AI Lab-5

PRELAB

 Describe how AO* algorithm can be used for implementing Travelling Salesman Problem.

(Travelling Salesman Problem - given a number of cities and the distances between each couple of cities, the aim is to find the smallest possible route that goes to each city exactly once and returns to the origin city i.e. find a least cost Hamiltonian cycle.)

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pre-lab

1. A0 algorithm in Travelling salesman problem:

It is a combinational problem consisting of some cities and edges confecting one city to other. TSP can be represented by a graph $G_1(v,E)$, where V is set of ventices and E is set of Edges between each of the two vertices specific to a graph.

TSP is used to discover the shortest path in the graph $G_1(v,E)$ setting up a least Hamilton cycle.

If there exists a path blue two cities is jedistance can be computed by

$$dij = \sqrt{(x_i - x_j)^2 - (y_i - y_j)^2}$$

AO* algorithm works with AND-OR graphs correctly and efficiently

AO" algorithm:

- 1. create an initial graph with a single node (start node)
- 2. Traverse the following the current path accumulating node that has not yet been cs scanned with a or solved.

- 3. slect any of these nodes and explore it. If it has no successors then call this value-FUTILITY also calculate f'(n) for each of the successors.
- 4. If f'(n)=0 then mank the node as
- 5 change the value of f'(n) for the newly created node to reflect its successors by back propagation.
 - ng routes, of a node is marked as solved then mark the parent node as solved
 - 7. If the starting node is solved or value is greater than FUTILITY then stop else repeat from step-2

INLAB

1. Implement A* algorithm to find the shortest path from 0 to 19.

7	6	5	6	7	8	9	10	11		19	20	21	22
6	5	4	5	6	7	8	9	10		18	19	20	21
5	4	3	4	5	6	7	8	9		17	18		20
4	3	2	3	4	5	6	7	8		16	17	18	19
3	2	1	2	3	4	5	6	7		15	16	17	18
2	1	0	1	2	3	4	5	6		14	15	16	17
3	2	1	2	3	4	5	6	7		13	14	15	16
4	3	2	3	4	5	6	7	8		12	13	14	15
5	4	3	4	5	6	7	8	9	10	11	12	13	14
6	5	4	5	6	7	8	9	10	11	12	13	14	15

Inlab 190031187

- 1. Here we create two lists: open list and closed list
 - Algorithm:
 - 1) Initialize the open list.
- 2) Initialize the closed list
- 3) put the starting node on the open list that is number 10'.
- 4) while the open list is not empty:
- a) find the node with least f on open lot, can it a'q' and and
- b) pop a off the open list.
- c) generate 9/1 4 successors and set their parents to q
 - d) for each successor:
 - (i) It successor is the goal that is 9, stop the search, successor. 9 = q.gt distance blw successor and q

successor. h = distance from goal to successor successor. f = Successor. 9 + successor. h

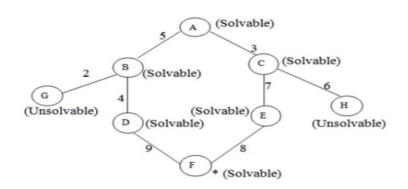
(ii) If a node with same position as Auccensor is in closed list which has a lower f than successor, skip this successor · (111) If a node with the same position

as successor is in closed list which has a lower of than successor, skip this successor otherwise, add note to the open list end

e) push a on the closed list end (whileloop)

Postlab

1. For the given graph implement compare A* and AO* algorithm by implementation and check which one gives the optimal solution?



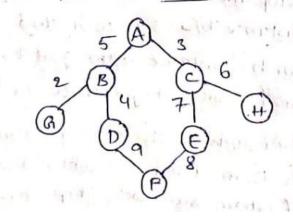
post Lab

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1. A Algorithm is an OF graph while AD Algorithm is an AND-OR graph

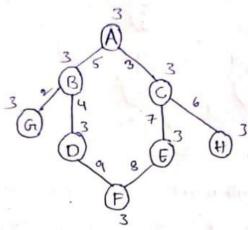
—) A algorithm cost include f' = g' + h'while AD algorithm cost include f' = h'AD algorithm doesn't always give minimum cost and problems can be divided into simpler tasks because of

At algorithm search



-> Numbers written on edges represent distance blw nodes

-> Let us assume heuristic value for each node is 3.



In this our start node is A. From A we can go to $A \rightarrow B$ or $A \rightarrow C$ $f(A \rightarrow B) = (3+5)+3=11$ $f(A \rightarrow C) = (3+3)+3=9$

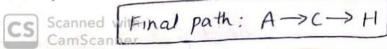
Since $f(c) \subset f(B)$ it decides to go to c path: $A \rightarrow C$

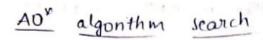
From c we can go to E or H f(H) = (3+3+3) + 6+3 = 18 f(E) = (3+3+3) + 7+3 = 19

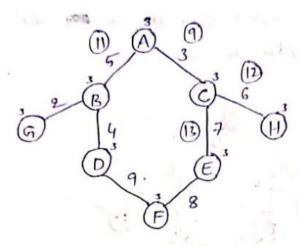
since F(E) < F(H) it decides to go to H

path: $A \rightarrow C \rightarrow H$ from H there are no nodes at all and

path ends here







path:
$$A \rightarrow C$$

 $f(C \rightarrow E) = 13$ path: $A \rightarrow C \rightarrow H$