



**MANIPAL UNIVERSITY
JAIPUR**

(University under Section 2(f) of the UGC Act)



B.TECH SECOND YEAR

ACADEMIC YEAR: 2022-2023



COURSE NAME: ENGINEERING MATHEMATICS-III

COURSE CODE : MA 2101

LECTURE SERIES NO :

CREDITS : 3

MODE OF DELIVERY : ONLINE (POWER POINT PRESENTATION)

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PROPOSED DATE OF DELIVERY:



**MANIPAL UNIVERSITY
JAIPUR**

VISION

Global Leadership in Higher Education and Human Development

MISSION

- Be the most preferred University for innovative and interdisciplinary learning
- Foster academic, research and professional excellence in all domains
- Transform young minds into competent professionals with good human values

VALUES

Integrity, Transparency, Quality,
Team Work, Execution with Passion, Humane Touch

SESSION OUTCOME

"KNOWLEDGE OF DIFFERENT TYPES
OF GRAPHS "

ASSIGNMENT

QUIZ

MID TERM EXAMINATION –I & II

END TERM EXAMINATION

ASSESSMENT CRITERIA'S

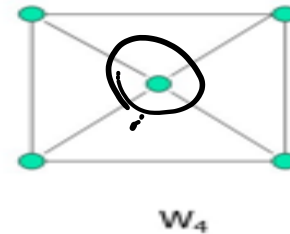
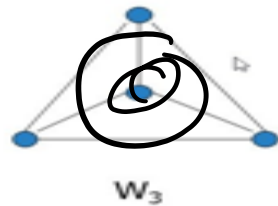
PROGRAM OUTCOMES MAPPING WITH C02

**ENGINEERING KNOWLEDGE: APPLY THE KNOWLEDGE
OF MATHEMATICS, SCIENCE, ENGINEERING
FUNDAMENTALS, AND AN ENGINEERING
SPECIALIZATION TO THE SOLUTION OF COMPLEX
ENGINEERING PROBLEMS.**

Simple graphs – special cases

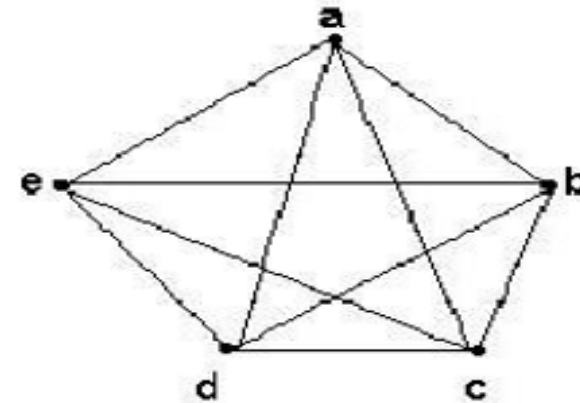
Wheels: W_n , obtained by adding additional vertex to C_n and connecting all vertices to this new vertex by new edges.

Representation Example: W_3 , W_4



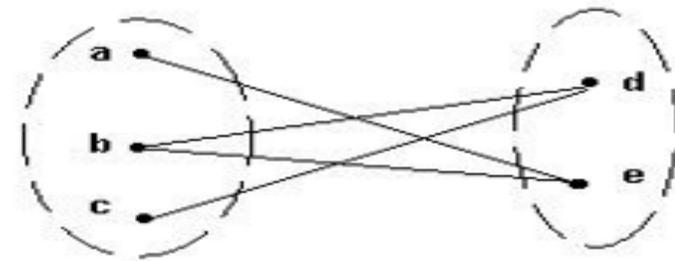
Complete graph K_n

- Let $n \geq 3$
- The *complete graph* K_n is the graph with n vertices and every pair of vertices is joined by an edge.
- The figure represents K_5

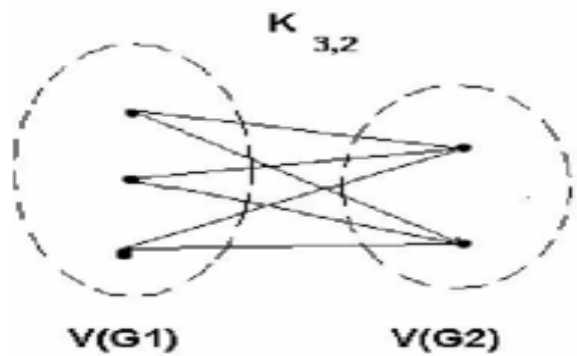


Bipartite graphs

- A bipartite graph G is a graph such that
$$V(G) = V(G_1) \cup V(G_2)$$
$$|V(G_1)| = m, |V(G_2)| = n$$
$$V(G_1) \cap V(G_2) = \emptyset$$
 - No edges exist between any two vertices in the same subset $V(G_k)$, $k = 1, 2$



Complete bipartite graph $K_{m,n}$



A bipartite graph is the *complete* bipartite graph $K_{m,n}$ if every vertex in $V(G_1)$ is joined to a vertex in $V(G_2)$ and conversely,

$$|V(G_1)| = m$$

$$|V(G_2)| = n$$

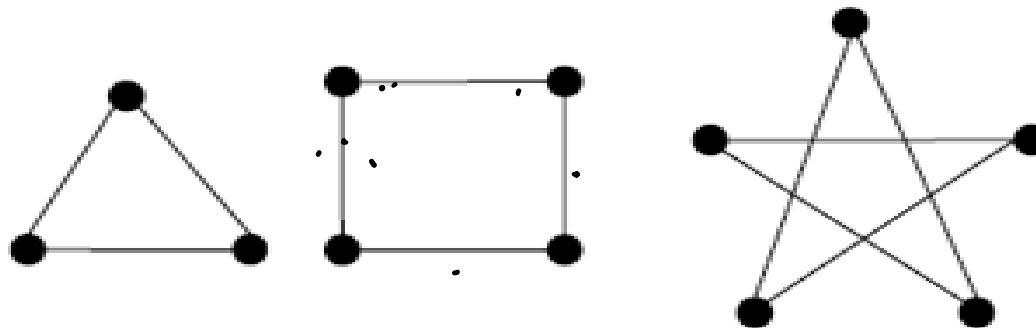
REMARK

Maximum Number Of Edges-

1. Any bipartite graph consisting of “n” vertices can have at most $\frac{1}{4} n^2$ edges.
2. Minimum possible number of edges in a bipartite graph on “n” vertices = $\frac{1}{4} n^2$

Regular graph

A graph, in which all vertices are of **equal degree**, is called a **regular graph**.
If the degree of each vertex is r , then the graph is called a **regular graph of degree r** .



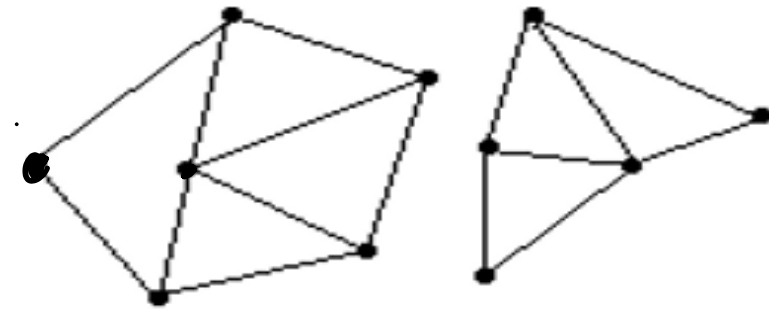
Exercises

- N1: Show that each $K_{m,n}$ is bipartite.
- N2: Show that each Q_n is bipartite.
- N3(*): Show that a graph is bipartite if and only if it has no odd cycles.
- N4: Which generalized Petersen graphs $G(n,k)$ are bipartite?

Connected graphs

A graph is *connected* if every pair of vertices can be connected by a path.

Each connected subgraph of a non-connected graph G is called a *component* of G



2 connected components