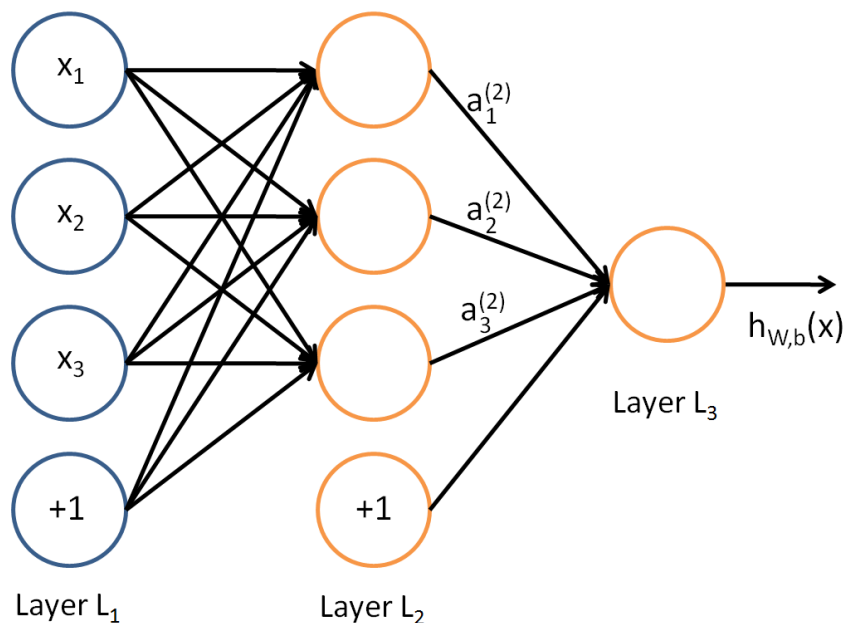


DEVNAGRI TEXT CLASSIFICATION

Objective : Build and train a neural networks to classify Devanagari Handwritten Characters.

Theory :

Multi-layer Neural Network approach is used , in which , a input , one hidden layer and one output layer is used , as shown below .



The Hidden Layer is fully connected (except the bias term) with the Input Layer and the Output Layer is fully connected with Hidden Layer.

Let's start with The Neural Network:

- 1) We will start at INPUT LAYER , we forward propagate the patterns of training data through the network to generate the an putput.
- 2) Based on the network's output , we calculate the error that we want to minimize (eg L2/L2 or MSE) using cost function.
- 3) We backpropagate the error, find its derivative with respect to each weight in the network , and update the model.

Finally , after repeating the steps for multiple epochs(eg:500,1000) and learning the weights of the Neural Network , we will use forward propagation to calculate the network output and apply a threshold function to obtain the predicted class labels .

Since each unit is connected to all previous unit , we first calculate the activation $a_1^{(2)}$,

$$z_1^{(2)} = a_0^{(1)} w_{1,0}^{(1)} + a_1^{(1)} w_{1,1}^{(1)} + \dots + a_m^{(1)} w_{1,m}^{(1)}$$

$$a_1^{(2)} = \Phi (z_1^{(2)}) \text{ ----- Activation function}$$

$z_1^{(2)}$, is net input and $\Phi(z)$ is activation function (sigmoid function), which has to be differentiable to learn the weights that connects the neurons using a gradient-based approach.

$$\Phi(z) = \frac{1}{1 + e^{-z}}$$

We are using a feedforward approach , which is , each layer serves as input to next layer without loops .

Code Description :

Class NeuralNet is defined with following arguments ,

- 1) n_output : no. of classes (=46 , no. of Devangri class)
- 2) n_feature : no. of features (32x32 , =1024)
- 3) n_hidden : no. of hidden layer input (=50)
- 4) l1 : L1 regularization parameter (=0.0)
- 5) l2 : L2 regularization parameter (= 0.0)
- 6) epochs : time period (=1000)
- 7) eta : learning parameter (=0.001)
- 8) alpha :
- 9) decrease_const : adaptive learning parameter
- 10) minibathces :

functions defines inside class NEURALNET :

1) **def _init_ :**

Initialises the class variables

2) **def _encode_lables :**

Encoding the class label as integer values , to avoid technical glitches. One hot encoding is used , it creates a new dummy feature for each unique value in nominal feature column.

3) **def _initilaize_weights:**

Randomly defining weights , between the value of (-1,1)

3) **def _sigmoid :** activation function , defined in theory section

4) **def _sigmoid_gradient:** return gradient of activation function , essential for backpropagation in order to calculate the gradients.

5) **def _add_bias_unit:** extra neuron is added to each pre-output layer that store the value 1 , it is not connected to any previous layer and it does not represent activity.

6) **def _get_cost :** Cost function , which has to be minimized in order to get the optimal weights. Logistic cost function is preferred over MSE , since it is a classification problem and not regression problem.

7) **def _get_gradient:** Calculates the gradient , (backpropagation step) , in order to update the weights.

8) **def _feedforward:** Feed-forward network , based on equations given in the theory section , using input features , and sigmoid activation function.

9) **def _L2_reg:** L2 regularization parameter for error calculation.

10) **def _L1_reg:** L1 regularization parameter for error calculation.

11) **def fit:** it fit's the training data , it first shuffle the training data (in order to obtain more accurate data) , adaptive learning rate is used in order to train the data and the weights are updated at each epochs.

12) **def predict:** it takes the testing or unclassified features value in order to predict the class of Devnagri text.

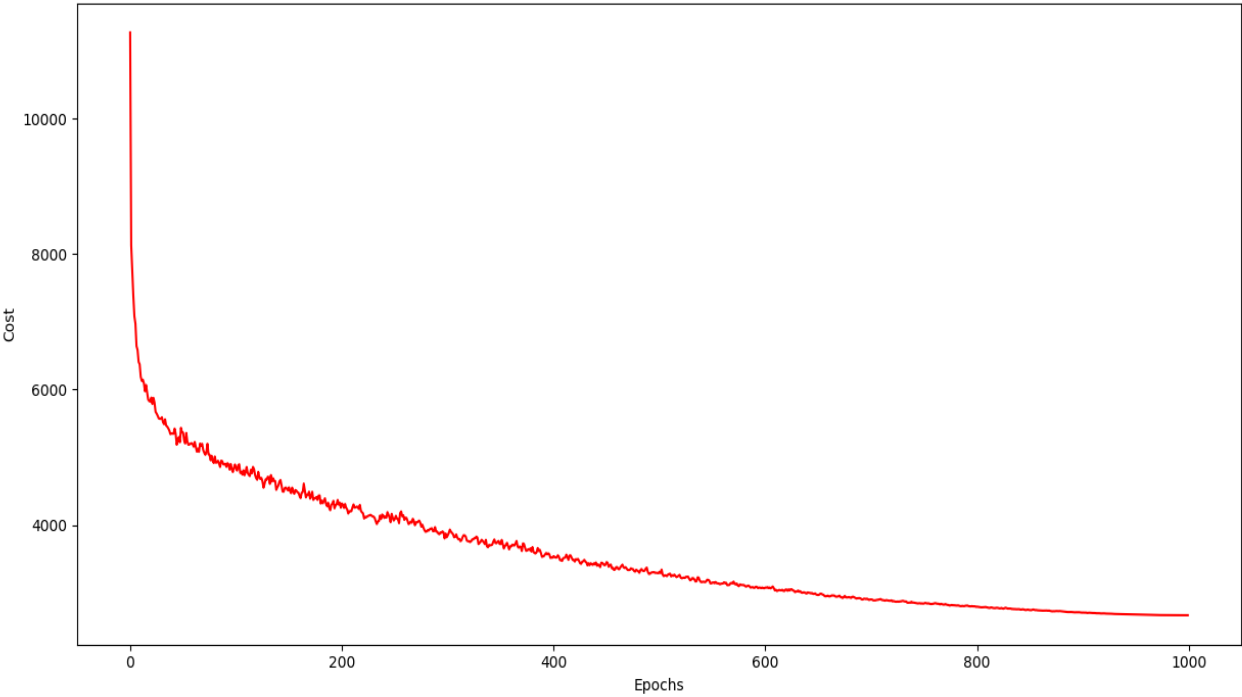
Rest of code , shows how to call the class NeuralNet ,plot cost vs epochs graph and predict values.

Result :

Training Accuracy : 77.75 %

1000Training accuracy: 77.75%

Cost v/s epoch



Code : (PYTHON BASED) :

```
import numpy as np

from scipy.special import expit # check and replace

import sys

import matplotlib.pyplot as plt

class NeuralNet(object):

    def
    __init__(self,n_output,n_feature,n_hidden=30,l1=0.0,l2=0.0,epochs=500,eta=0.001,alpha=0.0,decrease_const=0.0,s
    huffle=True,minibatches=1,random_state=None):

        np.random.seed(random_state)

        self.n_output = n_output

        self.n_feature = n_feature

        self.n_hidden = n_hidden

        self.w1,self.w2 = self._initialize_weights()

        self.l1=l1

        self.l2=l2

        self.epochs = epochs

        self.eta= eta

        self.alpha= alpha

        self.decrease_cost = decrease_const

        self.shuffle = shuffle

        self.minibatches = minibatches


    def _encode_labels(self,y,k):

        onehot = np.zeros((k,y.shape[0]))

        for idx,val in enumerate(y):

            onehot[val][idx]=1.0

        return onehot


    def _initialize_weights(self):

        w1 = np.random.uniform(-1.0,1.0,size=self.n_hidden*(self.n_feature+1))

        w1 = w1.reshape(self.n_hidden,self.n_feature+1)

        w2 = np.random.uniform(-1.0,1.0,size=self.n_output*(self.n_hidden+1))

        w2 = w2.reshape(self.n_output,self.n_hidden +1)

        return w1,w2
```

```

def _sigmoid(self,z):
    Act = 1.0/(1.0 + np.exp(-z))
    return Act

def _sigmoid_gradient(self,z):
    sg=self._sigmoid(z)
    return sg*(1-sg)

def _add_bias_unit(self,X,how='column'):
    if how=='column':
        X_new = np.ones((X.shape[0],X.shape[1]+1))
        X_new[:,1:]=X
    elif how=='row':
        X_new = np.ones((X.shape[0]+1,X.shape[1]))
        X_new[1:,:] = X
    else :

        raise AttributeError('how must be column or row ')

    return X_new

def _feedforward(self,X,w1,w2):
    a1 = self._add_bias_unit(X,how='column')
    z2 = w1.dot(a1.T)
    a2 = self._sigmoid(z2)
    a2 = self._add_bias_unit(a2,how='row')
    z3 = w2.dot(a2)
    a3 = self._sigmoid(z3)
    return a1,z2,a2,z3,a3

def _L2_reg(self,lambda_,w1,w2):
    return (lambda_/2.0)*(np.sum(w1[:,1:]**2)+np.sum(w2[:,1:]**2))

```

```
def _L1_reg(self,lambda_,w1,w2):
    return (lambda_/2.0)*(np.abs(w1[:,1:]).sum() + np.abs(w2[:,1:]).sum())
```

```
def _get_cost(self,y_enc,output,w1,w2):
    term1 = -y_enc*(np.log(output))
    term2 = (1-y_enc)*np.log(1-output)
    cost = np.sum(term1 - term2)
    L1_term = self._L1_reg(self.l1,w1,w2)
    L2_term = self._L2_reg(self.l2,w1,w2)
    cost = cost + L1_term + L2_term
    return cost
```

```
def _get_gradient(self, a1, a2, a3, z2, y_enc, w1, w2):
    sigma3 = a3 - y_enc          #backpropogation
    z2 = self._add_bias_unit(z2, how='row')
    sigma2 = w2.T.dot(sigma3) * self._sigmoid_gradient(z2)
```

```
sigma2 = sigma2[1:, :]
grad1 = sigma2.dot(a1)
grad2 = sigma3.dot(a2.T)
```

```
#regularize
grad1[:, 1:] += (w1[:, 1:] * (self.l1 + self.l2))
grad2[:, 1:] += (w2[:, 1:] * (self.l1 + self.l2))
```

```
return grad1, grad2
```

```
def predict(self, X):
    a1, z2, a2, z3, a3 = self._feedforward(X, self.w1, self.w2)

    y_pred = np.argmax(z3, axis=0)
    return y_pred
```

```
def fit(self, X, y, print_progress=False):
```

```

self.cost_=[]

X_data ,y_data = X.copy(),y.copy()

y_enc = self._encode_labels(y,self.n_output)


delta_w1_prev = np.zeros(self.w1.shape)
delta_w2_prev = np.zeros(self.w2.shape)


for i in range(self.epochs):

    #adaptive learning rate

    self.eta/= (1+self.decrease_cost*i)


    if print_progress:

        sys.stderr.write('\rEpoch: %d/%d' % (i+1, self.epochs))

        sys.stderr.flush()


    if self.shuffle:

        idx = np.random.permutation(y_data.shape[0])

        X_data, y_data = X_data[idx], y_data[idx]


    mini = np.array_split(range(y_data.shape[0]), self.minibatches)


    for idx in mini:

        #feedforward

        a1, z2, a2, z3, a3 = self._feedforward(X[idx], self.w1, self.w2) #errore

        cost = self._get_cost(y_enc=y_enc[:, idx],

output=a3,w1=self.w1,w2=self.w2)

        self.cost_.append(cost)

        #compute gradient via backpropagation

        grad1, grad2 = self._get_gradient(a1=a1, a2=a2,a3=a3, z2=z2,

y_enc=y_enc[:, idx],w1=self.w1,w2=self.w2)


        #update weights

        delta_w1, delta_w2 = self.eta * grad1,self.eta * grad2

        self.w1 -= (delta_w1 + (self.alpha * delta_w1_prev))

```

```
self.w2 -= (delta_w2 + (self.alpha * delta_w2_prev))

delta_w1_prev, delta_w2_prev = delta_w1, delta_w2

return self
```

```
X_train = np.genfromtxt(r'C:\Users\Rag9704\Documents\devnagri_image.csv',dtype=int,delimiter=',')
y_train = np.genfromtxt(r'C:\Users\Rag9704\Documents\Devnagri_label.csv',dtype=int,delimiter=',')
X_test = np.genfromtxt(r'C:\Users\Rag9704\Documents\devnagri_test_image.csv',dtype=int,delimiter=',')
y_test = np.genfromtxt(r'C:\Users\Rag9704\Documents\devnagri_test_label.csv',dtype=int,delimiter=',')
```

```
nn = NeuralNet(n_output=46,n_feature=X_train.shape[1],n_hidden=50,l2=0.1,l1 = 0.0,epochs = 10,alpha =
0.001,decrease_const = 0.00001,shuffle = True,minibatches=50,random_state=1)
```

```
nn.fit(X_train,y_train,print_progress=True)
```

```
plt.plot(range(len(nn.cost_)),nn.cost_)
#plt.ylim([0,2000])
plt.ylabel('Cost')
plt.xlabel('Epochs*50')
plt.tight_layout()
plt.show()
```

```
batches =np.array_split(range(len(nn.cost_)), 1000)
cost_ary = np.array(nn.cost_)
cost_avgs = [np.mean(cost_ary[i]) for i in batches]
plt.plot(range(len(cost_avgs)),cost_avgs,color='red')
#plt.ylim([0,2000])
plt.ylabel('Cost')
plt.xlabel('Epochs')
plt.tight_layout()
plt.show()
```

```
y_train_pred = nn.predict(X_train)
acc = np.sum(y_train == y_train_pred, axis=0) / X_train.shape[0]
```



```
print('Training accuracy: %.2f%%' % (acc * 100))
```