

Iterazioni - esemp. - Calcolo ricorsivo

Fattoriale: $n! = n \times n-1 \times n-2 \times \dots \times 1$

unsigned long long int $p = 1;$

int i; // iteratore

*inizializzo
di p*

64 bit
senza segno.

```
for (i = 1; i <= n; i++) {
```

```
    p *= i;
```

```
}
```

```
printf("i! = %llu\n", n, p);
```

gcc -o app.exe prog.c -lm

./app.exe

7! = 5040

i	p	n
-	-	7
-	1	7
1	1	7
2	2	7
3	6	7
4	24	7
5	120	7
6	720	7
7	5040	7
8		

Successione: $a_n = n$

✓ $a_n = n^2$

✓ $a_n = n \times (n-1)$

$a_n = n \times a_{n-1}$

$= n \times (a_{n-2} \times a_{n-1})$

Fibonacci: ✓ $a_n = a_{n-1} + a_{n-2}$

Calcolo ricorsivo

int a1, a2, an;

a1 = 1;

a2 = 1;

int i;

for (i = 3; i <= n; i++) {

an = a1 + a2;

a1 = a2;

a2 = an;

}

a1
-

a2
...

an
...

i	an
3	2
4	2
5	2
6	2

pipito pluto

↓ ↓

○ ○ ○ ○ ○ ○

a1 a2 a3 a4 a5 a6

pipito = pluto = 1;

for (i = 3; i <= n; i++) {

an = pipito + pluto;

pipito = pluto;

pluto = an;

}

printf("a_n = i dn", an);

i	a1	a2	an
3	1	1	2
4	1	2	3
5	2	3	5

Trovare zero di una funzione

$$f(x) = 0$$

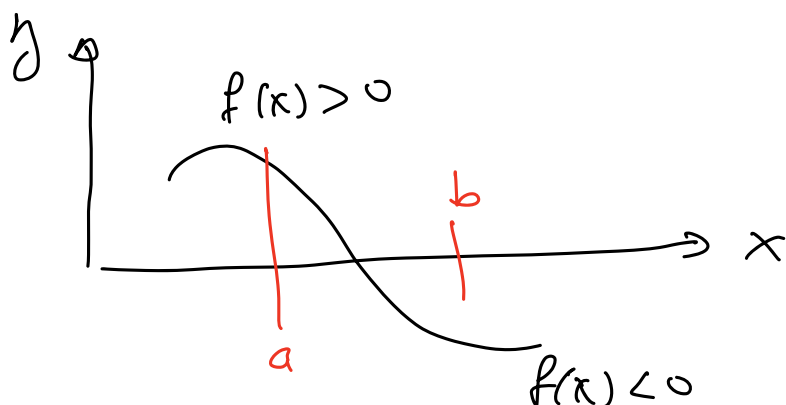
$$x_i : f(x_i) = 0$$

$$3x - 4 + 7x^2 = 0$$

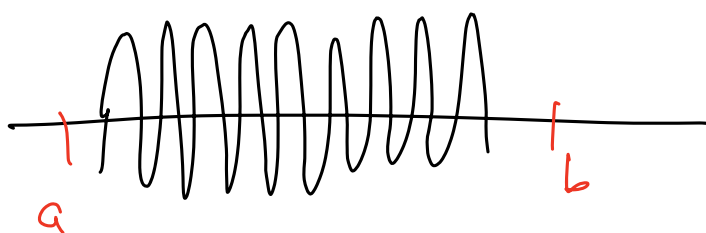
$$x_1, x_2$$

$$-x^3 + 3x^2 - 7x + 78 = 0$$

$$\sin(x) + x^2 = 0$$



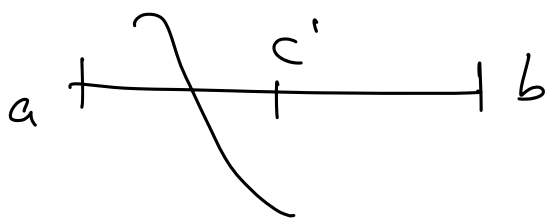
$$f(a) \cdot f(b) < 0$$



NON funzione.

$$x_i : f(x_i) = 0.$$

scelgo $[a, b]$ che contiene x_i

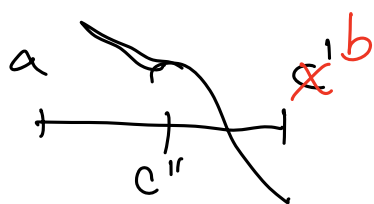


$$f(a) \cdot f(b) < 0.$$

$$c = \frac{a+b}{2}$$

$$f(a) \cdot f(c) \leq 0$$

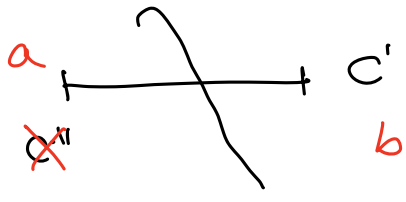
$$f(b) \cdot f(c) > 0 \quad x_i \notin [c, b]$$



$$c \rightarrow b$$

$$c'' = \frac{a+c'}{2}$$

$$f(a) \cdot f(c'') > 0$$



$$c'' \rightarrow a$$

$$\varepsilon = 10^{-3} = 0.001$$

mi feruo se $|a-b|$ $< \varepsilon$

1) Non ciclo for