

Exascaling Nuclear Innovation

Prof. Rachel Slaybaugh

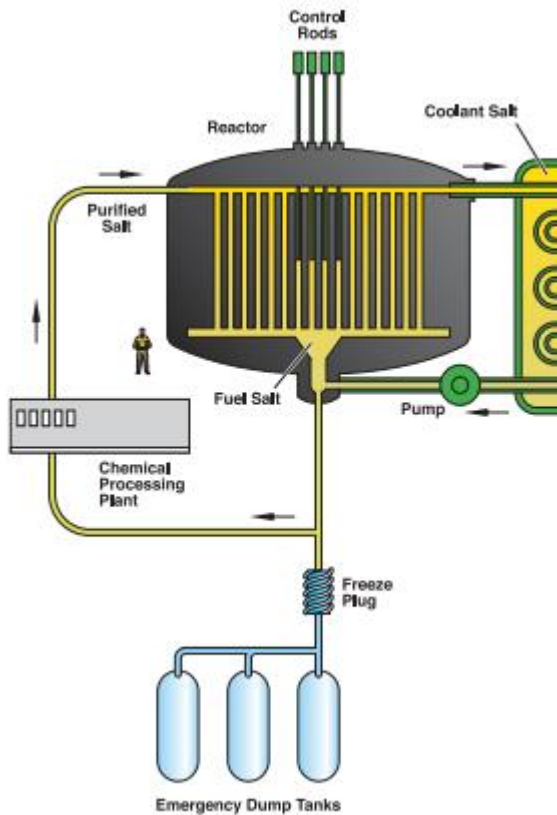
4 March, 2016

Conference on Data Analysis

Santa Fe, NM

Nuclear Innovation is Needed

- Global climate and environment goals
- Public health and economic prosperity
- Global and domestic security goals



Enable New Reactors



Enhance Nuclear Security

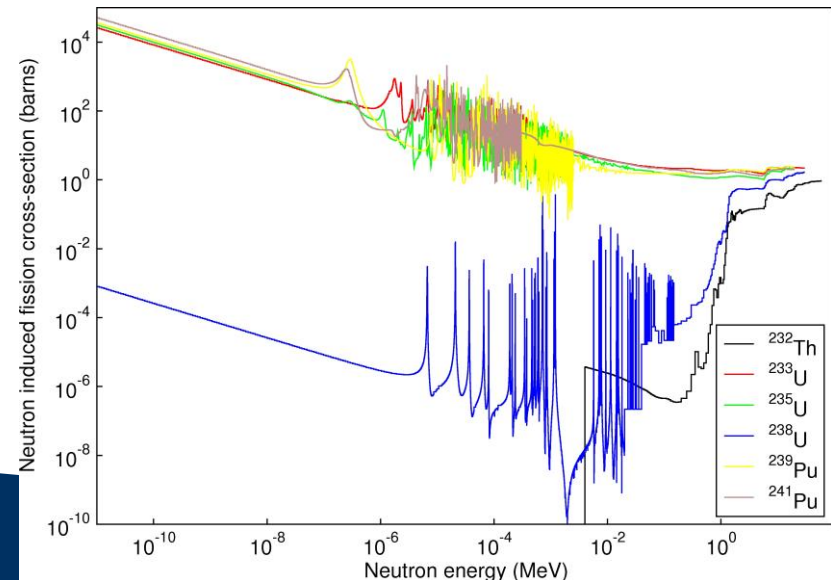
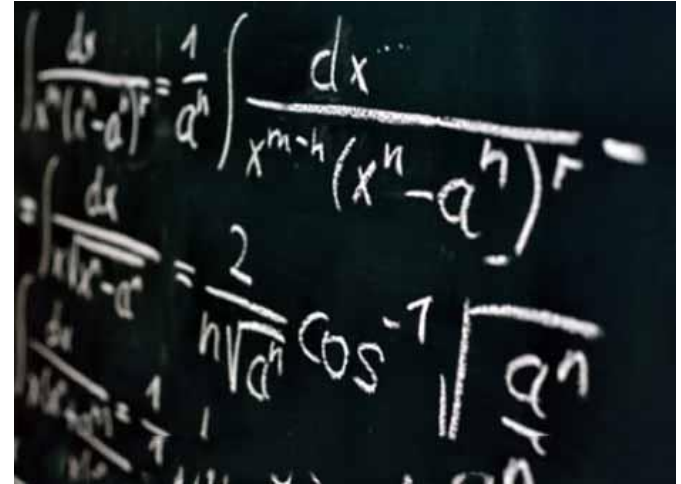


Develop Medical Devices

my contribution: numerical methods

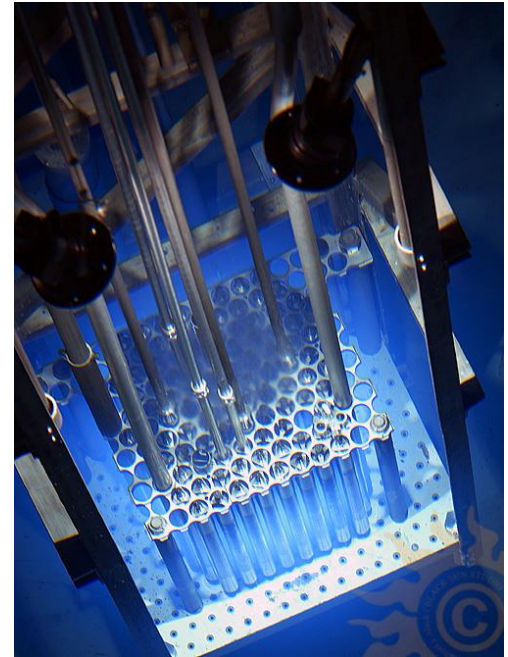
To facilitate innovation,
we need *predictive simulation*

- I build tools (translate applied math into code) used to design and analyze these systems
- I focus on high performance computing
- and inform algorithm development with physics of problems of interest



outline

- Background
 - What exactly are you solving? Why is it hard? What is the current state?
- Algorithms for advanced architectures
 - Big and heterogeneous machines
 - + physics provide opportunities
- Nuclear data
 - Yes, there are problems
 - But we can make them better
- Processing data while computing?



finding all of the neutrons

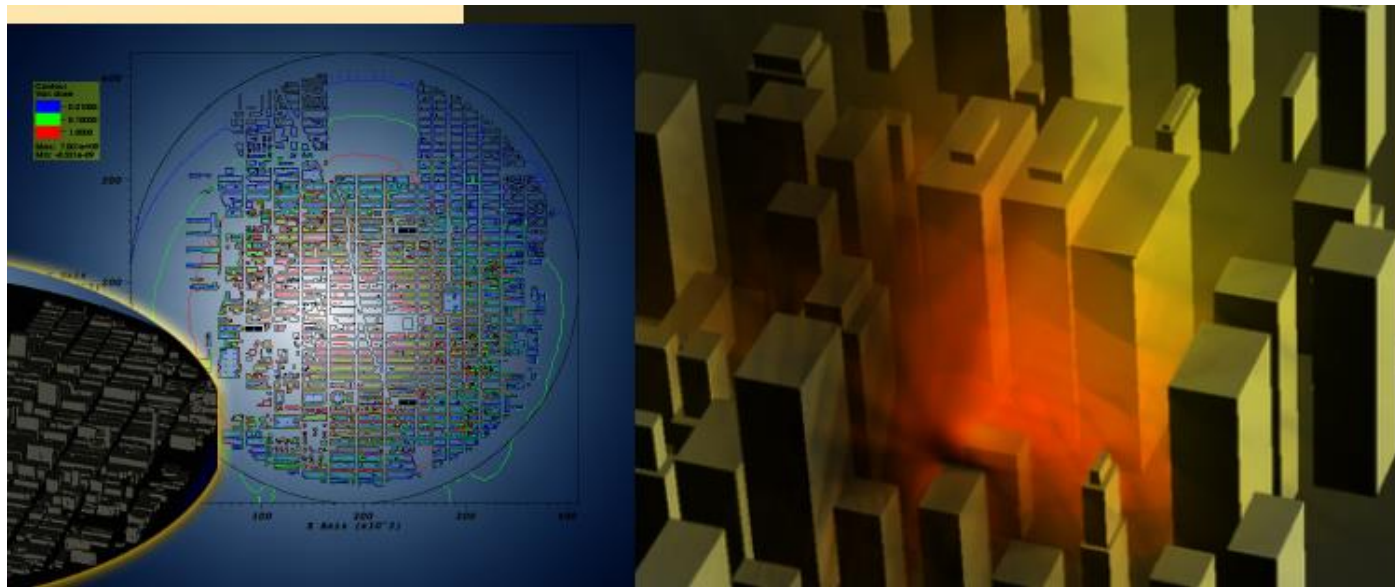
$$\begin{aligned} [\hat{\Omega} \cdot \nabla + \Sigma(\vec{r}, E)] \psi(\vec{r}, \hat{\Omega}, E) = \\ \int dE' \int d\hat{\Omega}' \Sigma_s(\vec{r}, E' \rightarrow E, \hat{\Omega}' \cdot \hat{\Omega}) \psi(\vec{r}, \hat{\Omega}', E') \\ + \frac{\chi(E)}{k} \int dE' \nu \Sigma_f(\vec{r}, E') \int d\hat{\Omega}' \psi(\vec{r}, \hat{\Omega}', E') \end{aligned}$$

- $\psi(\vec{r}, \hat{\Omega}, E)$: eigenvector; angular neutron flux (n / cm²-steradian)
- k : dominant eigenvalue; governs steady-state system behavior
- $\Sigma(\vec{r}, E)$: probability of neutrons interacting with a material (cm⁻¹)

accurately is hard

- 6-D phase space: location (3), direction (2), energy (1)
- Can be geometrically large and/or physically complex and/or coupled to other physics
- The physics data is *Complicated*

- Strategies:
Deterministic
Monte Carlo

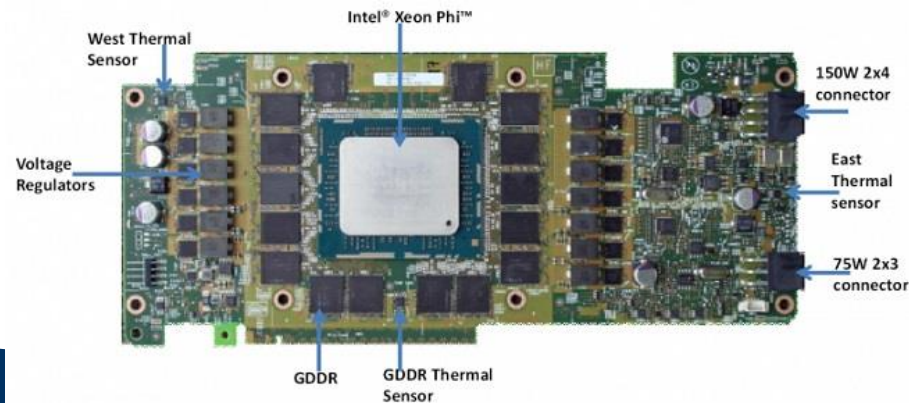
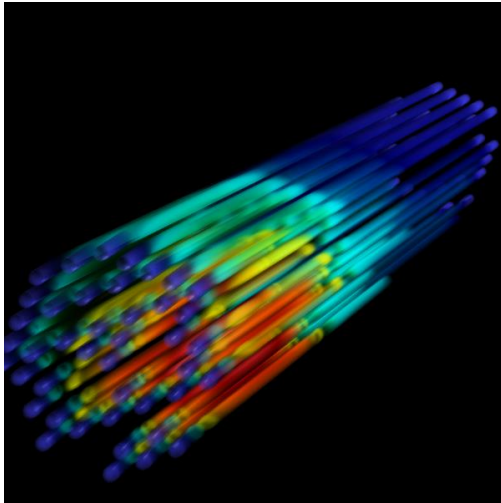


what is the current state?

- Existing tools can predict what we already know, not new things
 - We need increased accuracy, resolution, turnaround time, and confidence in our solutions
- We need better nuclear data
 - Increasing resolution is creating a new garbage in problem...
- We need faster analysis strategies
 - We can generate lots of answers, but it is taking increasing amounts of time and storage to process them

Exascale computing to the rescue?

algorithms = physics + architecture



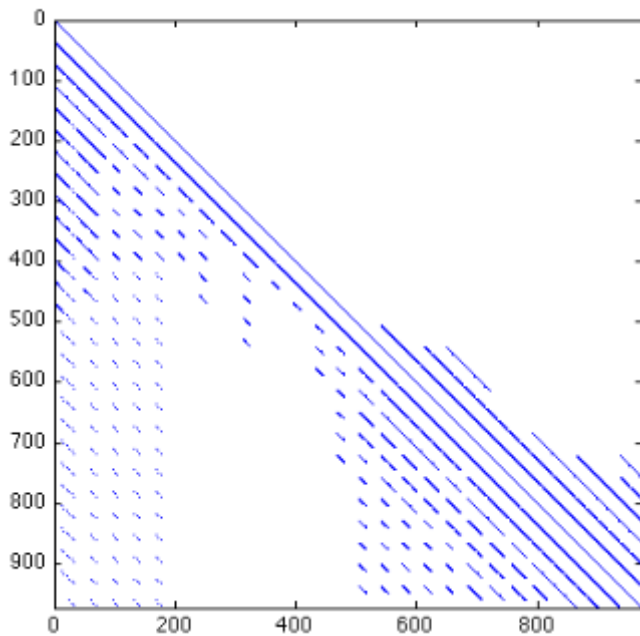
quick brief: deterministic methods

- Discretize phase space; represent as a matrix; apply linear algebra-type solvers
 - Space: mesh (think finite difference/volume)
 - Energy: break into multiple groups
 - Angle: capture with a quadrature set
- Quality of solution is tied to
 - Quality of discretization
 - Accuracy of solution methods
- Can be memory and FLOP intensive
- Strategically-designed parallelization techniques

ex. 1: block Krylov + RQI + MGE

- With deterministic methods, our matrices look like

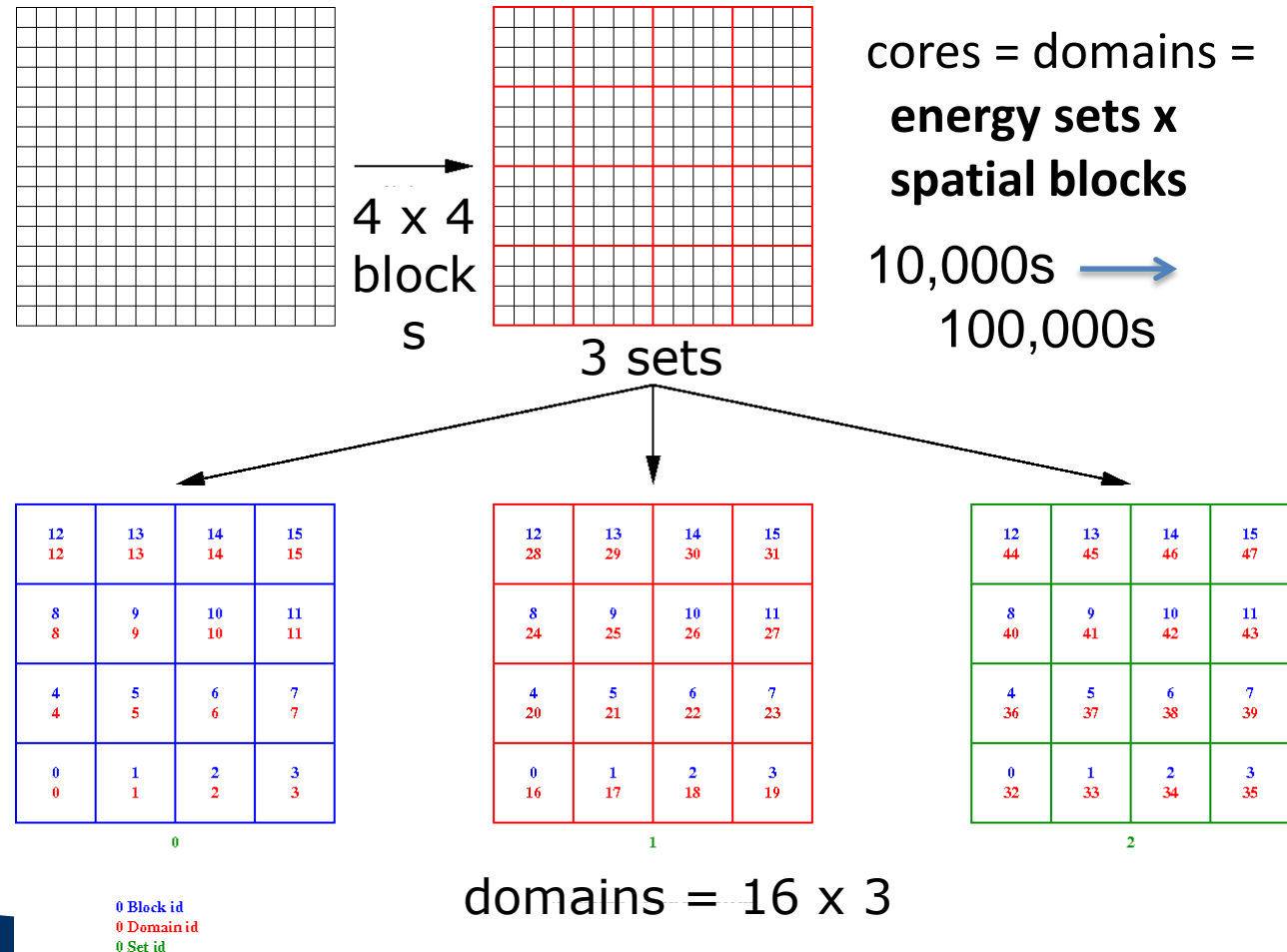
Iron-D2O-Graphite energy-space-angle S matrix



- Historical solution:
 - Inner iterations solve space and angle for each energy group (Krylov over one group)
 - Outer iterations over energy (Gauss Seidel)
- Issues:
 - GS is serial in energy; slow with upscattering

larger memory: block Krylov

- Machines can store multi-group-sized iteration vectors
- Krylov over all groups:
space, angle, and energy together
- Better convergence
- Energy parallelization



less time, fewer iterations

- Block Krylov enabled two other new methods as well (RQI, MGE)
- Applied to problem with 1.73 trillion unknown on ~140,000 cores

| Solver | Precond | Krylov | Eigen | Time (m) |
|----------|---------|--------|-------|----------|
| Original | none | 5,602 | 149 | 612.2 |
| New | w1r2v2 | 70 | 5 | 54.8 |

- 10x improvement
- Also strong scale very well

quick brief: Monte Carlo

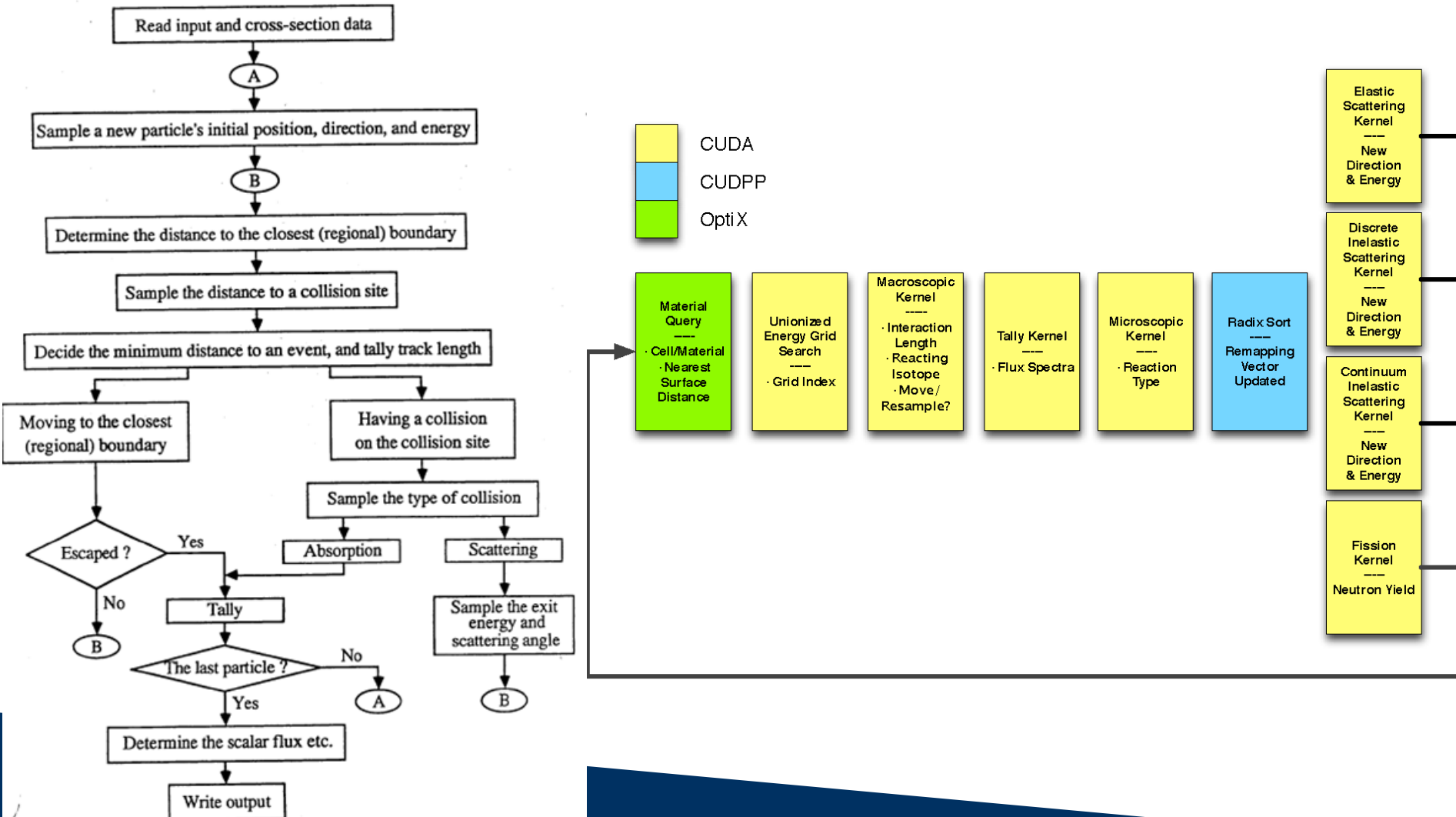
- Physics expressed continuously; sampled with random numbers
- Quality of solution is tied to
 - Number of samples in phase space
 - Adequacy of sampling phase space
- *Variance Reduction* methods can reduce variance faster while maintaining a fair game
- Can be memory and FLOP intensive
- Historically straightforward to parallelize

ex. 2: Monte Carlo on GPUs

- WARP: Weaving All the Random Particles
- 3D continuous-energy Monte Carlo neutron transport code developed for efficient implementation of the algorithm on GPUs
- Relative to CPUs, GPUs have higher aggregate memory bandwidth, much higher floating-point operations per second (FLOPS), lower energy consumption per FLOP
- CPU-optimized parallel algorithms not directly portable to GPUs
- Particle transport codes need to be rewritten to execute efficiently on GPUs

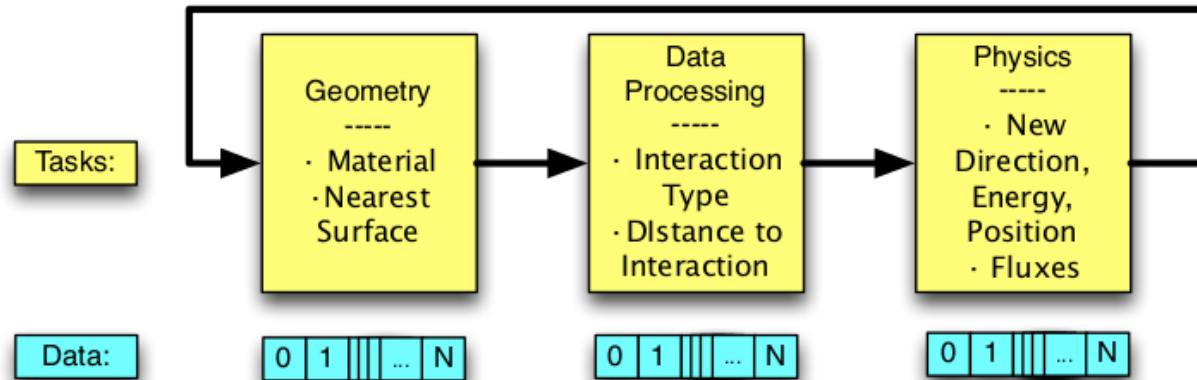
Ryan M. Bergmann, Jasima L. Vujic. "WARP – A framework for continuous energy Monte Carlo neutron transport in general 3D geometries on GPUs," *Annals of Nuclear Energy* **77** (2015) 176-193.

WARP uses an event-based algorithm

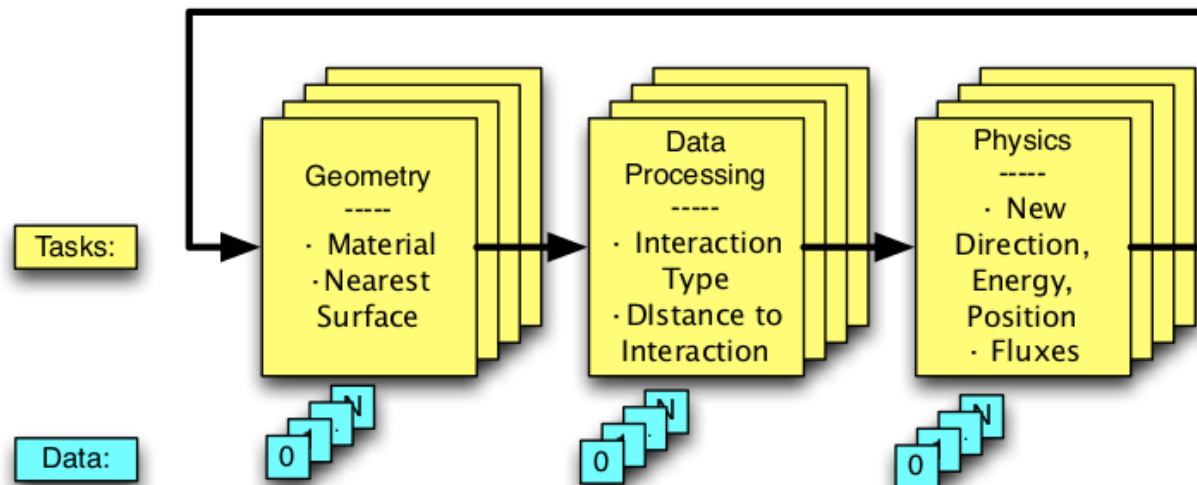


and is data parallel

Data-Parallel



Task-Parallel



WARP remaps data

After Microscopic Kernel, Before Radix Sort

| | | | | | | | | | | | | | | | | | | | | |
|-----------------|---|-----|---|---|----|----|------|----|----|----|----|----|-----|----|----|-----|----|-----|----|-----|
| Data Index | 0 | 1 | 2 | 3 | 4 | 5 | 6 | 7 | 8 | 9 | 10 | 11 | 12 | 13 | 14 | 15 | 16 | 17 | 18 | 19 |
| Reaction Number | 2 | 800 | 2 | 2 | 51 | 61 | 1102 | 81 | 67 | 91 | 2 | 2 | 816 | 51 | 91 | 810 | 91 | 818 | 54 | 800 |

After Radix Sort

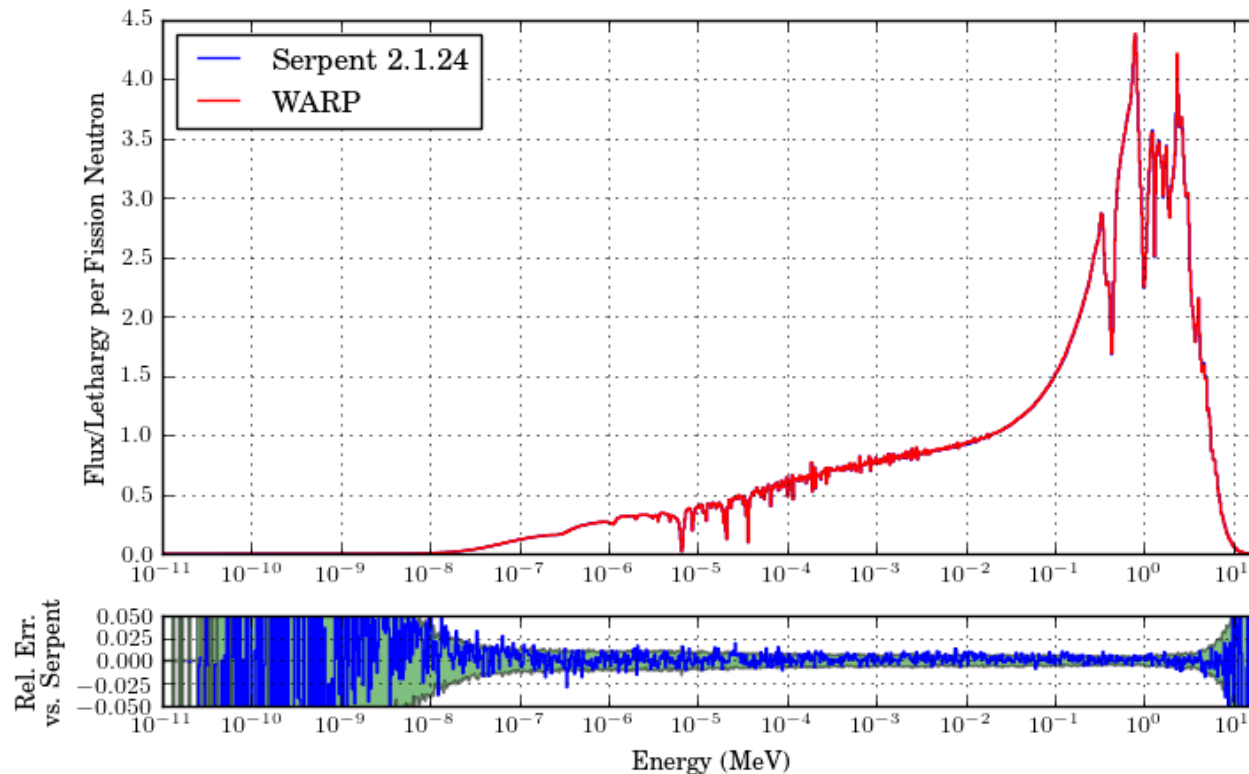
| | | | | | | | | | | | | | | | | | | | | |
|-----------------|------------------------|---|---|----|----|---------------------------|----|----|----|----|----------------------------|----|----|--------------------------------|-----|---|-----|-----|---------------------------------|------|
| Data Index | 0 | 2 | 3 | 10 | 11 | 4 | 13 | 18 | 5 | 8 | 7 | 9 | 14 | 16 | 1 | 19 | 15 | 12 | 17 | 6 |
| Reaction Number | 2 | 2 | 2 | 2 | 2 | 51 | 51 | 54 | 61 | 67 | 81 | 91 | 91 | 91 | 800 | 800 | 810 | 816 | 818 | 1102 |
| | Elastic Scatter Kernel | | | | | Discrete Inelastic Kernel | | | | | Continuum Inelastic Kernel | | | Resample - Rxn kernels skipped | | Fission Kernel - Terminated after processing yields | | | Complete - No longer referenced | |

A radix key-value sort is used to create a remapping vector, grouping neutrons by reaction in order to minimize thread divergence

results match standard solvers

WARP took 2.0615 s
(k20; 32 threads)

Serpent took 137 s
(AMD Opteron 6172; 12 cores)

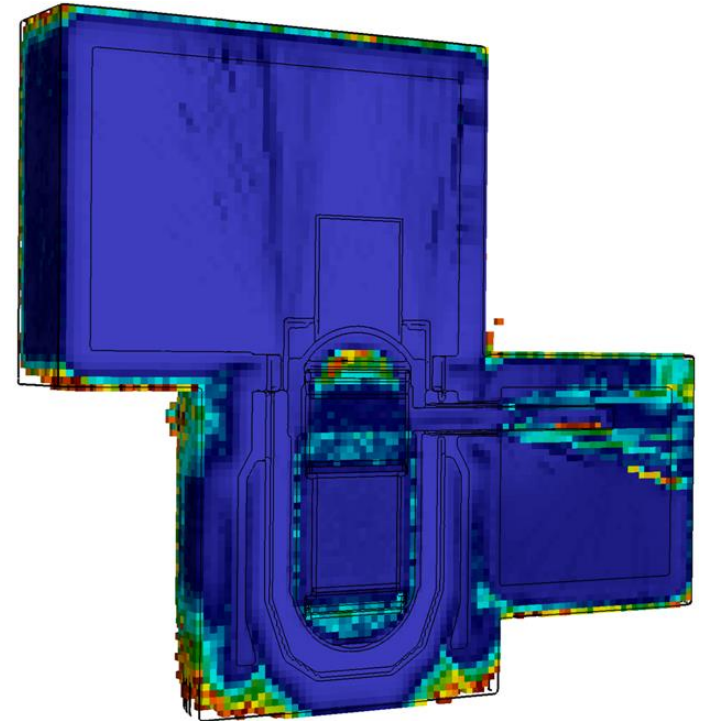


quick brief: hybrid methods

- Monte Carlo highly accurate; can be slow
- Deterministic methods usually fast; can have accuracy issues
- Hybrid methods use deterministic solutions to create variance reduction parameters for MC
 - Particles are assigned weights that map to impact
 - Set how to update weights
 - Set how to bias the source

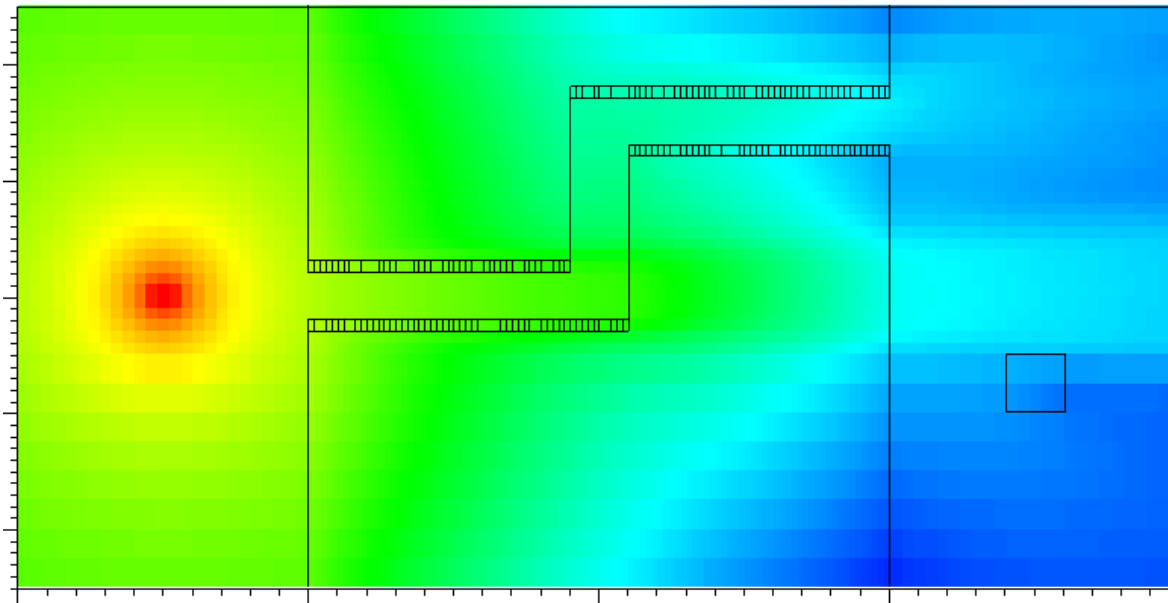
ex. 3: angle-informed methods

- Radiation shielding is a tough problem, especially when there are strong angular anisotropies
- Hybrid methods currently only include space and energy information
- Including angle explicitly is too costly
- Other attempts haven't worked well
- But we are having trouble...



start with importance

- Many hybrid methods use adjoint transport information, which we think of as the importance of a source particle to the solution



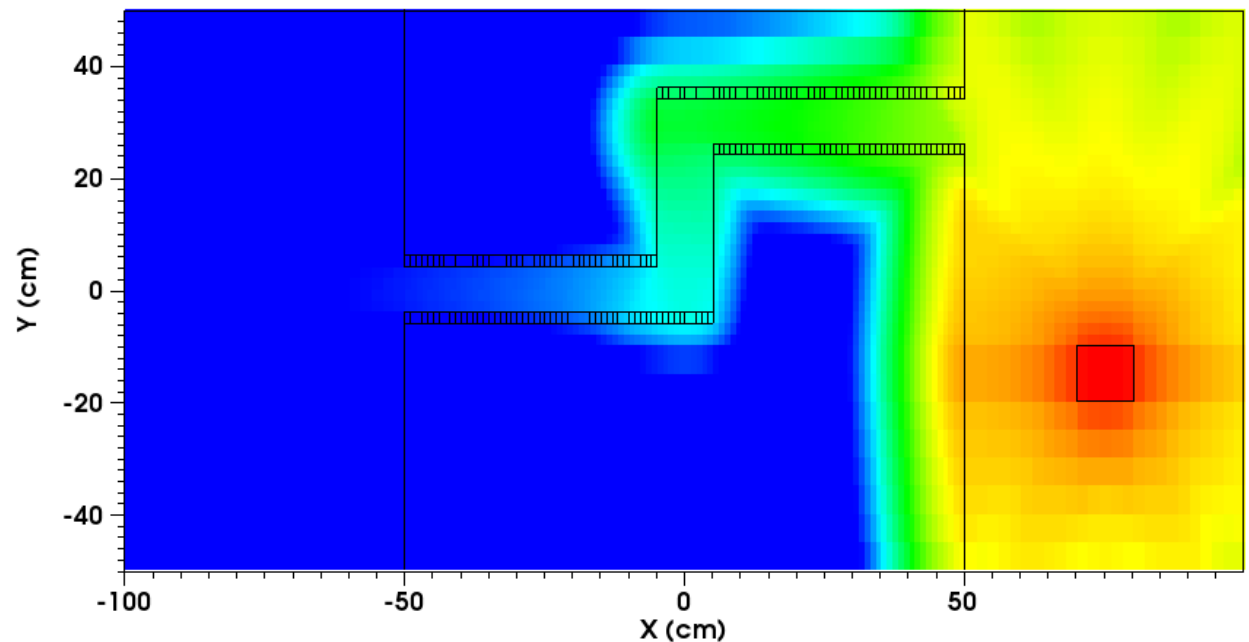
Neutrons in the forward problem will flow from the source to the detector..

start with importance

- Many hybrid methods use adjoint transport information, which we think of as the importance of a source particle to the solution

Adjoint particles
are how each
part of phase
space
contributes to
the solution:

importance map



and a good method

- The state of the art in current space-energy methods is called FW-CADIS
- It uses importance information that is only a function of space and energy

$$\phi^+(\vec{r}, E) = \int \psi^+(\vec{r}, E, \hat{\Omega}) d\hat{\Omega}$$

to set VR parameters

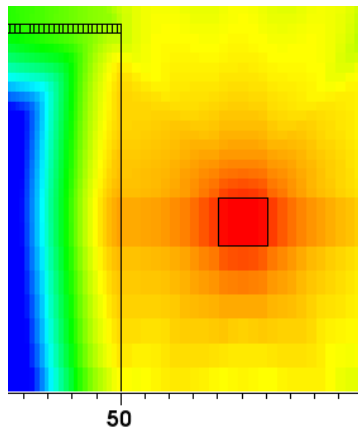
- It has been successful in many problems

and modify it to include angle

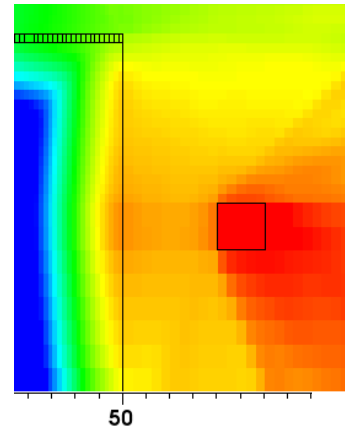
- We've modified FW/CADIS to include angular information without changing the method's end use

$$\phi^+(\vec{r}, E) = \frac{\int \psi^+(\vec{r}, E, \hat{\Omega}) \psi(\vec{r}, E, \hat{\Omega}) d\hat{\Omega}}{\int \psi(\vec{r}, E, \hat{\Omega}) d\hat{\Omega}}$$

- Enabled by ability to write and store $\psi^+(\vec{r}, E, \hat{\Omega})$

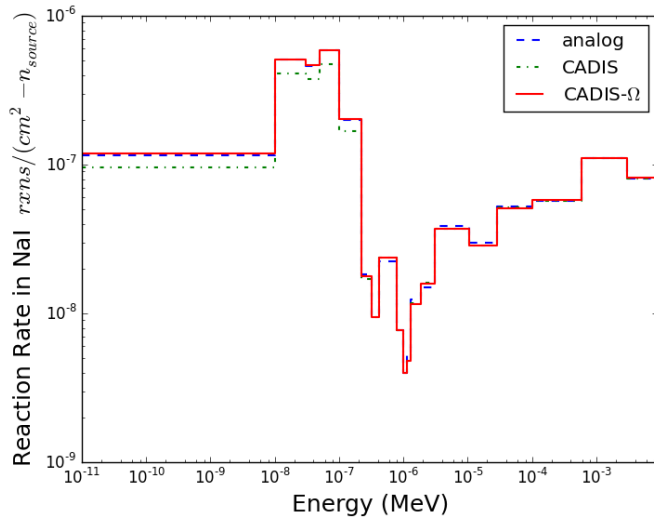


Original Method



Our Method

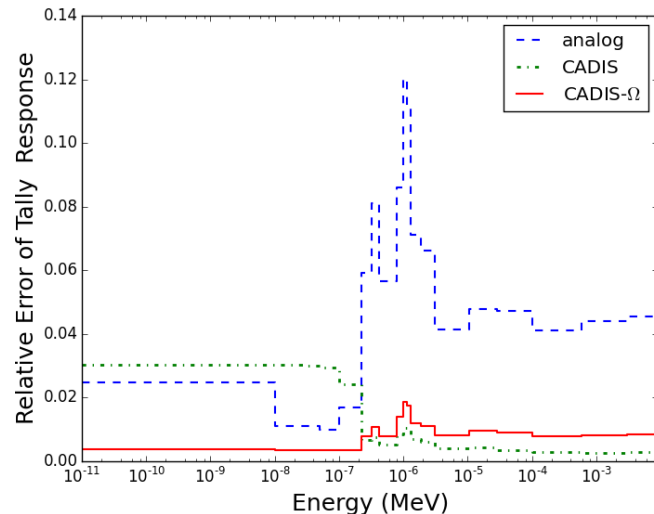
we have good initial results



| | FOM _{MC} | FOM _{Adjusted} |
|---------|-------------------|-------------------------|
| CADIS | 8 | 7 |
| CADIS-Ω | 466 | 354 |

Adjusted CADIS has:

- A relatively uniform uncertainty distribution
- much faster runtimes than CADIS
- better overall results (comparing all energies)



M. Munk, et al., "An Angle-Informed Hybrid Method for CADIS and FW-CADIS." Proceedings of the PHYSOR 2016 Meeting in Sun Valley, ID, May 2016. (accepted).

but you said there would be data??

```

228TH L 1643.125 15 (2-,3-)
228TH B 0.80 6 7.67 4
228THS B EAV=141.4 10
228TH G 474.75 10 0.022 3 [M1,E2] 0.15 11
228THS G KC=0.12 9$ LC=0.026 13$ MC=0.006 3$ NC+=0.0023 10
228TH G 520.151 16 0.067 5 (M1) 0.201
228THS G KC=0.161$ LC=0.0301
228TH cG M |a(K)exp=0.31 {I12} (1971He23); theory: |a(K)=0.161
228TH G 627.23 20 0.014 3
228TH G 674.16 0.109 LE [E1]
228TH3 G FL=968.968
228TH cG E deduced from E(level)
228TH G 674.75 0.109 LE [M1,E2] 0.06 4
228TH3 G FL=968.369
228THS G KC=0.048 32$ LC=0.010 5
228TH cG E deduced from E(level)
228TH G 699.08 15 0.037 5 [D,E2] 0.05 4
228TH G 1247.08 4 0.50 3 (M1) 0.0201
228TH3 G FLAG=IL
228TH G 1315.34 10 0.015 3 [M1,E2] 0.012 6
228TH L 1645.954 12 3+
228TH B 4.16 20 6.94 2

```

NO HALF-LIFE GIVEN.

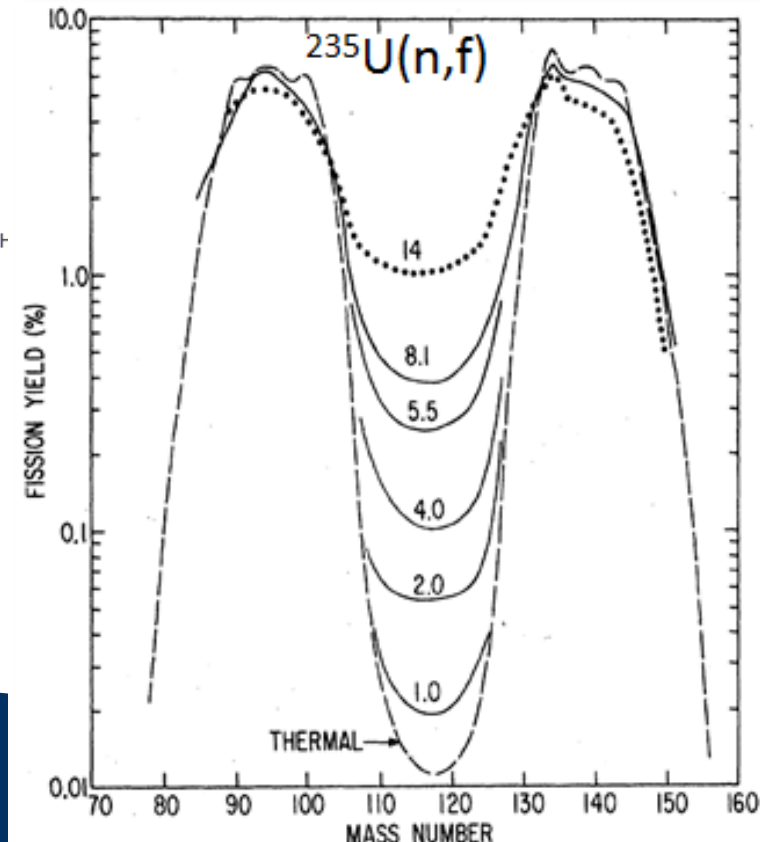
A DCC of 3 from theory assumed

R +-1 KEV ASSIGNED. RI/2 ASSUMED.
FL= FOUND.

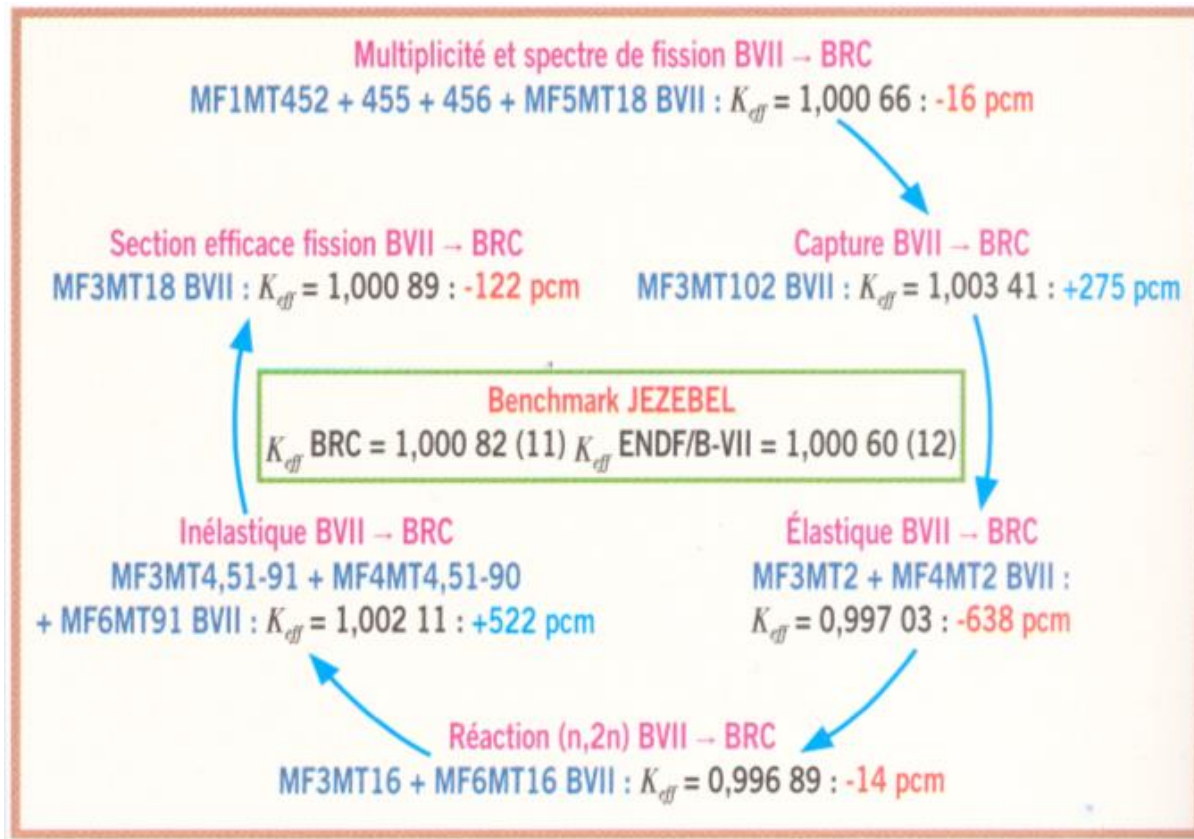
R +-1
FL=

A DCC

NO F



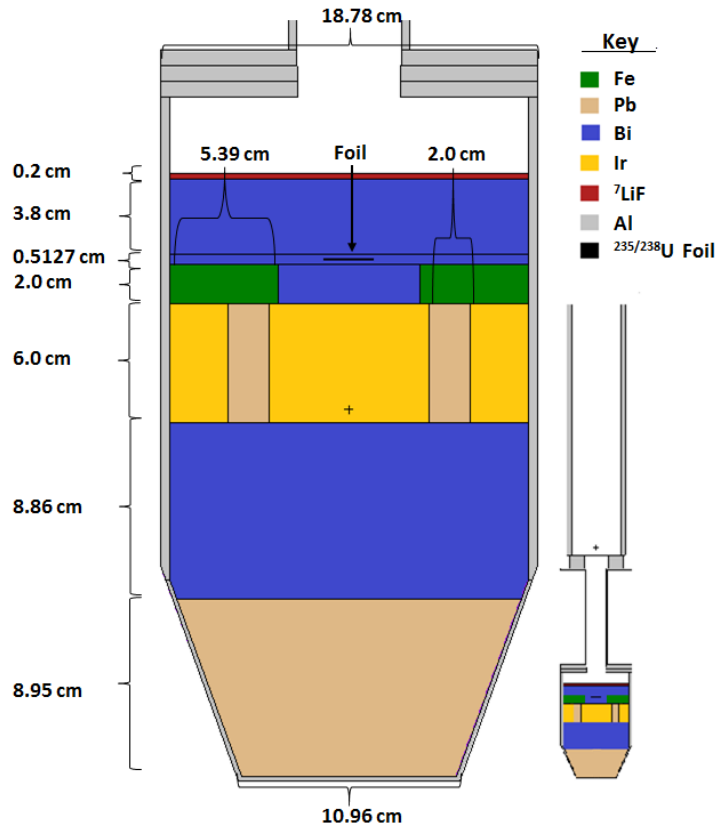
there are issues with our data...



- We tune the knobs on uncertain things to get integral results to work out
- How to deal with improving things?
- How to find the real data?

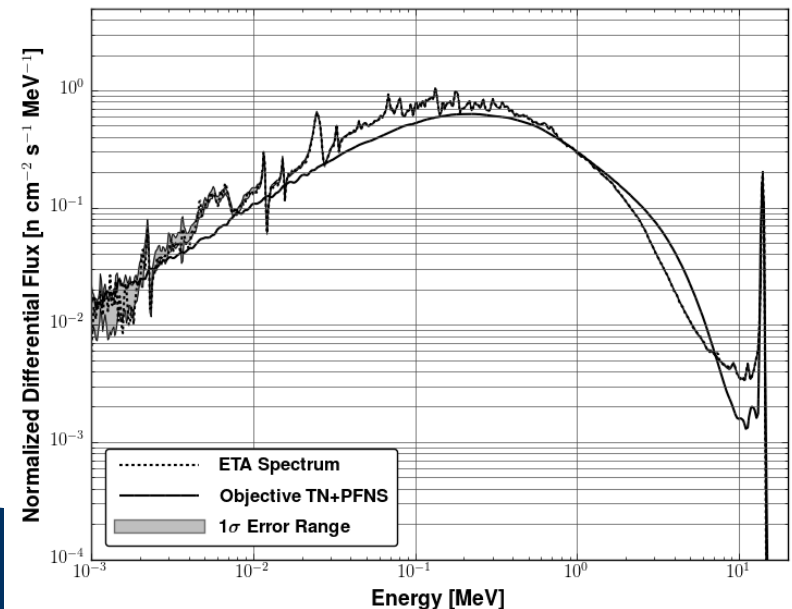
Morgan C. White, "Searching for the 'Right' Plutonium." UC Berkeley Colloquium, LA-UR-14-27739, Berkeley, CA, December 2014.

project: a tool that will shape spectra

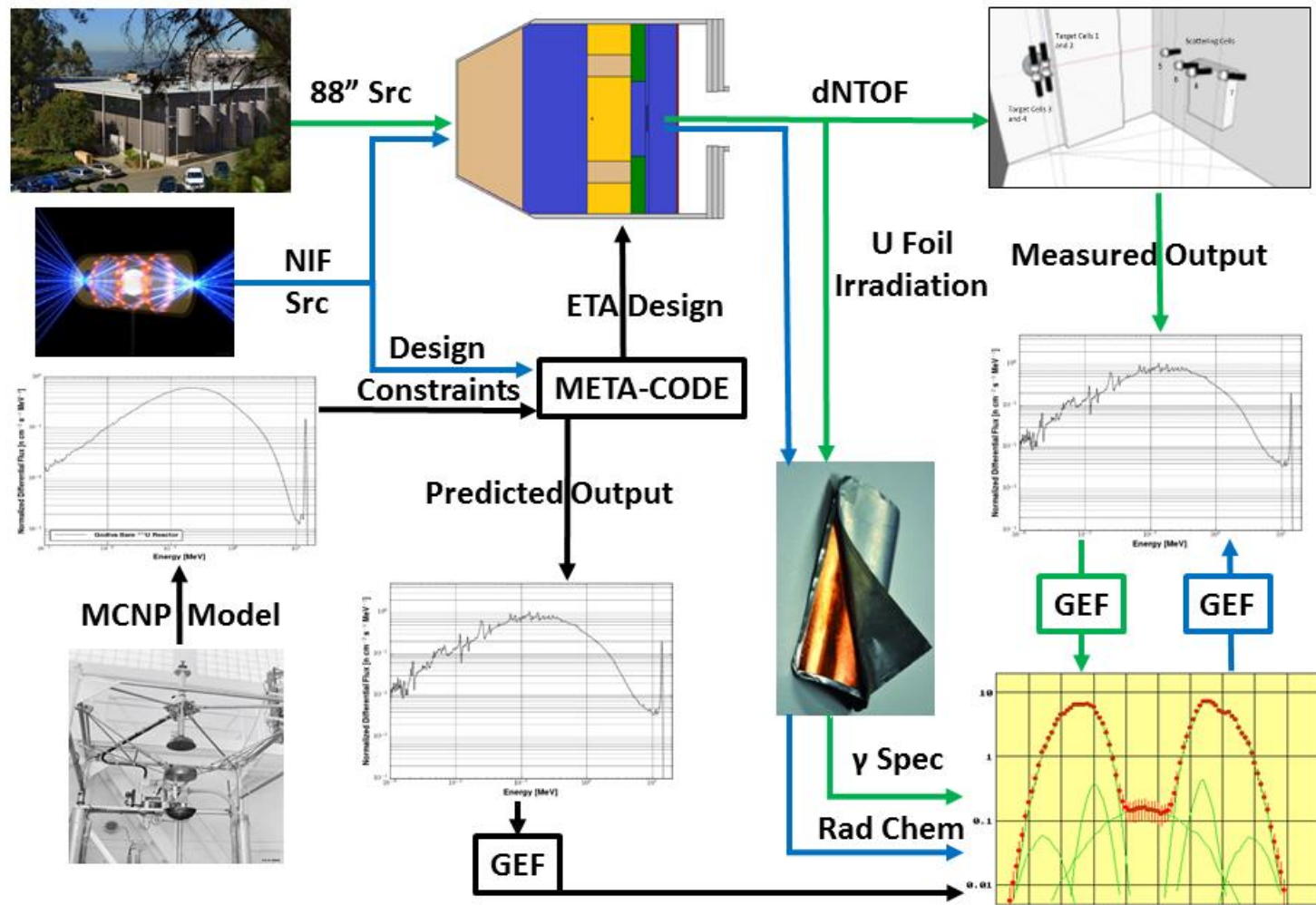


ETA Design

- Use layers of materials to shape neutron energies
- Design by
 - Optimization code
 - Uses predictive computing



can strategically inform data needs

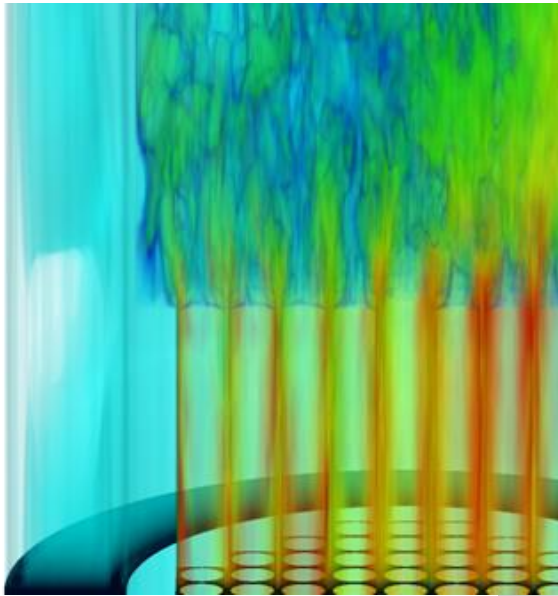


+ other important solutions

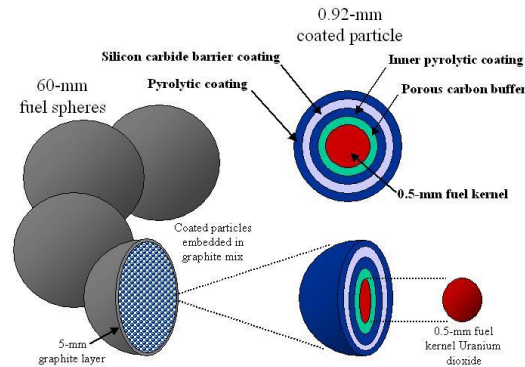
- Community communication
 - People who *make* data and people who *use* data have historically not talked
- Data formats and processing tools that reduce error
 - No one person can actually start from the measured nuclear data and generate what is used by software
 - Some of our data formats are horrible
- Processing the data from experiments that have already been done
 - Lots of data is sitting on a shelf waiting to be analyzed and made available

L. Bernstein, D. Brown, et al. “Nuclear Data Needs and Capabilities for Applications.” White Paper. Lawrence Berkeley National Laboratory, May 27-29 2015.

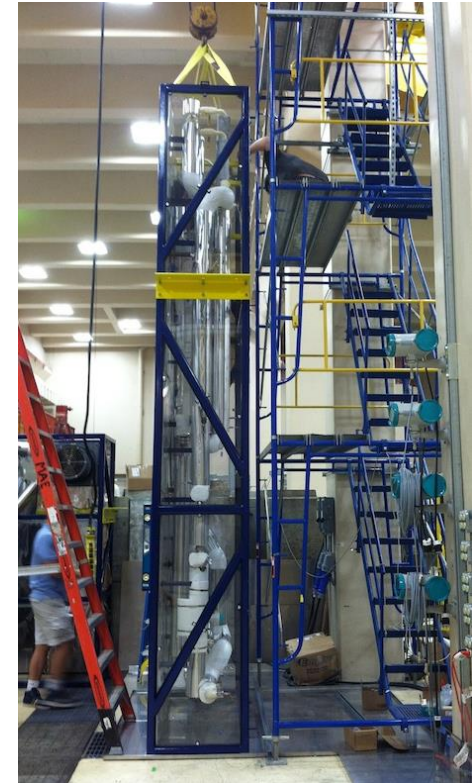
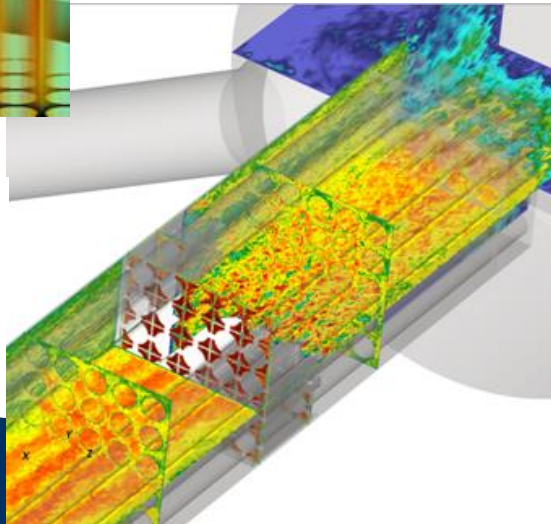
soooo much output and analysis



Highly resolved
flow



Advanced fuels

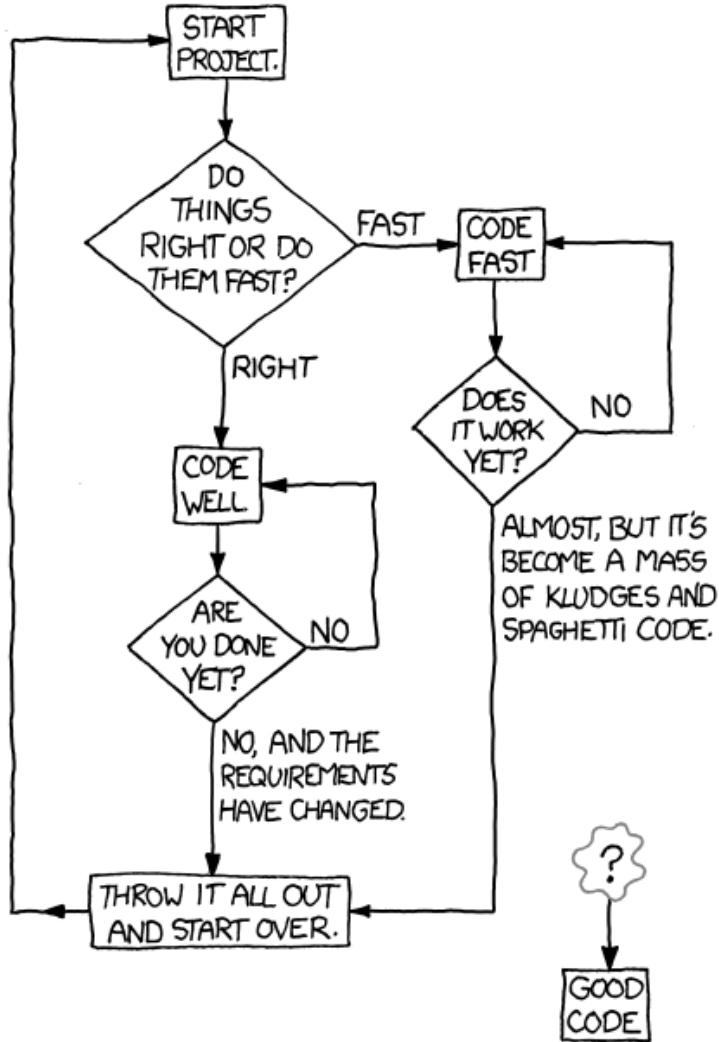


Experimental
reactors

we need a better way

- Size and scale problem: storing, transferring, visualizing, analyzing, processing, ...
 - Getting useful information out of our highly detailed simulations?
- Memory challenges intensified by some new architectures
- What can we do?
 - Write algorithms that process results as they compute?
 - Redesign memory use?
 - Be more strategic in what we ask for and what we report?
 - Time tradeoffs? Output loss?

HOW TO WRITE GOOD CODE:



P.S. quality software
required



BERKELEY

Institute for
Data Science

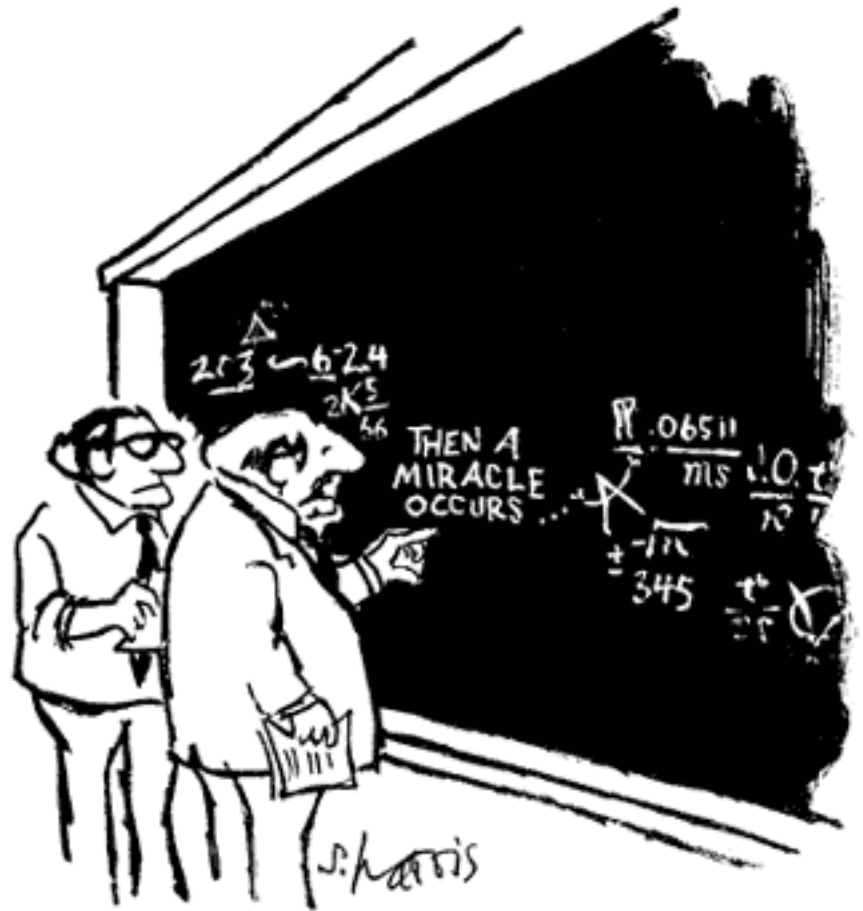
summary

- We need nuclear innovation to help solve some of the world's biggest challenges
- Predictive simulation is required, but how do we get there?
- Algorithms = physics + hardware
 - Take advantage of large and heterogeneous architectures
 - Combine with physical insights
- Improve nuclear data: experiments, processing tools, processing old data
- Develop new data processing strategies

acknowledgements

- Ex. 1: Tom Evans, Greg Davidson, Paul Wilson
Rickover Fellowship, OLCF
- Ex. 2: Kelly Rowland, Ryan Bergmann, Jasmina Vujic
NSSC, NEUP fellowship
- Ex. 3: Madicken Munk, Tom Evans, Douglas Peplow, Scott Mosher, Tara Pandya, Seth Johnson, Richard Vasques
Department of Energy award number DE-NE0008286
- Data: James Bevins, Lee Bernstein, Bill Dunlop, Eugene Henry, Dawn Shaughnessy, Morgan White
NSF Fellowship, LLNL, DTRA, DNDO, NNSA
- Analysis: Kathryn Huff

questions?



"I think you should be more explicit here in step two."

block Krylov: Rayleigh Quotient iter.

- Power iteration converges as

$$e^{j+1} = C |\lambda_2 / \lambda_1| e^j$$

- Where $\sigma(A) \equiv \{\lambda \in \mathbb{C} : \text{rank}(A - \lambda I) \leq n\}$
- We apply a shift, μ , and $(A - \mu I)$ has the same eigenvectors as A

$$\sigma(A - \mu I) \equiv \left\{ \frac{1}{\lambda - \mu}; \lambda \in \sigma(A) \right\}$$

$$e^{j+1} \approx C \left| \frac{\lambda_1 - \mu}{\lambda_2 - \mu} \right| e^j$$

- And make the shift the Rayleigh Quotient (optimal guess)
- *However, now looks like every group has upscattering!!*
- This method only makes sense with Block Krylov

RQI: multigrid in energy precondition.

- Unfortunately, the better the guess the worse the condition #
- RQI (especially when using a Krylov method) requires preconditioning
- Multigrid in energy
- Right preconditioner
- Strategically removes slow-converging error modes
- Easy to implement
- Easy to parallelize in energy

