

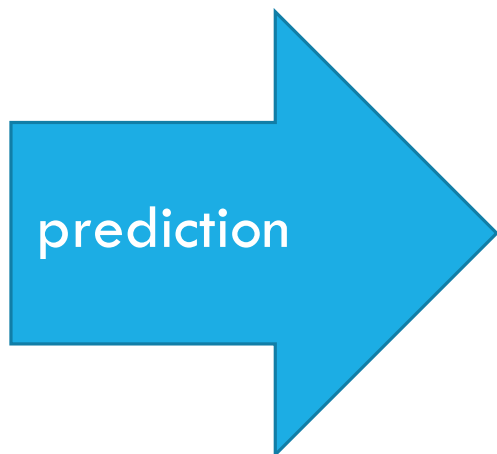


Predicting first-year engineering student success:

from traditional statistics to machine learning

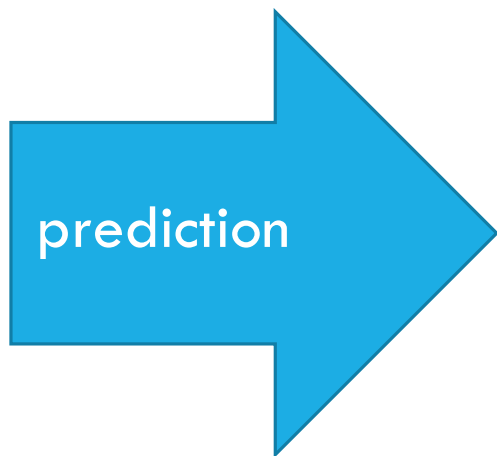
Ramaravind Kommiya Mothilal
Tom Broos
Maarten Pinxten
Tinne De Laet

Tinne.DeLaet@kuleuven.be
 @TinneDeLaet



or





or



WHY?



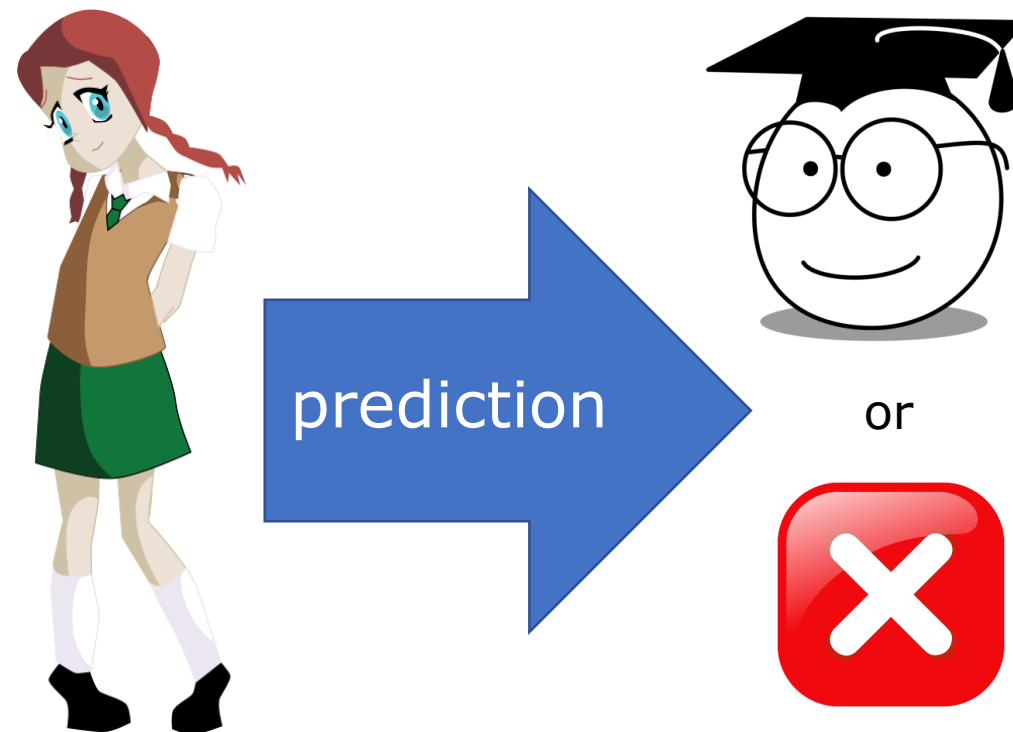
or



WHY?

population-wide insights

individual predictions



**prior academic
achievement
(secondary education)**

- grades math, physics, chemistry
- number of hours math
- effort level

**learning and studying
skills**

- motivation
- time management
- concentration
- performance anxiety
- use of test strategies

**preference for time
pressure**



prediction



or



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**academic achievement
(AA)**

GPA of first semester
(wavg)

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prediction



or



**academic achievement
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GPA of first semester
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explanatory modelling

- multiple linear regression
- predictive modelling**
- logistic regression
- boosted trees

Research questions

Do statistical modelling (multiple linear & logistic regression) and boosted trees identify the same factors for first-year engineering student success?

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Can boosted trees more accurately predict first-year student success than logistic regression?

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Can boosted trees more accurately predict first-year student success than logistic regression?

Can Local Interpretable Model-agnostic Explanations (LIME) generate interpretable insights in the factors important for predicting first-year student success?

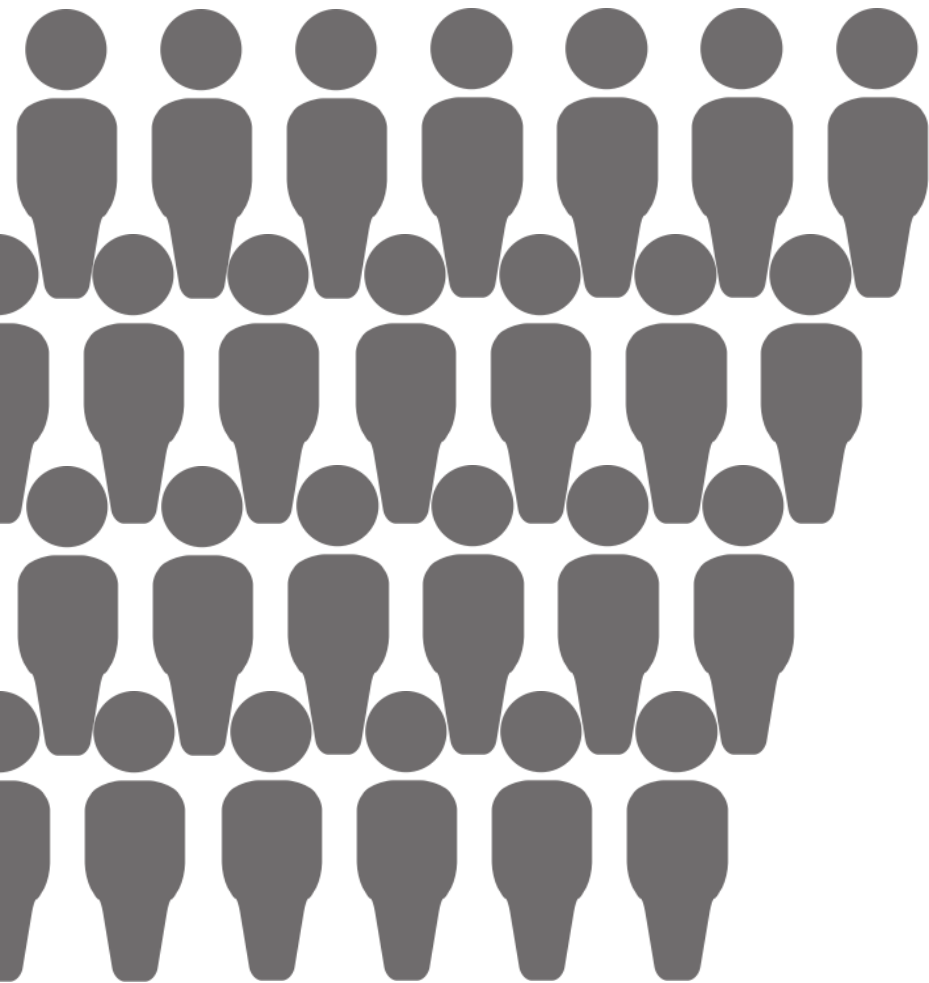
KU LEUVEN



LEUVEN ENGINEERING AND
SCIENCE EDUCATION CENTER



KU LEUVEN



first-year Bachelor of Engineering Science students
two academic years: 2015-2016 and 2016-2017
N=811

EXPLANATORY MODELLING

→ MULTIPLE LINEAR REGRESSION

The diagram shows the multiple linear regression equation $Y_i = \beta_0 + \beta_1 X_i + \epsilon_i$ with the following labels and annotations:

- Dependent Variable**: Points to Y_i .
- Population Y intercept**: Points to β_0 .
- Population Slope Coefficient**: Points to β_1 .
- Independent Variable**: Points to X_i .
- Random Error term**: Points to ϵ_i .
- Linear component**: A bracket under $\beta_0 + \beta_1 X_i$.
- Random Error component**: A bracket under ϵ_i .

Hypotheses

- Prior academic experience positively AA.
- Affective and goal strategies positively affect AA.
- Preference for time pressure does not affect AA.

EXPLANATORY MODELLING

→ MULTIPLE LINEAR REGRESSION

$$Y_i = \beta_0 + \beta_1 X_i + \varepsilon_i$$

Diagram illustrating the components of the multiple linear regression equation:

- Y_i : Dependent Variable
- β_0 : Population Y intercept
- β_1 : Population Slope Coefficient
- X_i : Independent Variable
- ε_i : Random Error term

The equation is also labeled with components:

- Linear component: $\beta_0 + \beta_1 X_i$
- Random Error component: ε_i

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	model	regression type	R ²
1	wavg ~ <u>math</u> + <u>phy</u> + <u>chem</u> + <u>hrs</u>	standard	0.37
2	wavg ~ <u>aff</u> + goal + press	standard	0.06
3	wavg ~ <u>math</u> + <u>phy</u> + <u>chem</u> + <u>hrs</u> + aff + <u>goal</u> + press + eff	sequential	

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The equation is structured as follows:

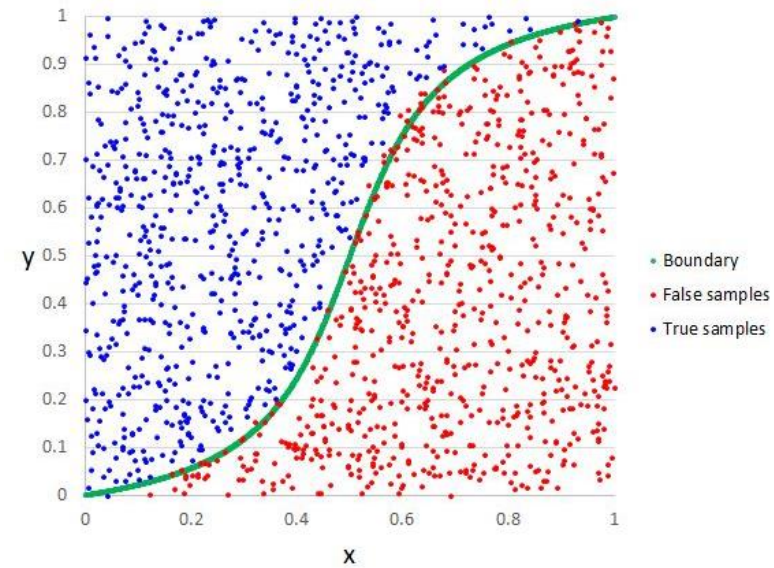
- $\beta_0 + \beta_1 X_i$ is labeled as the **Linear component**.
- ε_i is labeled as the **Random Error component**.

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EXPLANATORY MODELLING WITH PREDICTIVE VALIDITY → LOGISTIC REGRESSION



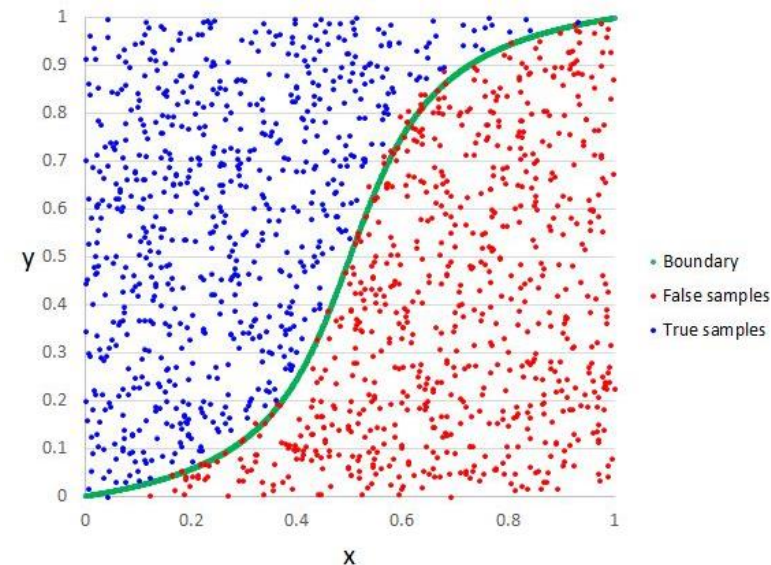
prediction
logistic
regression

no-risk ($wavg > 11.5$)

moderate-risk

at risk ($wavg \leq 8.5$)

EXPLANATORY MODELLING WITH PREDICTIVE VALIDITY → LOGISTIC REGRESSION



prediction
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regression

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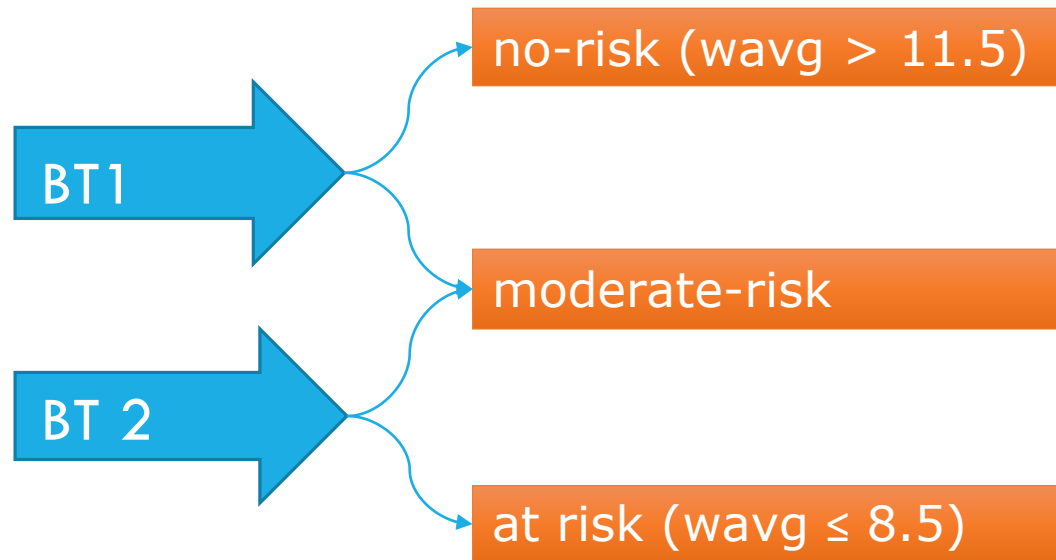
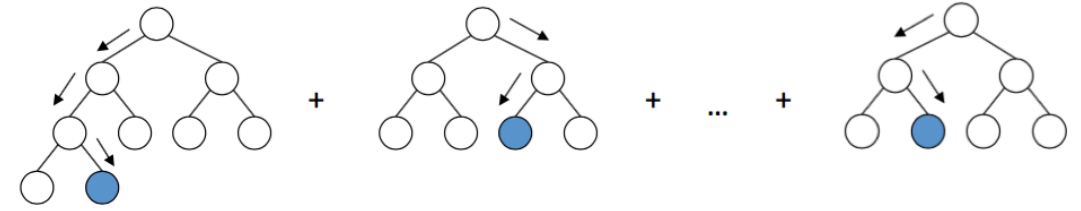
moderate-risk

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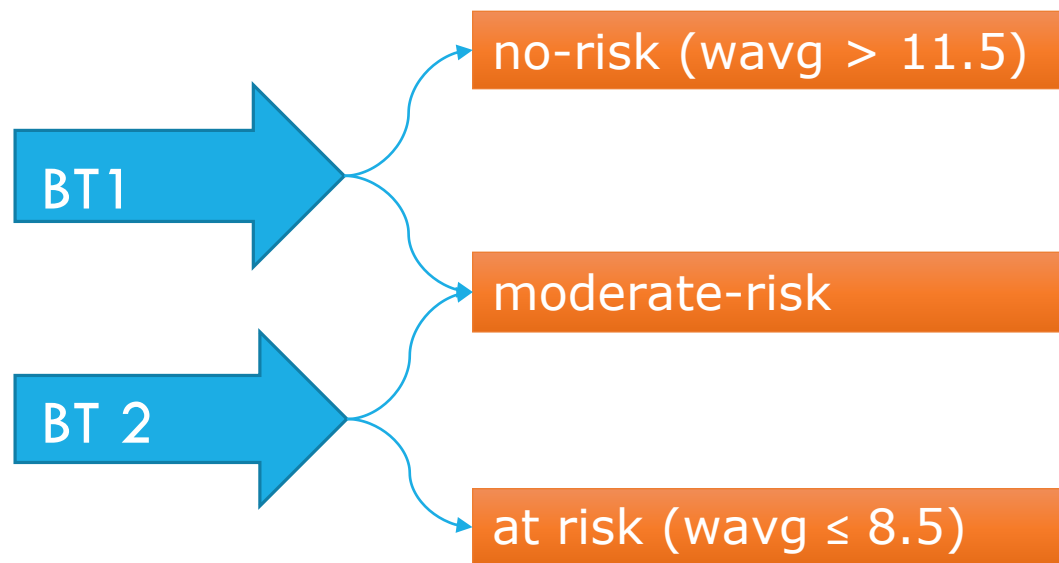
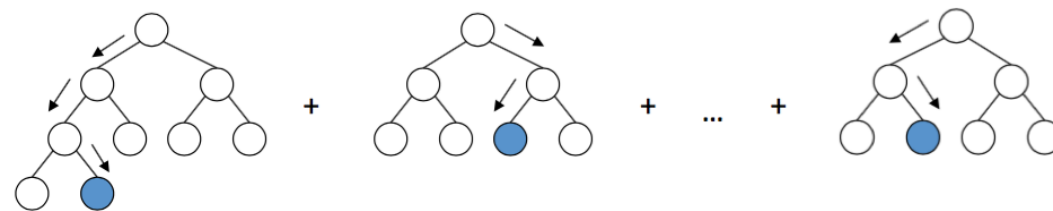
precision	recall	F1-score
0.41	0.45	0.43
0.63	0.59	0.61
0.63	0.60	0.62

PREDICTIVE MODELLING

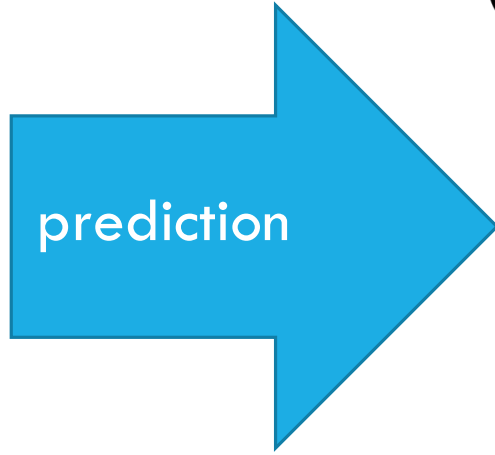
→ BOOSTED TREES



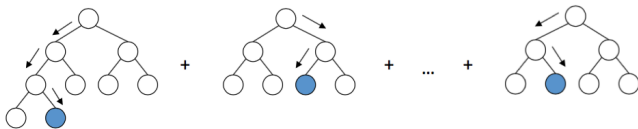
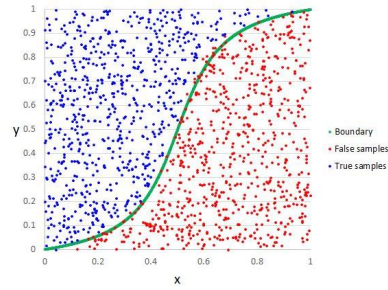
PREDICTIVE MODELLING → BOOSTED TREES

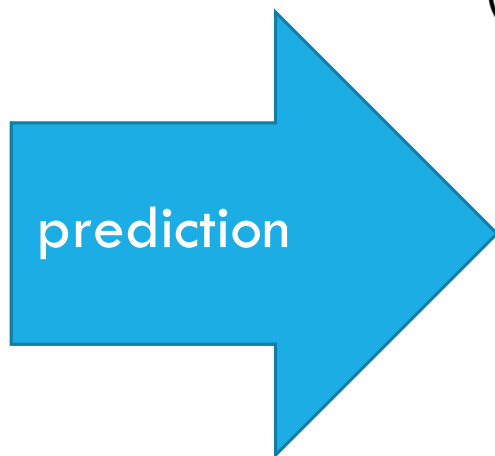


precision	recall	F1-score
0.64	0.80	0.71
0.88	0.77	0.82
0.87	0.85	0.86
0.68	0.70	0.69

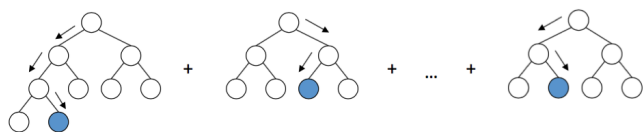
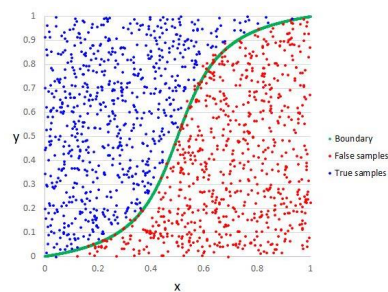


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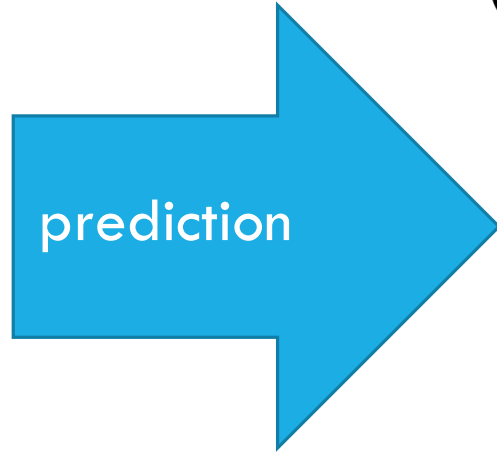




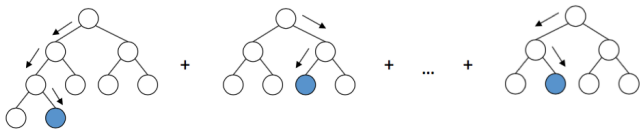
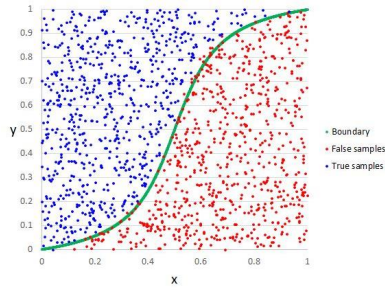
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WHY?



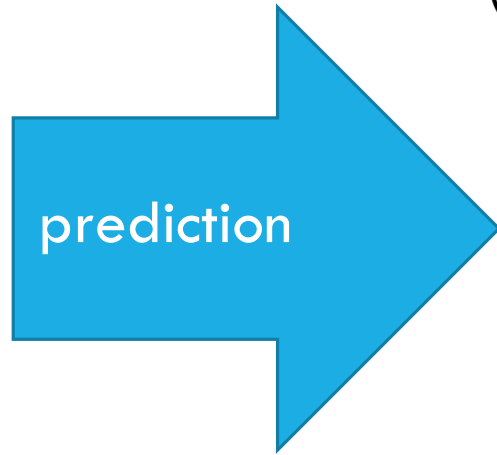
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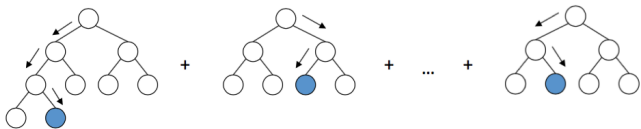
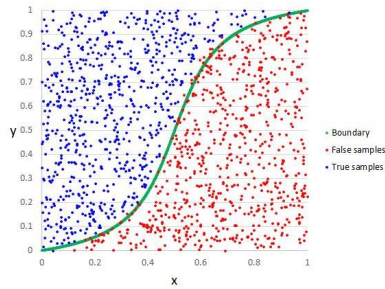
WHY?

individual predictions

population-wide insights



or



WHY?

individual predictions

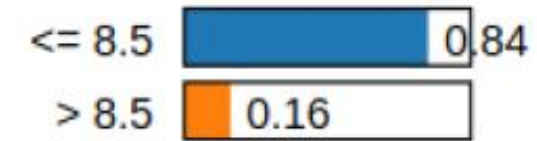
population-wide insights

**Local Interpretable
Model-agnostic Explanations
(LIME)**

EXPLANATORY MODELLING WITH PREDICTIVE VALIDITY → BOOSTED TREES + LIME

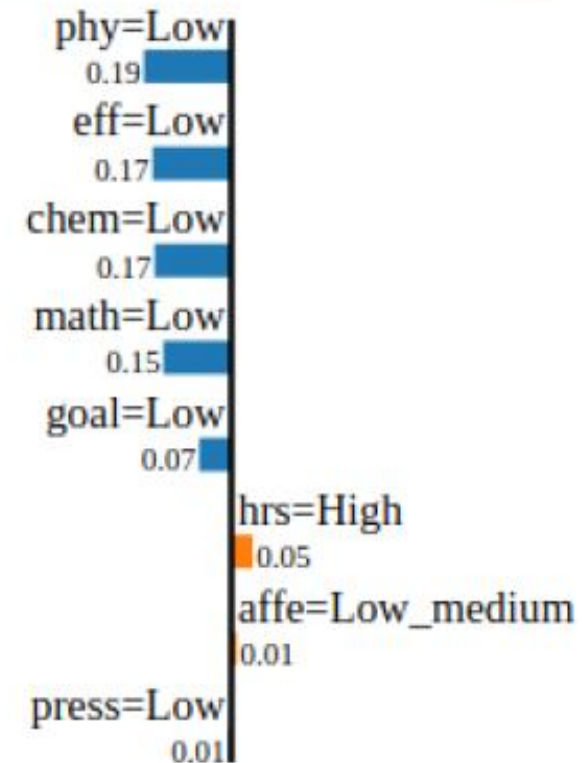
individual predictions

Prediction probabilities



≤ 8.5

> 8.5

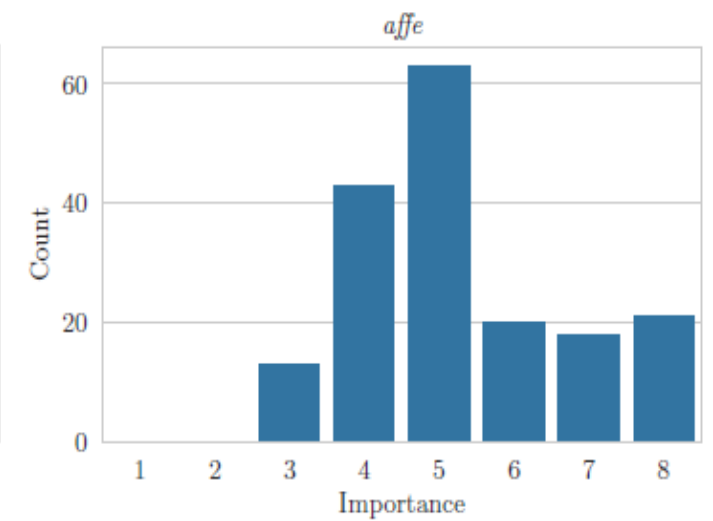
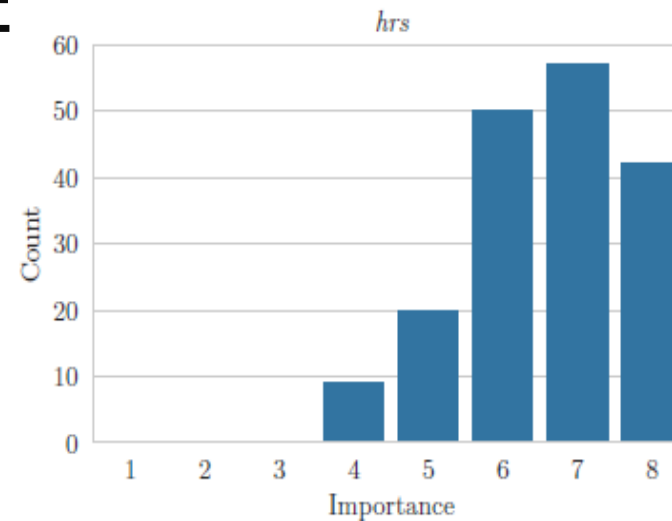


EXPLANATORY MODELLING WITH PREDICTIVE VALIDITY

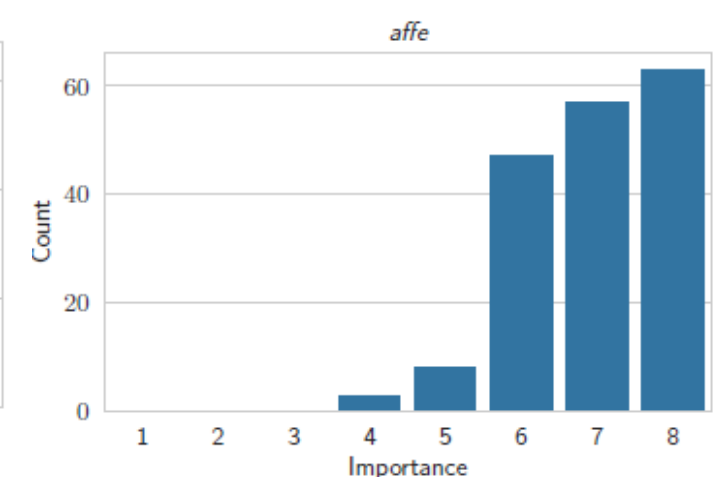
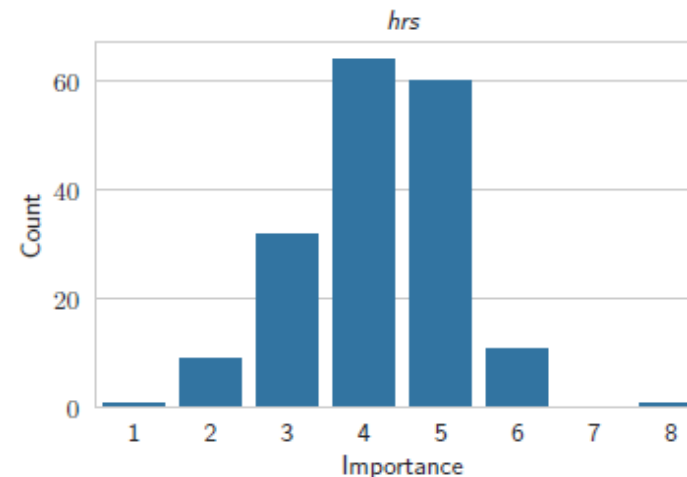
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population-wide insights

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Conclusion

Do statistical modelling (multiple linear & logistic regression) and boosted trees identify the same factors for first-year engineering student success?




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precision & recall ↗ 20%

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Questions for discussion during the conference

How would your university profit from research on first-year student success?

What is still required to transfer the research to practice?

Successful Transition from secondary to higher Education using Learning Analytics



enhance a **successful transition from
secondary to higher education** by means of
learning analytics

- ✓ design and build **analytics dashboards**,
- ✓ dashboards that go beyond identifying at-risk students, allowing **actionable feedback** for all students on a **large scale**.



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