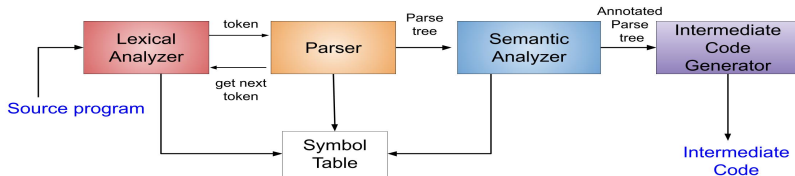


CSEN 1003: Compilers

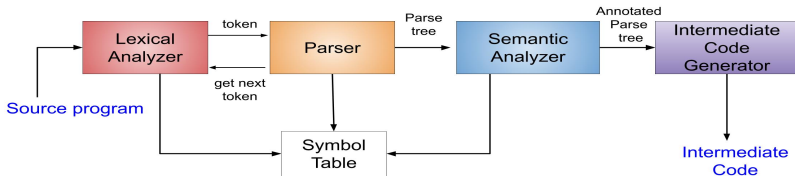
Tutorial 10 - Semantic Analysis II

The Semantic Analyser



- The semantic analyzer deals with types management and any remaining checks after parsing (such as types checking and scope resolution).

The Semantic Analyser



- The semantic analyzer deals with types management and any remaining checks after parsing (such as types checking and scope resolution).
- The application of types can be grouped under two main processes:
 - ① **Type checking:** ensures operand types matches the type expected by an operator.
 - ② **Translation Applications:** from types a compiler can determine the storage needed at compile time.

Today's Plan

1 Type Checking

2 Translation Applications

3 Recap

Type Checking

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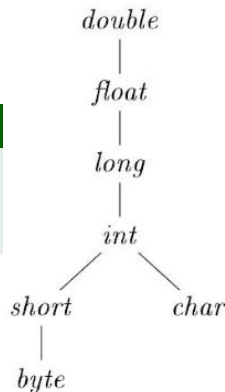
- Type checking is assigning a type expression to each program component and checking that these types observe the **type system** of the language.
- A strongly typed language does type checking at compile time.
- Type checking can be done by:
 - ① **Type Synthesis:** if f has the type $s \rightarrow t$ and x has type s , then $f(x)$ has the type t . Requires the program to specify types of the basic components of the program.
 - ② **Type Inference:** If $f(x)$ is an expression, there must be types α and β such that $f(x)$ has type $\alpha \rightarrow \beta$ and x has the type α .

Type Synthesis

- The compiler does implicit type conversions called **coercions**.
- Coercions are limited to widening operations.

Example

```
2 * 3.14  
t1 = (float) 2, t2 = t1 * 3.14
```



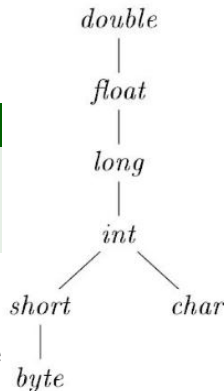
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- If $E \rightarrow E_1 + E_2$, to synthesize a value for E two functions are used:
 - ① **max(t1,t2)**: max type according to the hierarchy.
 - ② **widen(a,t,w)**: widen address a from type t to type w.



Type Synthesis

$$E \rightarrow E_1 + E_2 \quad \{ \begin{array}{l} E.type = \max(E_1.type, E_2.type); \\ a_1 = \text{widen}(E_1.addr, E_1.type, E.type); \\ a_2 = \text{widen}(E_2.addr, E_2.type, E.type); \\ E.addr = \mathbf{new} \text{ Temp}(); \\ \text{gen}(E.addr '=' a_1 '+' a_2); \end{array} \}$$

```
Addr widen(Addr a, Type t, Type w)
    if ( t = w ) return a;
    else if ( t = integer and w = float ) {
        temp = new Temp();
        gen(temp '=' '(float)' a);
        return temp;
    }
    else error;
}
```

SDD for Coercion

$$E \rightarrow E_1 = E_2 \quad \{a = \text{widen}(E_2.\text{addr}, E_2.\text{type}, E_1.\text{type}) \\ \text{gen}(E_1.\text{addr}' = 'a')\}$$

Example

Assuming that function *widen* can handle any of the types in the widening hierarchy, translate the expressions below. Assume that c and d are characters, s and t are short integers, i and j are integers, and x is a float.

① $x = s + c$

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Example

Assuming that function *widen* can handle any of the types in the widening hierarchy, translate the expressions below. Assume that *c* and *d* are characters, *s* and *t* are short integers, *i* and *j* are integers, and *x* is a float.

```
1 x=s+c  
  t1 = (int) s  
  t2 = (int) c  
  t3 = t1 + t2  
  t4 = (float) t3  
  x = t4
```

SDD for Coercion

Example

$$② \ x = (s+c) + (t+d)$$

SDD for Coercion

Example

② $x = (s+c) + (t+d)$

$t1 = (\text{int}) s$

$t2 = (\text{int}) c$

$t3 = t1 + t2$

$t4 = (\text{int}) t$

$t5 = (\text{int}) d$

$t6 = t4 + t5$

$t7 = t3 + t6$

$t8 = (\text{float}) t7$

$x = t8$

Type Inference

- Type inference is useful for statically typed languages that does not require the programmer to declare types.

Type Inference

- Type inference is useful for statically typed languages that does not require the programmer to declare types.
- It ensures that types are used consistently.

Exercise 10-3

Example

Consider the following polymorphic function:

```
fun reverse(x) = if length(x)==1 then x else  
append(head(x), reverse(tail(x)))
```

What is the type of reverse?

Exercise 10-3

Example

Expression	Type	Unification
<code>reverse</code>	$\alpha_1 \rightarrow \beta_1$	
<code>x</code>	α_1	
<code>if</code>	$bool \times \alpha_2 \times \alpha_2 \rightarrow \alpha_2$	
<code>length</code>	$list(\alpha_3) \rightarrow int$	
<code>length(x)</code>	int	$\alpha_1 = list(\alpha_3)$
<code>==</code>	$\alpha_4 \times \alpha_4 \rightarrow bool$	
<code>length(x) == 1</code>	$bool$	$\alpha_4 = int$
<code>x</code>	$list(\alpha_3)$	$\alpha_2 = list(\alpha_3)$
<code>append</code>	$\alpha_5 \times list(\alpha_5) \rightarrow list(\alpha_5)$	
<code>append(head(x), reverse (tail(x)))</code>	$\alpha_2 = list(\alpha_3)$	$\alpha_5 = \alpha_3$
<code>head</code>	$list(\alpha_6) \rightarrow \alpha_6$	
<code>head(x)</code>	$\alpha_5 = \alpha_3$	$\alpha_6 = \alpha_5 = \alpha_3$
<code>reverse(tail(x))</code>	β_1	$\beta_1 = list(\alpha_5) = list(\alpha_3)$
<code>tail</code>	$list(\alpha_7) \rightarrow list(\alpha_7)$	
<code>tail(x)</code>	$list(\alpha_3)$	$\alpha_7 = \alpha_3$

Today's Plan

- 1 Type Checking
- 2 Translation Applications
- 3 Recap

SDT for Sequence of Variable Declarations

$$\begin{aligned} P &\rightarrow \{offset = 0\} \quad D \\ D &\rightarrow T \text{ id}; \quad \{table.put(id.lexeme, T.type, offset) \\ &\quad offset += T.width\} \\ &\quad D_1 \\ D &\rightarrow \varepsilon \\ T &\rightarrow int \quad \{T.type = int \quad T.width = 4\} \\ T &\rightarrow float \quad \{T.type = float \quad T.width = 8\} \\ T &\rightarrow record \{ \{Stack.push(table) \\ &\quad table = newTable() \\ &\quad Stack.push(offset) \\ &\quad offset = 0\} \\ D &\{T.type = record(table) \\ &\quad T.width = offset \\ &\quad offset = Stack.pop() \\ &\quad table = Stack.pop()\} \} \end{aligned}$$

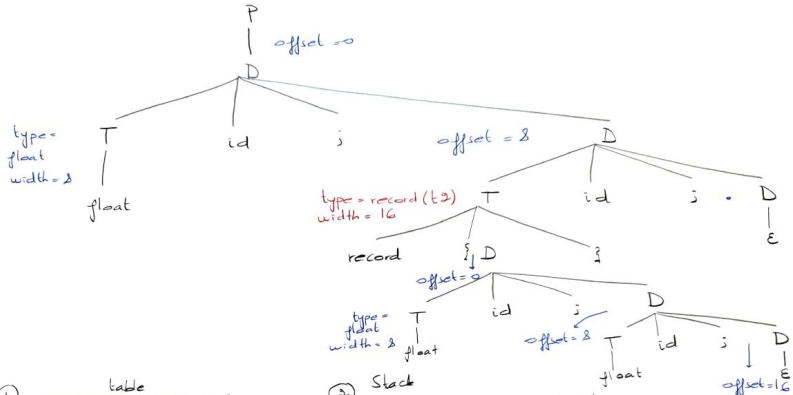
Exercise 10-1

Example

Determine the types and relative addresses for the identifiers in the following sequence of declarations:

```
float x;  
record {float x; float y;} p;  
record {int tag; float x; float y;} q;
```

Exercise 10-1



①

x	float	0
p	record (12)	8

② Stack

8 ✓

20 plant 0 ✓

x	float	0
y	float	2

← 2

Exercise 10-1

Example

ID	Address	Type
x	0	<i>float</i>
p.x	8	<i>float</i>
p.y	16	<i>float</i>
p	8	<i>record</i> ([$\langle x, 0, \text{float} \rangle$; $\langle y, 8, \text{float} \rangle$])
q.tag	24	<i>integer</i>
q.x	28	<i>float</i>
q.y	36	<i>float</i>
q	24	<i>record</i> ([$\langle \text{tag}, 0, \text{integer} \rangle$; $\langle x, 4, \text{float} \rangle$; $\langle y, 12, \text{float} \rangle$])

Today's Plan

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Covered Topics

- 1 Type Checking.
- 2 Memory Management at Compile Time.

Next Week: Intermediate Code Generation!