



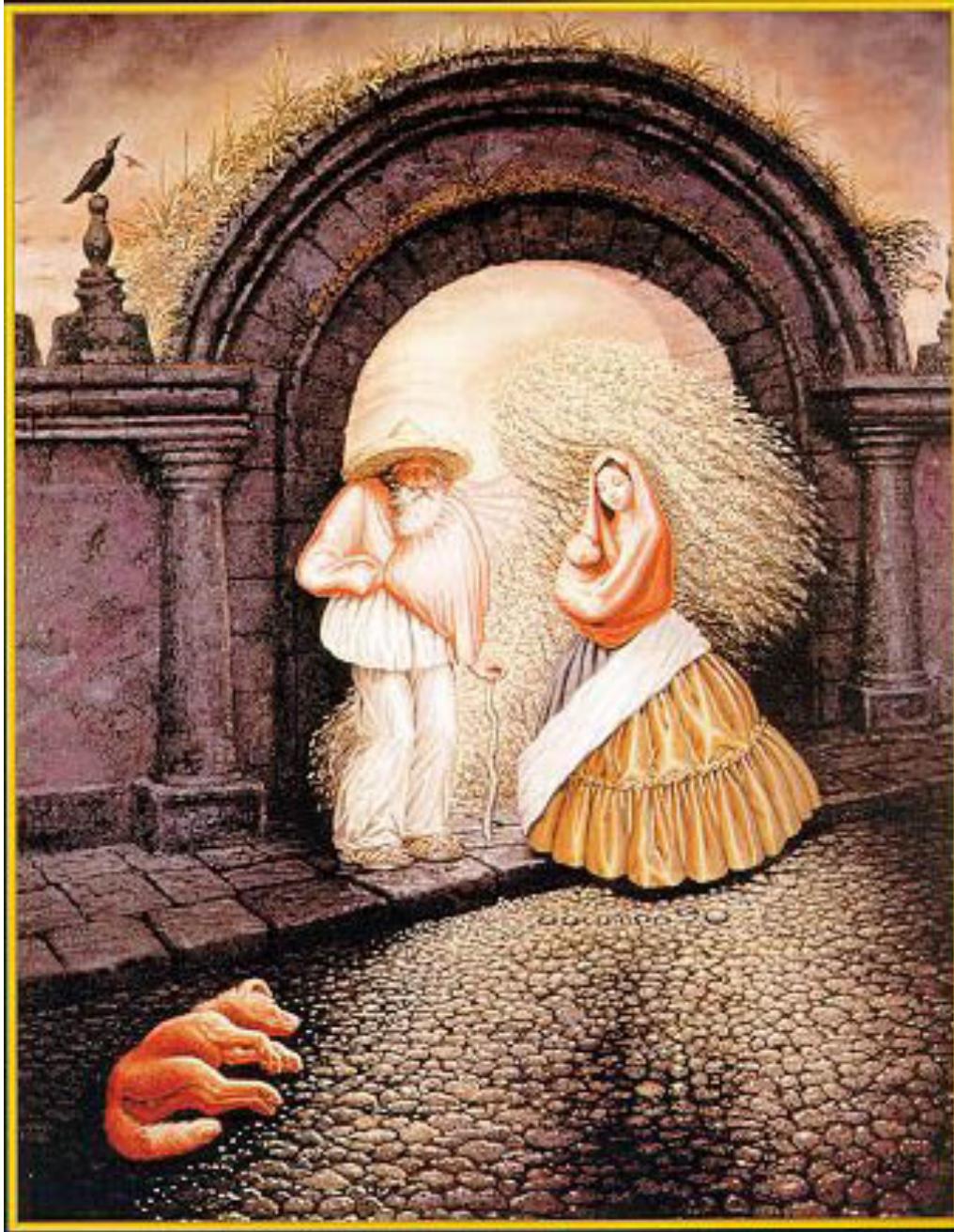
# Lecture: Segmentation

Juan Carlos Niebles and Ranjay Krishna  
Stanford Vision and Learning Lab



# CS 131 Roadmap

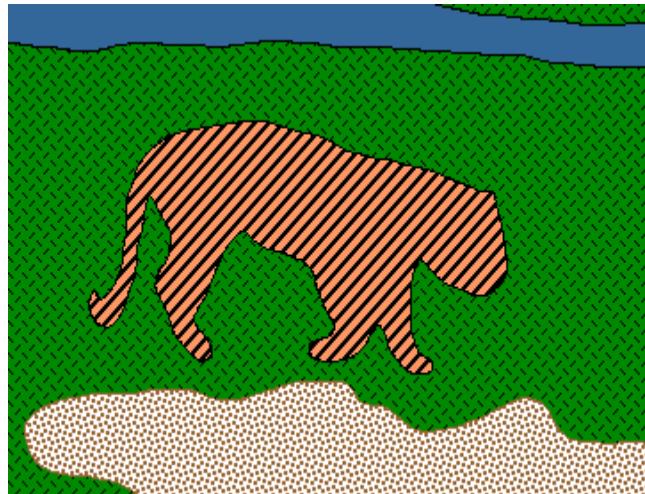






# Image Segmentation

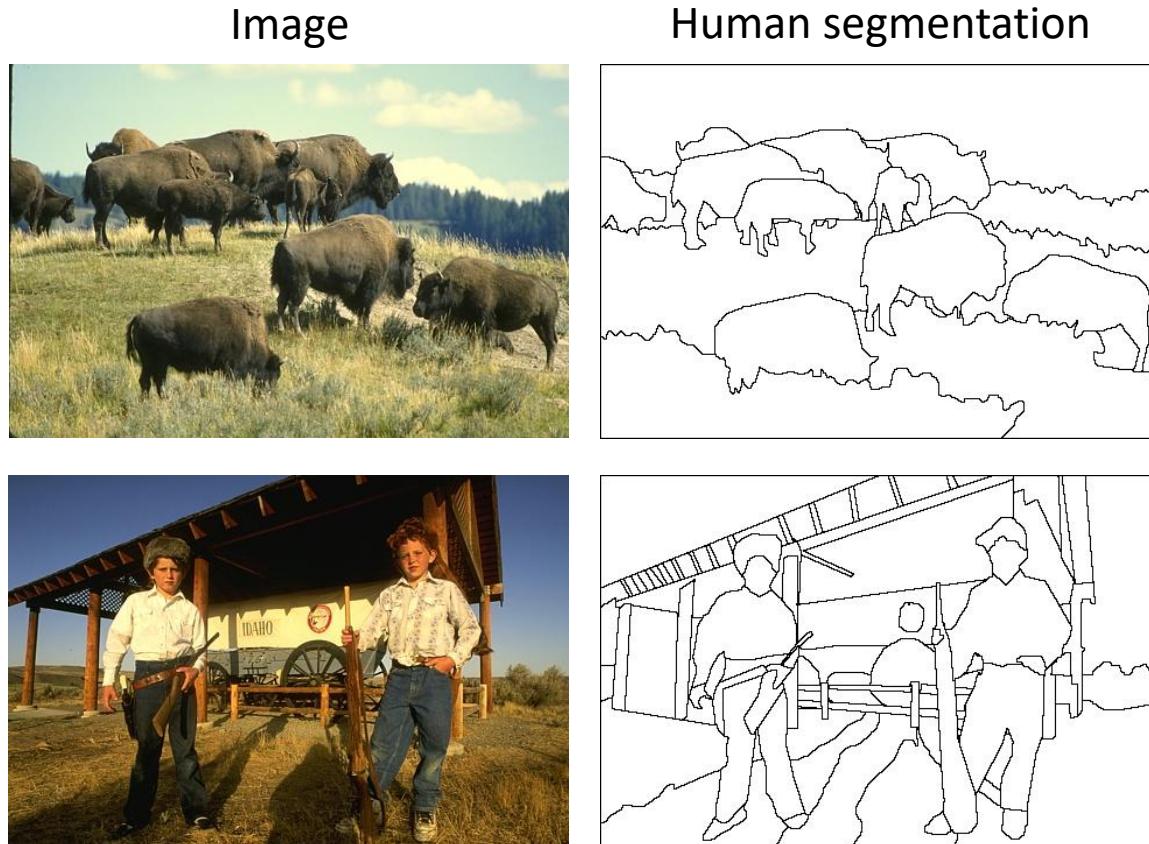
- Goal: identify groups of pixels that go together





# The Goals of Segmentation

- Separate image into coherent “objects”

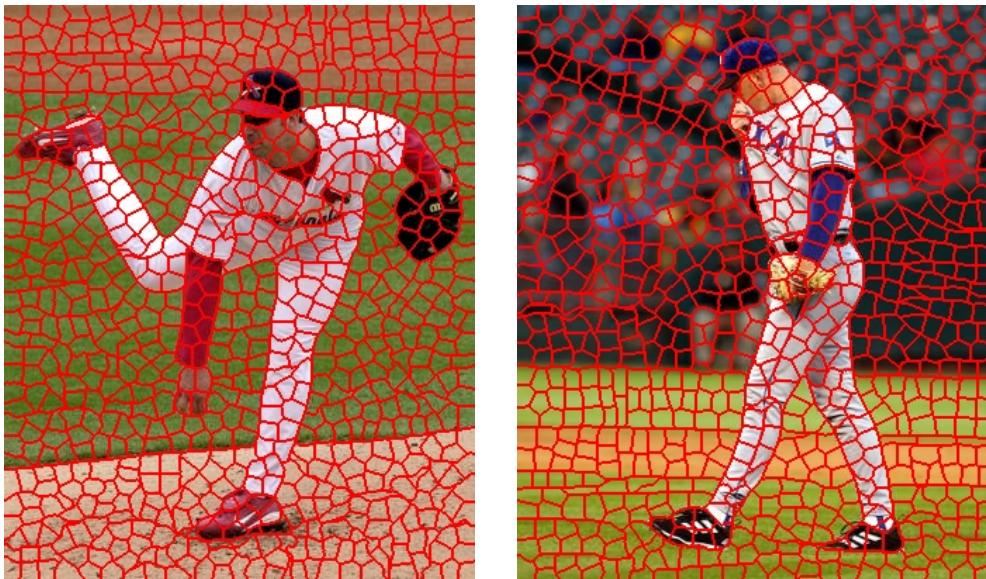




# The Goals of Segmentation

- Separate image into coherent “objects”
- Group together similar-looking pixels for efficiency of further processing

“superpixels”



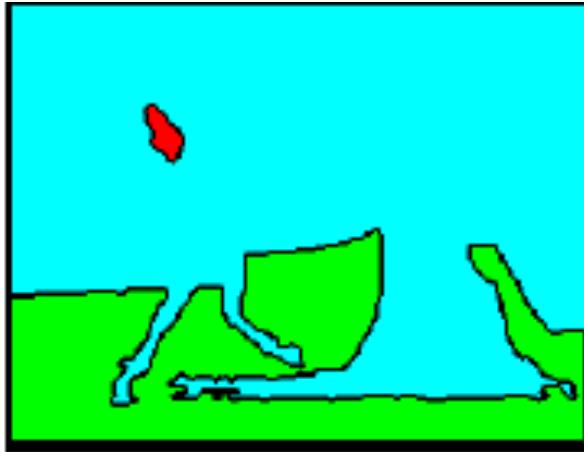
X. Ren and J. Malik. [Learning a classification model for segmentation](#). ICCV 2003.



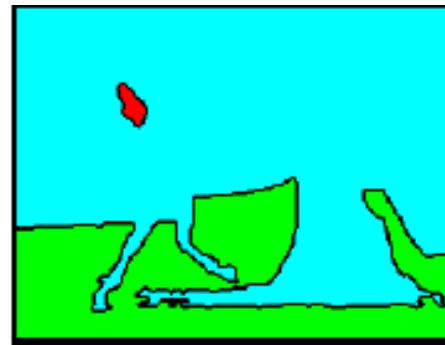
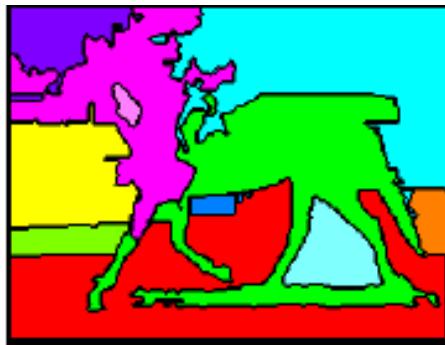
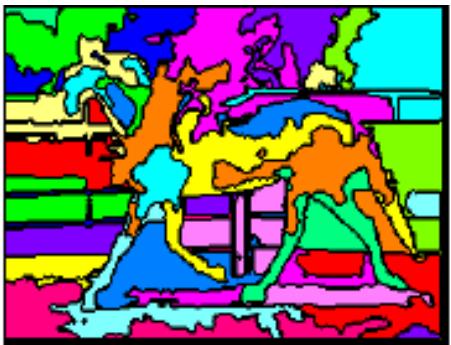
# Types of segmentations



Oversegmentation



Undersegmentation



Multiple Segmentations



# One way to think about “segmentation” is Clustering

Clustering: group together similar data points and represent them with a single token

Key Challenges:

- 1) What makes two points/images/patches similar?
- 2) How do we compute an overall grouping from pairwise similarities?

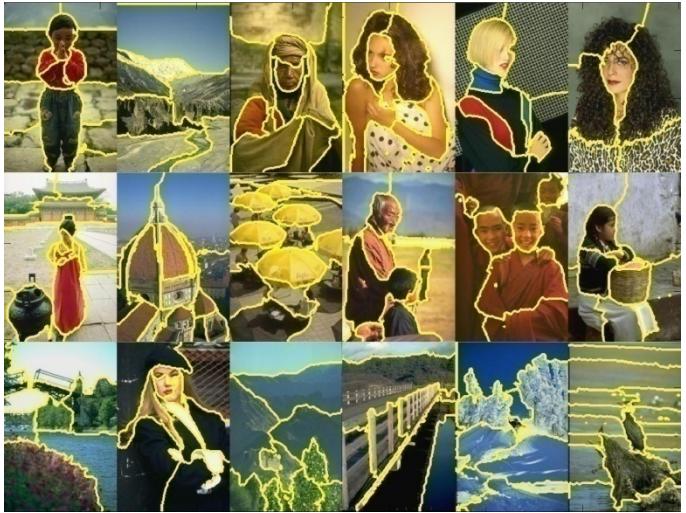


# Why do we cluster?

- **Summarizing data**
  - Look at large amounts of data
  - Patch-based compression or denoising
  - Represent a large continuous vector with the cluster number
- **Counting**
  - Histograms of texture, color, SIFT vectors
- **Segmentation**
  - Separate the image into different regions
- **Prediction**
  - Images in the same cluster may have the same labels



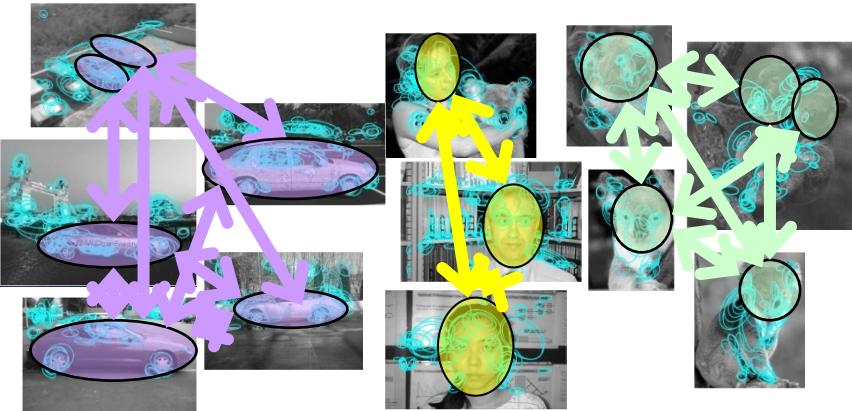
# Examples of Grouping in Vision



Determining image regions

*What things should  
be grouped?*

*What cues  
indicate groups?*



Object-level grouping



Grouping video frames into shots



Figure-ground



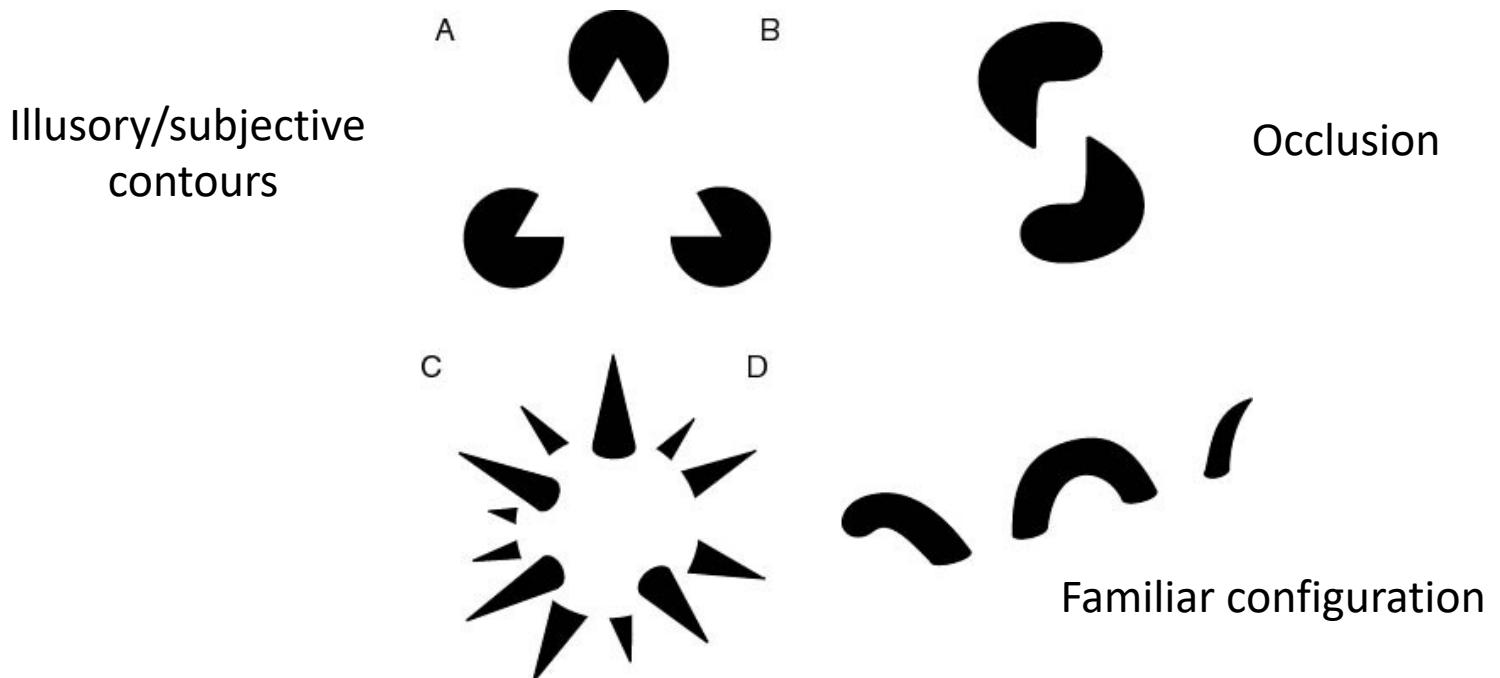
# What we will learn today

- Introduction to segmentation and clustering
- Gestalt theory for perceptual grouping
- Agglomerative clustering
- Oversegmentation



# The Gestalt School

- Grouping is key to visual perception
- Elements in a collection can have properties that result from **relationships**
  - “The whole is greater than the sum of its parts”



[http://en.wikipedia.org/wiki/Gestalt\\_psychology](http://en.wikipedia.org/wiki/Gestalt_psychology)

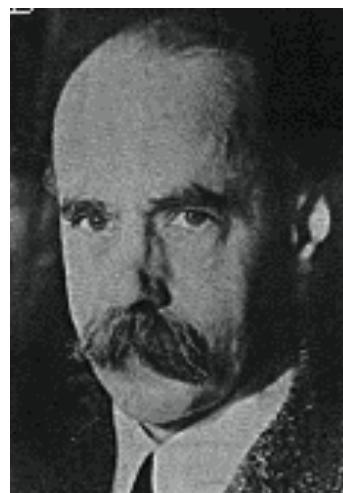


# Gestalt Theory

- Gestalt: whole or group
  - Whole is greater than sum of its parts
  - Relationships among parts can yield new properties/features
- Psychologists identified series of factors that predispose set of elements to be grouped (by human visual system)

*"I stand at the window and see a house, trees, sky.  
Theoretically I might say there were 327 brightnesses  
and nuances of colour. Do I have "327"? No. I have sky, house,  
and trees."*

Max Wertheimer  
(1880-1943)



Untersuchungen zur Lehre von der Gestalt,  
*Psychologische Forschung*, Vol. 4, pp. 301-350, 1923  
<http://psy.ed.asu.edu/~classics/Wertheimer/Forms/forms.htm>



# Gestalt Factors



Not grouped



Proximity



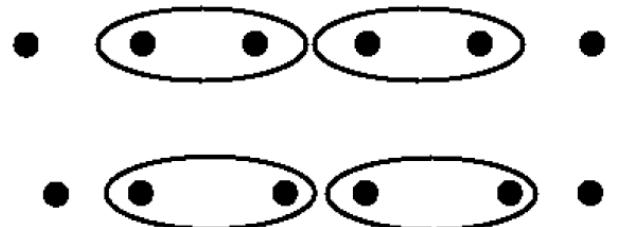
Similarity



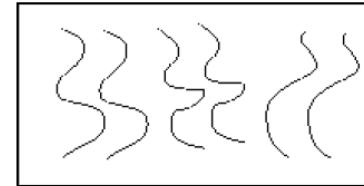
Similarity



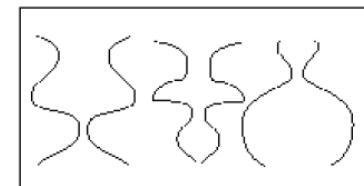
Common Fate



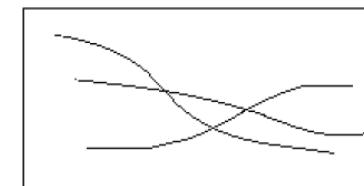
Common Region



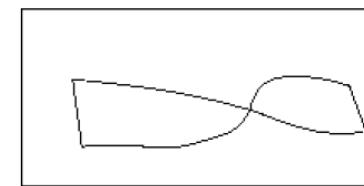
Parallelism



Symmetry



Continuity

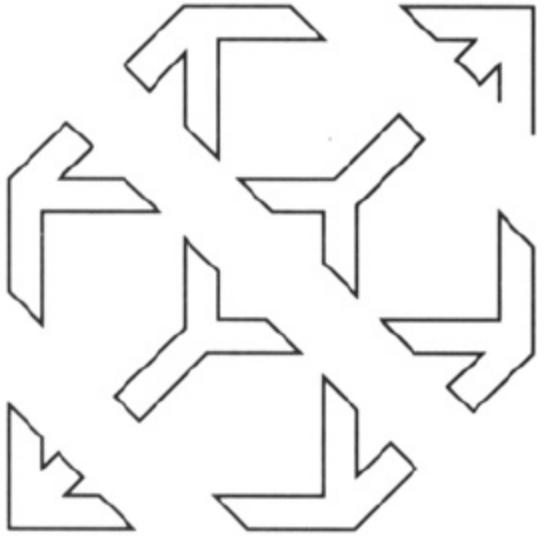


Closure

- These factors make intuitive sense, but are very difficult to translate into algorithms.

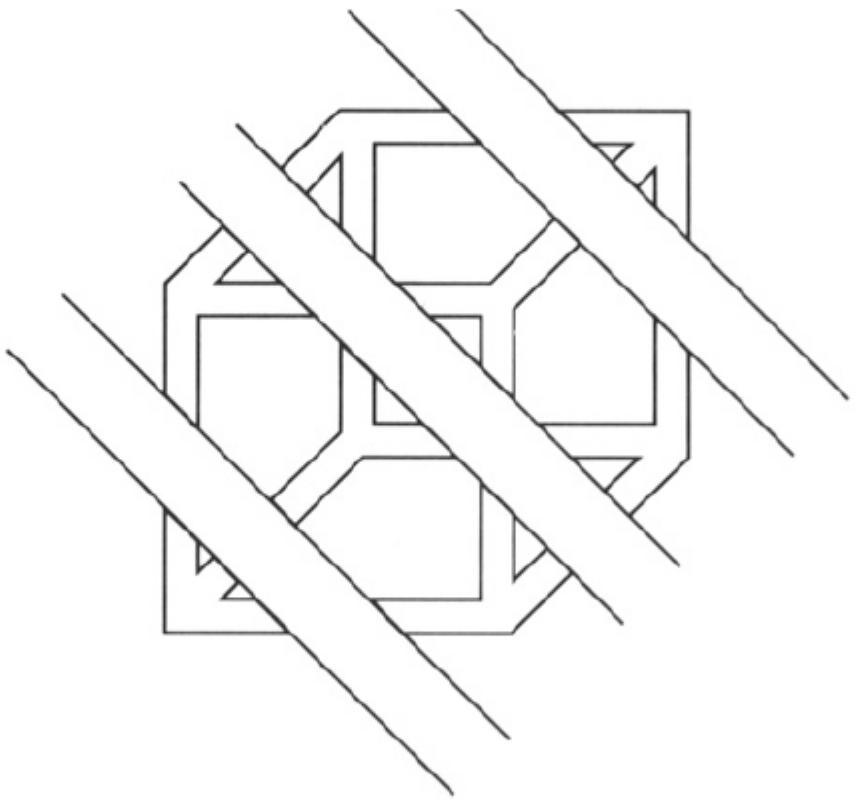


# Continuity through Occlusion Cues





# Continuity through Occlusion Cues



Continuity, explanation by occlusion



# Continuity through Occlusion Cues

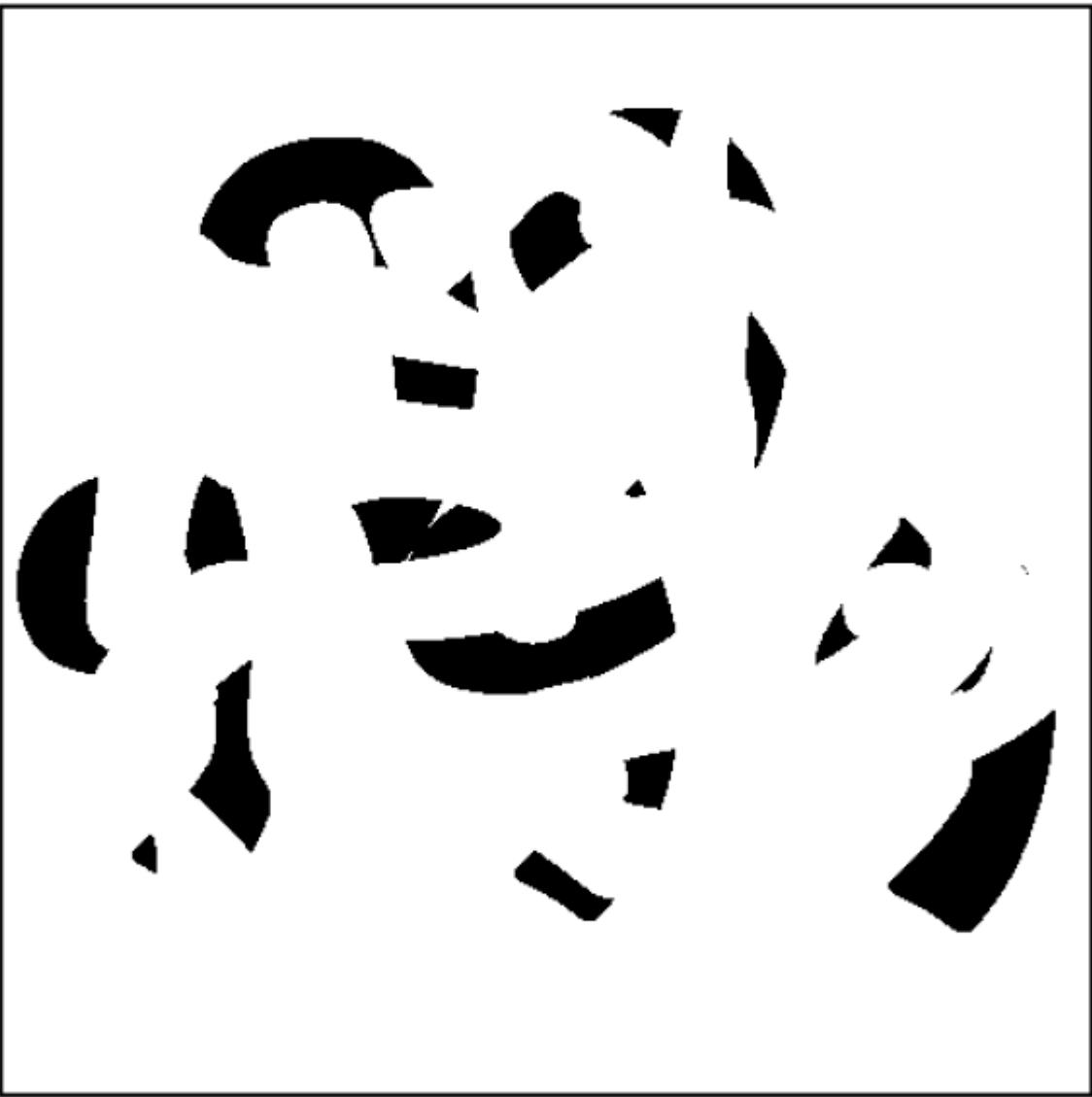


Image source: Forsyth & Ponce



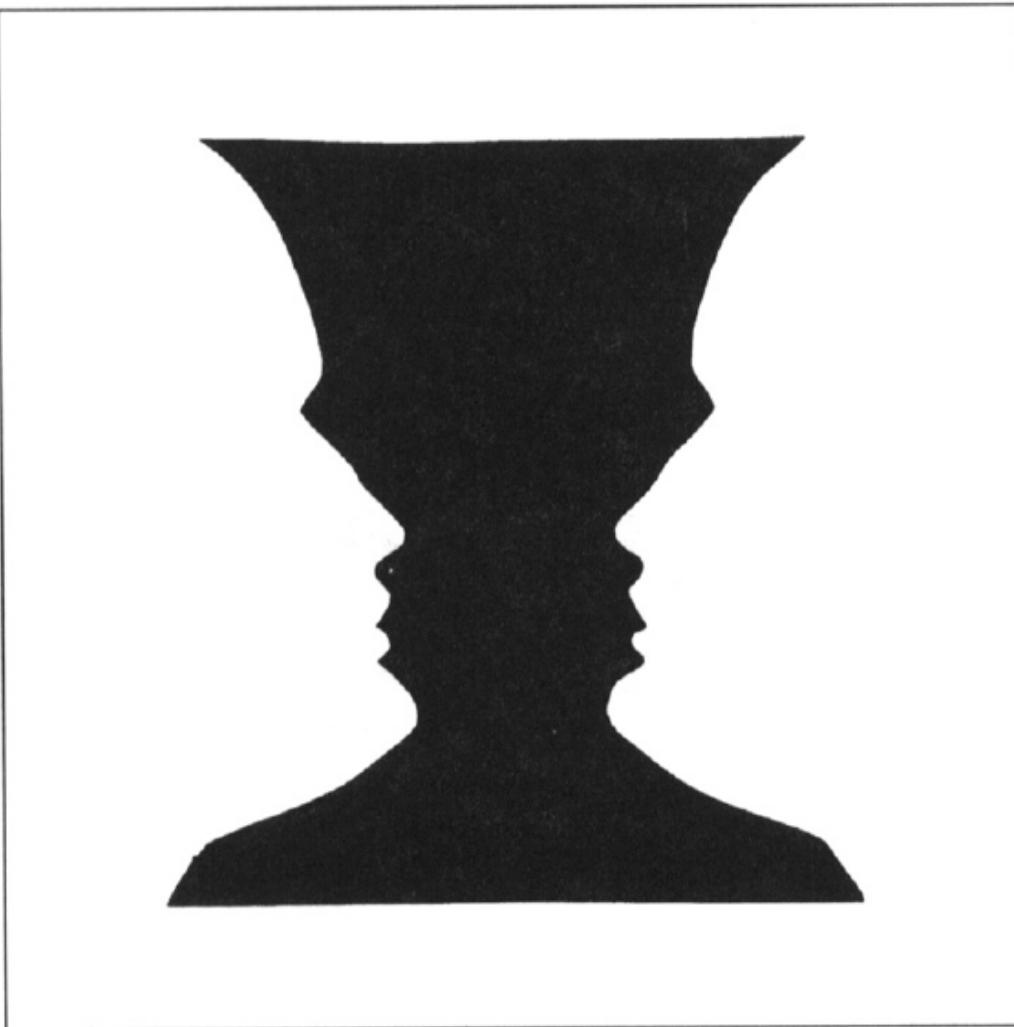
# Continuity through Occlusion Cues



Image source: Forsyth & Ponce



# Figure-Ground Discrimination



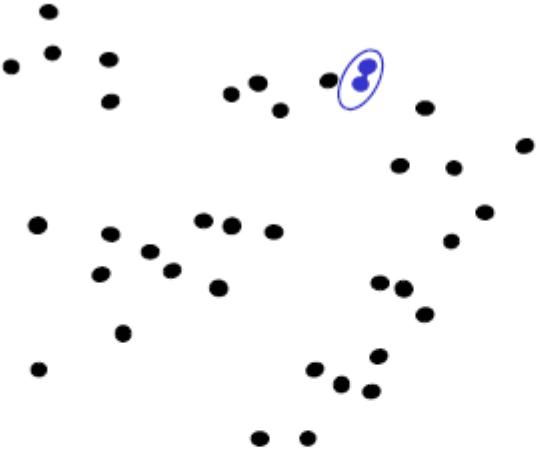


# The Ultimate Gestalt?





# Agglomerative clustering



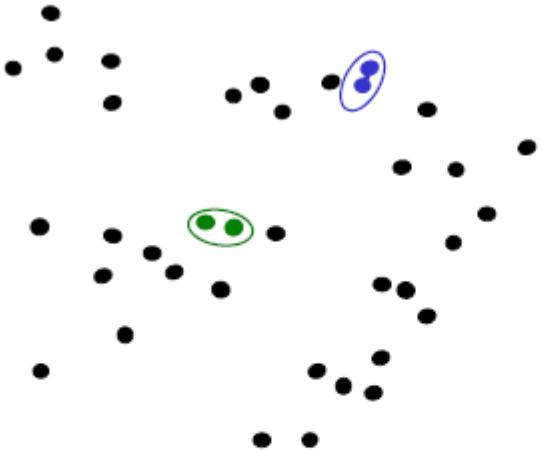
1. Say "Every point is its own cluster"
2. Find "most similar" pair of clusters
3. Merge it into a parent cluster



Slide credit: Andrew Moore



# Agglomerative clustering



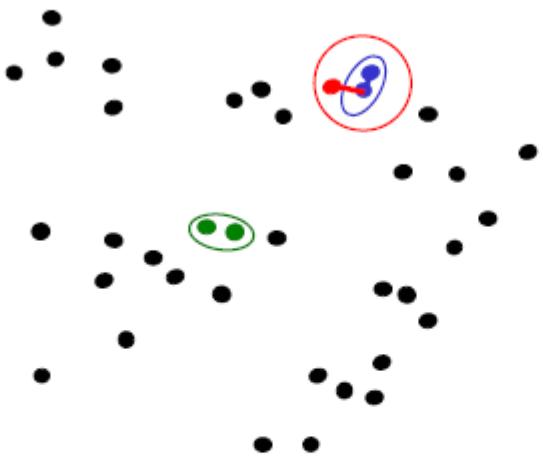
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# Agglomerative clustering



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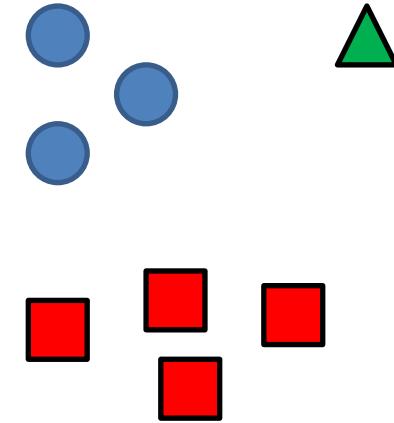
Slide credit: Andrew Moore



# Agglomerative clustering

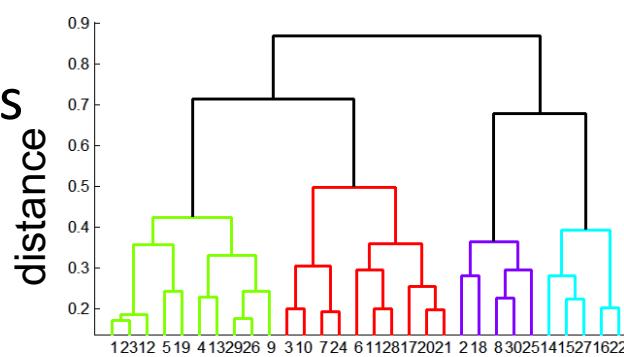
How to define cluster similarity?

- Average distance between points,
- maximum distance
- minimum distance
- Distance between means or medoids



How many clusters?

- Clustering creates a dendrogram (a tree)
- Threshold based on max number of clusters or based on distance between merges





# Agglomerative Hierarchical Clustering - Algorithm

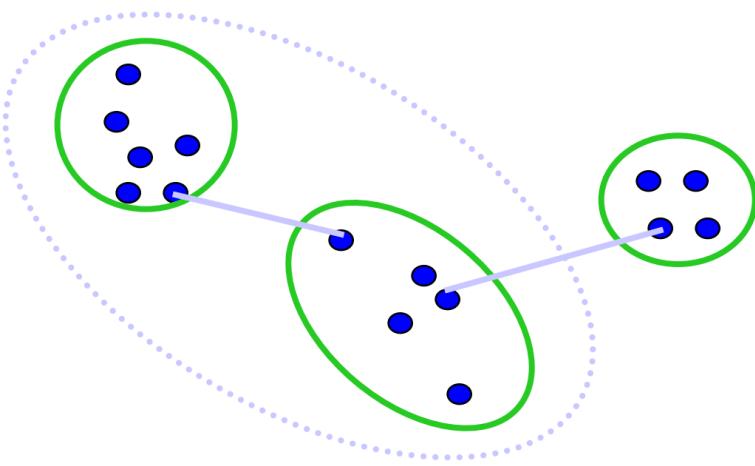
1. Initially each item  $x_1, \dots, x_n$  is in its own cluster  $C_1, \dots, C_n$ .
2. Repeat until there is only one cluster left:
  3. Merge the nearest clusters, say  $C_i$  and  $C_j$ .



# Different measures of nearest clusters

## Single Link

- $d(C_i, C_j) = \min_{x \in C_i, x' \in C_j} d(x, x')$ . This is known as *single-linkage*. It is equivalent to the minimum spanning tree algorithm. One can set a threshold and stop clustering once the distance between clusters is above the threshold. Single-linkage tends to produce long and skinny clusters.



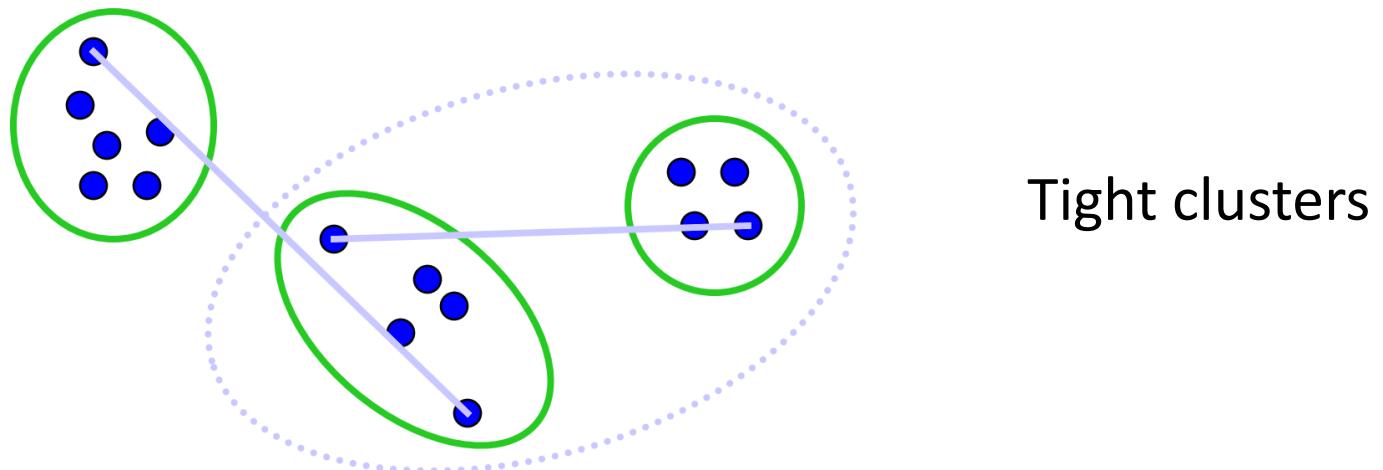
Long, skinny clusters



# Different measures of nearest clusters

## Complete Link

- $d(C_i, C_j) = \max_{x \in C_i, x' \in C_j} d(x, x')$ . This is known as *complete-linkage*. Clusters tend to be compact and roughly equal in diameter.

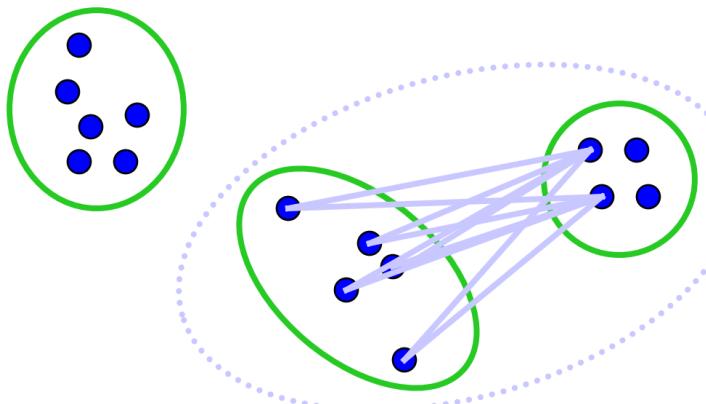




# Different measures of nearest clusters

## Average Link

- $d(C_i, C_j) = \frac{\sum_{x \in C_i, x' \in C_j} d(x, x')}{|C_i| \cdot |C_j|}$ . This is the average distance between items. Somewhere between single-linkage and complete-linkage.



Robust against noise.



# Conclusions: Agglomerative Clustering

## Good

- Simple to implement, widespread application.
- Clusters have adaptive shapes.
- Provides a hierarchy of clusters.
- No need to specify number of clusters in advance.

## Bad

- May have imbalanced clusters.
- Still have to choose number of clusters or threshold.
- Does not scale well. Runtime of  $O(n^3)$ .
- Can get stuck at a local optima.