

# CS & IT

# ENGINEERING

## Theory of Computation

DFA

DPP 01 Discussion Notes



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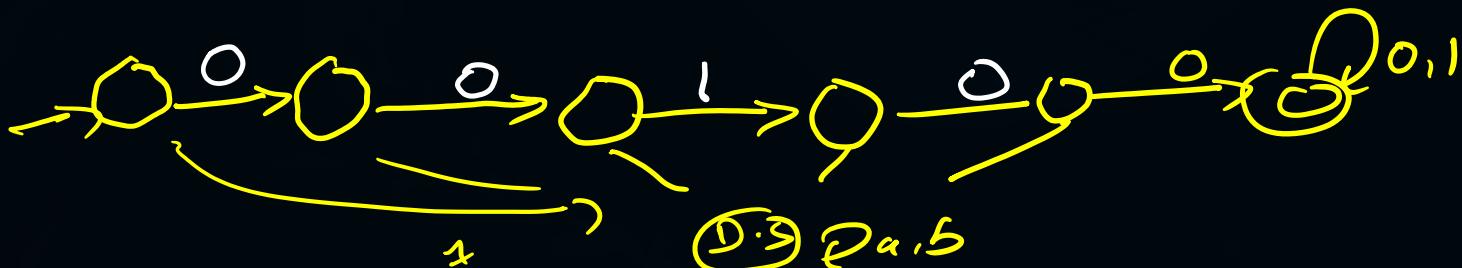
#Q. Design a deterministic finite automata of set of all binary strings over  $\Sigma = \{0,1\}$ , where every binary string starting with 00100. How many minimum numbers of states required for above FA?

A 6

C 7

B 5

D 4

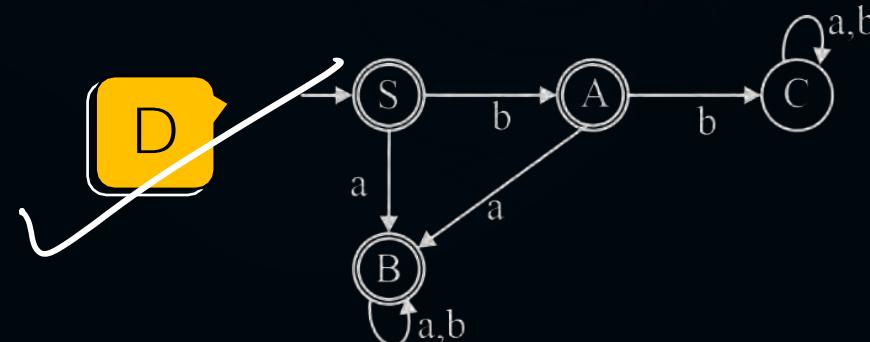
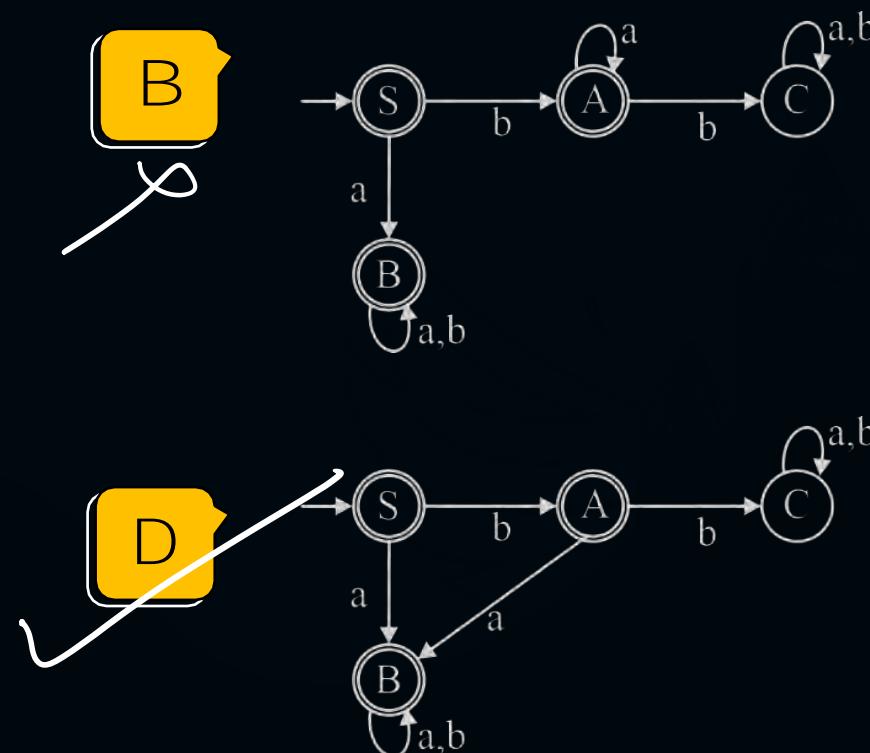
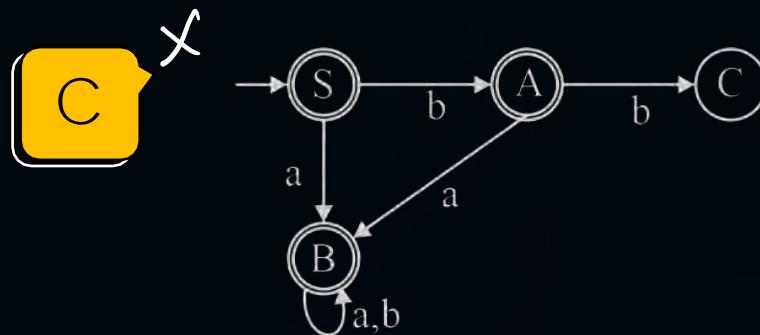
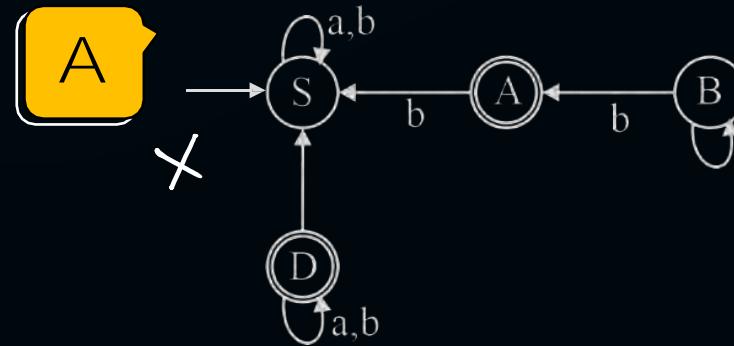


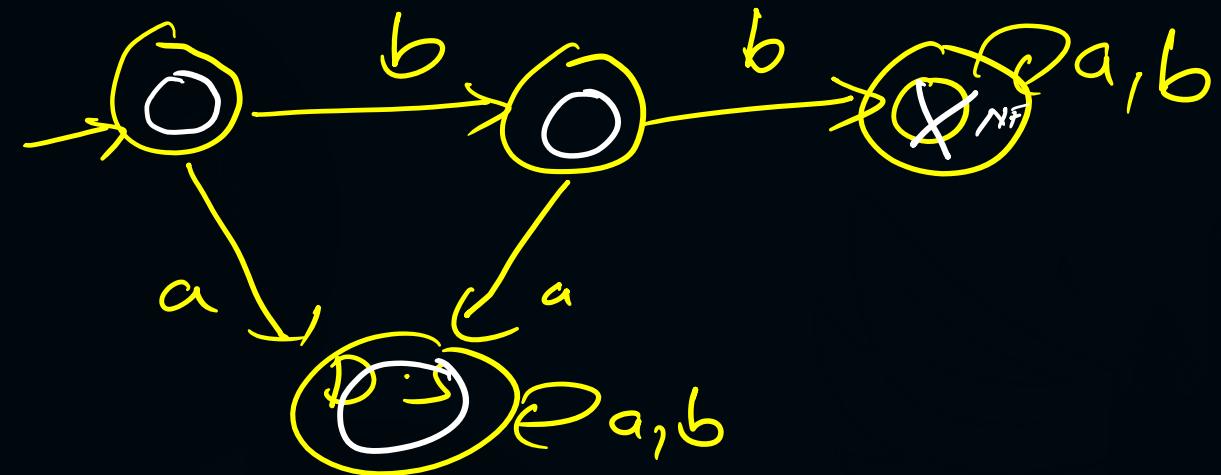
#Q. How many states are required to design a minimal DFA for set of all binary strings over  $\Sigma = \{0, 1\}$  where every binary string containing '0110' as a substring?

$n$  length Substring  $\rightarrow \underline{n+1}$

5 states .

#Q. Which of the following is correct design of a minimal DFA for set of all strings over  $\Sigma = \{a, b\}$  where every string does not start with bb?





#Q. Which of the following statement is/are correct?

(A, C)

- A DFA is possible for every regular language  $\rightarrow$  TRUE
- B DFA is also possible for some non-regular languages.  $\rightarrow \{a^n b^n\} \rightarrow$  false
- C DFA is possible for both finite language and regular infinite language  $\rightarrow$  true
- D There exist only 1 unique DFA for every regular language.

$$(a+b)^* \rightarrow \text{false}$$

#Q. How many states required to design a **minimal DFA** for  
 $L = \{X ba \mid X \in \{a, b\}^*\}$ ? \_\_\_\_\_

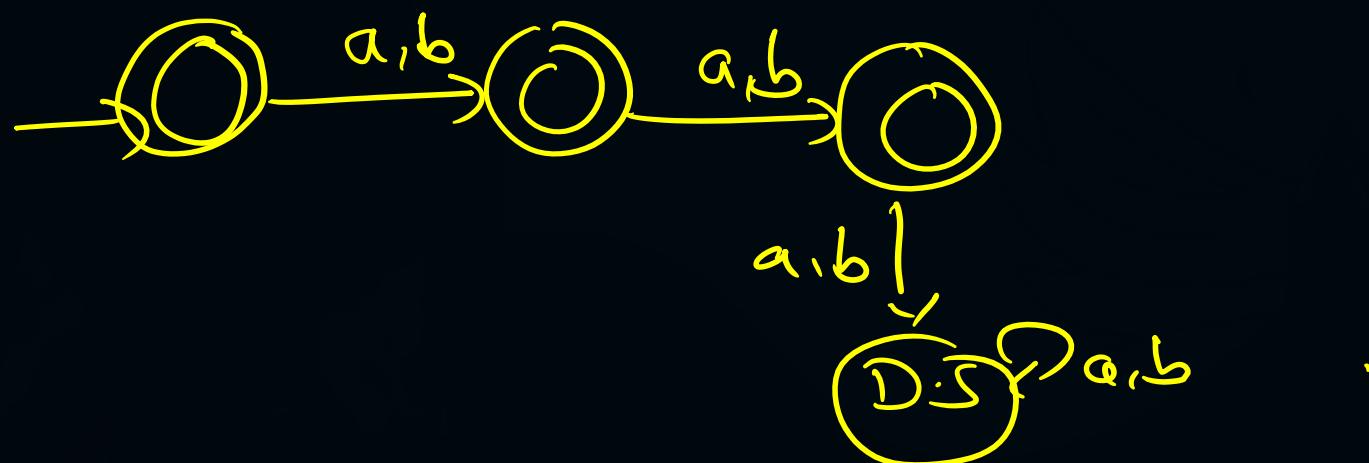
$$\underline{(a+b)^* ba} \rightarrow \textcircled{3}$$

ending with  $n$  length  $\rightarrow (n+1)$  states .

#Q. Number of final states required to design a minimal DFA for  $L = \{(\epsilon + b + a)^2 \mid \Sigma = \{a, b\}\}$  is / are \_\_\_\_.

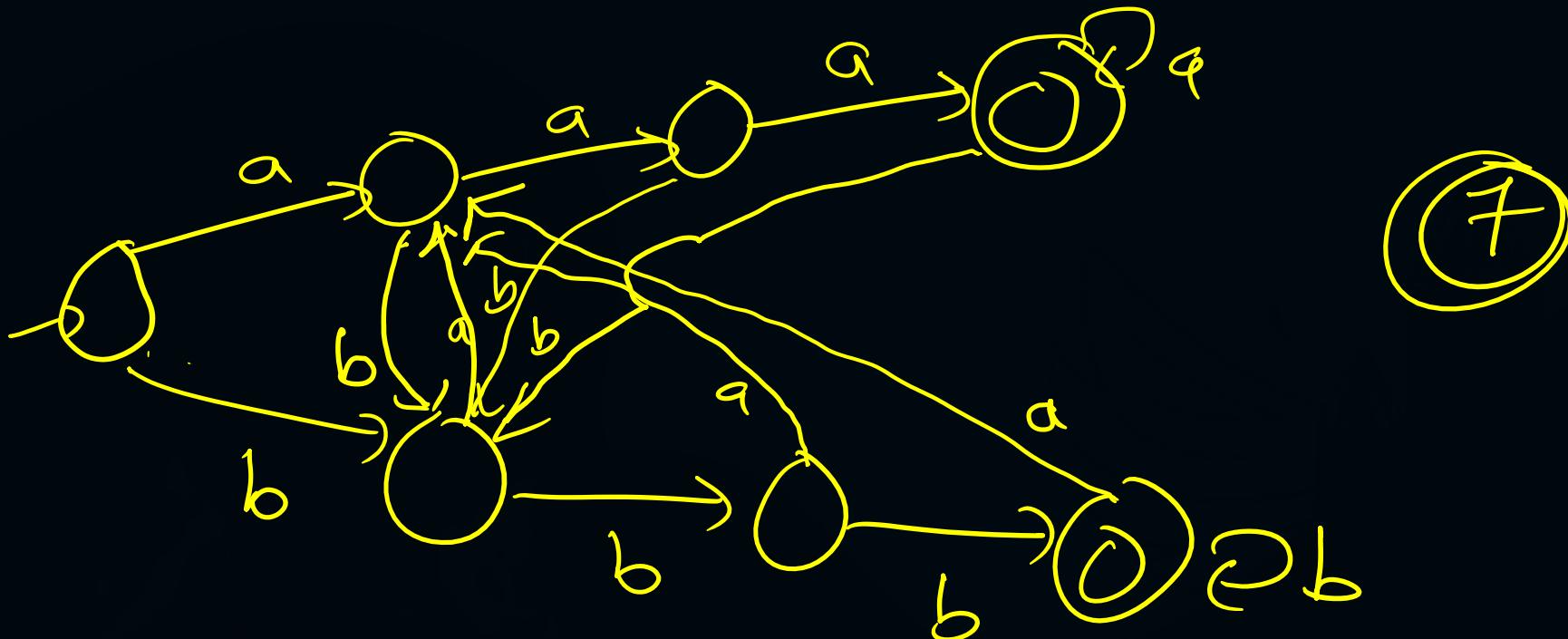
③

$$\underbrace{(a+b+\epsilon)}_{(a+b+\epsilon)} = \{\epsilon, a, b, aa, ab, ba, bb\}$$



$$\Sigma = \{a, b\}$$

#Q. Let  $L$  be the set of all binary strings whose last three symbols are the same. The number of states in the minimum state DFA accepting  $L$  is \_\_\_\_.

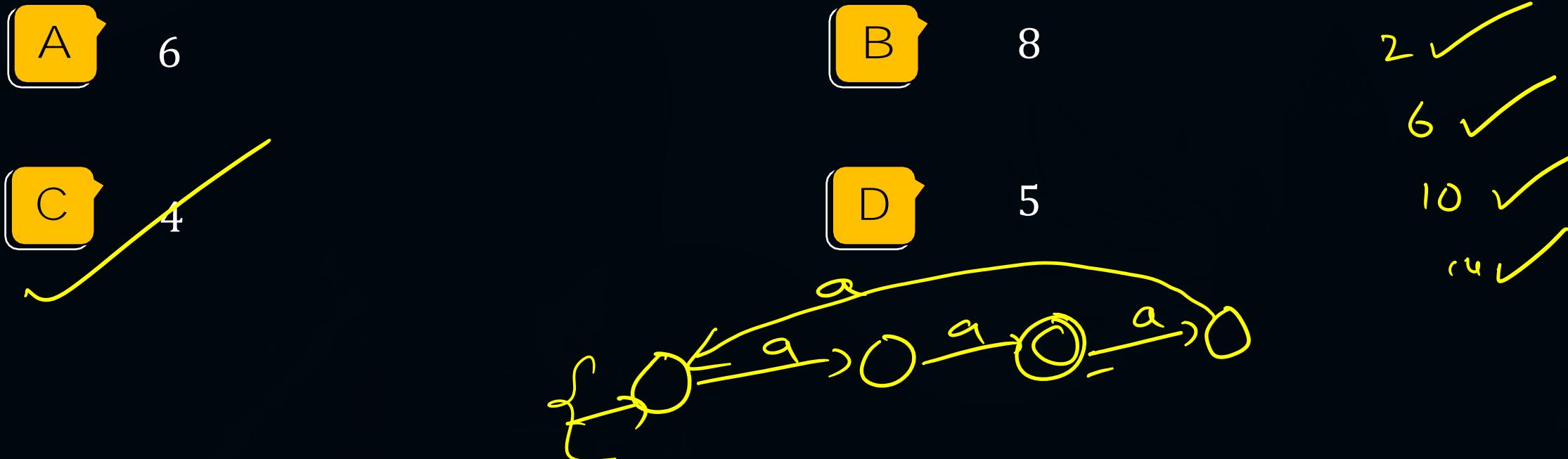


**[MCQ]**

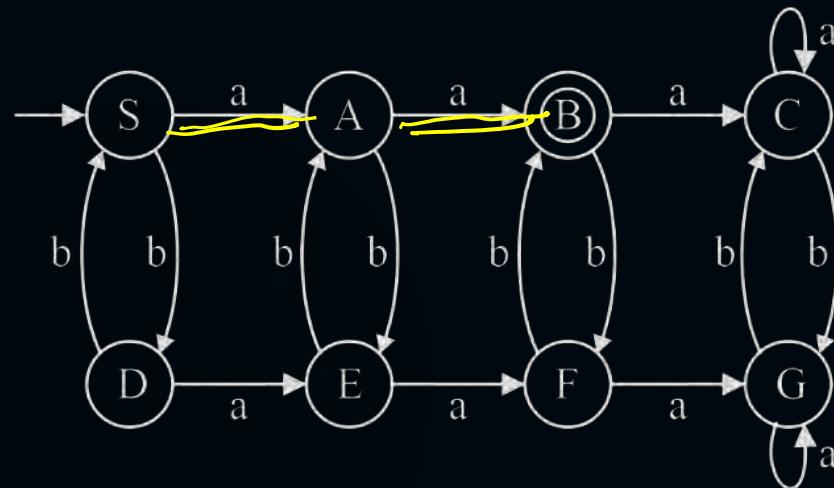
$$\{ \underline{2}, \underline{6} \} \cup \{ \underline{10}, \underline{14} \} \cup \{ \underline{18}, \dots \}$$

#Q. Consider a language L over  $\Sigma = \{a\}$ ,  $L = \{w \mid n_a(w) \text{ multiple of 2 but not multiple of 4}\}$ .

How many states are required to design a minimum state DFA for above language L?



#Q. The following finite state machine accept all those strings in which the number of a's and b's are respectively



A

Divisible by 2 and even.

B

Equal to 2 and odd.

C

Equal to 3 and even.

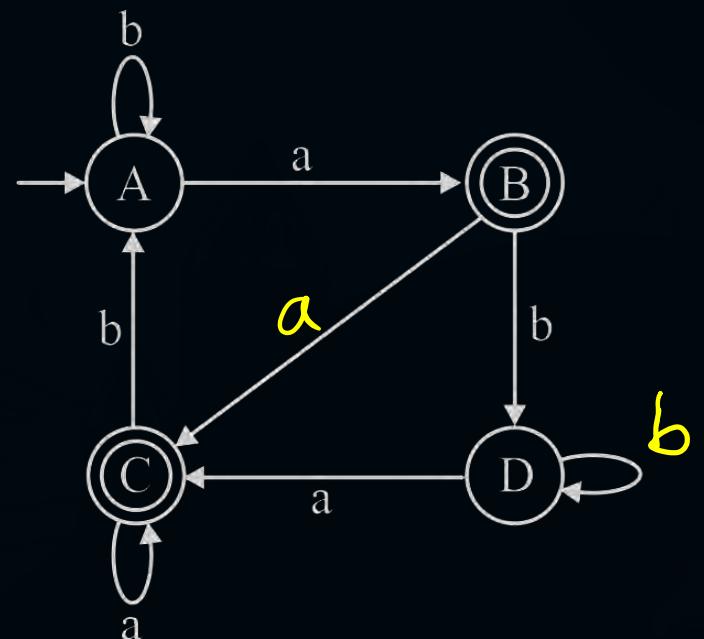
D

Equal to 2 and even.

#Q. Identify the language accepted by the following deterministic finite automata over the input alphabet  $\Sigma = \{a, b\}$ .

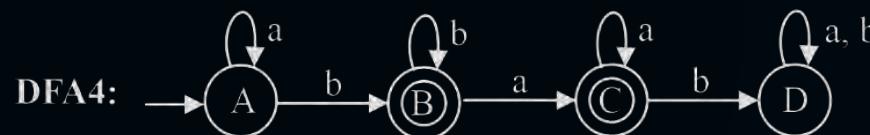
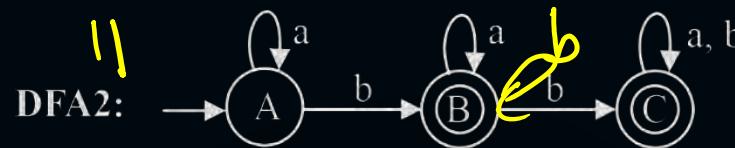
ab

- A  All strings of a's and b's. X
- B  All strings which are ending with a.
- C  All strings which do not end with b.
- D  All strings which contain 'a' as the substring. X



# [MCQ]

#Q. Consider the following DFA's.



Which of the following DFA's are equivalent?

A

DFA1 and DFA2

B

DFA2 and DFA3

C

DFA3 and DFA4

D

None of these

#Q. Consider following two statements:

S<sub>1</sub>: If every state is final state in DFA, then  $L(DFA) = \Sigma^*$  → Complete Language.

S<sub>2</sub>: If every state is non-final state in DFA, then  $L(DFA) = \{\epsilon\}$  → false  
empty lang

A      S<sub>1</sub> only.

B      S<sub>2</sub> only.

C      Both S<sub>1</sub> and S<sub>2</sub> are correct.

D      Both are incorrect.

#Q. For  $L = \{(a + b)^2\}$ , how many states are required in minimal DFA?

$$\underline{(a+b)} \underline{(a+b)} \rightarrow 4.$$

A

2

B

3

C

4

D

none.



THANK - YOU