

Cicli:

do/while : input di variabile entro limiti [a,b]

for: # iterazioni noto

while: prime verifica cond. poi esegue

Funzione zero di una funzione

$$f(x) = 0 \Rightarrow x_1, \dots, x_n : f(x_i) = 0$$

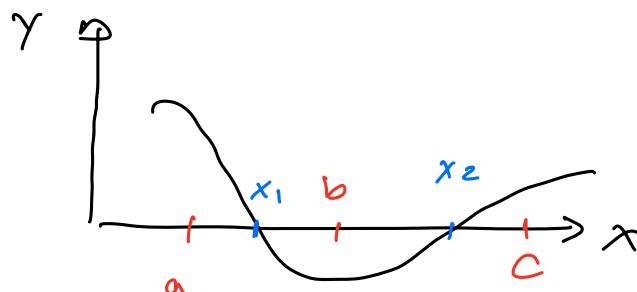
$$\underbrace{3x - 4x^2 + 7}_{f(x)} = 0$$

$$\sin(x) = 0$$

$$x^2 \sin(x) = 0$$

$$x^2 + \tanh^2 x = 0$$

Funzioni: non troppo oscillanti  $\Rightarrow$  Metodo di bisezione

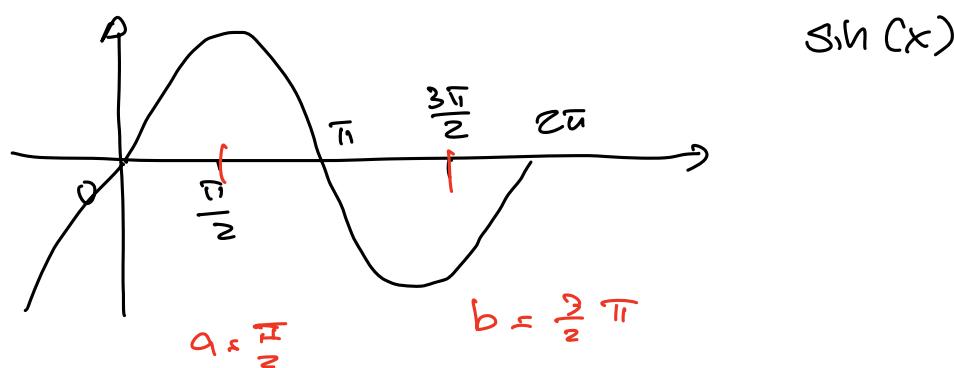


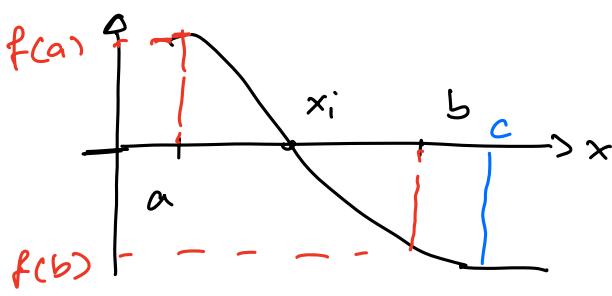
$$x_1 \in [a, b]$$

$$x_2 \in [b, c]$$



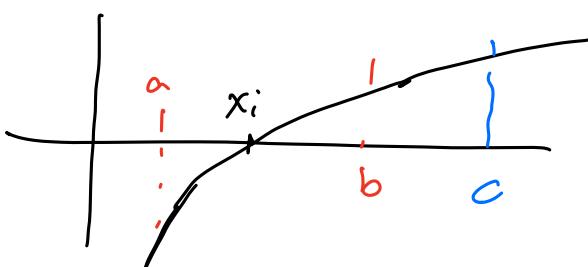
non funzione  
bene



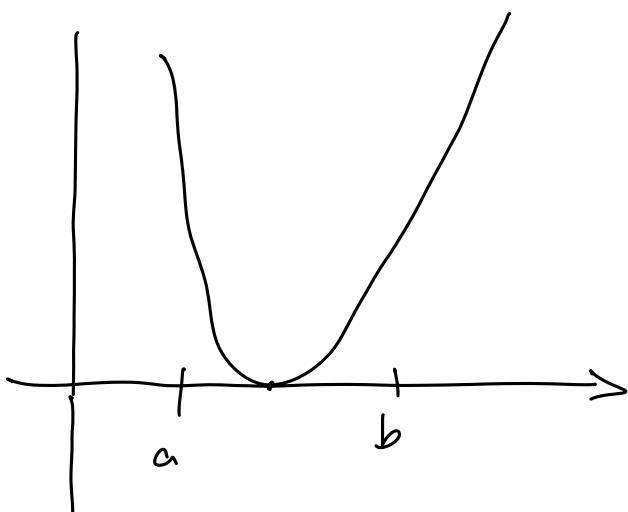


se  $x_i \in [a, b]$

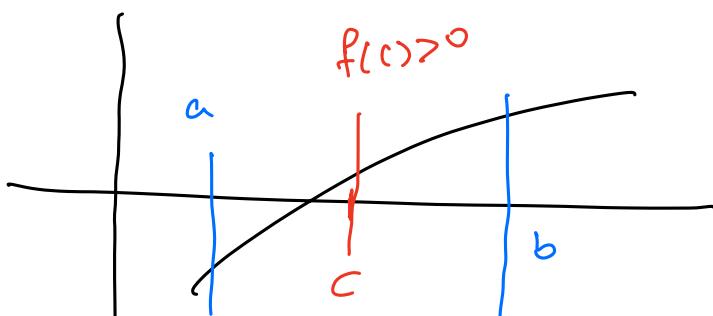
$f(a) > 0$   
 $f(x_i) = 0$  zero della funz.  
 $f(b) < 0$   
 $f(a) \times f(b) < 0$   
 $f(b) \times f(c) > 0$   
 $x_i \notin [b, c]$



$f(a) < 0$   
 $f(x_i) = 0$   
 $f(b) > 0$   
 $f(a) \times f(b) < 0$   
 $f(b) \times f(c) > 0$   
 $x_i \notin [b, c]$



Richiede curva  
perché  $f'(x)$  non  
attraversa o si re x



$f(a) < 0$   
 $f(b) > 0$   
 $f(c) \times f(b) < 0$ .  
 $\Rightarrow x_i \in [a, b]$

$$c = \frac{a+b}{2}$$

$I^a$  iterazione.

$$f(a) \times f(c) < 0$$

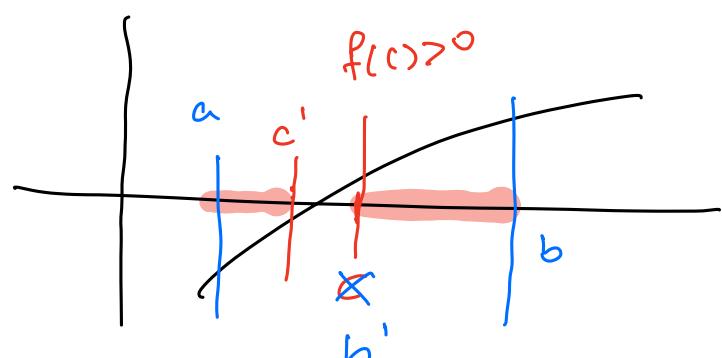
$f(b) \times f(c) > 0 \Rightarrow$  scarto  $[b, c]$

II = iterazione

$$a = a$$

$$b' = c$$

$$c' = \frac{a+b'}{2}$$



$$f(a) \times f(c') > 0$$

$$f(c') \times f(b') < 0 \Rightarrow x_i \in [c', b']$$

III = iterazione

$$a'' = c'$$

$$b'' = b'$$

$$c'' = \frac{a'+b'}{2}$$

$$f(a'') \times f(c'') < 0$$

$$f(c'') \times f(b'') > 0$$

Ciclo si ferme quando raggiungo precisione prestabilita'

si ferme if( fabs(a-b) ) < precisione

$$\text{fabs}(x-y) \equiv |x-y|$$

$$|a-b| < \varepsilon$$

bisezione.c

```

#include <math.h>
#include<stdlib.h>
#include<stdio.h>

#define EPS 1.e-5

```

$\rightarrow 10^{-5}$

```

int main() {
    double a = 0., b = 0.7*M_PI, c;
    double delta = fabs(a-b);

    double p;
    int iter = 0;
    double eps = EPS;

    printf("inserisci la precisione: ");
    scanf("%lf", &eps);

    printf("calcolo zeri di cos(x)\n");

    while(delta > eps) {
        iter++;

        c = 0.5*(a+b);
        p = cos(a)*cos(c);

        if( p > 0. ) {
            a = c;
        } else if ( p < 0. ) {
            b = c;
        } else {
            a = b = c;
        }

        printf("iter: %3d x = %.15f gradi\n", iter, c*180./M_PI);
        delta = fabs(a-b);
    }
}

```

$$f(x) = \cos(x)$$

$$a \approx 0 \quad b = 0.7\pi$$

$$\delta = |a - b|$$

~~scanf("if", &EPS);~~

~~scanf("lf", &p);~~

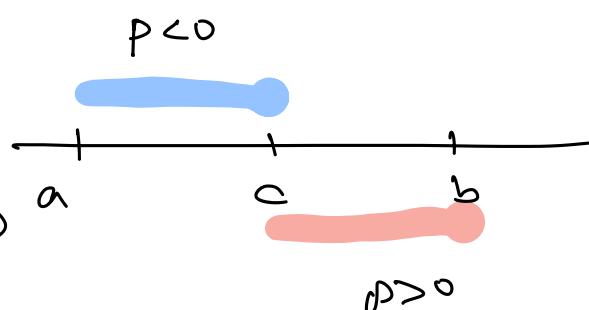
EPS :  
costante  
pre compilatore

EPS:  
variabile double

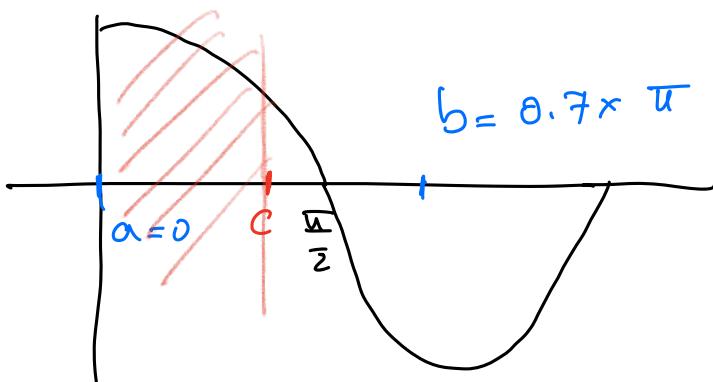
?

$e^{-5})$ :

p: variabile di appross.  
ausiliaria



$$P = \cos(c) \times \cos(c)$$



$$b = 0.7 \times \pi$$

```

[shamacmini:material rahatlou$ gcc -o /tmp/app bisezione.c
[shamacmini:material rahatlou$ /tmp/app
inserisci la precisione:0.1
calcolo zeri di cos(x)
iter: 1 x = 63.00000000000000 gradi
iter: 2 x = 94.50000000000000 gradi
iter: 3 x = 78.75000000000000 gradi
iter: 4 x = 86.62500000000014 gradi
iter: 5 x = 90.56250000000014 gradi
[shamacmini:material rahatlou$ /tmp/app
inserisci la precisione:0.001
calcolo zeri di cos(x)
iter: 1 x = 63.00000000000000 gradi
iter: 2 x = 94.50000000000000 gradi
iter: 3 x = 78.75000000000000 gradi
iter: 4 x = 86.62500000000014 gradi
iter: 5 x = 90.56250000000014 gradi
iter: 6 x = 88.59375000000000 gradi
iter: 7 x = 89.57812500000000 gradi
iter: 8 x = 90.07031250000000 gradi
iter: 9 x = 89.82421875000000 gradi
iter: 10 x = 89.94726562500000 gradi
iter: 11 x = 90.00878906250000 gradi
iter: 12 x = 89.97802734375000 gradi
shamacmini:material rahatlou$ █

```

90.000

89.978

$\Sigma \approx 0.001$

90.0

90.6

$\Sigma = 0.1$

## Numeri Primi:

$n$  primo ?

int n, m

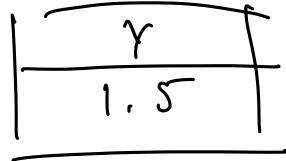
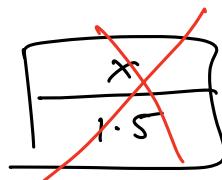
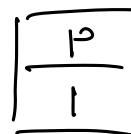
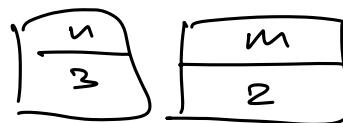
$n = 3$        $m = 2$

int p = n/m;

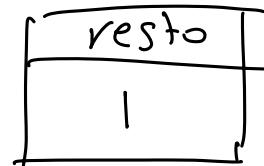
float x = n/m;

$x = 1.0000$

float y = (float)n/m  
 $\approx 1.5n/m$



int resto = n % m; resto di n/m (inten)



$$n = 123$$

$$m = 295$$

$$P = n/m$$

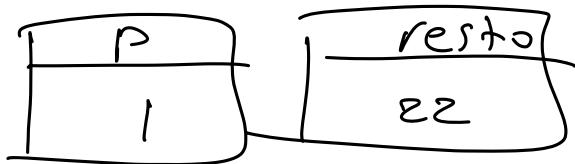
$$\text{resto} = n \bmod m$$



$$n = 317$$

$$m = 295$$

$$1 \frac{22}{295}$$



$$n = 17 \quad \text{prim? ?}$$

$$n/2 \quad n \bmod 2 \neq 0$$

$$n \bmod 3 \neq 0$$

$$n \bmod 4 \neq 0$$

$$n \bmod 5 \neq 0$$

$$n \bmod$$

$$\text{div-min} = 2$$

$$\text{div-max} = \sqrt{n} + 1$$

$$n = 15$$

$$n \bmod 2 \neq 0$$

$$n \bmod 3 = 0$$

```

#include <math.h>
#include <stdio.h>
#include <stdlib.h>

#define N 100

int main() {
    int n, j, jMax;
    printf("inserisci un numero intero: ");
    scanf("%d", &n);

    // valori tra cui cercare divisori
    j = 2;
    jMax = (int)sqrt(n)+1;

    printf("verifica fino jMax: %d\n", jMax);

    // aumenta j solo se i non divisibile per j
    for(j = 2; j < jMax; j++) {
        printf("provo con %d\n", j);
        if(n%j == 0) {
            printf("%d multiplo di %d ... non primo :(\n", n, j);
            break; // interrompe il ciclo. non molto elegante
        }
    }
    printf("j dopo ciclo: %d\n", j);
    if(j == jMax) printf("Numero primo %d\n", n);
}

```

$n \div j$  : resto di  $\frac{n}{j}$

$\neq 0$

$\downarrow$

non divisibile per j

$\Rightarrow$  continu  
caro j++

```

[shamacmini:material rahatlou$ gcc -o /tmp/app primi1.c
[shamacmini:material rahatlou$ /tmp/app
inserisci un numero intero: 16
verifica fino jMax: 5
provo con 2
16 multiplo di 2 ... non primo :(
j dopo ciclo: 2

```

[shamacmini:material rahatlou\$ /tmp/app

inserisci un numero intero: 127

verifica fino jMax: 12

provo con 2

provo con 3

provo con 4

provo con 5

provo con 6

provo con 7

provo con 8

provo con 9

provo con 10

provo con 11

j dopo ciclo: 12

Numero primo 127

for       $j < jMax = 12$

```

#include <math.h>
#include <stdio.h>
#include <stdlib.h>

#define N 100

int main() {

    int i, j, jMax;
    printf("Numeri primi tra 1 e %d:\n", N);

    // ciclo sui numeri da 1 a N
    for(i=1; i<=N; i++) {

        // valori tra cui cercare divisori
        j = 2;
        jMax = (int)sqrt(i)+1;

        // aumenta j fino a jMax solo se i non divisibile per j
        while( (j<jMax) && (i%j) ) {
            j++;
        }

        if(j == jMax) printf("%d\n", i);
    } // ciclo for
} // main

```

```

[shamacmini:material rahatlou$ gcc -o /tmp/app primi.c
[shamacmini:material rahatlou$ /tmp/app
Numeri primi tra 1 e 100:
1
2
3
5
7
11
13
17
19
23
29
31
37
41
43
47
53
59
61
67
71
73
79
83
89
97

```

$j < j_{\text{Max}}$ .  
 $\frac{i}{j} \neq 0$   
 $\text{resto}(i/j) \neq 0$ .  
 $\Rightarrow \text{TRUE}$

$\text{if } (i:j \neq 0)$   
 $\text{if } (i:j)$   
 $\neq 0 \equiv \text{TRUE}$

$\text{if } (i:100 == 0) \{$   
 $\quad \text{printf("iterazione } i \text{ di } n", i);$   
 $\}$

```

if (! ( i < 100 ) ) {
    printf( "iterazione %d\n", i );
}

```

## Conversione base

$n = 5$	div	resto
$n / 2$	2	
$2 / 2$	1	
$1 / 2$	0	



Ciclo {

- divisione
- resto
- stampa resto

}

$n = 8$	$n / 2$	resto
	4	0
4	2	0
2	1	0
1	0	1

Ciclo {

- divisione
- resto
- stampa resto

`printf( "%d", resto )`

0001

Sbagliato.

1000

int a1, a2, a3, a4, a5, a6, a7;

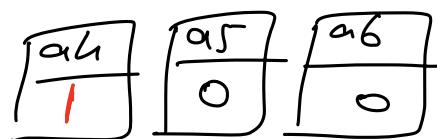
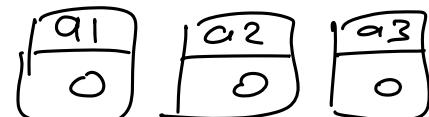
printf("%d", a7);

printf("%d", a6);

;

printf("%d", a1);

0001000



n = 8



⇒ array in C

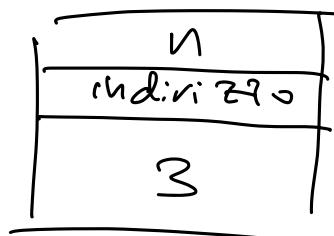
int a[7];

a array di 7 elementi.  
di tipo intero.

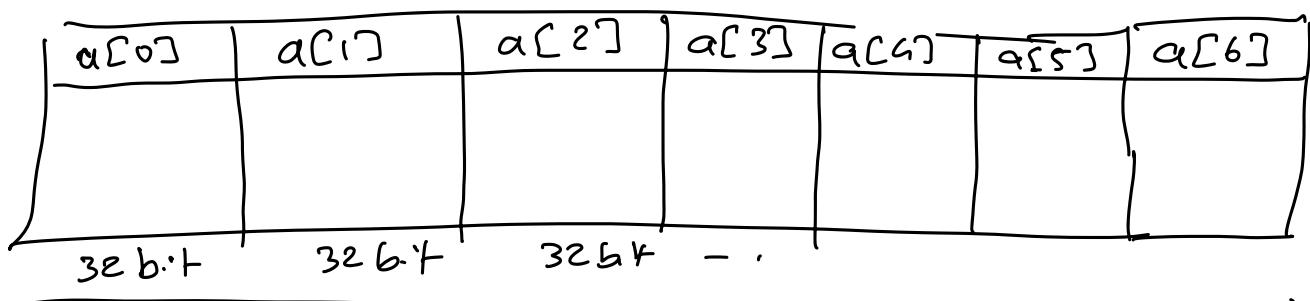
double x[100];

x array di 100 elementi  
di tipo double.

int n



int a[7]



size int: 32 bit

struttura dati a[7]  
grandezza  $7 \times 32$  bit  
 $= 7 \times 4$  byte  
 $= 28$  byte

int  $a[7]$  :  $a$ : nome di array. di tipo intero  
 $7$ : lunghezza di array.  
# celle.

$a[0], \dots, a[6]$  :  $7$  celle di array.

$a[1] = 3;$

$a[6] = -2;$

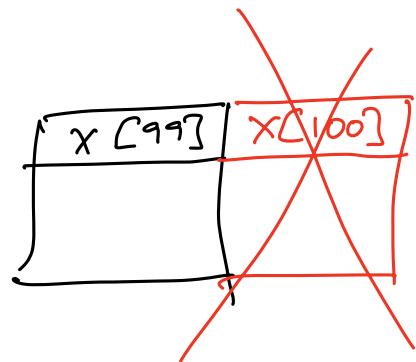
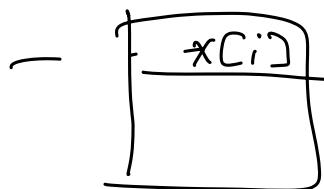
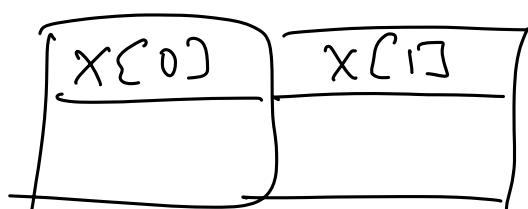
double  $x[100];$

indice è intero.

$x[98] = 0.23;$

indice  $\in [0, \text{lunghezza}-1]$

~~$x[100] = 2.2;$~~

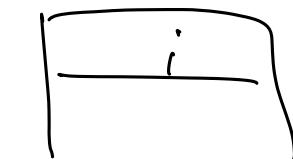


int  $i = 0;$

for ( $i = 0; i < 100; i++$ ) {

$x[i] =$

}



X