MP-1 HOME ASSIGNMENT-4

1. A manufacturer of baby-dolls makes two types of dolls. Doll X and Doll Y. Processing of these two dolls is done on two machines, A and B. Doll X requires two hours on machine A and six hours on machine B. Doll Y requires five hours on machine A and also five hours on machine B. there are 16 hours of time available on machine A and thirty hours on machine B. The profit gained on both the dolls is same, i.e. one rupee per doll. What should be the daily production of each of the two dolls? Formulate but not solve the mathematical programming problem. Suggest the suitable algorithm to solve it.

Solve the following L.P.P by Gomory technique:

Maximize z=3x2Subject to $3x1+2x2 \le 7$ $x1-x2 \le -2$ $x1,2 \ge 0$ are integers.

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Max
$$2=3x_{\perp}$$

Subject to $3x_1+2x_1 \le 7$
 $21-x_1 \le -2$
Here $b_1=-2\le 0$ for make $b_1=0$
multiply 2^{nd} constraint by -1 to make $b_1>0$
 $-x_1+x_1\ge 2$
 $x_1,x_1\ge 0$

After Adding slack, surplus, Artificial variables

Max $2 = 0x_1 + 3x_2 + 0s_1 + 0s_2 - MA_1$ Subject 70 $3x_1 + 2x_2 + s_1 = 7$ $-x_1 + x_2 - s_2 + A_1 = 2$ $x_1, x_2, s_1, s_2, A_1 \ge 0$

$$CB_1$$
 C_j 0 3 0 0 - M
 $B \cdot V$ M_1 M_2 J_1 S_2 A_1 S_0
0 S_1 3 2 1 0 0 7
-M A_1 -1 0 0 -1 1 2
 Z_j M - M 0 M - M
 G_1 - Z_j - M 3+M 0 - M 0
 S_1 - S_1 - S_2

Scanned with Rey element = 1
CamScanner

Iteration - 2

Iteration-3

CB; Cj O 3 O O - M
B·V
$$\frac{1}{2}$$
 $\frac{1}{2}$ $\frac{1}{2}$

pivot element - 0.4

Entering: Sz Departing: X1

Scanned with CamScanner

key element = 0.4

Iteration - 4

Since all G-zj 60

there non-integer optimal solution is arrived with value of variables as

To obtain the integer valued solution, we proceed to construct homory's fractional cut with the help of x, row as follows.

The fraction cut will become

Adding This additional constraint bottom of optimal simplex table. The new table so obtained is

Heration 1

Entering = SI Leaving = SgI key element = -0.5

Iteration-2

$$CB_1$$
 C_1 C_2 C_3 C_4 C_5 C_5 C_5 C_5 C_5 C_5 C_6 C_6 C_6 C_7 C_7

Since cj-2j <0

Hence integer optimal solution is arrived with value of variables as

$$x_1 = 0$$
, $x_1 = 3$
Max $z = 9$

The integer optimal solution found after Scanned with 1- cuts