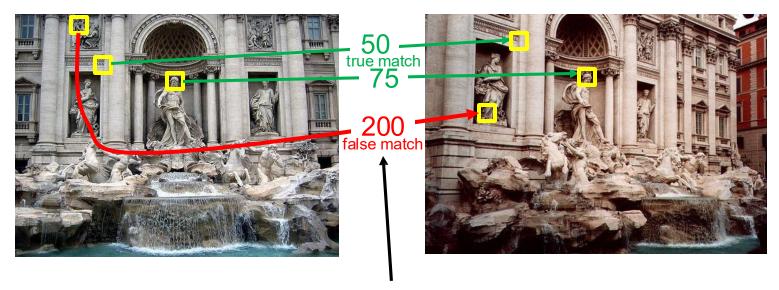
How can we measure the performance of a feature matcher?



feature distance

True/false positives

How can we measure the performance of a feature matcher?



feature distance

The distance threshold affects performance

- True positives = # of detected matches that are correct
 - Suppose we want to maximize these—how to choose threshold?
- False positives = # of detected matches that are incorrect
 - Suppose we want to minimize these—how to choose threshold?

Evaluation Metrics

Predicted matches
Predicted non-matches

True matches True non-matches

	TP = 18	FP = 4	P' = 22
1	FN = 2	TN = 76	N' = 78
	P=20	N = 80	Total = 100

PPV = 0.82

$$TPR = 0.90$$
 $FPR = 0.05$

$$ACC = 0.94$$

• true positive rate (TPR),

$$TPR = \frac{TP}{TP + FN} = \frac{TP}{P};$$

PPV = Precision

• false positive rate (FPR),

$$FPR = \frac{FP}{FP + TN} = \frac{FP}{N};$$

TPR. = Recall

F1-Score = HM (Pre, Rec)

• positive predictive value (PPV),

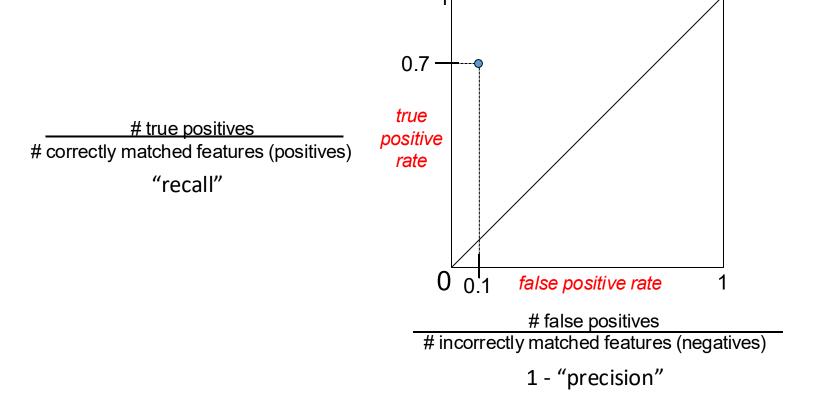
$$PPV = \frac{TP}{TP + FP} = \frac{TP}{P'};$$

• accuracy (ACC),

$$ACC = \frac{TP + TN}{P + N}.$$

Evaluating the results

How can we measure the performance of a feature matcher?



Evaluating the results

How can we measure the performance of a feature matcher?

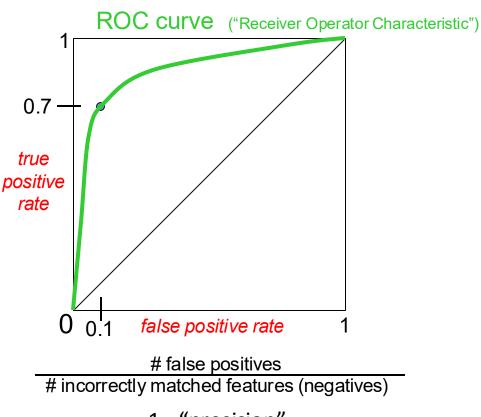
Aera under ROC

AUC more → better

true positives

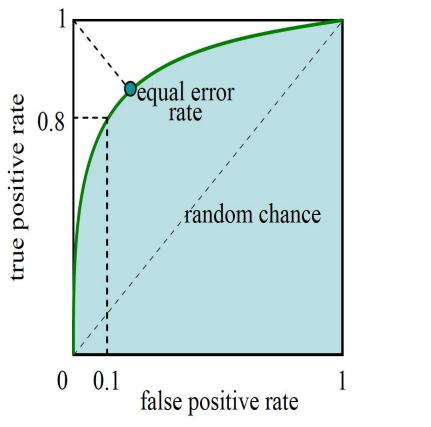
correctly matched features (positives)

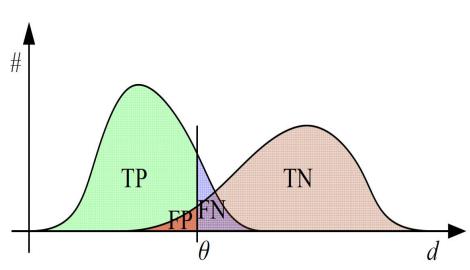
"recall"



1 - "precision"

Evaluating Results





 As the threshold is increased, the number of true positives (TP) and false positives (FP) increases.

Image matching



- for each location in an image, find a displacement with respect to another reference image
- appropriate for small displacements, e.g. stereopsis or optical flow



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- appropriate for small displacements, e.g. stereopsis or optical flow

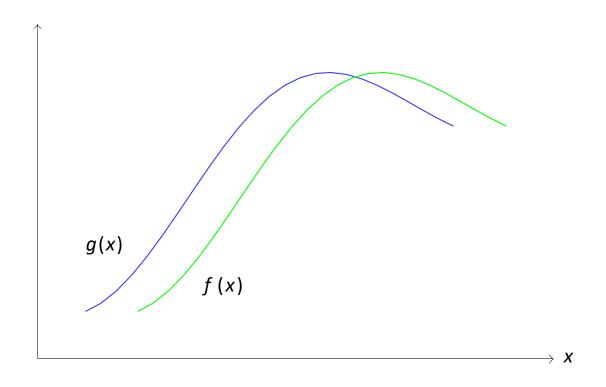


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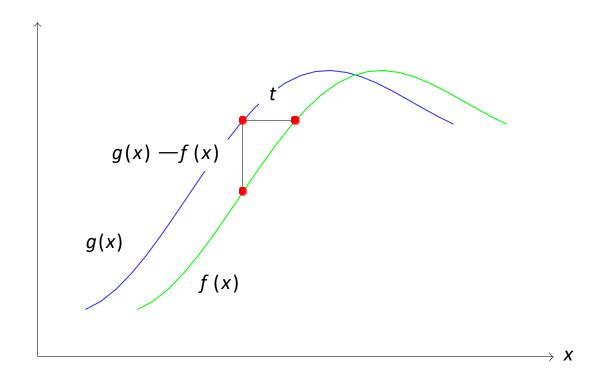
one dimension*



assuming g(x) = f(x + t) and t is small,

$$\frac{df}{dx}(x) \approx \frac{f(x+t) - f(x)}{t} = \frac{g(x) - f(x)}{t}$$

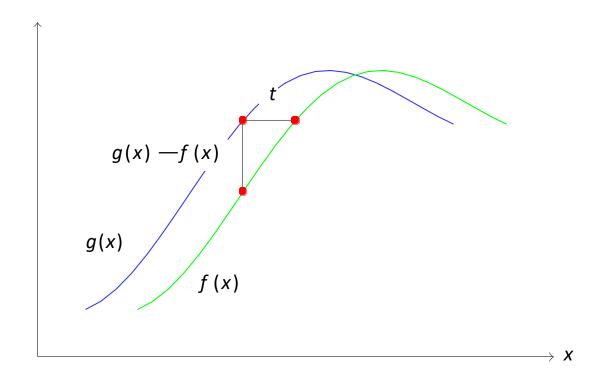
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one dimension*



• assuming g(x) = f(x + t) and t is small,

$$\frac{df}{dx}(x) \approx \frac{f(x+t)-f(x)}{t} = \frac{g(x)-f(x)}{t}$$

two dimensions: least squares*

 again, assume an image patch defined by window w; what is the error between the patch shifted by t in reference image f and a patch at the origin in shifted image g?

$$E(\mathbf{t}) = \sum_{\mathbf{x}} w(\mathbf{x}) (f(\mathbf{x} + \mathbf{t}) - g(\mathbf{x}))^{2}$$

$$\approx \sum_{\mathbf{x}} w(\mathbf{x}) (f(\mathbf{x}) + \mathbf{t}^{\top} \nabla f(\mathbf{x}) - g(\mathbf{x}))^{2}$$

error minimized when gradient vanishes

$$\mathbf{0} = \frac{\partial E}{\partial \mathbf{t}} = \sum_{\mathbf{x}} w(\mathbf{x}) 2\nabla f(\mathbf{x}) (f(\mathbf{x}) + \mathbf{t}^{\top} \nabla f(\mathbf{x}) - g(\mathbf{x}))$$

least-squares solution

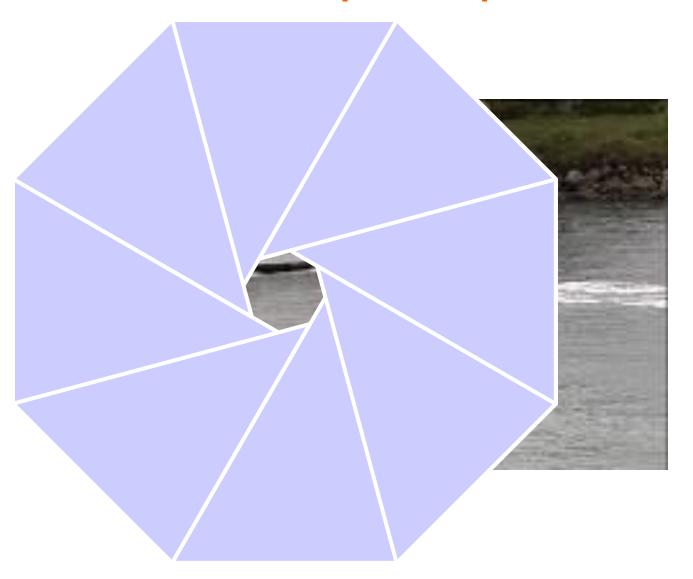
$$(w * (\nabla f)(\nabla f)^{\top}) \mathbf{t} = w * ((\nabla f)(g - f))$$



the aperture problem*



the aperture problem*

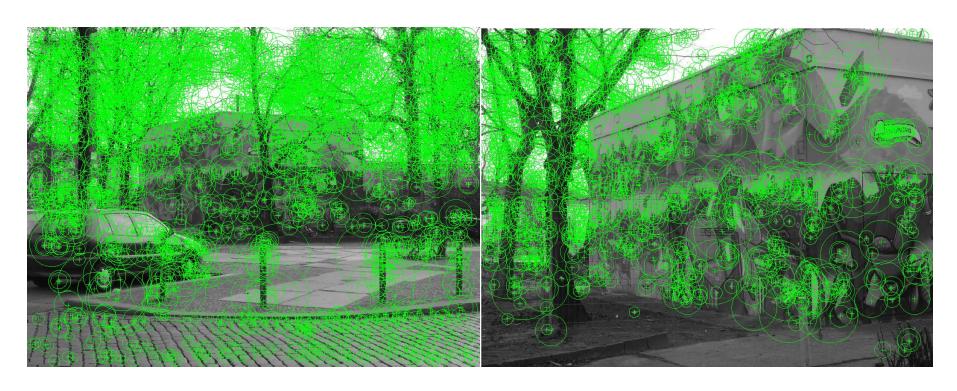


- in dense registration, we started from a local "template matching" process and found an efficient solution based on a Taylor approximation
- both make sense for small displacements

- in wide-baseline matching, every part of one image may appear anywhere in the other
- we start by pairwise matching of local descriptors without any order and then attempt to enforce some geometric consistency according to a rigid motion model



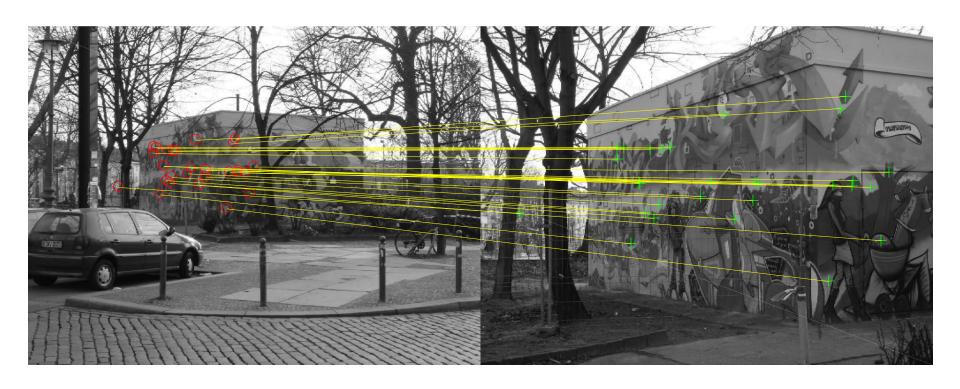
a region in one image may appear anywhere in the other



features detected independently in each image



tentative correspondences by pairwise descriptor matching



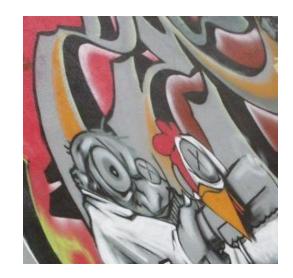
subset of correspondences that are 'inlier' to a rigid transformation

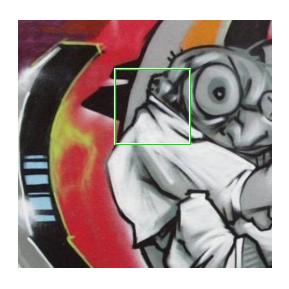
descriptor extraction

for each detected feature in each image

- construct a local histogram of gradient orientations
- find one or more dominant orientations corresponding to peaks in the histogram
- resample local patch at given location, scale, affine shape and orientation
- extract one descriptor for each dominant orientation





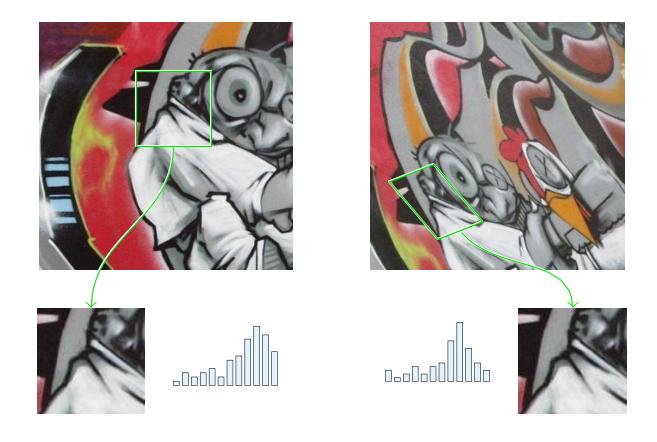




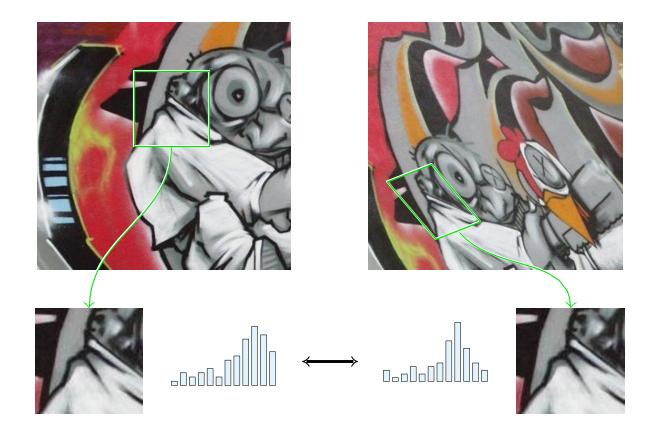
detect features



detect features - find dominant orientation, resample patches



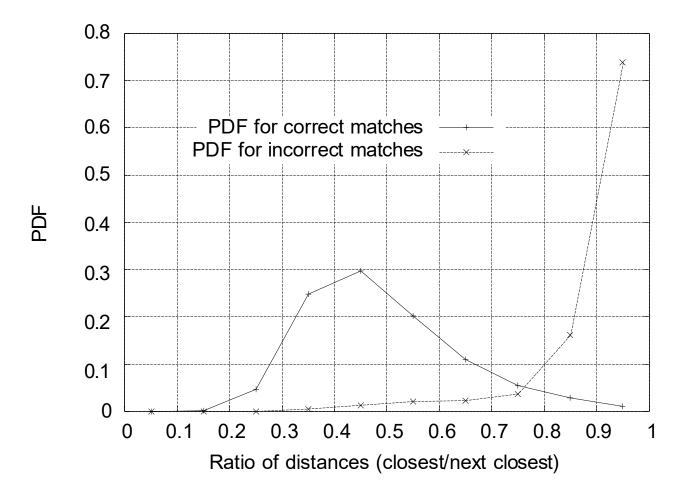
 detect features - find dominant orientation, resample patches - extract descriptors



 detect features - find dominant orientation, resample patches - extract descriptors - match pairwise

- for each descriptor in one image, find its two nearest neighbors in the other
- if ratio of distance of first to distance of second is small, make a correspondence
- this yields a list of tentative correspondences

ratio test



 ratio of first to second nearest neighbor distance can determine the probability of a true correspondence