

# CS & DA



## DBMS

Relational model & normal forms

DPP 01 (Discussion Notes)



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#Q.

Consider the student relation shown below with schema  $\text{stud} (\overbrace{\text{Sname}}^{\text{1}}, \overbrace{\text{Sage}}^{\text{2}}, \overbrace{\text{Smail}}^{\text{3}}, \overbrace{\text{Smars}}^{\text{4}})$ ,

**Stud**

<u>Sname</u>	<u>Sage</u>	<u>Smail</u>	<u>Smars</u>
Rohit	28	R@pw.live	68
Kanika	25	K@pw.live	75
Pankaj	25	K@pw.live	75
Rohit	28	R@pw.live	88
Anjali	26	A@pw.live	75



For the above given instance how many set of attributes of size two can determine each row uniquely?

Sname Sage X

Sname Smarks ✓

PW

Sname Smail X

Sage Smail

Smail Smarks X

Smarks Sage X

#Q. Consider a relation schema  $R(\underline{A}, \underline{B}, \underline{C}, \underline{D}, \underline{E}, \underline{F}, \underline{H})$  with the given Functional dependency set:

$$\{\underline{A} \rightarrow BC, C \rightarrow AD, DE \rightarrow F, C \rightarrow F\}$$

The attribute closure that contains all the attributes of the relation R is?

A

$$\underline{AE}^+ = \{A, E, B, C, D, F\}$$

X

B

$$\underline{CE}^+ = \{C, E, F, A, D\}$$

X

C

$$\underline{AEH}^+ = \{A, E, B, C, D, F, H\}$$

D

All of the above

#Q. Consider the following set of FD's:

$\{V \rightarrow W, W \rightarrow XZ, X \rightarrow YZ\}$  for relation

$R(V, W, X, Y, Z)$

Then the attribute closure of  $YZ^+$  contains how many elements?

- A 0
- B 1
- C 2
- D 3

$$YZ^+ = \{Y, Z\}$$

[MCQ]

#Q. For the given FD set:  $\{P \rightarrow QT, Q \rightarrow SU, V \rightarrow U\}$  of a relation R(P, Q, T, S, U, V).  
Find the set of attributes that is Super key but not a Candidate key?

- A PTQ
- B PV
- C PQV 
- D QV 

$$\underline{PV^+} = \{ P, V, Q, T, S, U \} \checkmark$$

Candidate key

Candidate key

Super key

#Q. Choose the correct statement from the following.

A

The cardinality is defined as the number of ~~attributes~~ in a relation. 

B

Degree of the relation is the number of tuples in the relation. 

C

Relation instance is the set of tuples of a relation at a particular instance of time.

D

All of the above 

#Q. Choose the correct statement from the following:

A

There can be many primary keys for a relation. 

B

There can be many alternate keys for a relation.

C

All the candidate keys are also super keys.

D

All the super keys are also the candidate keys. 

minimal set  
of attributes  
that uniquely  
identify a tuple  
in a relation.

# [MCQ]



#Q. Consider the following statements:

- S<sub>1</sub>: A key in DBMS is an attribute (or a set of attributes) that helps in uniquely identifying each tuple (or row) in a relation (or table). *True*.
- S<sub>2</sub>: There should be only one candidate key in relation, which is chosen as the primary key.

A Only S<sub>1</sub> is true.

B Only S<sub>2</sub> is true.

C Both S<sub>1</sub> and S<sub>2</sub> are true.

D Neither S<sub>1</sub> nor S<sub>2</sub> is true.

#Q. Consider the following statements:

S<sub>1</sub>: Primary key has no duplicate values it has only unique values. ✓

S<sub>2</sub>: Primary key is not necessarily formed using a single column of the table, more than one column of the table can also be used to form a primary key of the table. ✓

A

Only S<sub>1</sub> is true.

B

Only S<sub>2</sub> is true.

C

Both S<sub>1</sub> & S<sub>2</sub> are true.

D

Neither S<sub>1</sub> nor S<sub>2</sub> are true.

#Q. Assume a relation R (P, Q, R, S, T). If PR and RT are the only candidate keys of the relation R, then how many total super keys exist in relation R.

$$\begin{array}{ccc} PR & & RT \\ \downarrow & & \downarrow \\ 5-2 & & 5-2 & 5-3 \\ 2 & + & 2 & - 2 \\ \hline \cancel{\underline{2}} & & & \\ \Rightarrow 2^3 & + & 2^3 & - 2^2 \Rightarrow 8+8-4 \\ & & & \Rightarrow 12. \end{array}$$

#Q. Assume a relation R (P, Q, R, S, T, U, V).

If PQ, RS, and TU are the only three candidate keys of relation R, then how many total super keys exist in relation R?

PQ

↓

$$\Rightarrow 2^{7-2} + 2^{7-2} + 2^{7-2} - (2^{7-4} + 2^{7-4} + 2^{7-4})$$

$$\Rightarrow 2^5 + 2^5 + 2^5 - (2^3 + 2^3 + 2^3) + 2^{7-6}$$

$$32 + 32 + 32 - (24) + 2$$



$$64 + 8 + 2 \Rightarrow 64 + 10 = \underline{\underline{74}}.$$

THANK - YOU

