

# CS & DA



## Database Management System

### Query Languages

**DPP 01 (Discussion Notes)**



**By- Mili Dhara Ma'am**

#Q. Consider the following statements:

X  $S_1: \pi_{\text{List } N} (\pi_{\text{List } N-1} \dots (\pi_{\text{List } 1}(R)) \text{ - Commutative}$

$$\equiv \pi_{\text{List } 1} (\pi_{\text{List } 2} \dots (\pi_{\text{List } N}(R))$$

$S_2: \sigma_{c_n} (\sigma_{c_{n-1}} \dots (\sigma_{c_1}(R))) \equiv \sigma_{c_1} (\sigma_{c_2} \dots (\sigma_{c_N}(C)))$

Which of the following statement(s) is/are correct?

A

$S_1$  only

C

Both  $S_1$  and  $S_2$  only

B

$S_2$  only

D

Neither  $S_1$  nor  $S_2$

#Q. Consider the following table

1 x 4

I(pq)		J(qr)		K(rs)	
p	q	q	r	r	s
0	1	1	2	2	3
4	5	5	2	6	7
8	9	5	6	10	11
		5	10	10	3
		13	10		

The number of tuples in  $(I \bowtie J \bowtie K)$  where  $\bowtie$  is the natural join is

A 5

B 8

C 10

D 11

# [MCQ]



#Q. Consider the following relations:

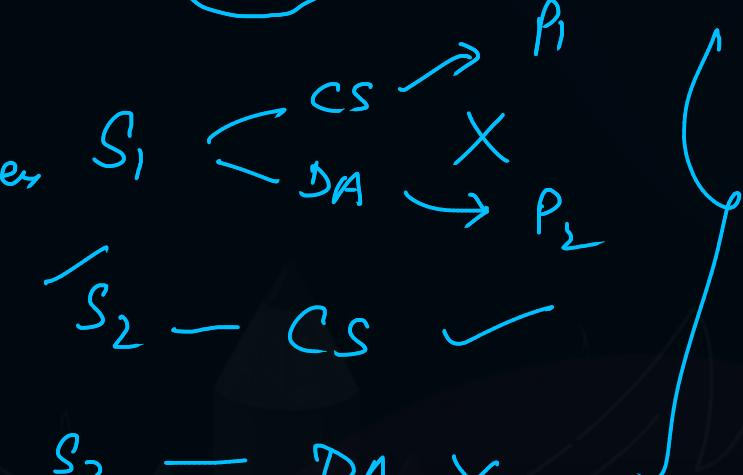
Enroll (Sid, Papercode), Paper(Papercode, Desc)

Which of the following relational algebra displays the Sid who only enrolled for Papercode having description (Desc) as "CS"?

A

$\pi_{\text{Sid}} (\text{Enroll} \bowtie \sigma_{\text{Desc} = 'CS'} \text{Paper})$

Sid who have  
enrolled for CS paper



B

$\pi_{\text{Sid}} (\text{Enroll}) - \pi_{\text{Sid}} (\text{Enroll} \bowtie \sigma_{\text{Desc} = 'CS'} (\text{Paper}))$

S<sub>2</sub> - CS ✓

C

$\pi_{\text{Sid}} (\text{Enroll}) - \left[ \pi_{\text{Sid}} (\text{Enroll} \bowtie \sigma_{\text{Desc} < > 'CS'} (\text{Paper})) \right]$

S<sub>3</sub> - DA X

D

None of the above

Enroll ⋈ Paper

S<sub>1</sub>  
S<sub>2</sub>  
S<sub>3</sub>

- S<sub>1</sub>  
S<sub>2</sub>

for non-CS  
paper

	Enroll	Paper
S <sub>1</sub>	S <sub>1</sub>	P <sub>1</sub>
S <sub>2</sub>	S <sub>2</sub>	P <sub>1</sub> ✓
S <sub>3</sub>	S <sub>3</sub>	P <sub>2</sub> ✓

	Paper	CS
P <sub>1</sub>	P <sub>1</sub>	-
P <sub>2</sub>	P <sub>2</sub>	DA

S<sub>2</sub>

Sid  
S<sub>1</sub>  
S<sub>3</sub>

	Papercode	Desc
P <sub>1</sub>	P <sub>1</sub>	DA
P <sub>2</sub>	P <sub>2</sub>	DA
P <sub>3</sub>	P <sub>3</sub>	DA

# [MCQ]

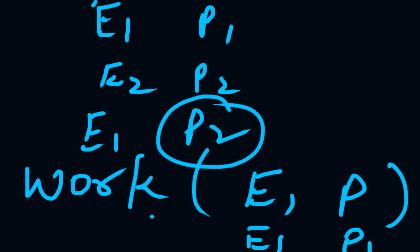


#Q. Consider a relation, work (EmpID, ProjectID)

The suitable relational algebra expression that projects the employee ids who work in exactly one project is

- A  $\pi_{\text{EmpID}}(\text{work}) - \pi_{\text{EmpID}}(\text{work} \bowtie_{(\text{EmpID} = E \wedge \text{ProjectID} = P)} \rho_{E, P}(\text{work}))$  *always empty result*
- B  $\pi_{\text{EmpID}}(\text{work} \bowtie_{(\text{EmpID} = E \wedge \text{ProjectID} \neq P)} \rho_{E, P}(\text{work}))$  *Eid who is working in at least 2 diff projects*
- C  $\pi_{\text{EmpID}}(\text{work}) - \pi_{\text{EmpID}}(\text{work} \bowtie_{(\text{EmpID} = E \wedge \text{ProjectID} \neq P)} \rho_{E, P}(\text{work}))$
- D None of the above

*Enrolled in exactly one project*



*2, 3, 4, 5...  
0, 1*

#Q. Consider the relation  $R(ABCD)$  which of the following relational algebra expression return the lowest value of  $B$ ? ( $R_1$  and  $R_2$  are rename of  $R$ )

I.  $\Pi_{R_2 \cdot B} (R_1 \bowtie_{R1.B < R2.B} R_2)$

II.  $\Pi_B(R) - \Pi_{R_1 \cdot B} (R_1 \bowtie_{R1.B > R2.B} R_2)$

III.  $\Pi_B(R) - \Pi_{R_1 \cdot B} (R_1 \bowtie_{R1.B < R2.B} R_2)$

IV.  $\Pi_B(R)$

$R(A B C D)$

1 2 3 4

5 6 1 8

2 1 9 10

⋮

X A

I

6

II

X B

X 2

IV

X D

1

X C

III

# [MCQ]



#Q. Consider the following RA expression-

$$P: \pi_{\text{sid}}(\text{student}) - \pi_{\text{sid}}(\text{student}) \bowtie_{\text{Marks} < M \wedge \text{Gender} = G} \{s_1, s_2, s_3, s_4\}$$

on a relation student(sid, Gender, Marks)

$s_1$	M	80 ✓
$s_2$	F	65 ✓
$s_3$	F	90 ✓
$s_4$	M	72 ✓

The above query displays

$\checkmark s_1$   
- 80  
 $s_3$   
90 ✓

$$\rho_{(I, G, M)}(\underline{\text{student}})$$

student(I, G, M)

$s_1$	M	80
$s_2$	F	65
$s_3$	F	90

$s_4$  M 72

A The sid of the students who obtained the maximum marks.

B The sids of the male and female students who obtained the maximum marks in their respective gender.

C The sids of male students who scored higher than all the female students

D None of the above

[MSQ]



#Q. Consider the relation-

Works (Eid, Pid), Project (Pid, Name)

The relational algebra expression that displays the Eids who work in every project with Name = 'M' is

- A  $\pi_{Eid, Pid} (\text{Works}) / \pi_{Pid} (\sigma_{\text{Name} = 'M'} (\text{Project}))$
- B  $\pi_{Eid} (\text{Works}) - \pi_{Eid} [(\pi_{Eid} (\text{Works}) \times \pi_{Pid} (\sigma_{\text{Name} = 'M'} (\text{Project}))) - \pi_{Eid, Pid} (\text{Works})]$
- C  $\pi_{Eid} (\text{Works}) - \pi_{Eid} [(\pi_{Eid} (\text{Works}) \times \pi_{Pid} (\sigma_{\text{Name} <> 'M'} (\text{Project}))) - \pi_{Eid, Pid} (\text{Works})]$
- D None of the above

## [MCQ]



#Q. Consider the two relations  $R_1$  and  $R_2$  such that they have no attributes in common then-

$S_1: R_1 \bowtie R_2 = R_1 \times R_2$

$S_2: R_1 \bowtie R_2 = \emptyset$

$$R_1(A, B)$$

$$R_2(C, D)$$

Which of the following is correct?

- A  $S_1$  only
- B  $S_2$  only
- C Both  $S_1$  and  $S_2$  only
- D Neither  $S_1$  nor  $S_2$

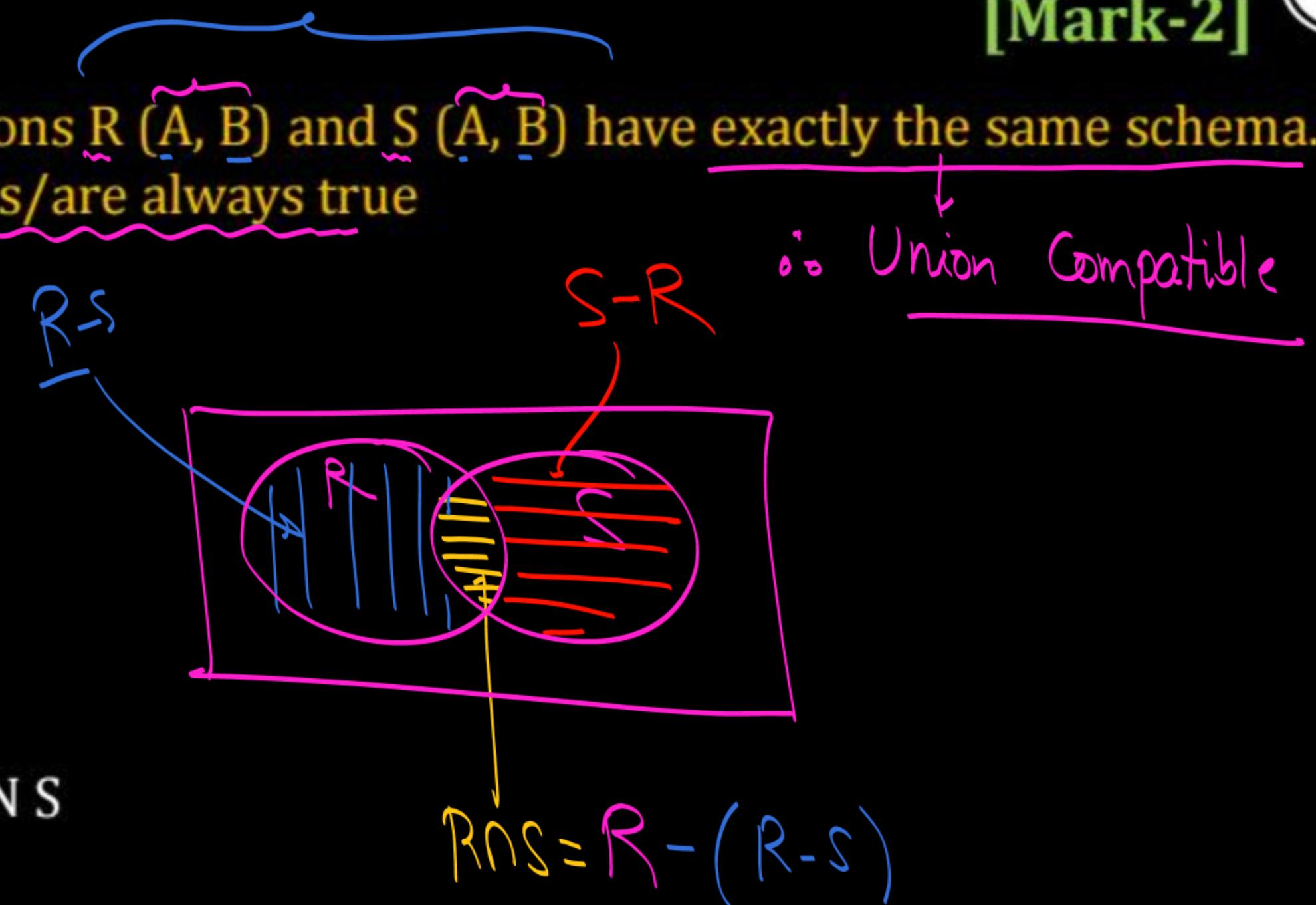
[MSQ]

P  
W

[Mark-2]

#Q. Suppose that two relations  $R(A, B)$  and  $S(A, B)$  have exactly the same schema.  
Which of the following is/are always true

- A  $R \cap S = R - (R - S)$
- B  $R \cap S = R - (S - R)$
- C  $R \cap S = R$  NATURAL JOIN  $S$
- D  $R \cap S = \sigma_{R.A=S.A \wedge R.B=S.B}(R \times S)$   
 $\# \text{ attributes} = 2$        $\# \text{ attributes} = 4$



[MSQ]

[Mark-2]



#Q. Consider two relations  $\underline{R(A,B)}$  and  $\underline{S(B,C)}$  and the following relational algebra expression S:  $\pi_{\underline{R.A} \ \underline{S.B}}(\sigma_{\underline{R.B}=\underline{S.B}}( R \times S))$   
Which of the following relational algebra expressions are guaranteed to produce same result as S

- A  $\pi_{A,B}(R \bowtie S)$
- B  $R \bowtie \pi_B(S)$
- C  $R \cap (\pi_A(R) \times \pi_B(S))$
- D  $R_{(A,B)} \cap (A, B)$   
 $\pi_{A, R.B}(R \times S)$

[MCQ] -2 Mark

$S_1, S_3$

$S_1$	$P_2$	30
$S_3$	$P_3$	30

#Q. Consider the following relational schemas

Supplier(Sid, Sname),

Parts(Pid, Pname),

Catalog(Sid, Pid, Cost)

and following two queries

→ Q1:  $\pi_{Sid} [\text{Catalog}] \llbracket \pi_{C1.Sid, C1.Pid, C1.cost} (\sigma_{C1.cost < C2.cost} (\rho_{C1}(\text{Catalog}) \times \rho_{C2}(\text{Catalog}))) \rrbracket$

→ Q2:  $\pi_{Sid} [\text{Catalog}] - \pi_{C1.Sid, C1.Pid, C1.cost} (\sigma_{C1.cost < C2.cost} (\rho_{C1}(\text{Catalog}) \times \rho_{C2}(\text{Catalog})))$

A

Both Q1 and Q2 always produces the same output.

B

Output produced by Q1 is always different for output produced by Q2.

C

Output produced by Q1 is subset of output produced by Q2.

D

Output produced by Q2 is subset of output produced by Q1.

Catalog		
$S_1$	$P_1$	10
$S_1$	$P_2$	30
$S_3$	$P_3$	30





# THANK - YOU