

Chapter 2 Assignment

Q. No. 12

Interest rate (R) = 8%
Compounded Annually.

Amount (F) = 5000

Time (T) = 5 years

Now,

$$P = 5000(F/P, 0.08, 5),$$

Now,

$$P = \frac{5000}{(1+0.08)^5}$$

$$= 3402.91.$$

∴ Rs 3402.91 can be Repaid.

Again

$$P \leq f = 12,000(F/P, 0.08, 4).$$

$$= 12,000(1+0.08)^4$$

$$= 16325.867$$

Ans /

S. No. 2)

$$\text{Soln: Ratio}(i) = 15\%$$

$$P = P$$

$$F = 2P$$

$$\text{Time } (\tau) = ?.$$

We know

$$2P = P(F/P, 0.15\%, \tau).$$

$$2P = P(1 + 0.15)^{\tau}$$

$$2 = (1 + 0.15)^{\tau}$$

Taking log on both sides

$$\log_e(2) = \tau \log_e(1.15).$$

$$\tau = 4.95 \approx 5 \text{ years.}$$

∴ for five years time, the stock of share should be on hold

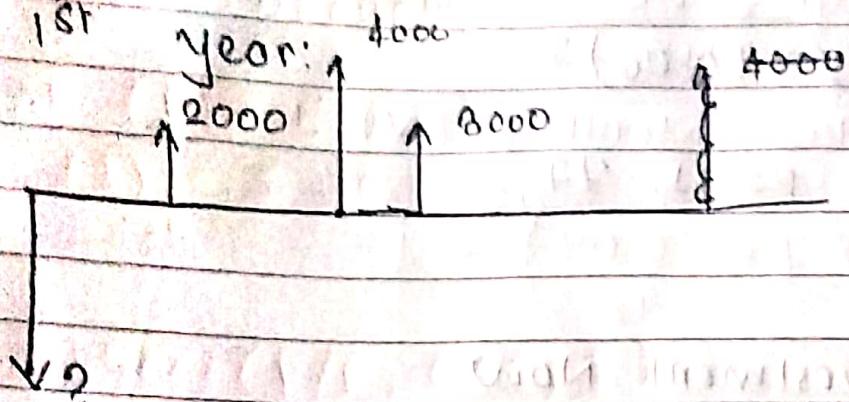
Q. No. 3 :-

Soln:-

Principle (P) = ?

Rate (i) = 6%.

for 1st year:



We know:

$$P = 2000 (P/F, 0.06, 1).$$

$$P = \frac{2000}{(1+0.06)}$$

$$P = 285.714. \quad (1^{\text{st}} \text{ year}) \quad 1886.792 \text{ IS}$$

for 3rd year:

$$P = 4000 (P/F, 0.06, 3)$$

$$= \frac{4000}{(1+0.06)^3}$$

$$= 3358.477.$$

for 5th year:

$$P_3 = 3000 \left(P/F, 0.06, 5 \right)$$

$$= \frac{3000}{(1+0.06)^5}$$

$$= 2241.77.$$

Now -

Total investment Now

$$P_{\text{total}} = P_1 + P_2 + P_3$$

$$= 1886.792 + 3358.477 + 2241.77$$

$$= 7487.04 \text{ Ans},$$

S. NO. 4, 6.

Soln:

a). Rs 2455 in 10 years at 6%.

Compounded Semi Annually

~~i_{eff}~~ = Given.

$$P = 2455$$

$$T = 10 \text{ years}$$

$$\text{rate (i)} = 6\%$$

Compounded Semi Annually (M) = 2.

$$100 \times \left(1 + \frac{r}{m}\right)^m$$

$$\left(1 + \frac{0.06}{2}\right)^2 - 1$$

$$= 0.0609$$

Now

$$F = 2455 (F/P, 0.0609, 10)$$

$$= 2455 (1 + 0.0609)^{10}$$

$$= 4484.$$

∴ Rs 4484 will be the amount

i) Rs 5500 in 15 years at 8% compounded quarterly.

Here

$$P = 5500, m = 100, t = 15$$

$$q = 15 \text{ yrs}$$

$$r = 8\%$$

compounded quarterly means in 1 year 4 times

Thus $T = 15 \times 4 = 60$, $r = 8\% / 4 = 2\% \text{ per quarter}$

$$\text{Re } F = 5500 (F/P, 0.8, 60)$$

$$= 5500 (1 + 0.02)^{60} = 18045.66934 \text{ Ans.}$$

c). RS 21000 in 7 years at 9% compounded monthly.

$$P = 21000$$

$$T = 7 \text{ yrs}$$

$$R = 9\%$$

compounded monthly ($M = 12$)

$$i_{\text{eff}} = \left(1 + \frac{0.09}{12} \right)^{12} - 1 = 0.0938$$

Now

$$F = 21000 \left(F/P, 0.0938, 7 \right)$$

$$\therefore F = 21000 \times (1 + 0.0938)^7$$

$$= 39335.50$$

∴ Rs 39335 will be compounded

S. No. 8

8%:

$$\text{Interest (I)} = 6\%$$

$$\text{Amount (F)} = 20,000$$

$$\text{Time (T)} = 8 \text{ years}$$

a) Compounded Annually:

$$P = \frac{20000}{(1+0.06)^8} = 12548.25.$$

∴ Rs 12548.25 should be invested

b) compounded Semiannually:

$$M = 2.$$

Now,
 $i_{\text{eff}} = 6\% / 2 = 3\% \text{ per annual}$

$$\text{Time (T)} = 8 \times 2 = (16) \text{ years}$$

$$P = \frac{20000}{(1+0.03)^{16}} = 12463.354$$

∴ 12463.354 should be invested

c) compounded monthly.

$$M=12$$
$$i_{eff} = \left(1 + \frac{0.06}{12}\right)^{12} - 1$$
$$= 0.0617.$$

$$P = 20,000(P/F, 0.0617, 18)$$

$$= \frac{20,000}{(1+0.0617)^8}$$

$$= 12388.4 \quad 12390.48 \text{ Ans.}$$

∴ Rs 12390.48 should be compounded

d) Compounded weekly.

$$M=52$$

Compounded weekly $(\Gamma) = 8 \times 52 = 416$.

$$\text{Rate } (i) = 0.06/52 = 1.154 \times 10^{-3}$$

$$P = 20,000(P/F, 1.154 \times 10^{-3}, 416)$$

$$= \frac{20,000}{(1+1.154 \times 10^{-3})^{416}}$$

$$= 12329.33$$

∴ Rs 12329.33 should be compounded.

Q: No. 9 \Rightarrow

Prin Principle (P) = RS 11,000
Interest Rate (%) = $r = 8\%$
Compounded quarterly (m) = 4

Now

$$i_{eff} = \left(1 + \frac{0.08}{4}\right)^4 - 1 \\ = 0.0824$$

$$F = 1000 (F/P, 0.0824, 10)$$

$$= 10000 (1 + 0.0824)^{10} \\ = 10,2208.039.$$

\therefore RS 2208.039 would be equivalent.

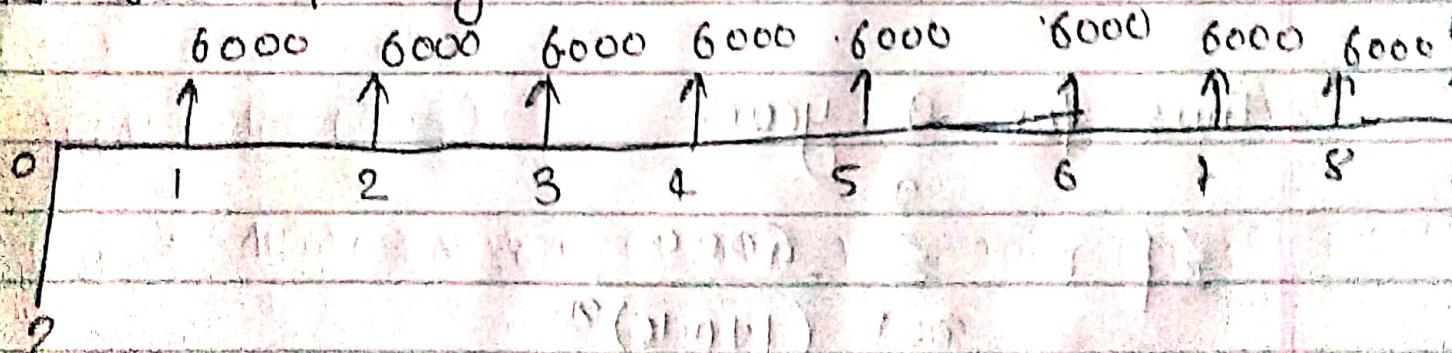
Q: No. 10 \Rightarrow

Solution:

Time (T) = 9 years.

Rate (R) = 16%.

RS 6000 per year (i).



R₀₁

$$\text{Amount (F)} = 6000 \times g$$

$$P = ?$$

$$R = 16\%$$

$$T = 9 \text{ years}$$

Now:

$$P = 640000 (P/F, 0.16, 9)$$

$$= \frac{54000}{(1+0.16)^9}$$

$$I = PFR$$

$$100$$

$$= \frac{100 \times 6000}{16}$$

$$=$$

$$\frac{6000}{(1+0.16)}$$

Thus:

$$P_1 = \frac{6000}{(1+0.16)^9}$$

$$P_2 = \frac{6000}{(1+0.16)^8}$$

Thus for 9 years

$$SP = \sum_{n=1}^9 \frac{6000}{(1+0.16)^n}$$

$$= 27639.26325 //$$

Q. NO. 4 ⇒

What is annual series of payment must be paid into a sinking fund to accumulate following amount?

Rs 10,000 in 13 years at 5% compounded Annually.

SOLⁿ:

$$F = \text{Rs } 10000$$

Time (N) = 13 yrs

Rate (I) = 5% compounded annual

Annual Series of payment (A) = ?

We know.

$$A = F \left(A/F, 5\%, 13 \right).$$

Thus,

$$A = 10,000 \left\{ \frac{0.05}{(1+0.05)^{13}-1} \right\}$$

$$= \text{Rs } 564.56.$$

The annual series of payment is Rs 564.56.

b) Rs 25000 in 10 years compounded Annually,
we know
functionally

$$A = 25000 (A/F, 0.09, 10).$$

Thus,

$$A = 25000 \times \left\{ \frac{i}{(1+i)^N - 1} \right\}$$

$$= 25000 \times \left\{ \frac{0.09}{(1+0.09)^{10} - 1} \right\}$$

$$= \text{Rs } 1645.50.$$

\therefore The annual deposit is Rs 1645.50.

c) Rs 15,000 in 25 years at 7%, compounded annually.

functionally,

$$A = 150000 \cdot (A/F, 0.07, 25)$$

so,

$$A = 150000 \times \frac{0.07}{(1+0.07)^{25} - 1}$$

$$= 237.16 \text{ Rs.}$$

\therefore The annual deposit is Rs 237.16.

d) Rs 8,000 in 8 years at 12% compounded Annually.

Soln:

$$A = 8000 \times A/F, 0.12, 8$$

using formula,

$$A = \frac{8000 \times 0.12}{(1+0.12)^8 - 1}$$

$$= \text{Rs } 650.42$$

The Annual deposit is Rs 650.42

Q. No. 5 \Rightarrow

Part of income that machine generates is put into a sinking fund to replace the machine when it wears out. If Rs 1,500 is deposited Annually at 7% interest, how many years must the machine be kept before a new machine costing Rs 25,000 can be purchased.

Soln:

$$\text{Annual deposit (A)} = \text{Rs } 1500$$

$$\text{Interest Rate (F)} = 7\%$$

$$\text{Final Future Amount (F)} = \text{Rs } 25,000$$

$$\text{Time (N)} = ?$$

using sinking fund method

$$A = F (A/F, 0.07, N)$$

P.T.O

$$1500 = 25000 \times \left\{ \frac{0.07}{(1+0.07)^N - 1} \right\}$$

$$\frac{1500}{25000 \times 0.07} = \frac{1}{(1+0.07)^N - 1}$$

$$\frac{1}{0.8572} = \frac{1}{(1+0.07)^N - 1}$$

$$(1+0.07)^N = 1 + 0.8572$$

Taking log on both sides.

$$N \ln(1.07) = \ln(1.8572) \quad \ln(1.8572)$$

$$\therefore N = \frac{\ln(1.8572)}{\ln(1.07)} \quad \ln(1.8572)$$

$$= 9.15 \text{ years}$$

\therefore Required Time is 9.15 years

(Q.No. 10 =)

How much money will you be willing to pay now for guaranteed 6000 per year for 9 years starting next year at a Return Rate of 16% per year.

Solution.

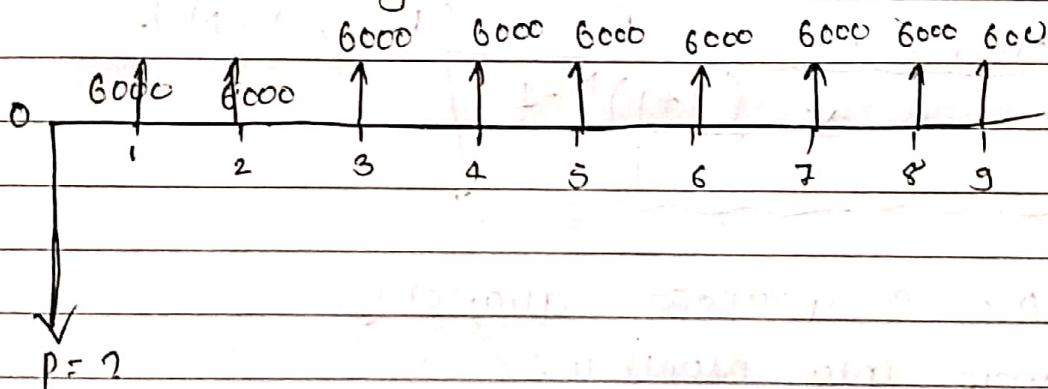
Amount Paid (A) = RS 6000 / year.

Time (n) = 9 years.

Interest Rate (I) = 16% / year.

Present Amount (P) = ?

Cash Flow Diagram.



Thus.

$$P = A \left[\frac{(1+i)^N - 1}{i \times (1+i)^N} \right]$$

$$P = A \left(\frac{1}{(1+i)^N} \right).$$

$$= 6000 \times \left[\frac{(1+0.16)^9 - 1}{0.16 \times (1+0.16)^9} \right]$$

$$= RS 27639.263$$

Required Ans.

Q. NO. 11 =)

Suppose you make \$ 500 monthly deposits to a tax deferred retirement plan that pays interest rate of 10% compounded quarterly. Compute balance at end of 10 years.

Solution:

Amount deposited (A) = \$ 500 monthly.

Time (N) = 10 years

Interest Rate (I) = 10% compounded quarterly.

Future Amount (F) = ?

We know.

Functionally. $F = A (F/A, i, N)$.

$$F = A \times \frac{(1+i)^N - 1}{i}$$

$i = 10\%$ compounded quarterly.

To change into monthly.

$$M = 12$$

Now

~~$$i_{\text{monthly}} = (1 + 0.10)^{\frac{1}{12}} - 1 = 0.00833 \text{ per month}$$~~

~~$$= (1 + 0.10)^{\frac{1}{12}} - 1 = 0.00833 \text{ per month}$$~~

~~$$= 0.00833 \text{ per month}$$~~

Now:

~~$$i = 0.00833$$~~

~~$$N = 10 \times 12 \text{ years}$$~~



using ieff in given formula we get.

$$f = \frac{500 \times [(1 + 0.0322)^{10 \times 4} - 1]}{0.0322}$$

Given,

$i = 10\% \text{ compounded quarterly.}$

$i = 10/4 = 2.5\% \text{ per quarter.}$

$$\begin{aligned} i_{\text{monthly}} &= (1 + 0.025)^{1/3} - 1 \\ &= 8.26 \times 10^{-3} \\ &= 0.00826 \\ &= 0.826\% \text{ per month.} \end{aligned} \quad [0.0252]$$

Now, Time (N) = $10 \times 12 = 120$ months.

Using formula we get.

$$\begin{aligned} f &= \frac{500 \times [(1 + 0.00826)^{120} - 1]}{0.00826} \\ &= 101907.89. \end{aligned}$$

\therefore The balance at end of 10 years is \$ 101907.89.

In this case,

$$ieff = (1 + \frac{0.10}{4})^{0.4} - 1 = 0.1038.$$

$$i_m = (1 + 0.1038)^{1/12} - 1 = 0.826\% \text{ per month}$$

(Another way)

[KFM]

Q. No. 7

Find Present worth of Rs 10,000 per year for 6 years if interest rate is compounded continuously? $i = 10\%$.

Soln:

Given:

Amount per year (A) = Rs 10,000.

Time (N) = 6 years

Interest rate (i) = 10%.

Present worth (P) = ?

Formulas:

$$F = P \times e^{iN}$$

$$P = F \times e^{-iN}$$

$$P = A \times \frac{e^{-iN}}{e^i - 1}$$

$$P = \frac{A \times e^{iN} - 1}{e^{iN} \cdot (e^i - 1)}$$

We know

$$P = A \left(P/A, i\%, N \right).$$

Thus,

for continuous compounding.

$$A = F \times \frac{e^{iN} - 1}{e^{iN} - 1}$$

$$A = \frac{P \times e^{iN} (e^i - 1)}{(e^{iN} - 1)}$$

$$P = 10000 \times \frac{e^{-0.10 \times 6}}{e^{0.10 \times 6} (e^{0.10} - 1)}$$

$$= \text{Rs } 42900.48$$

∴ Required Present worth is Rs 42900.48 //

Q.No. 12 ⇒.

ABC company has major fabrication plant in Kathmandu and Pokhara. The presidency want to know the equivalent future value of Rs 10,00,000 capital investments each year for 8 years, starting 1 year from now. ABC company year earns at rate 14% per year.

Given:

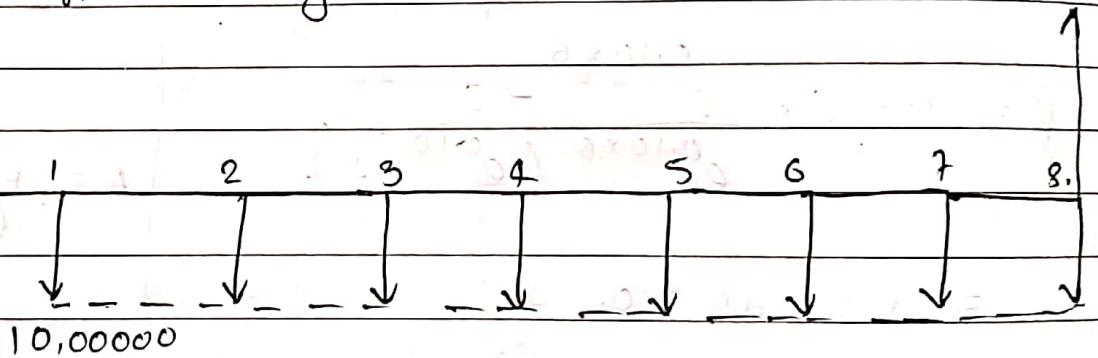
Per year investment (A) = Rs 10,00,000.

Interest Rate (i) = 14% = 0.14.

Time (T) = 8 years.

future value (F) = ?.

Cash flow diagram.



$$F = A \times (F/A, 0.14, 8).$$

We know

$$F = A \times \frac{(1+0.14)^8 - 1}{0.14}$$

$$= \frac{10,00,000}{0.14} \left[(1+0.14)^8 - 1 \right]$$



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$$= \text{Rs } 13,232,760.16$$

∴ The future value is Rs 1,32,32,760.16/-.

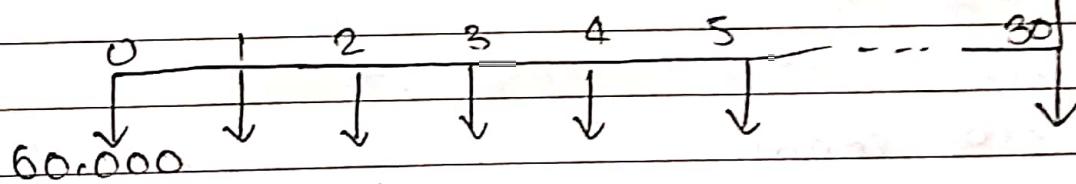
Q.No. 13 =>

An engineer is planning for his early retirement 30 years from now. He believes he can contribute Rs 60,000 each year for first 30 years, starting now. If he plans to start withdrawing money in some year that he makes his last deposit (ie year 30), what uniform amount could he withdraw each year for next 30 years if the account earned interest at each year at a

Date of 8% per Year.

801^n!

Condition 1 Cash Flow



Condition 2 cash flow:

A = ?

P = First



condition 1

$$A = 60000$$

$$N = 30 \text{ years}$$

$$I = 8\%$$

$$f = ?$$

We know

$$f = A(F/A, i, N).$$

Using formula

$$A = f = \frac{6000 \times ((1+i)^N - 1)}{i}$$

$$= \frac{60000 \times [(1+0.08)^{30} - 1]}{0.08}$$

$$= \text{Rs } 67,96,992.667.$$

Again,

2nd condition

$$P = \text{Rs } 67,96,992.667$$

$$A = ?$$

$$N = 30 \text{ yrs}$$

$$I = 8\%$$

$$P = Af \cdot A = P(A/P, i, N)$$

Using formula,



$$A = 6796992.667 \times \frac{0.08 \times (1+0.08)^N}{[(1+0.08)^N - 1]}$$

$$= 6796992.667 \times \frac{0.08 \times (1+0.08)^{30}}{(1+0.08)^{30} - 1}$$

$$= \text{Rs } 603759.4134.$$

∴ we can withdraw $\text{Rs } 603759.4134$ for next 30 years, each year

S.NQ.12 =>

Professional Engineers require that $\text{Rs } 5,000$ each year be placed in a sinking fund account to cover any unexpected major rework on field equipment. In one case $\text{Rs } 5,000$ was deposited for 15 years and covered a rework costing $\text{Rs } 10,00,000$ in year 15. What rate of interest did this practice provide the company?

Soln:

Amount (A) = $\text{Rs } 5,000$

future Amount (F) = $\text{Rs } 10,00,000$

Time (N) = 15 years

Interest Rate (i) = ?

functionally

$$A = f \times (A/F, i, N)$$

so using formula,

$$A = \frac{P \times i}{(1+i)^N - 1}$$

$$5000 = \frac{10,00,000 \times i}{(1+i)^{15} - 1}$$

$$\text{or. } \frac{5000}{10,00,000} = \frac{i}{(1+i)^{15} - 1}$$

$$\text{or. } 5 \times 10^{-3} = \frac{i}{(1+i)^{15} - 1}$$

$$\text{or. } (1+i)^{15} - 1 = 5 \times 10^{-3} + 200i$$

$$\text{or. } (1+i)^{15} = 200i + 1.$$

Taking log on both sides

~~$$15 \log(1+i) = \log(200i+1)$$~~

Solving this

$$(1+i)^{15} = (1+i) + 199i$$

$$i = 0.3212.$$

$$\therefore i = 32.12\%$$

=

$$1 \times 10^g L$$

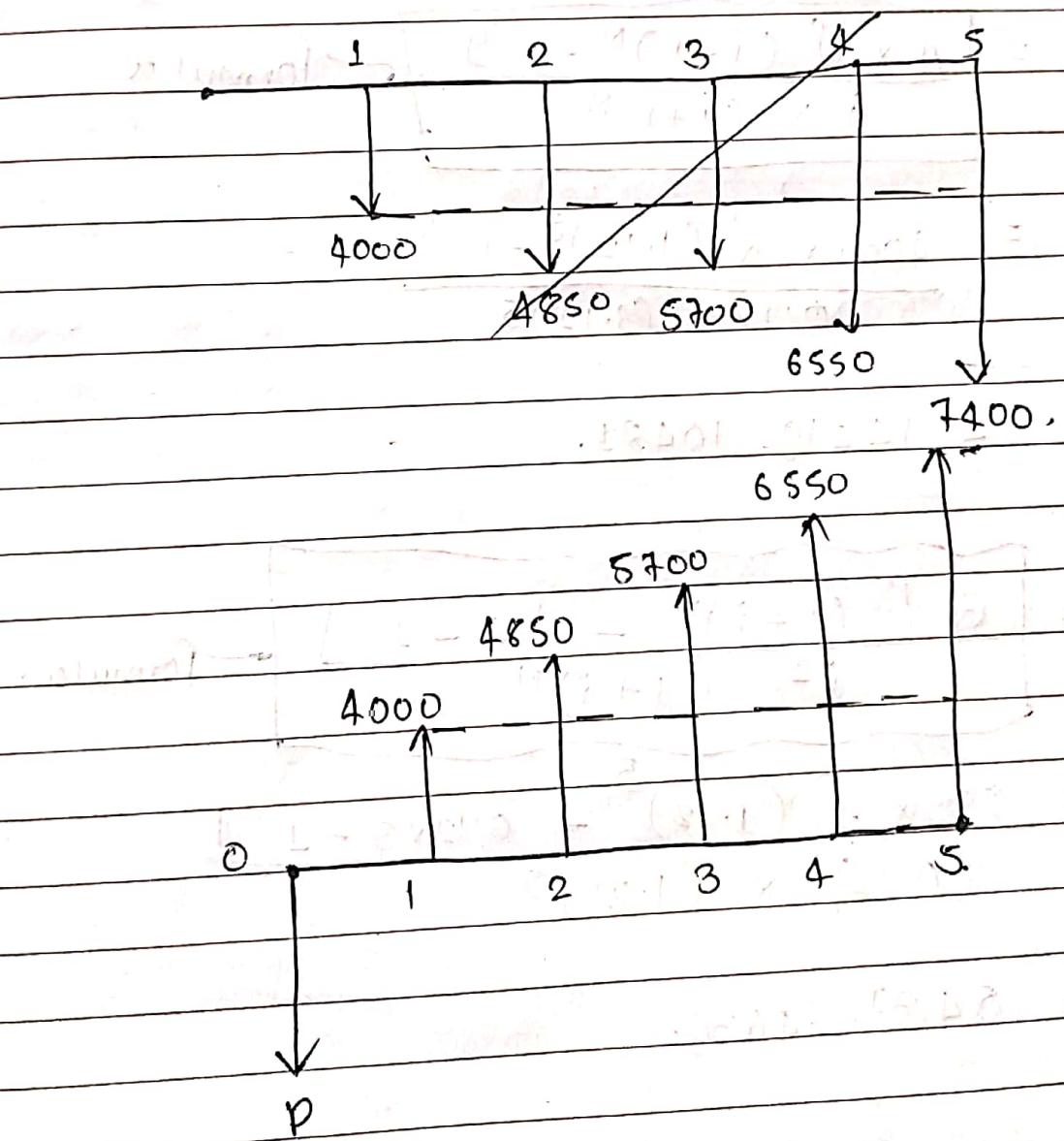
$$\frac{2 \times 10^g 2}{\log_{200} 1113}$$

GOOD MORNING
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Q. NO. 15.,

An equipment manufacturer is considering replacing its old Spares parts with new one. The company expects to achieve cost savings of Rs 4000 in 1st year and amount increases by Rs 850 each year for next 4 years. At an interest rate of 12% per year what is the total present worth of the savings?

Soln:



We have

Gradient Amount (G) = Rs 850

Interest Rate (i) = 12%

Time (N) = 4 years

Present Amount (P) = ?

Equal Amount (A) = Rs 4000.

Now.

$$P_A = A \left(P/A, i, N \right)$$

$$= \left[\frac{A \times \{ (1+i)^N - 1 \}}{i \times (1+i)^N} \right] \quad \text{formula}$$

$$= \frac{4000 \times \{ (1.12)^5 - 1 \}}{0.12 \times (1.12)^5}$$

$$= 14419.10481.$$

$$P_G = \left[\frac{G \left\{ (1+i)^N - iN - 1 \right\}}{i^2 (1+i)^N} \right] \quad \text{formula}$$

$$= 850 \times \left[\frac{(1.12)^5 - 0.12 \times 5 - 1}{(0.12)^2 \times (1.12)^5} \right]$$

$$= 5437.4636.$$

$$\therefore P_0 = P_A + P_G$$

$$= 14419.10481 + 5437.4636$$

$$= \text{Rs } 19856.56841$$

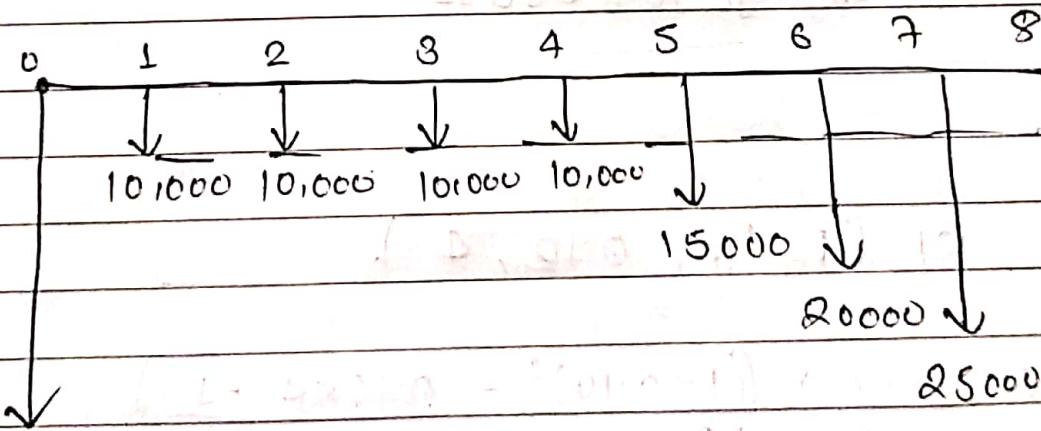
∴ The present worth of Savings is Rs 19856.56841.

Q.No.16

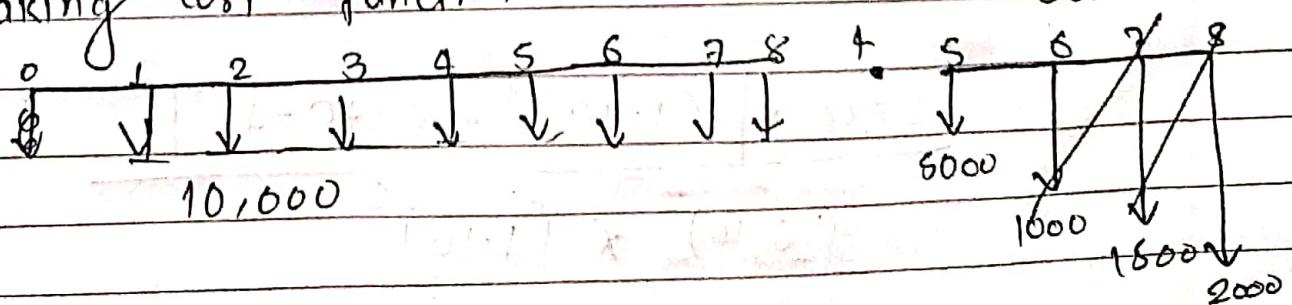
Mr. Nem, an engineer has inspected the average cost on a current production for 8 years. Cost averages were steady at Rs 10,000 per completed unit for the first 4 years but have increased consistently by Rs 5,000 per unit for each of last 4 years. Nem plans to Analyze the Gradient increase using P/G factor. Where is present worth located for Gradient? what is the Gradient relation used to calculate total Present worth in year 0? $i = 10\%$

Soln:

Cost function



Breaking cost function



$$= 21890.58124.$$

∴ Present worth from 4th year to last four years is.

$$\begin{aligned} P_A &= P_A + P_G \\ &= 90909.09091 + 21890.58124 \\ &= 112799.6722. \end{aligned}$$

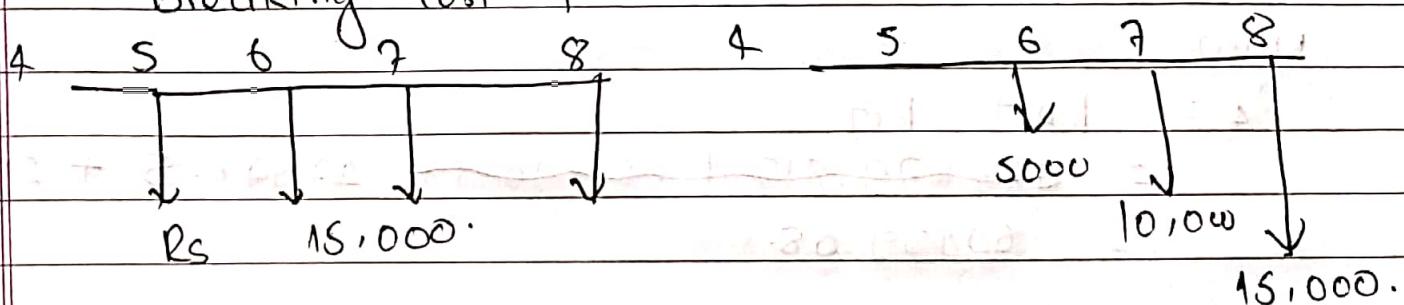
Now,

Present worth year start $P_0 = ?$

Now.

Gradient And Amount

Breaking cost func.



$$P_A = A (PA/A, 0.10, 4).$$

$$= 15,000 \int (1+0.10)^t - 1$$

$$0.10 \times (1+0.10)^4)$$

$$= 15,000 \times 3.1699$$

$$= 47547.817. 07548.5$$

Now

$$P_G = G \left(P_A / G, i, N \right)$$

Using formula,

$$P_G = \frac{G \times \{ (1+i)^N - 1 \}}{i^2 \times (1+i)^N}$$

$$= \frac{5000 \times \{ (1.10)^4 - 0.1 \times 4 - 1 \}}{0.1^2 \times (1.1)^4}$$

$$= 5000 \times 4.3781$$

$$= 21890.58.$$

Now

$$P_4 = P_A + P_G$$

$$= \cancel{475479.817} + \cancel{21890.58} \quad 47548.5 + 21890.58$$

$$= 69439.08.$$

Now:

$$P_0 = P_4 (P/F, 10\%, 4) + 10,000 (P/A, 10\%, 4)$$

$$= 69439.08 \times (1+0.1)^{-4} + 10000 \times \frac{(1.01)^4 - 1}{0.1}$$

$$= 47427.82$$

$$= \cancel{66729.59} + 8.1698 \cdot 10000 \times 3.1698$$

$$= \cancel{66729.59} + 31698$$

$$= 47427.82 + 31698$$

$$= 79125.82$$

$$D.T.O.R.W = 13179.4 + 600^D \\ = 13179.4 \text{ Rs}$$

\therefore Rs 13179.4 should be deposited.

Q.No. 18 \Rightarrow

A father wants to set aside money for his 8 years old son's college education, by making annual deposits to his a bank account in his son's name that pays 8% per annum, compounded quarterly. What equal deposits must the father make on son's 17th birthday, in order for the son to be able to withdraw Rs 4,000 on each of four birthdays from 18th to 21st.

Solution:

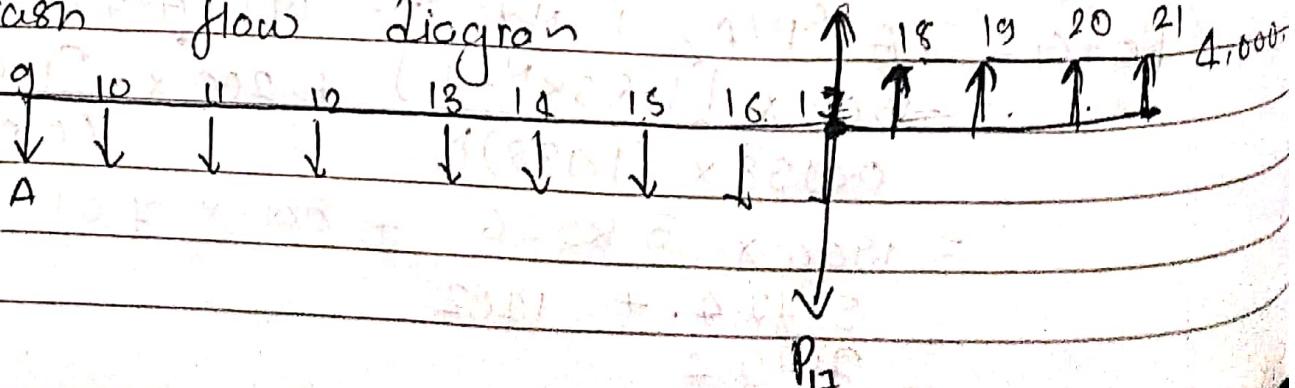
Annual Deposit Amount (A) = ?

Interest Rate (8%) per annum Compounded quarterly.

Amount for last 4 year (A_f) = Rs 4,000.

Now.

Cash flow diagram



Now

for withdrawl case.

$$\text{P}_{17} = A \left(P/A, r, n \right)$$

Now.

interest Rate (r) = 8% pa compounded quarterly
 $n = 4$

$$i_{\text{eff}} = \left(1 + \frac{0.08}{4} \right)^4 - 1$$

$$= 0.08243$$

= 8.248% per annum.

Now.

$$\text{P}_{17} = A \left(P/A, 8.248\%, 4 \right).$$

$$= \frac{4000 \times \left((1.08243)^4 - 1 \right)}{0.08243 \times (1.08243)^4}$$

$$= 4000 \times 3.2943.$$

$$3.9673$$

$$= 13177.2.$$

∴ Present Total collected Amount for 9 years
 is Rs 13177.2.



Now.

$$P_{17} = F_{17}$$

Therefore.

$$A = F_{17} \left(A/F_{17}, 0.08243, 9 \right).$$

$$= 18177.2 \times \frac{0.08243}{(1.08243)^9 - 1}$$

$$= \text{Rs } 1044.57.$$

∴ The equal deposits father should make for 9 years is Rs 1044.57

Q. NO. 20 \Rightarrow .

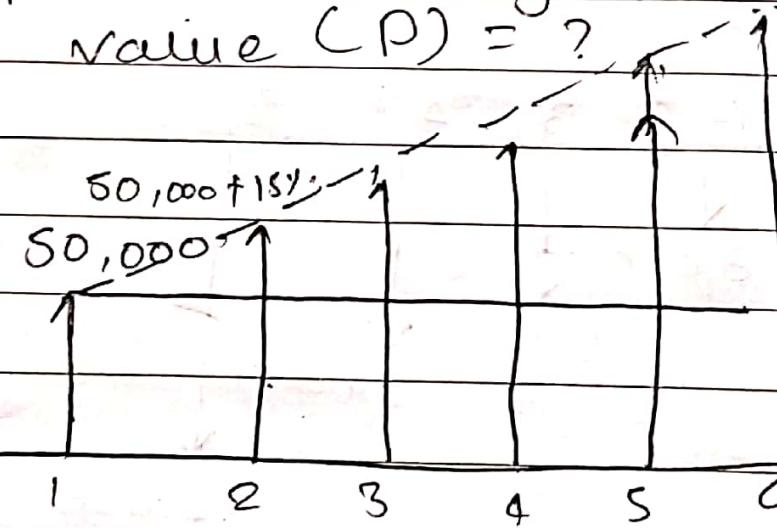
Amount (A) = 50,000.

Gradient factor (G) = 15%.

Interest rate (I) = 12%.

Time period (N) = 6 years.

Present value (P) = ?



$$PA = ?$$

NOW,

using
here $i \neq g$,

thus,

$$P = A_1 \left[\frac{1 - (1+g)^N}{1+i} \right] \quad \text{formula.}$$

$$= 50,000 \times [8.729] \cdot 5.72895.$$

$$= 286,447.62.$$

∴ Required present value of cash flow is
Rs 286,447.62

Q. No. 21 \Rightarrow

gradient factor (g) = 15%

Interest Rate (i) = 5%

Amount deposited = Rs 40,000

Time period (N) = 7 years

future worth (F) = ?

we know,

\downarrow

$$F = A_1 (f/A_1, g, i, N)$$

here $i \neq g$,

thus,



$$P = 40,000 \times \frac{[(1+0.05)^7 - (1+0.15)^7]}{0.05 - 0.15}$$

$$= 40,000 \times 12.529$$

$$= 5,01,167.78$$

∴ The amount in account immediately after 10 yr deposit is Rs 5,01,167.78 Rs.

Q. No 22 =>

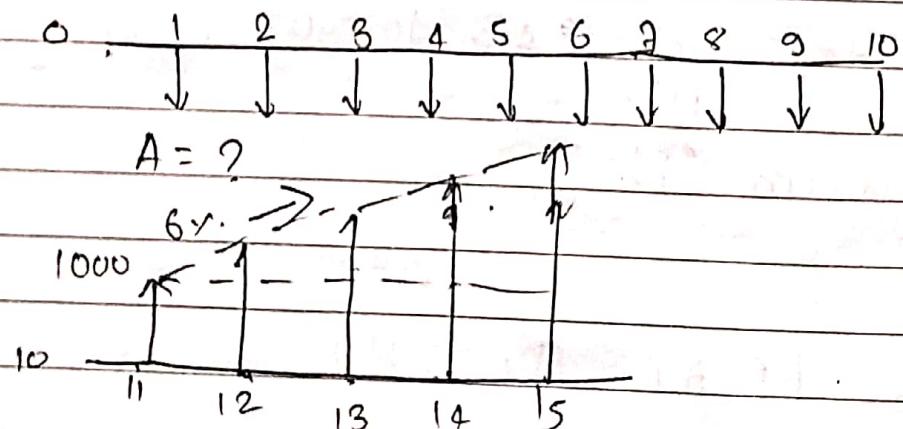
Given,

0) The interest rate is 6% compounded annually.

Annual deposits (A) = ?

Annual withdrawal (A) = \$ 10,000.

cash flow diagram.



Now:

Amount withdrawal (A) = 1000

gradient rate (g) = 6%.

Now, Using formula,



Present worth

$$(P) = A_1 (P/A, g, i, n).$$

\Rightarrow According to qn 1.
 $i \neq g$.

Thus

$$P = A_1 \left[\frac{1 - (1+g)^N}{i-g} \right]$$

$$= 1000 \left[\frac{1 - (1+0.06)^5}{(0.08 - 0.06)} \right]^{-5}$$

$$= 1000 \times 25.0259$$

$$= 25025.8627 \times 4.46130$$

Now

$$P_{10} = F_{10}$$

Thus:

$$A_1 P A_{10} = P_{10} (A/P, 0.08, 10).$$

$$A_1 = \frac{25025.8627 \times ((1+0.08)^{10}) \times 0.08}{[(1+0.08)^{10} - 1]}$$

$$A_{10} = \frac{4461.30 \times 0.08}{(1.08)^{10} - 1}$$

$$= 307.96.$$

∴ The Required Amount is 307.96.



\Rightarrow

Now,

when $P = \text{g}$.

$$P = [N \times A_1 / (1+i)]$$

$$= \frac{5 \times 1000}{(1 + 0.06)}$$

$$= 4716.98$$

Now.

$P_{10} = f_{10}$ for deposited Amount.

$$A = \frac{f_{10} \times (0.06)}{(1.06)^{10} - 1}$$

$$= \frac{4716.98 \times 0.06}{(1.06)^{10} - 1}$$

$$= 357.87 \text{ RS.}$$

\therefore Rs 357.87 RS should be deposited.

Q. No. 24.

Soln

Present Amount (P) = Rs 5,000

Time (T) = 36 months, monthly investment
interest rate is 10% per year compounded continuously

Now,

$$\text{interest rate (monthly)} = (1 + 0.10)^{1/12}$$
$$= 0.00797$$
$$= 0.797\%$$

Therefore

Using continuous evaluation.

$$A = P \left(e^{rt} \right)$$

$$= 5000 \times \frac{e^{0.00797 \times 36}}{(e^{0.00797} - 1)}$$

$$= 5000 \times 0.03208$$

$$= \text{Rs } 160.40 \text{ should be paid.}$$