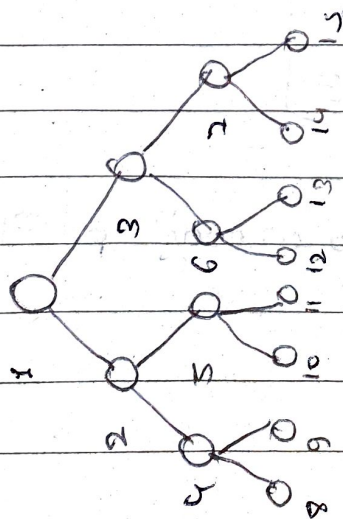


## Breadth First Search



Yes

Parameter:

Complete

Memory

$$1 + b^1 + b^2 + b^3 + \dots + b^d$$

$$= b^{d+1}$$

$$= b^{d+1}$$

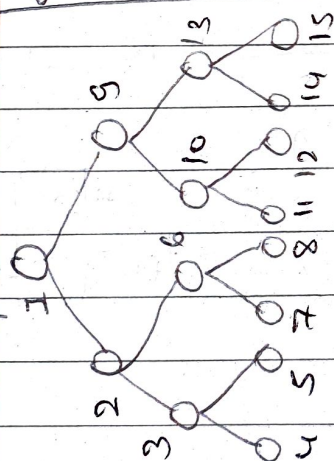
Time

$$b^{d+1}$$

Optimal

Yes

## Depth first search



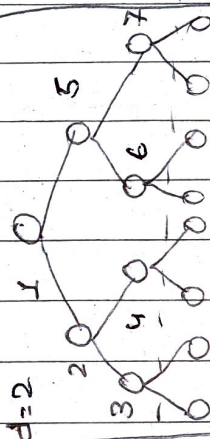
No (If loop is present)

$$b \times d$$

$$b^d$$

No

## Depth limited Search



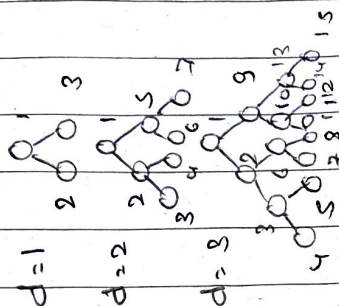
No

$$b \times d$$

$$b^d$$

No

## Depth First Iterative deeping



Yes

$$b \times d$$

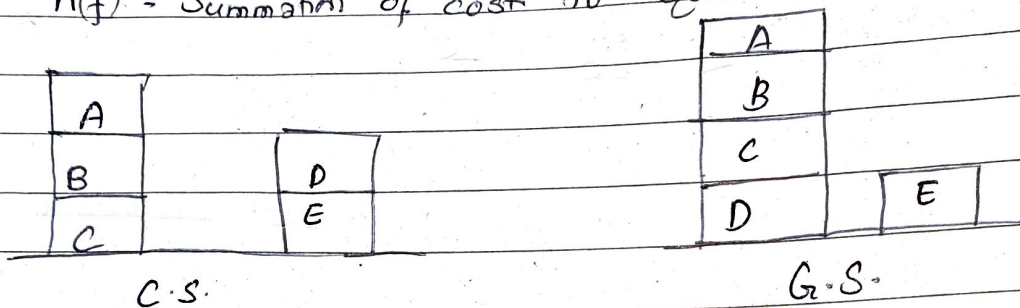
$$b^d$$

Yes

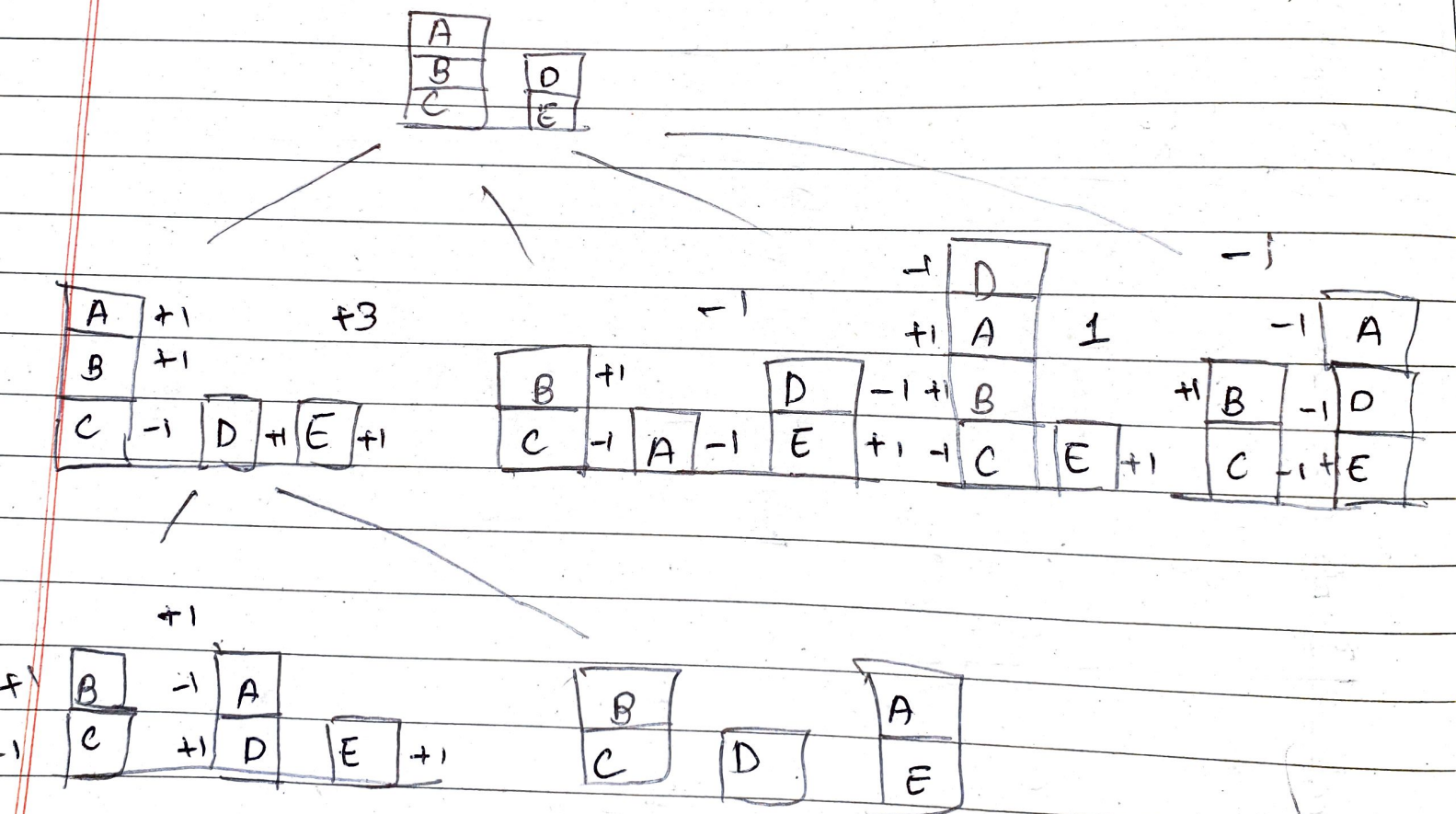
## Informed search

↳ Heuristic function

$h(f)$  = Summation of cost to Goal node



$h(f)$  = If the block is on the correct block then +1 else -1

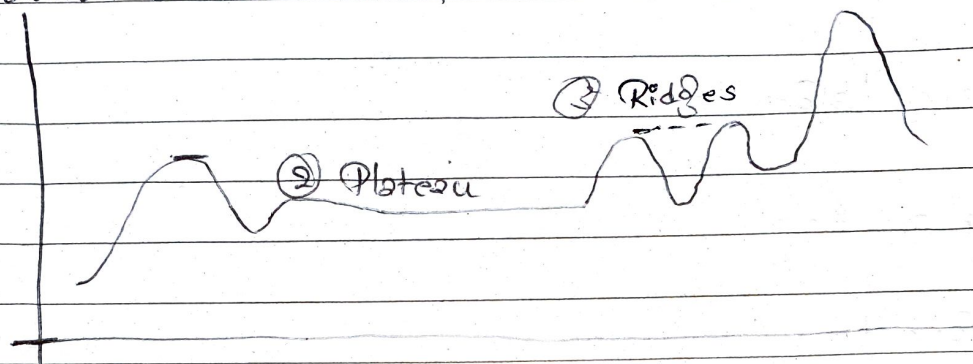


$h(f)$  = -Level from base if in a wrong position  
Else +Level.



# ① Hill climbing search.

Problems: ① Local maxima



Solution: Using efficient Heuristic function

Heuristic function:

Heuristic is a rule of thumb that may help to solve a given problem. The purpose of a Heuristic function is to guide such process in the most profitable direction by suggesting which path to follow first when more than one path is available.

Hill climbing algorithm

Algorithm.

- I. Evaluate the initial state if it is goal state then quit otherwise make current state as initial state.
- II. Select a new operator or function that could be applied to this state & generate a new state.
- III. Evaluate the new state.
- IV. If this new state is closer to the current state then make the new state as current state if it is not better then ignore this state & proceed with the current state.
- V. If the current state is not the goal state & no more

operator or function are available then quit otherwise  
goto step 2.

A\* search algorithm.

Min-max algorithm

$\alpha$ - $\beta$  algorithm:

If  $\alpha \geq \beta$  then prun.

max min

$\alpha = -\infty$      $\beta = \infty$