

Tutorial - 13

Transaction Processing & Concurrency Control

- 1) List all possible schedules for transactions T1 and T2 from below figure and determine which are conflict serializable (correct) and which are not.

(a) T_1	(b) T_2
read_item (X);	read_item (X);
$X := X - N;$	$X := X + M;$
write_item (X);	write_item (X);
read_item (Y);	
$Y := Y + N;$	
write_item (Y);	

Two sample transactions. (a) Transaction T_1 . (b) Transaction T_2 .

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Tutorial- 13

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1. using shortcut method we represent the Transaction like this

$T_1: r_1(x); w_1(x); r_1(y); w_1(y);$

$T_2: r_2(x); w_2(x)$

Here $m=2$, $n_1=4$, $n_2=2$

The no. of possible schedules =

$$(4+2)! / (4! \times 2!) = 720 / (24 \times 2) = 15$$

Following are the 15 possible schedules and the type of each schedule

$S_1: r_1(x); w_1(x); r_1(y); w_1(y); r_2(x); w_2(x)$

Serial (and hence serializable)

$S_2: r_1(x); w_1(x); r_1(y); r_2(x); w_1(y); w_2(x);$

(Conflict) serializable

$S_3: r_1(x); w_1(x); r_1(y); r_2(x); w_2(x); w_1(y);$

(Conflict) serializable

$S_4: r_1(x); w_1(x); r_2(x); r_1(y); w_1(y); w_2(x);$

(Conflict) serializable

$S_5: r_1(x); w_1(x); r_2(x); r_1(y); w_2(x); w_1(y);$

(Conflict) serializable

$S_6: r_1(x); w_1(x); r_2(x); w_2(x); r_1(y); w_1(y);$

(Conflict) serializable

$S_7: r_1(x); r_2(x); w_1(x); r_1(y); w_1(y); w_2(x);$

not (Conflict) serializable

S8 : $r_1(x)$; $r_2(x)$; $w_1(x)$; $r_1(y)$; $w_2(x)$; $w_1(y)$;
not (conflict) serializable

S9 : $r_1(x)$; $r_2(x)$; $w_1(x)$; $w_2(x)$; $r_1(y)$; $w_1(y)$;
not (conflict) serializable

S10 : $r_1(x)$; $r_2(x)$; $w_2(x)$; $w_1(x)$; $r_1(y)$; $w_1(y)$;
not (conflict) serializable

S11 : $r_2(x)$; $r_1(x)$; $w_1(x)$; $r_1(y)$; $w_1(y)$; $w_2(x)$;
not (conflict) serializable

S12 : $r_2(x)$; $r_1(x)$; $w_1(x)$; $r_1(y)$; $w_2(x)$; $w_1(y)$;
not (conflict) serializable

S13 : $r_2(x)$; $r_1(x)$; $w_1(x)$; $w_2(x)$; $r_1(y)$; $w_1(y)$;
not (conflict) serializable

S14 : $r_2(x)$; $r_1(x)$; $w_2(x)$; $w_1(x)$; $r_1(y)$; $w_1(y)$;
not (conflict) serializable

S15 : $r_2(x)$; $w_2(x)$; $r_1(x)$; $w_1(x)$; $r_1(y)$; $w_1(y)$;
serial (and hence also serializable)

2) Check whether the given schedule S is view serializable or not. If yes, then give the serial schedule.

S : R1(A) , W2(A) , R3(A) , W1(A) , W3(A)

2. For simplicity and better understanding, we can represent the given schedule pictorially as:

T_1	T_2	T_3
$R(A)$		
	$W(A)$	
$W(A)$		$R(A)$
		$W(A)$

We know if a schedule is conflict serializable, then it is surely view serializable.

So, let us check whether the given schedule is conflict serializable or not.

Checking Whether S is Conflict Serializable or Not

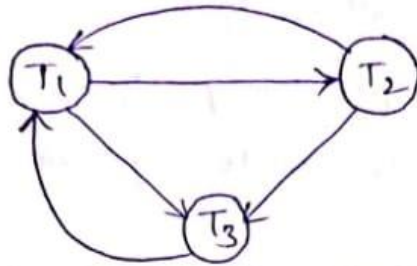
step-1

List all the conflicting operations and determine the dependency between the transactions.

$R_1(A), W_2(A)$	$(T_1 \rightarrow T_2)$
$W_2(A), R_3(A)$	$(T_2 \rightarrow T_3)$
$W_2(A), W_1(A)$	$(T_2 \rightarrow T_1)$
$W_2(A), W_3(A)$	$(T_2 \rightarrow T_3)$
$R_3(A), W_1(A)$	$(T_3 \rightarrow T_1)$
$W_1(A), W_3(A)$	$(T_1 \rightarrow T_3)$
$R_1(A), W_3(A)$	$(T_1 \rightarrow T_3)$

Step - 2 :

Draw the precedence graph



Clearly, there exists a cycle in the precedence graph.

Therefore, the graph schedule S is not conflict serializable. Now,

since, the given schedule S is not conflict serializable, so, it may or may not be view serializable.

To check whether S is view serializable or not, let us use another method.

Let us check for blind writes.

Checking for Blind writes :

There exists a blind write $w_2(A)$ in the given schedule S .

Therefore, the given schedule S may or may not be view serializable.

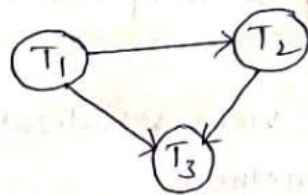
Now, To check whether S is view serializable or not, let us use another method.

Let us derive the dependencies and then draw a dependency graph.

Drawing a Dependency Graph:-

- T_1 firstly reads and T_2 firstly updates A.
- So, T_1 must execute before T_2
- Thus, we got the dependency $T_1 \rightarrow T_2$
- Final updation on A is made by the Transaction T_3 .
- So, T_3 must execute after all other transactions
- Thus, we get the dependency $(T_1, T_2) \rightarrow T_3$
- From, write-read sequence, we got the dependency $T_2 \rightarrow T_3$

Now, let us draw a dependency graph using these dependencies.



- clearly, there exists no cycle in the dependency graph.
- Therefore, the given schedule S is view serializable
- The serialization order

$$T_1 \rightarrow T_2 \rightarrow T_3$$