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Quick Sort

Code:

```
//Quick Sort algorithm
void quickSort(int array[], int low, int high)
{
   if (low < high)
   {
     int pi = partition(array, low, high);
      quickSort(array, low, pi - 1);
      quickSort(array, pi + 1, high);
   }
}</pre>
```

Output:

```
▷ □ …
⋈ Welcome
              D: > DAAOS > C Quicksort.cpp > ...
      void quickSort(int a[], int low, int high)
          if (low < high)
              int pi = partition(a, low, high);
              quickSort(a, low, pi - 1);
              quickSort(a, pi + 1, high);
      int main()
          int n = sizeof(x) / sizeof(x[0]);
          cout << "Number of array elements: \n"</pre>
               << n << "\n";
          cout << "Unsorted Array: \n";</pre>
          printArray(x, n);
          quickSort(x, 0, n - 1);
          cout << "Sorted Array in ascending order: \n";</pre>
          printArray(x, n);
 PROBLEMS OUTPUT TERMINAL DEBUG CONSOLE
                                                                                           [Running] cd "d:\DAAOS\" && g++ Quicksort.cpp -o Quicksort && "d:\DAAOS\"Quicksort
Number of array elements:
Unsorted Array:
9 5 0 1 15 2 6 3 99 12
Sorted Array in ascending order:
0 1 2 6 5 3 9 12 15 99
 [Done] exited with code=0 in 1.086 seconds
```

Analysis:

Time Complexity of Quick Sort

Best case:

The best-case time complexity of Quick Sort is **O(nlogn)**. When we consider pivot as mean element.

Worst case:

The worst-case time complexity of Quick Sort is $O(n^2)$. When the array is sorted and we consider smallest or largest element as pivot.

Average case:

The average case complexity of the quick sort algorithm is **O(n logn)**. Here the number of chances to get a pivot element is equal to the number of items.

Space Complexity of Quick sort

We are only considering the given array, so the space complexity of Quick sort is $\mathbf{O}(\mathbf{n})$