

[Elements of Economics, Finance, and
Computational Mathematics]

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Abstract

We examine an emerging pedagogical realm in which the importance of three major disciplines are considered in synchronicity. The aim is to understand the coherence of an interdisciplinary science formed around modern Economics, Finance, and Computational Mathematics. We recognize the rapidly evolving progress in data encoding techniques and contemplate economic, financial, and societal phenomena that may arise from technology evolving at increasing rates.

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1 Introduction

I am developing this paper on my own in the hopes it becomes a larger group project. I believe all learning is a collective matter and cordially invite all people interested into the discussion of such a portfolio of ideas.

2 Recent computational developments

2.1 Zero Knowledge Proofs

Zero Knowledge proofs [\[12\]](#) are a familiar cryptographic concept with recent applicability to scaling financial circuitries [\[23\]](#).

2.2 Machine learning in numerical methods

Machine learning methods allow for greater accuracy in all manner of numerical computation and model interpretation tasks. Interpretability of models allows for easier and more accurate volatility modelling [\[5\]](#) [\[26\]](#) [\[33\]](#).

2.3 Artificial General Intelligence (AGI)

2.3.1 OpenAI

2.3.2 Google

2.3.3 GitHub

3 *The OS wars*

3.1 Environment Intractability

3.1.1 Entropy Pooling [32]

3.1.2 Stochastic Volatility [17]

4 Quantitative trading strategies

4.1 Macroeconomic trend prediction using live shipping data

5 Blockchain security and pipeline transparency

5.1 Commodities markets

5.2 FX option markets

5.3 Commerical legal services

6 Modern Tactics

6.1 Artificial Scarcity

The role of *hype* in parsimonious production and consistent sales.

6.2 Herding

Huang et. al. [18] have described an irrational herd behaviour in financial markets for over two decades. Many studies have arose from studying seeming arbitrary volatility and correlations in equity markets. With LLMs largely available, one might be able to construct various algorithmic trading strategies based on the herding of volatile assets [32].

References

- [1] Andrew Ang et al. “High idiosyncratic volatility and low returns: International and further U.S. evidence”. In: *Journal of Financial Economics* 91 (Jan. 2009), pp. 1–23. DOI: [10.1016/j.jfineco.2007.12.005](https://doi.org/10.1016/j.jfineco.2007.12.005).
- [2] Laura Ballotta and Efrem Bonfiglioli. “Multivariate asset models using Lévy processes and applications”. In: *European Journal of Finance* 22 (Apr. 2014), pp. 1320–1350. DOI: [10.1080/1351847x.2013.870917](https://doi.org/10.1080/1351847x.2013.870917).
- [3] Laura Ballotta and Andreas E Kyprianou. “A note on the α -quantile option”. In: *Applied Mathematical Finance* 8 (Sept. 2001), pp. 137–144. DOI: [10.1080/13504860210122375](https://doi.org/10.1080/13504860210122375). (Visited on 01/20/2025).
- [4] Aurel Baloi et al. “GPU-based similarity metrics computation and machine learning approaches for string similarity evaluation in large datasets”. In: *Soft Computing* (June 2023). DOI: [10.1007/s00500-023-08687-8](https://doi.org/10.1007/s00500-023-08687-8). (Visited on 03/05/2024).
- [5] Christian Beck, Weinan E, and Arnulf Jentzen. “Machine Learning Approximation Algorithms for High-Dimensional Fully Nonlinear Partial Differential Equations and Second-order Backward Stochastic Differential Equations”. In: *Journal of Nonlinear Science* (Jan. 2019). DOI: [10.1007/s00332-018-9525-3](https://doi.org/10.1007/s00332-018-9525-3).
- [6] Fischer Black and Myron Scholes. “The Pricing of Options and Corporate Liabilities”. In: *Journal of Political Economy* 81 (1973), pp. 637–654. URL: <https://www.jstor.org/stable/1831029?origin=JSTOR-pdf>.
- [7] Patrick Boyle. *Statistics for the Trading Floor: Data Science for Investing*. Independently Published, May 2020.
- [8] Patrick Boyle and Jesse McDougall. *Derivatives for the Trading Floor: Futures, Options and Swaps*. Independently Published, 2020.
- [9] Aleš Černý. *Mathematical Techniques In Finance: Tools for Incomplete Markets*. 1st ed. Princeton University Press, 2004.
- [10] Aleš Černý, Christoph Czichowsky, and Jan Kallsen. “Numeraire-Invariant Quadratic Hedging and Mean–Variance Portfolio Allocation”. In: *Mathematics of Operations Research* 49 (May 2023), pp. 752–781. DOI: [10.1287/moor.2023.1374](https://doi.org/10.1287/moor.2023.1374). (Visited on 12/08/2024).

- [11] Thomas Delcey. “Samuelson vs Fama on the Efficient Market Hypothesis: The Point of View of Expertise”. In: *OEconomia* 9 (Mar. 2019), pp. 37–58. DOI: [10.4000/oeconomia.5300](https://doi.org/10.4000/oeconomia.5300).
- [12] Jens Ernstberger et al. *Do You Need a Zero Knowledge Proof?* 2024. URL: <https://eprint.iacr.org/2024/050.pdf>.
- [13] Gianluca Fusai, Andrea Roncoroni, and Mark Cummins. *Handbook of Multi-Commodity Markets and Products*. John Wiley & Sons, Feb. 2015.
- [14] Henri Gavin. *The Levenberg-Marquardt algorithm for nonlinear least squares curve-fitting problems*. 2024. URL: <https://people.duke.edu/~hpgavin/lm.pdf>.
- [15] *Getting Started with AgentX API*. AgentX Doc, 2025. URL: <https://docs.agentx.so/docs/getting-started> (visited on 01/17/2025).
- [16] Paul Glasserman. *Monte Carlo Methods in Financial Engineering*. Springer Science & Business Media, Mar. 2013.
- [17] Steven L. Heston. “A Closed-Form Solution for Options with Stochastic Volatility with Applications to Bond and Currency Options”. In: *Review of Financial Studies* 6 (Apr. 1993), pp. 327–343. DOI: [10.1093/rfs/6.2.327](https://doi.org/10.1093/rfs/6.2.327).
- [18] Teng-Ching Huang, Bing-Huei Lin, and Tung-Hsiao Yang. “Herd behavior and idiosyncratic volatility”. In: *Journal of Business Research* 68 (Apr. 2015), pp. 763–770. DOI: [10.1016/j.jbusres.2014.11.025](https://doi.org/10.1016/j.jbusres.2014.11.025). (Visited on 03/16/2020).
- [19] Willem Hundsdorfer et al. “A Positive Finite-Difference Advection Scheme”. In: *Journal of Computational Physics* 117 (Mar. 1995), pp. 35–46. DOI: [10.1006/jcph.1995.1042](https://doi.org/10.1006/jcph.1995.1042).
- [20] Philippe Jorion. *Value at risk : the new benchmark for managing financial risk*. McGraw-Hill, 2007.
- [21] Nadim Kobeissi. “An Analysis of the ProtonMail Cryptographic Architecture”. In: *Cryptology ePrint Archive* (2018). URL: <https://eprint.iacr.org/2018/1121>.
- [22] Oleksandr Kuznetsov et al. “Enhanced Security and Efficiency in Blockchain with Aggregated Zero-Knowledge Proof Mechanisms”. In: *IEEE Access* (2024), pp. 1–1. DOI: [10.1109/ACCESS.2024.3384705](https://doi.org/10.1109/ACCESS.2024.3384705). URL: <https://arxiv.org/abs/2402.03834>.

- [23] James Lee-Thorp et al. “FNet: Mixing Tokens with Fourier Transforms”. In: *arXiv:2105.03824 [cs]* (May 2022). URL: <https://arxiv.org/abs/2105.03824>.
- [24] Shuaiqiang Liu, Cornelis Oosterlee, and Sander Bohte. “Pricing Options and Computing Implied Volatilities using Neural Networks”. In: *Risks* 7 (Feb. 2019), p. 16. DOI: [10.3390/risks7010016](https://doi.org/10.3390/risks7010016).
- [25] Matthias Nadler and Fabian Schär. *Tornado Cash and Blockchain Privacy: A Primer for Economists and Policymakers*. Ssrn.com, 2023. URL: https://papers.ssrn.com/sol3/papers.cfm?abstract_id=4352337.
- [26] Terence Parr and James D. Wilson. “Partial dependence through stratification”. In: *Machine Learning with Applications* 6 (Dec. 2021), p. 100146. DOI: [10.1016/j.mlwa.2021.100146](https://doi.org/10.1016/j.mlwa.2021.100146).
- [27] Alexey Pertsev, Roman Semenov, and Roman Storm. *Tornado Cash Privacy Solution Version 1.4*. 2019. URL: <https://berkeley-defi.github.io/assets/material/Tornado%20Cash%20Whitepaper.pdf>.
- [28] Matt Pharr. *GPU gems 2 : programming techniques for high-performance graphics and general-purpose computation*. Addison-Wesley, 2004.
- [29] Robert R Reitano. *Introduction to quantitative finance : a math tool kit*. Mit Press, 2010.
- [30] Philipp J. Schönbucher. “A Market Model for Stochastic Implied Volatility”. In: *SSRN Electronic Journal* 21 (1999). DOI: [10.2139/ssrn.182775](https://doi.org/10.2139/ssrn.182775).
- [31] Anton Vorobets. “Causal and Predictive Market Views and Stress-Testing”. In: *SSRN Electronic Journal* (2023). DOI: [10.2139/ssrn.4444291](https://doi.org/10.2139/ssrn.4444291). (Visited on 10/24/2024).
- [32] Anton Vorobets. “Portfolio Construction and Risk Management”. In: *SSRN Electronic Journal* (Jan. 2024). DOI: [10.2139/ssrn.4807200](https://doi.org/10.2139/ssrn.4807200). URL: https://papers.ssrn.com/sol3/papers.cfm?abstract_id=4807200 (visited on 01/08/2025).
- [33] Bo Yuan et al. *Deep learning interpretability for rough volatility*. arXiv.org, 2024. URL: <https://arxiv.org/abs/2411.19317> (visited on 12/15/2024).
- [34] Zixuan Zhang et al. “Bi-level optimisation of subsidy and capacity investment under competition and uncertainty”. In: *European Journal of Operational Research* 318 (Mar. 2024), pp. 327–340. DOI: [10.1016/j.ejor.2024.03.028](https://doi.org/10.1016/j.ejor.2024.03.028). (Visited on 11/26/2024).

- [35] Alesia Zhuk. “Applying blockchain to the modern legal system: Kleros as a decentralised dispute resolution system”. In: *International Cybersecurity Law Review* 4 (Apr. 2023). DOI: [10.1365/s43439-023-00086-x](https://doi.org/10.1365/s43439-023-00086-x).