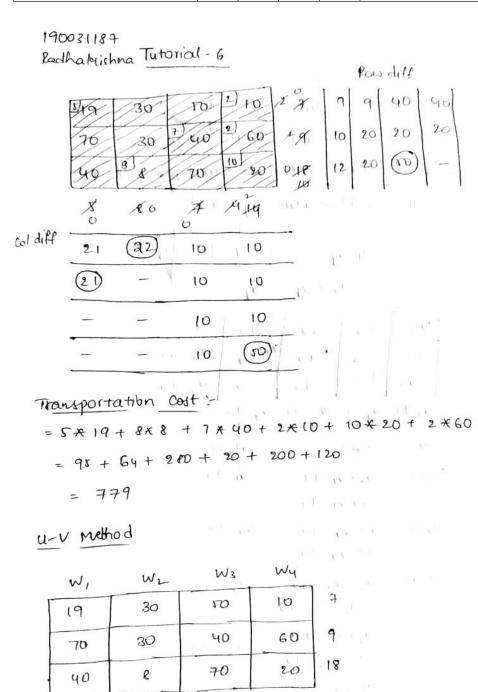
MP-1 TUTORIAL-6

1. Demonstrate the Initial Basic Solution in Transportation problem using Vogel method in Linear Programming (U-V method)., Least time Transportation problem.

QUESTION:

Factory/Warehouse	W_1	W_2	W_3	W_4	Factory Capacity
F_1	19	30	50	10	7
F_2	70	30	40	60	9
F_3	40	8	70	20	18
Warehouse Requirement	5	8	7	14	



14

7

8

5

111111

11111

M= no of oligins = 3.

n= no of destinations = 4

m+n-1=6 => no of allocation = 6

And the allocations are independent positions is

The problem non-degenerate

1+cp: 2

J	5)19	30	50	2 10	41=0
	70	30	7) 40	60	u2=50
	40	8	70	20	u3=10

cell equs Values (1,1)
$$u_1 + v_1 = 19$$
 $v_1 = 19$

$$(274)$$
 $42+4=60$ $42=50$

$$(7,3)$$
 $u_1+v_3=40$ $v_3=-10$

$$(3,4)$$
 $u_3 + v_4 = 20$ $u_3 = 10$

Step : 3

19	(31) 3O	(60) 500	10
⁽¹⁾ 70	(10)	1 40	2 60
("40	5) 8	(70)	10)

0

u;

50

10

-2 -10 10 19

cell evaluation 32

(1,3) 10 - (4,+43)

60

(2,1) 70 - (4, tV1)

 $(7,2) 30 - (u_1 + v_1) -18$ $(3,1) 40 - (u_3 + v_1) 11$ (3,1)

(3,3)

70 - (u3 + v3)

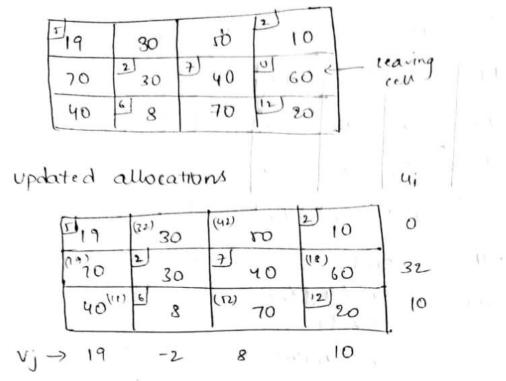
If all the cells evaluations are non-negative then the solution is optimal The cell coaluation -18 is negative so sol is not optimal

.. Intering cell (2,2)

19	30	20	10
70	30_	7 40	> 60
40	8 8	70	1010

0 = 2

form a loop starting from cell (2,2) 0 = min { 2-0, 8-0} 2-0 - 0



Now all the cell evaluations are non-negative Transportation cost

5 × 19 + 2 × 10 + 2 × 30 + 7 × 40 + 6 × 8 + 12 × 20

95 + 20 + 60 + 280 + 48 + 240

743