$$(x_{m-\alpha}) = 0 \longrightarrow (x_{m-\alpha}) = 0 \longrightarrow (x_{m-\alpha}) = 0 \longrightarrow x_{m-\alpha} = 0 \longrightarrow x_{m-\alpha} = 0 \longrightarrow x_{m-\alpha} = 0 \longrightarrow x_{m-\alpha} = 0 \longrightarrow (x_{m+\alpha}) = 0 \longrightarrow (x_{$$

ا تحادها :

$$(a-b)(a+b) = a'-b'$$

$$a'+b' = (a+b)' - 'ab$$

$$a''+b'' = (a+b)'' - 'ab(a+b)$$

$$a''+b'' = (a+b)(a'+b'-ab)$$

$$a''+b'' = (a-b)(a'+b'-ab)$$

$$a''-b'' = (a-b)'' + ''ab(a-b)$$

$$a''-b'' = (a-b)(a'+b'+ab)$$

Lamin, as: 
$$S = x_1 + x_2 = -\frac{yb}{ya} = -\frac{b}{a}$$

Lamin,  $v = \frac{b' - b' + fac}{fa'} = \frac{c}{a}$ 

Lamin,  $v = \frac{b' - b' + fac}{fa'} = \frac{c}{a}$ 

Lamin,  $v = \frac{b' - b' + fac}{fa'} = \frac{c}{a}$ 

Lamin,  $v = \frac{b' - b' + fac}{fa'} = \frac{c}{a}$ 

Lamin,  $v = \frac{b' - b' + fac}{fa'} = \frac{c}{a}$ 

Lamin,  $v = \frac{b' - b' + fac}{fa'} = \frac{c}{a}$