

Exercises for Analysis of Distributed and Concurrent Systems

Static Analysis of Distributed and Concurrent Systems

Exercise 1: Consider the following ABS codes:

```

Int main1 () {
    Fut<Int> y=a!p();
    Fut<Int> z=a!q();
    await z?;
    await y?;
    return 0;
}

Int main2 () {
    while (*) {
        Fut<Int> y = a!q();
        await y?;
        a!s();
    }
    return 0;
}

Int p () {
    a!r();
    return 0;
}

Int q () {
    y = a!r();
    await y?;
    return 0;
}

Int r () {
    return 9;
}

Int s () {
    return 6;
}

```

We have two initial methods `main1`, `main2`, and some internal methods (`p`, `q`, `r`) invoked from them. To clarify the code, variables `a`, `a1`, `a2` represent different ABS objects already created.

1. Write **all possible MHP pairs** (considering only method names and ignoring the *main* methods) for the three *main* methods, e.g. $p \parallel q$. Note that two concurrent executions of the same method might produce pairs of the form $p \parallel p$.
2. Compute the **local MHP** analysis information and the **MHP graph** of `main1`

1.1

main1

$p \parallel q, q \parallel r, p \parallel r, r \parallel r$

main2

(1s) $s \parallel q, s \parallel r, s \parallel s$

(2s) $s \parallel q, s \parallel q, s \parallel r, s \parallel r, s \parallel s, s \parallel s$

...

1.2

```

1 Int main1 () {
2   Fut<Int> y=a!p();
3   Fut<Int> z=a!q();
4   await z?;
5   await y?;
6   return 0;
7 }

```

$\{ \}$

$\{ y: \tilde{p} \}$

$\{ y: \tilde{p}, z: \tilde{q} \}$

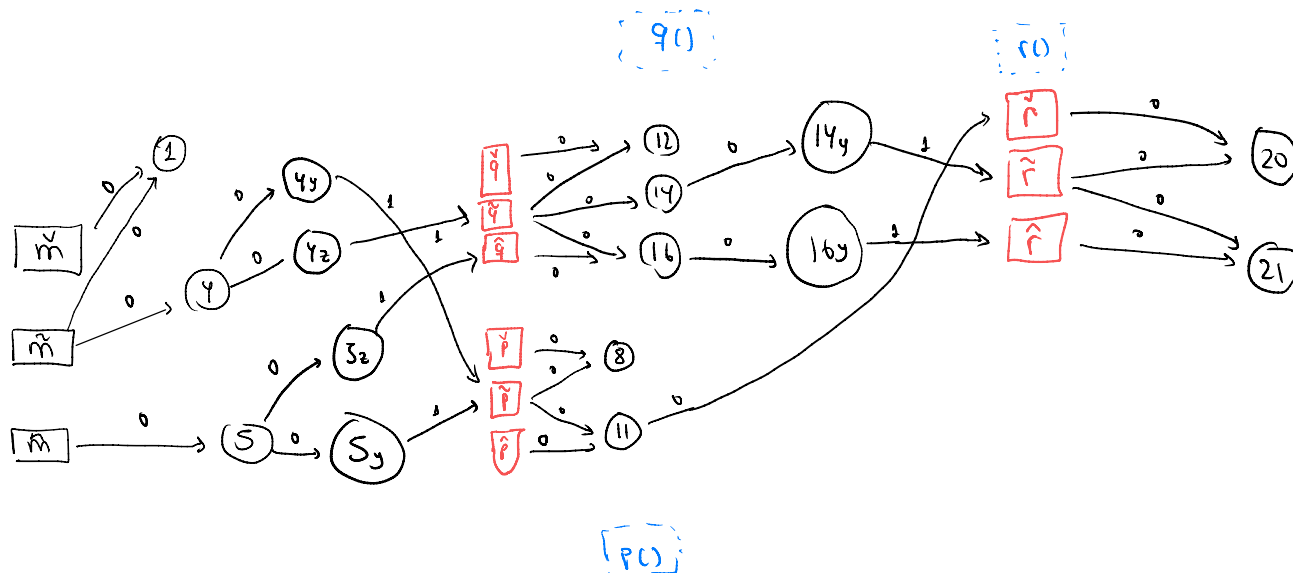
$\{ y: \tilde{p}, z: \hat{q} \}$

$\{ y: \hat{p}, z: \hat{q} \}$

```

8 Int p () {
9   a!r();
10  return 0;
11 }
12 Int q () {
13  y = a!r();
14  await y?;
15  return 0;
16 }
17 Int r () {
18  return 9;
19 }

```



Exercise 2: Consider the following ABS codes:

```

1  main1 () {
2      A a=new A();
3      a!blk1(a);
4  }

6
7  main2 () {
8      I a=new A();
9      I d=new D();
10     a!blk1(d);
11     d!blk1(a);
12 }

14 main3 () {
15     A a=new A();
16     B b=new B();
17     C c=new C();
18     b!blk3(c,a);
19     a!blk2(b);
20 }

22 class A implements I {
23     Unit blk1(I a) {
24         Fut<Unit> f=a!empt();
25         f.get;
26     }
27     Unit blk2(B b) {
28         Fut<Unit> f=b!empt();
29         f.get;
30     }
31     Unit empt() {}
32 }

33
34 class D implements I {
35     Unit blk1(I a) {
36         Fut<Unit> f=a!empt();
37         f.get;
38     }
39     Unit empt() {}
40 }

41
42 interface I {
43     Unit blk1(I a);
44 }

45 class B {
46     Unit blk3(C c,A a) {
47         Fut<Unit> f=c!wait(a);
48         f.get;
49     }
50     Unit empt() {}
51 }

52
53
54 class C {
55     Unit wait(A a) {
56         Fut<Unit> f=a!empt();
57         await f?;
58     }
59 }

```

As before, we have three initial methods `main1`, `main2`, `main3` and three classes `A`, `B` and `C` with their corresponding methods. Draw the dependency graphs and spot **all possible deadlocks** for the three *main* methods.

```

1  main1 () {
2    A a=new A();
3    a!blk1(a);
4  }

6  main2 () {
7    I a=new A();
8    I d=new D();
9    a!blk1(d);
10   a!blk1(a);
11   d!blk1(a);
12 }

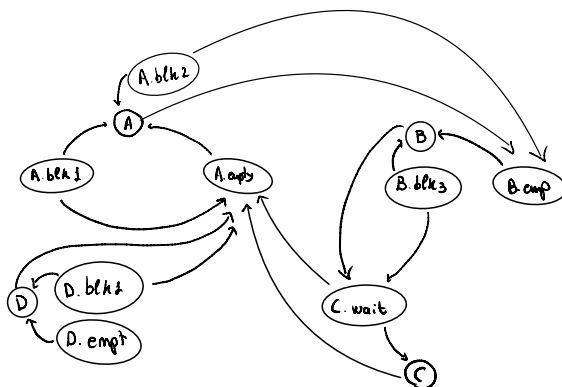
14 main3 () {
15   A a=new A();
16   B b=new B();
17   C c=new C();
18   b!blk3(c,a);
19   a!blk2(b);
20 }

22 class A implements I {
23   Unit blk1(I a) {
24     Fut<Unit> f=a!empt();
25     f.get;
26   }
27   Unit blk2(B b) {
28     Fut<Unit> f=b!empt();
29     f.get;
30   }
31   Unit empt() {}
32 }
33
34 class D implements I {
35   Unit blk1(I a) {
36     Fut<Unit> f=a!empt();
37     f.get;
38   }
39   Unit empt() {}
40 }
41
42 interface I {
43   Unit blk1(I a);
44 }

45 class B {
46   Unit blk3(C c,A a) {
47     Fut<Unit> f=c!wait(a);
48     f.get;
49   }
50   Unit empt() {}
51 }
52
53 class C {
54   Unit wait(A a) {
55     Fut<Unit> f=a!empt();
56     await f?;
57   }
58 }
59

```

t - t
 t - o
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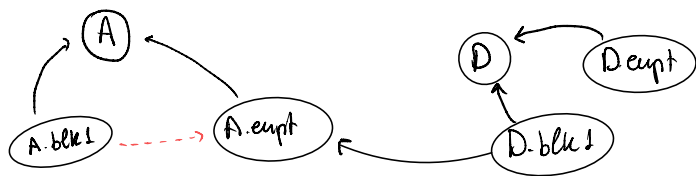


main1

$A \rightarrow A.blk1 \rightarrow A.empt \rightarrow A$; is a possible deadlock

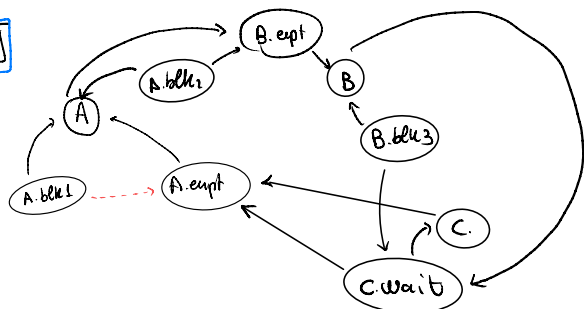
but $A.blk1 \nparallel A.empty \Rightarrow$ main1 is deadlock-free.

main2



\Rightarrow main2 is deadlock-free

main3



$B.blk3 \rightarrow B \rightarrow C.wait \rightarrow A.empt \rightarrow A \rightarrow B.empt \rightarrow B$
 $A.blk2 \rightarrow A \rightarrow B.empt \rightarrow B \rightarrow C.wait \rightarrow A.empt \rightarrow A$

There is a deadlock.

$B.blk3.f.get \parallel A.blk2.f.get$

Exercise 3: Consider the following ABS codes:

```

1  class D {
2      Int m(D b,D c){
3          Fut<Int> f;
4          f=b!n(c);
5          f.get;
6
7          Fut<Int> g;
8          g=c!n(b);
9          return g.get;
10     }
11     Int p(){
12         return 1;
13     }
14     Int n(D c){
15         Fut<Int> f;
16         f=c!p();
17         return f.get;
18     }
19
20     Unit exec (Di o1, Di o2, Di o3){
21         Fut<Int> f;
22         f=o1!m(o2,o3);
23     }
24 }
25 class Factory {
26     Di created () {
27         return new D();
28     }
29 }
30 { // Main method
31     FactoryI f1 = new Factory();
32     FactoryI f2 = new Factory();
33     FactoryI f3 = new Factory();
34
35     Di o1 = f1.created();
36     Di o2 = f2.created();
37     Di o3 = f3.created();
38
39     Di mm = new D();
40     mm.exec(o1,o2,o3);
41 }

```

Considering the analyses studied in the lecture, that is, MHP, Deadlock and Points-to analysis, please:

1. Identify a possible deadlock cycles (ignoring the MHP information) by drawing the deadlock dependency graph including the points-to information ($k = 1$) with o_l where l is the allocation site (using the number of the line of code where the object is created).
2. Now, increments the precision of the points-to analysis to $k = 2$ and include the MHP information to the deadlock analysis. Is the cycle a “feasible cycle” of it can be discarded by using the new information information?