

(Total - Allocation)

→ Available (Current work)

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ASSIGNMENT - 3

Q. NO. 1 ⇒

Process	Allocation			Request			Available		
	A	B	C	A	B	C	A	B	C
P ₀	0	0	0	0	0	0	0	0	0
P ₁	2	0	0	2	0	2	0	0	0
P ₂	3	0	3	0	0	0	0	0	0
P ₃	2	1	1	1	0	0	0	0	0
P ₄	0	0	2	0	0	2	0	0	0

here, Need Matrix is the Request.

Now

No of Processes (n) = 5

No of resources (m) = 3

Since, Need of resources for P₀ is less than Available Resources, P₀ can be successfully executed.

So after completion of P₀, New available matrix becomes as follows:

$$\begin{array}{r} \begin{array}{ccc} & A & B & C \\ \begin{array}{c} P_0 \\ P_1 \\ P_2 \\ P_3 \\ P_4 \end{array} & \begin{array}{ccc} 0 & 0 & 0 \\ 2 & 0 & 0 \\ 3 & 0 & 3 \\ 2 & 1 & 1 \\ 0 & 0 & 2 \end{array} \\ + & \begin{array}{ccc} 0 & 0 & 0 \\ 0 & 0 & 0 \\ 0 & 0 & 0 \\ 0 & 0 & 0 \\ 0 & 0 & 0 \end{array} \\ \hline \begin{array}{ccc} 0 & 0 & 0 \\ 2 & 0 & 0 \\ 3 & 0 & 3 \\ 2 & 1 & 1 \\ 0 & 0 & 2 \end{array} \end{array}$$

Now, P_1 can't be executed since Need matrix of P_1 is higher than available matrix. Resource

But P_2 can be Executed since Need matrix of P_2 is less than Available matrix. after completion of P_2 New work matrix becomes.

Work matrix

A	B	C
0	1	0
3	0	3
3	1	3

P_3 can be Executed since Need matrix of P_3 is less than that of available matrix. So after completion of P_3 , New available Matrix becomes

Work matrix

A	B	C
3	1	3
2	1	1
5	2	4

P_4 can be Executed since Need matrix of P_4 is less than Available matrix. So after completion of P_4 . New work matrix becomes as follows.

Work Matrix.

	A	B	C
P ₀	5	2	4
P ₁	0	0	2
P ₂	5	2	6

Now, P₁ can be executed since Need matrix of P₁ is less than that of available matrix. Therefore, New work matrix after completion of P₁ becomes.

Work Matrix.

	A	B	C
P ₀	5	2	6
P ₁	2	0	0
P ₂	7	2	6

Since all processes are successfully executed with sequence P₀, P₂, P₃, P₄, P₁, hence it is in Safe state.

- n). If P₂ makes additional Request (0, 0, 1). after execution of P₀, no other process could be executed resulting in dead lock state, since there won't be enough available resources in order to execute them.

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Q. No. 2 →

Allocated

Process	Current Loan	A	B	C	D
1	1	0	2	0	
2	0	3	1	2	
3	2	4	5	1	
4	3	0	0	6	
5	4	2	1	3	

Need

Maximum Need				Current Claim			
A	B	C	D	A	B	C	D
3	2	4	2	2	2	2	2
3	5	1	2	3	2	0	0
2	7	7	5	0	3	2	4
5	5	0	8	2	5	0	2
0	2	1	4	2	0	0	1

Work Matrix.

Total Resource.

Available.

A	B	C	D	A	B	C	D
3	4	0	1	13	13	9	13

Ans //

1. can't be executed. Since Need matrix of 1 is greater than allocated matrix

2 can be Executed Since Need Matrix of 2 is less than available Resource. So after completion of 2 New Matrix becomes.

New work Matrix

8 4 0 1

0 3 1 2

3 7 1 3

3 can't be executed Since Need Matrix of 3 is greater than available Resource

4 can be Executed Since Need Matrix of 4 is ~~greater~~ less than allocated Matrix.

After execution of 4 New allocated Matrix will be.

8 7 1 3

3 0 0 6

6 7 1 9

~~So, after completion of '4', no~~

'5' can be executed Since Need Matrix of 5 is less than available Matrix. So, after completion of 5 New work Matrix becomes.

New Work Matrix

A	B	C	D
6	7	1	9
4	2	1	3
10	9	2	12

Again '1' can be executed, since Need matrix for '1' < available resources.

So after execution of '1', new work matrix becomes.

New Work Matrix

A	B	C	D
10	9	2	12
1	0	2	8
11	9	4	12

Similarly 8 can be executed since Need matrix for '8' is less than available resource. So, after completion of '8' new work matrix becomes

New Work Matrix

A	B	C	D
11	9	4	12
2	4	5	1
13	13	9	13

Since, all the parameters are successfully executed with the sequence '2', '4', '5', '1' and '3'.
Hence it is in safe state.

Q. No. 3 ⇒

Soln:

	R ₀	R ₁	R ₂	R ₃		R ₀	R ₁	R ₂	R ₃
P ₀	2	0	0	1	0	1	2	1	1
P ₁	1	0	1	0	0	1	2	0	2
P ₂	1	0	1	0	0	1	1	2	0
P ₃	1	0	1	0	0	1	2	1	0
P ₄	0	1	0	1	0	1	1	0	1

Solution

here available matrix is not given so at first we need to calculate available matrix. So the available matrix will be.

$$\text{Available matrix} = \text{Total Resources} - \text{Total Allocated Resources}$$

	R ₀	R ₁	R ₂	R ₃
1	1	1	2	0

New Need Matrix $[n \times m] = \text{maximum Required } [n \times m] - \text{Allocation } [n \times m]$.

Process	Need Matrix			
	R ₀	R ₁	R ₂	R ₃
P ₀	1	2	0	0
P ₁	0	1	0	2
P ₂	0	0	2	0
P ₃	2	0	0	0
P ₄	2	0	0	0

Here, P₀ cannot be executed,

Since Need Matrix (P₀) > Available Matrix

Again

P₁ cannot be executed

Need Matrix (P₁) > Available Resources.

P₃ can be executed

Need Resources (P₃) < Available Resources

Thus,

New work matrix

work Matrix

	R ₀	R ₁	R ₂	R ₃
1	1	1	2	0
1	1	1	0	0
2	2	2	2	0

Since, Need of Resources for P_3 is less than Available Resources.

P_3 can be successfully executed.

New work matrix is.

	R_0	R_1	R_2	R_3
P_0	2	1	2	0
P_1	1	0	1	0
P_3	3	2	3	0

P_4 can't be Executed.

Need Resources (P_4) $>$ Available Resources

Thus

New work matrix is.

Work Matrix.

	R_0	R_1	R_2	R_3
P_0	2	1	2	0
P_1	0	1	0	1
P_3	3	3	3	1

P_0 can be Executed.

Need Resources (P_0) $<$ Available Resources.

Thus.

New work matrix is,

New Available

R ₀	R ₁	R ₂	R ₃
3	3	8	1
2	0	1	1
5	3	4	2

Now.

P₁ can be executedNeed Resources (P₁) < Available Resources.

Thus.

New work matrix.

Work matrix

R ₀	R ₁	R ₂	R ₃
5	3	4	2
1	1	0	0
6	4	4	2

Since, all the processes are successfully executed with sequence P₂, P₃, P₄, P₀, P₁, hence it is in safe state.