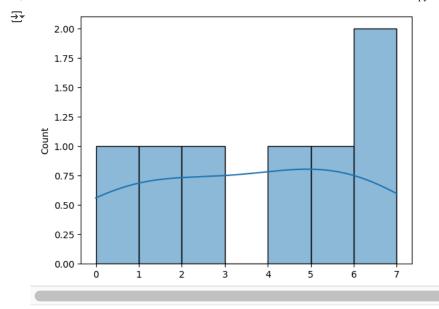
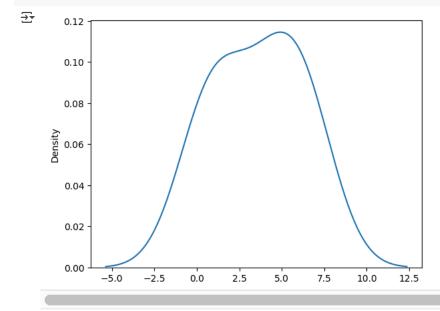
```
# Measure of shape (3rd Business Moment)
# skewness
import pandas as pd
import seaborn as sns
import matplotlib.pyplot as plt
df = pd.DataFrame({"x":[1,2,3,4,5]})
df
₹
        Х
            \overline{\Pi}
     0 1
     1 2
     2 3
 Next steps: ( Generate code with df )
                                View recommended plots
                                                            New interactive sheet
df['x'].skew()
→ np.float64(0.0)
df = pd.DataFrame({"x":[0,1,2,4,5,6,7]},
                  "y":[1,2,3,4,5,6,7],
                  "z":[2,3,4,33,44,55,6]})
df
₹
        х у
              z
                  0 0 1
              2
                  ıl.
     1 1 2 3
     2 2 3 4
     3 4 4 33
     4 5 5 44
     5 6 6 55
 Next steps: ( Generate code with df )
                                View recommended plots
                                                            New interactive sheet
print("Mean of x:",df["x"].mean())
print("Median of x:",df["x"].median())
print("Skewness of x:",df["x"].skew())
→ Mean of x: 3.5714285714285716
    Median of x: 4.0
    Skewness of x: -0.11221840987727329
sns.histplot(df["x"],bins=7,kde=True)
plt.show()
```



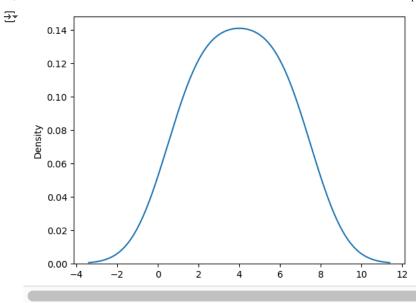
```
sns.kdeplot(df['x'])
plt.show()
```



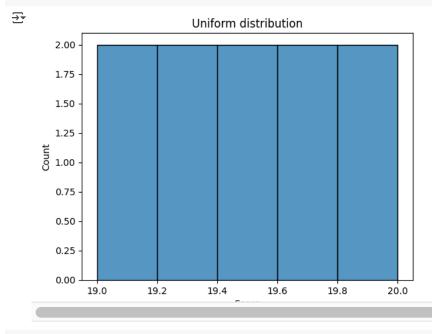
```
print ("mean of y:",df["y"].mean())
print ("median of y:",df["y"].median())
print ("skewness of y:",df["y"].skew())
```

mean of y: 4.0 median of y: 4.0 skewness of y: 0.0

```
sns.kdeplot(df['y'])
plt.show()
```



ds1 = pd.DataFrame({'Score':[19,19.1,19.2,19.3,19.4,19.5,19.6,19.7,19.8,20]})
sns.histplot(ds1['Score'])
plt.title('Uniform distribution')
plt.show()



# Calculate probability using Z-score

Zvalue = (49-60)/10Zvalue

from scipy import stats
stats.norm.cdf(Zvalue)

p.float64(0.13566606094638267)

Q. When measuring the heights of all students as a local university, it was found that it was normally distributed with a mean height of 5.5 feet and standard deviation of 0.5 feet. What proportion of students are between 5.81 feet to 6.3 feet?

```
z1 = (5.81-5.5)/0.5
z2 = (6.3-5.5)/0.5
p1 = stats.norm.cdf(z1)
p2 =stats.norm.cdf(z2)
print("probability of students less than 6.3:",p2)
→ probability of students less than 6.3: 0.945200708300442
# Central Limit Theorem:
# Calculate zscore using probability
from scipy import stats
stats.norm.ppf(0.99)
np.float64(2.3263478740408408)
#Bivariate & Multivariate Analysis
import pandas as pd
df = pd.DataFrame({"x":[11,22,13,24,30], "y":[10,9,8,7,6],"z":[18,19,21,22,40]})
df
₹
         x y z
                     0 11 10 18
                     ıl.
     1 22 9 19
     2 13 8 21
     3 24 7 22
 Next steps: ( Generate code with df )

    View recommended plots

                                                              New interactive sheet
df.cov()
\overline{\mathbf{T}}
                          z
                              \overline{\mathbf{H}}
            X
                   у
     x 62.50 -10.00 54.25
                              th
     y -10.00
                 2.50 -11.75
# Correlation
df.corr()
₹
                                       \blacksquare
               Х
         1 000000 0 000000 0 755407
```