

# CS & IT ENGINEERING



## Computer Network

### Flow Control

**Lecture No. - 01**



**By - Abhishek Sir**



# Recap of Previous Lecture



Topic

Checksum

Topic

Hamming Distance







# Topics to be Covered



Topic

Network delays

Topic

Stop-and-Wait Protocol

# ABOUT ME



Hello, I'm **Abhishek**

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#Q. An error correcting code has the following code words:

00000000, 00001111, 01010101, 10101010, 11110000  
 $C_1$        $C_2$        $C_3$        $C_4$        $C_5$

What is the maximum number of bit errors that can be corrected?

[GATE 2007]

(A) 0

✓ (B) 1

(C) 2

(D) 3

Ans: B



Solution :-

$$C_1 = 00000000$$

$$C_2 = 00001111$$

$$C_3 = 01010101$$

$$C_4 = 10101010$$

$$C_5 = 11110000$$

minimum Hamming Distance (D) =

$$\text{Minimum} [ d(C_1, C_2), d(C_1, C_3), d(C_1, C_4), d(C_1, C_5), \\ d(C_2, C_3), d(C_2, C_4), d(C_2, C_5), \\ d(C_3, C_4), d(C_3, C_5), d(C_4, C_5) ]$$

$$\rightarrow \boxed{D = 4}$$

→ Receiver can correct upto  $\text{Floor}[(D-1)/2]$  bits error

$$\left\lfloor \frac{(D-1)}{2} \right\rfloor = \left\lfloor \frac{(4-1)}{2} \right\rfloor = 1$$

#Q. Consider a binary code that consists only four valid codewords as given below.

00000, 01011, 10101, 11110

$c_1$   $c_2$   $c_3$   $c_4$

Let minimum Hamming distance of code be  $p$  and maximum number of erroneous bits that can be corrected by the code be  $q$ . The value of  $p$  and  $q$  are:

[GATE 2017]

- ☒ (A)  $p = 3$  and  $q = 1$
- ☒ (B)  $p = 3$  and  $q = 2$
- ☒ (C)  $p = 4$  and  $q = 1$
- ☒ (D)  $p = 4$  and  $q = 2$

$$d(c_1, c_2) = 3$$

$$p \leq 3$$

$$q = \left\lfloor \frac{(p-1)}{2} \right\rfloor = \left\lfloor \frac{(3-1)}{2} \right\rfloor = 1$$

Ans: A



Solution :-

$$C_1 = 00000$$

$$C_2 = 01011$$

$$C_3 = 10101$$

$$C_4 = 11110$$

minimum Hamming Distance ( $p$ ) =

$$\text{Minimum} [ d(C_1, C_2), d(C_1, C_3), d(C_1, C_4), \\ d(C_2, C_3), d(C_2, C_4), d(C_3, C_4) ]$$

$$\rightarrow p = 3$$

$\rightarrow$  Receiver can correct upto  $\text{Floor}[(p-1)/2]$  bits error

$$\rightarrow q = \text{Floor}[(p-1)/2]$$

$$\rightarrow q = 1$$





## Topic : Network Delays



Four types of network delays :

1. Transmission delay

2. Propagation delay

3. Queuing delay

⇒ Best case : Always zero

4. Processing delay

⇒ if given

⇒ IP packet  $\dots \rightarrow$  Frame

\* Consider negligible overhead.

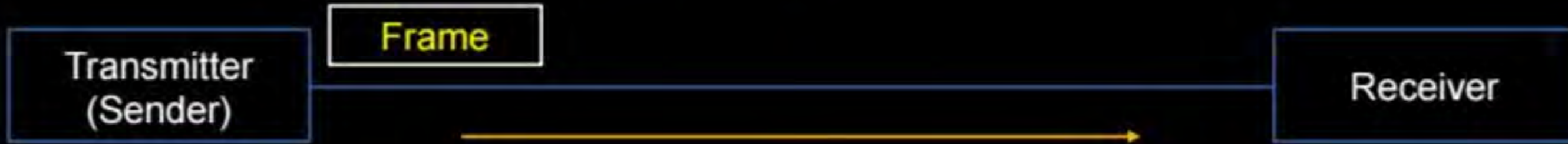


## Topic : Transmission Delay



→ Transmission Time / Delay  $[t_x]$  (in seconds)

→ Time required to transmit a packet over a link  
(Frame)



$$\text{Transmission Delay} = \frac{[\text{Packet Size}]}{[\text{Data Transfer Rate}]}$$





## Topic : Packet Size ✓



- Packet Length or Frame Size
- Number of bits or bytes in one packet

→ Size of Data (Digital) (Base-2)

$$\underline{1 \text{ KB}} = \underline{2^{10} \text{ bytes}}$$

$$\underline{1 \text{ MB}} = \underline{2^{20} \text{ bytes}}$$

$$\underline{1 \text{ GB}} = \underline{2^{30} \text{ bytes}}$$

$$\underline{1 \text{ TB}} = \underline{2^{40} \text{ bytes}}$$

B → Byte  
b → Bit



## Topic : Data Transfer Rate



→ Data Transfer Rate or Bandwidth

→ Number of bits or bytes transmitted per seconds

⇒ Bit Rate ✓

→ Number or signals generated into channel per seconds

⇒ Baud Rate

→ Data Transfer Rate (Analog) (Base-10) [Count or Frequency]

$$1 \text{ Kbps} = 10^3 \text{ bits per second}$$

$$1 \text{ Mbps} = 10^6 \text{ bits per second}$$

$$1 \text{ Gbps} = 10^9 \text{ bits per second}$$

$$1 \text{ Tbps} = 10^{12} \text{ bits per second}$$





## Topic : Network Delays

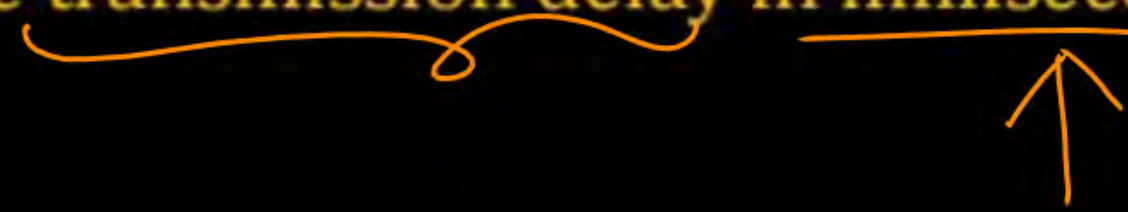


$$\begin{aligned}\rightarrow \text{1 second} &= 10^3 \text{ milliseconds (ms)} \\ &= 10^6 \text{ microseconds (\mu s)} \\ &= 10^9 \text{ nanoseconds (ns)} \\ &= 10^{12} \text{ picoseconds (ps)}\end{aligned}$$

	Analog	Digital
1 K	$10^3$	$2^{10}$
1 M	$10^6$	$2^{20}$
1 G	$10^9$	$2^{30}$

### Example 1 :-

#Q. Consider frame size is 1000 bytes and bandwidth of a link is 1 Mbps, then calculate transmission delay in milliseconds?





Solution 1 :-

$$\text{Frame Size} = 1000 \text{ bytes} = 8 * 10^3 \text{ bits}$$

$$\text{Bandwidth} = 1 \text{ Mbps} = 10^6 \text{ bits / sec}$$

$$10^6 \text{ bits} \rightarrow 1 \text{ sec}$$
$$8 * 10^3 \text{ bits} \rightarrow \frac{8 * 10^3}{10^6} \text{ sec}$$

$$\underline{t_x} = \frac{\text{Frame Size}}{\text{Bandwidth}} = \frac{[8 * 10^3 \text{ bits}]}{[10^6 \text{ bits / sec}]} = 8 * 10^{-3} \text{ sec}$$
$$= 8 \text{ ms}$$

$$\boxed{\text{Ans} = 8}$$

## Example 2 :-

#Q. Consider packet size is 4 KB and data transfer rate of a link is 256 Kbps, then Calculate transmission delay in milliseconds?



Solution 2 :-

$$\text{Packet Size} = 4 \text{ KB} = 2^{15} \text{ bits} = 2^3 * 2^{10} * 8 \text{ bits}$$

$$\text{Bandwidth} = 256 \text{ Kbps} = 2^8 * 10^3 \text{ bits / sec}$$

$$t_x = \frac{\text{Packet Size}}{\text{Bandwidth}} = \frac{2^{15} \text{ bits}}{2^8 * 10^3 \text{ bits / sec}} = 2^7 * 10^{-3} \text{ sec}$$

$$= 128 \text{ ms}$$

$$\boxed{\text{Ans} = 128}$$



## Topic : Propagation Delay



- Propagation Time / Delay  $[t_p]$  (in seconds)
- Time required to travel a signal (bit) from one end to other end of a link
- One-way



$$\text{Propagation Delay} = \frac{[\text{Distance}]}{[\text{Signal Speed}]}$$



### Example 3 :-

#Q. Consider distance between two host is 200 meter and signal speed of a link is  $10^5$  meter per second then calculate propagation delay in milliseconds ?



Solution 3 :-

$$\text{Distance} = 200 \text{ meter}$$

$$\text{Signal Speed} = 10^5 \text{ meter / sec}$$

$$t_p = \frac{\text{Distance}}{\text{Signal Speed}} = \frac{200 \text{ meter}}{10^5 \text{ meter / sec}} = 2 \times 10^{-3} \text{ sec} \\ = 2 \text{ ms}$$

$$\boxed{\text{Ans} = 2}$$



### Example 4 :-

#Q. Consider distance between two host is 2 Km and signal speed of a link is 5 microsecond per Km then calculate propagation delay in microseconds?

$$t_p = \frac{2 \text{ Km}}{5 \mu\text{s/Km}}$$

Solution 4 :-

$$\text{Distance} = 2 \text{ Km}$$

$$\text{Signal Speed} = 5 \mu\text{s} / \text{Km}$$

$$t_p = \text{Distance} * \text{Signal Speed} = 2 \text{ Km} * 5 \mu\text{s} / \text{Km} = 10 \mu\text{s}$$

$$\text{Ans} = 10$$





## Topic : Propagation Delay



→ if signal speed given in “meter per second”

$$\text{Propagation Delay} = \frac{\text{Distance}}{\text{Signal Speed}}$$

→ if signal speed given in “second per meter”

$$\text{Propagation Delay} = \text{Distance} \times \text{Signal Speed}$$



## Topic : Round Trip Propagation Delay



→ Two-way

→  $2 * \text{Propagation Time}$   $[2 * t_p]$



## [MCQ]

(IIT-R, H.W.) [GATE-2017][2 Mark]

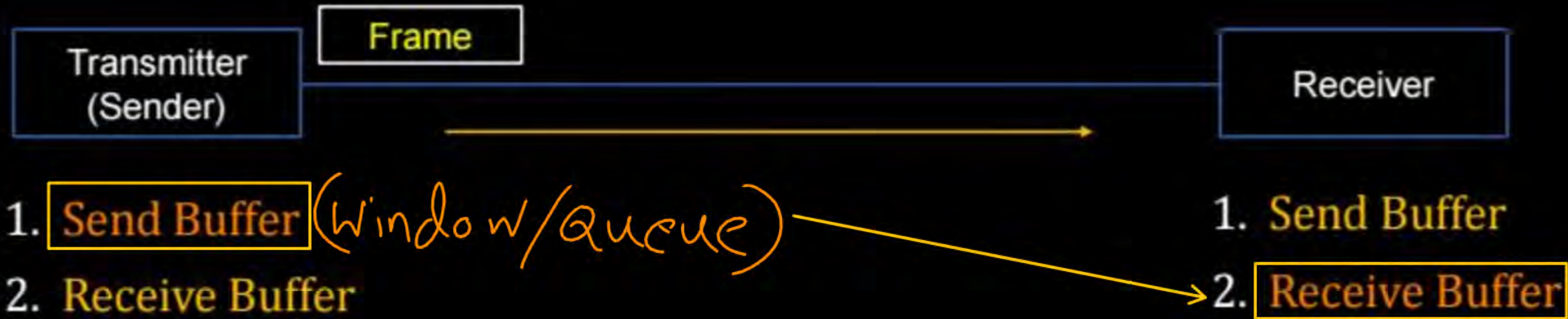


#Q. Consider two hosts X and Y, connected by a single direct link of rate  $10^6$  bits/sec. The distance between the two hosts is 10,000 km and the propagation speed along the link is  $2 \times 10^8$  m/s. Hosts X send a file of 50,000 bytes as one large message to hosts Y continuously. Let the transmission and propagation delays be  $p$  milliseconds and  $q$  milliseconds, respectively. Then the values of  $p$  and  $q$  are :

- A  $p = 50$  and  $q = 100$
- B  $p = 50$  and  $q = 400$
- C  $p = 100$  and  $q = 50$
- D  $p = 400$  and  $q = 50$



## Topic : End-to-End Delay







## Topic : End-to-End Delay



→ One-way delay ✓

→ Time required for a packet to be transmitted from Transmitter to Receiver

$$\text{End-to-end delay} = \text{Transmission delay} + \text{Propagation delay}$$

$$= (t_x + t_p)$$



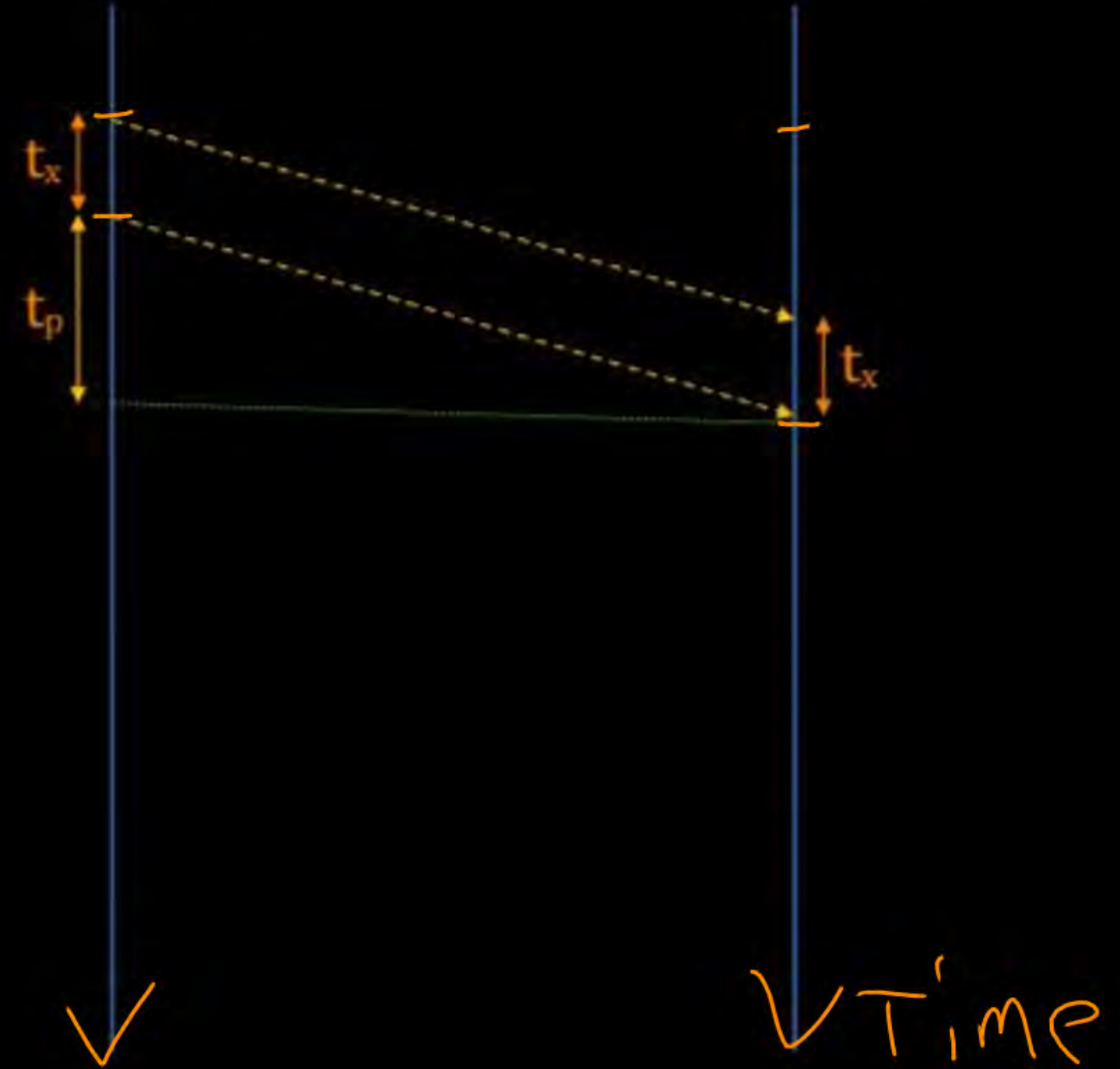


## Topic : End-to-End Delay



Transmitter

Receiver





[NAT]

IIT-KGP, H.W. [GATE-2022][2 Mark]



#Q. Consider a 100 Mbps link between an earth station (sender) and a satellite (receiver) at an altitude of 2100 km. The signal propagates at a speed of  $3 \times 10^8$  m/s. The time taken (in milliseconds, rounded off to two decimal places) for the receiver to completely receive a packet of 1000 bytes transmitted by the sender is \_\_\_\_\_.



## Topic : Network Delays



CASE I :

Transmission delay < Propagation delay







## Topic : Network Delays



CASE II :

$$\text{Transmission delay} = \text{Propagation delay}$$





## Topic : Network Delays



CASE III :

Transmission delay > Propagation delay







## Topic : Queuing Delay



- Waiting time of a packet at input buffer, before processing
- Cannot be determined
- if not given, consider negligible

In Best Case, consider zero.



## Topic : Processing Delay



- Time required to process a packet after receiving
- Based on CPU processing speed and packet size
- if not given, consider negligible





## Topic : Flow Control



- Synchronization between transmitter and receiver to control the flow
- Flow Control Protocols for :
  1. Noiseless Channel  $\Rightarrow$  Error Rate = 0
  2. Noisy Channel



## Topic : Stop-and-Wait Protocol

⇒ Noiseless channel



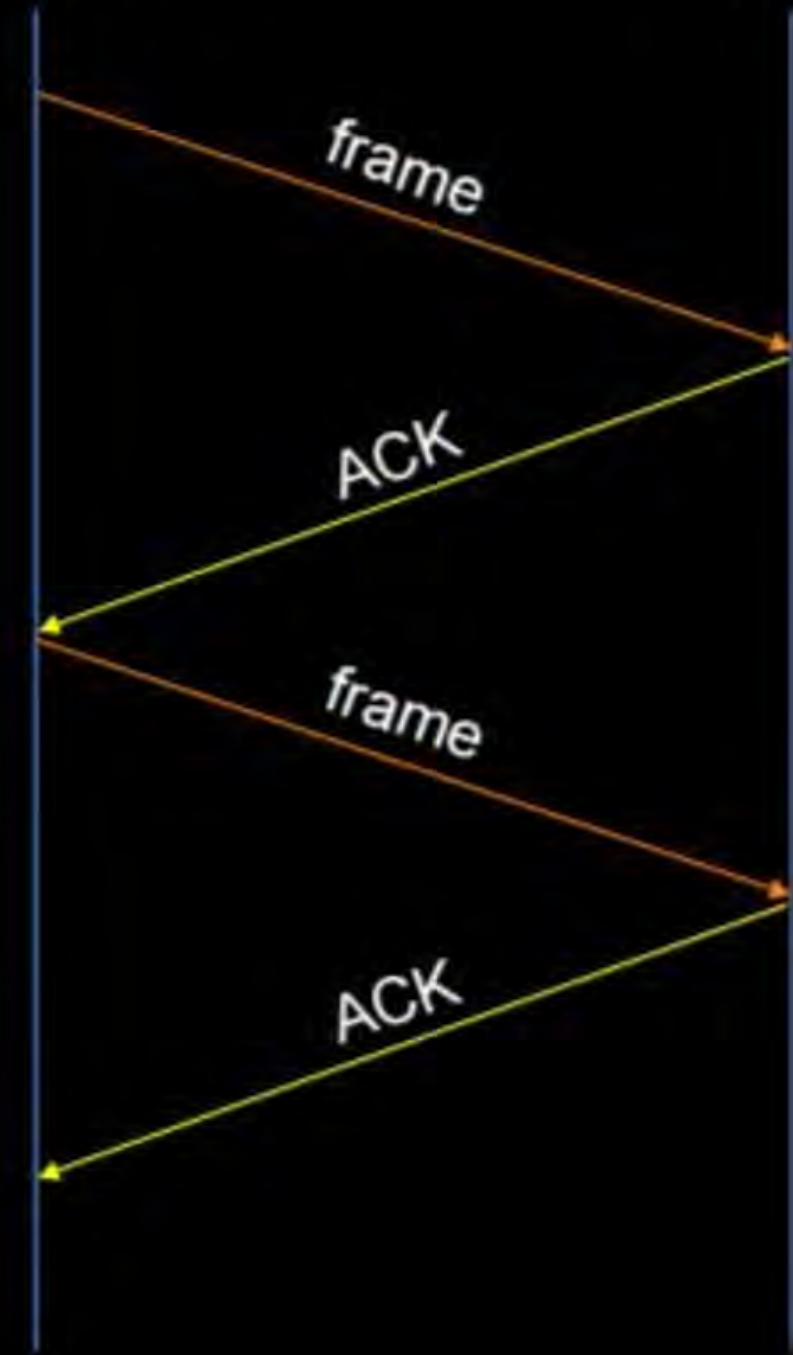
→ Transmitter transmit one frame and wait for ACK of it

→ Receiver transmit acknowledgment for every received frame

→ Transmitter transmit next frame only after receiving ACK of transmitted frame

Transmitter

Receiver







## 2 mins Summary



Topic

**Network delays** ✓

Topic

**Stop-and-Wait Protocol** →



# THANK - YOU

