

```
int voti[170];
```

```
double m = media(voti, 170);
```

non esiste funzione che ritorni array

voti = media(array, n);

```
void generaArray(double* d, int n) {
```

```
    for(int i=0; i<n; i++) {
```

```
        *d+i = (double) rand() / RAND_MAX;
```

```
    }  
    // la stessa cosa
```

// non devi o/cun return qual cosa

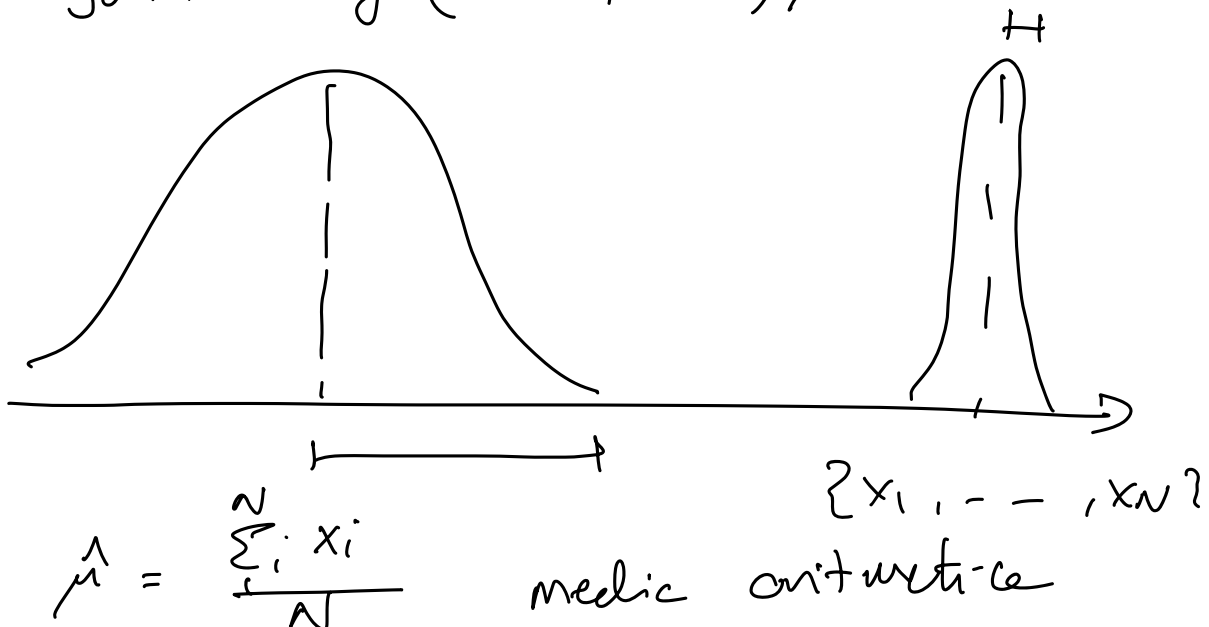
```
}
```

```
int main() {
```

```
    double dati[100];
```

```
    generaArray(dati, 100);
```

```
}
```



$$\hat{\sigma} = \sqrt{\text{variance}(x)}$$

$$\text{var} = \frac{\sum_i (x_i - \bar{x})^2}{n-1}$$

$$= \langle x^2 \rangle - \langle x \rangle^2$$

30	27	18	28
----	----	----	----

27	28	27	25
----	----	----	----

$$\langle x^2 \rangle = \frac{\sum_i x_i^2}{n}$$

```
int main() {
```

```
    double dati[1000] = {0};
```

```
    double media, devstd;
```

```
    analisi(dati, &media, &devstd, 1000);
```

```
    printf("media = %.3f, devstd = %.3f\n", media, devstd);
```

```
}
void analisi(double* dati, double* m, double* std, int n) {
```

```
    double s=0, s2=0; // sum = 0; *std = 0;
```

```
    for(int i=0; i<n; i++) {
```

```
        s += dati[i]; //  $\sum_i x_i$  // *sum += dati[i];
```

```
        s2 += (dati[i])*(dati[i]); //  $\sum_i x_i^2$ 
```

```
    }
```

```
    s /= n; // *sum /= n;
```

```
    s2 /= n;
```

```
    *m = s;
```

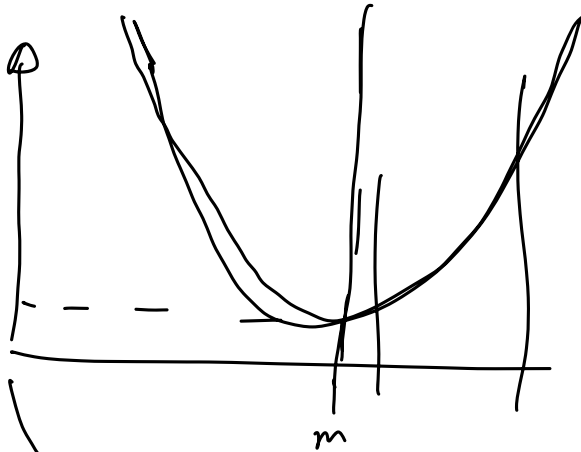
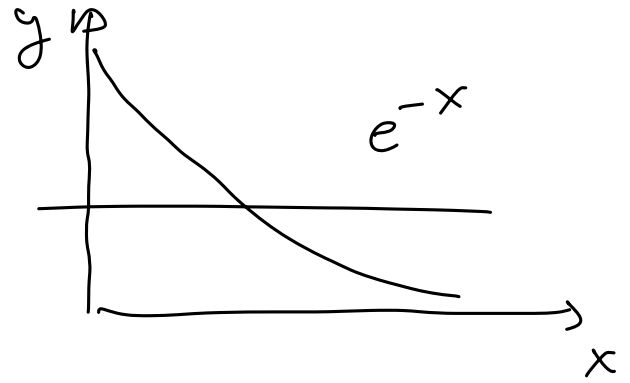
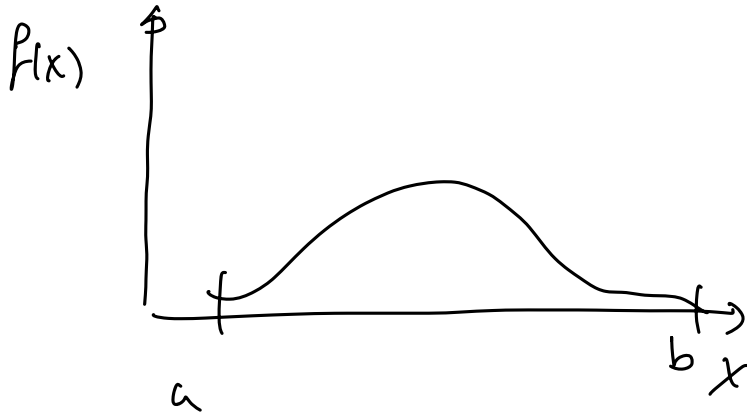
```
    *std = sqrt(s2);
```

```
}
```

substitution: $s \rightarrow *m$

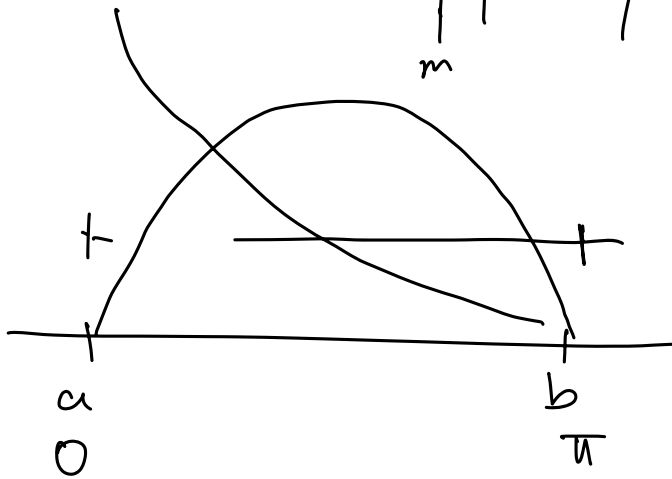
$s2 \rightarrow *std$

Generare num. Casuali secondo $f(x)$



$$a + bx + cx^e$$

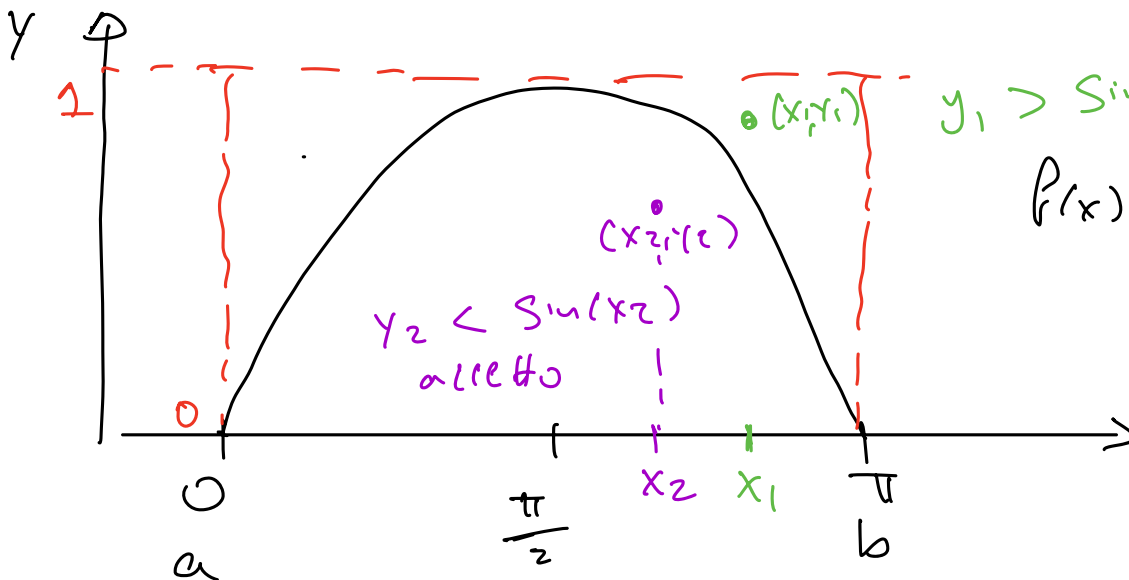
$$f(x) = a - bx^3$$



$$f(x) = \text{costante}$$

$$f(x) = \sin(x)$$

$$f(x) = e^{-x}$$



$$y_1 > \sin(x_1)_{\text{scarto}}$$

$$f(x) = \sin(x)$$

$$y_2 < \sin(x_2)_{\text{all'alto}}$$

uniforme: $x = a + (b-a) * \text{rand48}() / \text{RAND_MAX};$
 $x \in [a, b]$

max $f(x)$ per $x \in [a, b]$

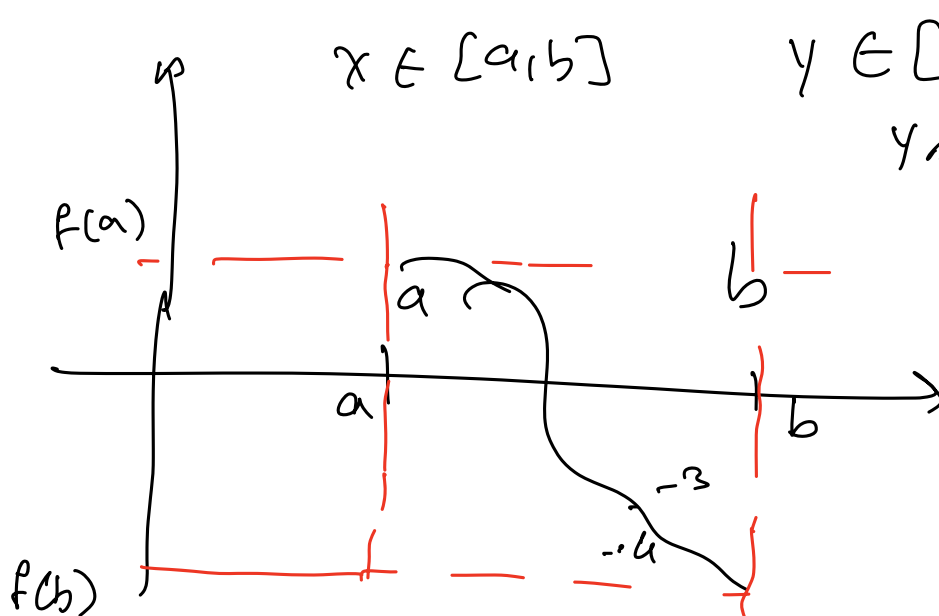
double $x, y;$

do {

$x = a + (b-a) * \text{rand48}() / \text{RAND_MAX};$

$y = (\text{double}) \text{rand48}() / \text{RAND_MAX};$

} while ($y > \sin(x)$);



$x \in [a, b]$

$y \in [0, y_{\max} = 1]$

$y_{\max} = \max f(x) \text{ in } [a, b]$

$x \in [a, b].$

$y \in [f(a), f(b)]$

do {

$x = \text{uniforme}(a, b)$

$y = \text{uniforme}(f(a), f(b))$

} while ($y > f(x)$);

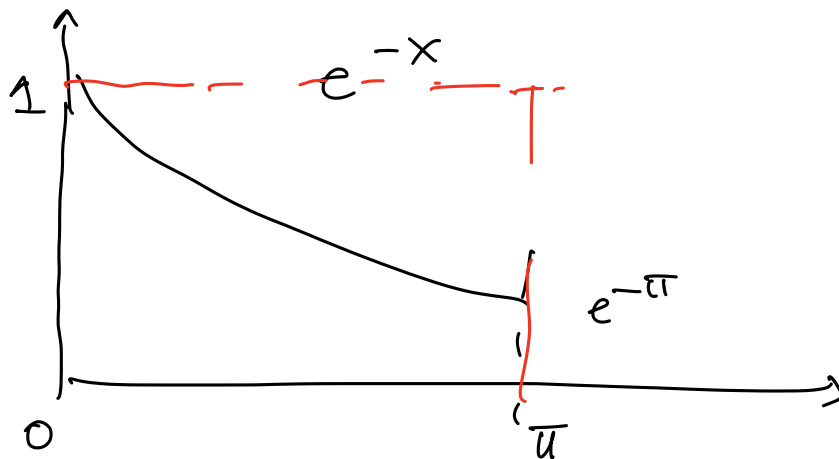
$x = \text{uniforme}(a, b);$

$x = \text{generaSin}(a, b);$

$x = \text{uniforme}(0, -2);$

```
double uniforme (double a, double b) {
    return a + (b-a)*rand48() / RAND_MAX;
}
```

```
double generatSin (double a, double b) {
    double x, y;
    do {
        x = uniforme(a, b);
        y = uniforme(0, 1);
    } while (y > sin(x));
    return x;
}
```



```
do {
    x = uniforme(a, b);
    y = uniforme(0, 1);
} while (y > exp(-x));
```

```

10 int main() {
11
12     srand48( time(0) );
13     double a=0, b=M_PI;
14
15     // max di sin(x) e e^(-x) per x in [0,PI]
16     double ymax = 1.;
17
18     // array per salvare i numeri generati da utilizzare
19     double piatto[NMAX];
20     double sinx[NMAX];
21     double expx[NMAX];
22     double myfx[NMAX];
23
24     // numero effettivo di numeri generatori per ottenere
25     // NMAX numeri con la distribuzione giusta
26     int npiatto=0, nsinx=0, nexpx=0, nmyfx=0;
27
28     FILE* fp;
29     char fname[] = "numeri.txt";
30     fp = fopen(fname,"w+");
31     if(!fp) {
32         printf("errore a creare %s... exit\n", fname);
33         exit(-1);
34     }
35
36     int i;
37     double x,y;
38

```

```

39     for(i=0; i<NMAX; i++) {
40
41         if(! ((i+1)%1000) ) printf("generazione: %3d\n", i+1);
42         // distribuzione uniforme
43         x = uniforme(a,b);
44         *(piatto+i) = x;
45         npiatto++;
46
47         do{
48             nsinx++;
49             x = uniforme(a,b);
50             y = uniforme(0,ymax);
51         } while ( y > sin(x) );
52         *(sinx+i) = x;
53
54         do{
55             nexpx++;
56             x = uniforme(a,b);
57             y = uniforme(0,ymax);
58         } while ( y > exp(-x) );
59         *(expx+i) = x;
60
61
62         // scrivi output
63         fprintf(fp, "%.10f\t %.10f\t %.10f\n", piatto[i], sinx[i], expx[i]);
64
65     } // ciclo generazione
66     printf("numero generazioni per piatto: %6d \t sin(x): %6d \t exp(-x): %6d\n",
67           npiatto, nsinx, nexpx);
68
69     fclose(fp);
70
71 } // main
72
73

```

```

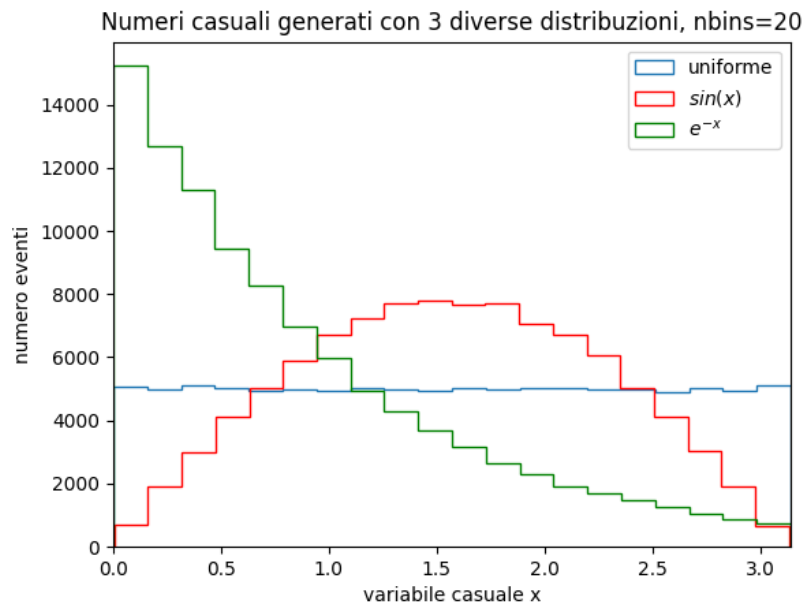
generazione: 10000
generazione: 20000
generazione: 30000
generazione: 40000
generazione: 50000
generazione: 60000
generazione: 70000
generazione: 80000
generazione: 90000
generazione: 100000
numero generazioni per piatto: 100000    sin(x): 157295    exp(-x): 328550

```

```

1  import matplotlib.pyplot as plt
2  import numpy as np
3  import math as m
4
5  piatto, sinx, expx = np.loadtxt("numeri.txt", unpack=True)
6
7  nbins=20
8
9  plt.title("Numeri casuali generati con 3 diverse distribuzioni, nbins=%d"%(nbins))
10
11  plt.xlim(0, m.pi)
12  plt.xlabel('variabile casuale x')
13  plt.ylabel('numero eventi')
14
15  plt.hist(piatto, bins=nbins, histtype='step', label='uniforme')
16
17  plt.hist(sinx, bins=nbins, histtype='step', color='red', label='$sin(x)$')
18
19  plt.hist(expx, bins=nbins, histtype='step', color='green', label="$e^{-x}$")
20
21  # legenda dei 3 grafici
22  plt.legend(loc="upper right")
23
24
25  plt.show()

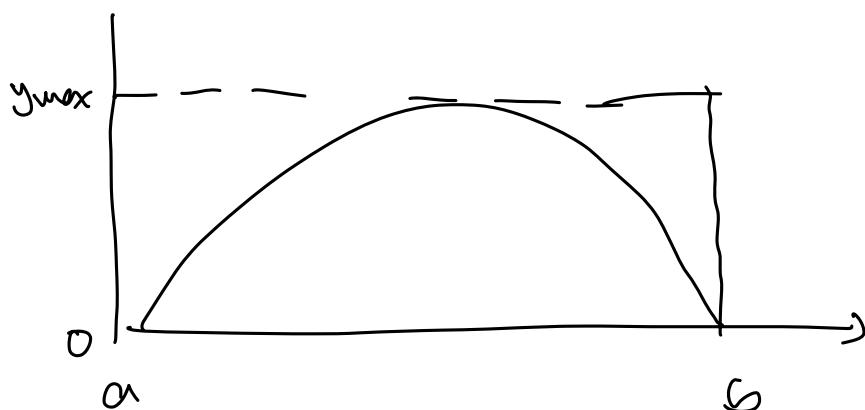
```



$$\text{bin width} = 3.14/20$$

python3 genera.py

• py



Area Rettangolo

$$= (b-a) \times y_{\max}$$

$$\int_a^b f(x) dx = \frac{N_{\text{acc}}}{N_{\text{tot}}} A_{\text{rect.}}$$