

# Module **LinearAlgebra**

## Functions

```
def add_object_align_init(context, operator)

def createFaces(vertIdx1, vertIdx2, closed=False, flipped=False)

def create_mesh_object(context, verts, edges, faces, name)

def draw_parametric_surface(eq,
                             range_u_min,
                             range_u_max,
                             range_u_step,
                             range_v_min,
                             range_v_max,
                             range_v_step,
                             name,
                             wrap_u=False,
                             wrap_v=False,
                             close_v=False)

def object_data_add(context, obdata, operator=None, name=None)
```

## Classes

```
class Color (r, g, b, name)
```

Class that defines a color in RGB format

```
class Colors
```

Class that defines a list of colors by name

### Class variables

```
var colorsbyname
```

The type of the None singleton.

### Static methods

```
def color(name)
```

Function that returns a color from his name

### Parameters

name: name of the color

```
def colors(names)
```

Return a list of colors from their names

## Parameters

names: list of names

```
class EuclideanReference (o=Vector((0.0, 0.0, 0.0)),  
                          u1=Vector((1.0, 0.0, 0.0)),  
                          u2=Vector((0.0, 1.0, 0.0)))
```

Class used to work with Euclidean References

Initializes the elements of the reference from the origin and two independent vectors

## Parameters

o: origin of u1, u2: vectors

## Methods

```
def base(self)
```

Returns the columns of the matrix

```
def coordinates(self, u=Vector((0.0, 0.0, 0.0)))
```

Returns the coordinates of a point (expressed in the canonical reference) in the actual reference

## Parameters

u: coordinates of a point in the canonical reference

```
class LinearAlgebra
```

Class used to define all the functions in this module to work with graphics in Blender

Initializes the values for scene, objects, meshes, collection, etc.

## Methods

```
def add_ligth(self, location=[0, 0, 100], energy=3, direction=[0, 0, -1])
```

Adds a lighth to the scene

## Parameters

location: location point of the light

energy: energy of the lighth

direction: direction of the light

```
def add_lights(self, energy=1)
```

Adds diferent lights to the scene

## Parameters

energy: energy of the lights

```
def add_material(self, obj, material_name, r, g, b, opacity=1.0)
```

Adds a material and color to an object

## Parameters

obj: object

material\_name: material's name

r, g, b: RGB color values

opacity: the opacity

```
def animate_revolution_surface(self,
                                fun=None,
                                tmin=0.0,
                                tmax=1.0,
                                steps=256,
                                curvethicknes=0.025,
                                thickness=0.025,
                                frames=3,
                                angle=3,
                                radians=False,
                                axis='Z',
                                symmetry=None,
                                name='Revolution surface',
                                color='AzureBlueDark',
                                point=None)
```

Draws and animates a revolution surface from a curve

## Parameters

fun: parametric equation of the curve

steps: number of steps to draw the curve

curvethicknes: thickness of the curve

frames: number of frames at each step of revolution

angle: step angle of the revolution

radians: if True, angle must be in radians

axis: axis of revolution. It must be 'X', 'Y' or 'Z'

symmetry: symmetry used to draw the curve

name: name of the surface

color: color of the surface

point: if not None draw three points and a circle. Must be a float between tmax and tmin

```
def base_adaptada(self,
                   origin=Vector((0.0, 0.0, 0.0)),
                   axis=Vector((1.0, 1.0, 1.0)),
                   length=15,
                   scale=0.04,
                   name='Base adaptada')
```

Draws an orthonormal base from vector axis with origin in the point origin and sets the default origin and default base to them

## Parameters

origin: origin of the vector and the base

axis: first vector of the base

length: length of the axis

scale: scale of the base

name: name of the base

```
def base_canonica(self,
                  origin=Vector((0.0, 0.0, 0.0)),
                  length=15,
                  scale=0.04,
                  zaxis=True,
                  name='Base canònica')
```

Draws the canonical base

## Parameters

origin: point where to represent the base

length: length of the axis

scale: scale of the cylinder

zaxis: if False the z axis is not drawn

name: name of the object

```
def base_canonica_white(self,
                        origin=Vector((0.0, 0.0, 0.0)),
                        length=20,
                        scale=0.04,
                        zaxis=True,
                        name='Base canònica')
```

Draws the canonical base in white

## Parameters

origin: point where to represent the base

length: length of the axis

scale: scale of the cylinder

zaxis: if False the z axis is not drawn

name: name of the object

```
def base_cilinder(self)
```

Draws a base cilinder with radius 1 and depth 1

```
def base_cone(self)
```

Draws a base cone with radius1=1.5, radius2=0, depth=2

```
def base_disk(self)
```

Draws a base cone with radius1=1.5, radius2=0, depth=2

```
def base_is_canonica(self)
```

Returns True if self.base is the canonical basis

```
def base_no_canonica(self,
                    origin=Vector((0.0, 0.0, 0.0)),
```

```

u1=Vector((1.0, -1.0, 0.0)),
u2=Vector((0.5, -0.5, -0.5)),
u3=Vector((-1.0, 0.0, 1.0)),
length=12,
scale=0.04,
preserve=False,
name="Base B'")

```

Draws the base  $\{u_1, u_2, u_3\}$  with origin in the point origin and sets the default origin and default base to them

## Parameters

origin: origin of the vector and the base

u1, u2, u3: vectors of the base

length: length of the axis

scale: scale of the base

name: name of the base

preserve:

```

def canvi_base(self,
    vector=Vector((8.0, -6.0, 7.0)),
    u1=Vector((-0.3333333432674408, -0.6666666865348816, 0.6666666865348816)),
    u2=Vector((0.6666666865348816, 0.3333333432674408, 0.6666666865348816)),
    u3=Vector((-0.6666666865348816, 0.6666666865348816, 0.3333333432674408)),
    length=12)

```

Draw the components of a vectors in the canonical base and in the base  $\{u_1, u_2, u_3\}$ . Sets the default origin and default base to them

## Parameters

vector: vector to draw

u1, u2, u3: vectors of the base

length: length of the axis

```

def canvi_coordenades(self,
    punt=Vector((8.0, -6.0, 7.0)),
    origin=Vector((-2.0, 3.0, 3.0)),
    u1=Vector((-0.3333333432674408, -0.6666666865348816, 0.6666666865348816)),
    u2=Vector((0.6666666865348816, 0.3333333432674408, 0.6666666865348816)),
    u3=Vector((-0.6666666865348816, 0.6666666865348816, 0.3333333432674408)),
    canonica=False,
    length=12,
    radius=0.1)

```

Draw the coordinates of a point in the canonical reference and in the reference  $\{o; u_1, u_2, u_3\}$ . Sets the default origin and default base to them

## Parameters

punt: point to draw

origin: origin of the reference

u1, u2, u3: vectors of the base

canonica: if True, the coordinates of punt are in the canonical reference

length: length of the axis

```
def cilindre(self,
             centre=Vector((0.0, 0.0, 0.0)),
             radi=1,
             height=5,
             eix='Z',
             color='AzureBlueDark',
             circlecolor='Blue')
```

Draws a bounded cylinder with direction eix Parameters:

centre: center of the cylinder

radi: radius

height: height

eix: X, Y, Z or a vector

color: color of the cylinder

circlecolor: color of the two circles of a bounded cylinder

```
def cilindre_elliptic(self,
                     o=[0, 0, 0],
                     u1=[1, 0, 0],
                     u2=[0, 1, 0],
                     a2=1,
                     b2=1,
                     principal=True,
                     canonica=True,
                     color='AzureBlueDark',
                     name='EllipticCylinder',
                     zmax=20,
                     cmax=20,
                     pmax=15,
                     thickness=0.02,
                     opacity=1.0,
                     preserve=True)
```

Draws an elliptic cylinder

## Parameters

o: center of the elliptic cylinder

u1, u2: the principal basis {v1, v2, v3} is constructed from this vectors

a2, b2: squares of semi-axes of the elliptic cylinder. The equation is  $x'^2/a^2 + y'^2/b^2 = 1$

principal: if True, the principal axis are drawn

canonica: if True, the canonical axis are drawn

color: color of the surface

name: name of the elliptic cylinder

zmax: the elliptic cylinder is drawn between -zmax and zmax

cmax: the canonical axis are drawn between -cmax and cmax

pmax: the principal axis are drawn between -cmax and cmax

thickness: thickness of the elliptic cylinder

opacity: opacity of the elliptic cylinder

preserve: Keep self.origin and self.base as the principal reference

```
def cilindre_elliptic_simple(self, a=10, b=6, direccio='Z', pmax=20)
```

Draws an elliptic cylinder with direction X, Y or Z

## Parameters

a, b: semiaxis of the ellipse

direction: direction of translation of the ellipse

pmax = height of the cylinder

```
def cilindre_hiperbolic(self,
                        o=[0, 0, 0],
                        u1=[1, 0, 0],
                        u2=[0, 1, 0],
                        a2=1,
                        b2=1,
                        principal=True,
                        canonica=True,
                        color='AzureBlueDark',
                        name='Hyperbolic Cylinder',
                        xmax=None,
                        zmax=15,
                        cmax=15,
                        pmax=15,
                        thickness=0.02,
                        opacity=1.0,
                        preserve=True)
```

Draws an hyperbolic cylinder

## Parameters

o: center of the hyperbolic cylinder

u1, u2: the principal basis  $\{v_1, v_2, v_3\}$  is constructed from this vectors

a2, b2: squares of semi-axes of the hyperbolic cylinder. The equation is  $x'^2/a^2 - y'^2/b^2 = 1$

principal: if True, the principal axis are drawn

canonica: if True, the canonical axis are drawn

color: color of the surface

name: name of the hyperbolic cylinder

xmax: maximum value of the x coordinate

zmax: the hyperbolic cylinder is drawn between -zmax and zmax

cmax: the canonical axis are drawn between -cmax and cmax

pmax: the principal axis are drawn between -cmax and cmax

thickness: thickness of the hyperbolic cylinder

opacity: opacity of the hyperbolic cylinder

preserve: Keep self.origin and self.base as the principal reference

```
def cilindre_hiperbolic_simple(self, a=4, b=3, direccio='Z', pmax=15, hmax=20)
```

Draws an hyperbolic cylinder with direction X, Y or Z

## Parameters

a, b: semiaxis of the hyperbole

direccio: direction of translation of the hyperbole

pmax = maximum value of the independent variable

hmax = height of the cylinder

```
def cilindre_parabolic(self,
                        o=[0, 0, 0],
                        u1=[1, 0, 0],
                        u2=[0, 1, 0],
                        p=1,
                        principal=True,
                        canonica=True,
                        color='AzureBlueDark',
                        name='ParabolicCylinder',
                        xmax=12,
                        ymax=30,
                        cmax=20,
                        pmax=20,
                        thickness=0.02,
                        opacity=1.0,
                        preserve=True)
```

Draws an hyperbolic paraboloid

## Parameters

o: vertex of the hyperbolic paraboloid

u1, u2: the principal basis {v1, v2, v3} is constructed from this vectors

p: Parameter of the cylinder  $z' = x'^2/(2*p)$

principal: if True, the principal axis are drawn

canonica: if True, the canonical axis are drawn

color: color of the surface

name: name of the elliptic paraboloid

xmax: maximum value of the coordinate x

ymax: maximum value of the coordinate y

cmax: the canonical axis are drawn between -cmax and cmax

pmax: the principal axis are drawn between -cmax and cmax

thickness: thickness of the hyperbolic paraboloid

opacity: opacity of the hyperbolic paraboloid

preserve: Keep self.origin and self.base as the principal reference

```
def cilindre_parabolic_simple(self, a=3, direccio='Z', pmax=12, hmax=45)
```

Draws a parabolic cylinder with direction X, Y or Z

## Parameters

a: the initial parabola has equation of type  $z = \pm x^2/a^2$

direccio: direction of translation of the parabola

pmax = maximum value of the independent variable

hmax = height of the cylinder

```
def clear(self)
```

Clears and removes all the elements



```
def components_in_base(self, vector=None, base=None)
```

Returns the components of the vector 'vector' in the basis determined by self.rotation and the basis self.base

## Parameters

vector: components of the vector in the canonical basis

base: A base of  $V_3$ . If None, we use self.base

```
def con(self,  
        o=[0, 0, 0],  
        u1=[1, 0, 0],  
        u2=[0, 1, 0],  
        a2=1,  
        b2=1,  
        c2=1,  
        half=False,  
        principal=True,  
        canonica=True,  
        color='AzureBlueDark',  
        name='Cone',  
        xmax=None,  
        cmax=15,  
        pmax=15,  
        thickness=0.02,  
        opacity=1.0,  
        preserve=True)
```

Draws a cone

## Parameters

o: center of the cone

u1, u2: the principal basis  $\{v_1, v_2, v_3\}$  is constructed from this vectors

a2, b2, c2: squares of semi-axes of the cone. The equation is  $x'^2/a^2 + y'^2/b^2 - z'^2/c^2 = 0$

half: if True draws half cone

principal: if True, the principal axis are drawn

canonica: if True, the canonical axis are drawn

color: color of the surface

name: name of the cone

xmax: maximum value of the x coordinate

cmax: the canonical axis are drawn between -cmax and cmax

pmax: the principal axis are drawn between -pmax and pmax

thickness: thickness of the cone

opacity: opacity of the cone

preserve: Keep self.origin and self.base as the principal reference

```
def con_cilindre_elliptic(self, a2=1, b2=1, c2=1, x0=5, a=8, b=5, zmax=15)
```

Draws a cone with vertex at (0,0,0) and equation  $x^2/a^2 + y^2/b^2 - z^2/c^2 == 0$ , an elliptic cylinder and their intersection

## Parameters

a2, b2, c2: coefficients of the equation of the cone

x0: (x0,0,0) is the center of the ellipse in the plain XY

a, b: semiaxis of this ellipse

zmax: maximum value of the z coordinate

```
def con_revolucio(self, a=1.5, pmax=8, direccio='Z', punt=None)
```

Draws an animation showing a cone of revolution a: slope of the initial straight line

pmax: maximum value of the independent variable

direccio: 'X', the initial line is in the plane YX and rotates around the X axis  
'Y', the initial line is in the plane ZY and rotates around the Y axis  
'Z', the initial line is in the plane XZ and rotates around the Z axis

punt: if it's a value between -pmax and pmax, the animation shows a rotating point

```
def con_simple(self, a=4, b=3, c=2, direccio='Z', pmax=12)
```

Draws a con with direction X, Y or Z

## Parameters

a, b, c: semiaxis of the cone

direccio: direction of the negative coefficient

pmax = maximum value of the independent variables

hmax = height of the cone

```
def cone(self,  
    o=[0, 0, 0],  
    u1=[1, 0, 0],  
    u2=[0, 1, 0],  
    a2=1,  
    b2=1,  
    c2=1,  
    half=False,  
    principal=True,  
    canonica=True,  
    color='AzureBlueDark',  
    name='Cone',  
    xmax=None,  
    cmax=15,  
    pmax=15,  
    thickness=0.02,  
    opacity=1.0,  
    preserve=True)
```

Draws a cone

## Parameters

o: center of the cone

u1, u2: the principal basis {v1, v2, v3} is constructed from this vectors

a2, b2, c2: squares of semi-axes of the cone. The equation is  $x'^2/a^2 + y'^2/b^2 - z'^2/c^2 = 0$

half: if True draws half cone

principal: if True, the principal axis are drawn

canonica: if True, the canonical axis are drawn

color: color of the surface

name: name of the cone

xmax: maximum value of the x coordinate

cmax: the canonical axis are drawn between -cmax and cmax

pmax: the principal axis are drawn between -pmax and pmax

thickness: thickness of the cone

opacity: opacity of the cone

preserve: Keep self.origin and self.base as the principal reference

```
def coordinates_en_canonica(self, point=None)
```

Returns the coordinates of the point 'point' in the reference determined by self.origin, self.rotation and the basis self.base

## Parameters

point: coordinates of the point in the reference {self.origin;self.base}

```
def coordinates_en_referencia(self, point=None)
```

Returns the coordinates of the point 'point' in the reference determined by self.origin, self.rotation and the basis self.base

## Parameters

point: coordinates of the point in the canonical reference

```
def curve(self,  
          fun=None,  
          tmin=0.0,  
          tmax=1.0,  
          steps=25,  
          thickness=0.01,  
          name='Curve',  
          color='White',  
          axis=False,  
          zaxis=True,  
          o=Vector((0.0, 0.0, 0.0)),  
          u1=Vector((1.0, 0.0, 0.0)),  
          u2=Vector((0.0, 1.0, 0.0)),  
          symmetry=None,  
          change=False)
```

Draws a curve in a reference  $R'$  determined by the origin  $o$  and basis  $\{v_1, v_2, v_3\}$  constructed from  $u_1$  and  $u_2$  and the symmetric curve or curves from the parameter 'symmetry'

## Parameters

fun: the parametric function

tmin: minimum value of the parameter

tmax: maximum value of the parameter

steps: number of steps

thickness: thickness of the curve

name: name of the curve

color: color of the curve

axis: if True draws the axis of the reference  $R'$

zaxis: if True draws the  $z'$  axis

o: origin of the reference R'

u1, u2: vectors to construct the basis {v1, v2, v3}

symmetry: list of values in ('XY','XZ','YZ','X','Y','Z','O'). For every value S, draw the symmetric curve respect to S

change: if True, set the reference self.origin, self.base to {o; v1, v2, v3}

```
def delete_base_cilinder(self)
```

Removes the base cilinder

```
def delete_base_cone(self)
```

Removes the base cone

```
def delete_base_disk(self)
```

Removes the base disk

```
def distancia_rectes_encreuen(self,  
                                p0=Vector((3.0, 4.0, -2.0)),  
                                v0=Vector((1.0, 2.0, 3.0)),  
                                c0='Black',  
                                n0='Primera recta',  
                                p1=Vector((-3.0, 4.0, 1.0)),  
                                v1=Vector((1.0, -2.0, -1.0)),  
                                c1='Blue',  
                                n1='Segona recta',  
                                canonica=True,  
                                length=12,  
                                size=15,  
                                scale=0.03)
```

Draws the distance between two affine lines

## Parameters

p0: point of the first line

v0: generator of the first line

c0: color of the first line

n0: name of the first line

p1: point of the second line

v1: generator of the second line

c1: color of the second line

n1: name of the second line

canonica: if True, draws the x, y and z axis

length: length of the axis x, y and z

size: lenght of the lines

```
def draw_base_axis(self, scale=0.05, head_height=0.15, axis=0, name='Axis', positive=True, zaxis=True)
```

Draws a reference axis given by self.origin, self.rotation and the basis self.base

## Parameters

scale: scale of the cylinder

head\_height: height of the head of the vector from self.base

axis: length of the coordinate axis. If the length is 0, only the basis vectors are drawn

name: name of the result object

positive: if True, draw the positive part of the axis

zaxis: if True, draw the z axis

```
def draw_circle(self,
                center=[0, 0, 0],
                u1=Vector((1.0, 0.0, 0.0)),
                u2=Vector((0.0, 1.0, 0.0)),
                axis=False,
                zaxis=False,
                radius=1,
                steps=128,
                thickness=0.01,
                name='Circle',
                color='White',
                fillcolor=None,
                change=False)
```

Draws a circle of center 'center' and radius 'radius' in the plane determined by vectors u1 and u2

## Parameters

center: center of the circle

u1, u2: vectors to construct the basis {v1, v2, v3}

axis: if True draws the axis of the reference R'

zaxis: if True draws the z' axis

radius: radius of the circle

steps: number of steps

thickness: thickness of the curve

name: name of the curve

color: color of the curve

change: if True, set the reference self.orifin, self.base to {o; v1, v2, v3}

```
def draw_components(self, vector=None, color='Cyan', name='Components', scale=0.0075)
```

Draws the components of the the vector 'vector' in the reference given by self.origin, self.rotation and the basis self.base

## Parameters

vector: the vector

color: color of the lines of components

name: name of the object

scale: scale of the lines

```
def draw_cone(self,
              a=1.0,
              xmin=0.0,
              xmax=5.0,
              steps=50,
              scale=[1, 1, 1],
              half=False,
              color='AzureBlueDark',
              name='Cone',
```

```
opacity=1.0,  
thickness=0.05)
```

Draws a cone from the line  $z = a \cdot x$  in the XZ plane

## Parameters

a: slope of the line

xmin: minimum value of x

xmax: maximum value of x

steps: numbers of steps to draw the parabola

scale: scaling factors in the X, Y and Z directions

half: if True, draws half cone

color: color of the surface

name: name of the surface

opacity: opacity of the surface

thickness: thickness of the surface

```
def draw_cube(self,  
               origin=None,  
               scale=[1, 1, 1],  
               scalelines=0.05,  
               vectors=False,  
               color='Blue',  
               linecolor='Red',  
               vectorcolor='Black',  
               name='Parallelepiped',  
               opacity=1.0,  
               thickness=0.0)
```

Draws a rectangular parallelepiped

## Parameters

origin: center of the parallelepiped

scale: scale of the sides of the parallelepiped

scalelines: scale of the edges of the parallelepiped

vectors: if True, draws vectors from the origin to the vertices

color: color of the parallelepiped

linecolor: color of the edges

vectorcolor: color of the vectors

name: name of the parallelepiped

opacity: opacity of the parallelepiped

thickness: thickness of the parallelepiped

```
def draw_curve(self,  
               fun=None,  
               tmin=0.0,  
               tmax=1.0,  
               steps=25,  
               thickness=0.01,  
               name='Curve',
```

```

        color='White',
        axis=False,
        zaxis=True,
        o=Vector((0.0, 0.0, 0.0)),
        u1=Vector((1.0, 0.0, 0.0)),
        u2=Vector((0.0, 1.0, 0.0))

```

Draws a curve in a reference  $R'$  determined by the origin  $o$  and basis  $\{v_1, v_2, v_3\}$  constructed from  $u_1$  and  $u_2$

## Parameters

fun: the parametric function

tmin: minimum value of the parameter

tmax: maximum value of the parameter

steps: number of steps

thickness: thickness of the curve

name: name of the curve

color: color of the curve

axis: if True draws the axis of the reference  $R'$

zaxis: if True draws the  $z'$  axis

o: origin of the reference  $R'$

$u_1, u_2$ : vectors to construct the basis  $\{v_1, v_2, v_3\}$

```

def draw_disk(self,
                center=Vector((0.0, 0.0, 0.0)),
                radius=5,
                u1=Vector((1.0, 0.0, 0.0)),
                u2=Vector((0.0, 1.0, 0.0)),
                thickness=0.01,
                name='Disc',
                color='AzureBlueDark')

```

Draws a disc in a reference  $R'$  determined by  $\text{self.origin}$  and  $\text{self.base}$

## Parameters

radius: radius of the disc

thickness: thickness of the surface

name: name of the curve

color: color of the curve

```

def draw_ellipse(self,
                  center=[0, 0, 0],
                  u1=Vector((1.0, 0.0, 0.0)),
                  u2=Vector((0.0, 1.0, 0.0)),
                  a=1,
                  b=1,
                  axis=False,
                  zaxis=False,
                  steps=25,
                  thickness=0.01,
                  name='Ellipse',
                  color='White',
                  change=False)

```

Draws an ellipse of center 'center' and semi-axes a and b in the plane determined by vectors u1 and u2

## Parameters

center: center of the ellipse

u1, u2: vectors to construct the basis {v1, v2, v3}

a, b: semi-axes of the ellipse

axis: if True draws the axis of the reference R'

zaxis: if True draws the z' axis

steps: number of steps

thickness: thickness of the curve

name: name of the curve

color: color of the curve

change: if True, set the reference self.orifin, self.base to {o; v1, v2, v3}

```
def draw_ellipsoid(self,
                    radius=5.0,
                    scale=[1.2, 1.8, 0.8],
                    color='AzureBlueDark',
                    name='Ellipsoid',
                    opacity=1.0,
                    thickness=0.05)
```

Draws an ellipsoid

## Parameters

radius: radius of the sphere

scale: scaling factors in the X, Y and Z directions

color: color of the surface

name: name of the surface

opacity: opacity of the surface

thickness: thickness of the surface

```
def draw_elliptic_cylinder(self,
                            a=8.0,
                            b=5.0,
                            amin=0.0,
                            amax=6.283185307179586,
                            length=20,
                            steps=200,
                            scale=[1, 1, 1],
                            color='AzureBlueDark',
                            name='EllipticCylinder',
                            opacity=1.0,
                            thickness=0.05)
```

Draws an elliptic cylinder from the ellipse  $x = a \cos(t)$   $y = b \sin(t)$  in the XY plane

## Parameters

a, b: coefficients of the ellipse

amin: minimum value of the angle t



amax: maximum value of the angle  $t$

length: length in the Z direction

steps: numbers of steps to draw the parabola

scale: scaling factors in the X, Y and Z directions

color: color of the surface

name: name of the surface

opacity: opacity of the surface

thickness: thickness of the surface

```
def draw_elliptic_paraboloid(self,
                             a=0.5,
                             xmin=0.0,
                             xmax=3.0,
                             steps=50,
                             scale=[1, 1, 1],
                             color='AzureBlueDark',
                             name='EllipticParaboloid',
                             opacity=1.0,
                             thickness=0.05)
```

Draws an elliptic paraboloid from the parabola  $z=a*t^2$

## Parameters

a: coefficient of the parabola

xmin: minimum value of x

xmax: maximum value of x

steps: numbers of steps to draw the parabola

scale: scaling factors in the X, Y and Z directions

color: color of the surface

name: name of the surface

opacity: opacity of the surface

thickness: thickness of the surface

```
def draw_frenet_curve(self,
                      fun=None,
                      var=None,
                      tmin=0.0,
                      tmax=1.0,
                      radius=0.1,
                      steps=25,
                      thickness=0.01,
                      name='Curve',
                      color='White',
                      point=True,
                      tangent=False,
                      acceleration=False,
                      normal=False,
                      osculator=False,
                      frenet=False,
                      units=False,
                      sizex=8,
                      sizey=8,
```

axis=10)

Draws a curve and diferents elements related to the curve

## Parameters

fun: the parametric function

var = parameter variable of the function fun

tmin: minimum value of the parameter

tmax: maximum value of the parameter

radius: radius of the point

steps: number of steps

frames: increment of the frame set

thickness: thickness of the curve

name: name of the curve

color: color of the curve

point: if True draw a point along the curve

tangent: if True draw the tangent vector along the curve

acceleration: if True draw the acceleration vector along the curve

normal: if True draw the normal vector along the curve

osculator: if True draw the osculating plane along the curve

frenet: if True draw the Frenet trihedron along the curve

units: if True normalize the tangent and normal vectors

size<sub>x</sub>, size<sub>y</sub>: sizes of the osculating plane

axis: length of the coordinate axis

```
def draw_function(self,
                    f=None,
                    xmin=-3,
                    xmax=3,
                    xsteps=64,
                    ymin=-3,
                    ymax=3,
                    ysteps=64,
                    thickness=0.02,
                    opacity=1.0,
                    pmax=10,
                    name='Function',
                    color='AzureBlueDark',
                    axis=False,
                    o=Vector((0.0, 0.0, 0.0)),
                    u1=Vector((1.0, 0.0, 0.0)),
                    u2=Vector((0.0, 1.0, 0.0)))
```

Draws a function of two variables  $f(x,y)$  i the reference  $R' = \{o, v1, v2, v3\}$

## Parameters

f: the function of two variables  $f(x,y)$

xmin: minimum value of x

xmax: maximum value of x

xsteps: steps in the x direction

ymin: minimum value of y

ymax: maximum value of y

ysteps: steps in the y direction

thickness: thickness of the surface

opacity: opacity of the surface

pmax: the axis are drawn between -pmax and pmax

name: name of the surface

color: color of the surface

axis: if True the axis of the reference R' are drawn

o: origin of the reference R'

u1, u2: vectors to construct the basis  $\{v_1, v_2, v_3\}$

```
def draw_hyperbole(self,
                    center=[0, 0, 0],
                    u1=Vector((1.0, 0.0, 0.0)),
                    u2=Vector((0.0, 1.0, 0.0)),
                    a=1,
                    b=1,
                    ymax=3.0,
                    axis=False,
                    zaxis=False,
                    steps=25,
                    thickness=0.01,
                    name='Hyperbole',
                    color='White',
                    change=False)
```

Draws an hyperbole of center 'center' and semi-axes a and b in the plane determined by vectors u1 and u2

## Parameters

center: center of the hyperbole

u1, u2: vectors to construct the basis  $\{v_1, v_2, v_3\}$

a, b: semi-axes of the hyperbole

ymax: maximum value of the y'

axis: if True draws the axis of the reference R'

zaxis: if True draws the z' axis

steps: number of steps

thickness: thickness of the curve

name: name of the curve

color: color of the curve

change: if True, set the reference self.origin, self.base to  $\{o; v_1, v_2, v_3\}$

```
def draw_hyperbolic_cylinder(self,
                             a=1.0,
                             b=4.0,
                             xmin=2.0,
                             xmax=6.0,
                             length=20,
                             steps=50,
```

```

        scale=[1, 1, 1],
        color='AzureBlueDark',
        name='HyperbolicCylinder',
        opacity=1.0,
        thickness=0.05)

```

Draws an hyperbolic cylinder from the hyperbole  $y = a * \sqrt{x^2 - b}$  in the XY plane

## Parameters

a, b: coefficients of the hyperbole

xmin: minimum value of x

xmax: maximum value of x

length: length in the Z direction

steps: numbers of steps to draw the parabola

scale: scaling factors in the X, Y and Z directions

color: color of the surface

name: name of the surface

opacity: opacity of the surface

thickness: thickness of the surface

```

def draw_hyperbolic_paraboloid(self,
                                a=0.2,
                                b=0.4,
                                xmax=10.0,
                                ymax=10.0,
                                steps=64,
                                scale=[1, 1, 1],
                                color='AzureBlueDark',
                                name='HyperbolicParaboloid',
                                opacity=1.0,
                                thickness=0.05)

```

Draws an hyperbolic paraboloid with equation  $z = ax^2 - by^2$

## Parameters

a, b: coefficients of the parabolic hyperboloid

xmax: maximum value of x

ymax: maxim value y

steps: numbers of steps to draw the parabola

scale: scaling factors in the X, Y and Z directions

color: color of the surface

name: name of the surface

opacity: opacity of the surface

thickness: thickness of the surface

```

def draw_line(self,
               start=[1, 1, 1],
               end=[10, 10, 10],
               scale=0.05,
               name='Line',
               color='Black',

```

segment=False)

Draws a line from the point start to the point end. The reference given by self.origin, self.rotation and the basis self.base is used

## Parameters

start: starting point of the line

end: ending point of the line

scale: scale of the cylinder

name: name of the object

color: color of the vector

segment: if True, draw points start and end

```
def draw_mesh(self, mesh=None, name='Mesh', color='Blue', opacity=1)
```

Draws a mesh. This function is used by other functions

## Parameters

mesh: the mesh to be drawn

name: name of the mesh

color: color of the mesh

opacity: opacity of the mesh

```
def draw_one_sheet_hyperboloid(self,  
                                a=2.0,  
                                b=2.0,  
                                xmin=1.4142135623730951,  
                                xmax=5.0,  
                                steps=256,  
                                scale=[1, 1, 1],  
                                color='AzureBlueDark',  
                                name='HyperboloidOneSheet',  
                                opacity=1.0,  
                                thickness=0.05)
```

Draws a one sheet hyperboloid from the hyperbole  $z = \pm a\sqrt{x^2-b}$  in the XZ plane

## Parameters

a, b: coefficients of the hyperbole

xmin: minimum value of x

xmax: maximum value of x

steps: numbers of steps to draw the parabola

scale: scaling factors in the X, Y and Z directions

color: color of the surface

name: name of the surface

opacity: opacity of the surface

thickness: thickness of the surface

```
def draw_parabola(self,  
                  vertex=[0, 0, 0],  
                  u1=Vector((1.0, 0.0, 0.0)),
```

```

u2=Vector((0.0, 1.0, 0.0)),
a=1,
xmax=3.0,
axis=False,
zaxis=False,
steps=25,
thickness=0.01,
name='Parabola',
color='White',
change=False)

```

Draws a parabola of vertex 'vertex' of equation  $y'=ax'^2$  in the reference {vertex; v1, v2, v3} determined by vectors u1 and u2

## Parameters

vertex: vertex of the parabola

u1, u2: vectors to construct the basis {v1, v2, v3}

a: coefficient of the parabola

xmax: maximum value of x'

axis: if True draws the axis of the reference R'

zaxis: if True draws the z' axis

steps: number of steps

thickness: thickness of the curve

name: name of the curve

color: color of the curve

change: if True, set the reference self.orifin, self.base to {o; v1, v2, v3}

```

def draw_parabolic_cylinder(self,
                             p=0.25,
                             xmin=0.0,
                             xmax=6.0,
                             length=20,
                             steps=50,
                             scale=[1, 1, 1],
                             color='AzureBlueDark',
                             name='ParabolicCylinder',
                             opacity=1.0,
                             thickness=0.05)

```

Draws a parabolic cylinder from the parabola  $z=p*x^2$  in the XZ plane

## Parameters

p: coefficient of the parabola

xmin: minimum value of x

xmax: maximum value of x

length: length in the Y direction

steps: numbers of steps to draw the parabola

scale: scaling factors in the X, Y and Z directions

color: color of the surface

name: name of the surface

opacity: opacity of the surface

thickness: thickness of the surface

```
def draw_parallelepiped(self,
                        origin=[0, 0, 0],
                        u1=[1, 0, 0],
                        u2=[0, 1, 0],
                        u3=[0, 0, 1],
                        scalelines=0.025,
                        color='AzureBlueDark',
                        linecolor='OrangeObscureDull',
                        name='Parallelepiped',
                        opacity=1.0,
                        thickness=0.0)
```

Draws a parallelepiped

## Parameters

origin: base vertex of the parallelepiped

u1, u2, u3: vectors that gives the edges

scalelines: scale of the edges of the parallelepiped

color: color of the parallelepiped

linecolor: color of the edges

name: name of the parallelepiped

opacity: opacity of the parallelepiped

thickness: thickness of the parallelepiped

```
def draw_parallelogram(self,
                       origin=[0, 0, 0],
                       u1=[1, 0, 0],
                       u2=[0, 1, 0],
                       scalelines=0.025,
                       color='AzureBlueDark',
                       linecolor='OrangeObscureDull',
                       name='Parallelogram',
                       opacity=1.0,
                       thickness=0.0)
```

Draws a parallelogram

## Parameters

origin: base vertex of the parallelogram

u1, u2: vectors that gives the edges

scalelines: scale of the edges of the parallelogram

color: color of the parallelogram

linecolor: color of the edges

name: name of the parallelogram

opacity: opacity of the parallelogram

thickness: thickness of the parallelogram

```
def draw_plane(self,
               normal=None,
```

```

        base=None,
        size_x=10,
        size_y=10,
        color='AzureBlueDark',
        name='Plane',
        opacity=1.0,
        thickness=0.01)

```

Draws a plane with normal vector or base vectors. It passes through the point self.origin. Only normal or base can be not None

## Parameters

normal: normal vector to the plane

base: list of two independent vectors

size\_x: x-size of the plane

size\_y: y-size of the plane

color: color of the plane

name: name of the plane

opacity: opacity of the plane

thickness: thickness of the plane

```

def draw_plane_surface(self,
                        origin=None,
                        normal=None,
                        base=None,
                        size_x=10,
                        size_y=10,
                        vectors=False,
                        scale_lines=0.05,
                        scale_vector=0.03,
                        color='AzureBlueDark',
                        line_color='BlueDarkDull',
                        vector_color='Black',
                        name='Plane',
                        opacity=1.0,
                        thickness=0.0)

```

Draws a plane with normal vector or base vectors. It passes through the point origin. Only normal or base can be not None

## Parameters

origin: a point in the plane

normal: normal vector to the plane

base: list of two independent vectors

size\_x: x-size of the plane

size\_y: y-size of the plane

vectors: if True, draw the generators of the plane

scale\_lines: scale of the lines limiting the plane

scale\_vector: scale of the generators

color: color of the plane

line\_color: color of the lines limiting the plane

vector\_color: color of the generators



name: name of the plane

opacity: opacity of the plane

thickness: thickness of the plane

```
def draw_point(self, radius=0.1, location=(0, 0, 0), name='Point', color='Black', opacity=1.0)
```

Draws a point (in the reference self.origin, self.base)

## Parameters

radius: radius of the point

location: location of the point

name: name of the point

color: color of the point

opacity: opacity of the point

```
def draw_points(self, points=[], name='Points', color='Blue', opacity=1)
```

Draws a list of points

## Parameters

points: list of points

name: name of the list of points

color: color of the points

opacity: opacity of the points

```
def draw_polygon(self,
                  origin=[0, 0, 0],
                  u1=[1, 0, 0],
                  u2=[0, 1, 0],
                  points=[[0, 0], [1, 0], [0, 1]],
                  scalelines=0.075,
                  color='AzureBlueDark',
                  linecolor='OrangeObscureDull',
                  name='Polygon',
                  opacity=1.0,
                  thickness=0.0,
                  vectors=None,
                  scalevectors=0.01)
```

Draws a polygon

## Parameters

origin: base vertex of the polygon

u1, u2: base vectors for the polygon

points: list of coordinates of points. The coordinates are taken in the reference {origin; u1, u2}

scalelines: scale of the edges of the polygon

color: color of the polygon

linecolor: color of the edges

name: name of the polygon

opacity: opacity of the polygon

thickness: thickness of the polygon

```
def draw_pyramid(self,
    origin=[0, 0, 0],
    u1=[1, 0, 0],
    u2=[0, 1, 0],
    u3=[0.5, 0.5, 1],
    scalelines=0.025,
    color='AzureBlueDark',
    linecolor='OrangeObscureDull',
    name='Pyramid',
    opacity=1.0,
    thickness=0.0)
```

Draws a pyramid

## Parameters

origin: base vertex of the pyramid

u1, u2, u3: vectors that gives the edges

scalelines: scale of the edges of the pyramid

color: color of the pyramid

linecolor: color of the edges

name: name of the pyramid

opacity: opacity of the pyramid

thickness: thickness of the pyramid

```
def draw_regular_polygon(self,
    origin=[0, 0, 0],
    u1=[1, 0, 0],
    u2=[0, 1, 0],
    vertexs=5,
    radius=1,
    scalelines=0.075,
    color='AzureBlueDark',
    linecolor='OrangeObscureDull',
    name='RegularPolygon',
    opacity=1.0,
    thickness=0.0,
    vectors=None)
```

Draws a regular polygon

## Parameters

origin: base vertex of the polygon

u1, u2: base vectors for the polygon

vertexs: number of vertices of the polygon

radius: radius of the polygon

scalelines: scale of the edges of the polygon

color: color of the polygon

linecolor: color of the edges

name: name of the polygon

opacity: opacity of the polygon

thickness: thickness of the polygon

```
def draw_simple_curve(self, fun=None, tmin=0.0, tmax=1.0, steps=25, thickness=0.02, color='White',  
                      name='Curve')
```

Draws a parametric curve

## Parameters

fun: the parametric function

tmin: minimum value of the parameter

tmax: maximum value of the parameter

steps: number of steps

thickness: thickness of the curve

color: color of the curve

name: name of the curve

```
def draw_surface(self,  
                  eq=None,  
                  umin=-1,  
                  umax=1,  
                  usteps=64,  
                  vmin=-1,  
                  vmax=1,  
                  vsteps=64,  
                  thickness=0.02,  
                  opacity=1.0,  
                  pmax=10,  
                  name='Surface',  
                  color='AzureBlueDark',  
                  axis=False,  
                  o=Vector((0.0, 0.0, 0.0)),  
                  u1=Vector((1.0, 0.0, 0.0)),  
                  u2=Vector((0.0, 1.0, 0.0)),  
                  wrap_u=False,  
                  wrap_v=False,  
                  close_v=False)
```

Draws a parametric surface in the reference R'

## Parameters

eq: parametric equation  $f(u,v)$

umin: minimum value of u

umax: maximum value of u

usteps: steps in the u direction

vmin: minimum value of v

vmax: maximum value of v

vsteps: steps in the v direction

thickness: thickness of the surface

opacity: opacity of the surface

color: color of the surface

pmax: the principal axis are drawn between -cmax and cmax

name: name of the surface

color: color of the surface

axis: if True draw the axis of the reference {o, v1, v2, v3}

o: origin of the reference R'

u1, u2: vectors to construct the basis {v1, v2, v3}

scale: scale coefficients

wrap\_u: wrap the u coordinate

wrap\_v: wrap the u coordinate

close\_v: close the v coordinate

```
def draw_tetrahedron(self,
                      origin=[0, 0, 0],
                      u1=[2, 0, 0],
                      u2=[1.0000000000000002, 1.7320508075688772, 0],
                      u3=[1.0, 0.5773502691896257, 2],
                      scalelines=0.025,
                      color='AzureBlueDark',
                      linecolor='OrangeObscureDull',
                      name='Tetrahedron',
                      opacity=1.0,
                      thickness=0.0)
```

Draws a tetrahedron

## Parameters

origin: base vertex of the tetrahedron

u1, u2, u3: vectors that gives the edges

scalelines: scale of the edges of the tetrahedron

color: color of the tetrahedron

linecolor: color of the edges

name: name of the tetrahedron

opacity: opacity of the tetrahedron

thickness: thickness of the tetrahedron

```
def draw_triangle(self,
                  origin=[0, 0, 0],
                  u1=[1, 0, 0],
                  u2=[0, 1, 0],
                  points=[[0, 0], [1, 0], [0, 1]],
                  scalelines=0.075,
                  color='AzureBlueDark',
                  linecolor='OrangeObscureDull',
                  name='Triangle',
                  opacity=1.0,
                  thickness=0.0)
```

Draws a triangle. It's a polygon with three vertices

## Parameters

origin: base vertex of the triangle

u1, u2: base vectors for the triangle

points: list of coordinates of points. The coordinates are taken in the reference {origin; u1, u2}

scalelines: scale of the edges of the triangle

color: color of the triangle

linecolor: color of the edges

name: name of the triangle

opacity: opacity of the triangle

thickness: thickness of the triangle

```
def draw_two_sheets_hyperboloid(self,
                                a=2.0,
                                b=1.0,
                                xmin=0.0,
                                xmax=5.0,
                                steps=50,
                                scale=[1, 1, 1],
                                color='AzureBlueDark',
                                name='HyperboloidTwoSheets',
                                opacity=1.0,
                                thickness=0.05)
```

Draws a two sheet hyperboloid from the hyperbole  $z = \pm a * \sqrt{x^2+b}$  in the XZ plane

## Parameters

a, b: coefficients of the hyperbole

xmin: minimum value of x

xmax: maximum value of x

steps: numbers of steps to draw the parabola

scale: scaling factors in the X, Y and Z directions

color: color of the surface

name: name of the surface

opacity: opacity of the surface

thickness: thickness of the surface

```
def draw_vector(self,
                origin=Vector((0.0, 0.0, 0.0)),
                vector=None,
                canonica=False,
                color='Black',
                scale=0.05,
                arrow=True,
                head_height=None,
                axis=0,
                name='Vector',
                positive=True)
```

Draw the vector with components 'vector' trough 'origin'

## Parameters

origin: point of the line

vector: components of the vector

canonica: if True, the components are in the canonical basis, else they are in the basis self.base. Finally, self.rotation is applied

color: color of the vector

scale: scale of the cylinder

arrow: if True draws the vector itself

head\_height: height of the head of the vector

head\_scale: scale of the head of the vector

axis: if not zero, draw also the line generated by the vector

positive: if axis is not zero and positive is True, draw only the positive part of the line generated by the vector

```
def draw_vector_field(self,
                      f=None,
                      xmin=-3,
                      xmax=3,
                      xsteps=8,
                      ymin=-3,
                      ymax=3,
                      ysteps=8,
                      zmin=-3,
                      zmax=3,
                      zsteps=8,
                      name='Vector Field',
                      color='Red',
                      scale=0.02,
                      head_height=0.05)
```

Draws a vector field

## Parameters

f: the vector field

xmin: minimum value of x

xmax: maximum value of x

xsteps: steps in the x direction

ymin: minimum value of y

ymax: maximum value of y

ysteps: steps in the y direction

zmin: minimum value of z

zmax: maximum value of z

zsteps: steps in the z direction

name: name of the vector field

color: color of the vector field

scale: scale of the vectors

head\_height: head height of the vectors

```
def draw_vectors(self,
                 vectors=[],
                 canonica=False,
                 color='Black',
                 scale=0.05,
                 head_height=0.2,
```

```
name='Vectors',  
axis=0)
```

Draws a list of vectors.

## Parameters

vectors: list of vectors

canonica: if True, the the vectors are expressed in the canonical basis.

color: color of the vectors

scale: scale of the cylinder

head\_height: height of the head of the vector

axis: if not zero, draw also the line generated by every vector

```
def ellipse(self, center=Vector((0.0, 0.0, 0.0)), a=8, b=5, canonica=True)
```

Draws the ellipse of equation  $(x-x_0)^2/a^2 + (y-y_0)^2/b^2 == 1$

## Parameters

centre: center of the ellipse

a, b: semiaxis of the ellipse

canonica: if True, draws the x and y axis

```
def ellipsoid(self,  
    o=[0, 0, 0],  
    u1=[1, 0, 0],  
    u2=[0, 1, 0],  
    a2=1,  
    b2=1,  
    c2=1,  
    principal=True,  
    canonica=True,  
    color='AzureBlueDark',  
    name='Ellipsoid',  
    cmax=15,  
    pmax=15,  
    thickness=0.02,  
    opacity=1.0,  
    preserve=True)
```

Draws an ellipsoid

## Parameters

o: center of the ellipsoid

u1, u2: the principal basis  $\{v_1, v_2, v_3\}$  is constructed from this vectors in the following way  $v_1 = u_1$   $v_2 = u_2 - u_2.project(v_1)$   $v_1.normalize()$   $v_2.normalize()$   $v_3 = v_1.cross(v_2)$

a2, b2, c2: squares of semi-axes of the ellipsoid. The equation is  $x'^2/a^2 + y'^2/b^2 + z'^2/c^2 = 1$

principal: if True, the principal axis are drawn

canonica: if True, the canonical axis are drawn

color: color of the surface

name: name of the ellipsoid

cmax: the canonical axis are drawn between -cmax and cmax

pmax: the principal axis are drawn between -pmax and pmax

thickness: thickness of the ellipsoid

opacity: opacity of the ellipsoid

preserve: Keep self.origin and self.base as the principal reference

```
def ellipsoide(self,
                o=[0, 0, 0],
                u1=[1, 0, 0],
                u2=[0, 1, 0],
                a2=1,
                b2=1,
                c2=1,
                principal=True,
                canonica=True,
                color='AzureBlueDark',
                name='Ellipsoid',
                cmax=15,
                pmax=15,
                thickness=0.02,
                opacity=1.0,
                preserve=True)
```

Draws an ellipsoid

## Parameters

o: center of the ellipsoid

u1, u2: the principal basis  $\{v_1, v_2, v_3\}$  is constructed from this vectors in the following way  $v_1 = u_1$   $v_2 = u_2 - u_2 \cdot \text{project}(v_1)$   
 $v_1.\text{normalize}()$   $v_2.\text{normalize}()$   $v_3 = v_1.\text{cross}(v_2)$

a2, b2, c2: squares of semi-axes of the ellipsoid. The equation is  $x'^2/a^2 + y'^2/b^2 + z'^2/c^2 = 1$

principal: if True, the principal axis are drawn

canonica: if True, the canonical axis are drawn

color: color of the surface

name: name of the ellipsoid

cmax: the canonical axis are drawn between -cmax and cmax

pmax: the principal axis are drawn between -pmax and pmax

thickness: thickness of the ellipsoid

opacity: opacity of the ellipsoid

preserve: Keep self.origin and self.base as the principal reference

```
def ellipsoide_revolucio(self, a=12, b=8, direccio='Z', punt=None)
```

Draws an animation showing an ellipsoid of revolution a, b: semiaxis of the initial ellipse

direccio: 'X', the initial ellipse is in the plane XZ and rotates around the X axis  
'Y', the initial ellipse is in the plane YZ and rotates around the Y axis  
'Z', the initial ellipse is in the plane ZX and rotates around the Z axis

punt: if it's a value between 0 and pi, the animation shows a rotating point

```
def elliptic_cylinder(self,
                      o=[0, 0, 0],
                      u1=[1, 0, 0],
                      u2=[0, 1, 0],
                      a2=1,
```



```

        b2=1,
        principal=True,
        canonica=True,
        color='AzureBlueDark',
        name='EllipticCylinder',
        zmax=20,
        cmax=20,
        pmax=15,
        thickness=0.02,
        opacity=1.0,
        preserve=True)

```

Draws an elliptic cylinder

## Parameters

o: center of the elliptic cylinder

u1, u2: the principal basis  $\{v_1, v_2, v_3\}$  is constructed from this vectors

a2, b2: squares of semi-axes of the elliptic cylinder. The equation is  $x'^2/a^2 + y'^2/b^2 = 1$

principal: if True, the principal axis are drawn

canonica: if True, the canonical axis are drawn

color: color of the surface

name: name of the elliptic cylinder

zmax: the elliptic cylinder is drawn between -zmax and zmax

cmax: the canonical axis are drawn between -cmax and cmax

pmax: the principal axis are drawn between -cmax and cmax

thickness: thickness of the elliptic cylinder

opacity: opacity of the elliptic cylinder

preserve: Keep self.origin and self.base as the principal reference

```

def elliptic_paraboloid(self,
                        o=[0, 0, 0],
                        u1=[1, 0, 0],
                        u2=[0, 1, 0],
                        a2=1,
                        b2=1,
                        principal=True,
                        canonica=True,
                        color='AzureBlueDark',
                        name='EllipticParaboloid',
                        xmax=None,
                        cmax=15,
                        pmax=15,
                        thickness=0.02,
                        opacity=1.0,
                        preserve=True)

```

Draws an elliptic paraboloid

## Parameters

o: vertex of the elliptic paraboloid

u1, u2: the principal basis  $\{v_1, v_2, v_3\}$  is constructed from this vectors

a2, b2: squares of semi-axes of the elliptic paraboloid. The equation is  $z = x'^2/a^2 + y'^2/b^2$

principal: if True, the principal axis are drawn

canonica: if True, the canonical axis are drawn

color: color of the surface

name: name of the elliptic paraboloid

xmax: maximum value of the coordinate x

cmax: the canonical axis are drawn between -cmax and cmax

pmax: the principal axis are drawn between -cmax and cmax

thickness: thickness of the elliptic paraboloid

opacity: opacity of the elliptic paraboloid

preserve: Keep self.origin and self.base as the principal reference

```
def esfera(self,
            o=[0, 0, 0],
            r2=1,
            principal=True,
            canonica=True,
            color='AzureBlueDark',
            name='Sphere',
            cmax=15,
            pmax=15,
            thickness=0.02,
            opacity=1.0,
            preserve=True)
```

Draws a sphere of center 'o' and radius squared equal to 'r2'

## Parameters

o: center of the sphere

r2: radius of the sphere squared

principal: if True, the principal axis are drawn

canonica: if True, the canonical axis are drawn

color: color of the surface

name: name of the sphere

cmax: the canonical axis are drawn between -cmax and cmax

pmax: the principal axis are drawn between -cmax and cmax

thickness: thickness of the sphere

opacity: opacity of the sphere

preserve: Keep self.origin and self.base as the principal reference

```
def esfera_cilindre_elliptic(self, radi=10, x0=5, a=5, b=5)
```

Draws an sphere centered at (0,0,0), an elliptic cylinder and their intersection

## Parameters

radi: radius of the sphere

x0: (x0,0,0) is the center of the ellipse in the plain XY

a, b: semiaxis of this ellipse

```
def gir_poligon(self,
```

```

centre=Vector((0.0, 0.0, 0.0)),
costats=6,
origen=Vector((0.0, 0.0, 0.0)),
radi=8)

```

Draws an animation of the rotation around a point of a polygon in the plane XY

## Parameters

centre: center of the polygon

costats: sides of the polygon

origen: center of the rotation

radi: radius of the polygon

```
def hiperbola(self, center=Vector((0.0, 0.0, 0.0)), a=8, b=5, negatiu=False, canonica=True)
```

Draws the hyperbole of equation  $(x-x_0)^2/a^2 - (y-y_0)^2/b^2 == 1$  (or -1)

## Parameters

centre: center of the hyperbole

a, b: semiaxis of the hyperbole

canonica: if True, draws the x and y axis

negatiu: if True, draws the hyperbole  $(x-x_0)^2/a^2 - (y-y_0)^2/b^2 == -1$

```

def hiperboloide_dues_fulles(self,
                             o=[0, 0, 0],
                             u1=[1, 0, 0],
                             u2=[0, 1, 0],
                             a2=1,
                             b2=1,
                             c2=1,
                             principal=True,
                             canonica=True,
                             color='AzureBlueDark',
                             name='TwoSheetParaboloid',
                             xmax=None,
                             cmax=15,
                             pmax=15,
                             thickness=0.02,
                             opacity=1.0,
                             preserve=True)

```

Draws a two sheets hyperboloid

## Parameters

o: center of the hyperboloid

u1, u2: the principal basis  $\{v_1, v_2, v_3\}$  is constructed from this vectors

a2, b2, c2: squares of semi-axes of the hyperboloid. The equation is  $x'^2/a^2 + y'^2/b^2 - z'^2/c^2 = -1$

principal: if True, the principal axis are drawn

canonica: if True, the canonical axis are drawn

color: color of the surface

name: name of the hyperboloid

xmax: maximum value of the x coordinate

cmax: the canonical axis are drawn between -cmax and cmax

pmax: the principal axis are drawn between -cmax and cmax

thickness: thickness of the hyperboloid

opacity: opacity of the hyperboloid

preserve: Keep self.origin and self.base as the principal reference

```
def hiperboloide_dues_fulles_revolucio(self, a=3, b=2, pmax=8, direccio='Z', punt=None)
```

Draws an animation showing a two sheet hyperboloid of revolution a, b: semiaxis of the initial hyperbole

pmax: maximum value of the independent variable

direccio: 'X', the initial hyperbole is in the plane YX and rotates around the X axis  
'Y', the initial hyperbole is in the plane ZY and rotates around the Y axis  
'Z', the initial hyperbole is in the plane XZ and rotates around the Z axis

punt: if it's a value between 0 and pi, the animation shows a rotating point

```
def hiperboloide_una_fulla(self,
    o=[0, 0, 0],
    u1=[1, 0, 0],
    u2=[0, 1, 0],
    a2=1,
    b2=1,
    c2=1,
    principal=True,
    canonica=True,
    color='AzureBlueDark',
    name='OneSheetHyperboloid',
    xmax=None,
    cmax=15,
    pmax=15,
    thickness=0.02,
    opacity=1.0,
    preserve=True)
```

Draws an one sheet hyperboloid

## Parameters

o: center of the hyperboloid

u1, u2: the principal basis {v1, v2, v3} is constructed from this vectors

a2, b2, c2: squares of semi-axes of the hyperboloid. The equation is  $x'^2/a^2 + y'^2/b^2 - z'^2/c^2 = 1$

principal: if True, the principal axis are drawn

canonica: if True, the canonical axis are drawn

color: color of the surface

name: name of the hyperboloid

xmax: maximum value of the x coordinate

cmax: the canonical axis are drawn between -cmax and cmax

pmax: the principal axis are drawn between -cmax and cmax

thickness: thickness of the hyperboloid

opacity: opacity of the hyperboloid

preserve: Keep self.origin and self.base as the principal reference

```
def hiperboloide_una_fulla_revolucio(self, a=3, b=2, pmax=8, direccio='Z', punt=None)
```

Draws an animation showing an one sheet hyperboloid of revolution a, b: semiaxis of the initial hyperbole

```
pmax: maximum value of the independent variable

direccio: 'X', the initial hyperbole is in the plane XZ and rotates around the X axis
          'Y', the initial hyperbole is in the plane YX and rotates around the Y axis
          'Z', the initial hyperbole is in the plane ZX and rotates around the Z axis

punt: if it's a value between 0 and pi, the animation shows a rotating point
```

```
def hyperbolic_cylinder(self,
                          o=[0, 0, 0],
                          u1=[1, 0, 0],
                          u2=[0, 1, 0],
                          a2=1,
                          b2=1,
                          principal=True,
                          canonica=True,
                          color='AzureBlueDark',
                          name='Hyperbolic Cylinder',
                          xmax=None,
                          zmax=15,
                          cmax=15,
                          pmax=15,
                          thickness=0.02,
                          opacity=1.0,
                          preserve=True)
```

Draws an hyperbolic cylinder

## Parameters

o: center of the hyperbolic cylinder

u1, u2: the principal basis {v1, v2, v3} is constructed from this vectors

a2, b2: squares of semi-axes of the hyperbolic cylinder. The equation is  $x'^2/a^2 - y'^2/b^2 = 1$

principal: if True, the principal axis are drawn

canonica: if True, the canonical axis are drawn

color: color of the surface

name: name of the hyperbolic cylinder

xmax: maximum value of the x coordinate

zmax: the hyperbolic cylinder is drawn between -zmax and zmax

cmax: the canonical axis are drawn between -cmax and cmax

pmax: the principal axis are drawn between -cmax and cmax

thickness: thickness of the hyperbolic cylinder

opacity: opacity of the hyperbolic cylinder

preserve: Keep self.origin and self.base as the principal reference

```
def hyperbolic_paraboloid(self,
                          o=[0, 0, 0],
                          u1=[1, 0, 0],
                          u2=[0, 1, 0],
                          a2=1,
                          b2=1,
                          principal=True,
                          canonica=True,
```

```

color='AzureBlueDark',
name='HyperbolicParaboloid',
xmax=None,
ymax=None,
cmax=15,
pmax=15,
thickness=0.02,
opacity=1.0,
preserve=True)

```

Draws an hyperbolic paraboloid

## Parameters

o: vertex of the hyperbolic paraboloid

u1, u2: the principal basis  $\{v_1, v_2, v_3\}$  is constructed from this vectors

a2, b2: squares of semi-axes of the hyperbolic paraboloid. The equation is  $z = x'^2/a^2 - y'^2/b^2$

principal: if True, the principal axis are drawn

canonica: if True, the canonical axis are drawn

color: color of the surface

name: name of the elliptic paraboloid

xmax: maximum value of the coordinate x

ymax: maximum value of the coordinate y

cmax: the canonical axis are drawn between -cmax and cmax

pmax: the principal axis are drawn between -cmax and cmax

thickness: thickness of the hyperbolic paraboloid

opacity: opacity of the hyperbolic paraboloid

preserve: Keep self.origin and self.base as the principal reference

```
def join(self, llista)
```

Joins a list of objects

## Parameters

llista: list of objects

```

def moviment_helicoidal_cilindre(self,
    centre=Vector((0.0, 0.0, 0.0)),
    radi=3,
    altura=12,
    opacity=1,
    origen=Vector((4.0, 3.0, 0.0)),
    eix='Z',
    rounds=1,
    translacio=0.0,
    aligned=False,
    reverse=False)

```

Draws an animation of the helical motion of an orthohedron around an affine line

## Parameters

centre: center of the cylinder

radi: radius of the cylinder

altura: height of the cylinder

origen: point of the affine line

eix: axis of rotation

opacity: opacity of the orthohedron

translation: translation of the helical motion (distance by round) if translation = 0.0, it's a rotation motion

aligned: if True, aligns the orthohedron with the axis of rotation

```
def moviment_helicoidal_ortoeadre(self,
    centre=Vector((0.0, 0.0, 0.0)),
    costats=Vector((3.0, 5.0, 2.0)),
    opacity=1,
    origen=Vector((4.0, 3.0, 0.0)),
    eix='Z',
    rounds=1,
    translacio=0.0,
    aligned=False)
```

Draws an animation of the helical motion of an orthohedron around an affine line

## Parameters

centre: center of the orthohedron

costats: half sides of the orthohedron

origen: point of the affine line

eix: axis of rotation

opacity: opacity of the orthohedron

translation: translation of the helical motion (distance by round) if translation = 0.0, it's a rotation motion

aligned: if True, aligns the orthohedron with the axis of rotation

```
def moviment_helicoidal_punt(self,
    punt=Vector((0.0, 0.0, 0.0)),
    origen=Vector((-3.0, -3.0, -4.0)),
    eix='Z',
    rounds=5,
    translacio=2,
    vectors=True,
    reverse=False)
```

Draws an animation of the helical motion of an orthohedron around an affine line

## Parameters

punt: posició inicial del punt

origen: point of the affine line

eix: axis of rotation

rounds: rounds of the point around the axis

translation: translation of the helical motion (distance by frame) if translation = 0.0, it's a rotation motion

```
def one_sheet_hyperboloid(self,
    o=[0, 0, 0],
    u1=[1, 0, 0],
    u2=[0, 1, 0],
```

```

a2=1,
b2=1,
c2=1,
principal=True,
canonica=True,
color='AzureBlueDark',
name='OneSheetHyperboloid',
xmax=None,
cmax=15,
pmax=15,
thickness=0.02,
opacity=1.0,
preserve=True)

```

Draws an one sheet hyperboloid

## Parameters

o: center of the hyperboloid

u1, u2: the principal basis {v1, v2, v3} is constructed from this vectors

a2, b2, c2: squares of semi-axes of the hyperboloid. The equation is  $x'^2/a^2 + y'^2/b^2 - z'^2/c^2 = 1$

principal: if True, the principal axis are drawn

canonica: if True, the canonical axis are drawn

color: color of the surface

name: name of the hyperboloid

xmax: maximum value of the x coordinate

cmax: the canonical axis are drawn between -cmax and cmax

pmax: the principal axis are drawn between -cmax and cmax

thickness: thickness of the hyperboloid

opacity: opacity of the hyperboloid

preserve: Keep self.origin and self.base as the principal reference

```

def ortoedre(self,
    centre=Vector((0.0, 0.0, 0.0)),
    costats=[6, 10, 8],
    scalelines=0.05,
    vectors=False,
    color='Blue',
    linecolor='Red',
    vectorcolor='Black',
    name='Ortoedre',
    opacity=1.0,
    thickness=0.0)

```

```

def parabola(self, vertex=Vector((0.0, 0.0, 0.0)), p=5, xmax=15, eixos='XY', canonica=True)

```

Draws the parabola of equation  $y - y_0 = (x - x_0)^2 / (2p)$  or  $x - x_0 = (y - y_0)^2 / (2p)$

## Parameters

vertex: vertex of the parabola

p: parameter of the parabola

pmax: maximum value of the independent variable



eixos: 'XY', draws  $y - y_0 = (x - x_0)^2 / (2p)$  'YX', draws  $x - x_0 = (y - y_0)^2 / (2p)$

canonica: if True, draws the x and y axis

```
def parabolic_cylinder(self,
                        o=[0, 0, 0],
                        u1=[1, 0, 0],
                        u2=[0, 1, 0],
                        p=1,
                        principal=True,
                        canonica=True,
                        color='AzureBlueDark',
                        name='ParabolicCylinder',
                        xmax=12,
                        ymax=30,
                        cmax=20,
                        pmax=20,
                        thickness=0.02,
                        opacity=1.0,
                        preserve=True)
```

Draws an hyperbolic paraboloid

## Parameters

o: vertex of the hyperbolic paraboloid

u1, u2: the principal basis  $\{v_1, v_2, v_3\}$  is constructed from this vectors

p: Parameter of the cylinder  $z' = x'^2 / (2 \cdot p)$

principal: if True, the principal axis are drawn

canonica: if True, the canonical axis are drawn

color: color of the surface

name: name of the elliptic paraboloid

xmax: maximum value of the coordinate x

ymax: maximum value of the coordinate y

cmax: the canonical axis are drawn between -cmax and cmax

pmax: the principal axis are drawn between -cmax and cmax

thickness: thickness of the hyperbolic paraboloid

opacity: opacity of the hyperbolic paraboloid

preserve: Keep self.origin and self.base as the principal reference

```
def paraboloide_elliptic(self,
                        o=[0, 0, 0],
                        u1=[1, 0, 0],
                        u2=[0, 1, 0],
                        a2=1,
                        b2=1,
                        principal=True,
                        canonica=True,
                        color='AzureBlueDark',
                        name='EllipticParaboloid',
                        xmax=None,
                        cmax=15,
                        pmax=15,
                        thickness=0.02,
                        opacity=1.0,
```

```
preserve=True)
```

Draws an elliptic paraboloid

## Parameters

o: vertex of the elliptic paraboloid

u1, u2: the principal basis  $\{v_1, v_2, v_3\}$  is constructed from this vectors

a2, b2: squares of semi-axes of the elliptic paraboloid. The equation is  $z = x'^2/a^2 + y'^2/b^2$

principal: if True, the principal axis are drawn

canonica: if True, the canonical axis are drawn

color: color of the surface

name: name of the elliptic paraboloid

xmax: maximum value of the coordinate x

cmax: the canonical axis are drawn between -cmax and cmax

pmax: the principal axis are drawn between -cmax and cmax

thickness: thickness of the elliptic paraboloid

opacity: opacity of the elliptic paraboloid

preserve: Keep self.origin and self.base as the principal reference

```
def paraboloide_elliptic_revolucio(self, a=0.5, pmax=5, direccio='Z', punt=None)
```

Draws an animation showing an elliptic paraboloid of revolution a: The constant of the initial parabola

```
pmax: maximum value of the independent variable

direccio: 'X', the initial parabola is in the plane YX and rotates around the X axis
          'Y', the initial parabola is in the plane ZY and rotates around the Y axis
          'Z', the initial parabola is in the plane XZ and rotates around the Z axis

punt: if it's a value between -pmax and pmax, the animation shows a rotating point
```

```
def paraboloide_elliptic_simple(self, a=3, b=4, direccio='Z', xmax=12)
```

Draws the hyperbolic paraboloid of equation  $z = x^2/a^2 - y^2/b^2$

## Parameters

a, b: constants the defines he hyperbolic paraboloid

xmax, ymax: maximun values of the x and y coordinates

```
def paraboloide_hiperbolic(self,
    o=[0, 0, 0],
    u1=[1, 0, 0],
    u2=[0, 1, 0],
    a2=1,
    b2=1,
    principal=True,
    canonica=True,
    color='AzureBlueDark',
    name='HyperbolicParaboloid',
    xmax=None,
    ymax=None,
    cmax=15,
    pmax=15,
    thickness=0.02,
```

```
opacity=1.0,  
preserve=True)
```

Draws an hyperbolic paraboloid

## Parameters

o: vertex of the hyperbolic paraboloid

u1, u2: the principal basis  $\{v_1, v_2, v_3\}$  is constructed from this vectors

a2, b2: squares of semi-axes of the hyperbolic paraboloid. The equation is  $z = x'^2/a^2 - y'^2/b^2$

principal: if True, the principal axis are drawn

canonica: if True, the canonical axis are drawn

color: color of the surface

name: name of the elliptic paraboloid

xmax: maximum value of the coordinate x

ymax: maximum value of the coordinate y

cmax: the canonical axis are drawn between -cmax and cmax

pmax: the principal axis are drawn between -cmax and cmax

thickness: thickness of the hyperbolic paraboloid

opacity: opacity of the hyperbolic paraboloid

preserve: Keep self.origin and self.base as the principal reference

```
def paraboloide_hiperbolic_simple(self, a=3, b=4, xmax=12, ymax=12)
```

Draws the hyperbolic paraboloid of equation  $z = x^2/a^2 - y^2/b^2$

## Parameters

a, b: constants the defines he hyperbolic paraboloid

xmax, ymax: maximun values of the x and y coordinates

```
def pla_afi(self,  
            punt=Vector((0.0, 0.0, 0.0)),  
            normal=None,  
            v1=Vector((3.0, 2.0, 1.0)),  
            v2=Vector((1.0, -2.0, 0.5)),  
            canonica=False,  
            name='Pla afi',  
            length=15,  
            color='Cyan',  
            sizex=25,  
            sizey=20,  
            opacity=0.9,  
            elements=True)
```

Draws the affine plane generated by two vectors passing through a point

## Parameters

punt: point of the plane

normal: normal vector of the plane

v1, v2: generators of the plane

canonica: if True, draws the x, y and z axis

name: name of the affine plane

length: length of the axis x, y and z

color: color of the plane

size\_x, size\_y: size of the plane

opacity: opacity of the plane

```
def pla_vectorial(self,
                  v1=Vector((3.0, 2.0, 1.0)),
                  v2=Vector((1.0, -2.0, 0.5)),
                  canonica=False,
                  length=15,
                  color='Cyan',
                  size_x=25,
                  size_y=20,
                  opacity=0.8)
```

Draws the plane generated by two vectors

## Parameters

v1, v2: generators of the plane

canonica: if True, draws the x, y and z axis

length: length of the axis x, y and z

color: color of the plane

size\_x, size\_y: size of the plane

opacity: opacity of the plane

```
def posicio_relativa_tres_plans(self,
                                punts=None,
                                normals=None,
                                colors=None,
                                canonica=True,
                                length=25,
                                size_x=45,
                                size_y=40,
                                opacity=1.0,
                                elements=False)
```

Draws three planes

## Parameters

punts: three points, one for each plane

normals: three normal vectors, one for each plane

colors: three colors, one for each plane

canonica: if True, draws the x, y and z axis

length: length of the axis x, y and z

size\_x, size\_y: size of the planes

opacity: opacity of the planes

elements: if True, draws the point and the normal vector for each plane

```
def product_components(self, u, v)
```

Computes the vectorial product  $u \times v$

## Parameters

u, v: two Vectors

```
def projeccio_ortogonal_simetric_pla_afi(self,
                                         punt=Vector((6.0, -5.0, 8.0)),
                                         p0=Vector((3.0, -2.0, -3.0)),
                                         v1=Vector((3.0, -1.0, 1.0)),
                                         v2=Vector((1.0, 0.5, 0.5)),
                                         radi=0.15,
                                         sizex=35,
                                         sizey=30,
                                         line=1.8,
                                         canonica=True)
```

Draws the orthogonal projection and the symmetric of a point with respect an affine plane

## Parameters

punt: the initial point

p0: point of the affine plane

v1, v2: generators of the plane

radi: radius of the points

sizex, sizey: sizes of the affine plane

factor: how to draw the perpendicular line

canonica: if True, draws the x, y and z axis

```
def projeccio_ortogonal_simetric_pla_vectorial(self,
                                                vector=Vector((7.0, -1.0, 12.0)),
                                                v1=Vector((3.0, -1.0, 1.0)),
                                                v2=Vector((1.0, 0.5, 0.5)),
                                                sizex=None,
                                                sizey=None,
                                                canonica=True)
```

Draws the otogonal projection and the symmetric of a vector with respecte a plane

## Parameters

vector: the initial vector

v1, v2: generators of the plane

sizex, sizey: size of the plane

canonica: if True, draws the x, y and z axis

```
def projeccio_ortogonal_simetric_recta_afi(self,
                                             punt=Vector((6.0, -5.0, 8.0)),
                                             p0=Vector((3.0, -2.0, -3.0)),
                                             v1=Vector((3.0, -1.0, 1.0)),
                                             scale=0.1,
                                             radi=0.15,
                                             sizex=10,
                                             sizey=10,
                                             canonica=True)
```

Draws the orthogonal projection and the symmetric of a point with respect an affine line

## Parameters

punt: the initial point

p0: point of the affine line

v1: generator of the line

radi: radius of the points

sizeX, sizeY: sizes of the affine plane

canonica: if True, draws the x, y and z axis

```
def projeccio_ortogonal_simetric_recta_vectorial(self,
                                                vector=Vector((7.0, -1.0, 12.0)),
                                                v1=Vector((3.0, -1.0, 1.0)),
                                                canonica=True,
                                                length=15)
```

Draws the orthogonal projection and the symmetric of a vector with respect to a line

## Parameters

vector: the initial vector

v1: generator of the line

canonica: if True, draws the x, y and z axis

length: length for x, y and z axis and v1 axis

```
def punt_referencia_canonica(self,
                              punt=Vector((-4.0, 7.0, 6.0)),
                              radius=0.1,
                              length=12,
                              name='Punt p',
                              coordenades=True,
                              vector=True)
```

Draws a point expressed in the canonical reference

## Parameters

punt: the point to draw

length: length of the axis

name: name of the point

coordenades: if True draws lines representing the coordinates

vector: if True, it draws the position vector

```
def punt_referencia_no_canonica(self,
                                  punt=Vector((5.0, 6.0, -5.0)),
                                  origin=Vector((-2.0, 3.0, 3.0)),
                                  u1=Vector((-0.3333333432674408, -0.66666666865348816,
                                              0.66666666865348816)),
                                  u2=Vector((0.66666666865348816, 0.3333333432674408, 0.66666666865348816)),
                                  u3=Vector((-0.66666666865348816, 0.66666666865348816,
                                              0.3333333432674408)),
                                  length=12,
                                  scale=0.04,
                                  radius=0.1,
                                  name='Punt p',
                                  vector=True)
```

Draws a point expressed in the reference  $\{o, u_1, u_2, u_3\}$  with origin in the point origin and sets the default origin and default base to them

## Parameters

punt: point to draw

origin: origin of the reference

u1, u2, u3: vectors of the base

length: length of the axis

scale: scale of the axis

name: name of the reference

vector: if True, it draws the position vector

```
def recta_afi(self,
              punt=Vector((3.0, 4.0, -2.0)),
              v=Vector((1.0, 2.0, 1.0)),
              color='Black',
              size=15,
              name='Recta afí',
              canonica=True,
              length=12,
              scale=0.03,
              elements=True)
```

Draws the affine line generated by a vector passing through a point

## Parameters

punt: point of the plane

v: generators of the line

canonica: if True, draws the x, y and z axis

name: name of the affine plane

length: length of the axis x, y and z

color: color of the plane

size: length of the line

scale: scale of the line

```
def referencia_canonica(self,
                        origin=Vector((0.0, 0.0, 0.0)),
                        length=15,
                        scale=0.04,
                        zaxis=True,
                        name='Referència canònica')
```

Draws the canonical reference

## Parameters

origin: point where to represent the base

length: length of the axis

scale: scale of the cylinder

zaxis: if False the z axis is not drawn

name: name of the object

```
def referencia_no_canonica(self,
                            origin=Vector((0.0, 0.0, 0.0)),
                            u1=Vector((1.0, -1.0, 0.0)),
                            u2=Vector((-0.5, 1.0, 0.5)),
                            u3=Vector((-1.0, 0.0, 1.0)),
                            length=12,
                            scale=0.04,
                            preserve=True,
                            name="Referència R'")
```

Draws the reference  $\{o; u_1, u_2, u_3\}$  with origin in the point origin and sets the default origin and default base to them

## Parameters

origin: origin of the reference

$u_1, u_2, u_3$ : vectors of the base

length: length of the axis

scale: scale of the axis

name: name of the reference

```
def reset(self)
```

Resets origin, base, rotation, frames and colors

```
def reset_base(self)
```

Sets self.base to the canonical basis

```
def reset_colors(self)
```

Set self.colors to default colors

```
def reset_frames(self)
```

Set self.frame to 0

## Parameters

name: name of a color

```
def reset_origin(self)
```

Sets the origin to the point (0,0,0)

```
def reset_rotation(self)
```

Sets the rotation to identity, i.e., rotation of 0 degrees around the vector (1,0,0)

```
def revolution_surface(self,
```

```
    fun=None,
    tmin=0.0,
    tmax=1.0,
    o=Vector((0.0, 0.0, 0.0)),
    u1=Vector((1.0, 0.0, 0.0)),
    u2=Vector((0.0, 1.0, 0.0)),
    pmax=0,
    steps=256,
    thickness=0.025,
    axis='Z',
    name='Revolution surface',
```



```
color='AzureBlueDark')
```

Draws a revolution surface from a curve in the reference R'

## Parameters

fun: parametric equation of the curve

steps: number of steps

axis: axis of revolution. It must be 'X', 'Y' or 'Z'

o: origin of the reference R'

u1, u2: vectors to construct the basis {v1, v2, v3}

pmax: the principal axis are drawn between -pmax and pmax

color: color of the surface

```
def rotacio_ortoedre(self,  
    centre=Vector((0.0, 0.0, 0.0)),  
    costats=Vector((8.0, 5.0, 4.0)),  
    eix='Z',  
    opacity=1)
```

Draws an animation of an orthohedron rotating around a vectorial line

## Parameters

centre: center of the orthohedron

costats: half sides of the orthohedron

eix: axis of rotation

opacity: opacity of the orthohedron

```
def rotacio_ortoedre_angles_euler(self,  
    centre=Vector((0.0, 0.0, 0.0)),  
    costats=Vector((8.0, 5.0, 4.0)),  
    psi=90,  
    theta=60,  
    phi=45,  
    radians=False,  
    opacity=1,  
    eixos='xzx')
```

Draws an animation of an orthohedron rotating given the Euler's angles

## Parameters

centre: center of the orthohedron

costats: half sides of the orthohedron

psi, theta, phi: Euler's angles

radians: if True the Euler's angles must in radians. If False in degrees

opacity: opacity of the orthohedron

eixos: axis of the three rotations

```
def rotacio_ortoedre_voltant_vector(self,  
    centre=Vector((0.0, 0.0, 0.0)),  
    costats=Vector((8.0, 5.0, 4.0)),  
    angle=80,
```

```

radians=False,
vector=Vector((1.0, -2.0, 1.0)),
opacity=0.7,
euler=None,
reverse=False)

```

Draws an animation of a vector rotating around a vectorial line

## Parameters

centre: center of the orthohedron

costats: half sides of the orthohedron

angle: angle of rotation

radians: if True the Euler's angles must in radians. If False in degrees

vector: generator of the vectorial line

opacity: opacity of the orthohedron

euler: None or the value of the three Euler's axis

reverse: if True, shows the rotation with Euler's angles in reverse order

```

def rotacio_punt(self,
    punt=Vector((6.0, 8.0, 5.0)),
    origen=Vector((4.0, 3.0, 0.0)),
    eix=Vector((1.0, 1.0, 1.0)),
    vectors=True)

```

Draws an animation of a point rotating around an affine line

## Parameters

punt: point to rotate

origen: point of the affine line

eix: axis of rotation, given by a vector or by X, Y or Z

```

def rotacio_vector(self, vector=Vector((6.0, 8.0, 5.0)), eix=Vector((1.0, 1.0, 1.0)), adaptada=False)

```

Draws an animation of a vector rotating around a vectorial line

## Parameters

vector: vector to rotate

eix: axis of rotation, given by a vector or by X, Y or Z

adaptada: if True, draws a base adapted to the rotation

```

def rotate_euler(self,
    obj=None,
    psi=0.0,
    theta=0.0,
    phi=0.0,
    frames=3,
    axis='ZXZ',
    amax=15,
    scaleaxis=0.075,
    reverse=False,
    local=False,
    radians=False,
    canonica=True,

```

```
positive=False)
```

Rotates an object by the Euler angles psi, theta and phi

## Parameters

object: the object

psi, theta, phi: the Euler angles expressed in degrees

axis: it must be 'XYZ', 'XZY', 'YXZ', 'YZX', 'ZXY', 'ZYX', 'YXY', 'XZX', 'YXY', 'YZY', 'ZXZ' or 'ZYZ'

amax: axis value for draw\_base\_axis

scaleaxis: scale value for draw\_base\_axis

local: if True the center of rotation is the location of the object

radians: if True, psi, theta and phi must be in radians

positive: if False and psi, theta or phi are greater than 180 degrees, they are converted to negative angles

```
def rotate_object(self,
                    obj=None,
                    axis='Z',
                    frames=1,
                    origin=Vector((0.0, 0.0, 0.0)),
                    localaxis=None,
                    localangle=None,
                    translation=0.0,
                    rounds=1,
                    length=25,
                    draw=True)
```

Rotates an object around the axis

## Parameters

obj: the object

axis: it must be 'X', 'Y', 'Z' or a Vector

frames: increment of the frame set

translation: translation by round

local: if True the center of rotation is the location of the object

```
def rotate_object_by_axis_angle(self,
                                obj=None,
                                axis=Vector((1.0, 0.0, 0.0)),
                                angle=90,
                                amax=15,
                                frames=1,
                                scaleaxis=0.075,
                                local=False)
```

Rotates an object around an angle 'angle' around the axis

## Parameters

obj: the object

axis: any non null Vector

angle: the angle of rotation in degrees

frames: increment of the frame set

scaleaxis: scale value for draw\_base\_axis

local: if True the center of rotation is the location of the object

```
def rotate_objects(self,
                    objs=[],
                    axis='Z',
                    angle=None,
                    frames=1,
                    origin=Vector((0.0, 0.0, 0.0)),
                    translation=0,
                    rounds=1,
                    length=25,
                    draw=False)
```

Rotates an object around the axis

## Parameters

objs: the list of objects

axis: it must be 'X', 'Y', 'Z' or a Vector

```
def rotate_point(self, punt=None, origen=Vector((0.0, 0.0, 0.0)), axis='Z', length=25, vectors=True)
```

Rotates a point around an affine line

## Parameters

point: the point

origen: a point of the affine line

axis: it must be 'X', 'Y', 'Z' or a vector

length: length of the

```
def rotate_vector(self, vector=None, axis='Z', length=25)
```

Rotates a vector around the axis

## Parameters

vector: the vector

axis: it must be 'X', 'Y', 'Z' or a vector

```
def segment_esferic(self,
                     r=10,
                     p1=1.5707963267948966,
                     s1=0,
                     p2=1.5707963267948966,
                     s2=1.5707963267948966,
                     name='Segment')
```

Draws an spheric segment in a sphere centered at origin with radius r from the point whith spherical coordinates (radi,p1,s1) to the point (radi,p2,s2).

## Parameters

r: radius of the sphere p1: polar angle of the first point s1: azimuthal angle of the first point p2: polar angle of the second point s2: azimuthal angle of the second point

```
def set_base(self, base=[[1, 0, 0], [0, 1, 0], [0, 0, 1]], orthonormal=False)
```

Sets the self.base, i.e., the basis of the reference coordinates used to display objects

## Parameters

base: list of three vectors

orthonormal: if True, the Gram-Schmidt method is applied and the vectors are normalized.

```
def set_colors(self, names=None)
```

Set self.colors to the list of colors with names 'names'

## Parameters

names: list of name colors

```
def set_cursor(self, origin=[0, 0, 0], direction=[1, 0, 0], axis='x')
```

Sets the cursor position and direction

## Parameters

origin: position of the cursor

direction: vector that indicates the direction of the axis 'axis'

axis: 'x', 'y' or 'z'

```
def set_cursor_rotation(self,  
                        origin=[0, 0, 0],  
                        rotation=Matrix(((1.0, 0.0, 0.0), (0.0, 1.0, 0.0), (0.0, 0.0, 1.0))))
```

Sets the rotation of the cursor

## Parameters

origin: position of the cursor

rotation: matrix of a rotation

```
def set_default_color(self, name)
```

Set self.defaultcolor to the color with name 'name'

## Parameters

name: name of a color

```
def set_origin(self, vector=[0, 0, 0])
```

Sets the origin of the reference coordinates used to display objects.

## Parameters

vector: origin's position

```
def set_rotation(self, angle=None, vector=None, quaternion=None)
```

Sets self.rotation to the rotation defined by an angle and an axis or by a quaternion.

## Parameters

angle: angle of rotation in degrees

vector: axis of rotation

quaternion: quaternion that defines a rotation

The angle and vector takes precedence over the quaternion

```
def simple_curve(self,  
                f=None,  
                tmin=0.0,  
                tmax=1.0,  
                steps=25,  
                name='Simple curve',  
                symmetry=None,  
                draw=False)
```

Return a curve defined by the parametrization f

## Parameters

f: Parametrization of the curve

tmin: minimum value of the parameter

tmax: maximum value of the parameter

steps: number of steps

name: name of the curve

symmetry: None or a value in the list ('XY','XZ','YZ','X','Y','Z','O'). Symmetry of the curve

draw: if True, the curve is drawn

```
def sphere(self,  
           o=[0, 0, 0],  
           r2=1,  
           principal=True,  
           canonica=True,  
           color='AzureBlueDark',  
           name='Sphere',  
           cmax=15,  
           pmax=15,  
           thickness=0.02,  
           opacity=1.0,  
           preserve=True)
```

Draws a sphere of center 'o' and radius squared equal to 'r2'

## Parameters

o: center of the sphere

r2: radius of the sphere squared

principal: if True, the principal axis are drawn

canonica: if True, the canonical axis are drawn

color: color of the surface

name: name of the sphere

cmax: the canonical axis are drawn between -cmax and cmax

pmax: the principal axis are drawn between -cmax and cmax

thickness: thickness of the sphere

opacity: opacity of the sphere

preserve: Keep self.origin and self.base as the principal reference

```
def superficie_revolucio_parabola(self, a=0.2, vertex=Vector((0.0, 0.0, 0.0)), pmax=8, pla='XZ',  
                                punt=None)
```

Draws an animation of a revolution surface from a parabola

### Parameters

a: the parabola is of the form  $y = a \cdot x^2$

vertex: vertex of the parabola

pmax: maximum value of the independent variable

pla: a value from the list ('XY','YX','XZ','ZX','YZ','ZY') representing the variables for the equation 'XY'  $y = ax^2$  and rotation around the X axis 'YX'  $x = ay^2$  and rotation around the Y axis 'XZ'  $z = ax^2$  and rotation around the X axis 'ZX'  $x = ax^2$  and rotation around the Z axis 'YZ'  $z = ay^2$  and rotation around the Y axis 'ZY'  $y = az^2$  and rotation around the Z axis

punt: punt: if it's a float value, draws a moving poing

```
def tor(self, centre=Vector((8.0, 0.0, 3.0)), radi=3, cmax=15, punt=None)
```

Draws a torus of revolution from a circumference

### Parameters

centre: center of the circumference

radi: radius of the circumference

cmax: maximum values of the x, y and z coordinates

punt: if it's a float value, draws a moving poing

```
def triangle_esferic(self,  
                    r=10,  
                    p1=1.5707963267948966,  
                    s1=0,  
                    p2=1.5707963267948966,  
                    s2=1.5707963267948966,  
                    p3=0,  
                    s3=0)
```

Draws an spheric triangle in a sphere centered at origin with radius r with vetices whith spherical coordinates (radi,p1,s1), (radi,p2,s2) and (radi,p2,s2).

### Parameters

r: radius of the sphere p1: polar angle of the first point s1: azimuthal angle of the first point p2: polar angle of the second point s2: azimuthal angle of the second point p3: polar angle of the third point s3: azimuthal angle of the third point

```
def triangle_esferic_aleatori(self, r=10)
```

Draws a random spheric triangle in a sphere centered at origin with radius r

### Parameters

r: radius of the sphere

```
def two_sheets_hyperboloid(self,  
                          o=[0, 0, 0],  
                          u1=[1, 0, 0],  
                          u2=[0, 1, 0],  
                          a2=1,
```

```

b2=1,
c2=1,
principal=True,
canonica=True,
color='AzureBlueDark',
name='TwoSheetParaboloid',
xmax=None,
cmax=15,
pmax=15,
thickness=0.02,
opacity=1.0,
preserve=True)

```

Draws a two sheets hyperboloid

## Parameters

o: center of the hyperboloid

u1, u2: the principal basis  $\{v_1, v_2, v_3\}$  is constructed from this vectors

a2, b2, c2: squares of semi-axes of the hyperboloid. The equation is  $x'^2/a^2 + y'^2/b^2 - z'^2/c^2 = -1$

principal: if True, the principal axis are drawn

canonica: if True, the canonical axis are drawn

color: color of the surface

name: name of the hyperboloid

xmax: maximum value of the x coordinate

cmax: the canonical axis are drawn between -cmax and cmax

pmax: the principal axis are drawn between -cmax and cmax

thickness: thickness of the hyperboloid

opacity: opacity of the hyperboloid

preserve: Keep self.origin and self.base as the principal reference

```

def vector_base_canonica(self, vector=Vector((-4.0, 7.0, 6.0)), length=12, name='Vector',
                        components=True)

```

Draws a vector expressed in the canonical base

## Parameters

vector: the vector to draw

length: length of the axis

name: name of the vector

components: if True draws lines representing the components

```

def vector_base_no_canonica(self,
                            vector=Vector((5.0, 6.0, -5.0)),
                            origin=Vector((0.0, 0.0, 0.0)),
                            u1=Vector((-0.3333333432674408, -0.6666666865348816, 0.6666666865348816)),
                            u2=Vector((0.6666666865348816, 0.3333333432674408, 0.6666666865348816)),
                            u3=Vector((-0.6666666865348816, 0.6666666865348816, 0.3333333432674408)),
                            length=12,
                            scale=0.04,
                            name="Base B'",
                            canonica=True,
                            preserve=False)

```



Draws a vector expressed in the base  $\{u_1, u_2, u_3\}$  with origin in the point origin and sets the default origin and default base to them

## Parameters

vector: vector to draw

origin: origin of the vector and the base

$u_1, u_2, u_3$ : vectors of the base

length: length of the axis

scale: scale of the base

name: name of the base

```
def vectors_to_quaternion(self, u1=Vector((1.0, 0.0, 0.0)), u2=Vector((0.0, 1.0, 0.0)))
```

Returns the quaternion correspondint to the base  $\{v_1, v_2, v_3\}$   $u_1, u_2$ : the principal basis  $\{v_1, v_2, v_3\}$  is constructed from this vectors in the following way  $v_1 = u_1 \times u_2$   $v_2 = u_2 - u_1 \cdot \text{project}(v_1)$   $v_1.\text{normalize}()$   $v_2.\text{normalize}()$   $v_3 = v_1 \times v_2$

```
class Rotation (angle=None, vector=None, axis=None, quaternion=None, radians=False)
```

Class used for work with rotations. The stored value in the class is a quaternion

Initializes the value for a rotation

## Parameters

angle: angle of rotation

vector: axis of rotation

quaternion: The quaternion itself

radians: must be True if the angle is entered in radians and False if the is entered in degrees.

## Static methods

```
def from_euler_angles(psi, theta, phi, axis='ZXZ', radians=False)
```

Initializes a rotation from its Euler angles in the order ZXZ

## Parameters

phi, theta, psi: Euler angles

axis: it must be 'XYZ', 'XZY', 'YXZ', 'YZX', 'ZXY', 'ZYX', 'YXY', 'XZX', 'YXY', 'YZY', 'ZXZ' or 'ZYZ'

radians: if radians, psi, theta and must be in radians

## Methods

```
def apply(self, v)
```

Applies the rotation to an object v Parameters: v: any object that can be transformed by a rotation

```
def to_axis_angle(self, radians=False)
```

Returns the axis and angle of the rotation

## Parameters

radians: if True, the angle returned is in radians, if not, is returned in degrees

```
def to_euler_angles(self, axis='ZXZ', randomize=False, radians=False)
```

Returns the Euler angles according to axis 'axis'

## Parameters

axis: it must be 'XYZ', 'XZY', 'YXZ', 'YZX', 'ZXY', 'ZYX', 'XYX', 'XZX', 'YXY', 'YZY', 'ZXZ' or 'ZYZ'

radians: if True, the angle returned is in radians, if not, is returned in degrees

## Functions

---

- add\_object\_align\_init
- createFaces
- create\_mesh\_object
- draw\_parametric\_surface
- object\_data\_add

## Classes

---

- **Color**
- **Colors**
  - color
  - colors
  - colorsbyname
- **EuclideanReference**
  - base
  - coordinates
- **LinearAlgebra**
  - add\_ligth
  - add\_lights
  - add\_material
  - animate\_revolution\_surface
  - base\_adaptada
  - base\_canonica
  - base\_canonica\_white
  - base\_cilinder
  - base\_cone
  - base\_disk
  - base\_is\_canonica
  - base\_no\_canonica
  - canvi\_base
  - canvi\_coordenades
  - cilindre
  - cilindre\_elliptic
  - cilindre\_elliptic\_simple
  - cilindre\_hiperbolic
  - cilindre\_hiperbolic\_simple
  - cilindre\_parabolic
  - cilindre\_parabolic\_simple
  - clear
  - components\_in\_base

- con
- con\_cilindre\_elliptic
- con\_revolucio
- con\_simple
- cone
- coordinates\_en\_canonica
- coordinates\_en\_referencia
- curve
- delete\_base\_cilinder
- delete\_base\_cone
- delete\_base\_disk
- distancia\_rectes\_encreuen
- draw\_base\_axis
- draw\_circle
- draw\_components
- draw\_cone
- draw\_cube
- draw\_curve
- draw\_disk
- draw\_ellipse
- draw\_ellipsoid
- draw\_elliptic\_cylinder
- draw\_elliptic\_paraboloid
- draw\_frenet\_curve
- draw\_function
- draw\_hyperbole
- draw\_hyperbolic\_cylinder
- draw\_hyperbolic\_paraboloid
- draw\_line
- draw\_mesh
- draw\_one\_sheet\_hyperboloid
- draw\_parabola
- draw\_parabolic\_cylinder
- draw\_parallelepiped
- draw\_parallelogram
- draw\_plane
- draw\_plane\_surface
- draw\_point
- draw\_points
- draw\_polygon
- draw\_pyramid
- draw\_regular\_polygon
- draw\_simple\_curve
- draw\_surface
- draw\_tetrahedron
- draw\_triangle
- draw\_two\_sheets\_hyperboloid
- draw\_vector
- draw\_vector\_field
- draw\_vectors
- ellipse
- ellipsoid
- ellipsoide
- ellipsoide\_revolucio
- elliptic\_cylinder
- elliptic\_paraboloid
- esfera
- esfera\_cilindre\_elliptic
- gir\_poligon

- hiperbola
- hiperboloide\_dues\_fulles
- hiperboloide\_dues\_fulles\_revolucio
- hiperboloide\_una\_fulla
- hiperboloide\_una\_fulla\_revolucio
- hyperbolic\_cylinder
- hyperbolic\_paraboloid
- join
- moviment\_helicoidal\_cilindre
- moviment\_helicoidal\_ortoedre
- moviment\_helicoidal\_punt
- one\_sheet\_hyperboloid
- ortoedre
- parabola
- parabolic\_cylinder
- paraboloid\_elliptic
- paraboloid\_elliptic\_revolucio
- paraboloid\_elliptic\_simple
- paraboloid\_hiperbolic
- paraboloid\_hiperbolic\_simple
- pla\_afi
- pla\_vectorial
- posicio\_relativa\_tres\_plans
- product\_components
- projeccio\_ortogonal\_simetric\_pla\_afi
- projeccio\_ortogonal\_simetric\_pla\_vectorial
- projeccio\_ortogonal\_simetric\_recta\_afi
- projeccio\_ortogonal\_simetric\_recta\_vectorial
- punt\_referencia\_canonica
- punt\_referencia\_no\_canonica
- recta\_afi
- referencia\_canonica
- referencia\_no\_canonica
- reset
- reset\_base
- reset\_colors
- reset\_frames
- reset\_origin
- reset\_rotation
- revolution\_surface
- rotacio\_ortoedre
- rotacio\_ortoedre\_angles\_euler
- rotacio\_ortoedre\_voltant\_vector
- rotacio\_punt
- rotacio\_vector
- rotate\_euler
- rotate\_object
- rotate\_object\_by\_axis\_angle
- rotate\_objects
- rotate\_point
- rotate\_vector
- segment\_esferic
- set\_base
- set\_colors
- set\_cursor
- set\_cursor\_rotation
- set\_default\_color
- set\_origin
- set\_rotation

- `simple_curve`
- `sphere`
- `superficie_revolucio_parabola`
- `tor`
- `triangle_esferic`
- `triangle_esferic_aleatori`
- `two_sheets_hyperboloid`
- `vector_base_canonica`
- `vector_base_no_canonica`
- `vectors_to_quaternion`
- **Rotation**
  - `apply`
  - `from_euler_angles`
  - `to_axis_angle`
  - `to_euler_angles`