



TELKOM  
**DIGITAL TALENT**  
INCUBATOR **2020**

# Modul 5: Classification

Organized by:



# Module Objectives

- Understand what is classification and its application
- Understand how classification algorithm work
- Understand how to build classification model

# Module Overview

## Topics

- Classification Model
- Decision Tree
- Random Forest
- Naive Bayes
- KNN
- Build Classification Model using Python

## Activities

- Group Discussion
- Coding Practice

# Classification

- In machine learning and statistics, classification is the problem of identifying to which of a set of categories (sub-populations) a new observation belongs, based on a training set of data containing observations (or instances) whose category membership is known.
- Examples are assigning a given email to the "spam" or "non-spam" class, and assigning a diagnosis to a given patient based on observed characteristics of the patient (sex, blood pressure, presence or absence of certain symptoms, etc.)

# Use of Classification

- **Handwriting recognition:** used to interpret intelligible handwritten input from sources such as paper documents, photographs, touch-screens and other devices
- **Web search engine:** used to classify information on World Wide Web
- **Speech recognition:** used for recognition and translation of spoken language into text by computers.

# Use of Classification (Cont.)

- **Biological classification:** used for classifying biological organism based on shared characteristics (taxonomy)
- **Credit scores:** used to determine who qualifies for a loan, at what interest rate, and what credit limits.

# Classification Algorithm

- Decision Tree
- Random Forest
- Bayesian
- Lazy Learner (kNN)

# Decision Tree

- Decision tree is a tree shaped diagram used to determine a course of action. Each branch of the tree represents a possible decision, occurrence or reaction
- Important Terms
  - Entropy : measure of randomness in the dataset
  - Information gain : measure of decrease in entropy after dataset is split
  - Leaf node : carries the classification or decision
  - Root node: top most decision node



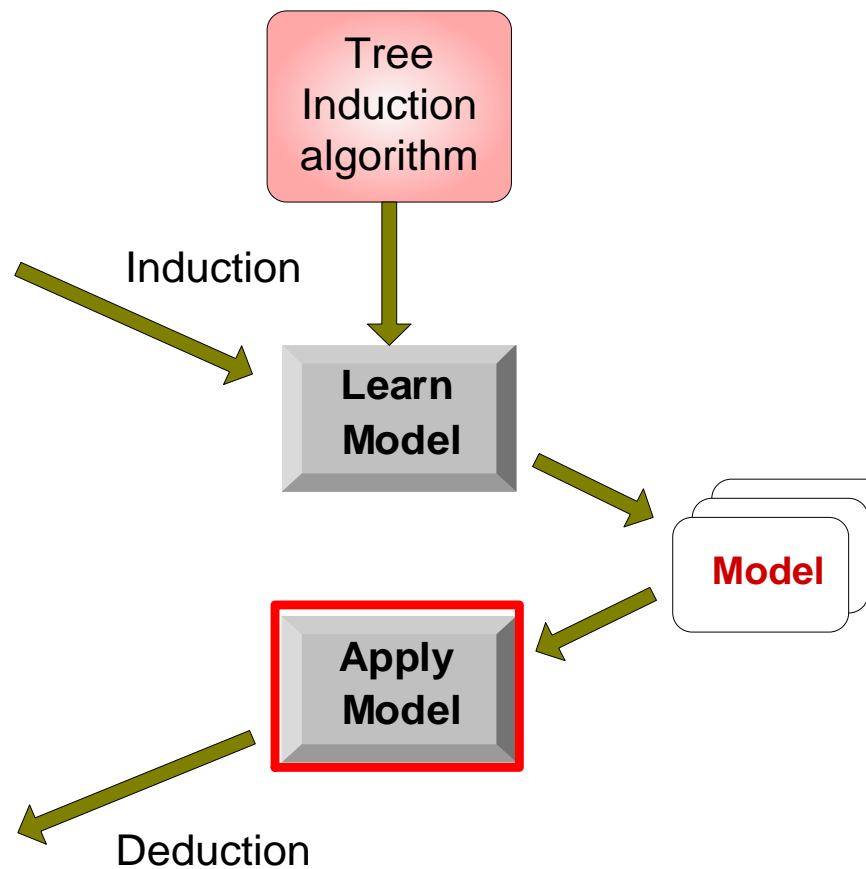
# Decision Tree Classification Task

Tid	Attrib1	Attrib2	Attrib3	Class
1	Yes	Large	125K	No
2	No	Medium	100K	No
3	No	Small	70K	No
4	Yes	Medium	120K	No
5	No	Large	95K	Yes
6	No	Medium	60K	No
7	Yes	Large	220K	No
8	No	Small	85K	Yes
9	No	Medium	75K	No
10	No	Small	90K	Yes

Training Set

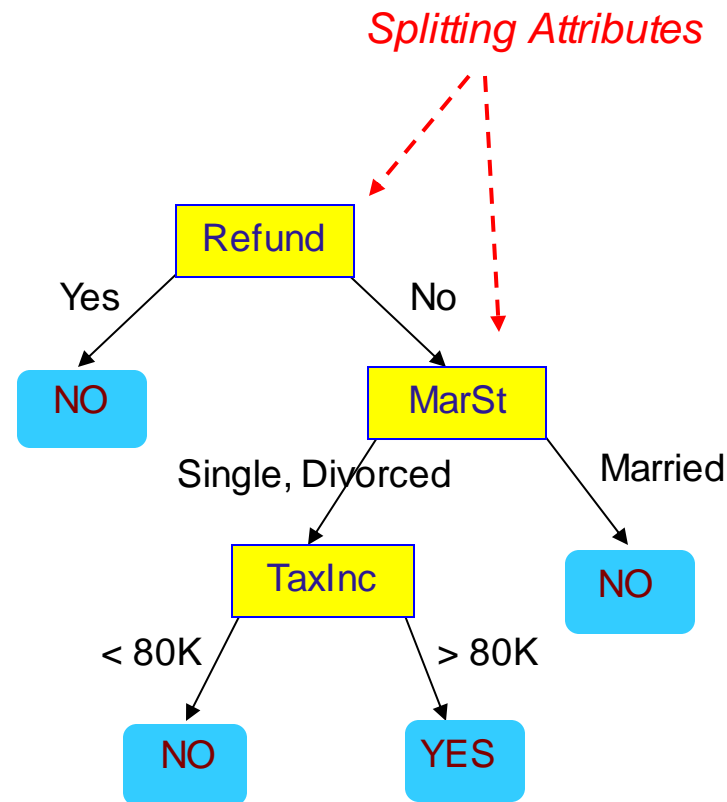
Tid	Attrib1	Attrib2	Attrib3	Class
11	No	Small	55K	?
12	Yes	Medium	80K	?
13	Yes	Large	110K	?
14	No	Small	95K	?
15	No	Large	67K	?

Test Set



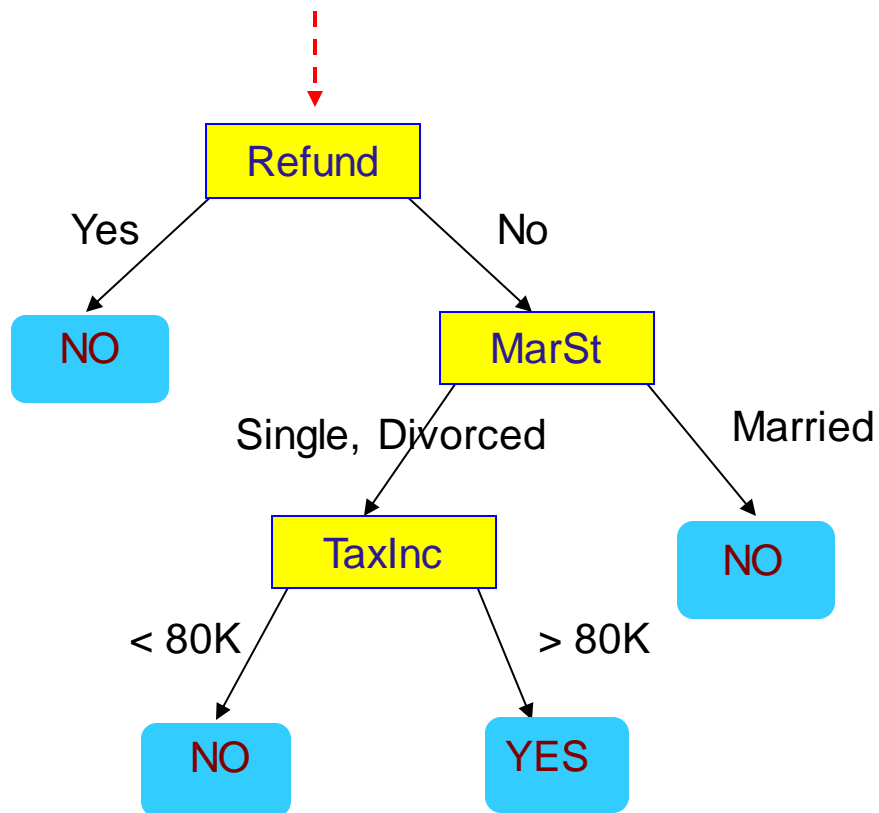
# Decision Tree Classification Task

Tid	Refund	Marital Status	Taxable Income	Cheat
1	Yes	Single	125K	No
2	No	Married	100K	No
3	No	Single	70K	No
4	Yes	Married	120K	No
5	No	Divorced	95K	Yes
6	No	Married	60K	No
7	Yes	Divorced	220K	No
8	No	Single	85K	Yes
9	No	Married	75K	No
10	No	Single	90K	Yes



# Apply Model on Test Data

Start from the root of tree.



Test Data

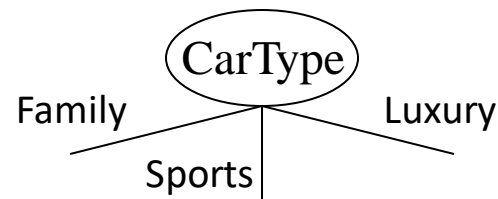
Refund	Marital Status	Taxable Income	Cheat
No	Married	80K	?

# Specify Attribute Test Condition

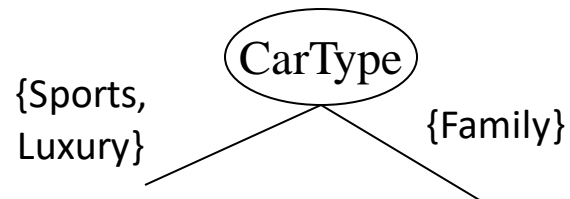
- Depends on attribute types
  - Discrete
    - Nominal
    - Ordinal
  - Continuous
- Depends on number of ways to split
  - Multi-way split
  - Binary split

# Splitting Based on Nominal Attributes

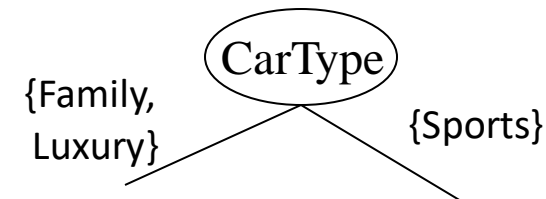
- Multi-way split: Use as many partitions as distinct values.



- Binary split: Divides values into two subsets.  
Need to find optimal partitioning.

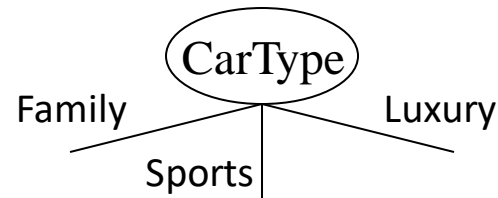


OR

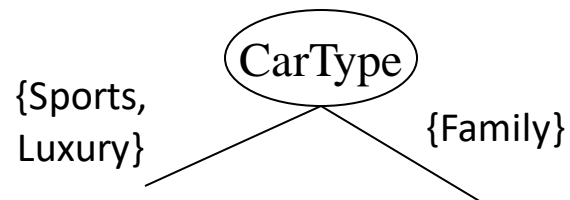


# Splitting Based on Ordinal Attributes

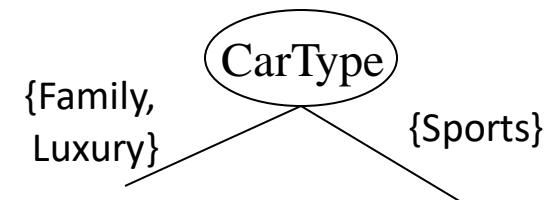
- Multi-way split: Use as many partitions as distinct values.



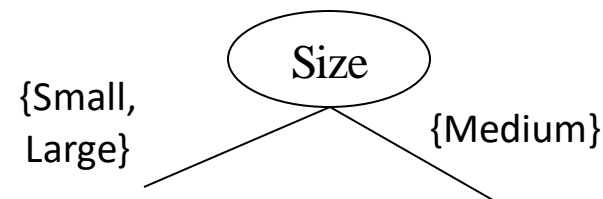
- Binary split: Divides values into two subsets.  
Need to find optimal partitioning.



OR

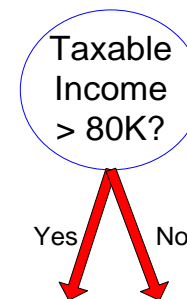


- What about this split?

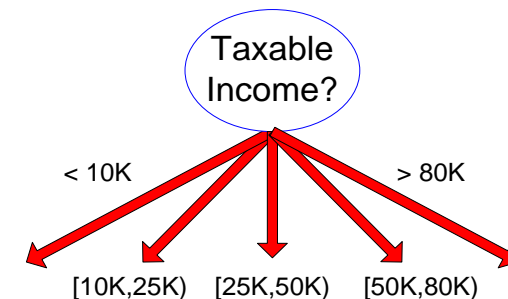


# Splitting Based on Continuous Attributes

- Different ways of handling
  - Discretization to form an ordinal categorical attribute
    - Static – discretize once at the beginning
    - Dynamic – ranges can be found by equal interval bucketing, equal frequency bucketing (percentiles), or clustering.
- Binary Decision:  $(A < v)$  or  $(A \geq v)$ 
  - consider all possible splits and finds the best cut
  - can be more compute intensive



(i) Binary split



(ii) Multi-way split

# Decision Tree Summary

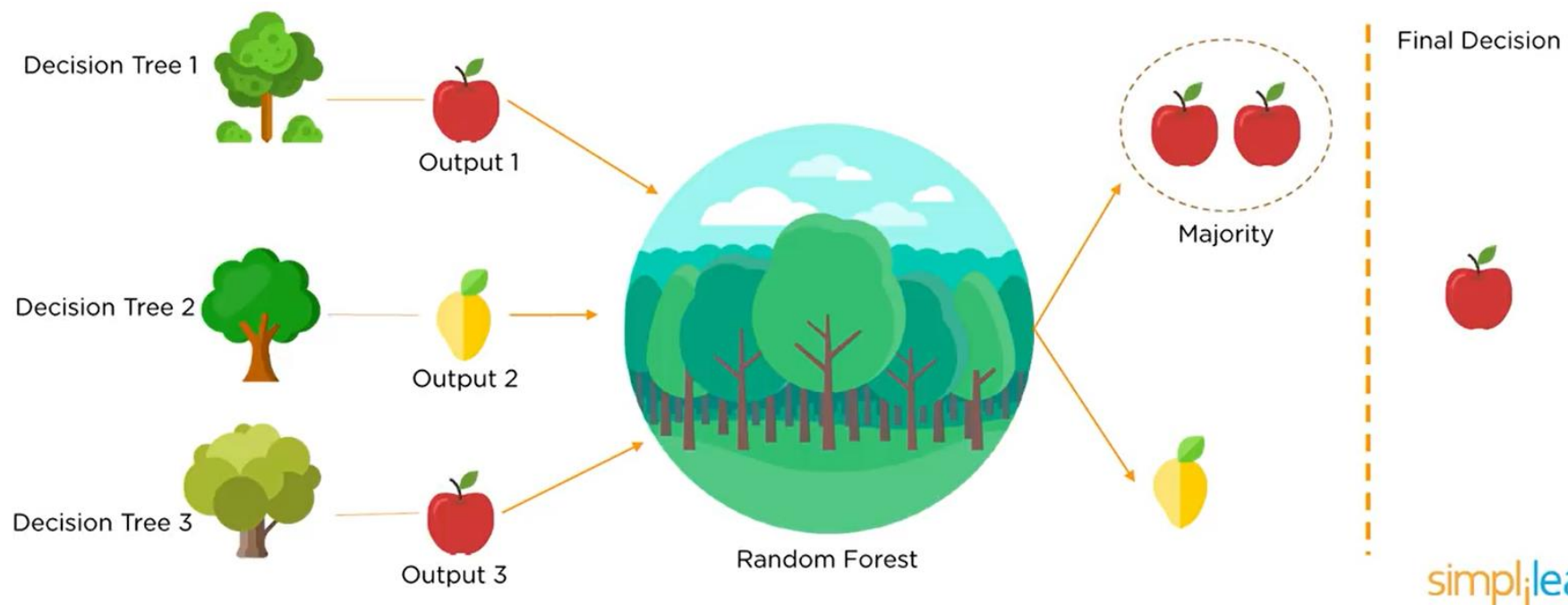
- Advantages:
  - Inexpensive to construct
  - Extremely fast at classifying unknown records
  - Easy to interpret for small-sized trees
  - Accuracy is comparable to other classification techniques for many simple data sets
- Disadvantages:
  - Overfitting when algorithm capture noise in the data
  - The model can get unstable due to small variation of data
  - Low biased tree: difficult for the model to work with new data



# Random Forest

- Random forest or Random Decision Forest is a method that operates by constructing multiple decision trees during training phases
- The Decision of the majority of the trees is chosen as final decision.

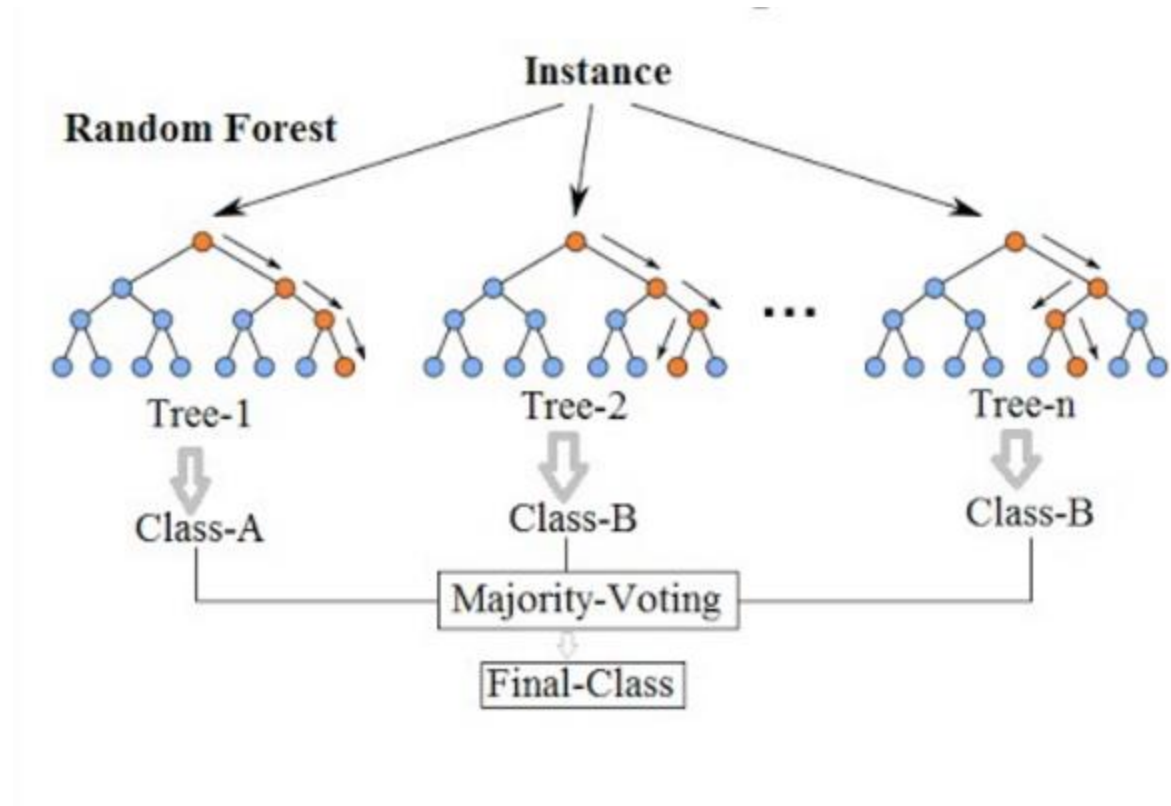
# Random Forest



# Random Forest Summary

- Random Forest:
  - Each classifier in the ensemble is a decision tree classifier and is generated using a random selection of attributes at each node to determine the split
  - During classification, each tree votes and the most popular class is returned
- Two Methods to construct Random Forest:
  1. Forest-RI (random input selection): Randomly select, at each node,  $F$  attributes as candidates for the split at the node. The CART methodology is used to grow the trees to maximum size
  2. Forest-RC (random linear combinations): Creates new attributes (or features) that are a linear combination of the existing attributes (reduces the correlation between individual classifiers)
- Insensitive to the number of attributes selected for consideration at each split, and faster than bagging (grouping based on frequency) or boosting

# How Random Forest Work



# Random Forest Summary

- Advantages:
  - It can be used for both regression and classification tasks and that it's easy to view the relative importance it assigns to the input features.
  - It is also considered as a very handy and easy to use algorithm, because it's default hyper-parameters often produce a good prediction result.
- Disadvantages:
  - Many trees can make the algorithm to slow and ineffective for real-time predictions. A more accurate prediction requires more trees, which results in a slower model.
  - It is a predictive modeling tool and not a descriptive tool.

# Naive Bayes Classifier

- Naive Bayes is a simple technique for constructing classifiers: models that assign class labels to problem instances, represented as vectors of feature values, where the class labels are drawn from some finite set.
- There is not a single algorithm for training such classifiers, but a family of algorithms based on a common principle: all naive Bayes classifiers assume that the value of a particular feature is independent of the value of any other feature, given the class variable.

# Naive Bayes Classifier

A probabilistic framework for solving classification problems

- Conditional Probability:

$$P(C | A) = \frac{P(A, C)}{P(A)}$$

$$P(A | C) = \frac{P(A, C)}{P(C)}$$

- Bayes theorem:

$$P(C | A) = \frac{P(A | C)P(C)}{P(A)}$$



# Example of Naive Bayes Classifier

Given:

- A doctor knows that meningitis causes stiff neck 50% of the time
- Prior probability of any patient having meningitis is  $1/50,000$
- Prior probability of any patient having stiff neck is  $1/20$

If a patient has stiff neck, what's the probability he/she has meningitis?

$$P(M | S) = \frac{P(S | M)P(M)}{P(S)} = \frac{0.5 \times 1/50000}{1/20} = 0.0002$$



# Bayesian Classifiers

- Consider each attribute and class label as random variables
- Given a record with attributes  $(A_1, A_2, \dots, A_n)$ 
  - Goal is to predict class  $C$
  - Specifically, we want to find the value of  $C$  that maximizes  $P(C | A_1, A_2, \dots, A_n)$
- Can we estimate  $P(C | A_1, A_2, \dots, A_n)$  directly from data?

# Bayesian Classifiers

- Approach:
  - compute the posterior probability  $P(C \mid A_1, A_2, \dots, A_n)$  for all values of  $C$  using the Bayes theorem

$$P(C \mid A_1 A_2 \dots A_n) = \frac{P(A_1 A_2 \dots A_n \mid C) P(C)}{P(A_1 A_2 \dots A_n)}$$

- Choose value of  $C$  that maximizes  $P(C \mid A_1, A_2, \dots, A_n)$
- Equivalent to choosing value of  $C$  that maximizes  $P(A_1, A_2, \dots, A_n \mid C) P(C)$
- How to estimate  $P(A_1, A_2, \dots, A_n \mid C)$ ?

# Naïve Bayes Classifier

- Assume independence among attributes  $A_i$  when class is given:
  - $P(A_1, A_2, \dots, A_n | C) = P(A_1 | C_j) P(A_2 | C_j) \dots P(A_n | C_j)$
  - Can estimate  $P(A_i | C_j)$  for all  $A_i$  and  $C_j$ .
  - New point is classified to  $C_j$  if  $P(C_j) \prod P(A_i | C_j)$  is maximal.

# How to Estimate Probabilities from Data?

- Class:  $P(C) = N_c/N$ 
  - e.g.,  $P(\text{No}) = 7/10$ ,  
 $P(\text{Yes}) = 3/10$

- For discrete attributes:

$$P(A_i | C_k) = |A_{ik}| / N_c$$

- where  $|A_{ik}|$  is number of instances having attribute  $A_i$  and belongs to class  $C_k$
- Examples:  
 $P(\text{Status}=\text{Married} | \text{No}) = 4/7$   
 $P(\text{Refund}=\text{Yes} | \text{Yes})=0$

- For continuous attributes:
- Discretize the range into bins
- one ordinal attribute per bin
- violates independence assumption
- Two-way split:  $(A < v)$  or  $(A > v)$
- choose only one of the two splits as new attribute
- Probability density estimation:
- Assume attribute follows a normal distribution
- Use data to estimate parameters of distribution  
(e.g., mean and standard deviation)
- Once probability distribution is known, can use it to estimate the conditional probability  $P(A_i | c)$

# Naive Bayes Summary

Name	Give Birth	Can Fly	Live in Water	Have Legs	Class
human	yes	no	no	yes	mammals
python	no	no	no	no	non-mammals
salmon	no	no	yes	no	non-mammals
whale	yes	no	yes	no	mammals
frog	no	no	sometimes	yes	non-mammals
komodo	no	no	no	yes	non-mammals
bat	yes	yes	no	yes	mammals
pigeon	no	yes	no	yes	non-mammals
cat	yes	no	no	yes	mammals
leopard shark	yes	no	yes	no	non-mammals
turtle	no	no	sometimes	yes	non-mammals
penguin	no	no	sometimes	yes	non-mammals
porcupine	yes	no	no	yes	mammals
eel	no	no	yes	no	non-mammals
salamander	no	no	sometimes	yes	non-mammals
gila monster	no	no	no	yes	non-mammals
platypus	no	no	no	yes	mammals
owl	no	yes	no	yes	non-mammals
dolphin	yes	no	yes	no	mammals
eagle	no	yes	no	yes	non-mammals

Give Birth	Can Fly	Live in Water	Have Legs	Class
yes	no	yes	no	?

A: attributes

M: mammals

N: non-mammals

$$P(A | M) = \frac{6}{7} \times \frac{6}{7} \times \frac{2}{7} \times \frac{2}{7} = 0.06$$

$$P(A | N) = \frac{1}{13} \times \frac{10}{13} \times \frac{3}{13} \times \frac{4}{13} = 0.0042$$

$$P(A | M)P(M) = 0.06 \times \frac{7}{20} = 0.021$$

$$P(A | N)P(N) = 0.004 \times \frac{13}{20} = 0.0027$$

$$P(A|M)P(M) > P(A|N)P(N)$$

=> Mammals

# How to Estimate Probabilities from Data?

Tid	Refund	Marital Status	Taxable Income	Evade
1	Yes	Single	125K	No
2	No	Married	100K	No
3	No	Single	70K	No
4	Yes	Married	120K	No
5	No	Divorced	95K	Yes
6	No	Married	60K	No
7	Yes	Divorced	220K	No
8	No	Single	85K	Yes
9	No	Married	75K	No
10	No	Single	90K	Yes

I Normal distribution:

$$P(A_i | c_j) = \frac{1}{\sqrt{2\pi\sigma_{ij}^2}} e^{-\frac{(A_i - \mu_{ij})^2}{2\sigma_{ij}^2}}$$

– One for each  $(A_i, c_i)$  pair

I For (Income, Class=No):

– If Class=No

◆ sample mean = 110

◆ sample variance = 2975

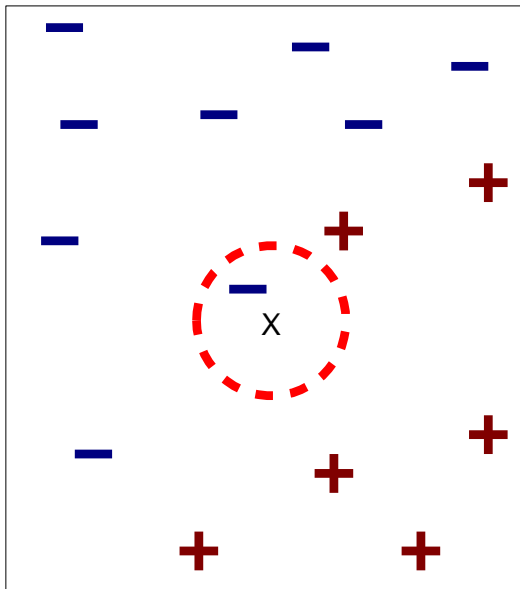
$$P(\text{Income} = 120 | \text{No}) = \frac{1}{\sqrt{2\pi(54.54)}} e^{-\frac{(120-110)^2}{2(2975)}} = 0.0072$$

# Naive Bayes Summary

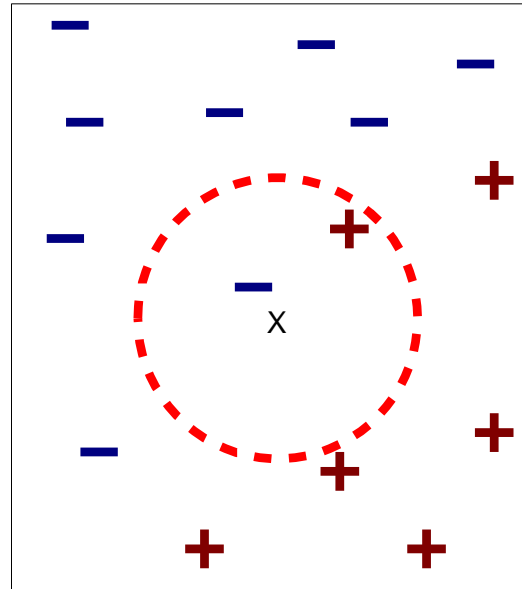
- Robust to isolated noise points
- Handle missing values by ignoring the instance during probability estimate calculations
- Robust to irrelevant attributes
- Independence assumption may not hold for some attributes
- Use other techniques such as Bayesian Belief Networks (BBN)

# K Nearest Neighbourhood

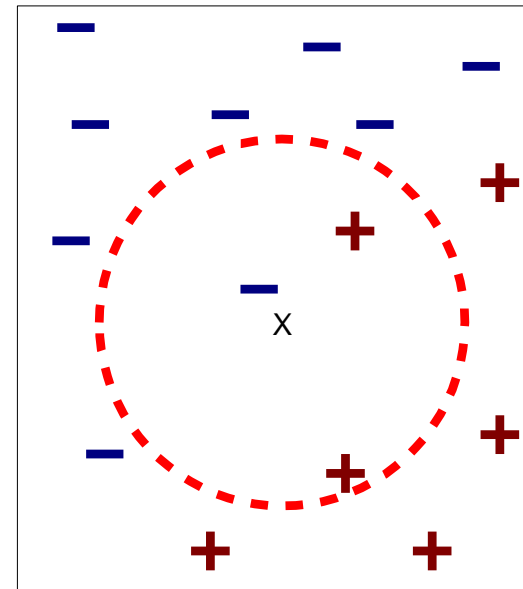
- K-nearest neighbors of a record  $x$  are data points that have the  $k$  smallest distance to  $x$ .



(a) 1-nearest neighbor



(b) 2-nearest neighbor

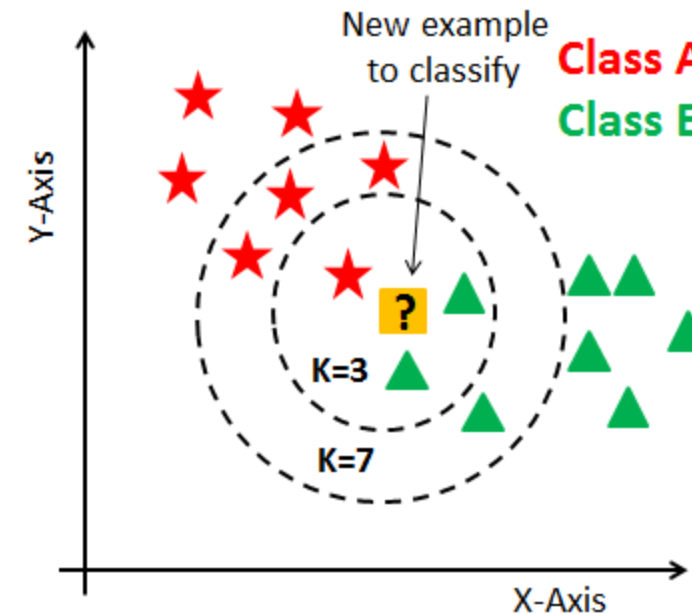


(c) 3-nearest neighbor

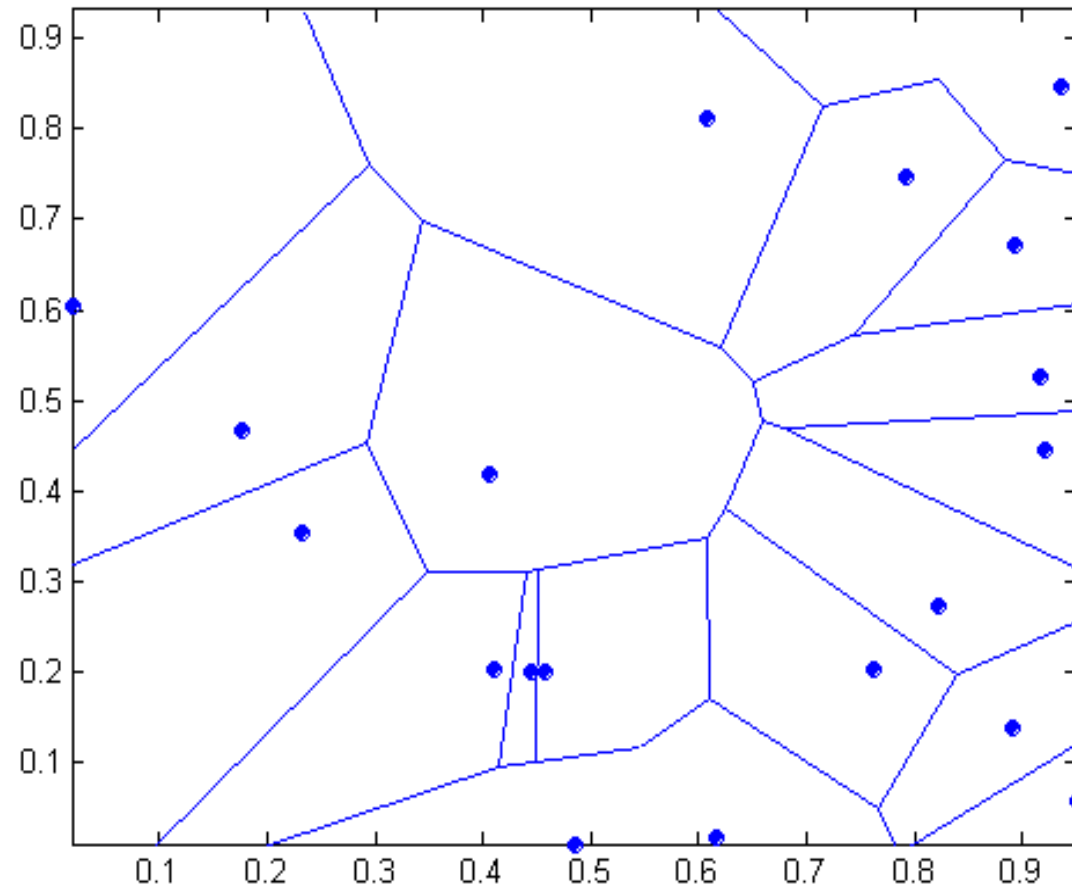


# Nearest-Neighbor Classifiers

- Requirement
  - The set of stored records
  - Distance Metric to compute distance between records
  - The value of  $k$ , the number of nearest neighbors to retrieve
- To classify an unknown record:
  - Compute distance to other training records
  - Identify  $k$  nearest neighbors
  - Use class labels of nearest neighbors to determine the class label of unknown record



# Voronoi Diagram



# KNN Summary

- Advantages:
  - Simple technique that is easily implemented
  - Building model is cheap
  - Extremely flexible classification scheme
- Disadvantages:
  - Classifying unknown records are relatively expensive
  - Requires distance computation of k-nearest neighbors
  - Computationally intensive, especially when the size of the training set grows
  - Accuracy can be severely degraded by the presence of noisy or irrelevant features

# Metrics for Performance Evaluation

- Focus on the predictive capability of a model rather than how fast it takes to classify or build models, scalability, etc.
- Confusion Matrix:

ACTUAL CLASS	PREDICTED CLASS		
		Class=Yes	Class=No
	Class=Yes	a	b
	Class=No	c	d

a: TP (true positive)

b: FN (false negative)

c: FP (false positive)

d: TN (true negative)

# Metrics for Performance Evaluation

- Most widely-used metric:

$$\text{Accuracy} = \frac{a + d}{a + b + c + d} = \frac{TP + TN}{TP + TN + FP + FN}$$

	PREDICTED CLASS		
		Class=Yes	Class=No
ACTUAL CLASS	Class=Yes	A (TP)	B (FN)
	Class=No	C (FP)	D (TN)

# Limitation of Accuracy

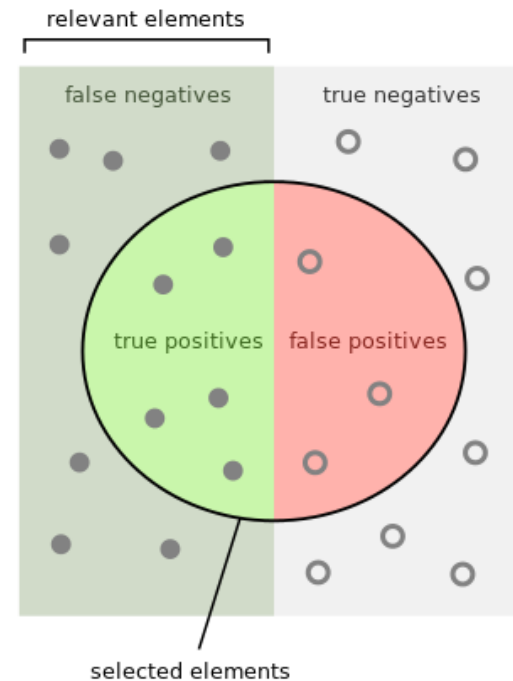
- Consider a 2-class problem
  - Number of Class 0 examples = 9990
  - Number of Class 1 examples = 10
- If model predicts everything to be class 0, accuracy is  $9990/10000 = 99.9\%$ 
  - Accuracy is misleading because model does not detect any class 1 example

# Cost-Sensitive Measures

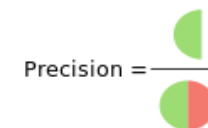
$$\text{Precision (p)} = \frac{a}{a + c}$$

$$\text{Recall (r)} = \frac{a}{a + b}$$

$$\text{F-measure (F)} = \frac{2rp}{r + p} = \frac{2a}{2a + b + c}$$



How many selected items are relevant?



$$\text{Precision} = \frac{a}{a + c}$$

How many relevant items are selected?



$$\text{Recall} = \frac{a}{a + b}$$

# Practice with Python

- Practice Link:
- <https://github.com/rc-dbe/dti>



# Assignment

- Create a classification model using “bank-marketing.csv” dataset from Kaggle <https://www.kaggle.com/janiobachmann/bank-marketing-dataset>
- Choose minimal 2 algorithm
- Compare performance of algorithm by using appropriate metric
- Use Google Collab (or Jupyter Notebook if you want)
- Put the code in your GitHub
- Make it informative as possible