



# Clinic No-Shows

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# Game Plan

An exciting look ahead at what we'll cover:

## 01 Problem

What's the goal and why is this important?

## 02 Data

What's the data like? How was it processed?

## 03 Models

Probability models used and why they work?

## 04 Evaluation

How did we evaluate the models? Priors/Posteriors/Predictive evaluations?

## 05 Results

What were our findings?

## 06 Conclusion

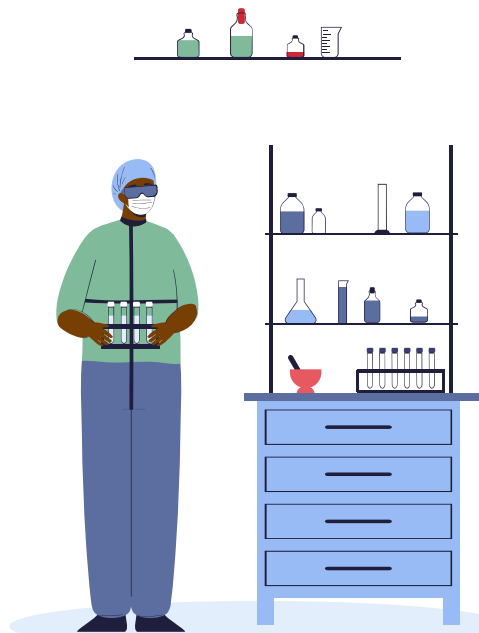
What did we achieve? What limited us?



... 01 ...

# What's the problem?

And why do we care?





# No-Shows Hurt both Clinics and Patients!

No-Shows waste resources and time in the scheduling process, leading to delayed medical care that could impact health outcomes!

**Identifying patients prone to “no-showing” could allow for interventions:**

**more frequent  
reminders**

**coordinating  
transportation**

**allocating  
home-health  
resources**



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# 02

# Data

And what we did to it!



# Data and Processing

<b>Gender</b>	M/F
<b>Age</b>	0-115
<b>Neighborhood</b>	Location of appointment
<b>Scholarship</b>	0/1
<b>Hypertension</b>	0/1
<b>Diabetes</b>	0/1
<b>Alcoholism</b>	0/1
<b>Handicap</b>	0-4
<b>SMSRecieved</b>	0/1
<b>ScheduledDay</b>	Date of scheduling
<b>AppointmentDay</b>	Date of appointment
<b>NoShow</b>	Yes/No

## Preprocessing steps

- Converted categorical variables into numerical
- Corrected spelling of variable names
- Removed negative data and DateTime variables

## New Variables Created

1

App\_weekday: Generated from original appointment date variable

2

Days\_between: Date of appointment - Date appointment was scheduled

3

Days\_between\_log: Log transformation of the Days\_between variable



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## Modeling

And why we chose these models!



# Models we attempted:

## Hierarchical Model

Used 81 Neighborhoods as groups.

$$\ln\left(\frac{P_{NoShow}}{1-P_{NoShow}}\right) = \alpha_{j,i} + \beta_{j,i}x_i + \epsilon_i$$

## Full GLM

Included all predictors in the model except 'Neighborhood' variable.

## Reduced GLM

Included only significant predictors in the model.

$$\ln\left(\frac{P_{NoShow}}{1-P_{NoShow}}\right) = \alpha + \beta x_i$$

## Resampled GLM (Reduced)

Under-sampled from majority class to improve performance.

## Transformed Predictors GLM (Reduced)

Log transformed days\_between variable to improve performance.



# Priors

We were fairly uninformed:

$$\alpha \sim N(0, 1) \quad \beta \sim N(\vec{0}_k, \vec{1}_k)$$

- After research into this topic area and little experience, we weren't able to make a strong judgment on the shape of our parameter distribution.
- Normal priors were chosen due to the fact we had either scaled or and binary encoded data as we know that the data could possibly look Gaussian after transformations.



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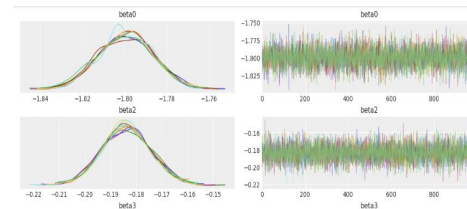
## Evaluation

Prior, Posterior, and Predictive Evals!



# Full/Reduced Model Prior Eval

	rank	elpd_waic	p_waic	elpd_diff	weight	se	dse	warning	scale
reduced_glm	0	-40165.529339	7.177396	0.000000	0.555282	159.600184	0.000000	False	log
full_glm	1	-40165.936794	11.299102	0.407455	0.444718	159.611291	2.717845	False	log



Intercept  
Scaled Age  
Scholarship  
Diabetes  
Alcoholism  
SMSRecieved  
Days\_between

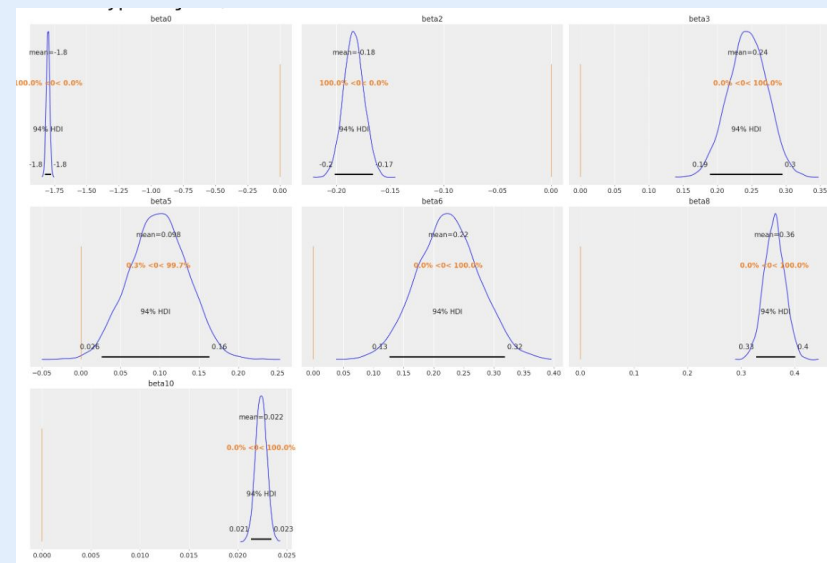
	mean	sd	hdi_3%	hdi_97%	mcse_mean	mcse_sd	ess_bulk	ess_tail	r_hat
→ <b>beta0</b>	-1.799	0.013	-1.824	-1.775	0.0	0.0	9862.0	5971.0	1.0
→ <b>beta2</b>	-0.184	0.009	-0.201	-0.166	0.0	0.0	10837.0	6876.0	1.0
→ <b>beta3</b>	0.244	0.028	0.189	0.295	0.0	0.0	11267.0	6579.0	1.0
→ <b>beta5</b>	0.098	0.037	0.026	0.163	0.0	0.0	10737.0	5343.0	1.0
→ <b>beta6</b>	0.224	0.051	0.126	0.319	0.0	0.0	12794.0	6274.0	1.0
→ <b>beta8</b>	0.362	0.019	0.328	0.401	0.0	0.0	10617.0	6211.0	1.0
→ <b>beta10</b>	0.022	0.001	0.021	0.023	0.0	0.0	10620.0	6300.0	1.0

↑  
Uncertainty Range

↑  
Convergence!



# Full/Reduced Model Posterior Eval

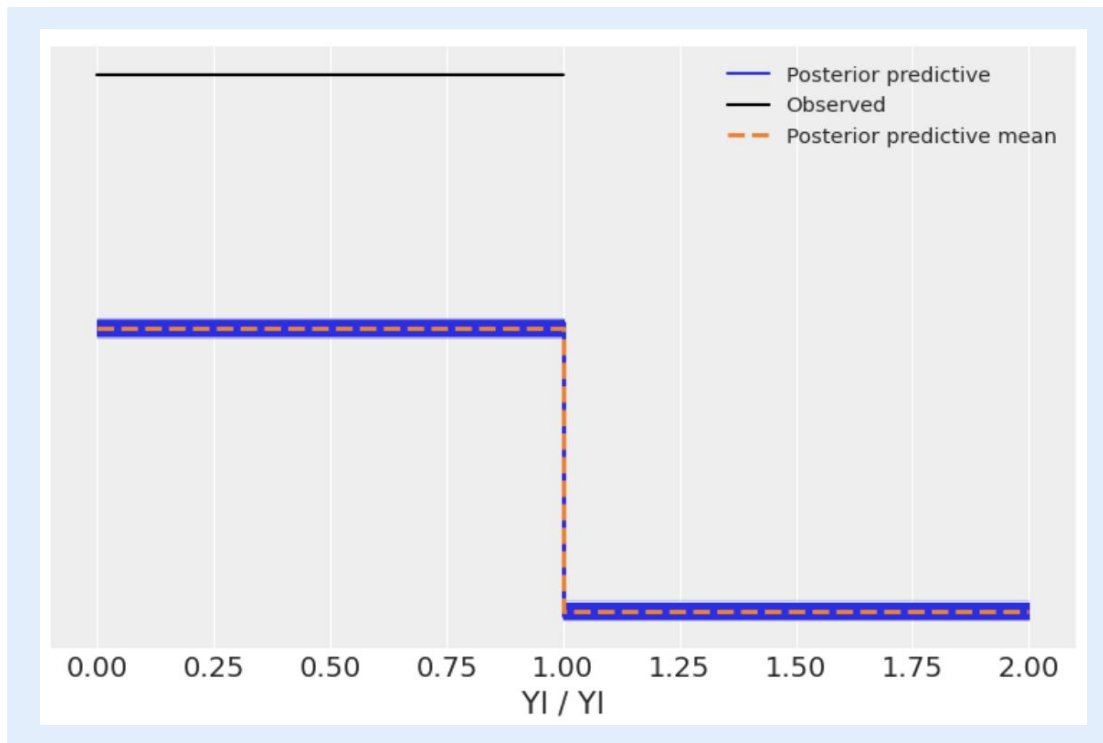


## Significant Predictors:

- Scaled-Age
- Scholarship
- Diabetes
- Alcoholism
- SMSreceived
- Days-Between



# Predictive Eval with Uncertainty





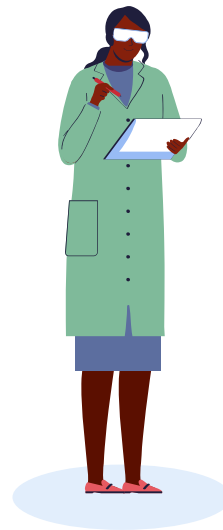
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## Results

What we found!





# Model Results



Model	AUC	Precision
Hierarchical Model	None*	None*
Full GLM	0.503	1.52%
Reduced GLM	0.504	1.52%
Reduced GLM, Undersampled	0.558	23.18%
Reduced GLM, Undersampled, Transformed	0.612	56.49%

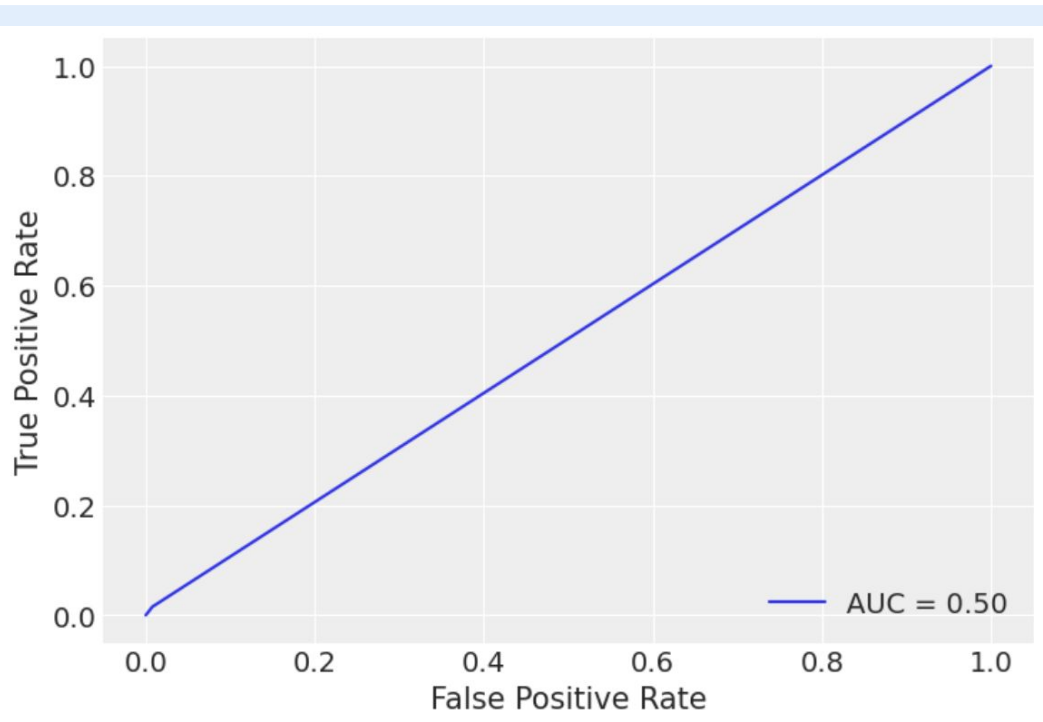
\*Too many divergences



# Full/Reduced Model Performance



	Show	No Show
Show	21918	170
No Show	5460	84



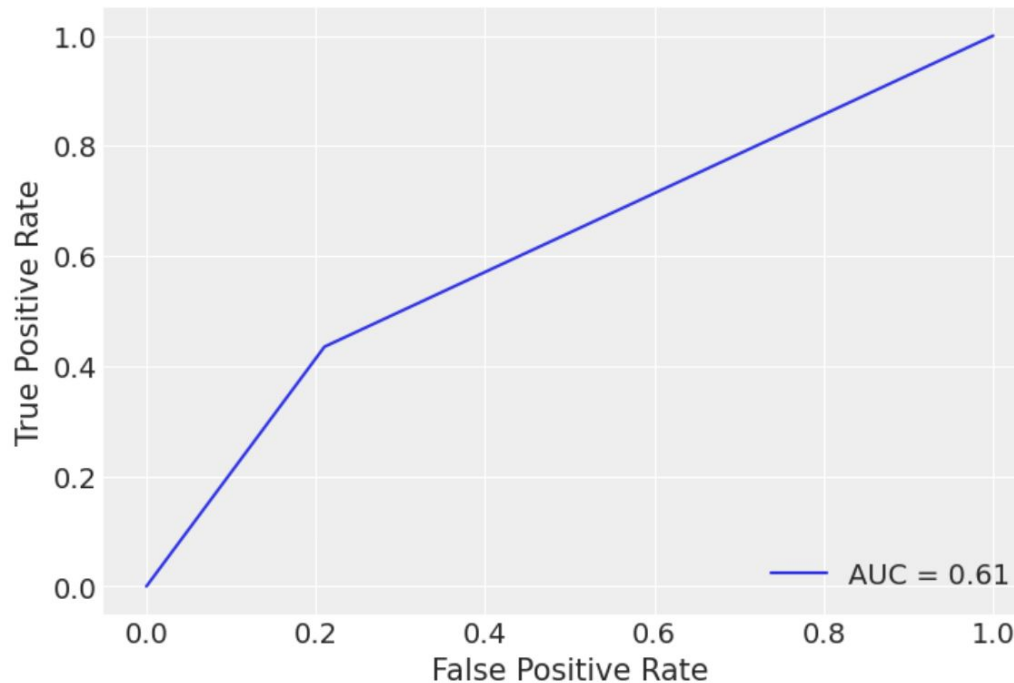




# Undersampled Model Predictive Eval (Best Model)



	Show	No Show
Show	17443	4645
No Show	3132	2412

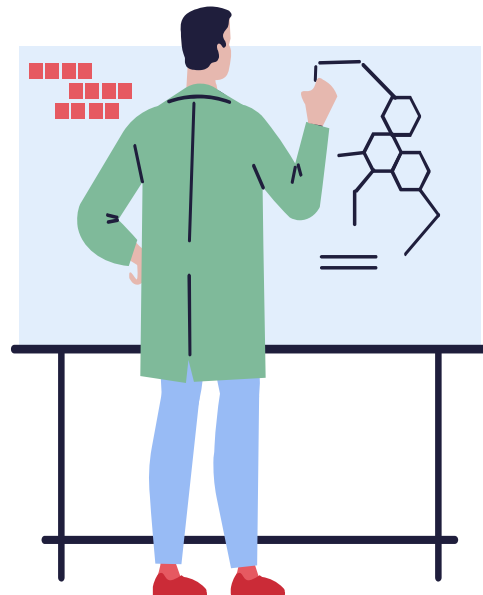




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# Conclusion

And limitations





# Limitations we faced



## Not Generalizable

Data only includes Brazilian clinic information

## Imbalanced No-Show Ratio

Only 20% of patients classified as 'no-show'



## Wrong Data for Problem

Simple binary predictors about medical history could potentially not be appropriate for this problem

\* Our last limitation was **time**. Given more time I'm sure we could have improved our predictive accuracy!



# Conclusion

## (We did not achieve our goal)



- Overall, we were **disappointed** by the predictive performance of our best model
- Although we attempted to predict whether a patient would be a “no-show”, **our best model only performed slightly better than random guessing**
- We would not recommend the utilization of this algorithm in the clinic setting to predict “no-shows”
- **Different patient characteristics** may better predict “no-shows”
- Given more time, we would try **interaction terms**, different preprocessing **regularization**, and finding **more quantitative predictors**!



# Thanks!

Do you have any  
questions?





# Resources

Special thanks to the resources below!

- Liu, D., Shin, W.-Y., Sprecher, E., Conroy, K., Santiago, O., Wachtel, G., & Santillana, M. (2022). Machine learning approaches to predicting no-shows in pediatric medical appointment. *Npj Digital Medicine*, 5(1), Article 1.

<https://doi.org/10.1038/s41746-022-00594-w>

