A Utility-Driven Multi-Queue Admission Control Solution for Network Slicing

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What this paper aims to do?

- 1. to study the slicing admission control problem by means of a multi-queuing system for heterogeneous tenant requests,
- 2. to derive its statistical behavior model, and
- 3. to provide a utility-based admission control optimization

Did I like the paper?

- I liked the paper
 - As it gave a mathematical model for resource allocation using queuing
- I disliked the paper
 - As it was more abstract and didn't talk about the real 5G scenario

Background (Resources & Slices)

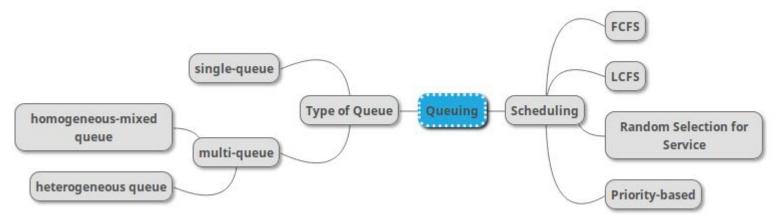
- Resource pool and slice type
 - The resources taken by the slices can be denoted by
 - N is the number of type of slices
 - M is the different types of resource in the resource pool
 - $S = \{s \mid r_m a_m \ge 0, \forall 1 \le m \ge M\}$
 - s → set of slices that are active
 - $r \rightarrow resource pool$
 - $a \rightarrow assigned resources$
 - $a = C \times s, C = [c_1, c_2, ..., c_N],$
 - $c_n \rightarrow$ resource bundle required to maintain the slice of type n

Background (Slices & Admission Control)

- Slice Admission:
 - Inter-arrival time between 2 requests is exponential
 - Request arrival is i.i.d
 - Binary decision for accepting or rejecting the slice
- If MNO resource pool tends to be saturated, then additional slice requests are not accepted (this introduces Admissibility region)
- Lifetime of a slice is i.i.d exponentially distributed variable and expected lifetime depends on the slice type
- A rejected slice can be sent again for reconsideration after some delay

Background (Queuing)

- Among several scheduling algorithm, FCFS is taken into consideration
- Single queues: one queue is implemented for all declined requests that need to wait for the next acceptance opportunity
- Homogeneous-mixed queues: each queue consists of requests for slices of different types
- Heterogeneous queues: each queue is specified for only one unique slice type



Background (Queuing contd.)

- N FCFS Heterogeneous queues are considered

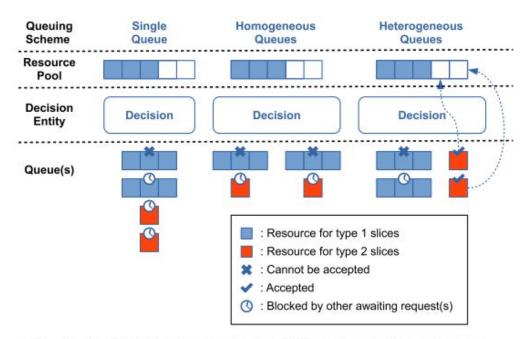
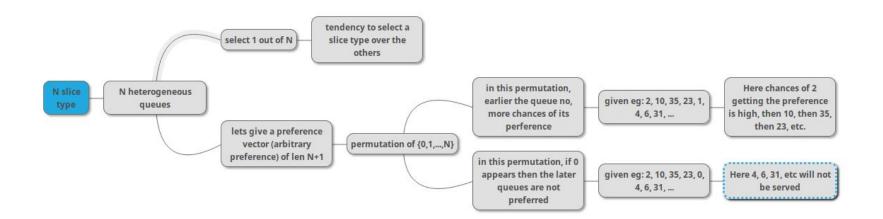


Fig. 1: A simple case study on different queuing schemes.

Core Idea (Slice Admission Control)

- Simultaneous requests might come at the same time and MNO might have to select one and reject others or reject all the requests
- Preference vector: $\Phi = [\phi_1, \phi_2, \dots, \phi_{N+1}]$



Core Idea (Admission preference matrix)

- The requests are accepted in admissibility region, then the preference matrix will look like

```
 \begin{array}{llll} - & \pmb{\Phi} = [\Phi_1, \, \Phi_2, \, \dots, \, \Phi_{|A|}] \\ - & & = [\phi_{1,1} & \phi_{1,2} & \dots & \phi_{1,\,|A|} & ] \\ - & & [\phi_{2,1} & \phi_{2,2} & \dots & \phi_{2,\,|A|} & ] \\ - & & [ & \ddots & \ddots & \ddots & ] \\ - & & [ & \ddots & \ddots & \ddots & ] \\ - & & [ & \ddots & \ddots & \ddots & ] \\ - & & [ \phi_{N+1,1} & \phi_{N+1,2} & \dots & \phi_{N+1,\,|A|} ] \end{array}
```

Core Idea (Slice Admission Control Algo)

```
Initialize with certain N, S, A, \Phi and s;
while True do
                                                                              Main loop
      Wait for the next incoming tenant issue;
     if Slice of type n released then
                                                                     Releasing a slice
           \mathbf{s} \leftarrow \mathbf{s} - \Delta \mathbf{s}_n;
     else if Slice of type n requested then
                                                                       Request arrives
           l_n \leftarrow l_n + 1;
     end
                                  Recursively serving the queues until blocked
      while s \in A do
           \tilde{\mathbf{s}} \leftarrow \mathbf{s}:
           Find the current preference vector \Phi according to \Phi and s;
           for 1 \le n \le N do
                                                     Serve queues w.r.t. preference
                 if \varphi_n = 0 then
                                                            Omitting queues after 0
                       break:
                 else if l_n > 0 AND (s + \Delta s_n) \in S then
                                                                            Acceptance
                       l_n \leftarrow l_n - 1;
                       \mathbf{s} \leftarrow \mathbf{s} + \Delta \mathbf{s}_n:
                 end
            end
            if \tilde{s} = s then
                                                                   Blockage detection
                 Break:
           end
     end
end
```

 Multi queue admission control algorithm

Core Idea (Queuing model)

- The acceptance in different queues are mutually independent Poisson processes, if:
 - the arrivals of new requests and releases of active slices are mutually independent Poisson processes for every individual slice type;
 - the arrivals of different slice types are mutually independent from each other, the releases of different slice types are mutually independent from each other
- Queuing-theoretic analysis
 - $\lambda_n \rightarrow$ request arrival rate for slice type n
 - $L_n \rightarrow$ mean length of queue n
 - $\overline{W}_n \rightarrow$ average waiting time in queue n
 - $\mu_n \rightarrow$ acceptance rate of queue n
 - ho_{n} ightarrow workload rate of queue n

Core Idea (Queuing model contd.)

$$L_n=\lambda_n\overline{W}_n,$$

→ Little's Formula

$$p_n(l) = (1 - \rho)\rho^l,$$

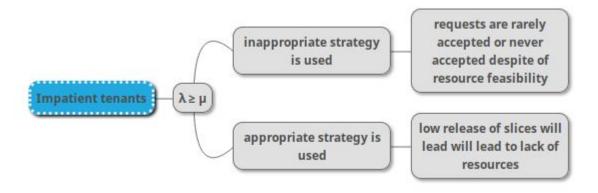
→ Steady Queue State Probability

$$f(W_n) = \begin{cases} 0 & W_n < 0 \\ (\mu_n - \lambda_n)e^{-(\mu_n - \lambda_n)W_n} & W_n \geq 0 \end{cases}, \quad \text{Probability Density Function of Waiting Time Distribution}$$

$$F(W_n) = \begin{cases} 0 & W_n < 0 \\ 1 - e^{-(\mu_n - \lambda_n)W_n} & W_n \ge 0 \end{cases}$$
 — Cumulative Density Function of Waiting Time Distribution

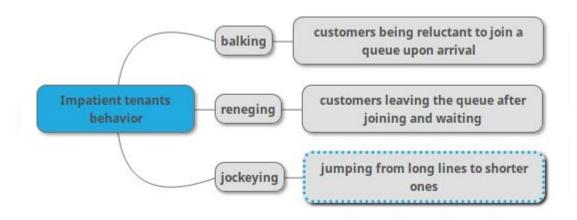
Waiting Time Distribution

Core Idea (Impatient Tenants)



- Reasons for Impatient tenants

Core Idea (Impatient Tenants contd.)



ImpatientTenantBehavior

Core Idea (Performance Metrics)

$$u_{\Sigma}(t) = \sum_{n=1}^{N} s_n(t)u_n,$$

$$\overline{u}_{\Sigma} = \sum_{n=1}^{N} \frac{\mu_n u_n}{\eta_n},$$

$$\overline{W}_{\mathbf{q}} = \frac{\sum_{n=1}^{N} \overline{W}_{\mathbf{q},n} L_{n}}{\sum_{n=1}^{N} L_{n}}.$$

$$\overline{P}(A) = \frac{\sum_{n=1}^{N} \lambda_n P(A_n)}{\sum_{n=1}^{N} \lambda_n}.$$

- Overall network utility

- Average overall network utility

Average waiting time of all requests in queues

Overall admission rate

Strength

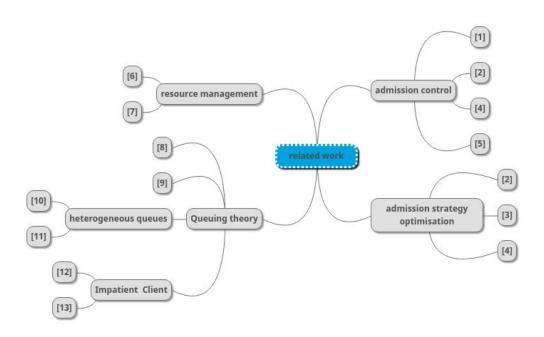
- Gives a good analysis of slice admission problem
- Takes impatient tenants into consideration and tackles it

Weakness

- Takes a static slice allocation approach (Once a slice is instantiation is done, no change in the traffic is considered) [May lead to over allocation]
- No priority of slice considered among the slice requests from the same MNO. (Mentioned about priority scheduling among the MNOs)
- It is quite abstract and doesn't take 5G scenario into consideration

How to solve it?

Related Work



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