81	A/	Events
Relationships Between Events A and B	from Old Events  A B	occurances
A implies B:	A or B:	Sample Space
A B are mutually exclusive events:  A OB = Ø  A,, An is a partitioning of 3:  A,UA,UUAn = 8	A and B:  A A B  not A:  Ac  Ac  A but not both:  (AUB) - (AAB) =  (AUB) A (AAB) =	an impossible event:  [(Ø)]  I an event is a set  3 is a possible outcome:  A is an event  A S S
$A_i \cap A_j = \emptyset$ , for $i \neq j$		Something must happen an outcome must occure  Sactual & S

this document is prepared to explain basic and regularly used statistical terminology through the use of simple set theory notions.

The following sample space is defined as an **example** of events and occurrences:

Sample space  $\mathscr{S}$ : the set of all pebbles in the garden with surface area  $\leq$  n  $cm^2$ 

A possible outcome, Outcome  $\mathcal{S}$ : a pebble with surface area  $2 cm^2$ 

$$\Rightarrow A \in \mathcal{S}$$

Event A: the set of all pebbles (outcomes) with surface area  $\geq 2 cm^2$ 

$$\Rightarrow A \subseteq \mathscr{S}$$
 (A implies  $\mathscr{S}$ )

## Event A occurred:

there actually exists an outcome y,

a pebble with surface area  $3 cm^2$ 

in Event A (set of all pebbles (outcomes) with surface area  $\geq 2\,cm^2$ ) since there exists Outcome y  $\in$  Event A we say Event A has occurred.

An impossible outcome (outcome  $\varnothing$ ): a pebbles with surface area -2  $cm^2$  An impossible event (event  $\varnothing$ ):

- the set of pebbles with negative surface area
- The set of outcomes  $\{z_1, ..., z_n\}$  such that  $\{z_1, ..., z_n\} \subseteq (A \cap A^c)$

Partitions of sample space  $\mathscr S$  :

Let  $A_1$  the set of pebbles (outcomes) with surface area in (0, 1]

Let  $A_2$  the set of pebbles (outcomes) with surface area in (1, 2]

Let  $A_n$  the set of pebbles (outcomes) with surface area in (n-1, n]

Then  $A_1, \ldots, A_n$  are the partitions of  $\mathscr{S}$ 

Where 
$$A_1 \cup ... \cup A_n = \mathscr{S}$$

And 
$$(A_i \cap A_i) = \emptyset$$
 for  $i \neq j$ 

## Example

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\{\{1\}, \{2,3\}, \{4,5\}\}\ is a partition of \{1,2,3,4,5\}
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