pertine about derivation tree with an Example?

Derivation tree the root ix the start variable all

Internal nodes are labelled with variables while all

leaves are labelled with terminals. The children of
an Internal node are labelled from left to right
with the right-hand lide of the production wed.

Ex: S -> 0212 | 1802 | Z

The derivation for 011100 given earlier was left most:

202021110 (= 802110 (= 2100 (= 2120 (= 2 001110 (= 2001110 (= 0201110 (=

tree:

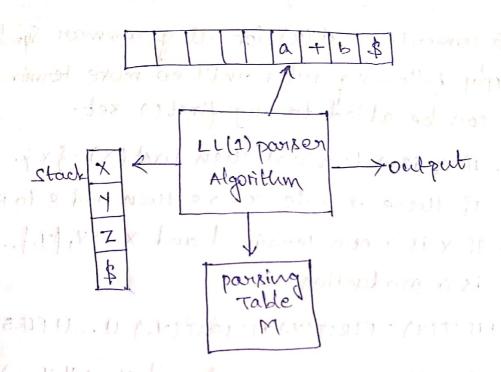
4. remove left factoring for the CFG S > iEts | iEtses | a E > b S > iEts | iEtses | a compose A > ~B, | ~B\_2 then S > iEtss!

An for o Rinal Day

## LL(1) Parsen

Introduction:

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- · L It reads Input string from left to right.
  - · L It uses leftmost derivation for ilp string.
    - · (1) In the i/p symbol means it uses only one i/p symbol.

construction of LL(1) parker:

for construction of predictive LL(2) pourser we have the following steps:

- 1) compute Firsti) and follows functions for the given CFG1 production Rules.
- 2) construct the predictive possing Table using First and Follow functions.
- 3) parke the Input string with the help of LL(1)
  parking Algorithm that uses Input buffer, stack
  and parking Table.

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Non terminal	Input symbol					
	a	Ь	e	1	t	1
3	Soa	evior	evror	2-letss)	a grid votal	erno
81	error	evor	s'res	POPOY	euror	SIAE
e	emor	esb	evior	ernor	ever	arves

let s-ietss! compare with A -> & First [w] = first (ietss') = file 1. M(s,i) = 3 -> ietss consider saa compare with A > 2 first(x)=first(a)={a} :. M(s,a) = S + a let s'> es compare with At first (a) = Aix+(es) = ge} : M(s',e) = 51 > es let s' > Z compare with A -> ~

Compare with  $A \rightarrow \infty$ first ( $\infty$ ) = first ( $\Sigma$ ) =  $\{\Sigma\}$ follow (s') = follow (s) =  $\{\$\}$ ... M [s', \$] = s'  $\rightarrow 6$ let  $E \rightarrow b$ Compare with  $A \rightarrow \infty$ 

Arxt (
$$\alpha$$
) = Arxt( $b$ ) =  $\frac{1}{5}b^{\frac{1}{3}}$ 

...  $M(\frac{1}{5}, \frac{1}{5}) \cdot \frac{1}{5}b^{\frac{1}{3}}$ 

20 construct SLR parring table for the grammar

 $2^{\frac{1}{3}} \cdot \frac{1}{5}$ 
 $3 \rightarrow AA$ 
 $4 \rightarrow aA \mid b$ 

Let  $I = \frac{1}{5}a^{\frac{1}{3}} \cdot \frac{1}{5}a^{\frac{1}{3}}$ 

then  $I_0 = dopure(I)$ 
 $2^{\frac{1}{3}} \cdot \frac{1}{5}a^{\frac{1}{3}}$ 
 $1 = \frac{1}{3}a^{\frac{1}{3}}b^{\frac{1}{3}}$ 
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A-1.67

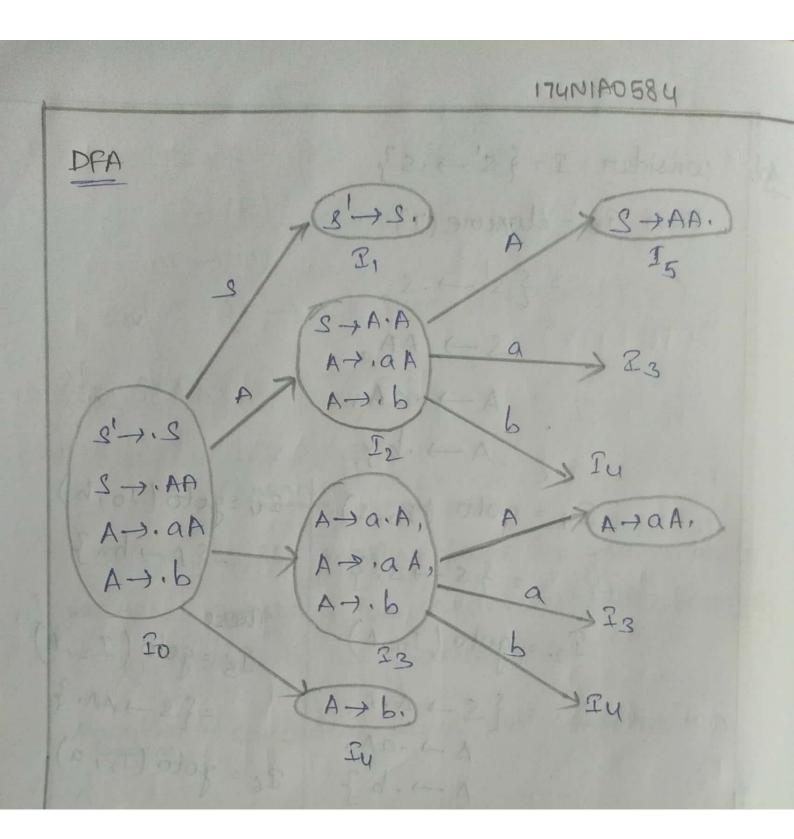
Iu = goto (Jo,b)

= 9A - b. }

35 = goto (12,A)

E.AA (- 23 =

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30) construction SIR Parsing table:

Algorithm:

1. construct  $C = \{Io, I_1, ..., In \}$ , the collection of LR(0) items for G.

2. state i is constructed from state I.

- a) If [A + x. aß] is in state I; and Goto (i, a) = I; then set ACTION (i, a) to "shift j." Here a' is a terminal.
- b) If [A -) \alpha] is in state I; then set ACTION

  li,a) to "reduce A -> \alpha" for all a in follow

  (A).
  - c) If [s' > s.] is in state I, then set ACTION
    [i,\$] to "Accept".
- 3. If any conflicts appears then we say that the grammar is not suitable for ser.
- 4. IP GOTO (I; A) = I; then GOTO (i, A)=)
- 5. The snitial state of the parker is the one containing constructed from the set of items containing [s'+.s].
- 6. All entries not defined by above rules are made "eroror".