

CHIRALITY:  $\psi(x) = \underbrace{\frac{1}{2}(1+\gamma_5)}_{P_R} \psi + \underbrace{\frac{1}{2}(1-\gamma_5)}_{P_L} \psi$

$$= \psi_R + \psi_L$$

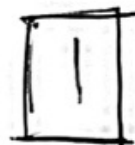
only this part of the wavefunction participates to weak int.

For NEUTRINOS ( $m=0$ ) CHIRALITY IS A CONSERVED QUANTITY

$\Rightarrow$  ONLY  $\nu_L$  AND  $\bar{\nu}_R$  EXIST

late 1950s

maybe (recap) on  $\psi\bar{\psi}\psi$ ?



WU  $\rightarrow$  P violated in weak int  
ONLY

o/t puzzle  $\rightarrow$  'J'  $\equiv K^+ \rightarrow 2\pi \leftarrow P=+1$   
'T'  $\equiv K^+ \rightarrow 3\pi \leftarrow P=-1$

$\Rightarrow K^\pm$  decay weak

BUT produced strong

WHY NOT DECAY STRONG??

$$\tau_{st} \sim 10^{-22} \text{ s}$$

$$\tau_w \sim 10^{-10} \text{ s}$$

$\rightarrow$  NEW QUANTUM NUMBER: STRANGENESS  
conserved by strong int.  
violated by weak int.

$$K^+ : S = +1$$

$$K^- : S = -1$$

$K^+ \xrightarrow{sm} \text{hadrons}$

because it's the lightest  
particle with  $S \neq 0$

$$\text{eg } K^+ \xrightarrow{sm} \pi^+ \pi^+ \pi^- \quad \Delta S = 1$$

$S=1 \qquad S=0$

But what about neutral kaons?

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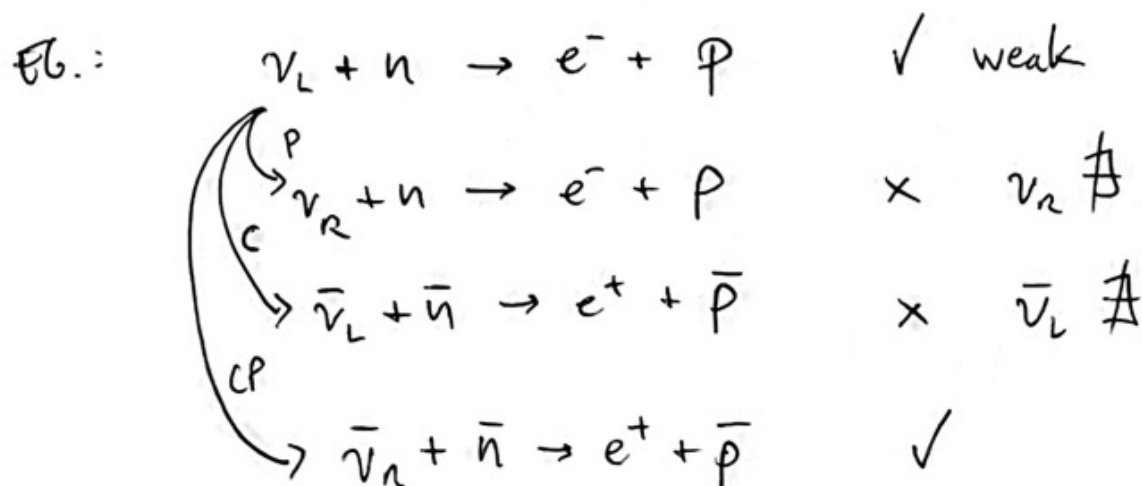
	$K^0$	$\bar{K}^0$	
$Q$	0	0	FIRST NEUTRAL MESON
$B$	0	0	WITH (A) CHARGE
$S$	+1	-1	FIRST NEUTRAL BOSON
			FOR WHICH
			PARTICLE $\neq$ ANTI PARTICLE
			eg: $\gamma, \pi^0$

What is the nature of  $K^0/\bar{K}^0$

they differ only by  $S$ , a quantum number not conserved by weak int.

But by now  $P$  has fallen but it was Haight that  $CP$  was a good symmetry of the

Universe  $\rightarrow$  real symmetry between matter / antimatter



After full of P, CP was last broken  
strangely

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So let's look at  $K^0/\bar{K}^0$

Produced strongly  $\Rightarrow$  eigenstates of strong force

BUT they are NOT eigenstates of CP

$$CP |K^0\rangle = |\bar{K}^0\rangle \quad \left( \begin{array}{l} P|K^0\rangle = -|\bar{K}^0\rangle \\ C|K^0\rangle = e^{i\alpha} |\bar{K}^0\rangle \end{array} \right)$$

$\nearrow$   
else and  $\alpha$  so  
that  $CP|K^0\rangle = |\bar{K}^0\rangle$

(IF) CP is conserved  
 $\Rightarrow$  the physical states are the eigenstates of CP

these are

$$|K_1^0\rangle = \frac{1}{\sqrt{2}} (|K^0\rangle + |\bar{K}^0\rangle) \quad CP = +1$$

$$|K_2^0\rangle = \frac{1}{\sqrt{2}} (|K^0\rangle - |\bar{K}^0\rangle) \quad CP = -1$$

We know that both  $K^0$  and  $\bar{K}^0$   
can decay to  $2\pi$

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$$K^0 \rightarrow \pi^+ \pi^-$$

$$\bar{K}^0 \rightarrow \pi^+ \pi^-$$

the  $(\pi^+ \pi^-)$  state has  $CP = +1$

In fact both C and P switch the  
position of the pions  $\pi^+ \leftrightarrow \pi^-$

$\Rightarrow$  depends on symmetry of wave function

But  $L=0$  (because  $K$  ~~have~~ have  $J=0$ )

$$\Rightarrow P = (-1)^{L=0} = +1$$

$$C = (-1)^{L=0} = +1$$

plus the intrinsic parity of the pions

$$P(\pi^+) \cdot P(\pi^-) = (-1)(-1) = +1$$

$$\Rightarrow CP = (CP)_{\text{space}} \cdot P_{\pi^+} \cdot P_{\pi^-} = +1$$

So if CP is conserved only  $|K_1^0\rangle$   
can decay to  $2\pi$ .

[5]

$$K_1^0 \rightarrow 2\pi$$

$$K_2^0 \not\rightarrow 2\pi$$

Using similar arguments  $CP(3\pi) = -1$

$$\Rightarrow K_1^0 \not\rightarrow 3\pi$$

$$K_2^0 \rightarrow 2\pi$$

$$m_\pi \sim 130 \text{ MeV}$$

$$m_K \sim 500 \text{ MeV}$$

$$\Rightarrow m(3\pi) \approx m_K$$

phase space available for  $2\pi$  decay much  
LARGER

$$\Rightarrow \text{expect } \tau(K_1^0) \ll \tau(K_2^0)$$

that is why we call them

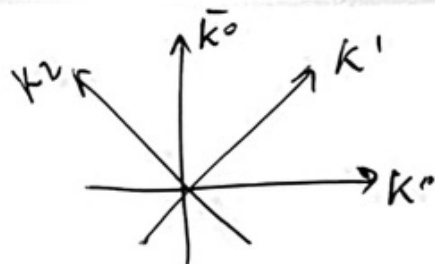
$$K_1^0 = K_S^0 \quad \text{"short"} \quad \tau_S \sim 0.9 \cdot 10^{-12} \text{ s}$$

$$K_2^0 = K_L^0 \quad \text{"long"} \quad \tau_L \sim 0.5 \cdot 10^{-7} \text{ s}$$

$\times 10^3$  ↑

RECAP

two representations



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STRONG FORCE  
EIGENSTATES

PRODUCTION

CP EIGENSTATES

TIME  
EVOLUTION

$|K^0\rangle$   $|\bar{K}^0\rangle$

$|K_1^0\rangle$   $|K_2^0\rangle$

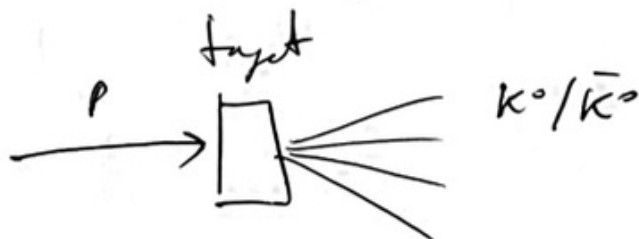
$$|K^0\rangle = \frac{1}{\sqrt{2}} (|K_1^0\rangle + |K_2^0\rangle)$$

$$|K_{1,2}^0\rangle = \frac{1}{\sqrt{2}} (|K^0\rangle \pm |\bar{K}^0\rangle)$$

$$|\bar{K}^0\rangle = \frac{1}{\sqrt{2}} (|K_1^0\rangle - |K_2^0\rangle)$$

IF CP CONSERVED  
then are HAMILTONIAN  
eigenstates too

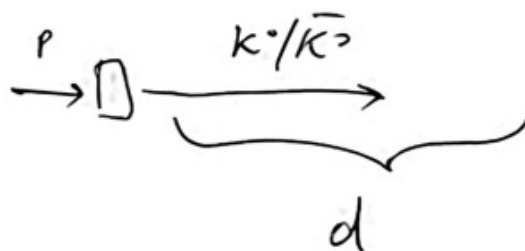
So if we have experiment



↑ KAONS produced in strong interaction

⇒ at  $t=0$   $|K^0\rangle$  and  $|\bar{K}^0\rangle$

If the  $K^0 / \bar{K}^0$  travel



Time evolution depends on  $H$  eigenstates

[7]

$$\Rightarrow |K^0(t)\rangle = e^{-im_1 t - \Gamma_1 t/2} \frac{1}{\sqrt{2}} \left[ |K^0(0)\rangle + |\bar{K}^0(0)\rangle \right]$$

$$|K_L^0(t)\rangle = e^{-im_2 t - \Gamma_2 t/2} \frac{1}{\sqrt{2}} \left[ |K^0(0)\rangle - |\bar{K}^0(0)\rangle \right]$$

FIRST CONSEQUENCE: oscillations

If a state is produced at  $t=0$  as purely  $K^0$  ~~the~~ when it propagates it will oscillate

$$K^0 \rightarrow \bar{K}^0 \rightarrow K^0$$

with amplitudes

$$\langle K^0 | \psi(t) \rangle = \frac{1}{2} \left( e^{-im_1 t - \Gamma_1 t/2} + e^{-im_2 t - \Gamma_2 t/2} \right)$$

$$\langle \bar{K}^0 | \psi(t) \rangle = \frac{1}{2} \left( e^{-im_1 t - \Gamma_1 t/2} - e^{-im_2 t - \Gamma_2 t/2} \right)$$



second consequence: REGENERATION

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Start at  $t=0$  with pure  $\textcircled{K^0}$  beam in vacuum

50%  $K_1^0$

50%  $K_2^0$

REMEMBER:  $\tau(K_1^0) \sim 0.9 \cdot 10^{-10} \text{ s}$   $K_S$  short  
 $\tau(K_2^0) \sim 0.5 \cdot 10^{-7} \text{ s}$   $K_L$  long

$\Rightarrow$  if you wait  $10\tau_1 \rightarrow$  all  $K_1^0$  decay

$\Rightarrow$  left with only  $K_2^0$

$\Rightarrow$  at  $t=0$  100%  $K^0 \Leftrightarrow$  50%  $K_1^0$  / 50%  $K_2^0$

at  $t=10\tau_1$  100%  $K_2^0 \Leftrightarrow$  50%  $K^0$  / 50%  $\bar{K}^0$

Now that we have pure  $K_2^0$  beam we make it  
pass through ~~an~~ matter  $\Rightarrow$  strong interaction

$\nearrow$   
 $K^0$  and  $\bar{K}^0$  are the eigenstates

BUT  $K^0$  and  $\bar{K}^0$  have different interaction with matter 9

$$K^0 + p \rightarrow K^0 + p$$

$$K^0 + n \rightarrow K^0 + n$$

$$K^0 + p \rightarrow K^+ + n$$

$$\bar{K}^0 + p \rightarrow \bar{K}^0 + p$$

$$\bar{K}^0 + n \rightarrow \bar{K}^0 + n$$

$$\bar{K}^0 + p \rightarrow \pi^+ + \Lambda^0$$

$$\bar{K}^0 + p \rightarrow \pi^+ + \Sigma^+$$

$$\bar{K}^0 + n \rightarrow \pi^0 + \Lambda^0$$

MORE CHANNELS AVAILABLE TO  $\bar{K}^0$ !

this is because  $|\bar{K}^0\rangle = |\bar{d}s\rangle$  ↖ quark can swap with one of the quarks in p/n

eg:  $|\bar{K}^0\rangle = |\bar{d}s\rangle$

$$|p\rangle = |\bar{u}ud\rangle \rightarrow |\bar{u}d\rangle = |\pi^+\rangle$$

$$|uds\rangle = |\Lambda^0\rangle$$

$\Rightarrow \bar{K}^0$  interacts more  $\Rightarrow |\bar{K}^0\rangle$  component more strongly absorbed

⇒ if you start with 50%  $K^0$  / 50%  $\bar{K}^0$

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→ you end up with less  $\bar{K}^0$  wrt  $K^0$

BUT so if at  $t=0$   $|\psi(t=0)\rangle = 100\% |K_1^0\rangle$

50%  $\bar{K}^0$  / 50%  $K^0$

then at  $t > 0$  (in matter) you get different  $K^0/\bar{K}^0$  mix

⇒  $K_1^0$  regeneration

OK BACK TO ORIGINAL QUESTION: if CP worked

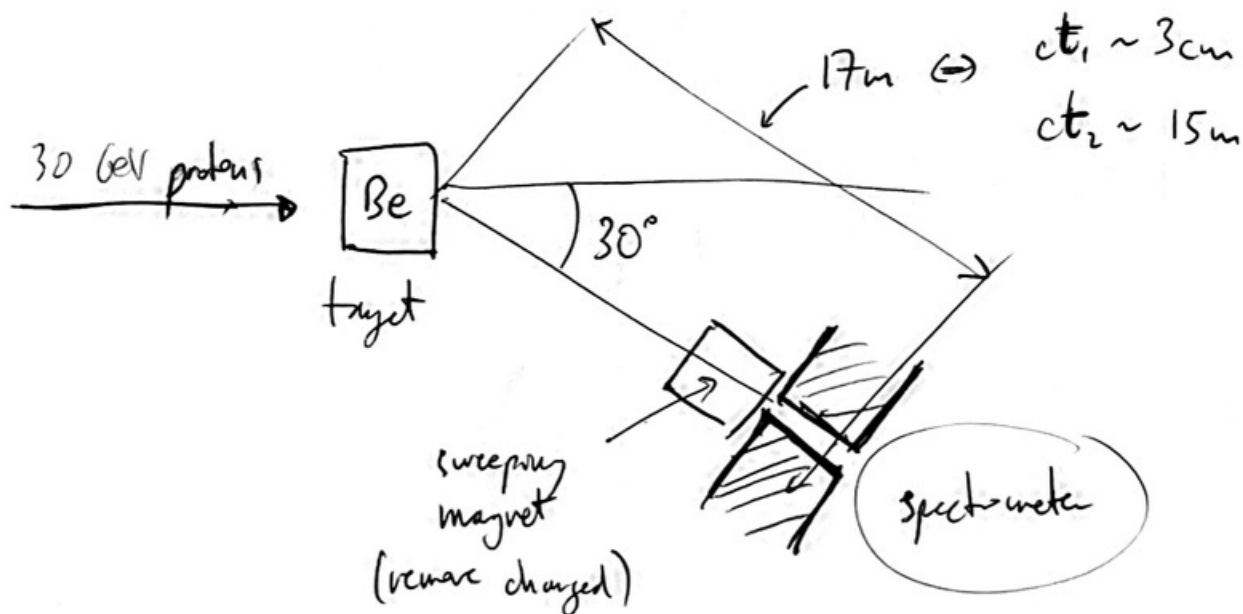
⇒  $K_1^0$  and  $K_2^0$  are eigenstates of H

$K_1^0 \rightarrow \pi^+\pi^-$  (2 $\pi$ ) CP = +1

$K_2^0 \rightarrow 3\pi$  CP = -1

IF CP GOOD  
SYMMETRY  
!  $K_2^0 \not\rightarrow 2\pi$

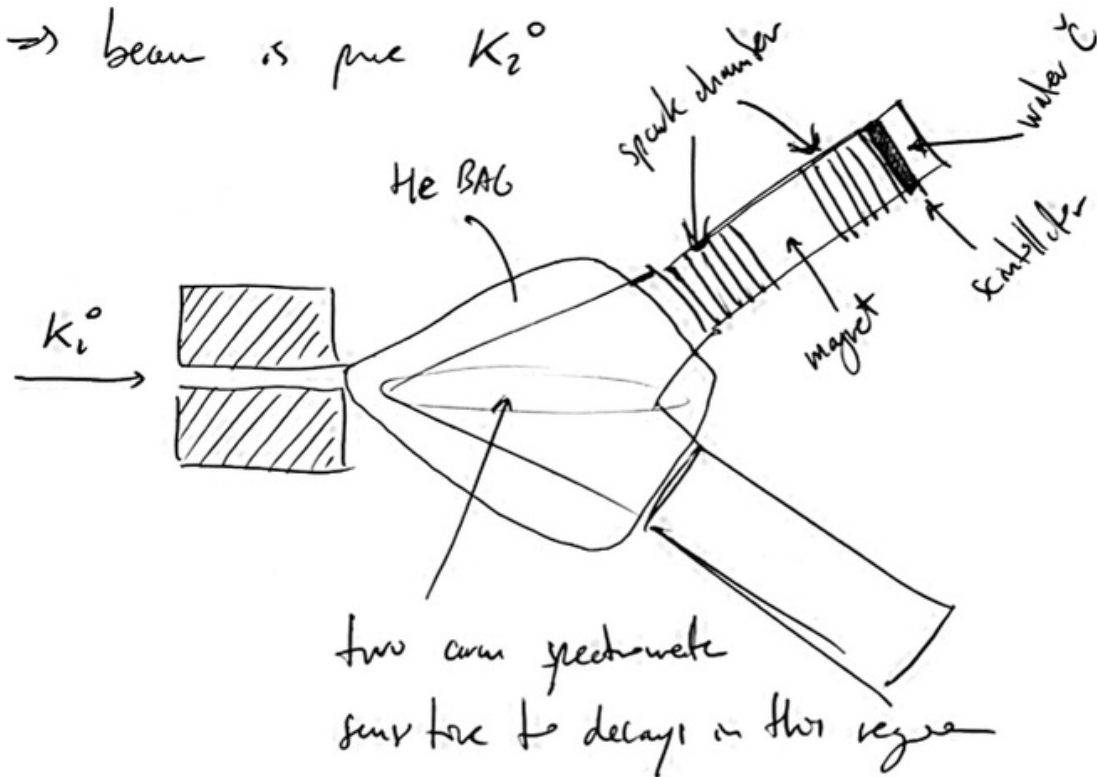
1964 CROWIN & FITCH



⇒ at the spectrometer ~~all~~ all  $K_1^0$  have decayed

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⇒ beam is pure  $K_2^0$



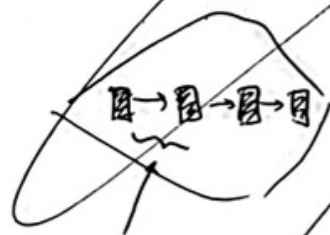
TRIGGER: scintillator +  $\gamma$

↳ set to  $\beta > 0.75$

LOOKING FOR  $K_2^0 \rightarrow \pi^+ \pi^-$

CP violating decay

~~BUT FIRST: study  $K_1^0$  regeneration. a piece of tungsten was placed in the decay region~~

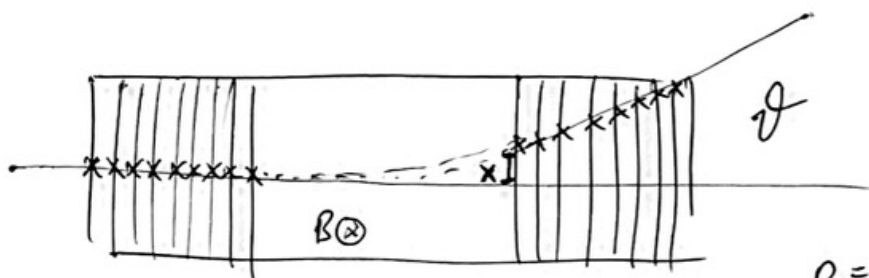


28 cm steps

~~and  $K_1^0$  regeneration was observed in the tungsten blocks~~

~~IN ACCORDANCE WITH EXPECTATIONS~~

spark chamber + magnet  $\Rightarrow$  momentum measurement 12



$$\rho = \frac{2xB}{\theta^2} \quad \left( \begin{array}{l} \text{for } q=1 \\ \text{and } \theta \ll 1 \end{array} \right)$$

$$\Rightarrow \vec{p}_1 \text{ and } \vec{p}_2 \xrightarrow{\text{assume } m \ll E} p_1, p_2$$

$$\Rightarrow M(\pi_1, \pi_2) = |\vec{p}_1 + \vec{p}_2| \approx \sqrt{2E_1 E_2 (1 - \cos \alpha)}$$

$\uparrow$   
 Mandlestam approx

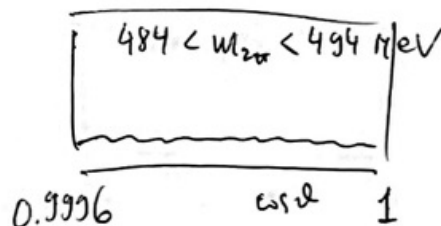
$\angle \alpha$

IF  $K_L^0 \rightarrow \pi^+ \pi^-$

$$\Rightarrow M(\pi^+ \pi^-) = M(K_L^0) = 498 \text{ MeV}$$

$$\text{and } \theta(\pi^+, \pi^-) = \theta(K_L^0) = 0 \quad (\text{initial state})$$

INSTANT  $K_L^0 \rightarrow (\pi^+ \pi^-) \pi^0$  does not peak!  
(missing a piece)



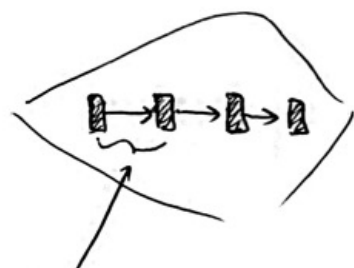
OBSERVATION OF  $K_L^0 \rightarrow \pi^+ \pi^-$ ??

Could it be something else?

WHAT ABOUT  $K_S^0$  REGENERATION  
IN THE BAG?

To study  $K^0$  regeneration, tungsten target  
was placed in decay region

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28 cm  
steps

and  $K^0$  regeneration observed in the tungsten  
in accordance with expectations (calculations)

→ same calculations applied to the gas gave  
rate of  $K^0$  regeneration  $\sim 10^6$  times lower  
than observed excess

and

$K_L^0 \rightarrow 3\pi$  does not create a peak

ANYTHING ELSE?

$$K_L^0 \rightarrow \pi^\pm e^\mp \nu$$

$$K_L^0 \rightarrow \pi^\pm \mu^\mp \nu$$

} it also misses a part ( $\sim$ )  
so no peak

$$K_L^0 \rightarrow \pi^+ \pi^- \gamma$$

needs  $\gamma$  with  $E_\gamma < 1$  MeV  
very rare

$$\Rightarrow K_S^0 \rightarrow \pi^+ \pi^- !$$

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what does this mean? CP violation

CP eigenstates ~~are~~ not a good set of eigenstates for H

weak /  
H eigenstates:

$$K_L^0 = \frac{1}{\sqrt{1+\epsilon^2}} [K_S^0 + \epsilon K_L^0]$$

$$K_S^0 = \frac{1}{\sqrt{1+\epsilon^2}} [K_S^0 + \epsilon K_L^0]$$

① Amount of CP violation in SM

$$\text{with } \epsilon = \frac{(K_S^0 \rightarrow 2\pi)}{(K_S^0 \rightarrow \text{all})} \sim (20 \pm 0.4) \cdot 10^{-3}$$

STRONG EIGENSTATES

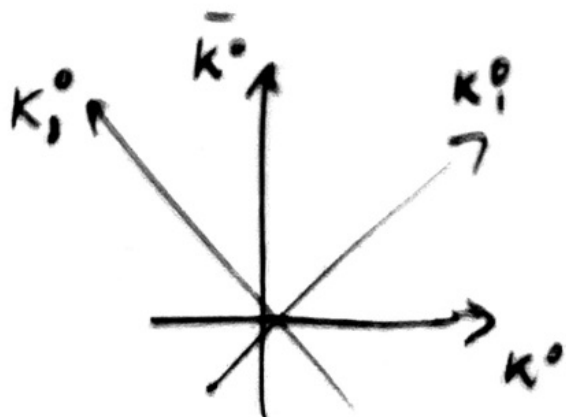
$|K^0\rangle$   $|\bar{K}^0\rangle$

CP EIGENSTATES

$|K_1^0\rangle$   $|K_2^0\rangle$

WEAK FULCRUM EIGENSTATES

$|K_S^0\rangle$   $|K_L^0\rangle$



# A BRIEF OBITUARY

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† 1956 PARITY (WU)

† 1964 CP (CROWIN + FITCH)

BUT CPT holds  $\leftarrow$  THEOREM

IF CPT fails, whole house comes down

